

class 2 Arrays

Q1 Missing number

[3, 0, 1]

0 --- n

1st approach:

[0, 1, 3]

$$0+1 = 1$$

$$1+1 = \boxed{2}$$

$$TC: O(n \log n) + O(n) = O(n \log n)$$

2nd approach: Hashset

[3, 0, 1]

~~0~~, 1, 2, 3

1
0
3

size = n

No. of elements = n + 1

0 --- n + 1

[9, 6, 4, 2, 3, 5, 7, 0, 1]

no = 10

0 --- 10

8

1	✓
0	✓
9	✓
10	✓
5	✓
3	✓
2	✓
4	✓
6	✓
7	✓

Algorithm:

- 1) Maintain a hashset of elements
- 2) No. of elements = n + 1

check if no. from 0 --- n + 1 are present in hashset/not
if not, return the no.

$$TC: O(n)$$

$$SC: O(n)$$

Q2 Merge the intervals

[1, 3], [2, 6], [8, 10], [15, 18]

Ans: ~~[1, 3], [2, 6]~~ = [1, 6], [8, 10], [15, 18]

[1, 4], [4, 5], [8, 11], [10, 13]

Ans: ~~[1, 4], [4, 5]~~ = [1, 5], ~~[8, 11], [10, 13]~~
= [1, 5], [8, 13]

Algorithm:

- 1) Sort the intervals based on starting element (start time),
- 2) Insert 1st element into the answer
- 3) continue inserting each interval

we'll check if starting of new interval \leq end of last inserted interval

if it is true, update end time of last inserted interval to be max of end time of both intervals.
if it is false, simply insert the interval

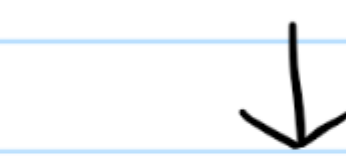
4) Return the ans.

$$TC: O(n \log n) + O(n) = O(n \log n)$$

Q3 Merge sorted array

[1, 2, 3, 0, 0, 0]

$m=3$



[1, 2, 2, 3, 5, 6]

[2, 5, 6]

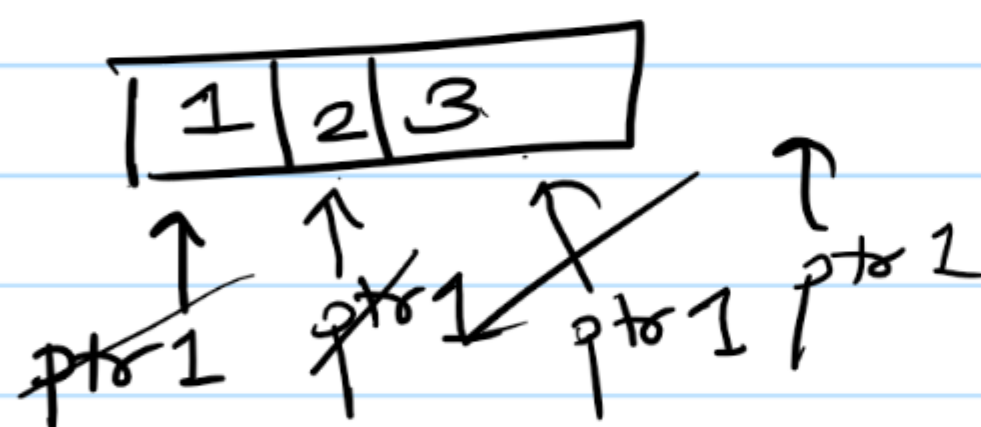
$n=3$

1, 2, ~~2~~, 3, ~~5~~, ~~6~~

2, 5, 6
↑ ↑ ↑
p₂ p₂ p₂

= [1, 2, 2, 3, 5, 6]

new-array



Algorithm: 1) Initialise a new array containing the first m elements of num 1. → numscopy

2) Initialise $p1$ to beginning of numscopy

3) Initialise $p2$ to beginning of num 2

4) if numscopy[p1] exists & is less than/ = num 2[p2]

write numscopy[p1] in num 1 & increment $p1$

else write num 2[p2] in num 1 & increment $p2$.

TC: $O(m+n)$

SC: $O(m)$

Q4: calculate majority element

(3) 4 3 7 3 3
↓ ! ! ! !

Brute force:

$$n-1 + n-2 + \dots + 1 = O(n^2)$$

Approach 2

3 3 3 3 4 7 $O(n \log n)$ \leftarrow sorting

Approach 3

Hash Map

Number	Frequency
3	4
4	1
7	1

$$> 6/2$$

$$> 3$$

= 3 is the ans

TC: $O(n)$

SC: $O(n)$

Algorithm: 1) we can use a hashmap to store elements & their count/frequency

2) Return the element with frequency $> n/2$

Q5: Duplicate Number

[1, 3, 4, 2, 2]
↓ ↓ ↓ ↓ ↓

Approach 1: Brute force: $n-1 + n-2 + \dots + 1 = O(n^2)$

2: Sorting

1, 2, 2, 3, 4

$$O(n \log n) + O(n) = O(n \log n)$$

3:

2
4
3
1

2

Algorithm:

1) Try to store elements in the hashset

2) If an element is already present, return that element

Q6 Bit manipulation

{2, 10}

{a, b}

→ 2, 4, 5, 6, 8, 10

[b-a]+1

1	0	1	1	1	0	1	0	1
2	3	4	5	6	7	8	9	10

{2, 4, 5, 6, 8, 10}

$$\text{num} \% 2 == 0$$

$$\text{num} \% 5 == 0$$

Algo:

1) creating an array of size $b-a+1$

2) For each element we are checking if it is
divisible by 2 or 5
if " = mark it as 1
else mark it as 0

3) Return all numbers marked as 1

$$TC = O(b-a)$$

Q7 Make array a palindrom

abcba = abcba

1 2 1

NAMAN = NAMAN

{15, 4, 15} = {15, 4, 15}

} - Palindrome array
0

1, 4, 5, 9, 1
↑ ↑ ↑ ↑
p1 p1 p2 p2
1 9 9 1
↑ ↑
1

1, 9, 5, 4, 1

1, 17, 35
↑ ↑
p1 p2

18 35
↑ ↑

[53], [53]

Reverse of array

2

Algorithm:

1) Let $f(i, j)$ be the minimum no. of operations to
make subarray $[i \dots j]$ a palindrome

we start from $i=0$ & $j=n-1$

2) If $arr[i] == arr[j]$, we don't need to do any operation,

else $arr[i] > arr[j]$, we'll merge $j-1$ & j

$$arr[j-1] = arr[j-1] + arr[j]$$

$$ans = 1 + f(i, j-1)$$

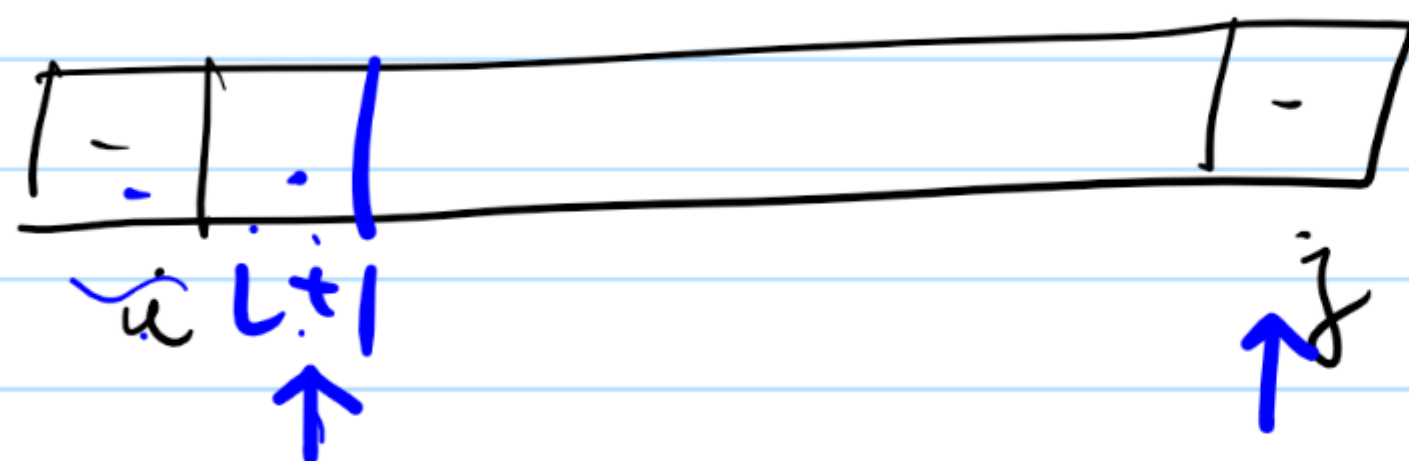
$arr[i] < arr[j]$,

$$arr[i+1] = arr[i] + arr[i+1]$$

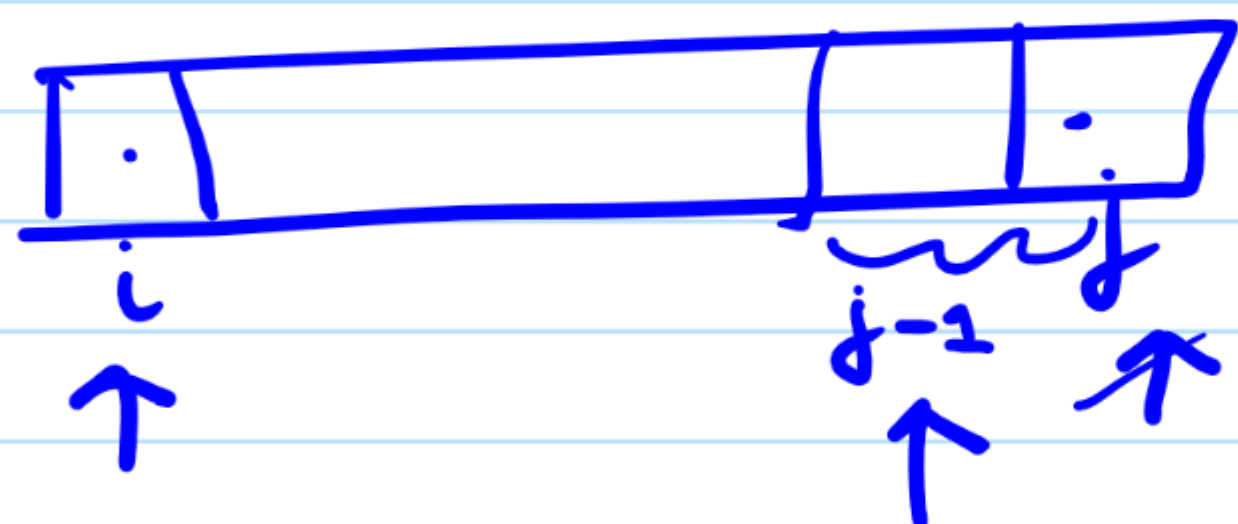
$$ans = 1 + f(i+1, j)$$

3) Return $f(0, n-1)$

$i < j$



$arr[i] > arr[j]$



$\{15, 4, 15\}$

$$= O(n)$$

$\leftarrow TC$

$$O(1)$$

$\leftarrow SC$