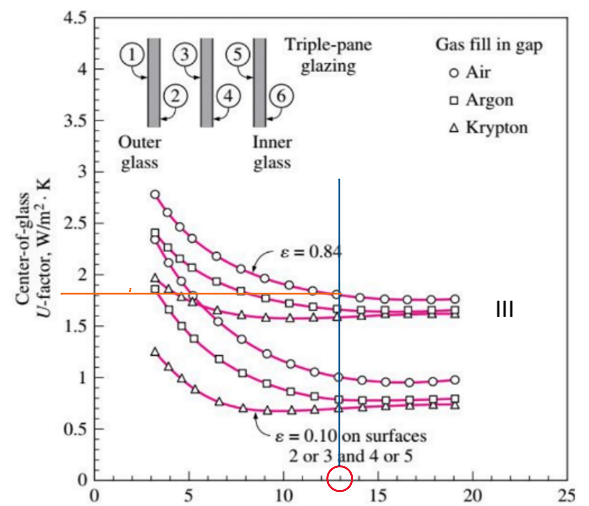
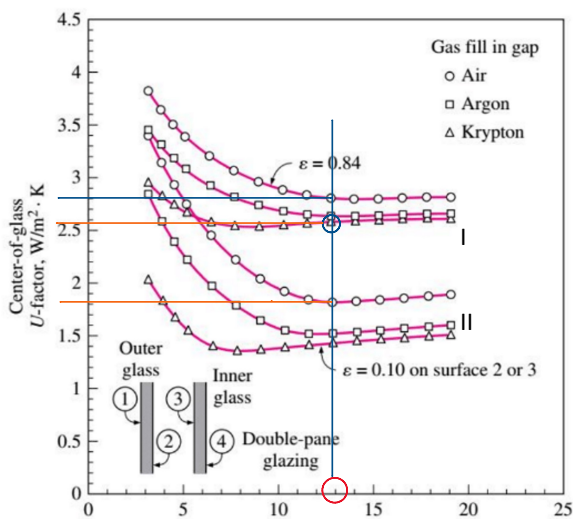


26 Kasım 2019

- Using the diagrams given in the presentation calculate how much (%) is the effect of applying different modifications (changing the gas, adding an extra pane, using a low emissivity coating) on the U value with respect to a benchmark case of the double layer with air and no coating? (keep the gap thickness to be 13 mm)
- Consider the house that we analyzed in the also two examples, calculate the heating and cooling load of the other windows which are fixed 14.4 m² on the west, fixed 3.6 m² on the south and an operable 3.6 m² on the south (the same window and frame type). How much does the total value change if I change the frame of the window from wooden one to aluminum?

TASK 1



	benchmark	I	II	III
gap thickness(mm)	13mm	13mm	13mm	13mm
ε value	0.84	0.84	0.10	0.84
Gas	Air	Kr	Air	Air
-n. pane	2	2	2	3
u-factor value	2.8	2.6	1.8	1.8
Percentage(%)	%100	%93	%64	%64

13 mm gap thickness was stabled, Gas, number of pane and ϵ values are changed according to the tables that were given, and these changes are observed how they are affecting % value and their results in thermal aspects.

Situation I - Air gas was changed with the krypton gas. So we observed that there is %7 loss if we calculate the equation accordingly u-factors. So that it caused to increase the transmittance of the window in the thermal aspects (u-value in inversely proportion).

Situation II - In second comparison, low ϵ value factor causes declination around %36 at u-value which increased the thermal transmittance.

Situation III - To add one more panel (now 3 pane) caused to %36 loss again as the previous situation, but the mutable is different. It still increases thermal ability.

TASK 2

Properties of Piacenza

Lat: 44,92 N

Long: 9,73 E

Elev :138

T_{SUMMER}: 24°

T_{WINTER}: 20°

Heating DB 99%: - 4,8

Cooling DB/MCWB 1%: 31,9

$\Delta T_{cooling} = 7,9 \text{ }^{\circ}\text{C}$

$\Delta T_{heating} = 24,8 \text{ }^{\circ}\text{C}$

DR = 11.9 °C

	U	SHGC	area(m ²)	FF _s	IAC	E _D	E _d
Wooden Material : West fixed	2.84	0.54	14.4	0.56	1	559	188
South fixed	2.84	0.54	3.6	0.47	1	348	209
South operable	2.87	0.46	3.6	0.47	1	348	209
	U	SHGC	area(m ²)	FF _s	IAC	E _D	E _d
Alumin Material : West fixed	: 3.61	0.56	14.4	0.56	1	559	188
South fixed	: 3.61	0.56	3.6	0.47	1	348	209
South operable	: 4.62	0.55	3.6	0.47	1	348	209

WEST FIXED WINDOW

With **wooden** window frame;

cooling

$$CF_{window_{west}heatTransfer} = U_{window_{west}} (\Delta T_{cooling} - 0.46 DR)$$

$$= 2.84 (7.9 - 0.46 * 11.9) = 6.9 \frac{W}{m^2}$$

$$PXI_{window_{west}} = E_D + E_d = 559 + 188 = 747$$

$$SHGC = 0.54$$

$$IAC = 1 \text{ (no shader)}$$

$$FF_s = 0.56$$

$$CF_{window_{west}IrradiationPart} = PXI \times SHGC \times IAC \times FF_s = 747 * 0.54 * 1 * 0.56 = 225,8$$

$$CF_{window_{west}} = CF_{window_{west}heatTransfer}C + CF_{window_{west}IrradiationPart} = 6.9 + 225,8 = 232,7 \frac{W}{m^2}$$

$$Q_{window_{west}} = CF_{window_{west}} \times A_{window_{west}} = 232,7 * 14.4 = \mathbf{3.350 W}$$

heating

$$U_{window_{west}} = 2.84 \frac{W}{m^2K}$$

$$HF_{window_{west}} = U_{window_{west}} \times \Delta T_{heating} = 2.84 * 24.8 = 70.4 \frac{W}{m^2}$$

$$Q_{window_{west}} = HF_{window_{west}} \times A_{window_{west}} = 70.4 * 14.4 = \mathbf{1014.2 W}$$

With **aluminium** window frame;

cooling

$$CF_{window_{west}heatTransfer} = U_{window_{west}}(\Delta T_{cooling} - 0.46 DR) = 3.61 (7.9 - 0.46 * 11.9)$$

$$= 8.7 \frac{W}{m^2}$$

$$PXI_{window_{west}} = E_D + E_d = 559 + 188 = 747$$

$$SHGC = 0.56$$

$$IAC = 1 \text{ (no shader)}$$

$$FFs = 0.56$$

$$CF_{window_{west}IrradiationPart} = PXI \times SHGC \times IAC \times FFs = 747 * 0.56 * 1 * 0.56 = 234,2$$

$$CF_{window_{west}} = CF_{window_{west}heatTransfer}C + CF_{window_{west}IrradiationPart} = 6.9 + 234,2 = 241,1 \frac{W}{m^2}$$

$$Q_{window_{west}} = CF_{window_{west}} \times A_{window_{west}} = 241.1 * 14.4 = \mathbf{3.471 W}$$

heating

$$U_{window_{west}} = 3,61 \frac{W}{m^2K}$$

$$HF_{window_{west}} = U_{window_{west}} \times \Delta T_{heating} = 3,61 * 24.8 = 89,5 \frac{W}{m^2}$$

$$Q_{window_{west}} = HF_{window_{west}} \times A_{window_{west}} = 89.5 * 14.4 = \mathbf{1.288,8 W}$$

SOUTH FIXED WINDOW

With **wooden** window frame;

cooling

$$CF_{\text{window}_{\text{south}}\text{heatTransfer}} = U_{\text{window}_{\text{south}}} (\Delta T_{\text{cooling}} - 0.46 DR) = 2.84 (7.9 - 0.46 * 11.9) \\ = 6.9 \frac{W}{m^2}$$

$$PXI_{\text{window}_{\text{south}}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.54$$

$$IAC = 1 \text{ (no shader)}$$

$$FF_s = 0.47$$

$$CF_{\text{window}_{\text{south}}\text{IrradiationPart}} = PXI \times SHGC \times IAC \times FF_s = 557 * 0.54 * 1 * 0.47 = 141,3$$

$$CF_{\text{window}_{\text{south}}} = CF_{\text{window}_{\text{south}}\text{heatTransfer}} + CF_{\text{window}_{\text{south}}\text{IrradiationPart}} = 6.9 + 141,3 \\ = 148,2 \frac{W}{m^2}$$

$$Q_{\text{window}_{\text{south}}} = CF_{\text{window}_{\text{south}}} \times A_{\text{window}_{\text{south}}} = 148,2 * 3,6 = \mathbf{533,5 W}$$

heating

$$U_{\text{window}_{\text{south}}} = 2.84 \frac{W}{m^2K}$$

$$HF_{\text{window}_{\text{south}}} = U_{\text{window}_{\text{south}}} \times \Delta T_{\text{heating}} = 2.84 * 24.8 = 70.4 \frac{W}{m^2}$$

$$Q_{\text{window}_{\text{south}}} = HF_{\text{window}_{\text{south}}} \times A_{\text{window}_{\text{south}}} = 70.4 * 3.6 = \mathbf{253,4 W}$$

With **aluminium** window frame;

cooling

$$CF_{\text{window}_{\text{south}}\text{heatTransfer}} = U_{\text{window}_{\text{south}}} (\Delta T_{\text{cooling}} - 0.46 DR) = 3.61 (7.9 - 0.46 * 11.9) \\ = 8,7 \frac{W}{m^2}$$

$$PXI_{\text{window}_{\text{south}}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.56$$

$$IAC = 1 \text{ (no shader)}$$

$$FF_s = 0.47$$

$$CF_{\text{window}_{\text{south}}\text{IrradiationPart}} = PXI \times SHGC \times IAC \times FF_s = 557 * 0.56 * 1 * 0.47 = 146,6$$

$$CF_{\text{window}_{\text{south}}} = CF_{\text{window}_{\text{south}}\text{heatTransfer}} + CF_{\text{window}_{\text{south}}\text{IrradiationPart}} = 8,7 + 146,6 \\ = 155,3 \frac{W}{m^2}$$

$$Q_{\text{window}_{\text{south}}} = CF_{\text{window}_{\text{south}}} \times A_{\text{window}_{\text{south}}} = 155,3 * 3,6 = \mathbf{559,2 W}$$

heating

$$U_{window_{south}} = 3,16 \frac{W}{m^2K}$$

$$HF_{window_{south}} = U_{window_{south}} \times \Delta T_{heating} = 3,16 * 24.8 = 89.5 \frac{W}{m^2}$$

$$Q_{window_{south}} = HF_{window_{south}} \times A_{window_{south}} = 89.5 * 3.6 = \mathbf{322,3 W}$$

SOUTH OPERABLE WINDOW

With **wooden** window frame;

cooling

$$CF_{window_{south}heatTransfer} = U_{window_{south}} (\Delta T_{cooling} - 0.46 DR) = 2,87 (7.9 - 0.46 * 11.9)$$

$$= 6,96 \frac{W}{m^2}$$

$$PXI_{window_{south}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.46$$

$$IAC = 1 \text{ (no shader)}$$

$$FF_s = 0.47$$

$$CF_{window_{south}IrradiationPart} = PXI \times SHGC \times IAC \times FF_s = 557 * 0.46 * 1 * 0.47 = 120,4$$

$$CF_{window_{south}} = CF_{window_{south}heatTransfer} + CF_{window_{south}IrradiationPart} = 6,96 + 120,4$$

$$= 127,36 \frac{W}{m^2}$$

$$Q_{window_{south}} = CF_{window_{south}} \times A_{window_{south}} = 127,36 * 3,6 = \mathbf{458,4 W}$$

heating

$$U_{window_{south}} = 2,87 \frac{W}{m^2K}$$

$$HF_{window_{south}} = U_{window_{south}} \times \Delta T_{heating} = 2,87 * 24.8 = 71,4 \frac{W}{m^2}$$

$$Q_{window_{south}} = HF_{window_{south}} \times A_{window_{south}} = 71,4 * 3.6 = \mathbf{256,2 W}$$

With **aluminium** window frame;

cooling

$$CF_{window_{south}heatTransfer} = U_{window_{south}} \Delta T_{cooling} - 0.46 DR = 4,62 (7.9 - 0.46 * 11.9) \\ = 11,2 \frac{W}{m^2}$$

$$PXI_{window_{south}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.55$$

$$IAC = 1 \text{ (no shader)}$$

$$FFs = 0.47$$

$$CF_{window_{south}IrradiationPart} = PXI \times SHGC \times IAC \times FF_s = 557 * 0.55 * 1 * 0.47 = 143,9$$

$$CF_{window_{south}} = CF_{window_{south}heatTransfer} + CF_{window_{south}IrradiationPart} = 11,2 + 143,9 \\ = 155,18 \frac{W}{m^2}$$

$$Q_{window_{south}} = CF_{window_{south}} \times A_{window_{south}} = 155,18 * 3,6 = \mathbf{558,6 W}$$

heating

$$U_{window_{south}} = 4,62 \frac{W}{m^2K}$$

$$HF_{window_{south}} = U_{window_{south}} \times \Delta T_{heating} = 4,62 * 24.8 = 114,5 \frac{W}{m^2}$$

$$Q_{window_{south}} = HF_{window_{south}} \times A_{window_{south}} = 114,5 * 3.6 = \mathbf{412,4 W}$$

$$3.350 W + 533,5 W + 458,4 W - (3.471 W + 558,6 W + 559,2 W)$$

$$1014.2 W + 256,2 W + 253,4 W - (412,4 W + 322,3 W + 1.288,8 W)$$

$$Q \text{ Total difference (cooling) between } \mathbf{wood} \text{ frame} = \mathbf{4342 W}$$

$$Q \text{ Total difference (heating) between } \mathbf{wood} \text{ frame} = \mathbf{1524 W}$$

$$Q \text{ Total difference (cooling) between } \mathbf{aluminium} \text{ frame} = \mathbf{4588,8 W}$$

$$Q \text{ Total difference (heating) between } \mathbf{aluminium} \text{ frame} = \mathbf{2023,5 W}$$

To sum up ; $Q_{totheating_{wood}} < Q_{totheating_{alum}}$

$$\mathbf{Q_{totcooling_{wood}} < Q_{totcooling_{alum}}}$$

From the comparison, we saw that the wooden frames are better to use than the aluminium frames in aspect of resistance both heating - cooling.