

Workshop AI

Full Stack Machine Learning

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2020

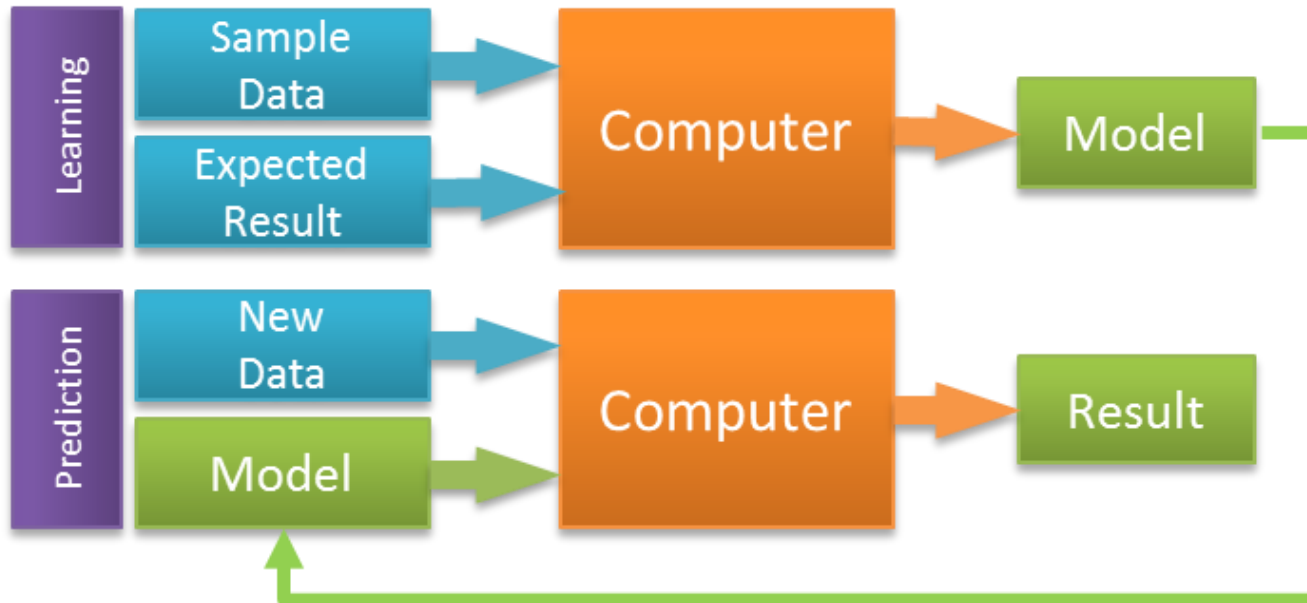
Pengenalan

Machine Learning

Traditional modeling:



Machine Learning:



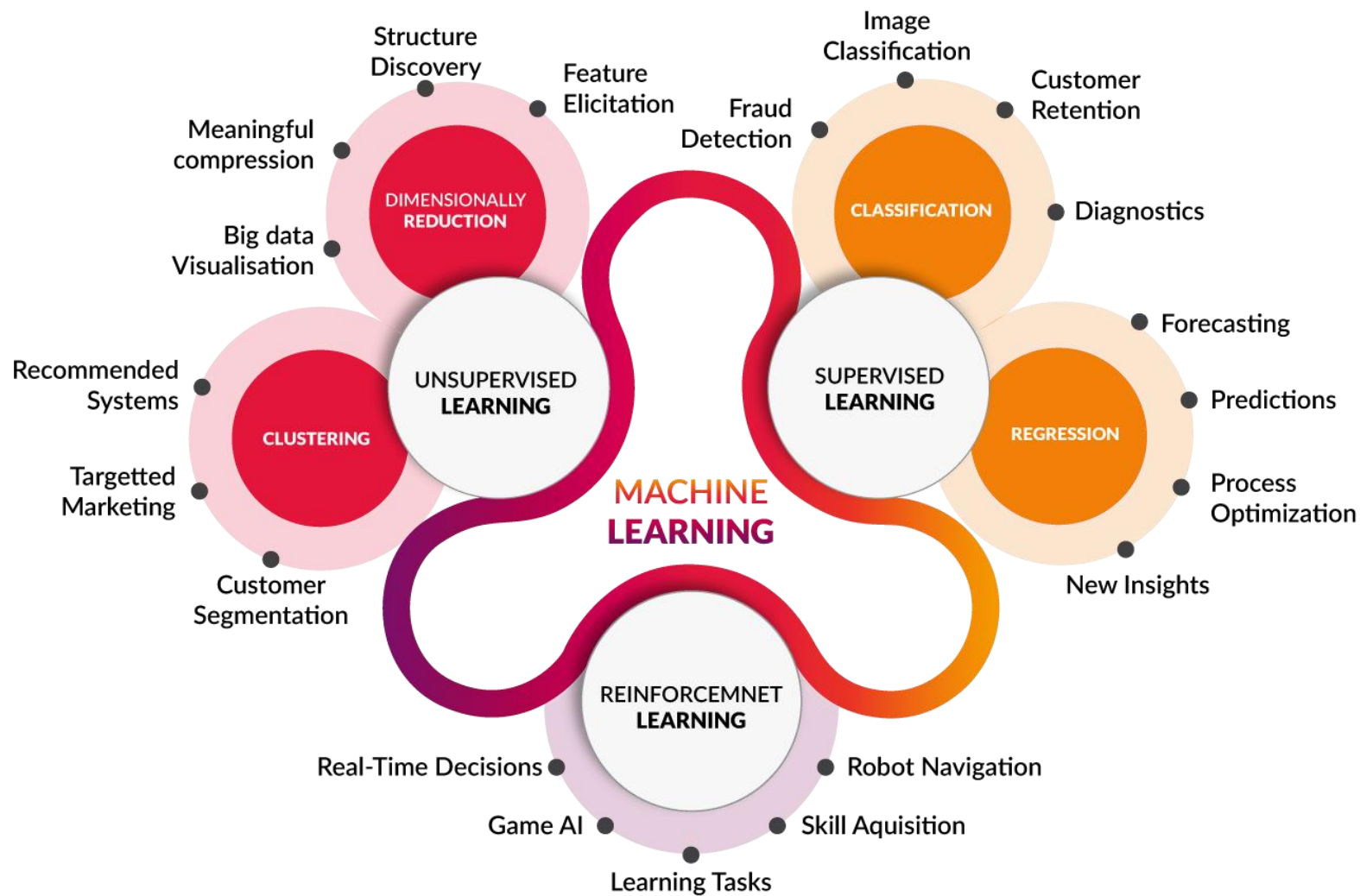
or



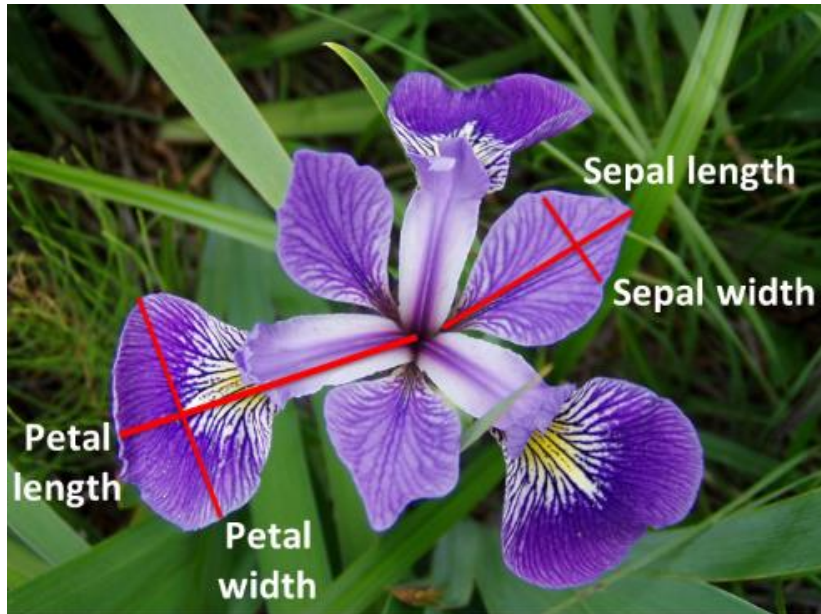
Machine learning (ML) is the study of computer algorithms that improve automatically through experience

It is seen as a subset of artificial intelligence.

Jenis Machine Learning



Problem



Iris setosa



Iris virginica



Iris versicolor

berdasarkan ukuran panjang dan lebar sepal serta panjang dan lebar petal, kita ingin memprediksikan spesies dari suatu tanaman dengan genus *Iris* (anggrek)

Data

Data

- Kumpulan dari data objek dan atributnya
- Atribut adalah karakteristik/sifat/property dari sebuah objek
 - Contoh : warna mata, suhu, dll
 - Atribut juga disebut dengan variable, field atau fitur
- Kumpulan dari atribut membentuk sebuah objek
 - Objek juga dapat disebut record, point, case, sample, point, case, entity atau instance

Objects

Attributes

<i>Tid</i>	Refund	Marital Status	Taxable Income	Cheat
1	Yes	Single	125K	No
2	No	Married	100K	No
3	No	Single	70K	No
4	Yes	Married	120K	No
5	No	Divorced	95K	Yes
6	No	Married	60K	No
7	Yes	Divorced	220K	No
8	No	Single	85K	Yes
9	No	Married	75K	No
10	No	Single	90K	Yes

Atribut Diskrit dan Kontinyu

Atribut Diskrit

- Memiliki nilai terbatas (finite)
- Contohnya kode pos, jumlah
- Seringkali direpresentasikan dalam tipe integer
- Atribut biner adalah atribut diskrit yang hanya memiliki dua nilai

Atribut Kontinyu

- Memiliki nilai real
- Contohnya suhu, bobot, panjang
- Seringkali direpresentasikan dalam tipe float

Tipe Atribut

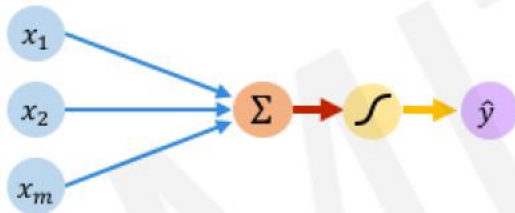
Tipe Atribut	Deskripsi	Contoh	Operasi Matematika
Nominal	Nilai pada atribut nominal hanya nama yang berbeda. Atribut nominal memiliki informasi yang dapat digunakan hanya untuk membedakan satu objek dengan lainnya. (=, ≠)	kode pos, ID karyawan, warna mata, sex: {male, female}	mode, entropy, contingency correlation
Ordinal	Nilai dalam atribut ordinal memberikan informasi untuk mengurutkan (order) objek. (<, >)	tingkat kekerasan mineral, {good, better, best}, grades, nomor rumah	median, percentiles, rank correlation, run tests, sign tests
Interval	Nilai selisih pada atribut interval memiliki makna, ada unit pengukuran yang digunakan. (+, -)	tanggal, suhu dalam Celsius or Fahrenheit	mean, standard deviation, Pearson's correlation, t and F tests
Ratio	Nilai selisih dan rasio dalam atribut ratio memiliki makna, nilai nol bersifat absolut. (* , /)	suhu dalam Kelvin, nilai mata uang, jumlah, umur, bobot, panjang, arus listrik	geometric mean, harmonic mean, percent variation

Neural Network

Core Foundation Review

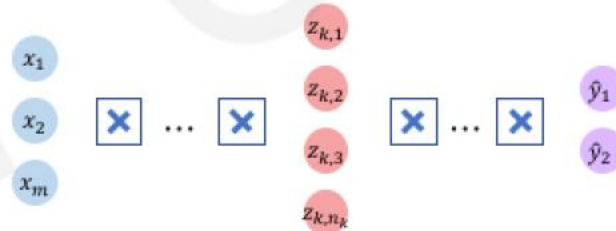
The Perceptron

- Structural building blocks
- Nonlinear activation functions



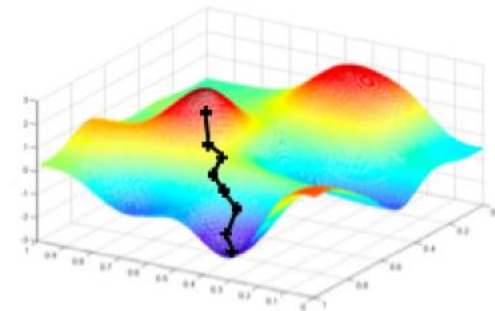
Neural Networks

- Stacking Perceptrons to form neural networks
- Optimization through backpropagation

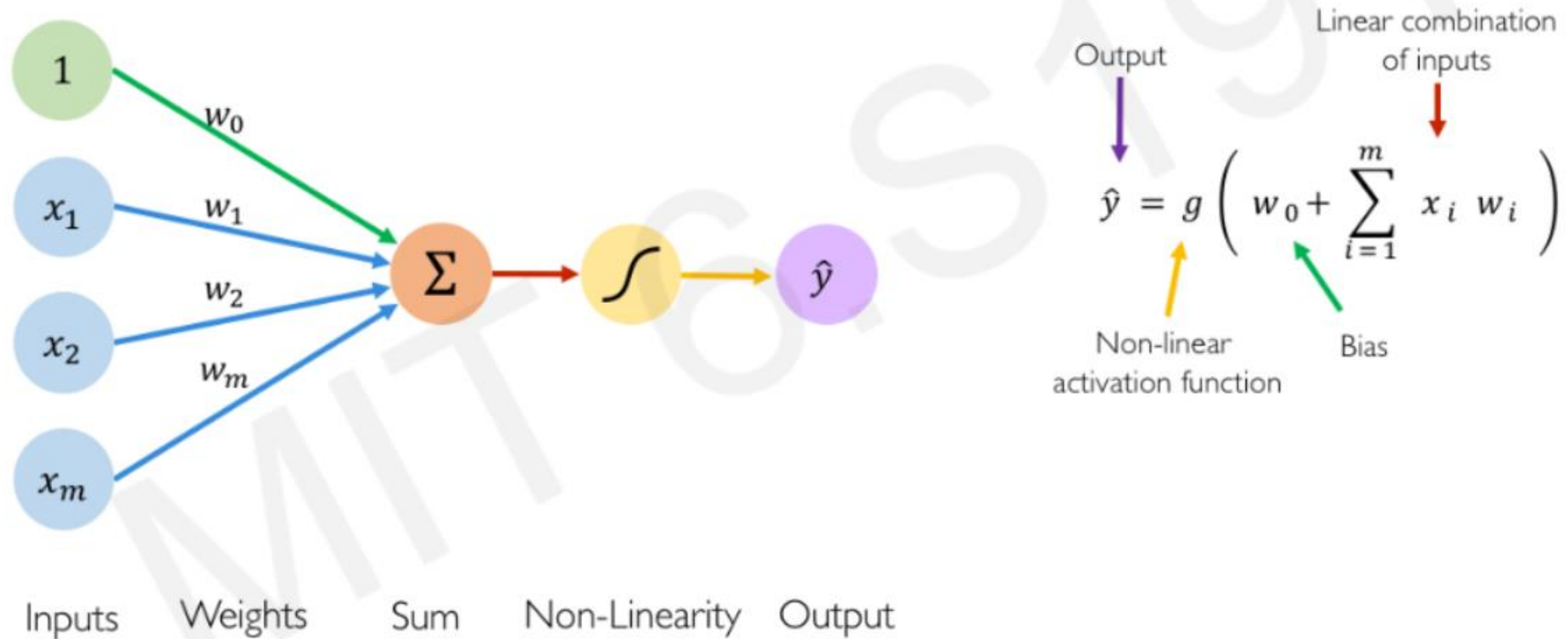


Training in Practice

- Adaptive learning
- Batching
- Regularization

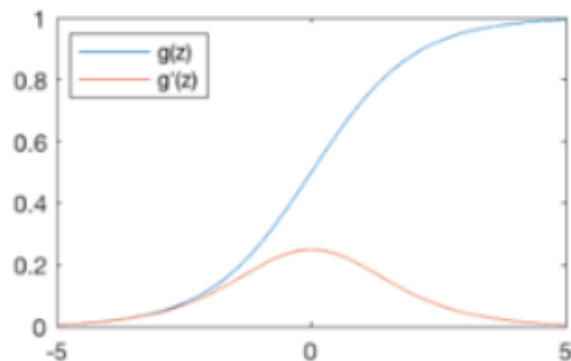


The Perceptron: Forward Propagation



Common Activation Functions

Sigmoid Function



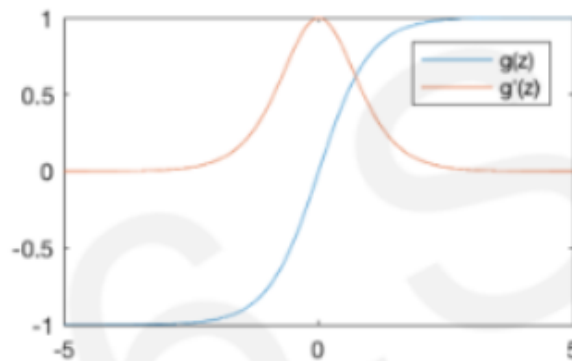
$$g(z) = \frac{1}{1 + e^{-z}}$$

$$g'(z) = g(z)(1 - g(z))$$



```
tf.math.sigmoid(z)
```

Hyperbolic Tangent



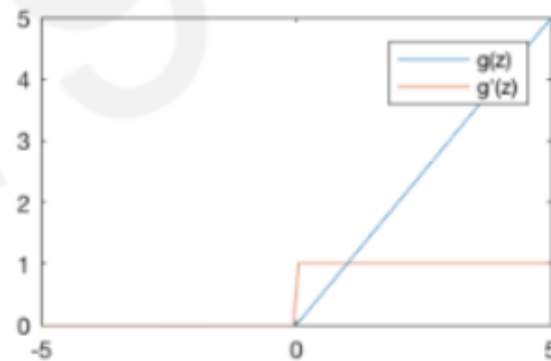
$$g(z) = \frac{e^z - e^{-z}}{e^z + e^{-z}}$$

$$g'(z) = 1 - g(z)^2$$



```
tf.math.tanh(z)
```

Rectified Linear Unit (ReLU)



$$g(z) = \max(0, z)$$

$$g'(z) = \begin{cases} 1, & z > 0 \\ 0, & \text{otherwise} \end{cases}$$



```
tf.nn.relu(z)
```



TensorFlow code blocks

NOTE: All activation functions are non-linear



Massachusetts
Institute of
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6.S191 Introduction to Deep Learning



introtodeeplearning.com

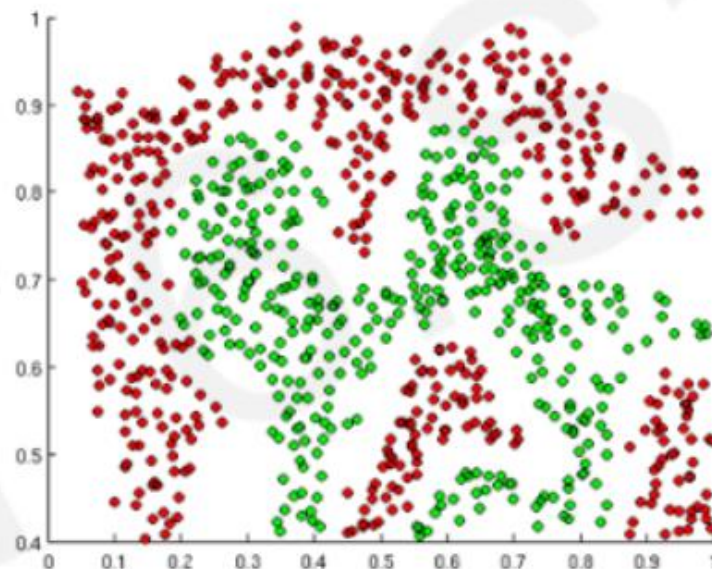


@MITDeepLearning

1/27/20

Importance of Activation Functions

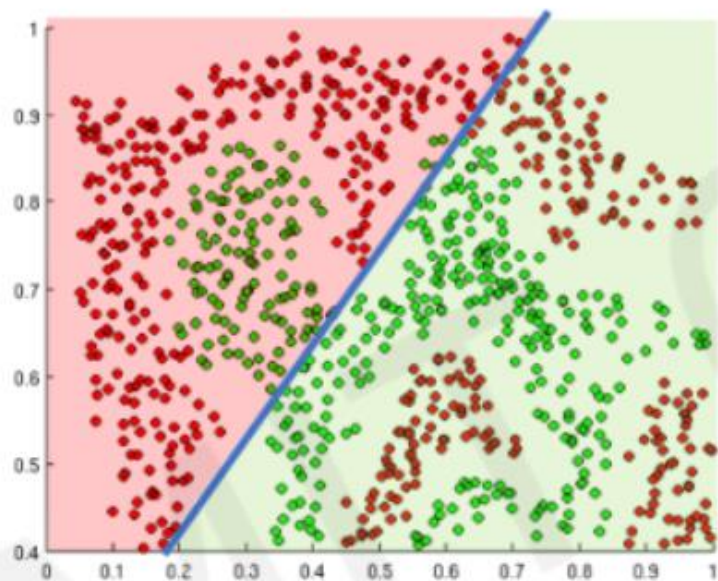
The purpose of activation functions is to **introduce non-linearities** into the network



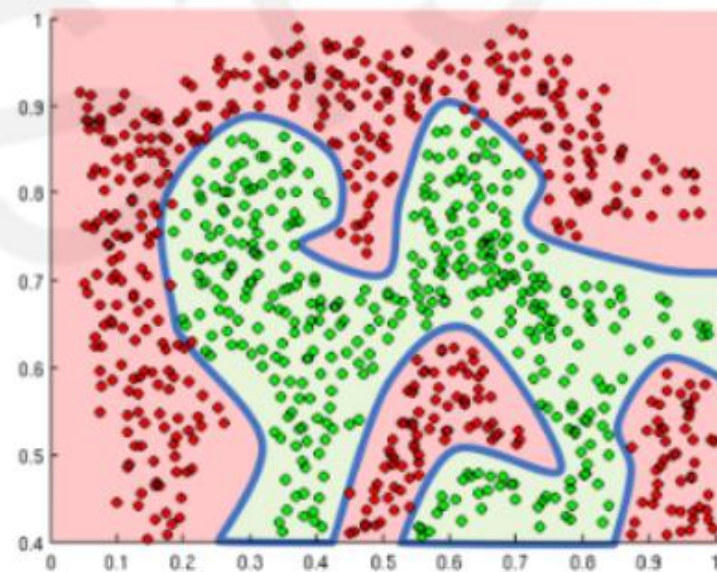
What if we wanted to build a neural network to distinguish green vs red points?

Importance of Activation Functions

The purpose of activation functions is to **introduce non-linearities** into the network



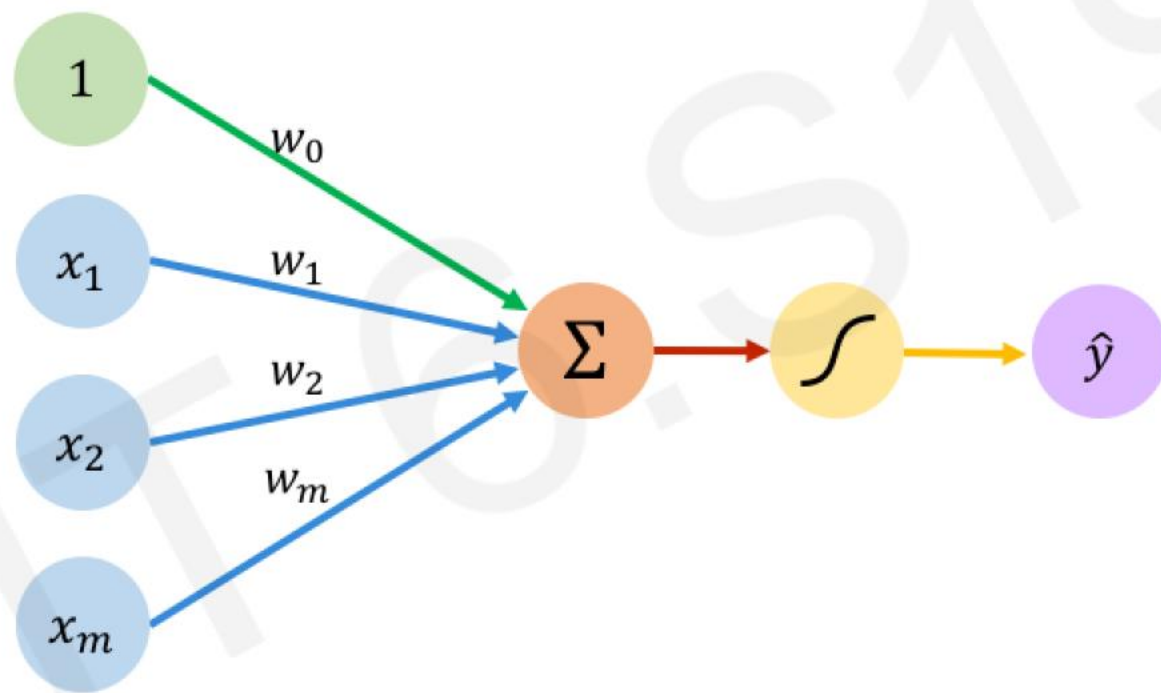
Linear activation functions produce linear decisions no matter the network size



Non-linearities allow us to approximate arbitrarily complex functions

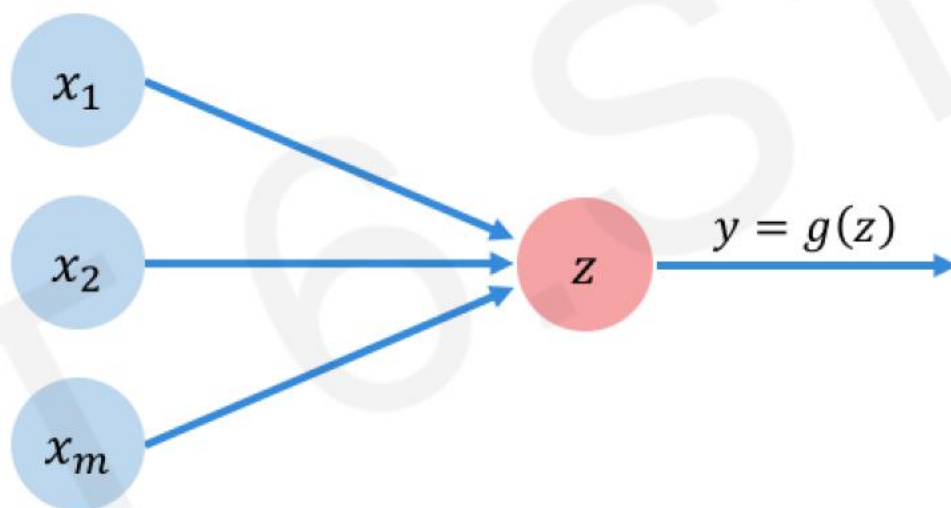
The Perceptron: Simplified

$$\hat{y} = g(w_0 + \mathbf{X}^T \mathbf{W})$$



Inputs Weights Sum Non-Linearity Output

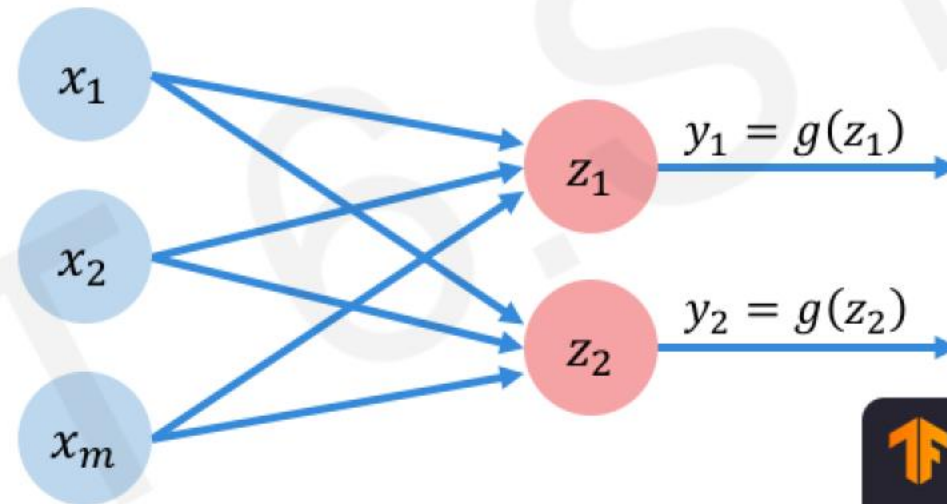
The Perceptron: Simplified




$$z = w_0 + \sum_{j=1}^m x_j w_j$$

Multi Output Perceptron

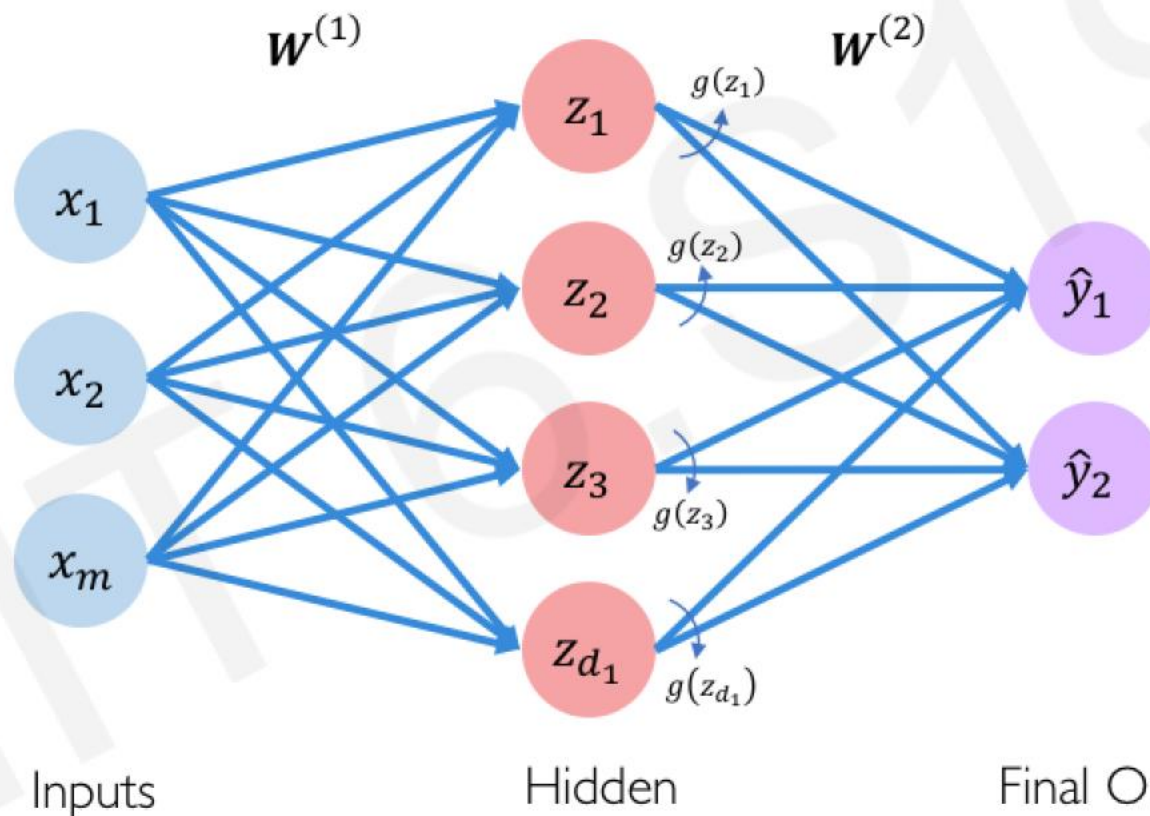
Because all inputs are densely connected to all outputs, these layers are called **Dense** layers



```
 import tensorflow as tf  
  
layer = tf.keras.layers.Dense(  
    units=2)
```

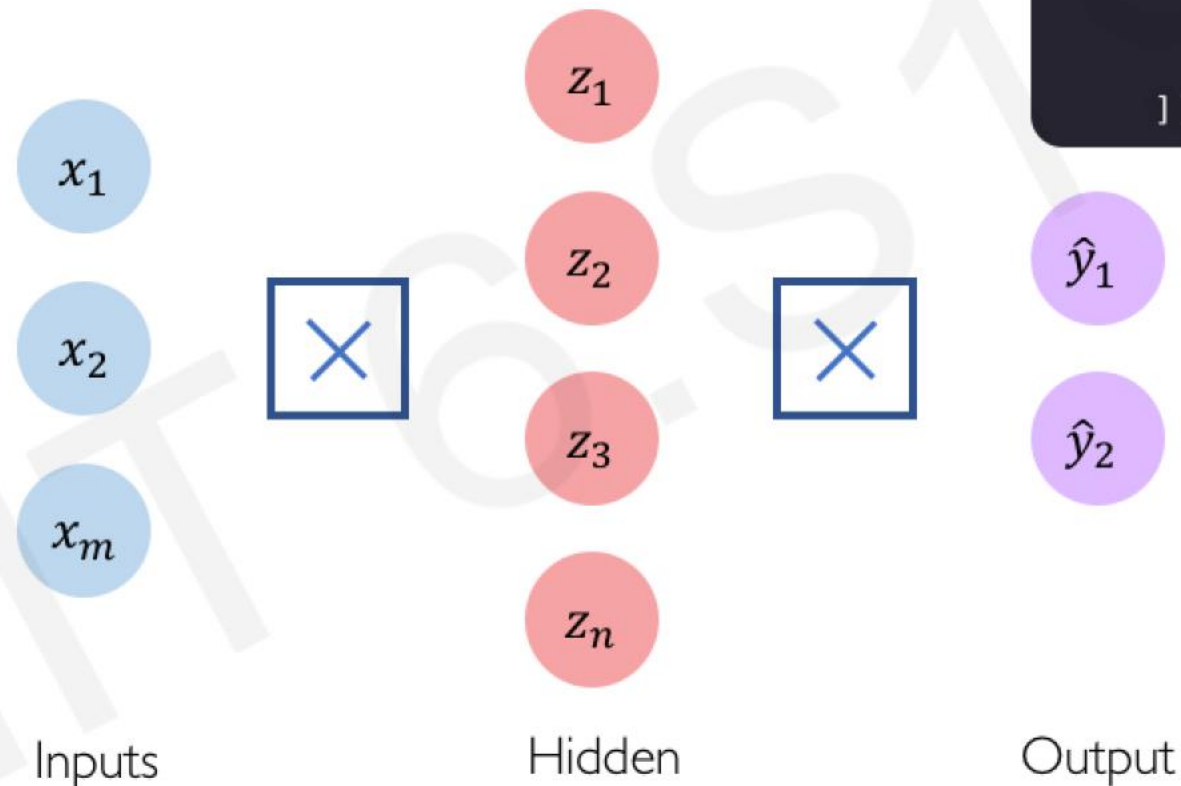
$$z_i = w_{0,i} + \sum_{j=1}^m x_j w_{j,i}$$

Single Layer Neural Network



$$z_i = w_{0,i}^{(1)} + \sum_{j=1}^m x_j w_{j,i}^{(1)} \quad \hat{y}_i = g \left(w_{0,i}^{(2)} + \sum_{j=1}^{d_1} g(z_j) w_{j,i}^{(2)} \right)$$

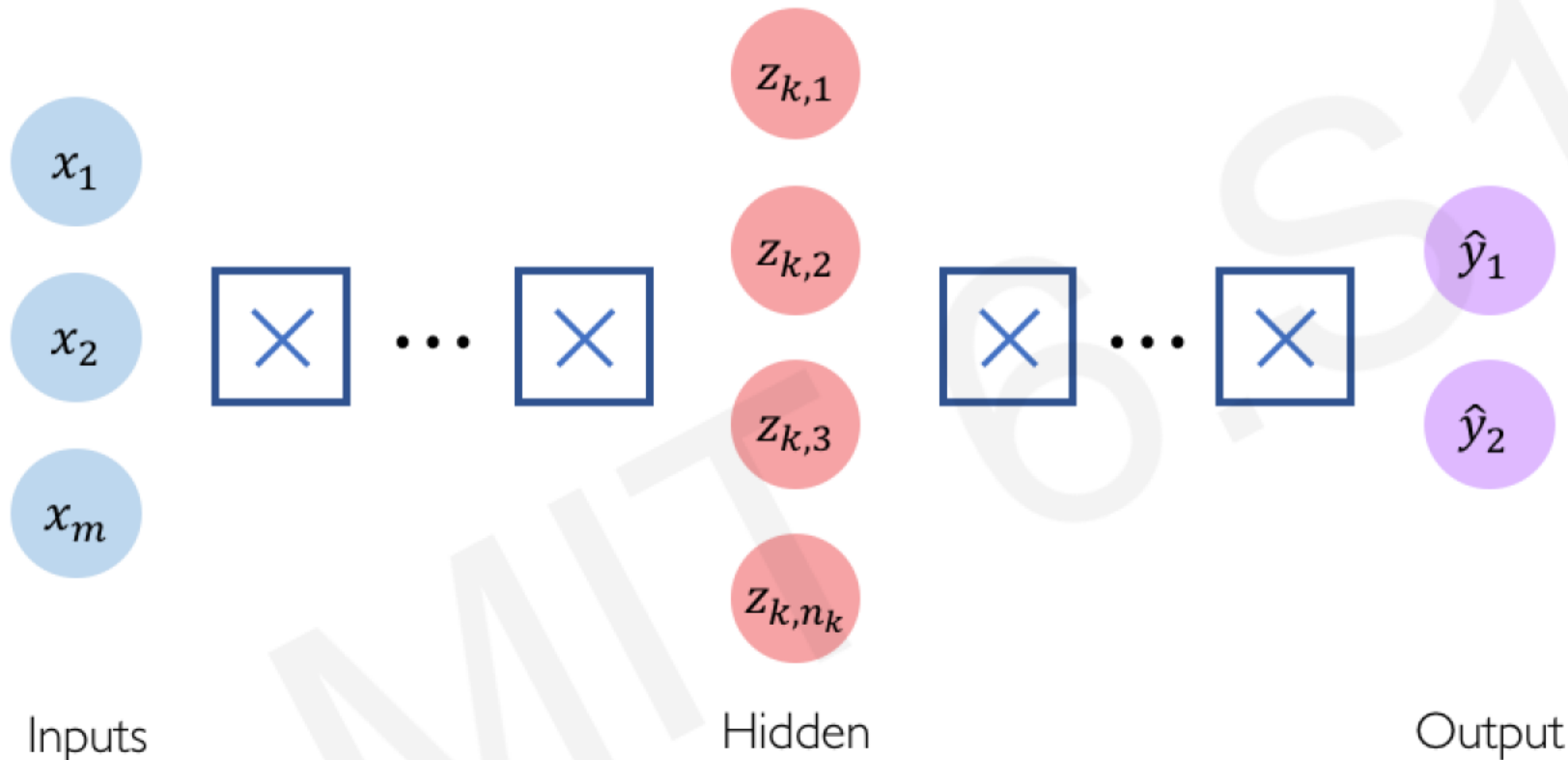
Multi Output Perceptron



```
import tensorflow as tf

model = tf.keras.Sequential([
    tf.keras.layers.Dense(n),
    tf.keras.layers.Dense(2)
])
```

Deep Neural Network



$$z_{k,i} = w_{0,i}^{(k)} + \sum_{j=1}^{n_{k-1}} g(z_{k-1,j}) w_{j,i}^{(k)}$$



```
import tensorflow as tf

model = tf.keras.Sequential([
    tf.keras.layers.Dense(n1),
    tf.keras.layers.Dense(n2),
    :
    tf.keras.layers.Dense(2)
])
```

Example Problem

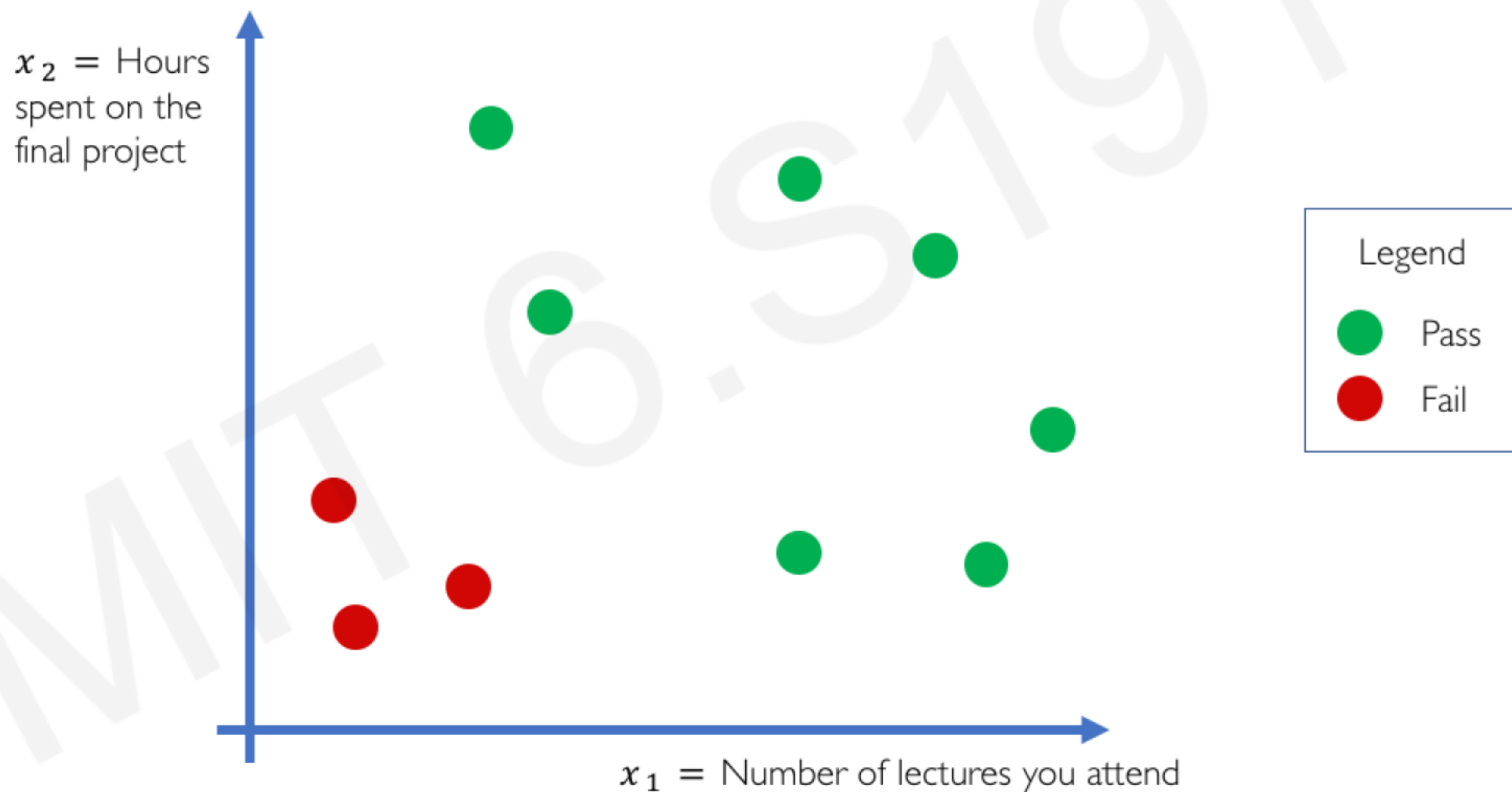
Will I pass this class?

Let's start with a simple two feature model

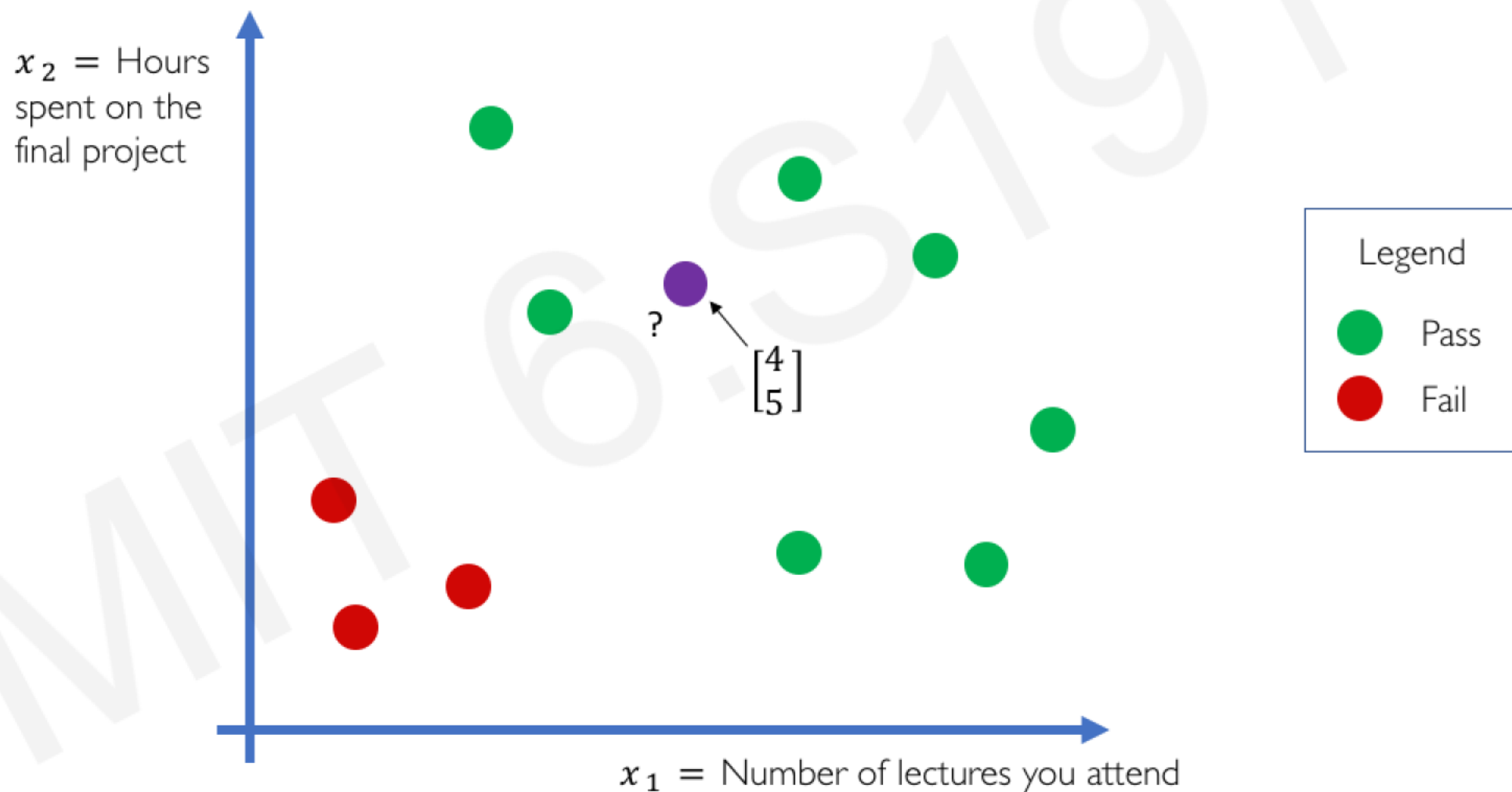
x_1 = Number of lectures you attend

x_2 = Hours spent on the final project

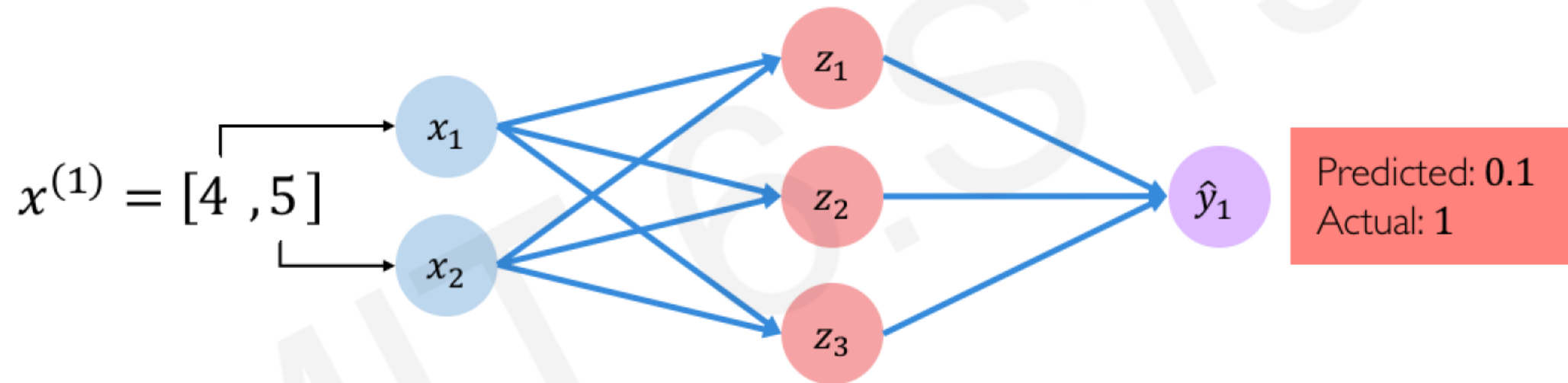
Example Problem: Will I pass this class?



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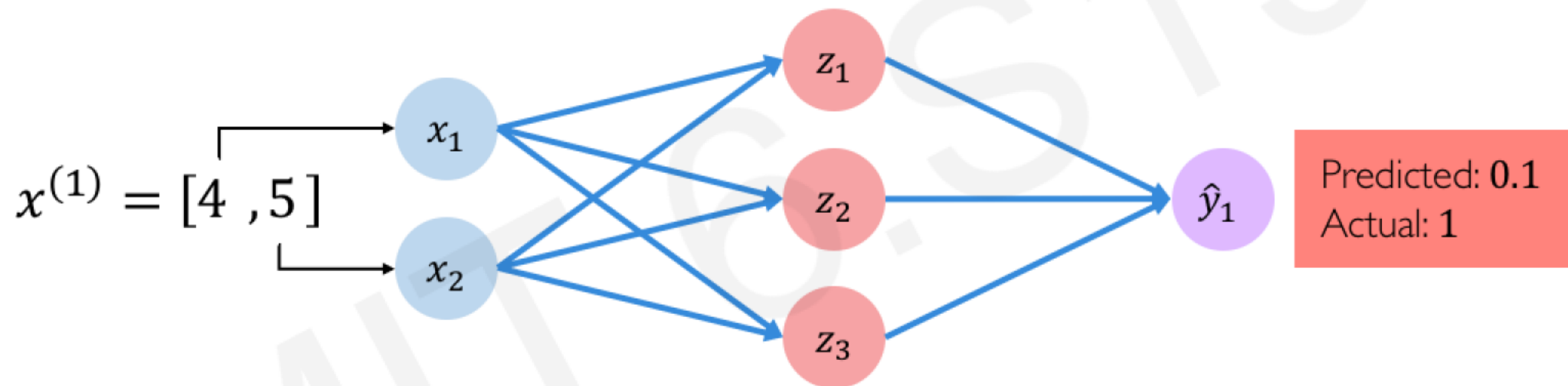


Example Problem: Will I pass this class?



Quantifying Loss

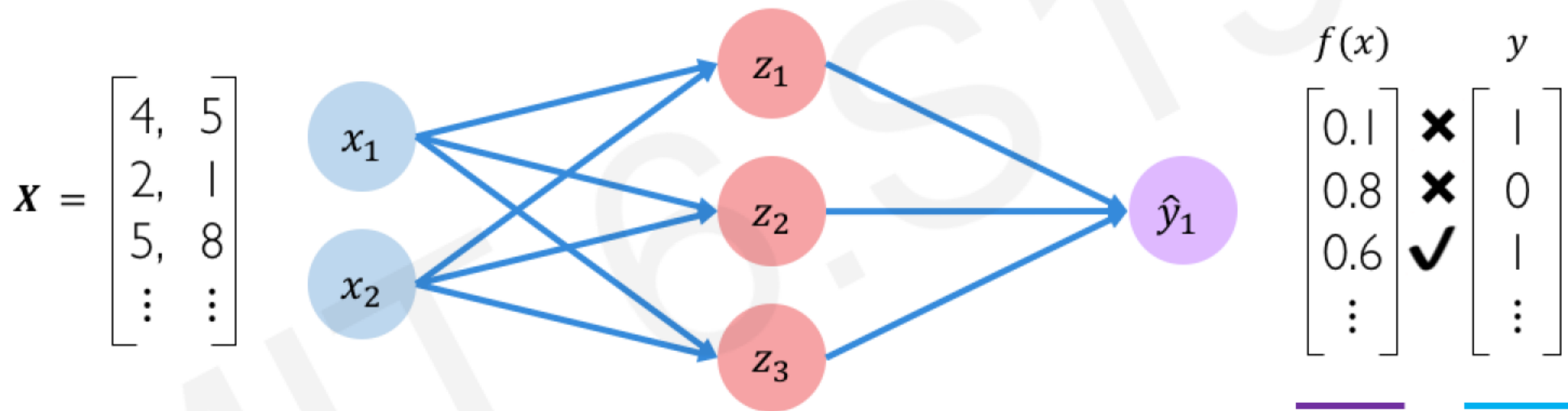
The **loss** of our network measures the cost incurred from incorrect predictions



$$\mathcal{L}(\underbrace{f(x^{(i)}; \mathbf{W})}_{\text{Predicted}}, \underbrace{y^{(i)}}_{\text{Actual}})$$

Binary Cross Entropy Loss

Cross entropy loss can be used with models that output a probability between 0 and 1



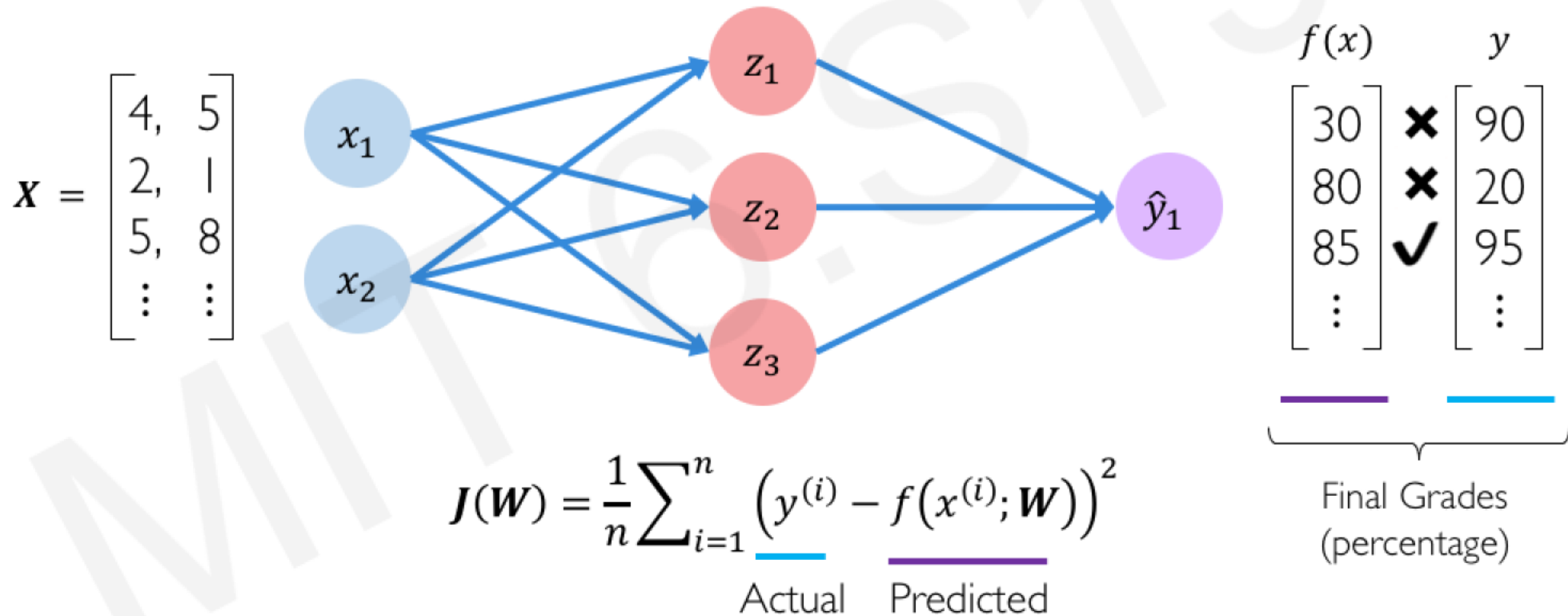
$$J(W) = \frac{1}{n} \sum_{i=1}^n \underbrace{y^{(i)}}_{\text{Actual}} \log \left(\underbrace{f(x^{(i)}; W)}_{\text{Predicted}} \right) + (1 - \underbrace{y^{(i)}}_{\text{Actual}}) \log \left(1 - \underbrace{f(x^{(i)}; W)}_{\text{Predicted}} \right)$$



```
loss = tf.reduce_mean( tf.nn.softmax_cross_entropy_with_logits(y, predicted) )
```




Mean Squared Error Loss

Mean squared error loss can be used with regression models that output continuous real numbers



```
loss = tf.reduce_mean( tf.square(tf.subtract(y, predicted)) )
```

Gradient Descent Algorithms

Algorithm	TF Implementation	Reference
• SGD	 <code>tf.keras.optimizers.SGD</code>	Kiefer & Wolfowitz. "Stochastic Estimation of the Maximum of a Regression Function." 1952.
• Adam	 <code>tf.keras.optimizers.Adam</code>	Kingma et al. "Adam: A Method for Stochastic Optimization." 2014.
• Adadelta	 <code>tf.keras.optimizers.Adadelta</code>	Zeiler et al. "ADADELTA: An Adaptive Learning Rate Method." 2012.
• Adagrad	 <code>tf.keras.optimizers.Adagrad</code>	Duchi et al. "Adaptive Subgradient Methods for Online Learning and Stochastic Optimization." 2011.
• RMSProp	 <code>tf.keras.optimizers.RMSProp</code>	

Additional details: <http://runder.io/optimizing-gradient-descent/>

Tools

Software Requirement



Data Processing



AI Framework



Web Framework



Code Editor



Deployment