

Revision Series Playlist Link

https://bit.ly/3eBbib9

PhD Series

https://bit.ly/3cQSxPT

GoldMine Link

https://bit.ly/2VhOGFF



1.

Work-Energy Theorem

Net work done = change in Kinetic Energy $W_{\eta et} = K_f - K_i = W_{\eta et} = \Delta K$ > Work can be due to Various forces: Conservative force (gravitational) E | ectrostatic, spring force) - Non-Conservative (friction, viscous force) Ly External agent (person applying forces)
Ly Tension, Normal Eduniti for Physics

··· Continued

Work-Energy Theorem

Net work done = change in Kinetic Energy

$$W_{net} = K_f - K_i \Rightarrow W_{net} = \Delta K$$
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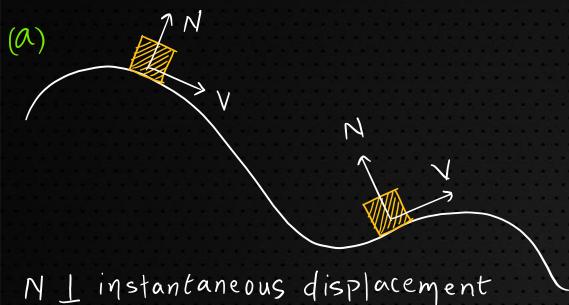
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Work-Energy Theorem

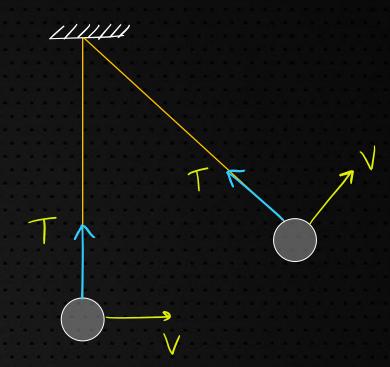
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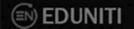


2. Sitiuation where W=0

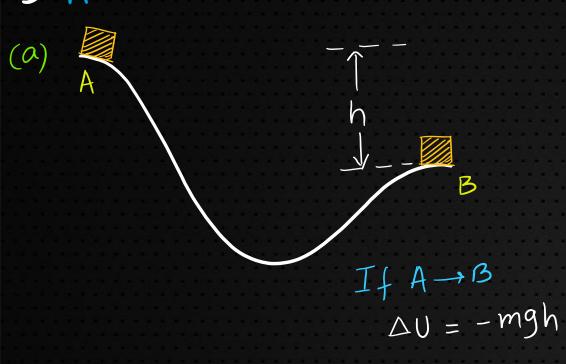


$$\Rightarrow W_N = 0$$



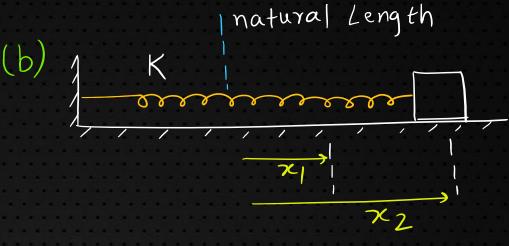


3. How to write DU



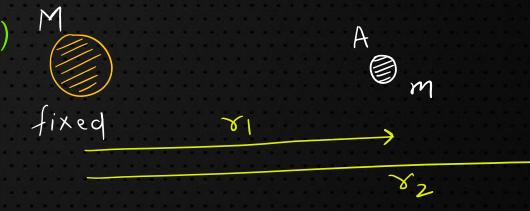
$$If B \rightarrow A$$

$$\Delta U = mgh$$



From
$$x_1 \rightarrow x_2$$

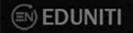
$$\Delta U = \frac{1}{2} K x_2^2 - \frac{1}{2} K x_1^2$$



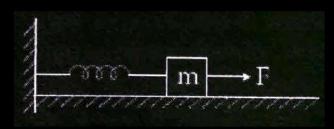
$$A \rightarrow B$$
, $\Delta U = -\frac{9Mm}{\sqrt{2}} - \left(-\frac{9Mm}{\sqrt{1}}\right)$
Physics



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 $\mathcal{E} \times 1$. A block of mass m, lying, on a smooth horizontal surface, is attached to a spring (of negligible mass) of spring constant k. The other end of the spring is fixed, as shown in the figure. The block is initally at rest in its equilibrium position. If now the block is pulled with a constant force F, the maximum speed of the block is JEE 2019

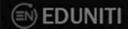


(a)
$$\frac{2F}{\sqrt{mk}}$$

(b)
$$\frac{F}{\pi\sqrt{mk}}$$

(c)
$$\frac{\pi F}{\sqrt{mk}}$$

(d)
$$\frac{F}{\sqrt{mk}}$$



V is max when
$$F = F_s(spring force)$$

 $F = Kx \Rightarrow x = F_k$

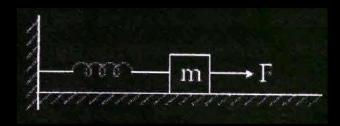
$$W_{\text{ext}} = \Delta K + \Delta U$$

=)
$$Fx = \frac{1}{2}mV^2 + \frac{1}{2}Kx^2$$

$$\Rightarrow \frac{F^2}{K} = \frac{1}{2}mv + \frac{F^2}{2K}$$

$$\Rightarrow$$
 $V = \frac{F}{JmK}$

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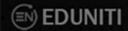


(a)
$$\frac{2F}{\sqrt{mk}}$$

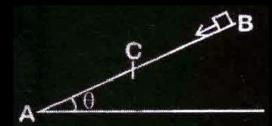
(b)
$$\frac{F}{\pi\sqrt{mk}}$$

(c)
$$\frac{\pi F}{\sqrt{mk}}$$

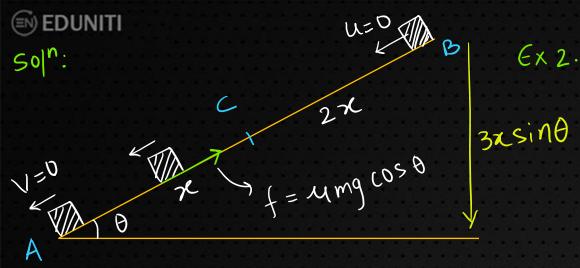
(d)
$$\frac{F}{\sqrt{mk}}$$



 $\mathcal{E} \times 2$. A small block starts slipping down from a point B on an inclined plane AB, which is making an DEE 2020



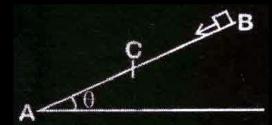
angle θ with the horizontal. Section BC is smooth and the remaining section CA is rough with a coefficient of friction μ . It is found that the block comes to rest as it reaches the bottom (point A) of the inclined plane. If BC = 2AC, the coefficient of friction is given by $\mu = k \tan \theta$. The value of k is



 \Rightarrow -4mg(0S θ · $\chi = 0 - mg \cdot 3\chi \sin \theta$

Mf = DK+DU

 $E \times 2$. A small block starts slipping down from a point B on an inclined plane AB, which is making an B = AB



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$$= M = 3 \tan \theta$$

 $\ell \times 3$. A block starts moving up an inclined plane of inclination 30° with an initial velocity of v_0 . It comes back to its initial position with velocity $v_0/2$. The value of the coefficient of kinetic friction between the block and the inclined plane is close to I/1000. The nearest integer to I is

JEE 2020

 $\mathcal{E} \times 3$. A block starts moving up an inclined plane of inclination 30° with an initial velocity of v_0 . It comes back to its initial position with velocity $v_0/2$. The value of the coefficient of kinetic friction between the block and the inclined plane is close to I/1000. The nearest integer to I is

SOIN:

$$W_f = \Delta K + \Delta U$$

$$\Rightarrow 2 \times (-4mq\cos\theta \cdot x) = \frac{1}{2}m(\frac{V_0}{2})^2 - \frac{1}{2}mV_0^2 + 0$$

=)
$$-24mg(0s\theta \cdot x = -\frac{3}{8}mV_0^2 - (1)$$

$$A \rightarrow B \stackrel{\circ}{\circ} 0 = V^{\circ 2} - 2 \left(g \sin \theta + u g \cos \theta \right) \times$$

$$\Rightarrow V_{\circ}^{2} = 2g \left(\sin \theta + u \cos \theta \right) \times - (1)$$

$$from(i)$$
 &(i) :. $4 = \frac{3}{5}tan\theta =) 4 = \frac{3}{5} \times \frac{1}{5} = \frac{13}{5}$

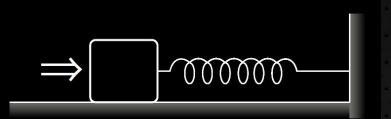
10/2



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$$\Rightarrow \frac{13}{5} = \frac{1}{1000} \Rightarrow \boxed{1 \approx 346}$$

3

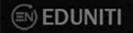
6x4. A block of mass 0.18 kg is attached to a spring of force constant 2 N/m. The coefficient of friction between the



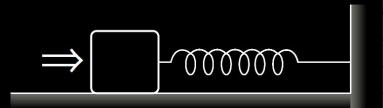
block and the floor is 0.1. Initially the block is at rest and the spring is unstretched. An impulse is given to the block as shown in the figure. The block slides a distance of 0.06 m and comes to rest for the first time. The initial velocity of the

block in m/s is
$$v = \frac{N}{10}$$
. Then N is

(2011)



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Solno

$$|x=0.06 \text{ m}|$$
 $|x=2N/m|$
 $|y|$
 $|y|$
 $|x=2N/m|$
 $|x=0.16 \text{ m}|$
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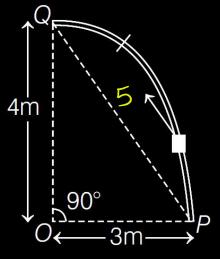
$$\Rightarrow V = \sqrt{\frac{Kx^2 + 249x}{m^2 + 249x}}$$

$$\Rightarrow V = \frac{4}{10} \therefore N = 4$$

put
$$K = 2N/m$$
, $x = 0.06m$
 $m = 0.18 K9$, $4 = 0.1$
 $g = 10 m/s^2$

Consider an elliptically shaped rail PQ in the vertical plane with OP = 3 m and OQ = 4 m. A block of mass 1 kg is pulled along the rail from P to Q with a force of 18 N, which is always parallel to line PQ (see figure). Assuming no frictional losses, the kinetic energy of the block when it reaches Q is $(n \times 10)$ J. The value of n is (take acceleration due to gravity = 10 ms^{-2}) (2014 Adv.)

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Solois

(i)
$$N \perp V$$

$$\Rightarrow W_N = 0$$

(ii) $F \parallel QP$

block when it reaches
$$Q$$
 is $(n \times 10)$ J. The value of n is (take acceleration due to gravity = 10 ms^{-2}) (2014 Adv.)

$$W_{F} = \Delta K + \Delta U \Rightarrow \overrightarrow{F} \cdot \overrightarrow{S} = K_{f} + mgh$$

 $\Rightarrow 18 \times 5 = K_{f} + 1 \times 10 \times 4$
 $\therefore K_{f} = 50 \text{ T} \Rightarrow 7 = 5$

Figure (8-E7) shows a spring fixed at the bottom end of an incline of inclination 37°. A small block of mass 2 kg starts slipping down the incline from a point 4.8 m away from the spring. The block compresses the spring by 20 cm, stops momentarily and then rebounds through a distance of 1 m up the incline. Find (a) the friction coefficient between the plane and the block

Take $g = 10 \text{ m/s}^2$.

HCV-WEP-Q43

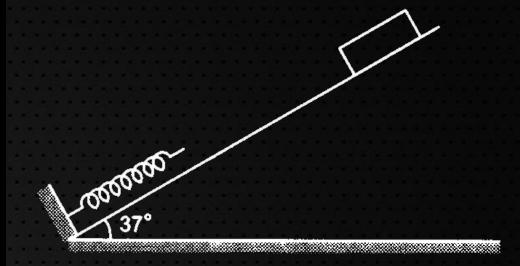
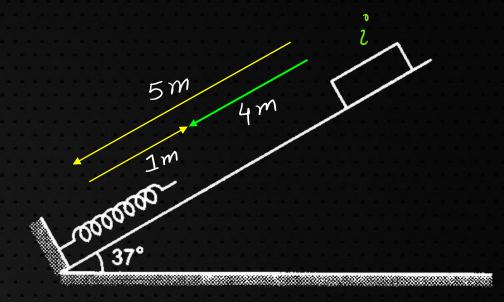


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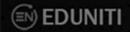
Take $g = 10 \text{ m/s}^2$.

HCV - WEP- Q43



Sol):
$$W_f = \triangle U + \triangle K \Rightarrow -umg(os\theta \times (5+1) = -mg \times 4 sin\theta + 0)$$

 $\Rightarrow 4 = \frac{2}{3}tan\theta = \frac{2}{3} \times \frac{3}{4} = 0.5$



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