2/16/2021 svm_by_qp

```
In [1]:
          import time
          import numpy as np
         from cvxopt import matrix, solvers
          import matplotlib.pyplot as plt
         from load_data import load_data
In [2]:
         X,y = load_data('data.txt')
In [3]:
         plt.plot(X[np.where(y==1)[0], 0], X[np.where(y==1)[0], 1], 'rx')
         plt.plot(X[np.where(y==-1)[0], 0], X[np.where(y==-1)[0], 1], 'bo')
          plt.xlabel('x2')
          plt.ylabel('x1')
          plt.show()
            2.0
            1.5
            1.0
                                ×
            0.5
            0.0
           -0.5
           -1.0
                -1.0
                       -0.5
                                                      1.5
                               0.0
                                       0.5
                                              1.0
                                                             2.0
                                       х2
In [4]:
         t = time.time()
         C = 1
         m,n = X.shape
         P = np.zeros((m,m))
         for i in range(m):
              for j in range(m):
                  if i == j:
                      P[i,j] = y[i,:] * y[j,:] * np.dot(X[i,:].T, X[j,:])
                  P[i,j] = 0.5 * y[i,:] * y[j,:] * np.dot(X[i,:].T, X[j,:])
         P = matrix(P)
In [5]:
         q = -np.ones((m,1))
          q = matrix(q,(m,1), 'd')
In [6]:
         g1 = np.eye(m)
         g2 = -np.eye(m)
         g = np.concatenate((g1, g2), axis = 0)
         G = matrix(g)
```

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h1 = C * np.ones((m,1))
 In [7]:
          h2 = np.zeros((m,1))
          h = np.concatenate((h1, h2), axis = 0)
          h = matrix(h)
          A = matrix(y.T, (1,8), 'd')
          b = matrix(0.0)
 In [8]:
          sol=solvers.qp(P, q, G, h, A, b)
          print(sol['x'])
              pcost
                          dcost
                                      gap
                                             pres
                                                    dres
          0: -1.5633e+00 -1.3068e+01 4e+01
                                                    4e-16
                                             2e+00
          1: -1.3162e+00 -6.7149e+00 5e+00 3e-16 3e-16
          2: -1.5629e+00 -2.0804e+00 5e-01
                                            2e-16 3e-16
          3: -1.6785e+00 -1.7337e+00 6e-02 2e-16 2e-16
          4: -1.7011e+00 -1.7051e+00 4e-03 2e-16 3e-16
          5: -1.7033e+00 -1.7037e+00 3e-04 2e-16 3e-16
          6: -1.7036e+00 -1.7036e+00
                                      2e-05
                                             2e-16
                                                    2e-16
          7: -1.7036e+00 -1.7036e+00 2e-07 2e-16 2e-16
         Optimal solution found.
         [ 1.00e+00]
         [ 3.57e-02]
         [ 3.93e-01]
         [ 1.86e-01]
         [ 1.32e-05]
         [ 1.00e+00]
         [ 6.14e-01]
         [ 1.09e-09]
 In [9]:
          elapsed = time.time() - t
          print('time taken ', elapsed)
         time taken 0.09092855453491211
In [10]:
          alpha = np.array(sol['x'])
          w = np.sum(alpha * y * X, axis=0)
          bias = np.mean(y - np.dot(X, w.T))
In [11]:
          print('Final hyper plane parameters - ')
          print('W: ', w.T, 'and b:', bias)
          print('Number of support vectors: ', len(alpha))
         Final hyper plane parameters -
         W: [-1.22857596 -0.6428666 ] and b: 1.3964372666199916
         Number of support vectors: 8
In [12]:
          plt.plot(X[np.where(y==1)[0], 0], X[np.where(y==1)[0], 1], 'rx')
          plt.plot(X[np.where(y=-1)[0], 0], X[np.where(y=-1)[0], 1], 'bo')
          x1, x2 = np.min(X[:,1]), np.max(X[:,1])
          y1 = -w[0]/w[1] * x1 - bias/w[1]
          y2 = -w[0]/w[1] * x2 - bias/w[1]
          plt.plot([x1, x2], [y1,y2], color='green')
          plt.show()
```

