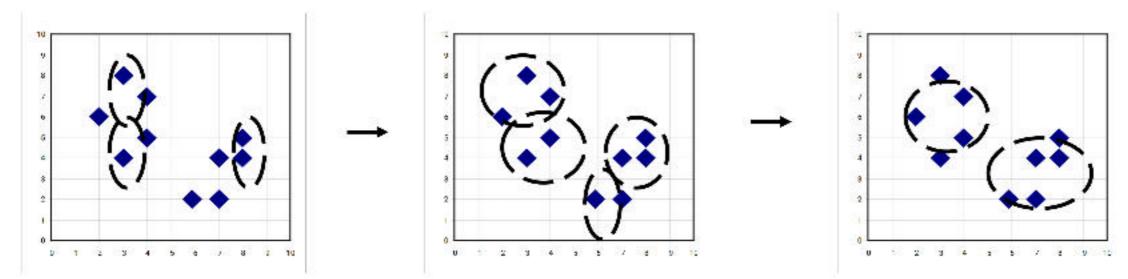


Agglomerative Clustering Algorithm

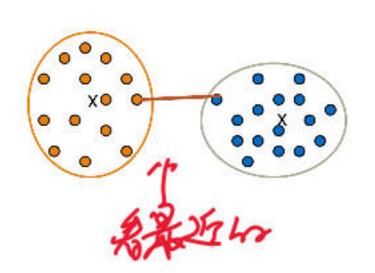
- □ AGNES (AGglomerative NESting) (Kaufmann and Rousseeuw, 1990)
 - Use the single-link method and the dissimilarity matrix
 - Continuously merge nodes that have the least dissimilarity
 - Eventually all nodes belong to the same cluster

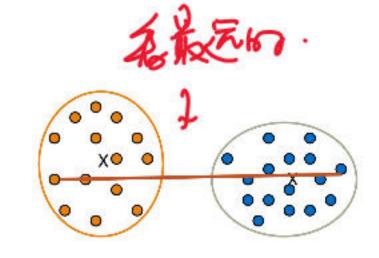


- Agglomerative clustering varies on different similarity measures among clusters
 - Single link (nearest neighbor)
- Average link (group average)
- Complete link (diameter)
- Centroid link (centroid similarity)

Single Link vs. Complete Link in Hierarchical Clustering

- □ Single link (nearest neighbor)
 - □ The similarity between two clusters is the similarity between their most similar (nearest neighbor) members
 - Local similarity-based: Emphasizing more on close regions, ignoring the overall structure of the cluster
 - Capable of clustering non-elliptical shaped group of objects
 - Sensitive to noise and outliers
- Complete link (diameter)
 - The similarity between two clusters is the similarity between their most dissimilar members
 - ☐ Merge two clusters to form one with the smallest diameter
 - Nonlocal in behavior, obtaining compact shaped clusters
 - Sensitive to outliers





Agglomerative Clustering: Average vs. Centroid Links

- □ Agglomerative clustering with average link → AMM ★ ...
 - Average link: The average distance between an element in one cluster and an element in the other (i.e., all pairs in two clusters)
 - Expensive to compute
- Agglomerative clustering with centroid link
 - Centroid link: The distance between the centroids of two clusters
- □ Group Averaged Agglomerative Clustering (GAAC) 考度ね事
 - □ Let two clusters C_a and C_b be merged into C_{aUb}. The new centroid is:
 - □ N_a is the cardinality of cluster C_a, and c_a is the centroid of C_a
 - ☐ The similarity measure for GAAC is the average of their distances
- Agglomerative clustering with Ward's criterion
 - Ward's criterion: The increase in the value of the SSE criterion for the clustering obtained by merging them into C_a U C_b : $W(C_{a\cup b}, c_{a\cup b}) W(C, c) = \frac{N_a N_b}{N_a + N_b} d(c_a, c_b)$

