Quaternions (cont)

$$81092 = \left[ S_{1}S_{2} - V_{1}OV_{2}, S_{1}*V_{2} + S_{2}*V_{1} + V_{1}*V_{2} \right]$$

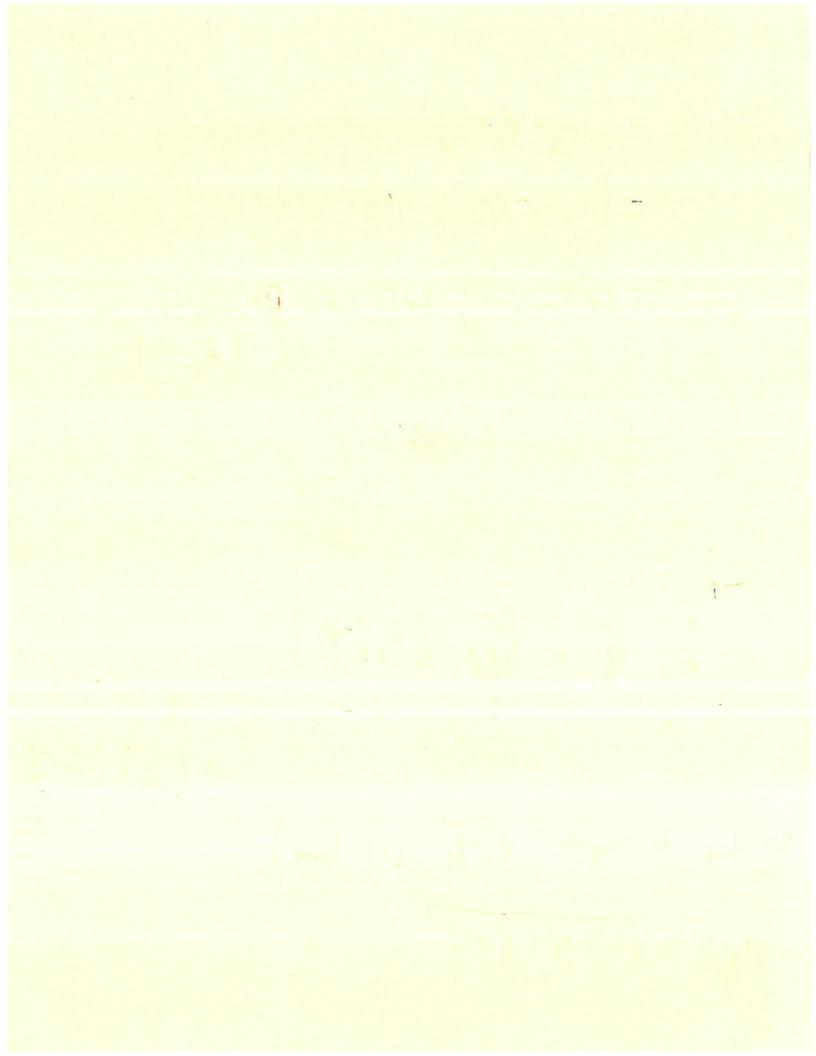
$$= \left[ S_{1}S_{2} - V_{1}OV_{2}, S_{1}*V_{2} + S_{2}*V_{1} + V_{1}*V_{2} \right]$$

$$8.81 = [1*5-65; 1*(6,7,8)+ 1*(2,3,4) + (-4,8,-4)]$$

$$\frac{1}{9} = \frac{1}{||g_{1}||} \left( \frac{1}{5}, \frac{1}{9} - \frac{1}{1} \right) \\
= \frac{1}{||g_{1}||} \left( \frac{1}{5}, \frac{1}{9} - \frac{1}{1} \right) \\
= \frac{1}{||g_{1}||} \left( \frac{1}{5}, \frac{1}{9} - \frac{1}{1} \right) \\
= \frac{1}{||g_{1}||} \left( \frac{1}{5}, \frac{1}{1} - \frac{1}{1$$

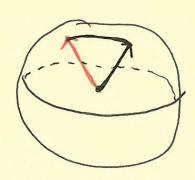
Ex try to compute 81.81 (at home)

$$||q_1|| = \sqrt{s_1^2 + y_1^2 + y_1^2 + z_1^2}$$

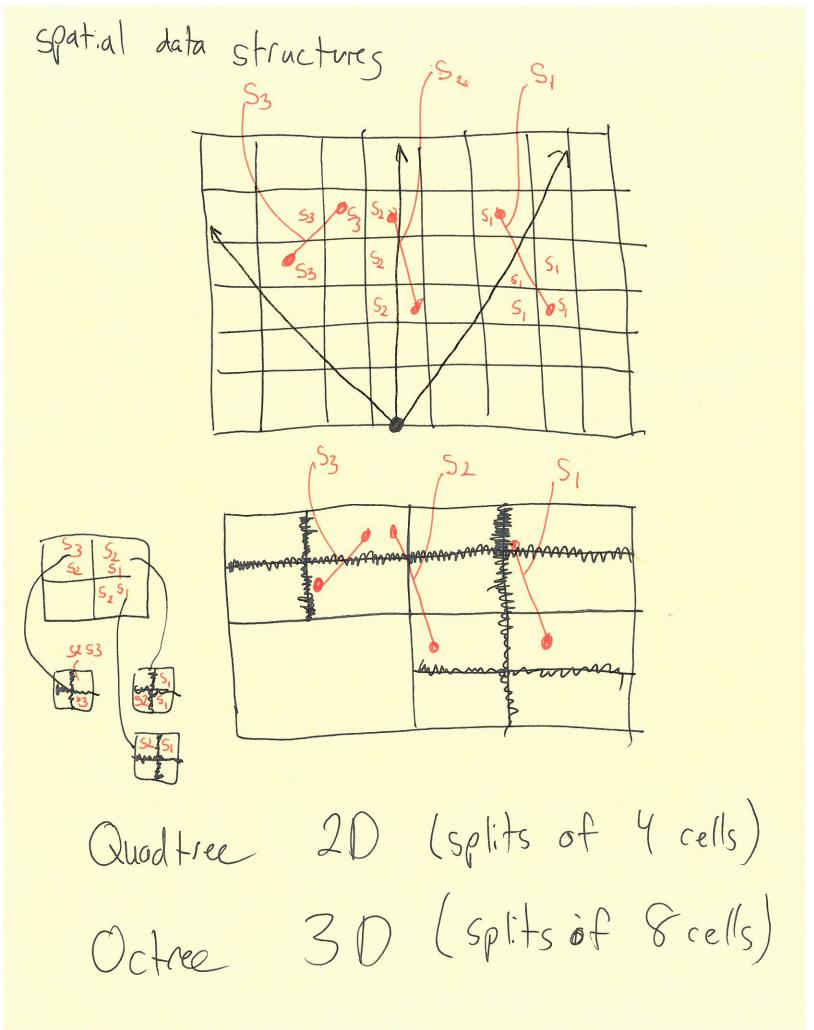


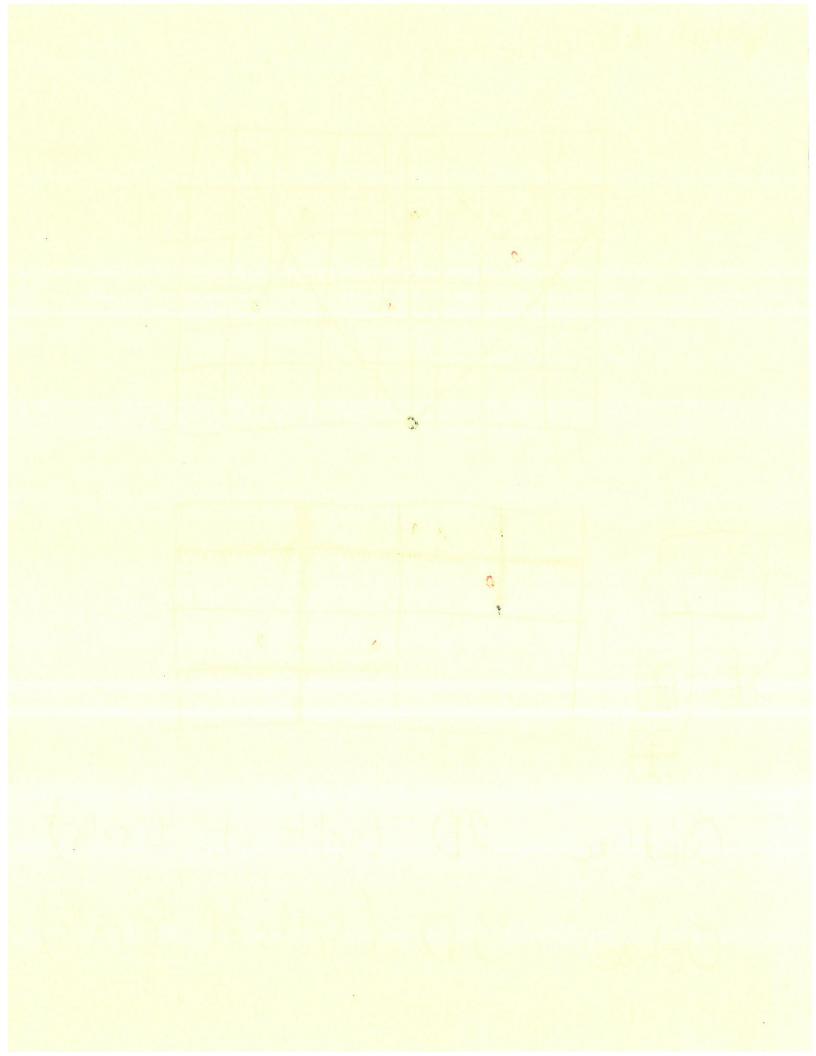
rotate angle 
$$\phi$$
 through the origin  $w/$  normal  $n$ 

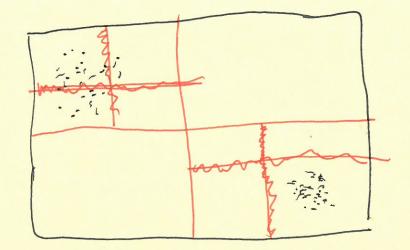
$$g = \left[\cos(\phi/2), \sin(\phi/2) * n\right]$$
rotate point  $p \in \mathbb{R}^3$ 
1) convert to quaternion  $[0, p]$ 
2) transform  $w$  quaternion product  $g_p = gpq^{-1}$ 











Kd-tree

