O No	Compound Interest			
Q.No	Answer  Type I – Basic Ques. On Yearly calculation			
	i ype i - Dasic Ques. On Teany Calculation			
1	Answer: Option 'A' Given principal = 8000.  No. of years = 2 Rate of interest = 5.  Amount = $P \times (1+r/100)^n$ ,  we get Amount = $8000 \times (1+5/100)^2$ .			
2	Ans: 8820 Answer: Option 'B'			
_	Given principal = $6250$ No. of years = $2$ Rate of interest = $8$ Amount = $P \times (1+r/100)^n$ , We get Amount = $6250 \times (1+8/100)^2 = 7290$ C.I = Amount - Principal = $7290 - 6250 = 1040$			
3	Answer: Option 'A' Let the Principal be, $P = Rs. 100$ Given, $S.I = 60\%$ of $100 = Rs. 60$ , $n = 6$ years Then, Rate of Interest, $r = (S.I \times 100) / (p \times n)$ $\Rightarrow r = (60 \times 100) / (100 \times 6)$ $\Rightarrow r = 10 \% p.a$ Now, $P = Rs. 12,000$ , $n = 3$ years, $r = 10\% p.a$ C.I = $P \{[1 + (r/100)]n - 1\}$ $= 12,000 \times \{[1 + (10/100)]3 - 1\}$ $= 12,000 \times [(11/10)3 - 1]$ $= 12,000 \times [(1331/1000) - 1]$ $= 12,000 \times (331/1000)$ $= 12 \times 331$ $= 3972$ Thus, Compound Interest = Rs. 3972			
4	Answer: Option 'A' Given principal = 12500 No. of years = 3 Rate of interest = 10 Amount = P x (1+r/100) <sup>n</sup> , We get Amount = 12500 x (1+10/100) <sup>3</sup> = 16637.5 C.I = Amount - Principal = 16637.5 - 12500 = 4137.5			
5	Answer: Option 'D' Let Principal = P, Rate = R% per annum, Time = n years When interest is compounded annually, total amount can be calculated by using the formula Compound Amount = P ( 1 + R / 100) <sup>n</sup> Given that, P = Rs.8000, R = 20% per annum Compound Amount = Rs. 13824 We have to find the time period during which the amount will be Rs.13824 => Rs.13824 = $8000 \times (1 + 20/100)^n$ => $(13824/8000) = (120/100)^n$ => $(24/20)^3 = (12/10)^n$ Therefore, n = 3. Hence the required time period is 3 years.			
6	Answer: Option 'B' Rs.104/-			
7	Answer: Option 'B' Rs.10123.20			

8	Answer: Option 'A' Rs.1898/-
9	Answer: Option 'B' Principal = Rs. 7700/- time = 2 years rate = 15 1/4 %  Amount = P(1+R/100)n = 7700 × (1 + 61/(4 × 100)2) = 7700 × [(1 + 61/400)2] = 7700 × [(461/400)2)] = 7700 × 461/400 × 461/400 = 7700 × 1.1525 × 1.1525 = 7700 × 1.32825625 = 10227.573125  C.I = 10227.573125 - 7700 = 2527.57/-
10	Answer: B) 3109 Explanation: Time = 2 years 4 months = 2(4/12) years = 2(1/3) years. Amount = Rs'. [8000 X (1+(15/100))^2 X (1+((1/3)*15)/100)] =Rs. [8000 * (23/20) * (23/20) * (21/20)] = Rs. 11109.  :. C.I. = Rs. (11109 - 8000) = Rs. 3109.
11	Answer: Option 'A' Rs.1898/-
12	Option B Solution:  1st year = 20% = 1/5
<u>13</u>	Option B Solution:  1st yr 6 -> $7$ 2nd yr $7$ -> $8$ 3rd yr $8$ -> $9$ 6 -> $9$ +3 $6 = 24000$ $3 = 12000$
14	Correct Option: C Interest earned by the man on 2nd year $= 4500 \times \left[ \left\{ 1 + \left( \frac{30}{100} \right) \right\}^2 - 1 \right] - \left( \frac{4500 \times 30 \times 1}{100} \right)$ $= 4500 \times \left( \frac{69}{100} \right) - 1350 = 3105 - 1350 = \text{Rs. } 1755$ Interest earned by the man on 3rd year
	Interest earned by the man on 3rd year

$$= 4500 \times \left[ \left\{ 1 + \left( \frac{30}{100} \right) \right\}^{3} - 1 \right] - 4500 \times \left[ \left\{ 1 + \left( \frac{30}{100} \right) \right\}^{2} - 1 \right]$$

= 
$$4500 \times (\frac{1197}{1000}) - 4500 \times \frac{69}{100} = 5386.5 - 3105 = Rs.2281.5$$

Therefore, required difference = 2281.5 - 1755 = Rs. 526.5

Hence, option C is correct.

## Type II - Half yearly / Quarterly

1 Option B

Solution:

In half yearly=> Time-double; Rate= half

Rate=5% · Time=4 years · Sum = Rs 20 000

ears/
00
,
;
,
25

Total = Rs 4000 +300 + 10+0.125= Rs 4310.125

Answer: D) 824.32 2

**Explanation:** 

Principal = Rs. 10000; Rate = 2% per half-year; Time = 2 years = 4 half-

Amount == Rs. 10824.32.

$$Rs. \left[10000*\left(1+\frac{2}{100}\right)^4\right] = Rs. \left[10000*\frac{51}{50}*\frac{51}{50}*\frac{51}{50}*\frac{51}{50}\right]$$

▲ Over Quota

C.I. = Rs. (10824.32 - 10000) = Rs. 824.32.

Answer: B) 20000 3

Explanation:

Let sum=Rs.x

C.I. when compounded half yearly =  $\left[x\left(1+\frac{10}{100}\right)^4-x
ight]=\frac{4641}{10000}$ 

C.I. when compounded annually =  $\left[x \left(\frac{20}{100}
ight)^2 - x
ight] = \frac{11}{25}$  $\frac{4641}{10000}x - \frac{11}{25}x = 482$ 

=> x=20000

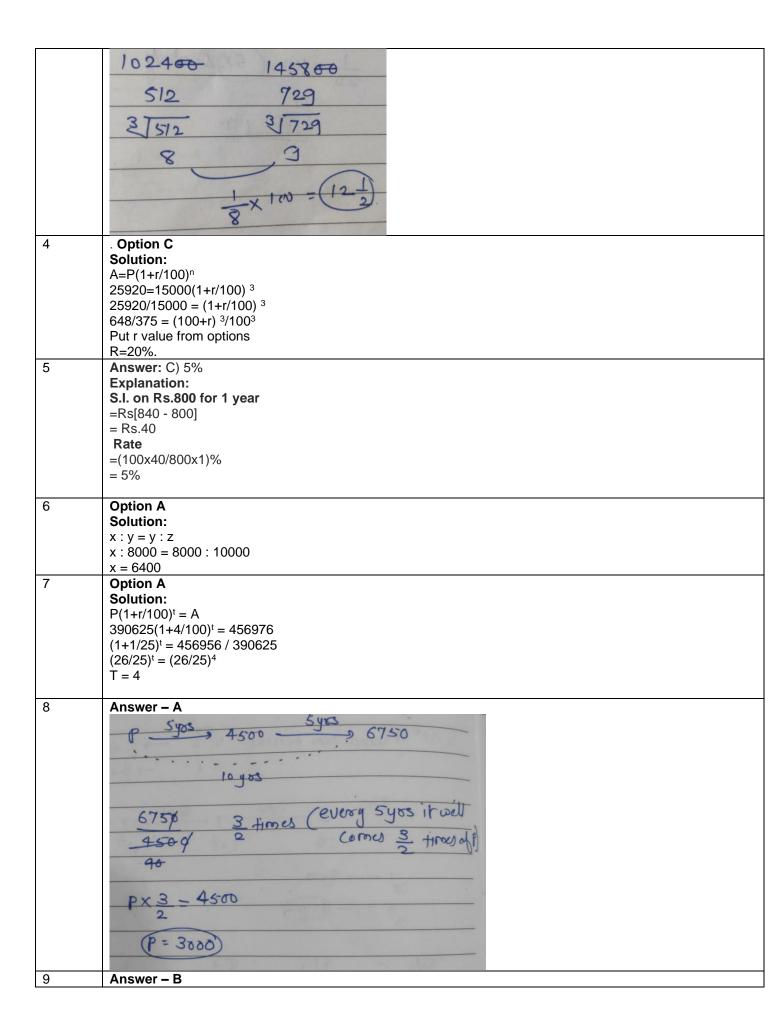
4	<b>Answer:</b> B) Rs.8000
	Explanation:
	Compound Interest on P at 10% for 2 years when interest is
	compounded half-yearly
	$=P\left(1+\frac{R}{2}\Big/_{100}\right)^{2T}-P=P\left(1+\frac{1}{20}\right)^{4}-P=P\left(\frac{21}{20}\right)^{4}-P$
	Simple Interest on P at 10% for 2 years = $\frac{PRT}{100} = \frac{P \times 10 \times 2}{100} = \frac{P}{5}$
	Given that difference between compound interest and simple interest
	= 124.05
	$P*\left(\frac{21}{20}\right)^4 - P - \frac{P}{5} = 124.05$
	[cond all
	$=>P\left[\left(\frac{21}{20}\right)^4-1-\frac{1}{5}\right]=124.05$
	P=8000
5	D – 6.09
6	Answer: B) 2522
	Explanation:
	Principal = Rs. 16000; Time = 9 months =3 quarters;
	Rate = 20% per annum = 5% per quarter. Amount = Rs. $[16000 \times (1+(5/100))3] = Rs. 18522$
	CI. = Rs. (18522 - 16000) = Rs. 2522
	110. (10022 10000) 110. 2022
7	Correct Option: (b)
	Hint:
	Γ (R/4) <b>1</b> <sup>4n</sup>
	Amount = P $\left[ 1 + \frac{(R/4)}{100} \right]^{4n}$ [Interest compounded quarterly]
	We are given:
	Principal = Rs. 5000, Time = 9 months = 3 quarters, Rate = 6 % per annum
	Substituting the given values, we get
	Amount = P $\left[ 1 + \frac{(6/4)}{100} \right]^3$
	100 -
	Amount=Rs.5228.39
	Therefore,
	Compound interest = 5228.39 – 5000 = Rs. 228.39
8	Correct Option: C P = 10000, T = 6 months, R = 20/4 = 5% (rate of interest apply quarterly)
	R = 10000, $R = 0$ months, $R = 20/4 = 5/6$ (rate of interest apply quarterly)
	By the net% effect we would calculate the effective compound rate of interest for 6 months = 10.25% (Refer
	to sub-details)
	01 40.050/ (40.000
	CI = 10.25% of 10000
	10.25 x 10000
	$CI = \frac{10.25 \times 10000}{100} = 1025.$
	Sub-details:
	Calculation of offsetive compound rate of interest for 2 quarters (6 months) will be as follows
	Calculation of effective compound rate of interest for 2 quarters (6 months) will be as follows.
	Here, $x = 5$ and $y = 5\%$
	Net% effect = x + y = xy

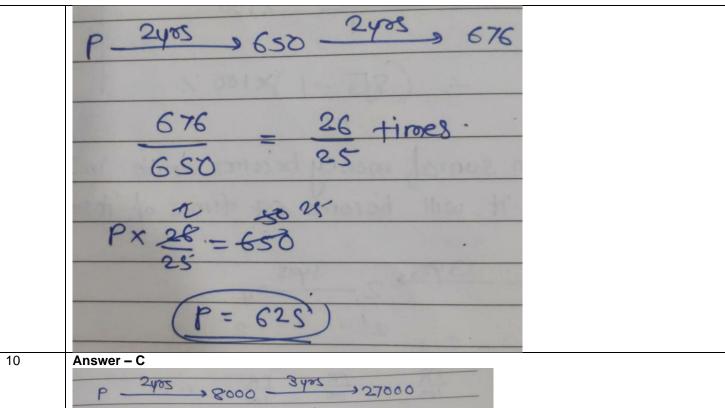
	100
	- 5×5
	$= 5 + 5 + \frac{5 \times 5}{100} = 10 + 0.25 = 10.25\%$
9	Correct Option: D Principal = Rs. 500; Amount = Rs. 583.20; Time = 2 years. Let the rate be R% per annum. then,
	$[1000(1 + \frac{R}{100})^{2}] = 1166.40.$ Or
	$\left(1 + \frac{R}{100}\right)^2 = \left(\frac{108}{100}\right)^2$
	$\Rightarrow 1 + \frac{R}{100} = \frac{108}{100}$ or $R = 8$ .
	So, Rate = 8% p.a
10	Hence, option D is corret.
10	Type III – Difference
1	Option D
1	Solution: For 2 years SI = 5* 2= 10 % of the sum
	CI = 5 + 5+ (5*5)/100 = 10.25% of the sum required diff. = 10.25 - 10 = 0.25% of the sum
	Therefore,
2	the required diff. = (160/10) * 0.25 = Rs.4 <b>Answer:</b> B) Rs.3
	Explanation:
	S.I = Rs.(1200x10x1/100)
	= Rs.120. C.I
	$= Rs[(1200x1+5/100)^2 -1200]$
	= Rs.123. Difference
	= Rs.[123-120]
	= Rs. 3.
3	<b>Answer:</b> D) 8780.80
	<b>Explanation:</b> when interest is reckoned using compound interest, interest being compounded annually. The difference in
	the simple interest and compound interest for two years is on account of the interest paid on the first year's
	interest Hence 12% of simple interest = 90 => simple interest = 90/0.12 = 750.  As the simple interest for a year = 750 @ 12% p.a., the principal = 750/0.12 = Rs.6250.
	If the principal is 6250, then the amount outstanding at the end of 3 years = 6250 + 3(simple interest on 6250)
	+ 3 (interest on simple interest) $+ 1$ (interest on interest on interest) $= 6250 + 3(750) + 3(90) + 1(10.80) = 8780.80$ .
4	Option C
	<b>Solution:</b> Difference = $[sum * r^2 (300 + r)]/(100)^3$
	= [10000 * 3 * 3 (300+3)]/(100)^3 = 27.27
5	Option B Solution:
	diff between CI and SI =P * r <sup>2</sup> /100 <sup>3</sup> * (300+r)

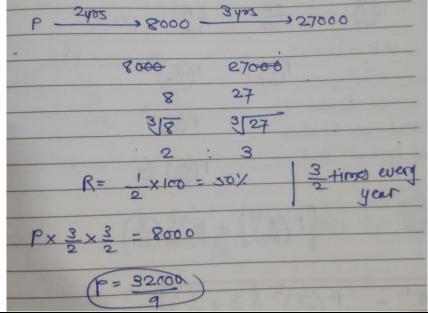
	000 +*400/4002 * 040
	620=p*100/100 <sup>3</sup> * 310
6	P=Rs20,000 Option D
0	Solution:
	SI-CI for 3 yrs = $Pr^2/100^{3*}(300+r)$
	640=P*20 <sup>2</sup> /100 <sup>3</sup> *320
	640=(P*20*20/100*100*100)*320
	P=Rs5000
7	<b>Answer:</b> B) Rs.8000
	Explanation:
	Compound Interest on P at 10% for 2 years when interest is
	compounded half-yearly
	$=P\Big(1+rac{R}{2}\Big/_{100}\Big)^{2T}-P=P\Big(1+rac{1}{20}\Big)^4-P=P\Big(rac{21}{20}\Big)^4-P$
	Simple Interest on P at 10% for 2 years = $\frac{PRT}{100} = \frac{P \times 10 \times 2}{100} = \frac{P}{5}$
	Given that difference between compound interest and simple interest = 124.05
	$P*\left(\frac{21}{20}\right)^4 - P - \frac{P}{5} = 124.05$
	$=>P\left[\left(rac{21}{20} ight)^4-1-rac{1}{5} ight]=124.05$ P=8000
8	Answer: A) 2.04
	Explanation:
	C.I. when interest
	compounded yearly=rs.[5000*(1+4/100)(1+1/2*4/100)]
	= Rs. 5304. C.I. when interest is
	compounded half-yearly=rs.5000(1+2/100)^3
	= Rs. 5306.04
	Difference = Rs. (5306.04 - 5304) = Rs. 2.04
	Type IV - P becomes n times of itself
1	Anguari P) Sugara
1	Answer: B) 5years
	Explanation:
	Rs.100 invested in compound interest becomes Rs.200 in 5 years.
	The amount will double again in another 5 years.
	i.e., the amount will become Rs.400 in another 5 years. So, to earn another Rs.200 interest, it will take another 5 years.
	30, to earn another NS.200 interest, it will take another 3 years.
2	Answer: C) 5:6
	Explanation:
	( , , ) 4
	$P(1+\frac{1}{100})$ _ 1 _ 100 _ 100 _ 5
	$\frac{P\left(1+\frac{r}{100}\right)^4}{P\left(1+\frac{r}{100}\right)^5} = \frac{1}{\left(1+\frac{r}{100}\right)} = \frac{100}{100+r} = \frac{100}{120} = \frac{5}{6}$
3	Option B Solution:
	in C.I principal increase like
	13927
	•

6

	33
	= 9years
4	Correct Option: D
	$P(1 + \frac{R}{100})^5 = 2P \Rightarrow (1 + \frac{R}{100})^5 = \frac{2P}{P} = 2$ (i)
	Let $P(1 + \frac{R}{100})^n = 8P$
	$\Rightarrow (1 + \frac{R}{100})^{n} = 8 = 2^{3} = \{(1 + \frac{R}{100})^{5}\}^{3}$ [using (i)]
	$\Rightarrow (1 + \frac{R}{100})^{n} = (1 + \frac{R}{100})^{15} \Rightarrow n = 15.$
	Thus, the required time = 15 years.
	Hence, option D is correct
5	Answer: B) 4
	Explanation:
	$Pig(1+rac{20}{100}ig)^n>2P\Leftrightarrowig(rac{6}{5}ig)^n>2$
	$\frac{1}{6}\left(1+\frac{100}{100}\right) > 21  \forall  \left(\frac{1}{5}\right) > 2$
	$\left(rac{6}{5} imesrac{6}{5} imesrac{6}{5} imesrac{6}{5} ight)>2$
	so, answer is 4 years
6	
	Type V - P becomes A in given period
1	B – 20%
	25 36
	J25. — 3 36
	5
	20%)
	× 100 = (201.)
	5
2	C - 6.66%
	225 256
	√225 J256 ← 2405+54 000t
	15
	$\frac{1}{15} \times 100 = 62$
3	A – 12.5 %







## Type VI - Miscellaneous Examples

1 Answer: A) Rs.625

## **Explanation:**

Let the two parts be Rs. x and Rs. (1301 - x).

$$x\left(1 + \frac{4}{100}\right)^7 = (1301 - x)\left(1 + \frac{4}{100}\right)^9$$

$$\frac{x}{(1301 - x)} = \left(1 + \frac{4}{100}\right)^2 = \left(\frac{26}{25} * \frac{25}{26}\right)$$

=> 625x=676(1301-x)

1301x=676 x 1301x=676.

So, the parts are rs. 676 and rs. (1301-676) i.e rs. 676 and rs. 625

2 Answer: C) 3087

**Explanation:** 

Shyam's share \* (1+0.05)9 = Ram's share \* (1 + 0.05)11

	Shyam's share / Ram's share = $(1 + 0.05)11 / (1 + 0.05)9 = (1 + 0.05)2 = 441/400$
3	Therefore Shyam's share = (441/841) * 5887 = 3087 <b>Answer:</b> A) 5%
	Explanation:
	Given compound interest for 3 years = Rs. 1513.2
	and simple interest for 5 years = Rs. 2400
	Now, we know that C.I = $\left[P\left(1+\frac{R}{100}\right)^n - 1\right]$
	=> 1513.2 = $\left[P\left(1+\frac{R}{100}\right)^3 - 1\right]$ (A)
	And S.I = PTR/100
	=> 2400 = P5R/100(B)
	By solving (A) & (B), we get
4	Correct Option: C
	Let the amount invested in Scheme A is ₹ x.
	Then, the amount invested in Scheme B be ₹ (6100 – x) Now, according to the question,
	Now, according to the question,
	$x(1 + \frac{10}{100})^2 - x = \frac{(6100 - x) \times 10 \times 4}{100}$
	$\Rightarrow x(\frac{121}{100} - 1) = \frac{(6100 - x) \times 40}{100}$
	$\Rightarrow \frac{21x}{100} = \frac{(6100 - x) \times 40}{100}$
	$\Rightarrow 21x = 6100 \times 40 - 40x$
	$\Rightarrow 61x = 6100 \times 40$
	$\Rightarrow x = \frac{6100 \times 40}{61} = ₹4000$
	∴ The amount invested in Scheme A is ₹ 4000.
5	Hence, option C is correct.
5	Answer: C) Either I or II alone sufficient to answer
	Fordereday
	Explanation:
	I. Amount = $Rs. \left[ 200 * \left( 1 + \frac{6}{100} \right)^{16} \right]$
	II. Amount = $Rs \left[ 200 * \left( 1 + \frac{6}{100} \right)^{16} \right]$
	Thus, I as well as II gives the answer.
L	