

Week Eight Assignment

Wednesday, November 27, 2019 12:25 AM

Task 1:

Using the diagrams given in the presentation calculate how much (%) is the effect of applying different modifications (changing the gas, adding an extra pane, using a low emissivity coating) on the U value with respect to a benchmark case of double layer with air and no coating ? (keep the gap thickness to be 13 mm)

Answer:

The U - value of a window:

$$U_{window} = \frac{U_{center}A_{center} + U_{edge}A_{edge} + U_{fram}A_{fram}}{A_{window}}$$

If it is a double - pane window, disregard the thermal resistances of glass layers:

$$\frac{1}{U_{double - pane (ceter region)}} = \frac{1}{h_i} + \frac{1}{h_{space}} + \frac{1}{h_o}, h_{space} = h_{rad, space} + h_{conv, space}$$

The h_{space} changes by changing the gas that fills the gap.

From the diagram in the right side, we can see that: When the gap thickness is 13 mm,

By changing the gas that fills the gap from air to argon, the

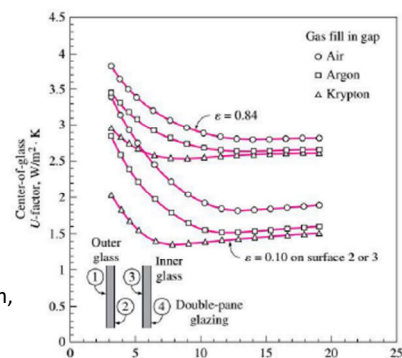
$$U\text{-value of the center of the glass decreases from } 2.8 \frac{W}{m^2K} \text{ to } 2.65 \frac{W}{m^2K}$$

, which means the U-value decreases about 6.43%

By changing the gas that fills the gap from air to krypton,

$$\text{the U-value of the center of the glass decrease from } 2.8 \frac{W}{m^2K} \text{ to } 2.6 \frac{W}{m^2K}$$

, which means the U-value decreases about 7.14%.



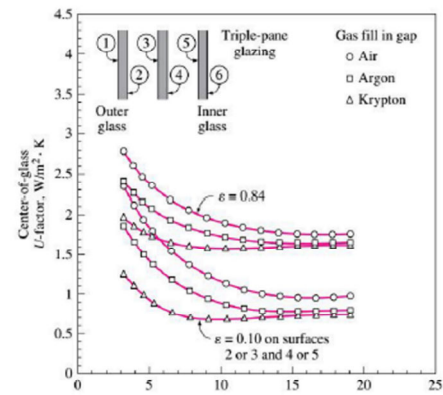
The hspace changes by adding an extra pane.
 From the diagram in the right side, we can see that:
 When the gap thickness is 13 mm, and the gas that fills the gap is air,
 By adding an extra pane,

the U-value of the center of the glass decreases from $2.8 \frac{w}{m^2k}$ to $1.8 \frac{w}{m^2k}$,
 which means the U-value decreases about 55.6%.

Another way to change the U_{center} , is to coat the glass surfaces
 with a film that has a low emissivity.

From the diagram in the right we can see that:
 When the gap thickness is 13 mm, and the gas fills the gap is air,

By coating the glass surfaces with a film that has the emissivity of 0.1 to change the
 U_{center} , the U-value of the center
 of the glass
 decreases from $2.8 \frac{w}{m^2k}$ to $1.8 \frac{w}{m^2k}$,
 which means the U-value decreases about 55.6%.



Task 2:

Consider the house that we analyzed in the last two examples, calculate the
 heating and cooling load of the other windows which are fixed 14.4 m² on the
 west, fixed 3.6 m² on the south and an operable 3.6 m² on the south (the
 same window and frame type). How much does the total value change if I
 change the frame of the window from wooden one to aluminium?

Answer:

PIACENZA, Italy

WMO#: 160840

Lat: 44.92N

Long: 9.73E

Elev: 138

StdP: 99.68

Time Zone: 1.00 (EUW)

Period: 89-10

WBAN: 99999

Annual Heating and Humidification Design Conditions

Coldest Month	Heating DB		Humidification DP/MCDB and HR						Coldest month WS/MCDB				MCWS/PCWD to 99.6% DB	
			99.6%			99%			0.4%		1%			
	99.6%	99%	DP	HR	MCDB	DP	HR	MCDB	WS	MCDB	WS	MCDB	MCWS	PCWD
(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)
1	-6.2	-4.8	-11.6	1.4	3.1	-8.8	1.8	1.8	8.8	5.6	7.7	6.2	2.1	250

(1)

Annual Cooling, Dehumidification, and Enthalpy Design Conditions

Hottest Month	Hottest Month DB Range	Cooling DB/MCWB						Evaporation WB/MCDB						MCWS/PCWD to 0.4% DB	
		0.4%		1%		2%		0.4%		1%		2%			
		DB	MCWB	DB	MCWB	DB	MCWB	WB	MCDB	WB	MCDB	WB	MCDB	MCWS	PCWD
(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)	(p)
8	11.9	33.1	22.7	31.9	22.4	30.3	21.8	24.6	30.2	23.7	29.2	22.9	28.3	2.4	90

(2)

Cooling design temperature $T_{cooling} = 24^{\circ}\text{C}$,
 and heating design temperature $T_{heating} = 20^{\circ}\text{C}$, therefore,

$$\Delta T_{cooling} = 31.9^{\circ}\text{C} - 24^{\circ}\text{C} = 7.9^{\circ}\text{C} = 7.9\text{K}$$

$$\Delta T_{heating} = 20^{\circ}\text{C} - (-4.8^{\circ}\text{C}) = 24.8^{\circ}\text{C} = 24.8\text{K}$$

From the table above, $DR = 11.9^{\circ}\text{C} = 11.9\text{K}$

The cooling load of the fixed window on the west is:

$$q_{windowwest} = A \times CF_{windowwest}$$

$$A = 14.4 \text{ m}^2,$$

$$\text{CF window west (Heat Transfer Part)} = U \text{ window west } (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

The window has a fixed heat absorbing double layer glass with a wooden frame,

$$\text{And so, } U \text{ window west} = 2.84 \frac{\text{W}}{\text{m}^2 \text{K}}$$

$$\text{CF window west (Heat Transfer Part)} = 2.84 \frac{\text{W}}{\text{m}^2 \text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 6.89 \frac{\text{W}}{\text{m}^2 \text{K}}$$

$$\text{PXi window west} = ED + Ed = 559 + 188 = 747$$

$$\text{SHGC} = 0.54$$

No internal shading, so IAC = 1 FFs = 0.56

$$\text{CF window west (Irradiation Part)} = \text{PXi} \times \text{SHGC} \times \text{IAC} \times \text{FFs}$$

$$Q_{\text{window west}} = A \times \text{CF window west} = A \times (\text{CF window west (Heat Transfer Part)} + \text{CF window west (Irradiation Part)})$$

$$= 14.4 \text{ m}^2 \times (6.89 + 747 \times 0.54 \times 1 \times 0.56) \frac{\text{W}}{\text{m}^2} = 3352.07 \text{ W}$$

The heating load of the fixed window on the west is:

$$q_{\text{window west}} = A \times \text{HF window west} = A \times U \text{ window west} \cdot \Delta T_{\text{heating}}$$

$$= 14.4 \text{ m}^2 \times 2.84 \frac{\text{W}}{\text{m}^2 \text{K}} \times 24.8 \text{ K} = 1014.22 \text{ W}$$

When the frame were to be aluminium,

$$U \text{ window west} = 3.61 \frac{\text{W}}{\text{m}^2 \text{K}}, \text{ SHGC} = 0.56$$

$$\text{CF' window west (heat transfer part)} = U' \text{ window west } (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

$$= 3.61 \frac{\text{W}}{\text{m}^2 \text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 8.76 \frac{\text{W}}{\text{m}^2}$$

$$\text{Cooling load } q'_{\text{window west}} = A \times \text{CF' window west}$$

$$= A \times (\text{CF' window west (Heat Transfer Part)} + \text{CF' window west (Irradiation Part)})$$

$$= 14.4 \text{ m}^2 \times (8.76 + 747 \times 0.56 \times 1 \times 0.56) \frac{\text{W}}{\text{m}^2} = 3499.48 \text{ W}$$

$$\text{Heating load } q'_{\text{window west}} = A \times \text{HF' window west} = A \times U' \text{ window west} \cdot \Delta T_{\text{heating}}$$

$$= 14.4 \text{ m}^2 \times 3.61 \frac{\text{W}}{\text{m}^2 \text{K}} \times 24.8 \text{ K} = 1289.20 \text{ W}$$

The cooling load of the fixed window on the south is:

$$q_{\text{window south}} = A \times \text{CF window south}$$

$$A = 3.6 \text{ m}^2,$$

$$\text{CF window south (Heat Transfer Part)} = U \text{ window south } (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

The window has a fixed heat absorbing double layer glass with a wooden frame,

$$\text{So, } U \text{ window south} = 2.842 \frac{\text{W}}{\text{m}^2 \text{K}}$$

$$\text{CF window south (Heat Transfer Part)} = 2.842 \frac{\text{W}}{\text{m}^2 \text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 6.89 \frac{\text{W}}{\text{m}^2}$$

$$\text{PXi window south} = ED + Ed = 348 + 209 = 557$$

$$\text{SHGC} = 0.55$$

No internal shading, so IAC = 1

$$\text{FFs} = 0.47$$

$$CF_{\text{window south}}(\text{Irradiation Part}) = P_{\text{XI}} \times SHGC \times IAC \times FF_s$$

$$q_{\text{window south}} = A \times CF_{\text{window south}} = A \times (CF_{\text{window south}}(\text{Heat Transfer Part}) + CF_{\text{window south}}(\text{Irradiation Part}))$$

$$= 3.6 \text{ m}^2 \times (6.89 + 557 \times 0.54 \times 1 \times 0.47) \frac{W}{m^2} = 553.72 \text{ W}$$

The heating load of the fixed window on the south is:

$$q_{\text{window south}} = A \times HF_{\text{window south}} = A \times U_{\text{window south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 2.84 \frac{W}{m^2 K} \times 24.8 \text{ K} = 253.56 \text{ W}$$

When the frame were to be aluminium,

$$U_{\text{window south}} = 3.61 \frac{W}{m^2 K}, \text{ HSGC} = 0.56$$

$$CF'_{\text{window south}}(\text{Heat Transfer Part}) = U'_{\text{window south}}(\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

$$= 3.61 \frac{W}{m^2 K} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 8.76 \frac{W}{m^2}$$

$$\text{Cooling load } q'_{\text{window south}} = A \times CF'_{\text{window south}}$$

$$= A \times (CF'_{\text{window south}}(\text{Heat Transfer Part}) + CF'_{\text{window south}}(\text{Irradiation Part}))$$

$$= 3.6 \text{ m}^2 \times (8.76 + 557 \times 0.56 \times 1 \times 0.47) \frac{W}{m^2} = 559.30 \text{ W}$$

$$\text{Heating load } q'_{\text{window south}} = A \times HF'_{\text{window south}}$$

$$= A \times U'_{\text{window south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 3.61 \frac{W}{m^2 K} \times 24.8 \text{ K} = 322.30 \text{ W}$$

The cooling load of the operable window on the south is:

$$q_{\text{window south}} = A \times CF_{\text{window south}}$$

$$A = 3.6 \text{ m}^2,$$

$$CF_{\text{window south}}(\text{Heat Transfer Part}) = U_{\text{window south}} (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

, The window has an operable heat absorbing double layer glass with a wooden frame,

$$\text{So, } U_{\text{window south}} = 2.87 \frac{W}{m^2 K}$$

$$, CF_{\text{window south}}(\text{Heat Transfer Part}) = 2.87 \frac{W}{m^2 K} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 6.96 \frac{W}{m^2}$$

$$P_{\text{XI}}_{\text{window south}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.46$$

No internal shading, so $IAC = 1$

$$FF_s = 0.47$$

$$CF_{\text{window south}}(\text{Irradiation Part}) = P_{\text{XI}} \times SHGC \times IAC \times FF_s$$

$$q_{\text{window south}} = A \times CF_{\text{window south}} = A \times (CF_{\text{window south}}(\text{Heat Transfer Part}) + CF_{\text{window south}}(\text{Irradiation Part}))$$

$$= 3.6 \text{ m}^2 \times (6.96 + 557 \times 0.54 \times 1 \times 0.47) \frac{W}{m^2} = 553.98 \text{ W}$$

The heating load of the fixed window on the south is:

$$q_{\text{window south}} = A \times HF_{\text{window south}} = A \times U_{\text{window south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 2.87 \frac{\text{W}}{\text{m}^2 \text{K}} \times 24.8 \text{ K} = 256.23 \text{ W}$$

When the frame were to be aluminium, $U_{\text{window south}} = 4.62 \frac{\text{W}}{\text{m}^2 \text{K}}$, HSGC = 0.55

$$\begin{aligned} \text{CF}'_{\text{window south}}(\text{Heat Transfer Part}) &= U'_{\text{window south}} (\Delta T_{\text{cooling}} - 0.46 \text{ DR}) \\ &= 4.62 \frac{\text{W}}{\text{m}^2 \text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 11.21 \frac{\text{W}}{\text{m}^2} \end{aligned}$$

$$\begin{aligned} \text{Cooling load } q'_{\text{window south}} &= A \times \text{CF}'_{\text{window south}} \\ &= A \times (\text{CF}'_{\text{window south}}(\text{Heat Transfer Part}) + \text{CF}'_{\text{window south}}(\text{Irradiation Part})) \\ &= 3.6 \text{ m}^2 \times (11.21 + 557 \times 0.55 \times 1 \times 0.47) \frac{\text{W}}{\text{m}^2} = 558.70 \text{ W} \end{aligned}$$

$$\begin{aligned} \text{Heating load } q'_{\text{window south}} &= A \times \text{HF}'_{\text{window south}} = A \times U'_{\text{window south}} \Delta T_{\text{heating}} \\ &= 3.6 \text{ m}^2 \times 4.62 \frac{\text{W}}{\text{m}^2 \text{K}} \times 24.8 \text{ K} = 412.47 \text{ W} \end{aligned}$$