

[ Note:

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↳ We need canonical collection of LR(1) item

# CLR(1)

# LALR(1)

+ Canonical collection of LR(1) item = Canonical Collection of LR(0)  
+ lookahead

Ex:

$$S \rightarrow AA$$

$$A \rightarrow aA1b$$

Augmenting the grammar (& closure)

example:

$(\$)$  or  $(a1b)$

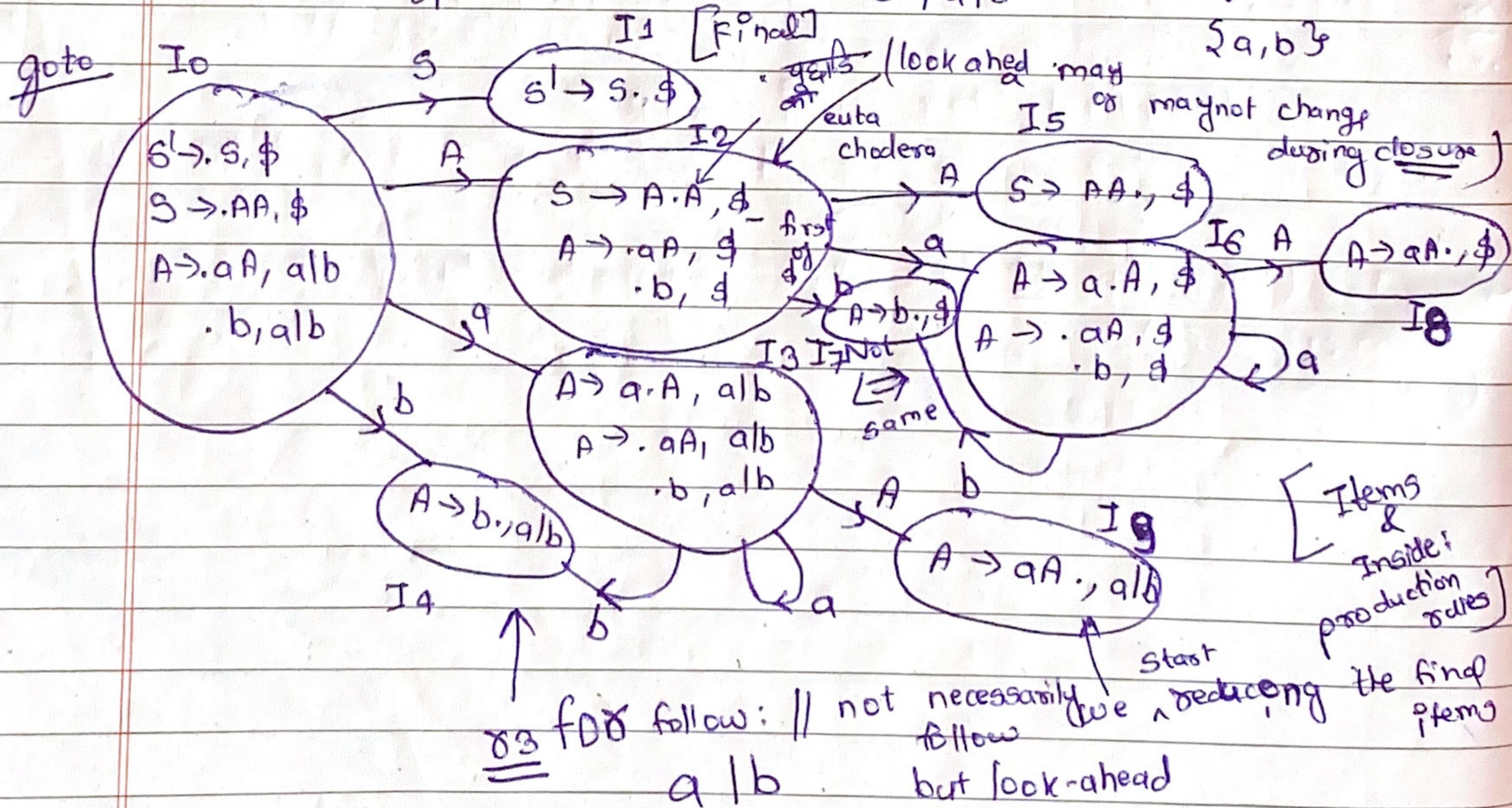
[lookahead remains same in goto operation]

$$S^1 \rightarrow .S, \$ \leftarrow \text{look-ahead} \quad (\text{only in CCLR}(1) \text{ item})$$

$$I_0 \Rightarrow S \rightarrow .AA, \$ \nearrow \text{first of } \$$$

$$A \rightarrow .aA, a1b \rightarrow \text{first of } A \$$$

$$\cdot b, a1b \downarrow$$



$LR(0) \rightarrow \tau_3$  for all  
 $SLR(1) \rightarrow \tau_3$  for FOLLOW  
 $CLR(1) \rightarrow \tau_3$  for Lookahead

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$S \rightarrow AA$  (81)

$A \rightarrow aA \mid b$  (82) (83)

# Parsing Table [CLR(1)]

Action Part

Goto Part

	Action			Goto	
	a	b	\$	S	A
0	$S_3 E_2$	$S_4$		1	2
1			Accept		
2	$S_6; S_{25}$	$S_7$			5
3	$S_3 E_2$	$S_4$			9
4	[83]	[83]			
5					
6	$S_6; S_{25}$	$S_7$			8
7				$\tau_3 / / A \rightarrow b. (S_3)$ on \$	
8				$\tau_2$	
g	$\tau_2$	$\tau_2$			

No difference

↳ Those states same [other than lookahead]

make  $S_3$  or  
 $S_6$  to  
 $S_{36}$

[Lookahead ma जाए  
(merging) // Union Operation  
on Items  $\Rightarrow$  #Final Exam.]

[New state]

[LALR(1)]

$I_3 \ I_6 \Rightarrow I_{36}$

$I_4 \ I_7 \Rightarrow I_{47}$

$I_8 \ I_9 \Rightarrow I_{89}$

### New LALR TABLE:

	Action			Goto	
	a	b	\$	S	A
0	$s_{36}$	$s_{47}$		1	2
1			Accept		
2	$s_{36}$	$s_{47}$			5
<del>w</del> → 36	$s_{36}$	$s_{47}$			89
$s_{36}$	• 47	• 73	$\tau_3$	$\tau_2$ (Added)	
v $s_{36}$	5			• 71	
- 36	$s_{36}$	$s_{47}$			89
• 47			$\tau_3$		
* 89			$\tau_2$		
* 89	$\tau_2$	$\tau_2$	(Added $\tau_2$ )		

# If there is conflict on Table it is like  $\frac{s_2}{s_3}$   
Then it is not LALR(1)

No. of states on CLR(1)  $\geq$  LALR(1)

(Union So; can be less)

## #Algorithm for Constructing SLR Parsing Table

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- 1) Given the grammar  $G$ , construct an augmented grammar  $G'$  by introducing a production of the form:  
 $s' \rightarrow s$ , where  $s$  is the start symbol of  $G$ .
- 2) Let  $I_0 = \text{closure}(\{s[s' \rightarrow s]\})$ . Starting from  $I_0$ , construct SLR DFA using closure and goto.
- 3) State ' $i$ ' is constructed from  $I_i^0$ . The parsing actions for state  $i$  are defined as follows:
  - (\*)  $\xleftarrow{a} \xrightarrow{\text{else}}$  If  $\text{goto}[I_i^0, A] = I_j^0$ , set action  $[i, a] = \text{shift}_j$ , here ' $a$ ' must be a terminal. (can be terminals or non-terminals)
  - b) If  $I_i^0$  has the production of the form  $A \rightarrow \alpha$ , then for all symbols  $a$  in  $\text{FOLLOW}(\alpha)$ , set action  $[i, a] = \text{reduce } A \rightarrow \alpha$ . Here,  $A$  should not be  $s'$ . (reduction no.  $m/n$  from Prod. Rule.)
  - c) If  $s' \rightarrow s_0$  is in  $I_i^0$ , then set action  $[i, \$] = \text{accept}$ .
- 4) For all blank entries, set entries to "error".
- 5) The start state  $S_0$  corresponding to  $I_0 = \text{closure}(\{s[s' \rightarrow s]\})$

Note:- The set of all items  $\{I_0, I_1, I_2, \dots, I_n\}$  computed for the grammar is called set of  $LR(0)$  items.

Or, canonical collection of  $LR(0)$  items.

- (\*)  $\Rightarrow$  If  $\text{goto}[I_i^0, A] = I_j^0$ , where ' $A$ ' is a non-terminal, then  $\text{goto}[i, A] = j$
- ex:  $[0, A] \rightarrow 1$  state  $ST \rightarrow ST$

# # Constructing Canonical LR(1) Parsing Table

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[CLR(1)]

- 1) Given the grammar  $G$ , construct an augmented grammar  $G'$  by introducing a production of the form  $S' \rightarrow S$ , where  $S$  is the start symbol of  $G$ .
- 2) Construct the set  $C = \{ I_0, I_1, \dots, I_n \}$  of LR(1) items.
- 3) If  $[A \rightarrow \alpha, a\beta, \underline{b}] \in I_i^o$  and  $\text{goto}(I_i^o, a) = I_j^o$  then set action  $[i, a] = \text{shift}_j$ .  $\downarrow$  lookahead
- 4) If  $[A \rightarrow \alpha, b] \in I_i^o$  then set action  $[i, b] = \text{reduce } A \rightarrow \alpha$  (apply only if  $A \neq S'$ )
- 5) If  $[S' \rightarrow S., \$] \in I_i^o$  then set action  $[i, \$] = \text{accept}$ .  $\uparrow$  look-ahead for ' $S'$  is  $\$$ .
- 6) If  $\text{goto}(I_i^o, A) = I_j^o$  then set goto  $[i, A] = j$ .  $\overset{\text{goto}}{=} \begin{matrix} \text{only number} \\ \text{for goto} \end{matrix}$   
(ex: 2 on  $A \rightarrow B$ )
- 7) Repeat 3 to 6 until no more entries added.
- 8) The initial state  $I$  is the  $I_0^o$  holding item  $[S' \rightarrow S_0, \$]$

SLR(1)  
 SLR  $\overset{\text{Lookahead symbol}}{\longrightarrow}$

## # Union Operation on Item // [for LALR(1)]

Given an item of the form  $[A \rightarrow \alpha. B\beta, a]$ , the first part (before comma) is called the "core" of the item.

Given two states of the form  $I_i^o = \{[A \rightarrow \alpha., a]\}$  and  $I_j^o = \{[A \rightarrow \alpha., b]\}$  the union of the states  $I_{ij}^o = I_i^o \cup I_j^o = \{[A \rightarrow \alpha., a/b]\}$ .  
(when "core" is same)

↪ If there is conflict on Parsing Table; then it is not LALR(1).

[Semantic Analyzer]

(meaning - का कोम गार्गता)  
ex: type checking

C.F.G + Semantic Action = S.D.T  
(Context-Free Grammar)

(Syntax Directed Translation)

→ We associate information with a programming language construct by attaching attributes to the grammar symbol. The values for attributes are computed by Semantic Rules associated with the grammar production. The way of associating attributes to each of the symbol in the grammar that provides us the order of translation is called S.D.T.

# Evaluation of these semantic rules may:

1) Generate intermediate code

2) Put information into the symbol table

3) Perform type-checking

4) Issue Error Message (can be in every phase of compiler)

# Symbol Table : information about keywords & token.

cond... A Syntax directed definition bind a set of semantic rules to productions. They are the high-level specifications for translation schemes. If is the generalization

of parse-tree where each terminal and non-terminal(s) has attributes associated to it whose values are determined by semantic rules. In other words, a Syntax-Directed Definition (S.D.D) is a generalization of a Context-Free Grammar in which:

- Each grammar symbol is associated with a set of attributes
- This set of attributes for a grammar symbol has 2 subsets called synthesized and inherited attributes.
- Each production rule is associated with a set of semantic rules.

Semantic Rules set up dependencies between attributes, which can be represented by a Dependency Graph. This Dependency Graph determines the Evaluation Order of these Semantic Rules.

If the value of attribute only depends upon its children, then it is called synthesized attribute. The Syntax-directed definition with only synthesized attribute is called S-attributed definition or S-attributed Grammar.

If the value of attribute depends upon its parent or sibling, then it is called inherited attribute. (parental stat.  
brother stat.  
sibling stat.)

A parse tree showing the value of attributes at each node is called annotated parse-tree. The process of computing the attribute values at the nodes is

called annotating (or decorating) of the parse-tree.

# Suppose a grammar:

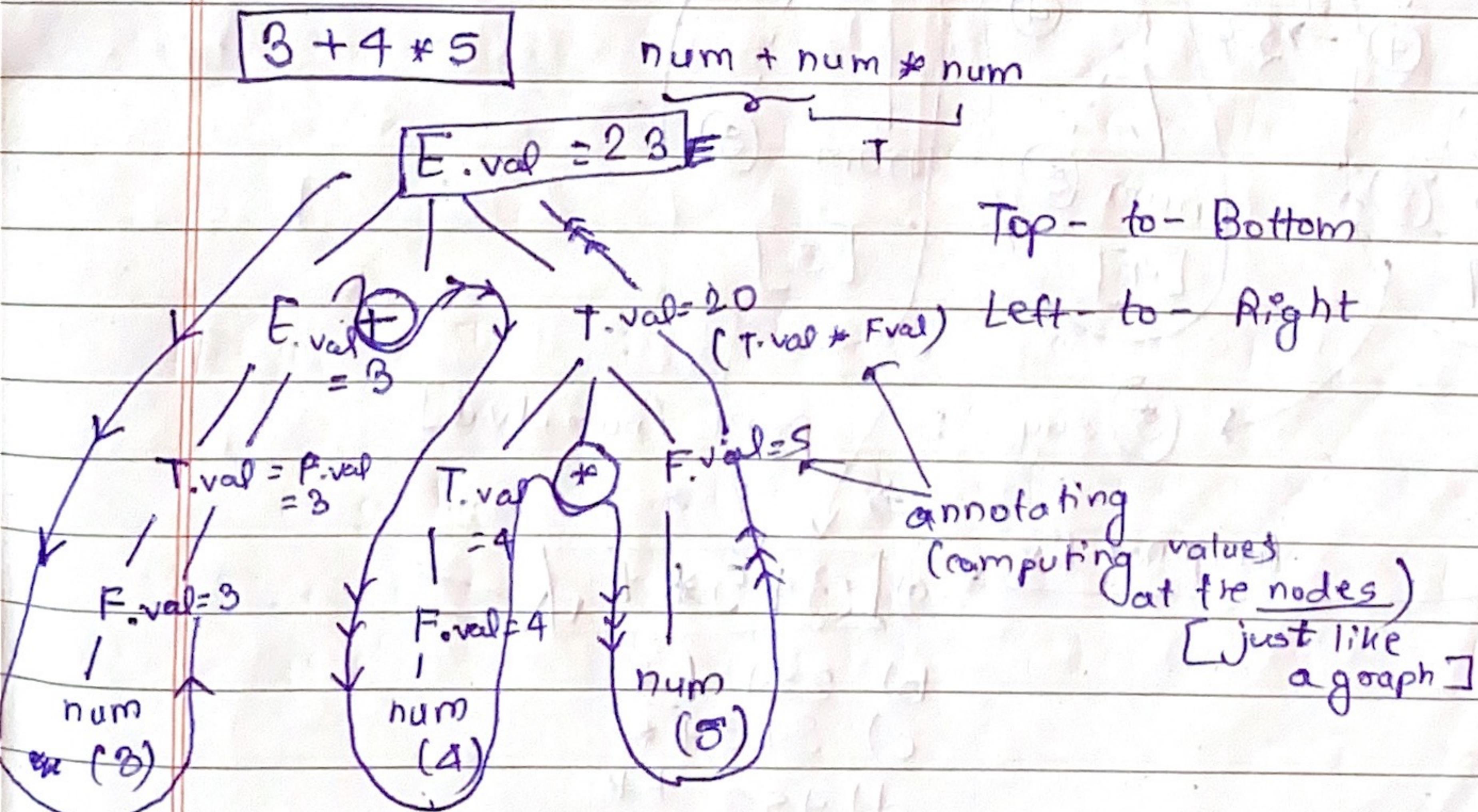
$$E \rightarrow E + T \quad \{ E.\text{val} = E.\text{val} + T.\text{val} \} \quad // \text{Grammar + Semantic Action}$$

| T      { Semantic-action associated  
        with this production rule.  
         $E.\text{val} = T.\text{val}$  }

$$T \rightarrow T * F \quad \{ T.\text{val} = T.\text{val} * F.\text{val} \}$$

$$| F \quad \{ T.\text{val} = F.\text{val} \}$$

$$F \rightarrow \text{num} \quad \{ F.\text{val} = \text{num.lexval} \}$$



# Suppose a grammar:

Semantic Action:

$$E \rightarrow E + T \quad | \quad \text{point } f ("+"); 3 \quad (1)$$

$$T \rightarrow T * F \quad | \quad \text{point } f ("*"); 3 \quad (2)$$

$$T \rightarrow T * F \quad | \quad \text{point } f ("*"); 3 \quad (3)$$

$$F \rightarrow \text{num} \quad | \quad \text{point } f (\text{num}.lval); 3 \quad (4)$$

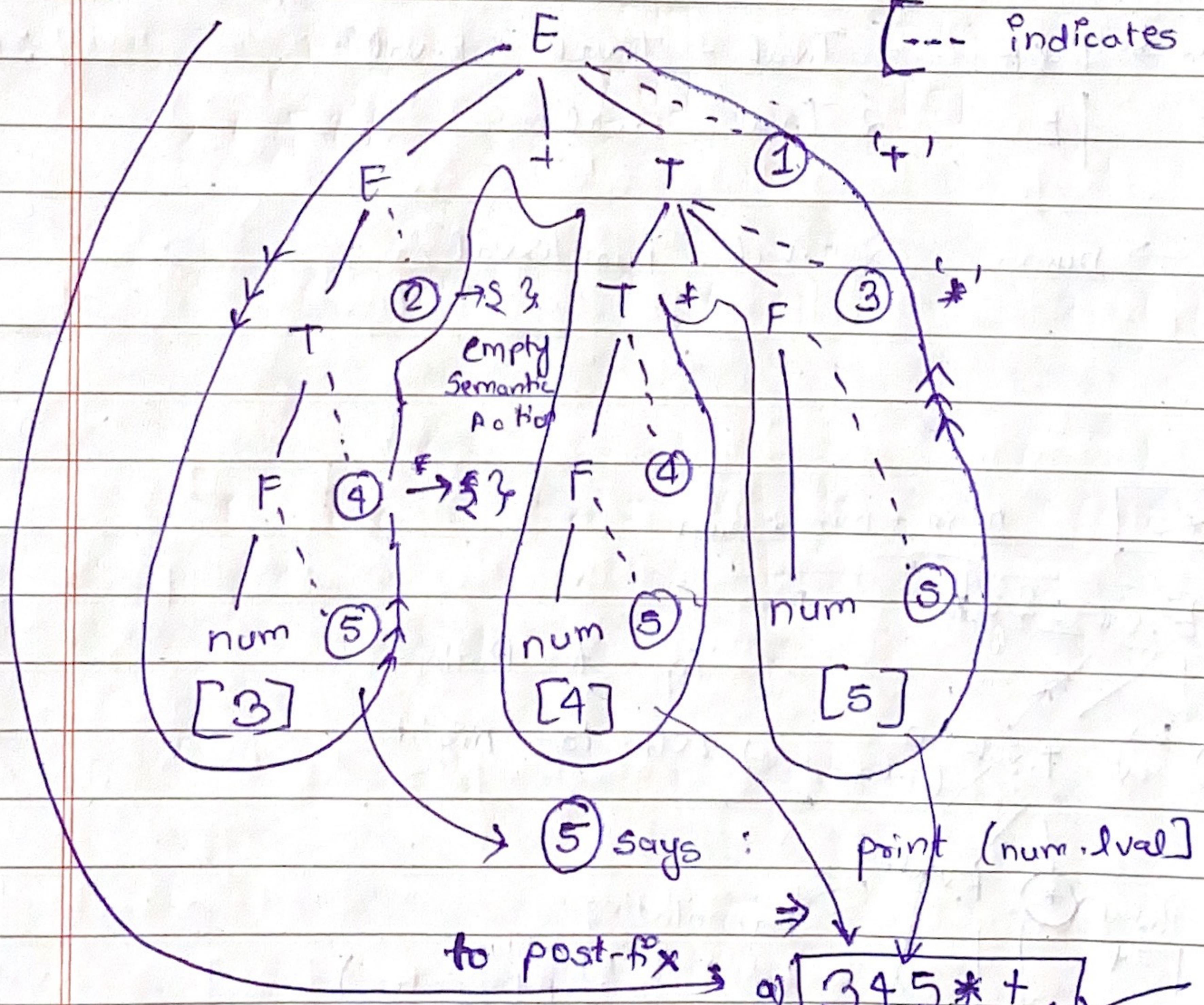
$$F \rightarrow \text{num} \quad | \quad \text{point } f (\text{num}.lval); 3 \quad (5)$$

[lexical value]

$\xrightarrow{\text{Postfix}}$

$3 + 4 * 5$

[--- indicates Semantic Action numbers]



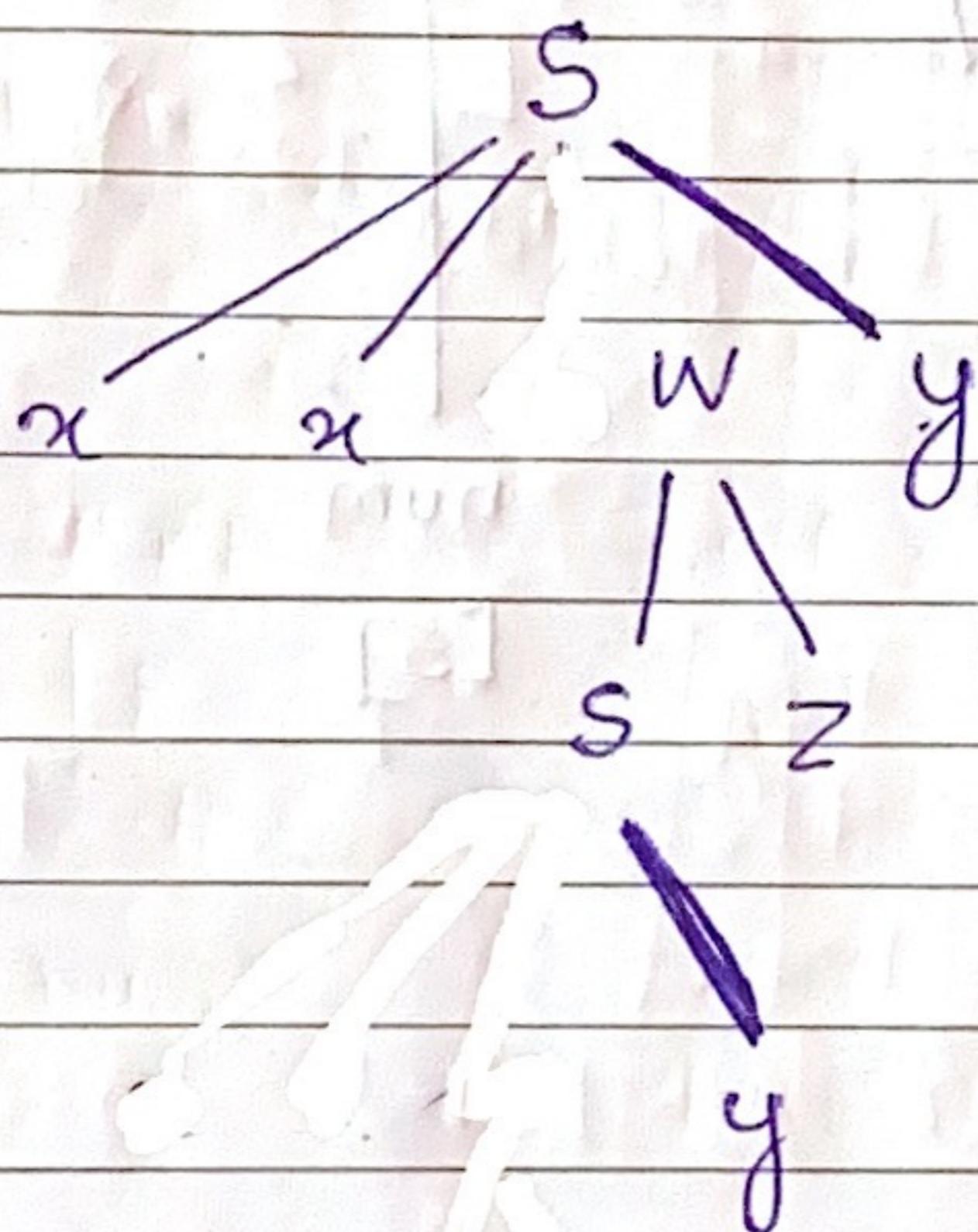
- a) 3 4 5 \* +  
b) 3 5 4 \* +  
c) 3 4 5 + \*  
d) 4 5 3 + \*

$S \rightarrow xx W$     ① S point f ('1'); {

  | y    ② S point f ('2'); {

$W \rightarrow Sz$     ③ S point f ('3'); {

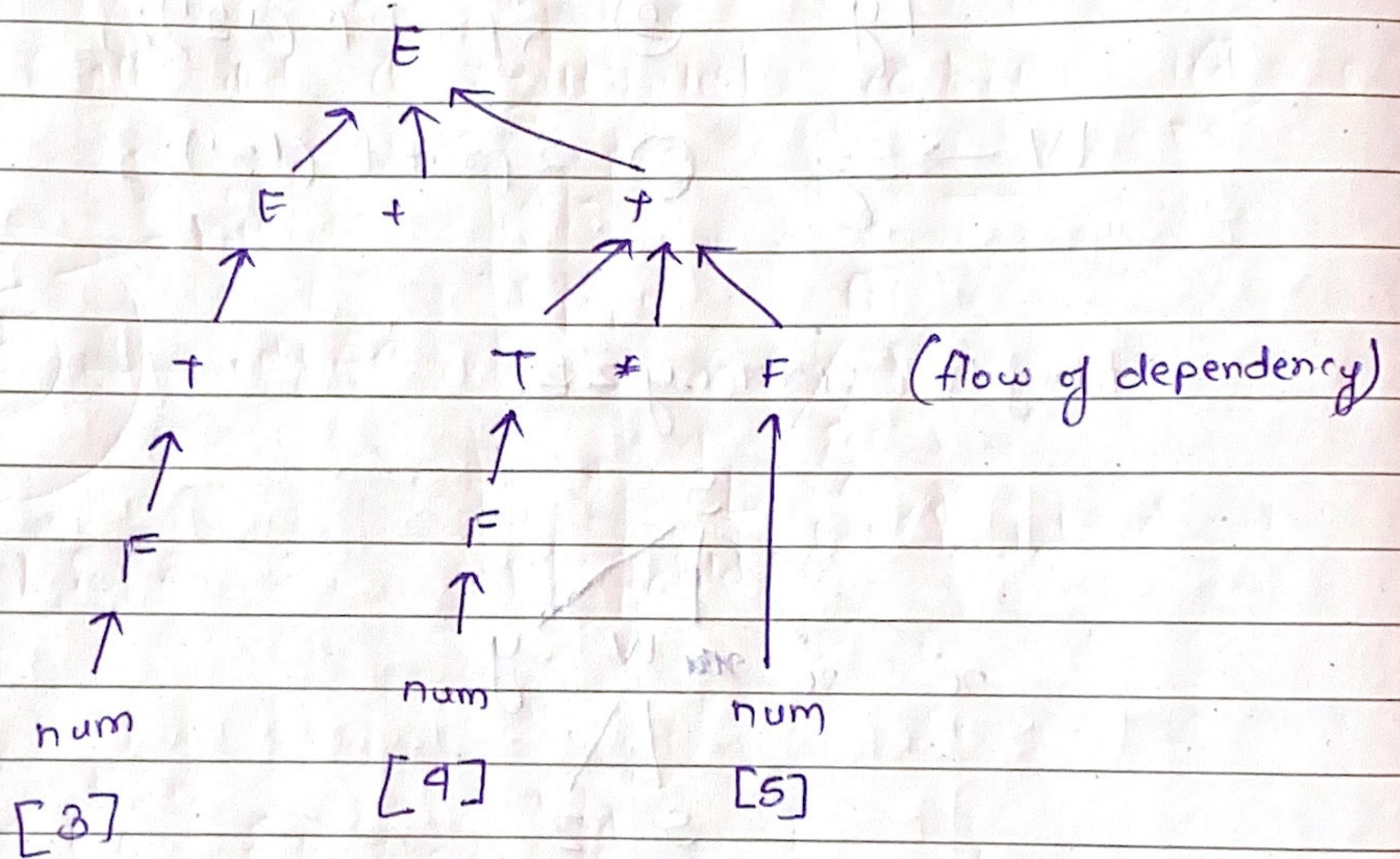
String is  $xxxxyyzz$



## # Dependency Graph :

↳ In Order to correctly evaluate the attribute of syntax-tree node, a dependency graph is useful. A dependency graph is a directed graph that consists

attributes as node and dependencies across attributes as edge.



## # Difference Between :

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### S-attributed SDT

1) Uses only synthesized attribute.

2) Semantic action are placed at right-end of production

$$A \rightarrow B c D \$ \}$$

3) Attributes are evaluated during bottom-up passing

### L-attributed SDT

1) Uses both inherited and synthesized attribute. Each inherited attribute is restricted to inherit either from parent or left-sibling only.

e.g.:  $A \rightarrow B C D$  (attributes can be derived from L.H.S; not R.H.S)

$\{ C.S = A.S, C.S = B.S, C.S = D.S \}$

✓ ✓ ✗  
C ko attribute (not possible)  
vaneko B ko  
attribute  
nunxaq

2) Semantic actions are placed anywhere on the R.H.S.

$$e.g. A \rightarrow \{ B c D \}$$

$$B \{ c D \}$$

$$B c \{ D \}$$

$$B c D \{ \}$$

→ curly bracket  
stt grammar stt  
(Grammar + Rule  
nijo lexheko)

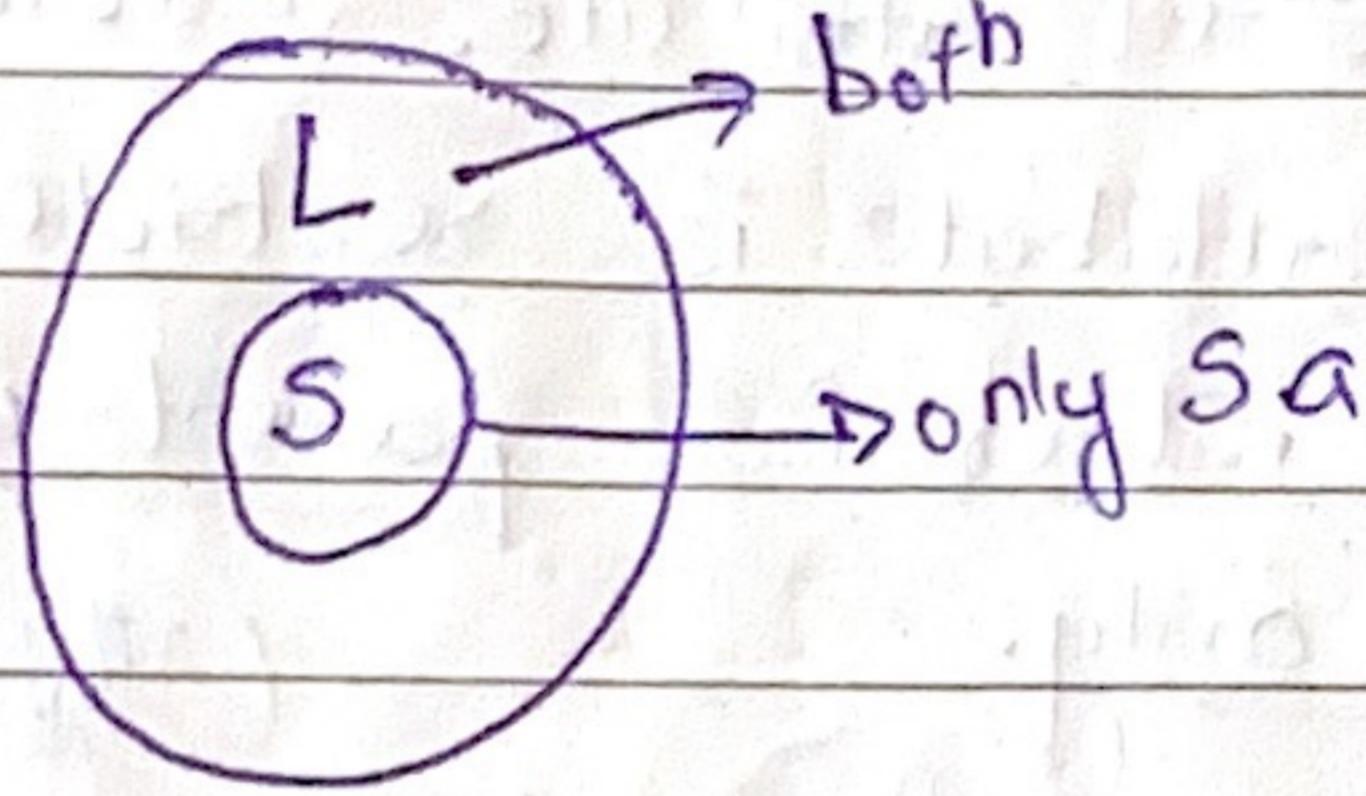
3) Attributes are evaluated by traversing parse-tree depth-first; left-right.

It is Inherited (to the left)

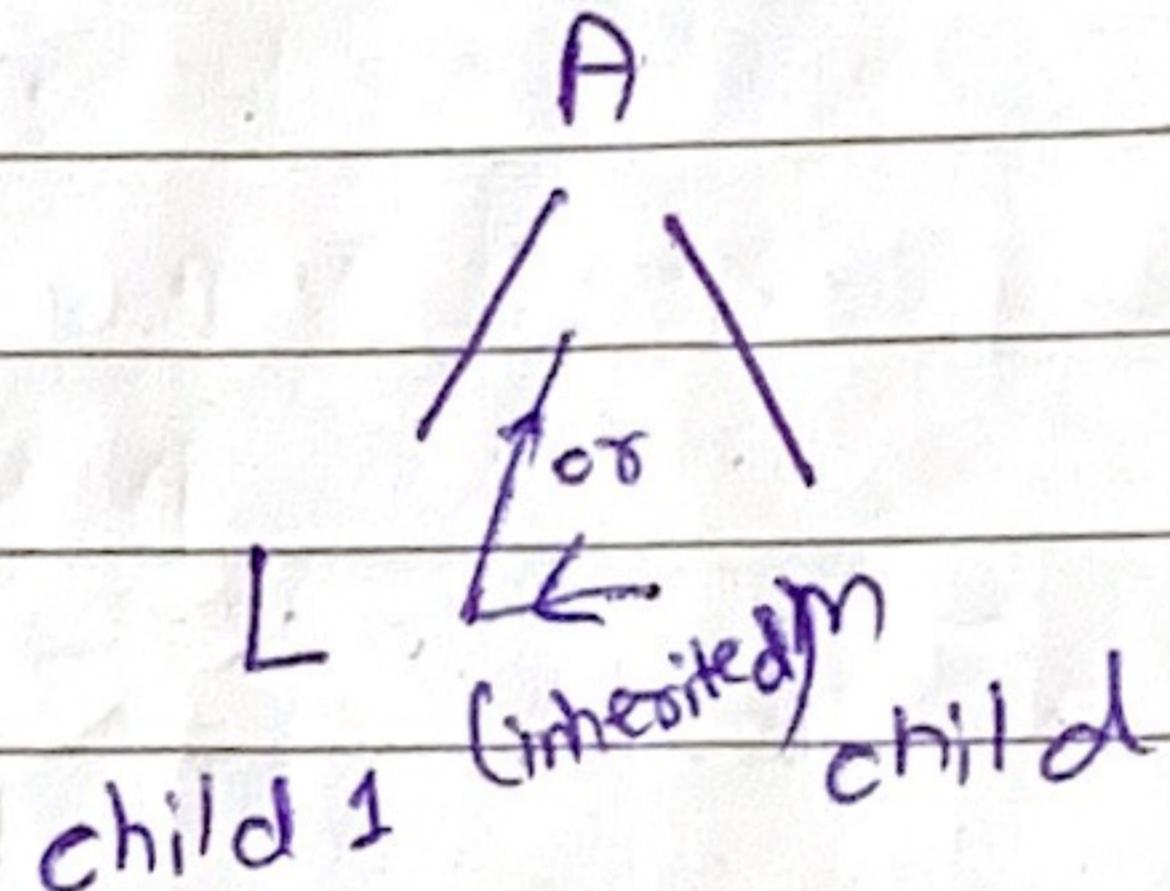
not synthesized

$$1) A \rightarrow LM \quad \{ L.i = f(A.i); M.i = f(L.s); A.s = f(m.s); \}$$

- (a) S-attributed    (b) L-attributed    (c) both    (d) none



Every L is S



$$2) A \rightarrow BC \quad \{ B.s = A.s \}$$

- (a) S-attributed    (b) L-attributed    (c) both    (d) none

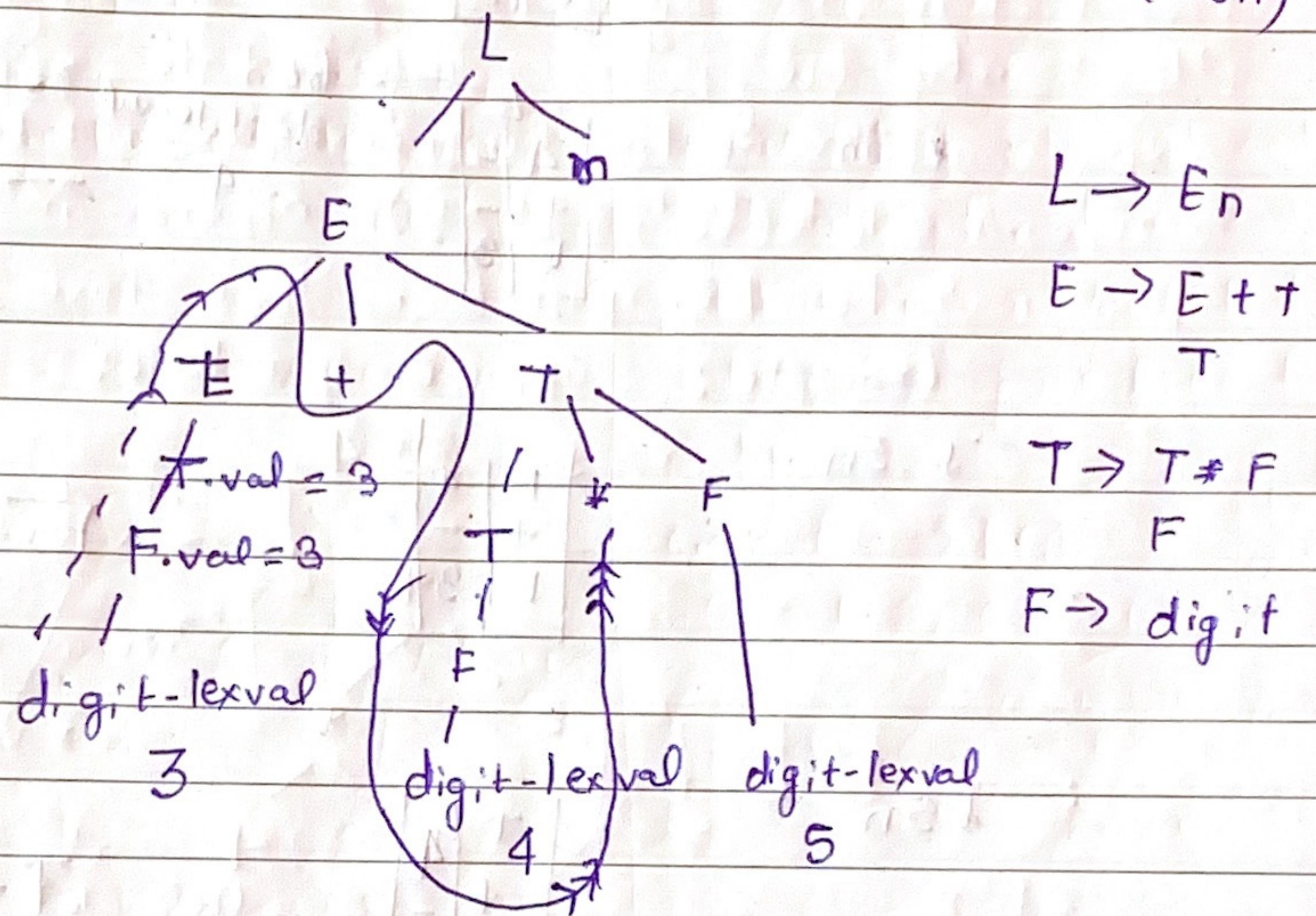
right sibling  
(none)

$$3) A \rightarrow QR \quad \{ R.i = f(A.i); Q.i = f(R.i); A.s = f(Q.s); \}$$

- (a) S-attributed    (b) L-attributed    (c) both    (d) none

Imp #

Bottom-up evaluation of S-attributed definition (stack implementation)



Input

$3 + 4 * 5 n$

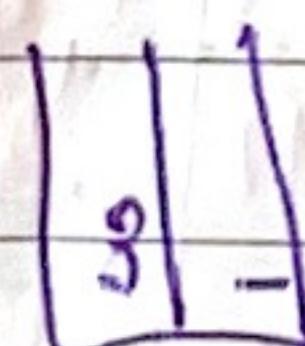
Stack

-

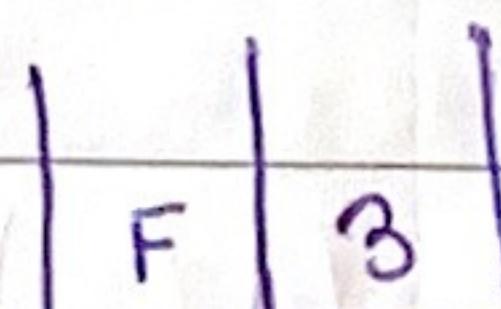
Production

-

$+ 4 * 5 n$

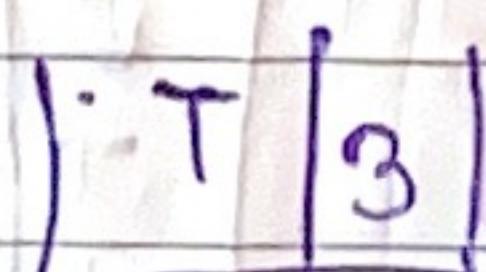


$+ 4 * 5 n$



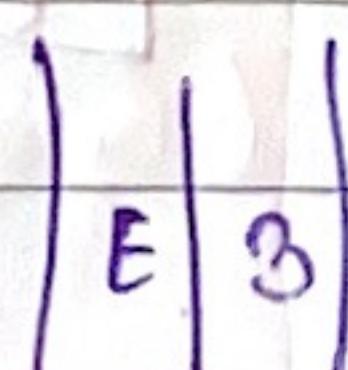
$F \rightarrow \text{digit}$

$+ 4 * 5 n$



$T \rightarrow F$

$+ 4 * 5 n$



$E \rightarrow T$

$4 \rightarrow 5n$

+	-
E	3



$\# 5n$

4	-
+	-
E	3

from  
digit.level  
= 4



$\# 5n$

F	4
+	-
E	3

$F \rightarrow \text{digit}$

$\# 5n$

T	4
+	-
E	3

$T \rightarrow F$

$5n$

*	-
T	4
+	-
E	3



$6n$

S	-
*	-
T	4
+	-
E	3

F	5	1
*	-	
T	4	
+	-	
E	3	

$F \rightarrow \text{digit}$

T	0	0
*	X	
*	X	
+	-	
E	3	

$T \rightarrow T \cdot \text{digit} * F \cdot \text{digit}$   
 $(T * F)$

E	2	3
---	---	---

$E \rightarrow F + T$

n	-	
E	2	3

L	2	3
n		

$L \rightarrow E \times n$

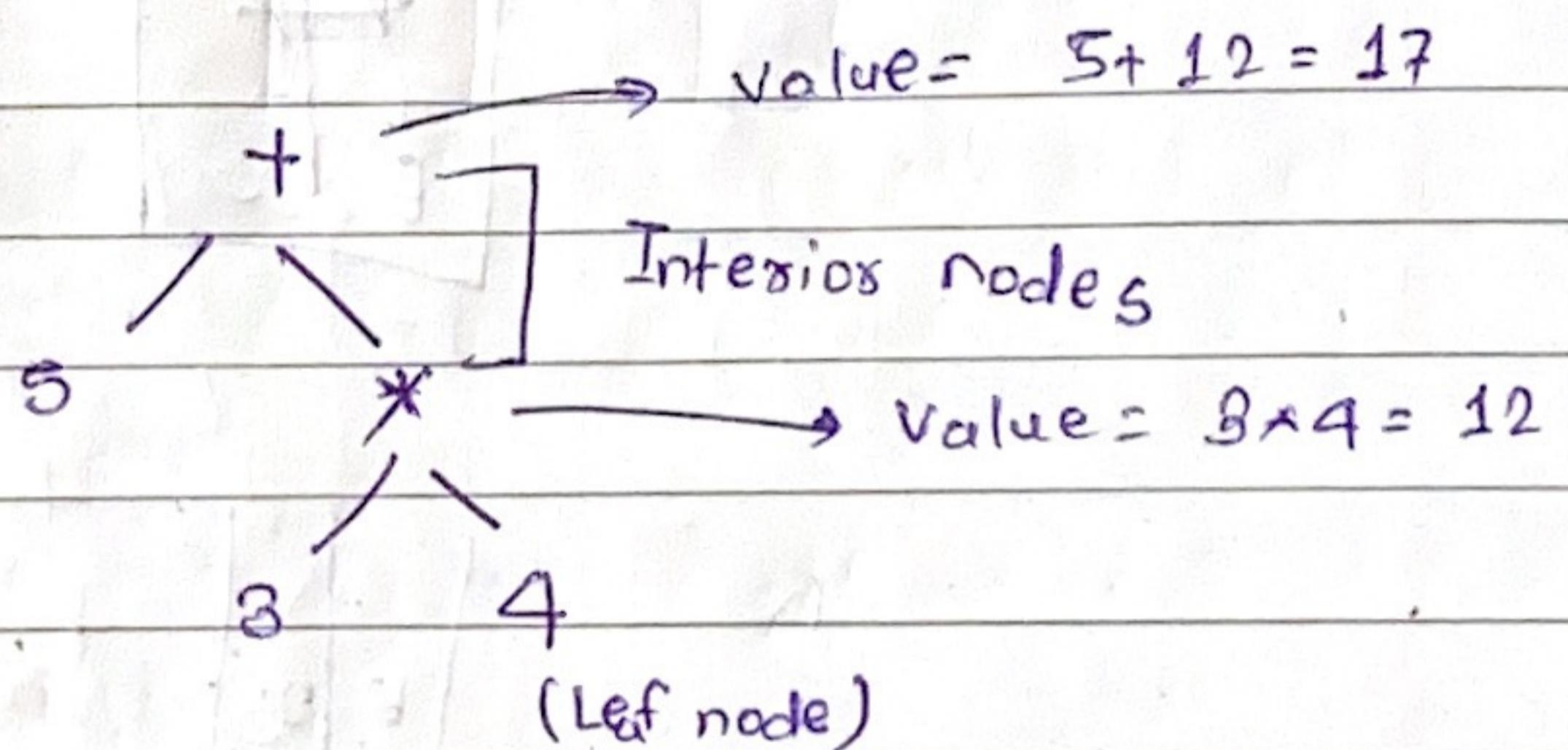
## # Construction of Syntax Tree

The syntax-directed definition can be used to specify the construction of syntax-tree and other graphical representation.

The syntax tree is an intermediate representation of an expression. In Syntax tree, operators and keywords do not appear as leaves and they appear in the interior nodes that will be the parent of those leaves in the parse-tree.

Example : Suppose you have:

$$5 + 3 * 4$$



The syntax directed definition to create a parse tree for the expression must execute the implementation of the following function:

1) make node (op, left, right) :- to create an operator node with label op and two field containing pointers left and right.

2) make leaf (id, entry) :- create an identifier node with label id and a field containing entry; a pointer to the symbol table entry for that id.

3) make leaf (num, val) : create a node with

label num and a field containing val; the value of the number.

Consider the following grammar with associated semantic rules. Production Rules:

$$E \rightarrow E_1 + T \quad E.\text{val} = E_1.\text{val} + T.\text{val}$$

$$E \rightarrow E_1 - T \quad E.\text{val} = E_1.\text{val} - T.\text{val}$$

$$E \rightarrow T \quad E.\text{val} = T.\text{val}$$

$$T \rightarrow (E) \quad T.\text{val} = E.\text{val}$$

$$T \rightarrow \text{id} \quad T.\text{val} = \text{id}.\text{entry}$$

$$T \rightarrow \text{num} \quad T.\text{val} = \text{num}.\text{val}$$

The construction of Syntax-tree using these rules is as follows:

### Production

$$E \rightarrow E_1 + T$$

### Semantic Rules

$$E.\text{ptr} = \text{makenode}('+' , E_1.\text{ptr}, T.\text{ptr})$$

(from 1) makenode  
(op, left, right)

$$E \rightarrow E_1 - T$$

$$E.\text{ptr} = \text{makenode}('-', E_1.\text{ptr}, T.\text{ptr})$$

$$E \rightarrow T$$

$$E.\text{ptr} = T.\text{ptr}$$

$$T \rightarrow (E)$$

$$T.\text{ptr} = E.\text{ptr}$$

$$T \rightarrow \text{id}$$

$$T.\text{ptr} = \text{makeleaf}(\text{id}, \text{entry})$$

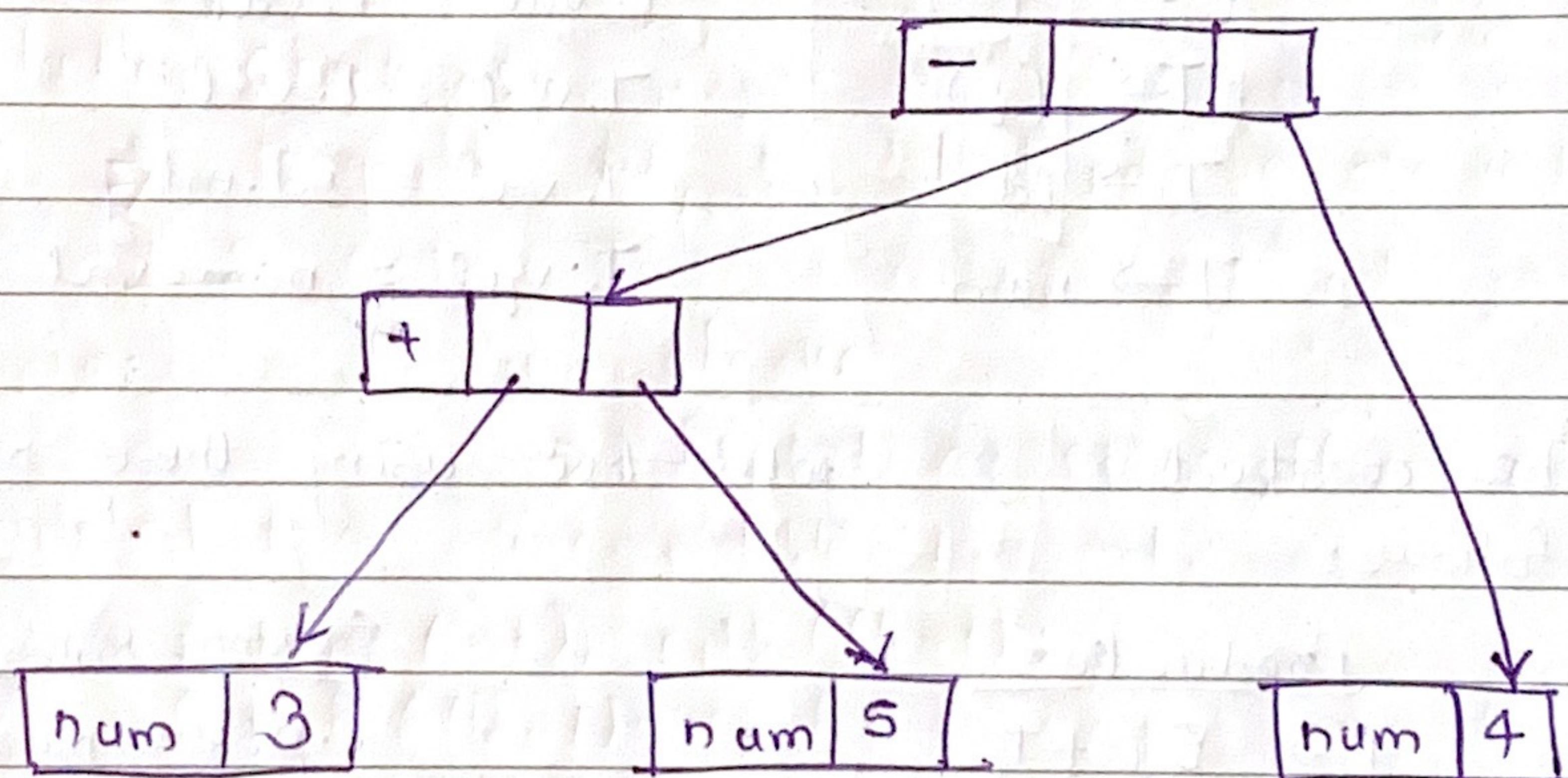
$$T \rightarrow \text{num}$$

$$T.\text{ptr} = \text{makeleaf}(\text{num}, \text{num}, \text{val})$$

So, for the expression : 3+5-4 Sequence of execution for the creation of syntax tree is :

$3 + 5 - 4$

- 1)  $P_1 = \text{makeleaf}(\text{num}, 3)$
- 2)  $P_2 = \text{makeleaf}(\text{num}, 5)$
- 3)  $P_3 = \text{makeleaf}(\text{num}, 4)$
- 4)  $P_4 = \text{makenode}('+', P_1, P_2)$
- 5)  $P_5 = \text{makenode}('-', P_4, P_3)$



## Directed Acyclic Graph (D.A.G)

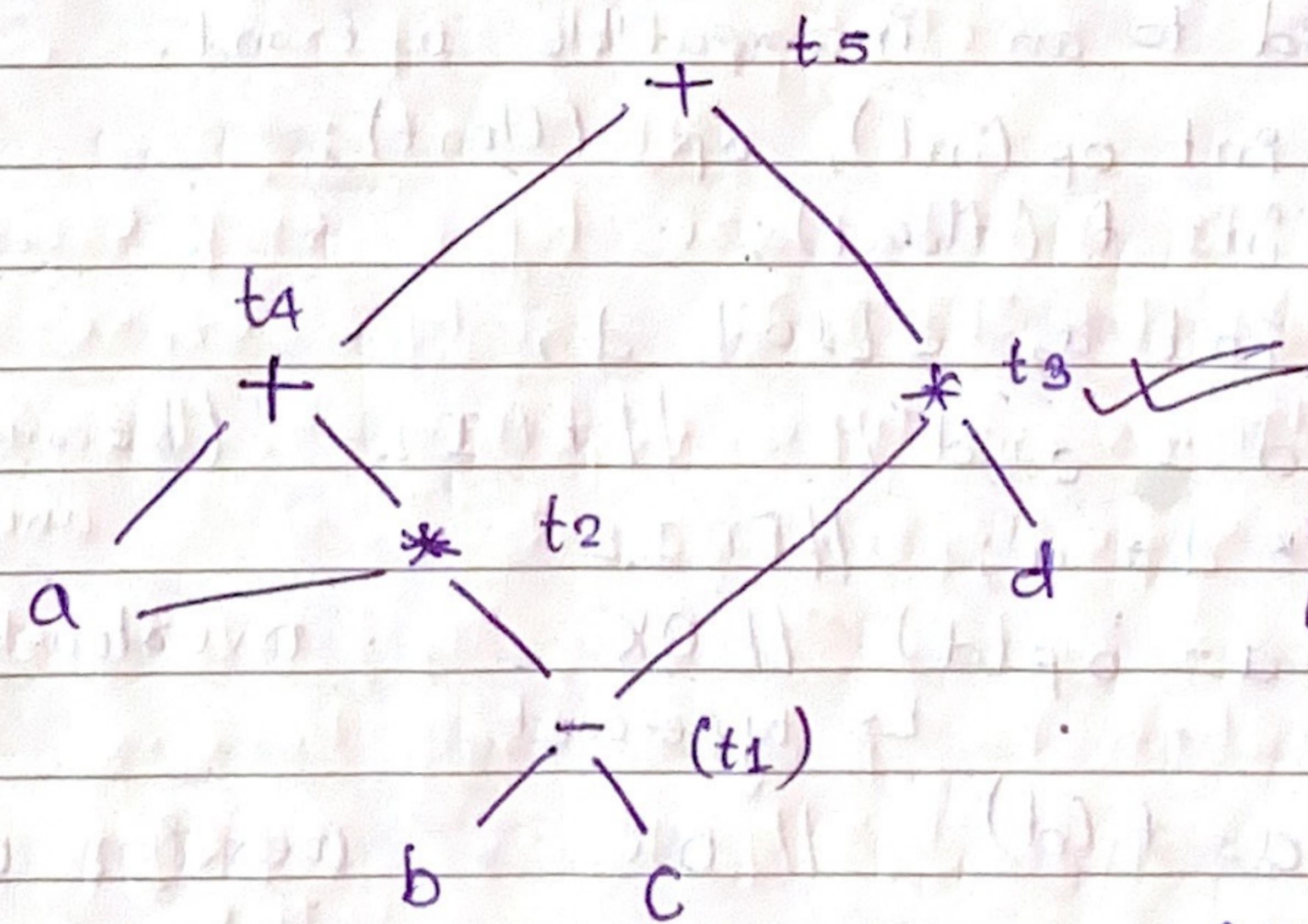
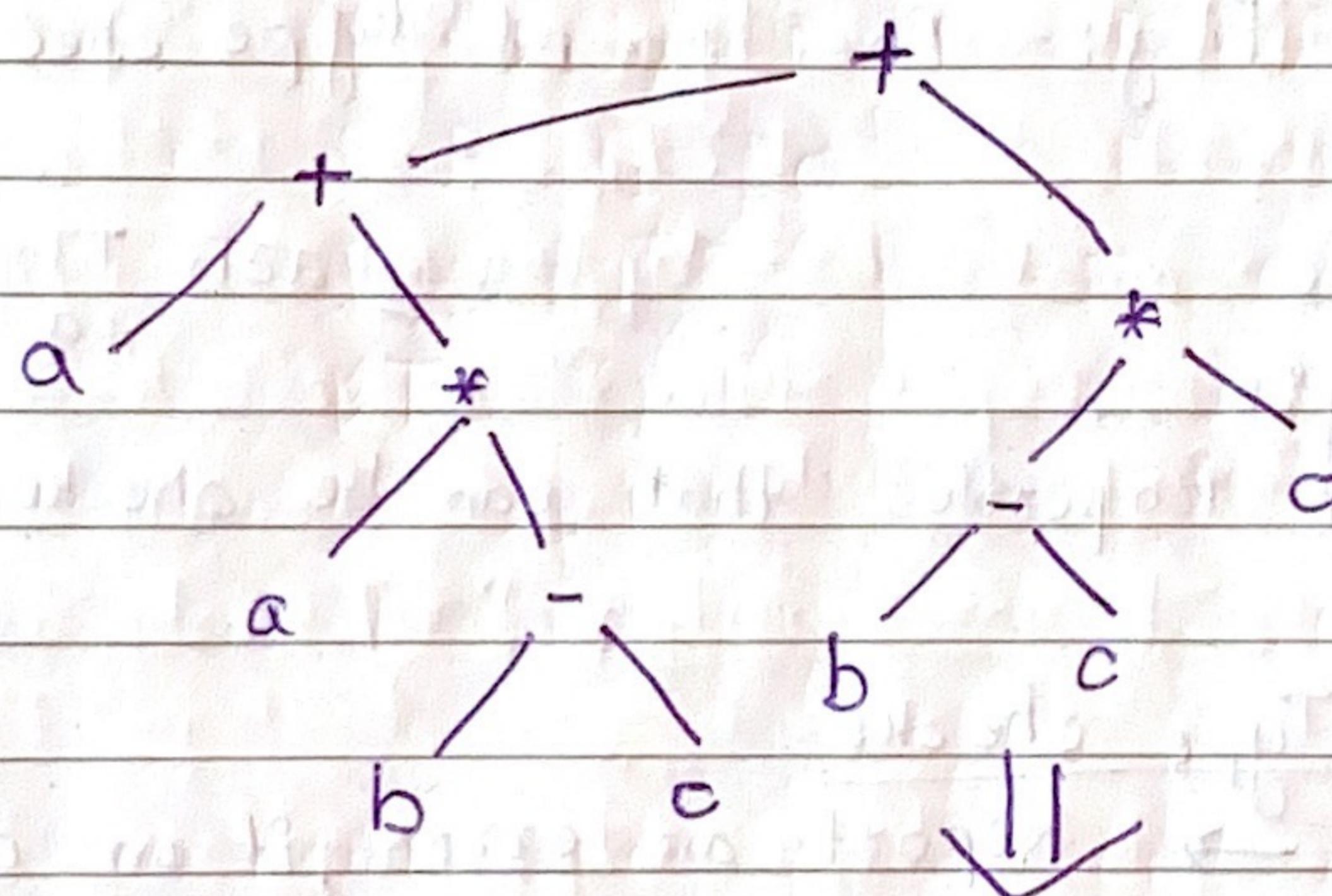
⇒ A directed acyclic graph (DAG) for an expression identifies the common sub-expression in the expression.

The only difference between syntax tree and DAG is that a node representing common sub expression has more than one parent in the syntax-tree.

Example:

Construct Syntax-tree and D.A.G for the following expression.

$$a + a * (b - c) + (b - c) * d$$



[D.A.G]

(t1 x a vane  
t2 use  
garega)

Three-Address code

$$a + a * (b - c) + (b - c) * d$$

$$t_1 = b - c$$

$$t_2 = a * t_1$$

$$t_3 = t_1 * d$$

$$t_4 = a + t_2$$

$$t_5 = t_4 + t_3$$

$b' \setminus^{t_1}$  (यहाँ है बलनु पर्याप्ती मापी को D.A.G जड़ा)

## Type - Checking :-

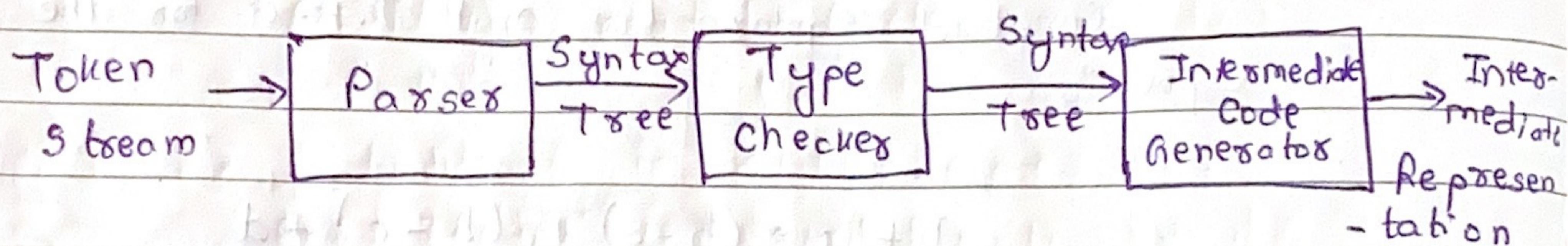


Fig:- Position of type checker.

Static Checking:-

⇒ Program properties that can be checked at compile-time.

# Example:

1) Type checks

→ Report an error; if an operator is applied to an incompatible operand.

int op(int), op (float);

int f (float);

int a, c[10], d;

a = f

d = c + d; // FAIL (because one is array-c[10] another is integer-d)

\* d = a; // FAIL

a = op(d) // OK

↳ type-cast

Overloading (C++)

a = f(d) // OK

coersion of d to float

2) Flow of control checks

⇒ myfuncn (int a)

{

cout << a;

3 break; // Error (tetrikai break gareko vayera)

my func()

{ ...

switch(a) {

{

case 0:

...

break; //ok

case 1:

...

}

my func()

{ ...

while(a) {

{

if (i > 10)

break; //ok

...

}

### 3) Uniqueness Checks

⇒ my func()

{

int i, j, k; // ERROR

}

### 4) Name-related checks

my func()

{

int i, j;

}

my func1() // Error

basic type  $\rightarrow$  primitive type

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Page \_\_\_\_\_  
jasko type agadi declare Vaisakha.

## Type Expression

$\Rightarrow$  1) A basic-type is a type expression:

Ex: integer, char, real etc

2) A type name is a type expression:

Ex: If 'int' is named by a variable 'x', then  
 $x$  is a ~~var~~ type expression.

3) A type constructor applied to a type expression  
is a type expression. The constructors include:  
array, product, pointer, function or record

Ex:  $T$  array of type  $[+]$  or array  $[I, T]$  is

a type expression with  $I$  elements  
of type  $T$ .

ii

$\rightarrow$  If  $T_1$  and  $T_2$  are type expression then cartesian  
product  $T_1 \times T_2$  is type expression - product.

$\rightarrow$  If  $T$  is a type expression, then pointer ( $T$ ) is  
type expression.

$\rightarrow$  Function in programming language is a mapping of  
domain type  $D$  to a range  $E_T$ .

Ex. Example:

$\Rightarrow$   $\text{int} \times \text{int} \rightarrow \text{pointer}(\text{char})$  denotes a funcn that  
takes a pair of integers and returns a pointer  
to characters.

$\rightarrow$  A record is a structure type

## \* Type checking of an expression

$E \rightarrow id \quad \text{S } E.\text{type} = \text{lookup}(id, \text{entry})$

$E \rightarrow \text{literal} \quad \text{S } E.\text{type} = \text{char}$

$E \rightarrow \text{int literal} \quad \text{S } E.\text{type} = \text{int}$

$E \rightarrow \text{real literal} \quad \text{S } E.\text{type} = \text{real}$

$E \rightarrow E_1 + E_2 \quad \text{S if } (E_1.\text{type} = \underline{\text{int}} \text{ and } E_2.\text{type} = \underline{\text{int}})$   
then  $E.\text{type} = \underline{\text{int}}$

else if  $(E_1.\text{type} = \underline{\text{int}} \text{ and } E_2.\text{type} = \underline{\text{real}})$   
then  $E.\text{type} = \underline{\text{real}}$

else if  $(E_1.\text{type} = \underline{\text{real}} \text{ and } E_2.\text{type} = \underline{\text{int}})$   
then  $E.\text{type} = \underline{\text{real}}$

elseif  $(E_1.\text{type} = \underline{\text{real}} \text{ and } E_2.\text{type} = \underline{\text{real}})$   
then  $E.\text{type} = \underline{\text{real}}$

else  $E.\text{type} = \underline{\text{type\_error}}$

$E \rightarrow E_1 [E_2] \quad \text{S if } (E_2.\text{type} = \underline{\text{int}} \text{ and } E_1.\text{type} = \text{array}(s, t))$

then  $E.\text{type} = t$

else

$E.\text{type} = \underline{\text{type\_error}}$

Array of size  $\underline{s}$

and type  $\underline{t}$ .

$E \rightarrow * E_1 \quad \text{S if } (E_1.\text{type} = \text{pointer}(t) \text{ then } E.\text{type} = t)$

else  $E.\text{type} = \underline{\text{type\_error}}$

$\underline{\text{int, a[50]}}$

$\hookrightarrow a[50, \underline{\text{int}}]$   
(same)  
size

A simple language type checking specification

$E \rightarrow \text{true}$      $\{ E.\text{type} = \text{boolean} \}$

$E \rightarrow \text{false}$      $\{ E.\text{type} = \text{boolean} \}$

$E \rightarrow \text{literal}$      $\{ E.\text{type} = \text{char} \}$

$E \rightarrow \text{num}$      $\{ E.\text{type} = \text{integer} \}$

$E \rightarrow \text{id}$      $\{ E.\text{type} = \text{lookup}(\text{id.entry}) \}$

$E \rightarrow E_1 + E_2$      $\{ E.\text{type} : = \text{if } E_1.\text{type} = \text{integer}$   
and  $E_2.\text{type} = \text{integer}$

then integer

else type-error

$E \rightarrow E_1 + E_2$      $\{ E.\text{type} : = \text{if } E_1.\text{type} = \text{boolean}$  and  
 $E_2.\text{type} = \text{boolean}$  then boolean  
else type-error

(2 ac. same  
numu paryo)

Eg.

$T \rightarrow \text{int}$      $\{ T.\text{type} = \text{int} \}$

$T \rightarrow \text{char}$      $\{ T.\text{type} = \text{char} \}$

$T \rightarrow \text{real}$      $\{ T.\text{type} = \text{real} \}$

$T \rightarrow \text{array} [ \text{intnum}, T_1 ]$      $\{ T.\text{type} = \text{array} [ \text{intnum}, T_1.\text{type} ] \}$

$T \rightarrow \text{pointer}(T_1)$      $\{ T.\text{type} = \text{pointer}(T_1.\text{type}) \}$

V.V. Impf#

Q. Type-checking expression of an array of pointers to real, where array index ranges from 1 to 100.

$T \rightarrow \text{real} \quad \{ T.\text{type} = \text{real} \}$

$E \rightarrow \text{array}[100, T] \quad \{ \text{if } T.\text{type} = \text{real}$

then

$E.\text{type} = \text{array}(1 \dots 100, \text{real})$

else type-error()

$E \rightarrow \text{pointer}[E_1]$

$\{ \text{if } (E_1.\text{type} = \text{array}(100, \text{real}))$

then  $E.\text{type} = E_1.\text{type}$

else  $E.\text{type} = \text{type-error}$

Type checking expression of a statement

(cuz there's no return type here)

# Assignment statement:

$S \rightarrow \text{id} = E \quad \{ \text{if } (\text{id}.\text{type} = E.\text{type}) \text{ then } S.\text{type} = \text{void}$

else,  $S.\text{type} = \text{type-error}$

If then else statement

$S \rightarrow \text{if } E \text{ then } S_1 \quad \{ \text{if } (E.\text{type} = \text{boolean}) \text{ then }$

$S.\text{type} = S_1.\text{type}$  else  $S.\text{type} = \text{type-error}$

while statement

$S \rightarrow \text{while } E \text{ do } S_1 \quad \text{if } (E\text{-type} = \text{boolean})$   
 then  $S\text{-type} = S_1\text{-type}$

implicit - done by  
compiler  
(Python)

Type Conversion and Coercion

→ Type Conversion is explicit (defined by the programmer / typecast)

(C++ Ex:  
integer  
define)

→ Type Coercion is implicitly performed by

the compiler.

④ Equivalence of the type expression:

( 2 ad expression  
nati khesa equal  
vanda khesi  
parameter eutai )

vayo vaney:

→ Argument ko type

add (int, float)

sum (int, float) )

# Symbol Table

Date \_\_\_\_\_

Page \_\_\_\_\_

(Interact At every phase of compiler)

## # Symbol Table:

→ Compiler creates and maintains symbol table to keep detail about the following:

⇒ Variables, names, function names, objects, classes, interfaces, etc.

1 ⇒ Symbol Table is used for analysis and synthesis.

2 ⇒ It helps to determine Scope resolution.

3 ⇒ It helps to determine whether a variable is defined already or not.

4 ⇒ To add a new name to the table

5 ⇒ To access information associated with a given name

6 ⇒ To add new information with a given name

7 ⇒ To delete a name or group of names from the table

8 ⇒ Type-checking for semantic correctness determination.

Data Structures used for

#Data Structure used for implementation of  
Symbol Table:

1. Binary Search Tree
2. Hash Table
3. Linear List

Examples:

int var1;

int procA()

2

int var2, var3;

3

int var4, var5;

4

int var6;

5

int var7, var8;

6

int procB()

7

int var9, var10;

5

int var 11, var 12;

...

3

int var 13;

3

### Symbol Table (Global)

name	type	→
var 1	var	int
proc A	proc	int
proc B	proc	int

### Symbol Table:

proc A

var 2	var	int
var 3	var	int
var 6	var	int

### Symbol Table: proc B

var 9	var	int
var 10	var	int
var 13	var	int

var 4	var	int
var 5	var	int

var 7	var	int
var 8	var	int

var 11	var	int
var 12	var	int

Inner Scope-I

Symbol Table

Inner Scope-2

Symbol Table

Inner Scope-3

Symbol Table

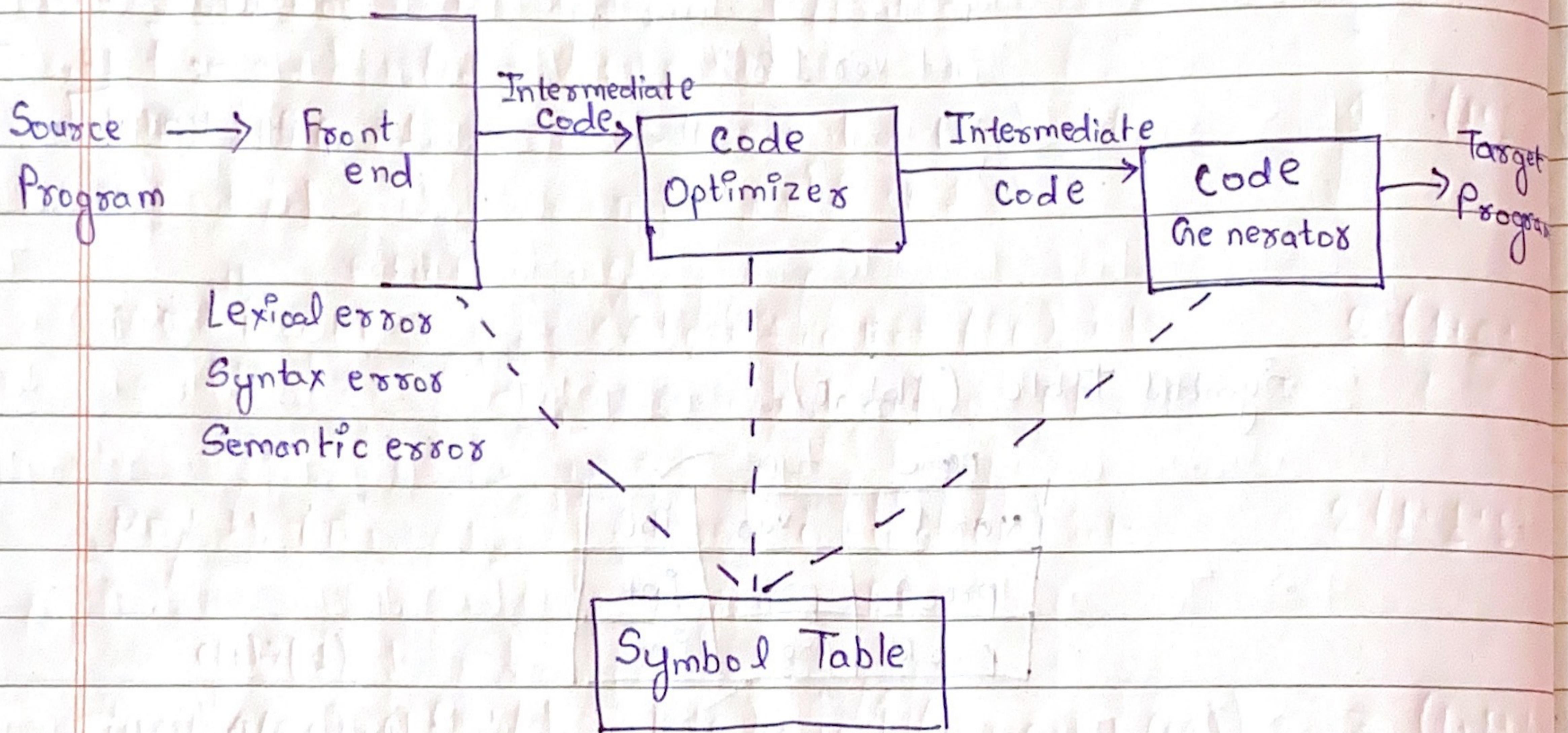
# Chapter - Last

Date \_\_\_\_\_

Page

# Code Generation and Optimization

(Milne Samma Ghataine)



How the target codes are generated optimally from an intermediate form of programming language?

# # Code Generators Design Issue

Intermediate Code  
↳ Target Code  
RT Change JALC

## 1. Input to the code generators

Gastnu अन्ते (Naam)

STI Change Jot

→ The input to the code generator is intermediate representation together with the information in the symbol table.

What type of input?  $\rightarrow$  postfix, three-address code, DAG or tree.

2. Target Program (Machine Dependent)

↳ which one is the output of code generator?

3. Target Machine

4. Instruction Selection (Low cost legal instruction select good parity)

5. Register Allocation

6. Choice of Evaluation Order

## # The Target Machine :

Addressing Mode :

(To)

Mode	From	Address	Added Cost
Absolute	M	M	1
Registers	R	R	0
Indexed	C(R)	C + contents (R)	1
Indirect registers	*R	contents(R)	0
Indirect indexed	*C(R)	contents (C+contents (R))	1
Literal	#c	N/A	1

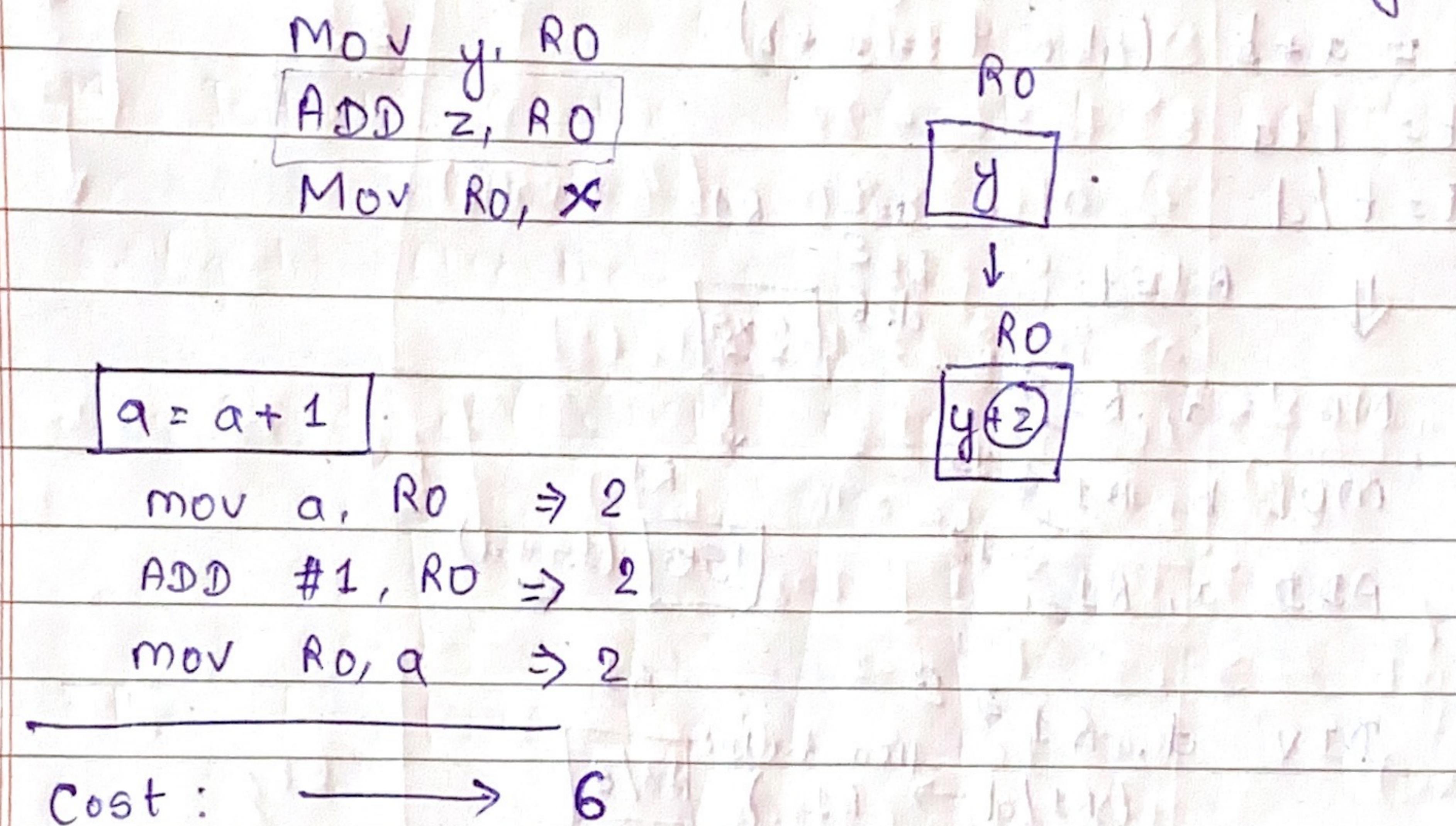
Cost of instruction =  $1 + \text{cost}(\text{source-mode}) + \text{cost}(\text{destination-mode})$

<u>Instruction</u>	<u>Operation</u>	<u>Cost</u>
$R_0 \xrightarrow{5} R_1$ $\boxed{5} \rightarrow R_1$ $\boxed{\quad}$ MOV R0, R1	Store content (R0) into register R1	1 ( $1+0+0$ )
MOV R0, M	Store content (R0) into memory location M	2 ( $1+0+1$ )
MOV M, RD	Store content (M) into registers RD	2 ( $1+1+0$ )
$C(R) \rightarrow C(1)$ MOV 4(R0), M	Store content (4 + content (R0)) into M	3 ( $1+1+1$ )
$*C(R) \rightarrow C(1)$ MOV *4(R0), M	Store contents (contents (4 + contents (R0))) into M	3 ( $1+1+1$ )
$\#C \rightarrow C(1)$ MOV #1, RD	Store 1 into RD	2 ( $1+1+0$ )
ADD 4(R0), * <sup>12</sup> R(R1)	Add contents (4 + contents (R0)) to value location contents (12 + contents (R1))	3 ( $1+1+1$ )

# Instruction Selection:

↳ Instruction Selection is important to obtain efficient code.

Suppose, we translate 3 address code :  $x = y + z$  to :

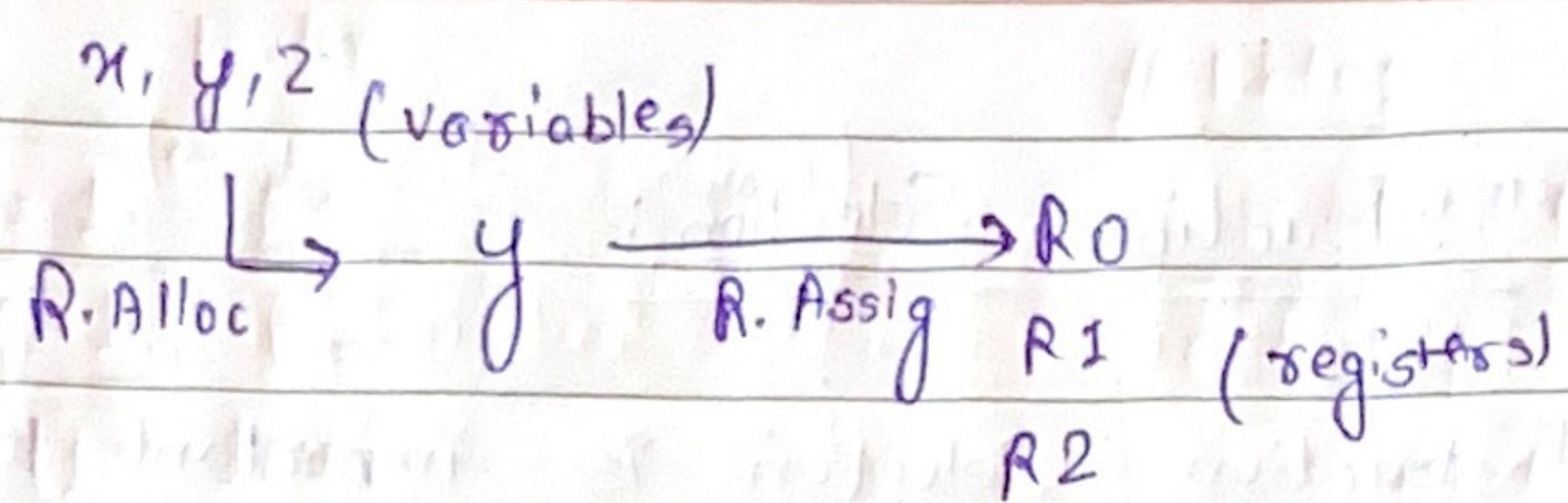


$$\begin{array}{ll} \text{ADD } \#1, a & \text{INC } a \\ \text{Cost} = 3 & \text{Cost} = 2 \end{array}$$

# Register Allocation and Assignment

↳ Registers Allocation denotes the selection of which variables will go into registers.

↳ Register Assignment is a determination of exactly which registers to place a given variable.



① Example:

$t = a * b$  (also  $t := a * b$ )

$$t = t + a$$

$$t = t/d$$

$$R \perp = t$$

MDV  $a, R_1 \geq 3$

MUL b, R1  $\Rightarrow$  15

$$\text{ADD } a \quad R_1 \Rightarrow 18$$

1985-86, KIZ

DIV d, R1  $\Rightarrow$  B  
(R1/d  $\rightarrow$  R1) then save in: [18/6]

MOV A1, t

# Choice of Evaluation Order:

$$[a+b - i(c+d)*e] \quad \text{for } t_1 \leq t < t_2$$

$$0 \quad \text{for } t_2 \leq t < t_3$$

$$0 \quad \text{for } t \geq t_3$$

$$t_1 = a + b$$

$$t_2 = c+d$$

$$t_3 = e \neq t_2$$

$$(t_4) = t_1 - t_3$$

MOV a, R0

ADD b, RD

mov R0, t1

mov c, B1

APPENDIX R 1

MOV E, R0/R3

MUL R1, R0  
 mov t1, R1  
 SUB R0, R1  
 MOV R1, t4

}

10

④

$$t_2 = c + d$$

$$t_3 = e * t_2$$

$$t_4 = E_1 + b$$

$$t_4 = t_1 - t_3$$

 $\Rightarrow$ 

89

MOV c, R0

ADD d, R0

MOV e, R1

MUL R0, R1

MOV a, R0

ADD b, R0

SUB R1, R0

MOV R0, t4

share in  
 $(R0 - R1 \rightarrow R0)$

## # Basic Block Construction Algorithm

Input:- A sequence of three-address statements

Output:- A list of basic blocks with each three-address statement in exactly one block.

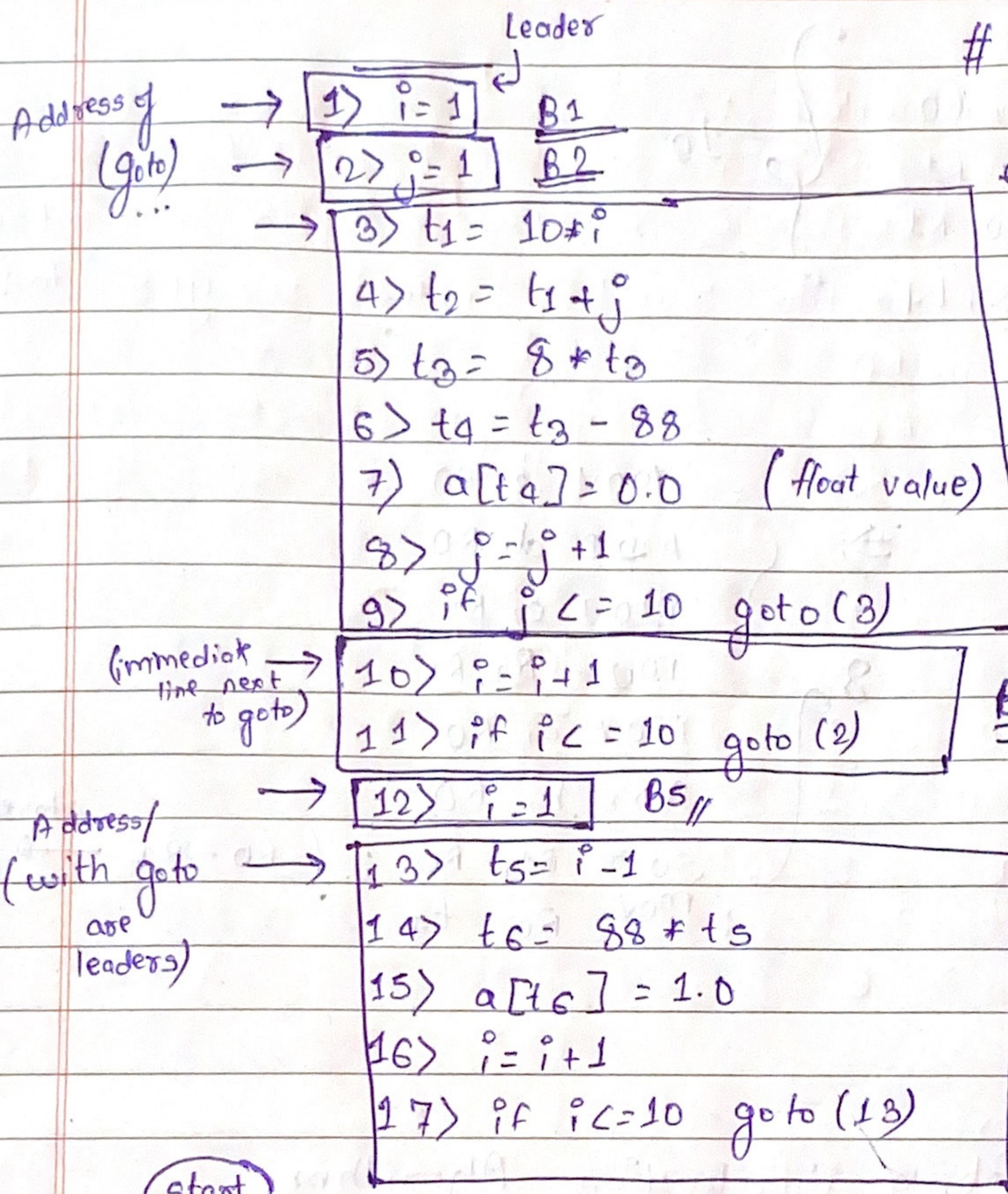
1) Identify leader first

2) First line of code is leader

3) Address of conditional, unconditional goto are leader

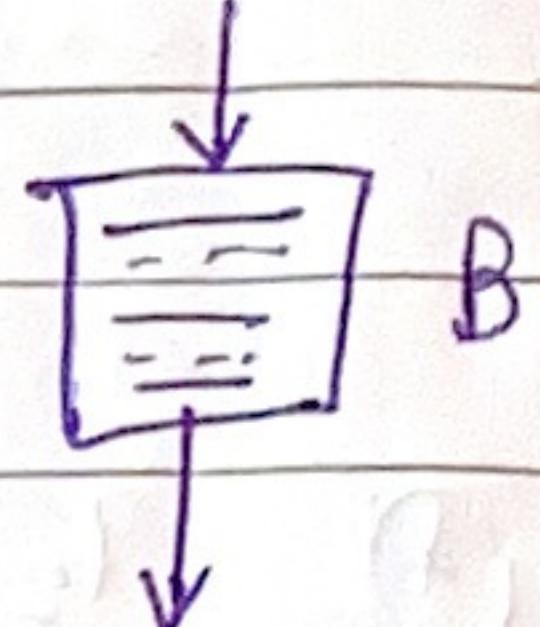
4) Immediate next line of goto are leader

5) Move basic block from leader to line before next leader



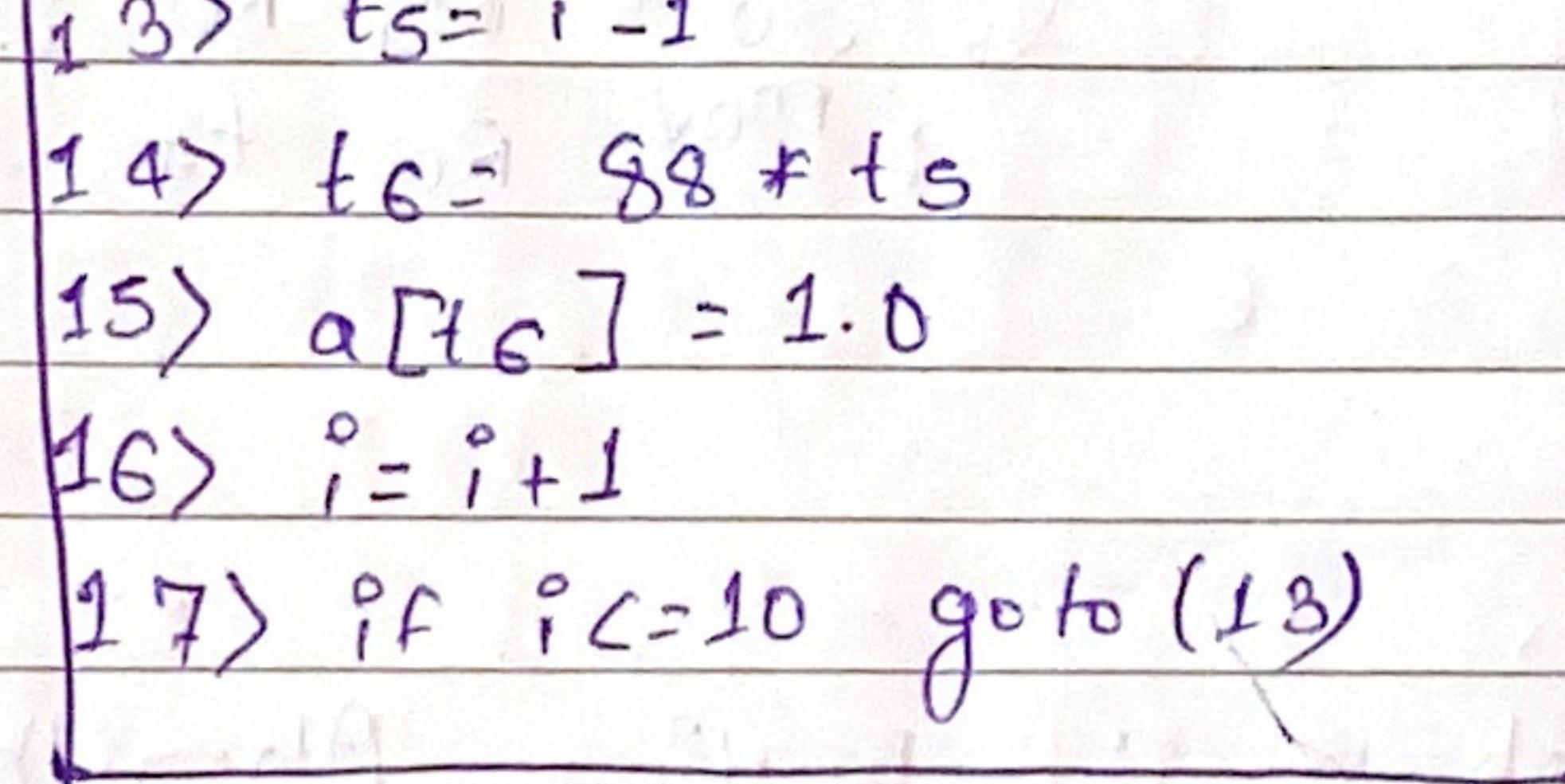
# Note:

Block consists of one entry point and one exit point.

B3

From leader to the next leader

Address/  
(with goto  
are  
leaders)

B6//

start

B1B2B4B5B6

end

Blocks :

due to goto(3) at the last line

goto(2)

due to goto(13)

Assignment:

- \* Transformation of Basic Blocks (Blocks fair minimize going mixaki)
- Common - subexpression elimination
  - Dead Code elimination
  - Renaming Temporary Variables
  - Interchange of statements (no need)
  - Algebraic Transformation (ex:  $x = x - x$  is 0  
 $x = x + 1$  is  $x$ )

V.V. Imp

# [Peephole Optimization]