

## Time Speed and Distance

Q.No.	Ans	Solution
1	C	<b>Option C</b> <b>Solution:</b> Distance of first part of his journey = x Distance of first part of his journey = y $x/30 + y/60 = (x + y)/40$ $6x + 2y = 3x + 3y$ $x/y = 3:1$
2	D	<b>Option D</b> <b>Solution:</b> Walking + Riding = 7 hours 40 minutes Walking + Walking = 8 hours 40 minutes So Walking = 4 hours 20 minutes Riding + Riding = 6 hours 40 minutes
3	B	<b>Option B</b> <b>Solution:</b> Total hours = 10 hours Average Speed = $2xy/(x+y) = 2 \times 22 \times 18/(40) = 19.8$ kmph Total Journey in Km = $19.8 \times 10 = 198$ km
4	A	<b>Option A</b> <b>Solution:</b> Distance covered in 10 minutes at 40 kmph = distance covered in 8 minutes at $(40+x)$ kmph. $40 \times 10/60 = 8/60 \times (40+x)$ $20 \times 5 = 80 + 2x$ $x = 10$ kmph
5	D	<b>Option D</b> <b>Solution:</b> $3/4$ of speed = $4/3$ of original time $4/3$ of original time = original time + 18 minutes; $1/3$ rd of original time = 18 minutes; Thus, original time = $18 \times 3 = 54$ minutes.
6	B	<b>Option B</b> <b>Solution:</b> Assume Total distance = 100 km. So speed = $100/[(40/20)+(50/25)+(10/10)]$ ; speed = $100/[(2)+(2)+(1)]$ ; = $100/[5]$ = 20 kmph.
7	D	<b>Option D</b> <b>Solution:</b> Total distance = $18 \times 10 = 180$ Journey traveled by auto = x hours $30 \times x + (10-x)10 = 180$ $30x + 100 - 10x = 180$ $20x = 80$ $x = 4$ hours Distance traveled by auto = $4 \times 30 = 120$ km
8	A	<b>Option A</b> <b>Solution:</b> Distance covered in 6 minute = $6 \times (1000/60) = 100$ She has to cover $(500+100)$ meters in 24 minutes Required speed = $(600/1000)/(24/60) = 1.5$ kmph
9	E	<b>Option E</b> <b>Solution:</b> Let speed of faster rabbit = x & speed of slower rabbit = y $x + y = 60/1.2$ $x + y = 50$ — (A) $60/y - 60/x = 1$ — (B) Solve equations, we get y = 150 and 20 bt y cannot be 120 as $x+y = 50$ . So y = 20 kmph and x = 30 kmph

10	E	<b>Option E</b> <b>Solution:</b> $\frac{3}{2}$ of speed = $\frac{2}{3}$ of original time $\frac{2}{3}$ of original time = original time – 40 minutes; $\frac{1}{3}$ rd of original time = 40 minutes; Thus, original time = $40 \times 3 = 120$ minutes = 2 hours
11	C	<b>Option C</b> <b>Solution:</b> length of the train = (Difference in speeds * Product of time) / Difference in Time $S_1 = 8 \times \frac{5}{18} = \frac{20}{9}$ m/s $S_2 = 12 \times \frac{5}{18} = \frac{30}{9}$ m/s length of the train = $(\frac{10}{9}) \times 9 \times \frac{10}{1} = 100$ m
12	D	<b>Option D</b> <b>Solution:</b> Speed of train B = Speed of train A * Square root of ( $t_1/t_2$ ) Speed of train B = $80 \times \text{Square root of } ((39/2)/26/3)$ Speed of train B = $80 \times \frac{3}{2} = 120$ kmph
13	B	<b>Option B</b> <b>Solution:</b> Distance between Stations P and Q = [Relative Speed]/Difference of Speed * d Distance = $(200/40) \times 80 = 400$ km
14	A	<b>Option A</b> <b>Solution:</b> Distance = Difference in time * [Product of speeds / Difference in speeds] Distance = $45/60 \times [(80 \times 120)/40] = 180$ km
15	D	<b>Option D</b> <b>Solution:</b> First train speed = a ; Second train speed = b Time taken to meet = (Distance (+/-) t(b))/Relative Speed If the second train started after the first train then [+t] Time taken to meet = (Distance + t(b))/Relative Speed Time taken to meet = $(280 + 1(120))/200 = 2$ h Time both trains meet at = 6.00 pm + 2h = 8:00 pm
16	B	<b>Option B</b> <b>Solution:</b> First train speed = a ; Second train speed = b Time taken to meet = (Distance (+/-) t(b))/Relative Speed If the second train started before the first train then [-t] Time taken to meet = (Distance – t(b))/Relative Speed Time taken to meet = $(280 - 1(120))/200 = 48$ minutes Time both trains meet at = 7.00 pm + 48 minutes = 7:48 pm
17	D	<b>Option D</b> <b>Solution:</b> The distance of the point where the two trains meet is “x” $x/80 - (250 - x)/120 = 1/2$ $3x - 2(250 - x) = 1/2 \times 240$ $3x - 500 + 2x = 120$ $5x = 620$ $x = 124$ km.
18	A	<b>Option A</b> <b>Solution:</b> Speed of slower train = x Speed of faster train = x+6 Relative speed = $2x + 6$ $240/2x + 6 = 8$ $240 = 16x - 48$ $16x = 192$ $x = 12$ kmph
19	E	<b>Option E</b> <b>Solution:</b> $d/x = 4$ $d/x - 4 = 5$

		$4x = 5x - 20$ $x = 20 \text{ kmph}$
20	E	<b>Option E</b> <b>Solution:</b> $d/x = 5$ $d/x - 5 = 6$ $5x = 6x - 30$ $x = 30 \text{ kmph}$ Reduced speed = $x - 5 = 30 - 5 = 25 \text{ kmph}$ $d = 150$
21	C	<b>Option C</b> <b>Solution:</b> With 80 km/hr, distance travelled in 1 n half hours (9:30AM – 8AM) is $3/2 * 80 = 120 \text{ Km}$ Now second train also starts, and at this time distance between both trains is $(545 - 120) = 425 \text{ km}$ Relative speed = $80 + 90 = 170 \text{ km/hr}$ (when travelling in opposite direction, add speed) So time when they meet = $425/170 = 2.5 \text{ hrs}$ So after 9:30 AM they meet after 2.5 hrs, so 12 AM
22	B	<b>Option B</b> <b>Solution:</b> Speed of bus = $560/8 = 70 \text{ km/hr}$ So speed of car = $8/7 * 70 = 80 \text{ km/hr}$ So speed of train = $130 \text{ km/hr}$ So time taken by train to cover 520 km = $520/130 = 4 \text{ hours}$
23	A	<b>Option A</b> <b>Solution:</b> Let total distance be $d \text{ km}$ , speed = $u$ , and time = $t \text{ hours}$ So case 1: 30 km with speed $u$ , $(d - 30)$ with speed $1 - 1/5 = 4/5$ of $u$ If he would have travelled $(d - 30)$ by speed $u$ , then time = $(d - 30)/u$ But now time is = $(d - 30)/(4u/5) = 5(d - 30)/4u$ And difference in timings is 45 minutes = $3/4 \text{ hour}$ So $5(d - 30)/4u - (d - 30)/u = 3/4$ Solve $(d - 30)/u = 3$ case 2: 48 km with speed $u$ , $(d - 48)$ with speed $1 - 1/5 = 4/5$ of $u$ If he would have travelled $(d - 48)$ by speed $u$ , then time = $(d - 48)/u$ But now time is = $(d - 48)/(4u/5) = 5(d - 48)/4u$ And difference in timings is 36 minutes = $3/5 \text{ hour}$ So $5(d - 48)/4u - (d - 48)/u = 3/5$ Solve $(d - 48)/4u = 3/5$ Divide both equations, $d = 120 \text{ km}$
24	C	<b>Option C</b> <b>Solution:</b> Let speeds be $x \text{ km/hr}$ and $y \text{ km/hr}$ So $225/(x + y) = 3$ And $225/(x/2 + 2y/3) = 5$ Solve, $x = 30$ , $y = 45$
25	D	<b>Option D</b> <b>Solution:</b> Speed of Bhavna = $x \text{ km/hr}$ , of priya = $(x + 10) \text{ km/hr}$ Distance covered by Priya = $60 + 12 = 72 \text{ km}$ And by Bhavna = $60 - 12 = 48 \text{ km}$ So $72/(x + 10) = 48/x$ Solve, $x = 20$
26	E	<b>Option E</b> <b>Solution:</b> Let the speed of the train is $s \text{ km/hr}$ and its length is $a \text{ m}$ . So $a/[(s - 5) * (5/18)] = 12$ ; [In same direction relative speed is obtained by subtracting. Also changing km/hr to m/s]

		<p>Solve <math>3a = 10s - 50</math> ..... (i)  And also  <math>a/[(s-8)*(5/18)] = 15</math>;  <math>6a = 25s - 200</math> ..... (ii)  Solve (i) and (ii)  <math>s = 20</math> km/hr</p>																								
27	B	<p><b>Option B</b>  <b>Solution:</b>  Let speed of the 2nd train is <math>s</math> m/sec.  <math>80 \text{ km/hr} = (80*5)/18 = 200/9 \text{ m/sec}</math>.  Trains are travelling in same direction. So  <math>(200/9) - s = 150/20</math>  Solve, <math>s = 265/18 \text{ m/sec} = 265/18 * 18/5 = 53 \text{ km/hr}</math></p>																								
28	B	<p>1. <b>Option B</b>  <b>Solution:</b>  When A runs 500 m, B runs 470 m  So when A runs 200 m, B runs <math>470/500 * 200 = 188 \text{ m}</math>  When B runs 400 m, C runs 280 m  So when B runs 188 m, C runs, <math>280/400 * 188 = 131.6 \text{ m}</math>  So A will beat C by <math>(200 - 131.6) = 68.4 \text{ m}</math></p>																								
29	E	<p><b>Option E</b>  <b>Solution:</b>  Let speed of the slower train is <math>x</math> km/hr, then speed of faster is <math>(x+10)</math> kmph.  Let faster train takes <math>t</math> hours to cover the distance 300 km, then slower one takes <math>(t+8)</math> hours.  Distance is same. So  <math>x/(x+10) = t/(t+8)</math>  Solve, <math>4x = 5t</math></p>																								
30	D	<p><b>Option D</b>  <b>Solution:</b>  Use formula:  <math>4 \text{ AM} + (6-4)*(8-4)/[(6-4)+(8-5)]</math>  gives <math>4 \text{ AM} + 8/5</math>  <math>8/5 \text{ hours} = 1 \frac{3}{5} \text{ hours} = 1 \frac{3}{5} * 60 = 1 \text{ hour } 36 \text{ minutes}</math>  So <math>4 \text{ AM} + 1 \text{ hour } 36 \text{ minutes} = 5:36 \text{ AM}</math></p>																								
31	C	<p>Correct Option: C</p> <table border="1"> <thead> <tr> <th>Day</th><th>Total distance</th><th>By bus</th></tr> </thead> <tbody> <tr> <td>Day1</td><td>25% of 3000 = 750 km</td><td>30% of 750 = 225 km</td></tr> <tr> <td>Day2</td><td>15% of 3000 = 450 km</td><td>25% of 450 = 112.5 km</td></tr> <tr> <td>Day3</td><td>20% of 3000 = 600 km</td><td>45% of 600 = 270 km</td></tr> <tr> <td>Day4</td><td>10% of 3000 = 300 km</td><td>20% of 300 = 60 km</td></tr> <tr> <td>Day5</td><td>18% of 3000 = 540 km</td><td>15% of 540 = 81 km</td></tr> <tr> <td>Day6</td><td>12% of 3000 = 360 km</td><td>18% of 360 = 64.8 km</td></tr> <tr> <td></td><td></td><td>Total = 813.3 km</td></tr> </tbody> </table> <p>Hence, option C is correct.</p>	Day	Total distance	By bus	Day1	25% of 3000 = 750 km	30% of 750 = 225 km	Day2	15% of 3000 = 450 km	25% of 450 = 112.5 km	Day3	20% of 3000 = 600 km	45% of 600 = 270 km	Day4	10% of 3000 = 300 km	20% of 300 = 60 km	Day5	18% of 3000 = 540 km	15% of 540 = 81 km	Day6	12% of 3000 = 360 km	18% of 360 = 64.8 km			Total = 813.3 km
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32	C	<p>Correct Option: C  The total distance travelled by Ola = 1084.2 km  Speed = 40 km per hr</p> <p>Time = <math>\frac{1084.2}{40} = 27.105 \text{ hours} = \text{approximately } 27 \text{ hours}</math></p> <table border="1"> <thead> <tr> <th>Day</th><th>Total distance</th><th>By Ola</th></tr> </thead> <tbody> <tr> <td>Day1</td><td>25% of 3000 = 750 km</td><td>45% of 750 = 337.5 km</td></tr> <tr> <td>Day2</td><td>15% of 3000 = 450 km</td><td>35% of 450 = 157.5 km</td></tr> <tr> <td>Day3</td><td>20% of 3000 = 600 km</td><td>15% of 600 = 90 km</td></tr> <tr> <td>Day4</td><td>10% of 3000 = 300 km</td><td>20% of 300 = 60 km</td></tr> <tr> <td>Day5</td><td>18% of 3000 = 540 km</td><td>60% of 540 = 324 km</td></tr> <tr> <td>Day6</td><td>12% of 3000 = 360 km</td><td>32% of 360 = 115.2 km</td></tr> <tr> <td></td><td></td><td>Total = 1084.2 km</td></tr> </tbody> </table>	Day	Total distance	By Ola	Day1	25% of 3000 = 750 km	45% of 750 = 337.5 km	Day2	15% of 3000 = 450 km	35% of 450 = 157.5 km	Day3	20% of 3000 = 600 km	15% of 600 = 90 km	Day4	10% of 3000 = 300 km	20% of 300 = 60 km	Day5	18% of 3000 = 540 km	60% of 540 = 324 km	Day6	12% of 3000 = 360 km	32% of 360 = 115.2 km			Total = 1084.2 km
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33	C	<p>Correct Option: C</p> <p>The total distance travelled by Ola = 1084.2 km</p> <p>The total distance travelled by Uber = 3000 – 813.3 – 1084.2 = 1102.5 KM</p> <p>The reqd. % = <math>\frac{1084.2 \times 100}{1102.5} = 98.34\%</math></p> <p>Hence, option C is correct.</p>
34	A	<p>Correct Option: A</p> <p>The distance travelled by bus = 813.3 km</p> <p>The distance travelled by Ola = 1084.2 km</p> <p>The distance travelled by Uber = 1102.5 km</p> <p>The required Ratio = 8133 : 10842 : 11025 = 2711 : 3614 : 3675</p> <p>Hence, option A is correct.</p>
35	D	<p>Correct Option: D</p> <p>The average speed of bus is 30 km per hour then the average speed of Ola</p> <p><math>= \frac{30 \times 125}{100} = 37.5 \text{ km}</math></p> <p>The total distance travelled by bus = 813.3 km</p> <p>The reqd. time = <math>\frac{813.3}{30} - \frac{813.3}{37.5}</math></p> <p><math>= 813.3 \times \frac{7.5}{30 \times 37.5} = 5.422 \text{ hours} = 5.4 \text{ hours approximately}</math></p> <p>Hence, option D is correct.</p>