


> Use a weather forecast website, and utilize the psychrometric chart and the formula we went through in the class to determine the absolute humidity, the wet-bulb temperature and the mass of water vapor in the air in Classroom A (Aula A) of Piacenza campus in the moment that you are solving this exercise (provide the inputs that you utilized).

Il tempo oggi in Piacenza

Domenica, 01 Dicembre 2019

19:00


poggia

Temperatura effettiva

7°C

Temperatura percepita

7°C

Precipitazioni

3 mm

Umidità

90 %

Pressione atmosferica

1018 hPa

Intensità del vento

3 km/h

Direzione del vento

SW

Probabilità di nebbia

0 %

Punto di rugiada

6°C

Nuvole

100 %

Nuvole basse

99 %

Nuvole medie

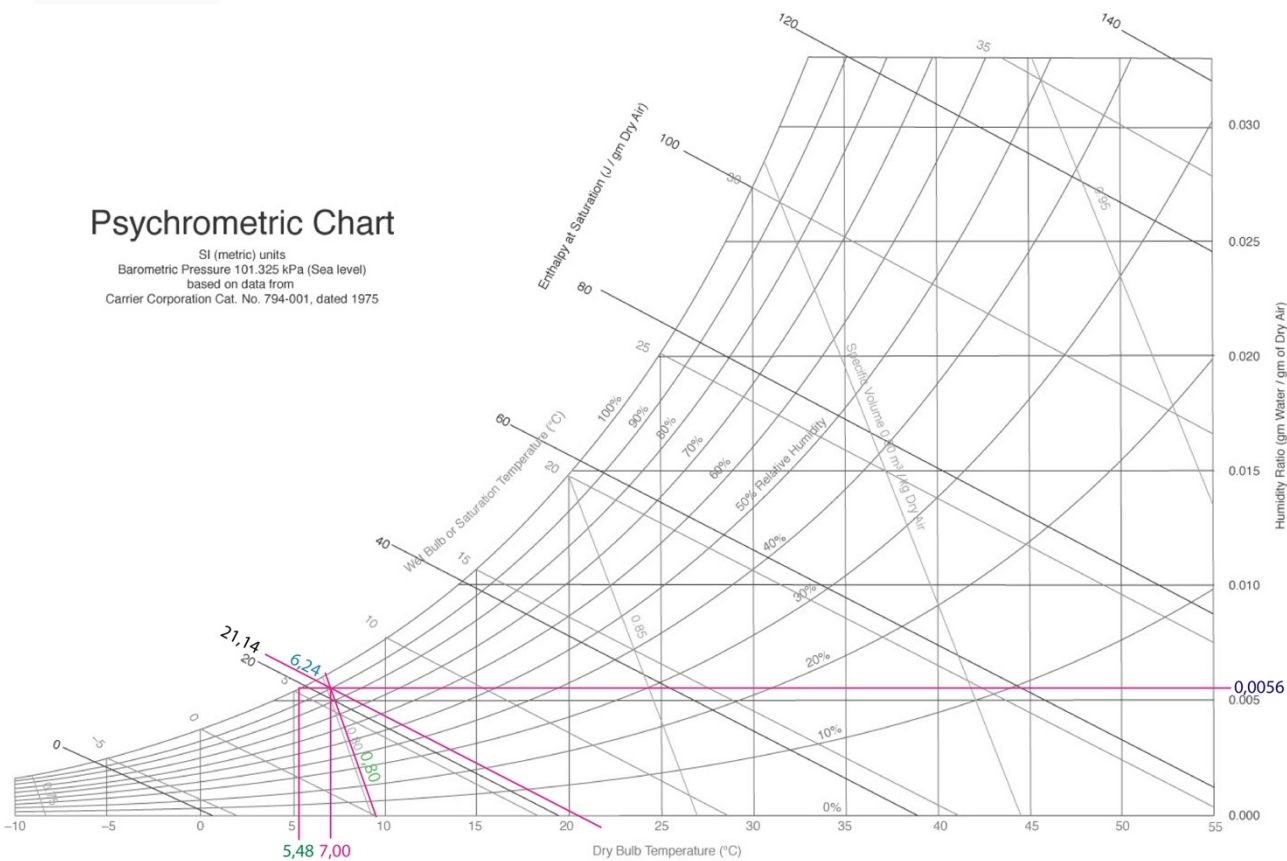
100 %

Nuvole alte

100 %

Piacenza
Sunday, December 1, 2019.
7:00 PM.
Air Total Pressure 1018 hPa = 101,8 KPa

Dry-bulb Temperature	7,00 °C
Relative Humidity (ϕ)	90%
Humidity Ratio (ω) (Absolute Humidity)	0,0056 gm water / gm Dry Air
Enthalpy	21,14 J / gm Dry Air
Wet-bulb Temperature (Saturation Temperature)	6,24 °C
Dew-point Temperature	5,48 °C
Specific Volume	0,80 m³ Dry Air



Assuming that the temperature and the pressure inside Classroom A, during Sunday, December 1, 2019 are equal to the values outside, and that the dimensions of the Classroom are about $20m \times 6m \times 6m$, so the volume is $720m^3$. To calculate the mass of water vapor in the air:

Using the formula:

$$\omega = \frac{0,622 \cdot P_v}{(P - P_v)}$$

We can find the value of P_v

$$P_v = \frac{P \cdot \omega}{0,622 + \omega} = \frac{101,8 \cdot 0,0056}{0,622 + 0,0056} = 0,91 \text{ kPa}$$

Then, to calculate the mass of the water vapor, we can use the formula:

$$m_v = \frac{P_v \cdot V}{R_v \cdot T} = \frac{0,91 \cdot 720}{0,4615 \cdot (273 + 7)} = 5,07 \text{ Kg}$$

> A building with a height of 2.5 m and an **GOOD** construction quality, is located in Brindisi, considering two occupants and one bed room and a conditioned floor area of 200 m^2 and wall area of 144 m , calculate the internal gains, infiltration, and ventilation loads.

BRINDISI, Italy														WMO#: 163200		
Lat: 40.65N		Long: 17.95E		Elev: 10		StdP: 101.2		Time Zone: 1.00 (EUW)		Period: 86-10		WBAN: 99999				
Annual Heating and Humidification Design Conditions																
Coldest Month	Heating DB		Humidification DP/MCDB and HR						Coldest month WS/MCDB				MCWS/PCWD to 99.6% DB			
	99.6%	99%	DP	HR	MCDB	DP	HR	MCDB	0.4%		1%		MCWS	PCWD		
									WS	MCDB	WS	MCDB				
(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)		
(1) 2	2.9	4.1	-5.1	2.5	7.2	-3.0	3.0	7.4	13.4	10.2	12.4	10.6	3.4	250	(1)	
Annual Cooling, Dehumidification, and Enthalpy Design Conditions																
Hottest Month	Hottest Month DB Range		Cooling DB/MCWB						Evaporation WB/MCDB						MCWS/PCWD to 0.4% DB	
	DB	MCWB	DB	MCWB	DB	MCWB	WB	MCDB	WB	MCDB	WB	MCDB	WB	MCDB	MCWS	PCWD
(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)	(p)	
(2) 8	7.1	32.8	23.6	31.1	24.3	29.9	24.3	27.2	29.7	26.3	29.0	25.6	28.3	4.2	180	(2)

INTERNAL GAINS

$$\dot{Q}_{IG_sensible} = 136 + 2,2 \cdot A_{cf} + 22 \cdot A_{no} = 136 + 2,2 \cdot 200 + 22 \cdot 2 = 620 \text{ W}$$

$$\dot{Q}_{IG_latent} = 20 + 0,22 \cdot A_{cf} + 12 \cdot A_{no} = 20 + 0,22 \cdot 200 + 12 \cdot 2 = 88 \text{ W}$$

INFILTRATIONS

$$\text{good quality} \rightarrow A_{ul} = 1,4 \text{ cm}^2/\text{m}^2$$

$$\text{exposed surface} \rightarrow A_{ex} = A_{wall} + A_{roof} = 144 + 200 = 344 \text{ m}^2$$

$$A_l = A_{ul} \cdot A_{ex} = 1,4 \cdot 344 = 481,6 \text{ cm}^2$$

Heating DB (99%) = $4,1^\circ\text{C}$

Cooling DB (1%) = $31,1^\circ\text{C}$

$$IDF_{heating} = 0,065 \frac{L}{S} cm^2$$

$$IDF_{cooling} = 0,032 \frac{L}{S} cm^2$$

$$\dot{V}_{infiltration_{heating}} = A_l \cdot IDF_{heating} = 481,6 \cdot 0,065 = 31,30 \frac{L}{S}$$

$$\dot{V}_{infiltration_{cooling}} = A_l \cdot IDF_{cooling} = 481,6 \cdot 0,032 = 15,41 \frac{L}{S}$$

VENTILATION

$$\dot{V}_{ventilation} = 0,05 \cdot A_{cf} + 3,5 \cdot (N_{br} + 1) = 0,05 \cdot 200 + 3,5(1 + 1) = 17 \frac{L}{S}$$

$$\dot{V}_{infiltration_{ventilation_{cooling}}} = 15,41 + 17 = 32,41 \frac{L}{S}$$

$$\dot{V}_{infiltration_{ventilation_{heating}}} = 31,30 + 17 = 48,30 \frac{L}{S}$$

$$\Delta T_{heating} = 20 - 4,1 = 15,9 \text{ } ^\circ C$$

$$\Delta T_{cooling} = 31,1 - 24 = 7,1 \text{ } ^\circ C$$

$$\begin{aligned} \dot{Q}_{infiltration_{ventilation_{cooling_{sensible}}} &= \dot{C}_{sensible} \cdot \dot{V}_{infiltration_{ventilation_{cooling}}} \cdot \Delta T_{cooling} \\ &= 1,23 \cdot 32,41 \cdot 7,1 = 283,04 \text{ W} \end{aligned}$$

$$\begin{aligned} \dot{Q}_{infiltration_{ventilation_{heating_{sensible}}} &= \dot{C}_{sensible} \cdot \dot{V}_{infiltration_{ventilation_{heating}}} \cdot \Delta T_{heating} \\ &= 1,23 \cdot 48,30 \cdot 15,9 = 944,60 \text{ W} \end{aligned}$$

Assuming a Relative Humidity of 50% and $T_{out} = 31,1^\circ C$ and $T_{in} = 24,00^\circ C$ and using the psychrometric chart, it's possible to determinate the value of ω_{out} and ω_{in} and find the $\Delta\omega_{cooling}$:

$$\Delta\omega_{cooling} = \omega_{out} - \omega_{in} = 0,0143 - 0,0093 = 0,005$$

$$\begin{aligned} \dot{Q}_{infiltration_{ventilation_{cooling_{latent}}} &= \dot{C}_{latent} \cdot \dot{V}_{infiltration_{ventilation_{cooling}}} \cdot \Delta\omega_{cooling} \\ &= 3010 \cdot 32,41 \cdot 0,005 = 487,77 \text{ W} \end{aligned}$$