
UNIVERSITY OF CALIFORNIA
SANTA CRUZ

A SUPER AWESOME TITLE OF EXCELLENT WORK

A dissertation submitted in partial satisfaction
of the requirements for the degree of

DOCTOR OF PHILOSOPHY

in

MATHEMATICS

by

Your name

June 2023

The Dissertation of Your name
is approved:

Professor Chair, Chair

Professor 1

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Peter Biehl
Vice Provost and Dean of Graduate Studies

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2023

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Abstract

A super awesome title of excellent work

by

Your name

This is abstract!

Yes. Abstract.

For whatever

Acknowledgements

Thanks

Part I.

Sample

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Chapter 1.

Sample Chapter

§ 1.1. Font

Fonts are in file `preamble/font`.

- Text use mainly PS Type 1 font based on Times. This is done by `newtxtext`.
- Math fonts: use package `newtxmath` and `mathalpha`. I minimize the package usage, for instance, no `amssymb` (as the symbols are already in `newtxmath`).

§ 1.2. Layout

Preambles for layout (in file `preamble/layout`):

- For page: use package `geometry`
- For header and footer: use package `scrlayer-scrpage`
- For line spacing: use package `setspace`

- For footnote^{***}: use package footmisc

§ 1.3. Sections

In file preamble/section.

- chapter prefix: true
- section prefix: §
- headings: font=standardclasses, size=normal

§ 1.4. Table and Figure

Here is a table:

cell1	cell2	cell3
cell4	cell5	cell6
cell7	cell8	cell9

Here ([Fig. 1.1](#)) is a figure:



Figure 1.1.: The banana slug

*This is one footnote

**This is another footnote.

§ 1.5. Math notations

Font families:

- ABC: *ABCDEFGHIJKLMNOPQRSTUVWXYZ*
- abc: *abcdefghijklmnopqrstuvwxyz*
- bold italic ABC: ***ABCDEFGHIJKLMNOPQRSTUVWXYZ***
- bold italic abc: ***abcdefghijklmnopqrstuvwxyz***
- bold ABC: **ABCDEFGHIJKLMNOPQRSTUVWXYZ**
- bold abc: **abcdefghijklmnopqrstuvwxyz**
- sans-serif ABC: *ABCDEFGHIJKLMNOPQRSTUVWXYZ*
- sans-serif abc: *abcdefghijklmnopqrstuvwxyz*
- blackboard bold ABC: *ABCDEFGHIJKLMNOPQRSTUVWXYZ*
- blackboard bold abc: *abcdefghijklmnopqrstuvwxyz*
- calligraphic ABC: *ABCDEFGHIJKLMNOPQRSTUVWXYZ*
- script ABC: *ABCDEFGHIJKLMNOPQRSTUVWXYZ*
- script abc: *abcdefghijklmnopqrstuvwxyz*
- fraktur ABC: *ABCDEFGHIJKLMNOPQRSTUVWXYZ*
- fraktur abc: *abcdefghijklmnopqrstuvwxyz*

See the effects of math font setting:

- numbers: 0123456789
- Greeks upper: $\Gamma, \Delta, \Xi, \Theta, \Lambda, \Pi, \Sigma, \Upsilon, \Phi, \Psi, \Omega$
- Greeks lower: $\alpha, \beta, \gamma, \delta, \epsilon, \zeta, \eta, \theta, \iota, \kappa, \lambda, \mu, \nu, \xi, \pi, \rho, \sigma, \tau, \upsilon, \phi, \chi, \psi, \omega$
- Greek var: $\Gamma, \Delta, \Theta, \Lambda, \Xi, \Pi, \Sigma, \Upsilon, \Phi, \Psi, \Omega, \varepsilon, \vartheta, \varpi, \varrho, \varsigma, \varphi$
- uvw v.s. nu omega: u, v, w, ν, ω
- yg f and rho: y, g, f, ρ
- special letters: $\aleph, \beth, \daleth, \beth, \delta, \mathfrak{J}, \mathfrak{K}, \iota, j, \mathfrak{l}, \mathfrak{j}, \ell, \hbar, \hbar, \wp, \lambda, \lambda, \mathfrak{z}, \mathbb{Z}$
- special notations: $\text{\AA}, \partial, \nabla, \infty, \forall, \exists, \sharp, \flat, \natural, \dagger, \ddagger, \mathbb{C}, \mathbb{U}, \emptyset, \odot$
- binary relations: $\in, \ni, \not\in, \subseteq, \supseteq, \subset, \supset, \subsetneq, \supsetneq, \triangleleft, \triangleright, \trianglelefteq, \trianglerighteq, \leq, \geq, \lessgtr, \ll, \gg, \langle, \rangle, \ltimes, \dashv$
- equivs: $\equiv, \cong, \sim, \approx, \asymp, \doteq, \coloneqq, \iff, ::$

Some macros:

- Delimiters: $\left| \frac{a}{y} \right|, \left\| \frac{a}{y} \right\|, \left\langle \frac{a}{y} \right\rangle, \left(\frac{a}{y} \right), \left[\frac{a}{y} \right], \left[\left[\frac{a}{y} \right] \right], \left\{ \frac{a}{y} \right\}, \left[\frac{a}{y} \right], \left[\frac{a}{y} \right], \left\langle \frac{a}{y} \right|, \left| \frac{a}{y} \right\rangle, :XYZ:$
- Sets: $\left\{ \left\langle express \right\rangle \left| \begin{array}{l} \text{condition 1,} \\ \text{condition 2} \end{array} \right. \right\}$ and $\langle\langle generators \rangle \mid \langle relations \rangle\rangle$
- Pairings: $\langle f \mid X \rangle, \langle f, X \rangle, (f, X).$
- Fun: $\text{Fun}_{sub}^{sup} \left(\frac{1}{2} \right), \mathbf{G}(R), \mathbf{Ab}, \mathcal{O}(U)$
- Notations: NZQRCEKTDWMAV01

- Notations: $|0\rangle, \mathbb{G}_m, \mathbb{G}_a, \mathcal{O}, o, \mathcal{O}, \mathbf{O}(x)$
- Supscript: $A^H A^T A^\perp A^\lrcorner A^\vee A^\times A^\circ$
- Accents: $\vec{u} \overrightarrow{AB} \overrightarrow{AB}_x \overline{AB} \widehat{AB} \widetilde{AB} \grave{x} \ddot{x} \tilde{x} \hat{x} \check{x} \breve{x} \acute{x} \hat{x}$

Test your macros (they are in `preambles/user-notations`):

- $\cong, A^\vee, A^{\text{op}}, \begin{bmatrix} a \\ b \end{bmatrix}, \mathbf{u}$
- $x_0, \cdots, x_n, x_0 + \cdots + x_n, x_0 \cdot \cdots \cdot x_n$
- $\mathcal{A}, {}^v\mathcal{A}, \mathcal{B}, {}^v\mathcal{B}, {}^v\mathbb{A}, {}^vC, {}^v\mathcal{F}, {}^v\Phi, {}^v\Sigma, {}^v\mathcal{H}, {}^vW, {}^v\alpha, {}^v\nu, {}^\top f, {}^vf, {}^vC, {}^vF, {}^vW, {}^vX, \mathcal{I}$
- $\mathrm{d}, \Delta, \Sigma, \longrightarrow, \longleftarrow$

§ 1.6. Math environments

Should be defined in `preambles/envs`

Theorem 1.6.1. *bla bla*

expression

Proof. bla

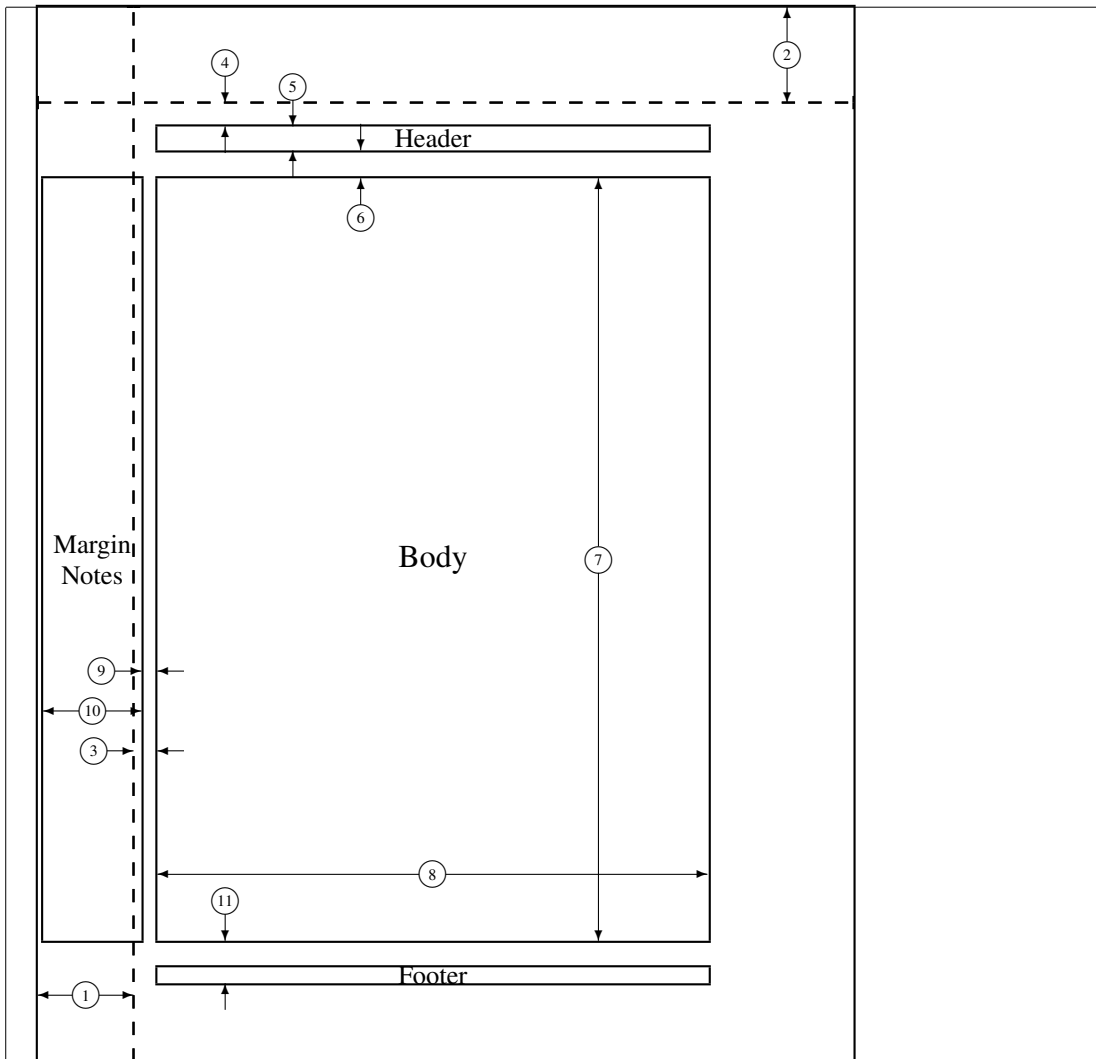
□

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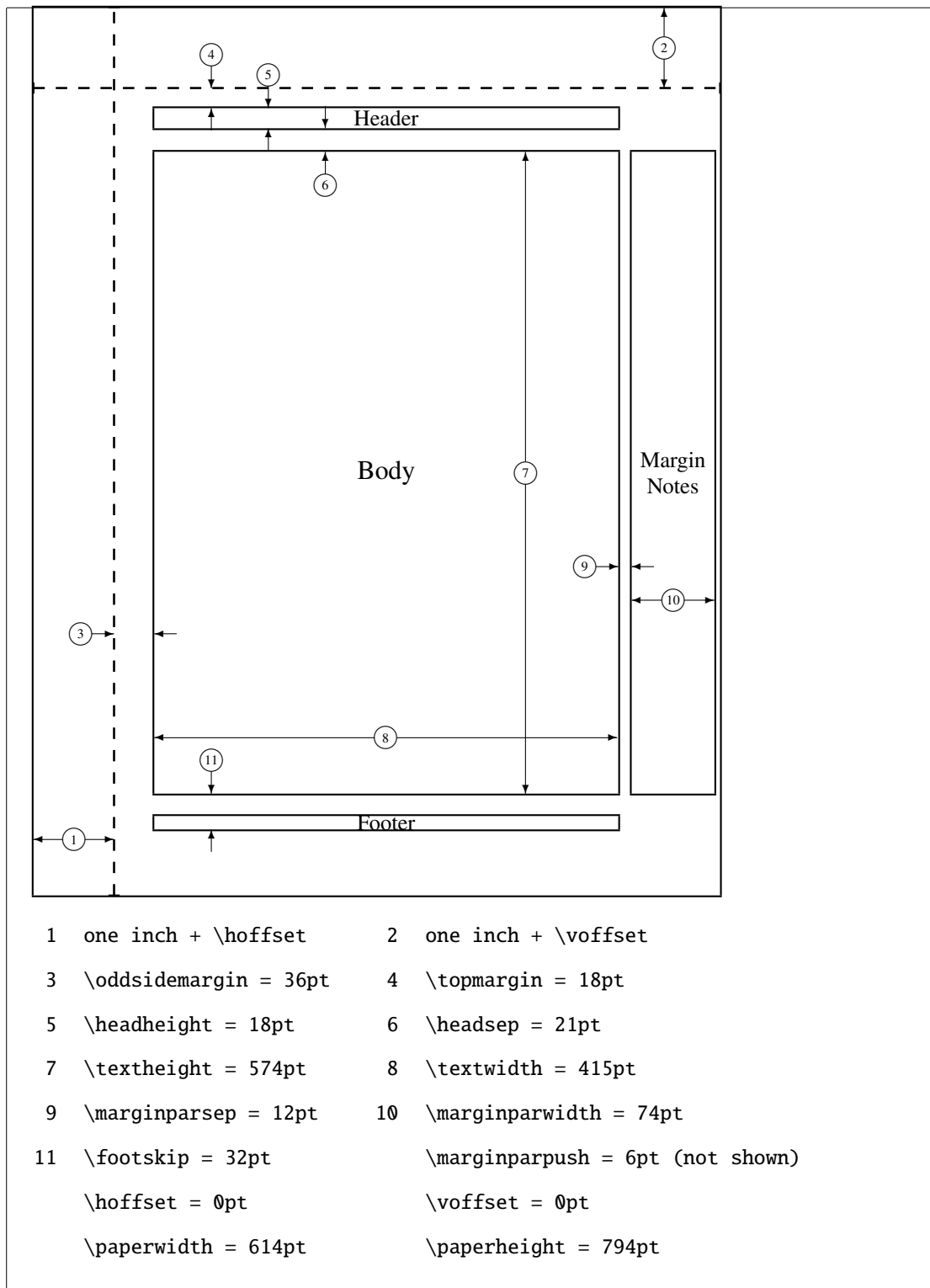
Appendix A.

Illustrate

§ A.1. The next pages show layout



- | | |
|--------------------------|----------------------------------|
| 1 one inch + \hoffset | 2 one inch + \voffset |
| 3 \evensidemargin = 18pt | 4 \topmargin = 18pt |
| 5 \headheight = 18pt | 6 \headsep = 21pt |
| 7 \textheight = 574pt | 8 \textwidth = 415pt |
| 9 \marginparsep = 12pt | 10 \marginparwidth = 74pt |
| 11 \footskip = 32pt | \marginparpush = 6pt (not shown) |
| \hoffset = 0pt | \voffset = 0pt |
| \paperwidth = 614pt | \paperheight = 794pt |



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