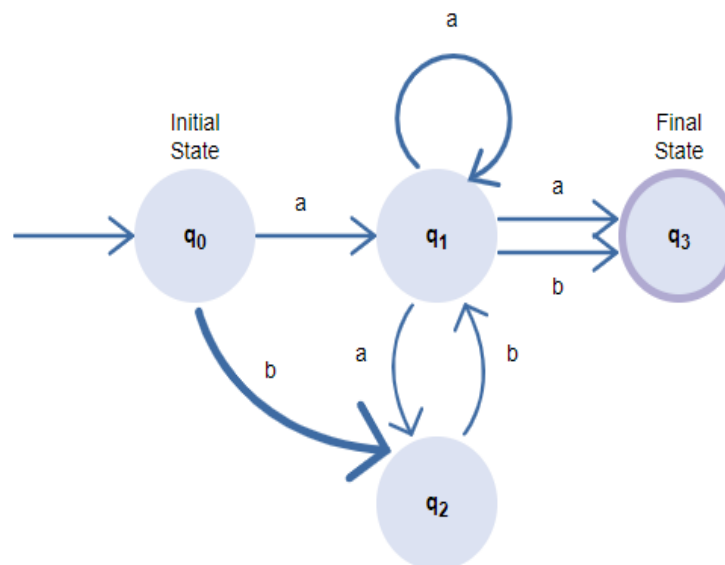
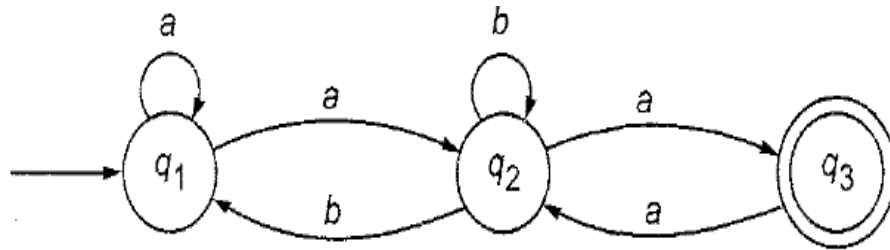


## Subject: Theory of Computation

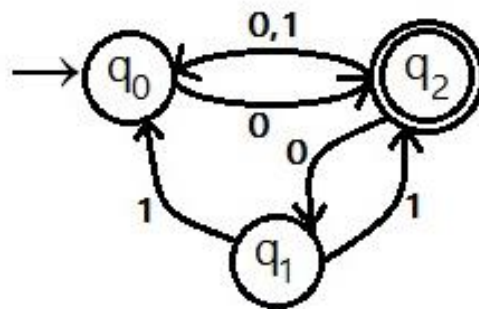
1. Define NFA with  $\epsilon$  transition.
2. Design FA which accepts odd number of 1's and any number of 0's
3. Design FA to check whether given binary number is divisible by three
4. Design DFA to accept the strings over  $\{0,1\}$  with two consecutive 0's
5. Show that for any language  $L^* - \{\epsilon\} \neq L^+$ .
6. Using Pumping Lemma, prove that the language  $A = \{a^n b^n \mid n \geq 0\}$  is not regular
7. Explain Arden's theorem
8. Mention Algebraic laws for regular expression
9. Convert the following DFA to Regular expression using state elimination method



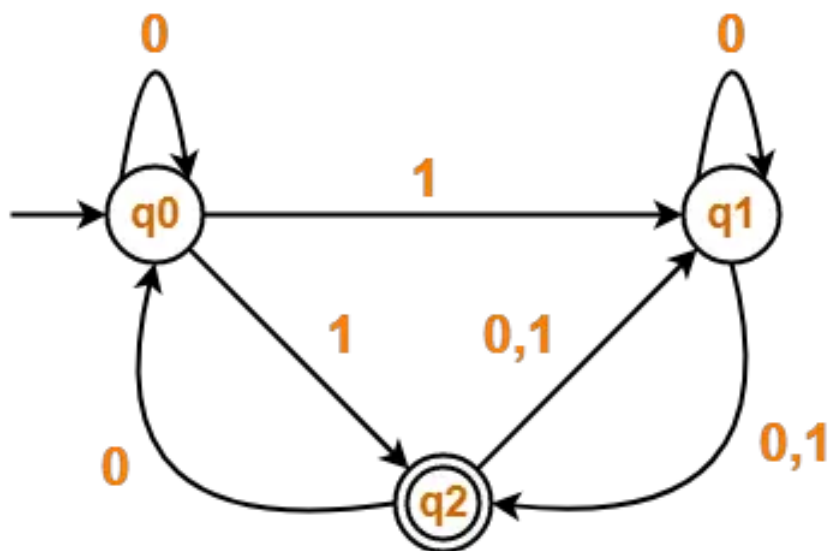
**10** Convert FA to Regular Expression using Arden's Theorem



**11** Convert the following NFA to its equivalent DFA



**12** Convert the following Non-Deterministic Finite Automata (NFA) to Deterministic Finite Automata (DFA)



**13** Consider a Mealy machine  $M = (Q, \Sigma, \Delta, \lambda, \mu)$ , where:

$Q = \{q_0, q_1, q_2\}$  is the set of states,

$\Sigma = \{0, 1\}$  is the input alphabet,

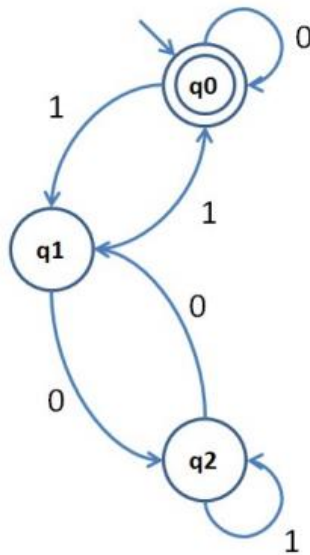
$\Delta = \{a, b\}$  is the output alphabet,

$\lambda(q_0, 0) = q_1, \lambda(q_0, 1) = q_2, \lambda(q_1, 0) = q_1, \lambda(q_1, 1) = q_0, \lambda(q_2, 0) = q_2, \lambda(q_2, 1) = q_0$  is the transition function, and

$\mu(q_0, 0) = a, \mu(q_0, 1) = b, \mu(q_1, 0) = b, \mu(q_1, 1) = a, \mu(q_2, 0) = a, \mu(q_2, 1) = b$  is the output function

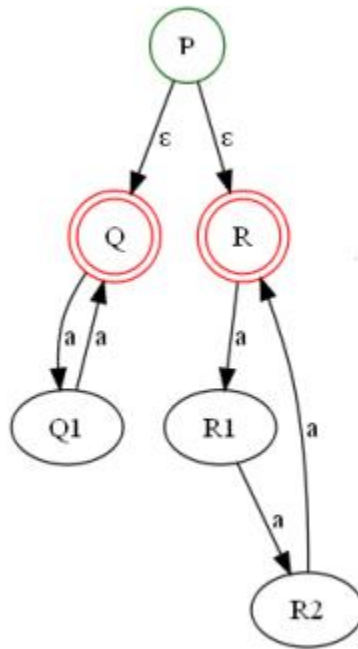
Convert the given Mealy machine  $M$  to an equivalent Moore machine.

**14** Convert the following DFA to a regular expression

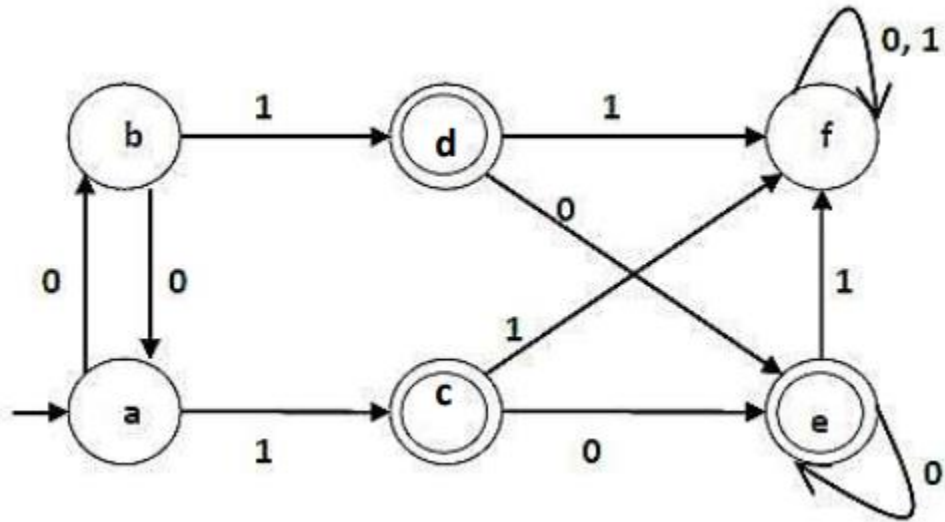


**15** Design a Finite Automata from the given RE=  $xy + (y + xx)y^*x$

**16** Remove epsilon from the following NFA



**17** Minimize the following DFA using Myhill-Nerode Theorem.



**18** Minimize the DFA using equivalence method.

