

**Assignment performed by Gaurav Amarnani, D7A Roll no. 67.  
CG LAB 2 - Midpoint Ellipse Algorithm.**

**Aim: Implement midpoint Ellipse algorithm.**

**Theory:**

Experiment:- 2

Midpoint Ellipse Algorithm

Midpoint Ellipse Algorithm is an incremental method for scan converting an ellipse that is centered at the origin in standard position i.e., with the major and minor axis parallel to co-ordinate system axis. It is very similar to the midpoint circle algorithm because of the four way symmetry properly we need to consider the entire elliptical curve in the first quadrant.

Midpoint ellipse algorithm plots (find) points of an ellipse on the first quadrant by dividing the quadrant into two regions. Each point  $(n, y)$  is projected into other three quadrants  $(-n, y)$ ,  $(n, -y)$ ,  $(-n, -y)$  i.e. it uses 4-way symmetry.

function of ellipse

$f_{\text{ellipse}}(n, y) = ny^2n^2 + rn^2y^2 - rn^2ny^2$   
 $f_{\text{ellipse}}(n, y) < 0$  then  $(n, y)$  is inside the ellipse  
 $f_{\text{ellipse}}(n, y) > 0$  then  $(n, y)$  is outside the ellipse  
 $f_{\text{ellipse}}(n, y) = 0$  then  $(n, y)$  is on ellipse

Decision Parameter:-

Initially we have two decision parameter  $P_1$  in region 1 and  $P_2$  in region 2

$$P_1 = ry^2 + \frac{1}{4}rn^2 - rn^2y$$

## Algorithm:

### ALGORITHM

- Step 1: Take input radius along  $x$  axis and  $y$  axis and obtain centre of ellipse
- Step 2: Initially, we assume ellipse to be centre of origin and the first point as  $(x, y) = (0, r_y)$
- Step 3: Obtain the initial decision parameter for region 1 or  $P_1 = r_y^2 + \frac{1}{4} r_x^2 - r_x^2 r_y$
- Step 4: For every  $r_x$  position in region 1:  
If  $P_1 < 0$  then the next point along is  $(x_{k+1}, y_k)$  and  $P_{1k+1} = P_{1k} + 2r_y^2 x_{k+1} + r_y^2$   
Else the next point is  $(x_{k+1}, y_{k-1})$   
And  $P_{1k+1} = P_{1k} + 2r_y^2 x_{k+1} - 2r_x^2 y_{k+1} + r_y^2$
- Step 5: Obtain the initial value in region 2 using the last point  $(x_0, y_0)$  of region 1 as:  $P_{20} = r_y^2 (x_0 + \frac{1}{2})^2 + r_x^2 (y_0 - 1)^2 - r_x^2 r_y^2$
- Step 6: At each  $y_k$  in region 2 starting at  $k=0$  perform the following task If  $P_{2k} > 0$  the next point is  $(x_k, y_{k-1})$  and  $P_{2k+1} = P_{2k} - 2r_x^2 y_{k+1} + r_x^2$
- Step 7: Else, the next point is  $(x_{k+1}, y_{k-1})$  and  $P_{2k+1} = P_{2k} + 2r_y^2 x_{k+1} - 2r_x^2 y_{k+1} + r_x^2$
- Step 8: Now obtain the symmetric points in three quadrants and plot the co-ordinate value as  $x = x + x$  ( $y = y + y$ )
- Step 9: Repeat the steps for region 1 until  $2r_y^2 x > 2r_x^2 y$

## Program:

```
#include <stdio.h>
#include<graphics.h>
#include <stdlib.h>

//Performed by Gaurav Amarnani DSE CMPN.

void midptellipse(int rx, int ry, int xc, int yc) {

float dx,dy,d1,d2,x,y;
x = 0;
y = ry;
d1 = (ry * ry) - (rx * rx * ry) + (0.25 * rx * rx);
dx = 2 * ry * ry * x;
dy = 2 * rx * rx * y;
while (dx < dy) {
putpixel( x + xc, y + yc, WHITE);
putpixel( -x + xc, y + yc, WHITE);
putpixel( x + xc, -y + yc, WHITE);
putpixel( -x + xc, -y + yc, WHITE);

if (d1 < 0) {
x++;
dx = dx + (2*ry*ry);
d1 = d1 + dx+(ry*ry);
}
else {
y--;
dx = dx + (2 * ry * ry);
dy = dy - (2 * rx * rx);
d1 = d1 + dx - dy + (ry * ry);
}
}

d2 = ((ry * ry) * ((x + 0.5) * (x + 0.5)))+( (rx * rx) * ((y - 1) * (y - 1))) - (rx * rx * ry *
ry);
while (y >= 0) {
putpixel( x + xc, y + yc, WHITE);
putpixel( -x + xc, y + yc, WHITE);
putpixel( x + xc, -y + yc, WHITE);
putpixel( -x + xc, -y + yc, WHITE);

if (d2 > 0) {
```

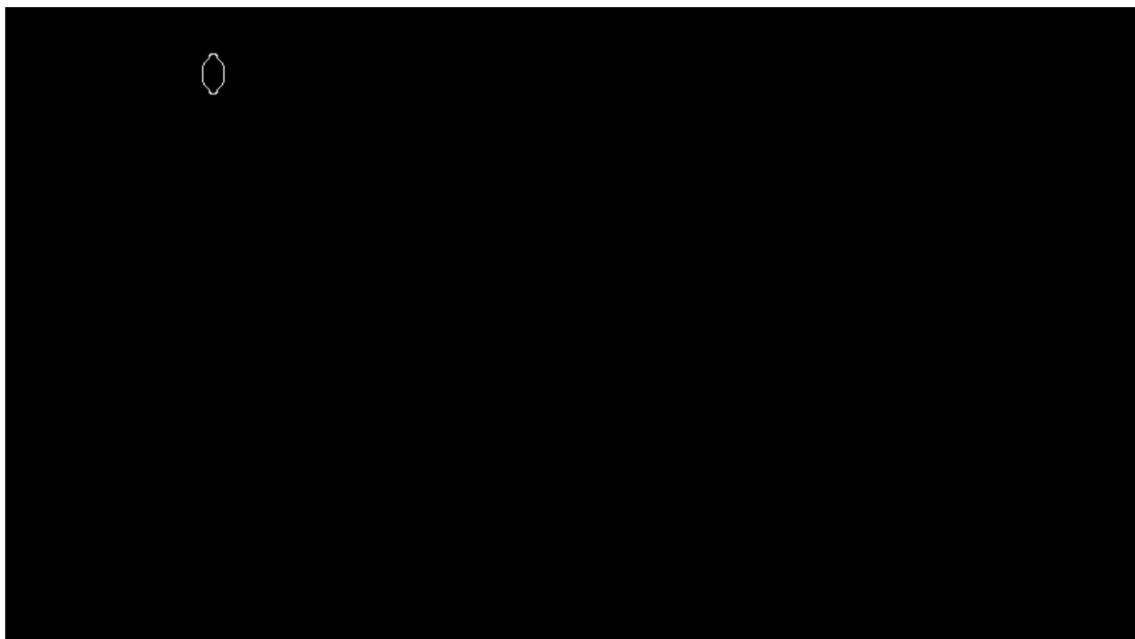
```

y--;
dy = dy - (2 * rx * rx);
d2 = d2 + (rx * rx) - dy;
}
else {
y--;
x++;
dx = dx + (2 * ry * ry);
dy = dy - (2 * rx * rx);
d2 = d2 + dx - dy + (rx * rx);
}
}
}

void main() {
int gd = DETECT, gm;
initgraph(&gd, &gm, "c:\\turbo3\\bgi");
midptellipse(10, 15, 50, 50);
getch();
}

```

### Output:



## Conclusion:

Conclusion:

By implementing the midpoint Ellipse Algorithm we understood the concept of midpoint algorithm and how to implement in the program.