Calgary Unemployment Analysis A Statistical Analysis project

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Introduction

Calgary, the largest city in Alberta, has historically experienced fluctuations in its unemployment rate due to its close ties to the oil and gas industry. As a key economic hub in Western Canada, Calgary's job market is influenced by global energy prices, government policies, and economic diversification efforts.



Background

Over the past decade, Calgary has faced economic challenges, including downturns in the energy sector, the impact of the COVID-19 pandemic, and shifts in labor demand across industries. While efforts have been made to expand sectors such as technology, finance, and renewable energy, employment trends continue to be shaped by market conditions.



Background

Understanding regional economic trends requires a close look at employment data. In this analysis, we will examine and compare unemployment rates in Calgary, Alberta, and Canada as a whole, using data from January 2020 to June 2021. By understanding these rates, we aim to identify potential disparities and gain insights into how Calgary's employment situation aligns with both the broader provincial and national trends. This comparison will shed light on the relative economic health of Calgary within Alberta and Canada, highlighting areas of strength or vulnerability.

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The data

Date	Calgary	Alberta	Canada
2020-01-01	0.07	0.07	0.06
2020-02-01	0.07	0.07	0.06
2020-03-01	0.08	0.08	0.06

Table: Unemployment Rates



The Data

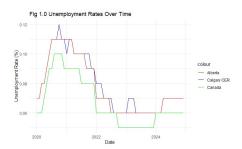




Figure: Unemployment rates.

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How is the data distributed?

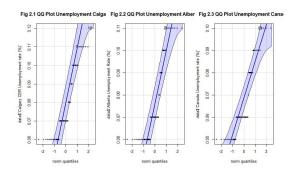


Figure: distribution.



Hypothesis testing

Let the null hypothesis be that the difference in mean of both unemployment rates is 0.

$$H0: \mu 1 - \mu 2 = 0$$

Let the alternate hypothesis be the opposite.

$$\mathit{H}1:\mu 1-\mu 2\neq 0$$



Hypothesis testing(Calgary & Alberta)

Then, p-value=0.6604, 95 percent confidence interval: [-0.00544653, 0.008244653]

Thus, The null hypothesis (Calgary vs Alberta) is not rejected: There are no significant differences in the mean unemployment rates. Thus, the null hypothesis (Calgary vs. Alberta) is not rejected. There are no significant differences in the mean unemployment rates.



Hypothesis testing(Alberta & Canada)

Then, p-value = 0.001684, 95 percent confidence interval: [0.003969651, 0.016697015]]

The null hypothesis (Alberta vs Canada) is rejected: There is a significant difference in the mean unemployment rates.



Hypothesis testing(Calgary & Canada)

Then, p-value = 0.0003279, 95 percent confidence interval: [0.005503419, 0.018163248]

The null hypothesis (Calgary vs Canada) is rejected: There is a significant difference in the mean unemployment rates.



permutation tests

However these results are based on a t-test where we assume the distributions are approximately normally distributed; there is another way to conduct the test based on permutations. This involves re-sampling the data and then conduction t-tests, this provides a'simulated' result with sampled data and is more accurate as it does not assume any distribution of the proportion.



Permutation testing (Calgary vs. Alberta)

p-value = 0.6955

95% CI: -0.0065 to 0.0065



Permutation testing (Alberta vs. Canada)

p-value = 0.0012

95% CI: -0.006666667 to 0.006333333



Permutation testing (Calgary vs. Canada)

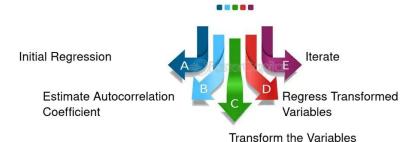
p-value = 2e-04

95% CI: -0.0065 to 0.0065



cochrane-orcutt

Understanding the Cochrane-Orcutt Procedure



Regression Analysis(cochrane-orcutt)

The Cochrane-Orcutt regression method is used to correct for autocorrelation (especially first-order autocorrelation) in time series regression models. Interactive method used to solve first-order autocorrelation problems. This procedure estimates both autocorrelation and beta coefficients recursively until we reach the convergence or where the difference between successive error terms stabilizes. The Durbin-Watson test is used to find autocorrelation in the residuals from the statistic model.



Durbin-Watson test

To decide whether we need Cochrane-Orcutt, we check for autocorrelation in the residuals using the Durbin-Watson test

If DW statistic is close to 2, no autocorrelation.

If DW <2, positive autocorrelation (Cochrane-Orcutt should be applied). If DW >2, negative autocorrelation.



Cochrane-Orcutt

Fig 2.4 Alberta vs. Calgary Unemployment with Cochrane-Orcutt Regression

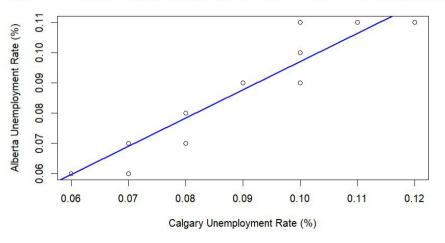


Figure: Regression plot

Cochrane-Orcutt

After performing the cochrane-orcutt estimation the coefficients obtained were 0.003817468 0.932498796, wherein the Intercept is 0.003817468 and the slope, of Calgary unemployment rate, is 0.932498796.

The intercept suggests that when the Calgary unemployment rate is 0%, the Alberta unemployment rate is estimated to be approximately 0.38%. It's important to consider if a 0% unemployment rate for Calgary is realistic within the context of the data. This is the key coefficient. It indicates that for every 1 percentage point increase in the Calgary unemployment rate, the Alberta unemployment rate is predicted to increase by approximately 0.93 percentage points, after accounting autocorrelation in the data.

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Cochrane-Orcutt

This is the key coefficient. It indicates that for every 1 percentage point increase in the Calgary unemployment rate, the Alberta unemployment rate is predicted to increase by approximately 0.93 percentage points, after accounting for the autocorrelation in the data.



Contributions

- Ammar Data & Testing the normality
- Ria T-tests, Hypothesis testing
- Gautham Permutation Testing
- Romith Regression analysis & Documentation



Thank You!!!

