

Task 1


The first step is to import the relevant data from a certain weather forecast website:

Il tempo oggi in Piacenza Sabato, 07 Dicembre 2019							
	05:00	07:00	10:00	14:00	18:00	19:00	21:00
	 Cloud	 Sun	 PartlyCloud	 Sun	 Sun	 Sun	 Sun
Temperatura effettiva	4°C	4°C	6°C	9°C	4°C	4°C	4°C
Temperatura percepita	3°C	3°C	5°C	9°C	3°C	2°C	2°C
Precipitazioni	0 mm	0 mm	0 mm	0 mm	0 mm	0 mm	0 mm
Umidità	96 %	95 %	87 %	71 %	94 %	94 %	90 %
Pressione atmosferica	1019 hPa	1019 hPa	1019 hPa	1018 hPa	1019 hPa	1019 hPa	1020 hPa
Intensità del vento	6 km/h	6 km/h	6 km/h	4 km/h	6 km/h	8 km/h	8 km/h
Direzione del vento	 NO	 NO	 NO	 O	 S	 S	 SE

Now the time is almost 10 a.m. and as we see in the table:

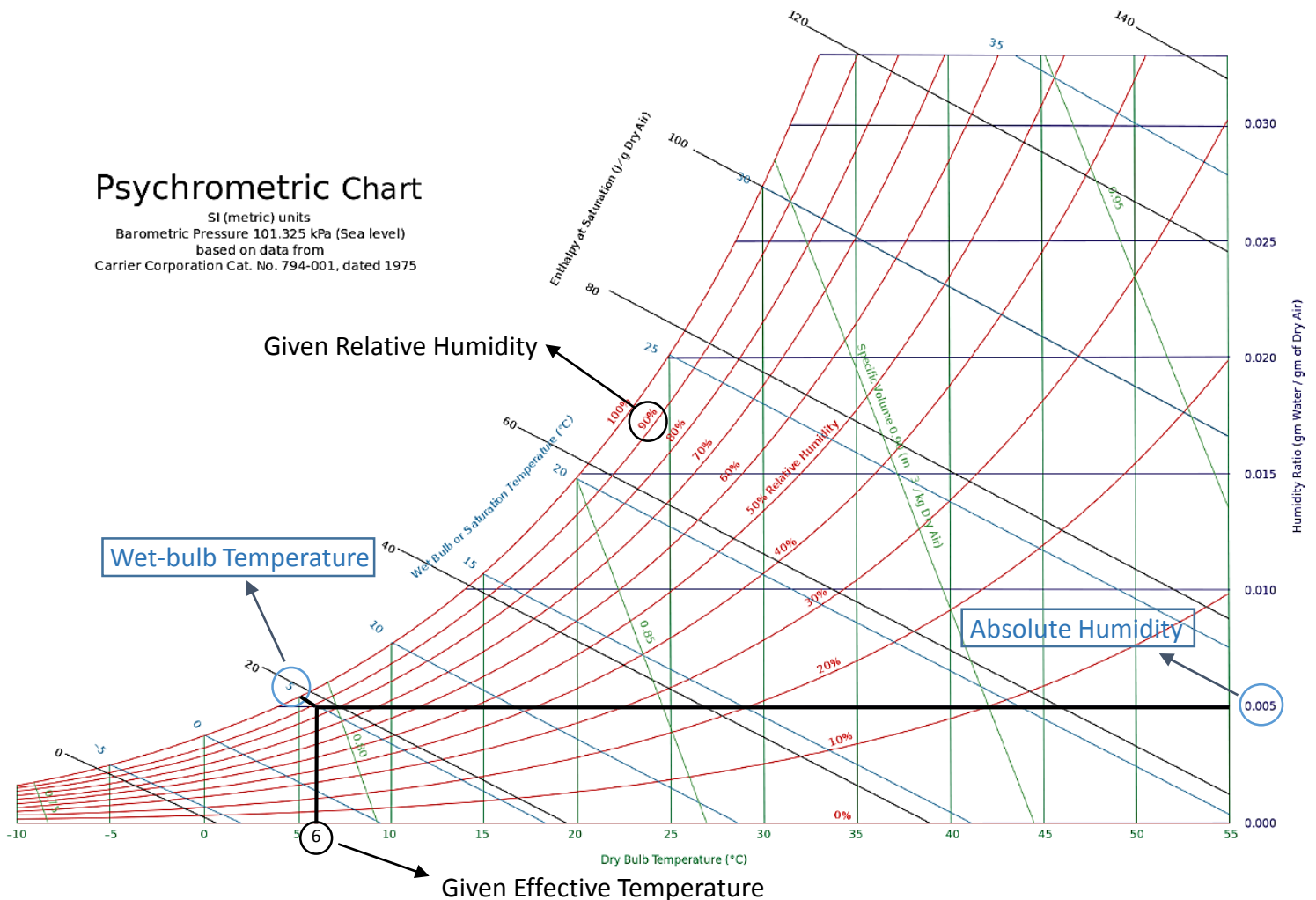
- Relative Humidity (ϕ) = 90%
- Total Air Pressure (P) = 101.8 kPa
- Effective Temperature (T) = 6 °C

1. By plotting the given relative humidity and effective temperature on **Psychrometric Chart** (shown on next page), we can determine:

- Absolute Humidity (ω) = $0.005 \frac{kg_{vapor}}{kg_{dryAir}}$  5 grams of water vapor in 1 kg of dry air
- Wet-bulb temperature = 5 °C

Psychrometric Chart

SI (metric) units
Barometric Pressure 101.325 kPa (Sea level)
based on data from
Carrier Corporation Cat. No. 794-001, dated 1975



2. In order to calculate the mass of water vapor in the air, we can use the following formula as we discussed in the class:

$$m_v = \frac{P_v V}{R_v T}$$

Where P_v is the partial pressure of the water vapor, V is volume of the room, R_v is the gas constant and T is the temperature of the place in Kelvin scale.

- We know from the presentation that $\omega = 0.622 \frac{P_v}{P_a}$ and since the temperature is below 50 °C, water vapor is an ideal gas and $P(\text{Total Pressure}) = P_v + P_a$ therefore $P_a = P - P_v$. The mentioned formula can be rephrased as $\omega = \frac{0.622 \times P_v}{P - P_v}$.

We found out that $\omega = 0.005 \frac{kg_{vapor}}{kg_{dryAir}}$ and the total air pressure based on our location is 101.8 kPa then:

$$0.005 = \frac{0.622 \times P_v}{101.8 - P_v} \Rightarrow P_v \approx 0.812 \text{ kPa}$$

- We can imagine that the dimensions of the classroom A are 5×10×6 meter, therefore our volume is equal to 300 m³.

- R is a constant number and is possible to be plotted from steam table and for water vapor it equals to $R_v = 0.4615$

- T in our case is equal to 279 °K (6+273)

By substituting the known parameters we can conclude:

$$m_v = \frac{P_v V}{R_v T} \Rightarrow m_v = \frac{0.812 \times 300}{0.4615 \times 279} \approx 1.9 \text{ Kg}$$

Task 2

1. First we calculate the internal gains based on the formulas we know from the presentations:

- $\dot{Q}_{ig} (\text{sensible cooling}) = 136 + 2.2 A_{cf} + 22 N_{oc}$ (A_{cf} = conditioned floor area ,
 N_{oc} = Number of occupants)

- $\dot{Q}_{ig} (\text{latent cooling}) = 20 + 0.22 A_{cf} + 12 N_{oc}$ (A_{cf} = conditioned floor area ,
 N_{oc} = Number of occupants)

And we know from the previous example that the house has one bedroom and its height is equal to 2.5 m, conditioned floor area is 200 m², wall area is 144 m² and 2 people are occupying the space. Then:

$$- Q_{ig} (\text{sensible cooling}) = 136 + (2.2 \times 200) + (22 \times 2) = \boxed{620 \text{ W}}$$

$$- Q_{ig} (\text{latent cooling}) = 20 + (0.22 \times 200) + (22 \times 2) = \boxed{88 \text{ W}}$$

2. Next we need to calculate the infiltration flow rate. For this purpose we need to know the **effective leakage area (A_L)** of our geometry as well as **infiltration driving forces (IDF)**. A_L can be found as below:

$$A_L = A_{ul} (\text{unit leakage area}) \times A_{es} (\text{area of exposed surfaces})$$

A_{ul} can be taken from Table 3 and A_{es} is equal to sum of conditioned floor area and area of walls.

Table 3 Unit Leakage Areas		
Construction	Description	A_{ul} , cm ² /m ²
Tight	Construction supervised by air-sealing specialist	0.7
Good	Carefully sealed construction by knowledgeable builder	1.4
Average	Typical current production housing	2.8
Leaky	Typical pre-1970 houses	5.6
Very leaky	Old houses in original condition	10.4

$$- A_{ul} = 1.4 \frac{\text{cm}^2}{\text{m}^2}$$

$$- A_{es} = 200 + 144 = 344 \text{ m}^2$$

$$\Rightarrow A_L = 1.4 \times 344 = 481.6 \text{ cm}^2$$

Table 5 Typical IDF Values, L/(s·cm ²)											
<i>H</i> , m	Heating Design Temperature, °C					Cooling Design Temperature, °C					
	-40	-30	-20	-10	0	4.1	10	30	31.1	35	40
2.5	0.10	0.095	0.086	0.077	0.069	0.060	0.031	0.035	0.040		
3	0.11	0.10	0.093	0.083	0.072	0.061	0.032	0.038	0.043		
4	0.14	0.12	0.11	0.093	0.079	0.065	0.034	0.042	0.049		
5	0.16	0.14	0.12	0.10	0.086	0.069	0.036	0.046	0.055		
6	0.18	0.16	0.14	0.11	0.093	0.072	0.039	0.050	0.061		
7	0.20	0.17	0.15	0.12	0.10	0.075	0.041	0.051	0.068		
8	0.22	0.19	0.16	0.14	0.11	0.079	0.043	0.058	0.074		

IDF can also be taken from predefined tables. Based on our height and location (table is on next page), our heating DB is 4.1 °C and our cooling DB is 31.1 °C. If we plot these number on Table 5 then $IDF_{heating} \approx 0.084 \frac{L}{s \cdot \text{cm}^2}$ and $IDF_{cooling} \approx 0.032 \frac{L}{s \cdot \text{cm}^2}$



POLITECNICO
MILANO 1863

Name: Amir Saman Gholami Shamami
Student Number: 10701028
Submission Date: 07/12/2019
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BRINDISI, Italy

WMO#: 163200

Lat: 40.65N Long: 17.95E Elev: 10 StdP: 101.2 Time Zone: 1.00 (EUW) Period: 86-10 WBAN: 99999

Annual Heating and Humidification Design Conditions

Coldest Month	Heating DB		Humidification DP/MCDB and HR						Coldest month WS/MCDB				MCWS/PCWD to 99.6% DB	
	99.6%	99%	DP	HR	MCDB	DP	HR	MCDB	WS	MCDB	WS	MCDB	MCWS	PCWD
(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)
(1) 2	2.9	4.1	-5.1	2.5	7.2	-3.0	3.0	7.4	13.4	10.2	12.4	10.6	3.4	250

Annual Cooling, Dehumidification, and Enthalpy Design Conditions

(2)	Hottest Month	Hottest Month DB Range	Cooling DB/MCWB						Evaporation WB/MCDB						MCWS/PCWD to 0.4% DB	
			0.4%		1%		2%		0.4%		1%		2%			
			DB	MCWB	DB	MCWB	DB	MCWB	WB	MCDB	WB	MCDB	WB	MCDB	MCWS	PCWD
	(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)	(p)
	8	7.1	32.8	23.6	31.1	24.3	29.9	24.3	27.2	29.7	26.3	29.0	25.6	28.3	4.2	180

(3)	Dehumidification DP/MCDB and HR												Enthalpy/MCDB				Hours 8 to 4 & 12.8/20.6
	0.4%			1%			2%			0.4%		1%		2%			
	DP	HR	MCDB	DP	HR	MCDB	DP	HR	MCDB	Enth	MCDB	Enth	MCDB	Enth	MCDB		
	(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)	(p)	
	26.3	21.8	29.2	25.4	20.7	28.5	24.7	19.7	27.9	86.0	30.1	82.2	29.1	78.5	28.3	1236	

Extreme Annual Design Conditions

Extreme Annual WS			Extreme Max WB	Extreme Annual DB				n-Year Return Period Values of Extreme DB							
1%	2.5%	5%		Mean	Standard deviation	Min	Max	n=5 years	n=10 years	n=20 years	n=50 years	Min	Max	Min	Max
(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)	(j)	(k)	(l)	(m)	(n)	(o)	(p)
(4) 11.3	9.9	8.7	31.4	0.4	37.3	1.4	3.0	-0.6	39.4	-1.4	41.1	-2.2	42.8	-3.2	44.9

Now we can substitute the known parameters in the final formulas:

$$-\dot{V}_{infiltration (heating)} = A_L \times IDF_{heating} = 481.6 \times 0.065 \approx 31.31 \frac{L}{s}$$

$$-\dot{V}_{infiltration (cooling)} = A_L \times IDF_{cooling} = 481.6 \times 0.032 \approx 15.42 \frac{L}{s}$$

3. Ventilation flow rate can be calculated based on the following formula:

$\dot{Q}_v = 0.05 A_{cf} + 3.5 (N_{br} + 1)$ where A_{cf} is again the conditioned floor area and N_{br} is the number of bedrooms.

$$- A_{cf} = 200 m^2$$

$$- N_{br} = 1$$

$$\Rightarrow \dot{V}_{ventilation} = 0.05 \times 200 + 3.5(1 + 1) = 17 \frac{L}{s}$$

4. Finally we need to calculate the minimum whole building cooling and heating loads. First we find the infiltration-ventilation flow rates and then apply them on the final formulas based on types of internal gains.

infiltration-ventilation flow rate is simply the summation of the two separate known parameters:

$$- \dot{V}_{infiltration-ventilation(heating)} = 31.31 + 17 = 48.31 \frac{L}{s}$$

$$- \dot{V}_{infiltration-ventilation(cooling)} = 15.42 + 17 = 32.42 \frac{L}{s}$$

As the values of $C_{sensible}$, C_{latent} and $\Delta\omega_{cooling}$ have been given within the previous example and $\Delta T_{heating} = 15.9$ and $\Delta T_{cooling} = 7.1$ for the worst case scenarios in Brindisi, Italy then:

$$- \dot{Q}_{infiltration-ventilation(heating-sensible)} = C_{sensible} \times \dot{V} \times \Delta T_{heating}$$

$$- \dot{Q}_{infiltration-ventilation(heating-sensible)} = 1.23 \times 48.31 \times 15.9$$

$$\Rightarrow \dot{Q}_{infiltration-ventilation(heating-sensible)} \approx 945 \text{ W}$$

$$- \dot{Q}_{infiltration-ventilation(cooling-sensible)} = C_{sensible} \times \dot{V} \times \Delta T_{cooling}$$

$$- \dot{Q}_{infiltration-ventilation(cooling-sensible)} = 1.23 \times 32.42 \times 7.1$$

$$\Rightarrow \dot{Q}_{infiltration-ventilation(cooling-sensible)} \approx 283.2 \text{ W}$$

$$- \dot{Q}_{infiltration-ventilation(cooling-latent)} = C_{latent} \times \dot{V} \times \Delta\omega_{cooling}$$

$$- \dot{Q}_{infiltration-ventilation(cooling-latent)} = 3010 \times 32.42 \times 0.0039$$

$$\Rightarrow \dot{Q}_{infiltration-ventilation(cooling-latent)} \approx 380.6 \text{ W}$$