

# Submission 8

## Task 1

Using the diagrams given in the presentation, calculate how much (%) is the effect of applying different modifications (changing the gas, adding an extra pane, using a low emissivity coating) on the Uvalue, with respect to a benchmark case of double layer with air and no coating. Keep the gas thickness at 13 mm.

For calculating the Uvalue of a window, we have the equation:

$$U_{window} = \frac{U_{center}A_{center} + U_{edge}A_{edge} + U_{fram}A_{fram}x}{A_{window}}$$

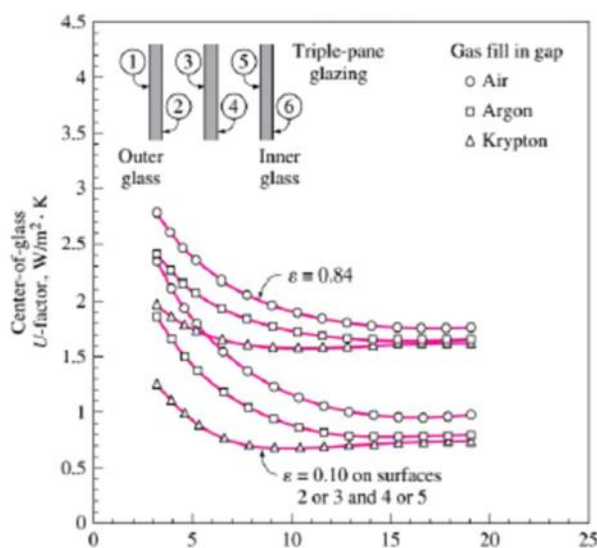
If we have a double pane window, we disregard the thermal resistance of glass layers:

$$\frac{1}{Doublepanel (center region)} = \frac{1}{h_i} + \frac{1}{h_{space}} + \frac{1}{h_o} \quad h_{space} = h_{rad, space} + h_{conv, space}$$

1) The  $U_{center}$  changes by changing the gas that fills the gap (for example, the  $h_{space}$ ).  
From the diagram on the right, it is possible to understand that if the gap thickness is 13 mm and we change the gas that fills the gap from air to argon, the U-value of the glass' center decreases from  $2.8 \frac{W}{m^2K}$  to  $2.65 \frac{W}{m^2K}$ , which signifies that the Uvalue decreases of about the 7.14%.

2) The  $U_{center}$  also changes by adding an extra pane.  
From the diagram on the right, it is possible to see when the gap thickness is 13 mm and the gas that fills the gap is air, by adding an extra pane the U-value of the glass' center decreases from  $2.8 \frac{W}{m^2K}$  to  $1.8 \frac{W}{m^2K}$ , which means that the Uvalue decreases of about the 55.6%.

3) Finally, the  $U_{center}$  also changes coating the glass' surfaces with a low-emissivity film.  
From the diagram on the right, we can understand that when the gap thickness is 13 mm and the gas which fills the gap is air, by coating the glass' surfaces with a film that has an emissivity of 0.1, the U-value of the glass' center decreases from  $2.8 \frac{W}{m^2K}$  to  $1.8 \frac{W}{m^2K}$ , which illustrates that the Uvalue decreases of about the 55.6% (same of adding an extra pane).





2) The second passage is calculating the cooling load of the fixed window on the West.

$$q_{windowwest} = A \times CF_{windowwest};$$

$$A = 14.4 \text{ m}^2;$$

$$CF_{windowwest}(\text{heat transfer part}) = U_{windowwest} (\Delta T_{cooling} - 0.46 \text{ DR}).$$

The window has a fixed heat absorbing double layer glass with a wooden frame.

$$U_{windowwest} = 2.84 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$CF_{windowwest}(\text{heat transfer part}) = 2.84 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 6.89 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$P_{Xl}I_{windowwest} = ED + Ed = 559 + 188 = 747$$

$$SHG = 0.54$$

Since there is no internal shading,  $IAC = 1$ ,  $FFs = 0.56$

$$CF_{windowwest}(\text{irradiation part}) = P_{Xl} \times SHGC \times IAC \times FFs$$

$$q_{windowwest} = A \times CF_{windowwest}$$

$$= A \times cCF_{windowwest}(\text{heat transfer part}) + CF_{windowwest}(\text{irradiation part})d$$

$$= 14.4 \text{ m}^2 \times (6.89 + 747 \times 0.54 \times 1 \times 0.56) \frac{\text{W}}{\text{m}^2\text{K}}$$

$$= 3352.07 \text{ W}$$

3) At this point, we have to calculate the heating load of the fixed window on the West:

$$q_{windowwest} = A \times HF_{windowwest} = A \times U_{windowwest} \Delta T_{heating}$$

$$= 14.4 \text{ m}^2 \times 2.84 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\times 24.8 \text{ K} = 1014.22 \text{ W}$$

4) When the frame is aluminium:

$$U_{windowwest} = 3.61 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$; HSGC = 0.56$$

$$CF_{ewindowwest}(\text{heat transfer part}) = U_{ewindowwest} (\Delta T_{cooling} - 0.46 \text{ DR})$$

$$= 3.61 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 8.76 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\text{Cooling load } q_{ewindowwest} = A \times CF_{ewindowwest}$$

$$= A \times cCF_{ewindowwest}(\text{heat transfer part}) + CF_{ewindowwest}(\text{irradiation part})d$$

$$= 14.4 \text{ m}^2 \times (8.76 + 747 \times 0.56 \times 1 \times 0.56) \frac{\text{W}}{\text{m}^2\text{K}}$$

$$= 3499.48 \text{ W}$$

$$\text{Heating load } q_{ewindowwest} = A \times HF_{ewindowwest}$$

$$= A \times U_{ewindowwest} \Delta T_{heating} = 14.4 \text{ m}^2 \times 3.61 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\times 24.8 \text{ K} = 1289.20 \text{ W}$$

5) Calculating the cooling load of the fixed window on the South:

$$q_{windowssouth} = A \times CF_{windowssouth}$$

$$A = 3.6 \text{ m}^2$$

$$CF_{windowssouth}(\text{heat transfer part}) = U_{windowssouth} (\Delta T_{cooling} - 0.46 \text{ DR})$$

The window has a fixed heat absorbing double layer glass with a wooden frame.

$$U_{windowssouth} = 2.84 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\text{For example: } CF_{windowssouth}(\text{heat transfer part})$$

$$= 2.84 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 6.89 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$P_{Xl}I_{windowssouth} = ED + Ed = 348 + 209 = 557$$

$$SHG = 0.55$$

Since there is no internal shading:  $IAC = 1$

$$FFs = 0.47$$

$$CF_{windowssouth}(\text{irradiation part}) = P_{Xl} \times SHGC \times IAC \times FFs$$

$$q_{windowssouth} = A \times CF_{windowssouth}$$

$$= A \times cCF_{windowssouth}(\text{heat transfer part}) + CF_{windowssouth}(\text{irradiation part})d$$

$$= 3.6 \text{ m}^2 \times (6.89 + 557 \times 0.54 \times 1 \times 0.47) \frac{\text{W}}{\text{m}^2\text{K}} = 553.72 \text{ W}$$

**Table 10 Peak Irradiance, W/m<sup>2</sup>**

Exposure		Latitude								
		20°	25°	30°	35°	40°	45°	50°	55°	60°
North	$E_D$	125	106	92	84	81	85	96	112	136
	$E_d$	128	115	103	93	84	76	69	62	55
	$E_t$	253	221	195	177	166	162	164	174	191
Northeast/Northwest	$E_D$	460	449	437	425	412	399	386	374	361
	$E_d$	177	169	162	156	151	147	143	140	137
	$E_t$	637	618	599	581	563	546	529	513	498
East/West	$E_D$	530	543	552	558	560	559	555	547	537
	$E_d$	200	196	193	190	189	188	187	187	187
	$E_t$	730	739	745	748	749	747	742	734	724
Southeast/Southwest	$E_D$	282	328	369	405	436	463	485	503	517
	$E_d$	204	203	203	204	205	207	210	212	215
	$E_t$	485	531	572	609	641	670	695	715	732
South	$E_D$	0	60	139	214	283	348	408	464	515
	$E_d$	166	193	196	200	204	209	214	219	225
	$E_t$	166	253	335	414	487	557	622	683	740
Horizontal	$E_D$	845	840	827	806	776	738	691	637	574
	$E_d$	170	170	170	170	170	170	170	170	170
	$E_t$	1015	1010	997	976	946	908	861	807	744

**Table 13 Fenestration Solar Load Factors  $FF_s$**

Exposure	Single Family Detached	Multifamily
North	0.44	0.27
Northeast	0.21	0.43
East	0.31	0.56
Southeast	0.37	0.54
South	0.47	0.53
Southwest	0.58	0.61
West	0.56	0.65
Northwest	0.46	0.57
Horizontal	0.58	0.73

6) Calculating the heating load of the fixed window on the South:

$$q_{\text{window south}} = A \times HF_{\text{window south}} = A \times U_{\text{window south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 2.84 \frac{\text{W}}{\text{m}^2\text{K}} \times 24.8 \text{ K} = 253.56 \text{ W}$$

7) When the frame is aluminium:

$$U_{\text{window south}} = 3.61 \frac{\text{W}}{\text{m}^2\text{K}}$$

;  $HSGC = 0.56$

$$CF_{\text{window south}}(\text{heat transfer part}) = U_{\text{window south}} (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

$$= 3.61 \frac{\text{W}}{\text{m}^2\text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 8.76 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\text{Cooling load } q_{\text{window south}} = A \times CF_{\text{window south}}$$

$$= A \times CF_{\text{window south}}(\text{heat transfer part}) + CF_{\text{window south}}(\text{irradiation part})$$

$$= 3.6 \text{ m}^2 \times (8.76 + 557 \times 0.56 \times 1 \times 0.47) \frac{\text{W}}{\text{m}^2\text{K}} = 559.30 \text{ W}$$

$$\text{Heating load } q_{\text{window south}} = A \times HF_{\text{window south}}$$

$$= A \times U_{\text{window south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 3.61 \frac{\text{W}}{\text{m}^2\text{K}} \times 24.8 \text{ K} = 322.30 \text{ W}$$

8) Calculating the cooling load of the operable window on the South:

$$q_{\text{window south}} = A \times CF_{\text{window south}}$$

$$A = 3.6 \text{ m}^2$$

$$CF_{\text{window south}}(\text{heat transfer part}) = U_{\text{window south}} (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

The window has an operable heat absorbing double layer glass with a wooden frame.

$$U_{\text{window west}} = 2.87 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\text{For example: } CF_{\text{window south}}(\text{heat transfer part})$$

$$= 2.87 \frac{\text{W}}{\text{m}^2\text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 6.96 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$P_{\text{Xl window south}} = ED + Ed = 348 + 209 = 557$$

$$SHGC = 0.46$$

Since there is no internal shading,  $IAC = 1$

$$FFs = 0.47$$

$$CF_{\text{window south}}(\text{irradiation part}) = P_{\text{Xl}} \times SHGC \times IAC \times FFs$$

$$q_{\text{window south}} = A \times CF_{\text{window south}}$$

$$= A \times cCF_{\text{window south}}(\text{heat transfer part}) + CF_{\text{window south}}(\text{irradiation part})d$$

$$= 3.6 \text{ m}^2 \times (6.96 + 557 \times 0.54 \times 1 \times 0.47) \frac{\text{W}}{\text{m}^2\text{K}} = 553.98$$

9) Calculating the heating load of the fixed window on the South:

$$q_{\text{window south}} = A \times HF_{\text{window south}} = A \times U_{\text{window south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 2.87 \frac{\text{W}}{\text{m}^2\text{K}} \times 24.8 \text{ K} = 256.23 \text{ W}$$

10) If the frame is aluminium:

$$U_{\text{window south}} = 4.62 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$; SHGC = 0.55$$

$$CF_{\text{ewindow south}}(\text{heat transfer part}) = U_{\text{ewindow south}} (\Delta T_{\text{cooling}} - 0.46 \text{ DR})$$

$$= 4.62 \frac{\text{W}}{\text{m}^2\text{K}} \times (7.9 \text{ K} - 0.46 \times 11.9 \text{ K}) = 11.21 \frac{\text{W}}{\text{m}^2\text{K}} = 553.98 \frac{\text{W}}{\text{m}^2\text{K}}$$

$$\text{Cooling load } q_{\text{ewindow south}} = A \times CF_{\text{ewindow south}}$$

$$= A \times cCF_{\text{ewindow south}}(\text{heat transfer part}) + CF_{\text{ewindow south}}(\text{irradiation part})d$$

$$= 3.6 \text{ m}^2 \times (11.21 + 557 \times 0.55 \times 1 \times 0.47) \frac{\text{W}}{\text{m}^2\text{K}}$$

$$= 558.70 \text{ W}$$

$$\text{Heating load } q_{\text{ewindow south}} = A \times HF_{\text{ewindow south}}$$

$$= A \times U_{\text{ewindow south}} \Delta T_{\text{heating}}$$

$$= 3.6 \text{ m}^2 \times 4.62 \frac{\text{W}}{\text{m}^2\text{K}} \times 24.8 \text{ K} = 412.47$$