

Eurotranselec: Integrating financial constraints in systemic studies of the energy transition with minimal assumptions

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Energy transition

European Union: 20/20/20.

Higher penetration of renewable energy sources (RES).

Requirements:

- Flexible sources.
- Energy storage.



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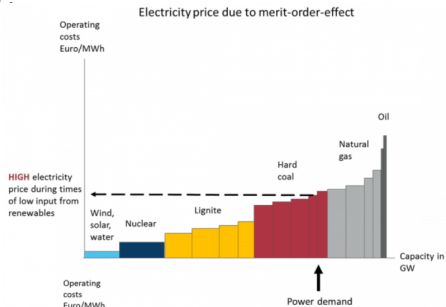
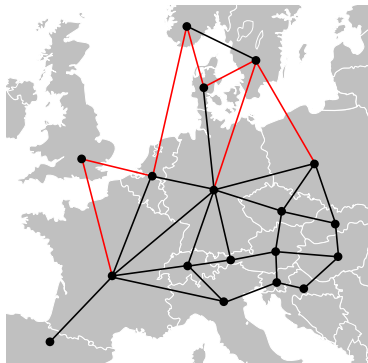
- Flexible sources.
- Energy storage.



Are dam and pumped storage power plants correctly rewarded?

Future pan-European power dispatch

Aggregated model of European power grid.



$$W_i(t) = a_k P_{ki}(t) + b_k [P_{ki}(t)]^2 / P_{ki}^{\max}$$

Production profiles $\{P_{ki}(t)\}$ minimizing the annual generation cost

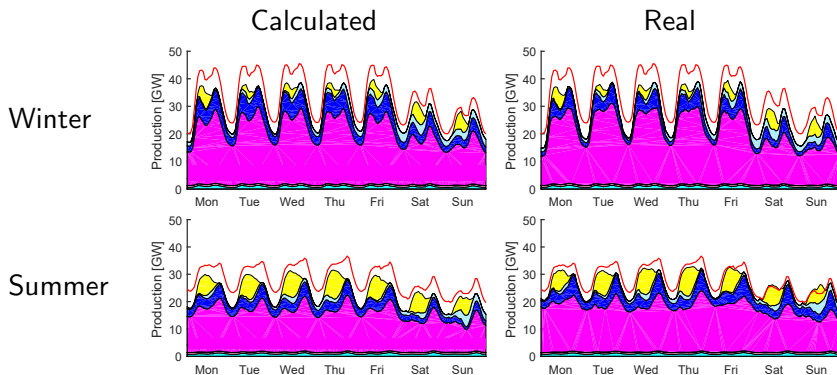
$$W(\{P_{ki}(t)\}) = \sum_{i,t} W_i(t)$$

Calibration and validation

Calibration: matching historical data.

$$W_i(t) = a_k P_{ki}(t) + b_k [P_{ki}(t)]^2 / P_{ki}^{\max}$$

Italian electricity production in 2015:



Wind, PV, Dam, Gas & Hard coal, RoR.

Effective electricity price

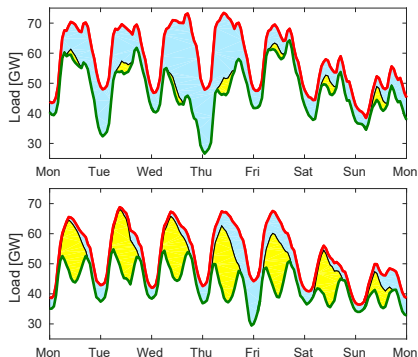
The **residual load** is defined as the **load** from which the non-flexible productions are subtracted.

$$L_R(t) = L(t) - P_{PV}(t) - P_{WD}(t) - P_{MR}$$

Non-flexible productions:

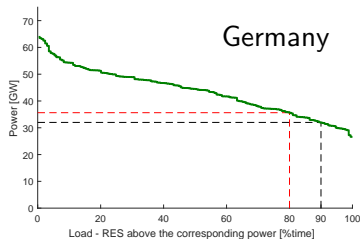
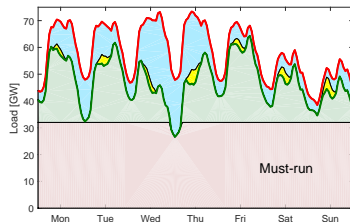
- Photovoltaics.
- Wind power.
- Must-run.

Residual load quantifies supply/demand.



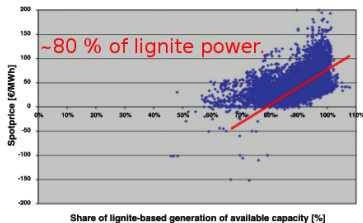
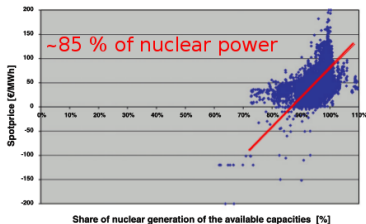
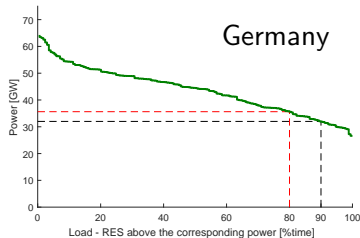
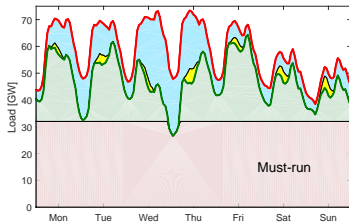
Must-run power

Must-run power is due to plants agreeing to produce power below their cost price to avoid ramping cost.



Must-run power

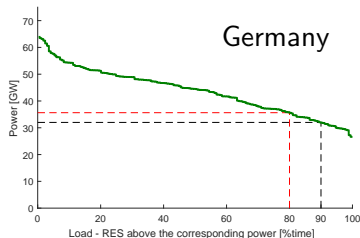
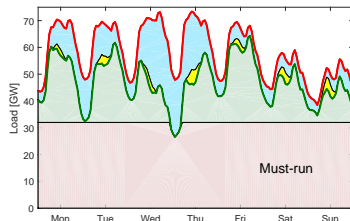
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Nicolosi, Energy Policy (2010).

Must-run power

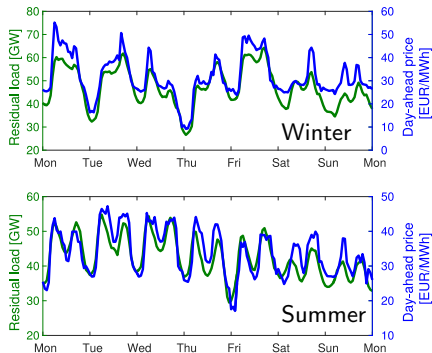
Must-run power is due to plants agreeing to produce power below their cost price to avoid ramping cost.



Must-run power (prior 2010): 30-35 GW.

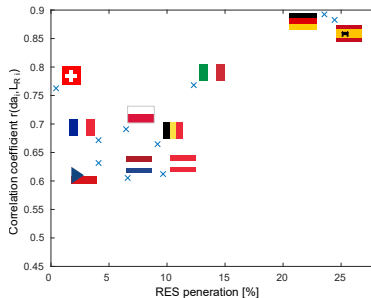
Residual load and day-ahead electricity price

Germany:



Correlation coefficient:

$$r(x, y) = \frac{\sum_{k=1}^n (x(t_k) - \bar{x})(y(t_k) - \bar{y})}{\sqrt{\sum_{k=1}^n (x(t_k) - \bar{x})^2 \sum_{k=1}^n (y(t_k) - \bar{y})^2}}$$
$$-1 \leq r(x, y) \leq 1$$



Electricity price based on residual load

$$p_{\text{da}}(t) = \Delta p_{\text{da}} L_R(t) + p_{\text{da}0}$$

$$L_R(t) = L(t) - P_{\text{PV}}(t) - P_{\text{WD}}(t) - P_{\text{MR}}$$

Fitting historical data:

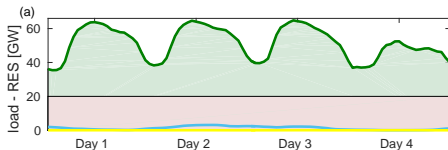
$$\Delta p_{\text{da}} \approx 1 \text{ [EUR/MWh} \cdot \text{GW}^{-1}]$$

$$p_{\text{da}0} \approx 20 \text{ [EUR/MWh] for Germany.}$$

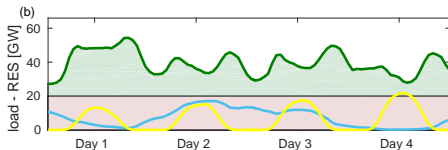
Roughly constant over past few years.

Electricity price based on residual load

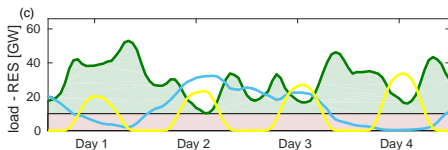
$$p_{da}(t) = \Delta p_{da} L_R(t) + p_{da0}$$



Old paradigm (< 2010).



Transition.



New paradigm (> 2020).

Application 1: Income of a pumped-storage plant

Income:

$$\mathcal{I} = \int p_{\text{da}}(t) P_{\text{PS}}(t) dt$$

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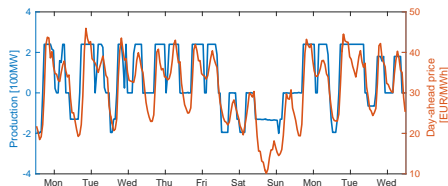
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Historical production of FMHL plant:



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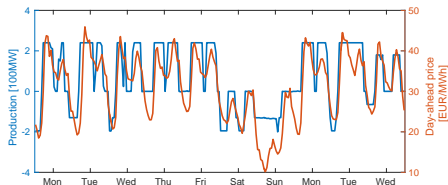
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$$\boxed{\max \text{\$} \propto \text{Var}[L_R]}$$



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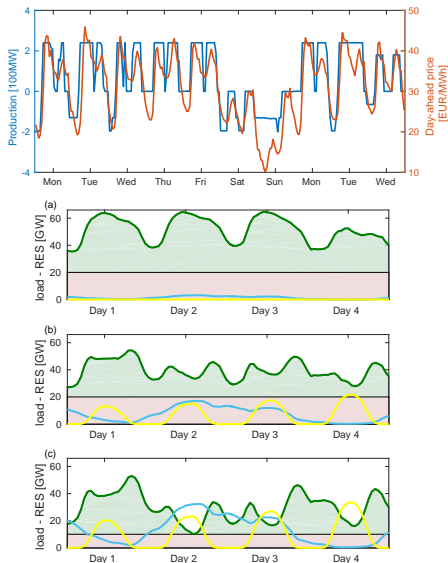
Maximizing income:

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$$\boxed{\max \$ \propto \text{Var}[L_R]}$$

Income $\searrow \nearrow$.



Application 1: Income of a pumped-storage plant

Numerical optimization:

$$\mathcal{J} = \max \int p_{\text{da}}(t) P_{\text{PS}}(t) dt$$

Constraints:

- Limited Storage.
- Max power.

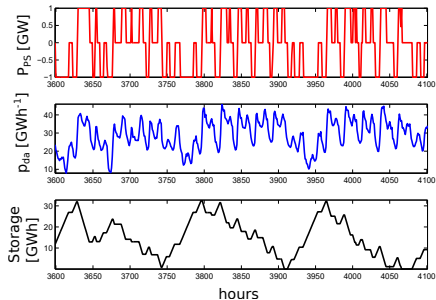
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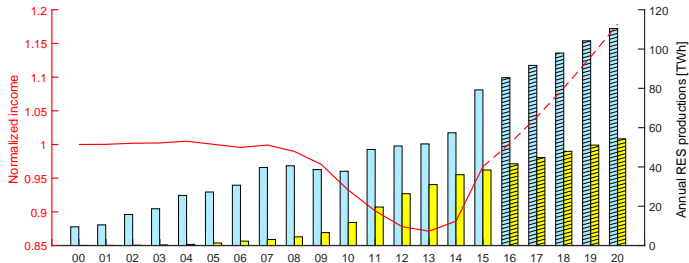
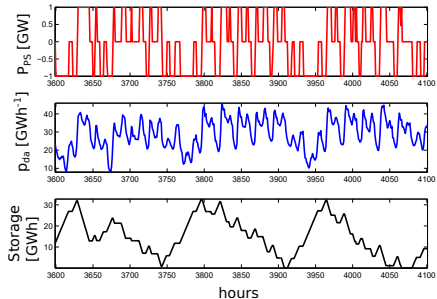
Application 1: Income of a pumped-storage plant

Numerical optimization:

$$\mathcal{S} = \max \int p_{da}(t) P_{PS}(t) dt$$

Constraints:

- Limited Storage.
- Max power.



Application 2: Profitability of dam hydroelectricity

Numerical optimization:

$$\$ = \max \int p_{da}(t) P_D(t) dt$$

Additional constraint:

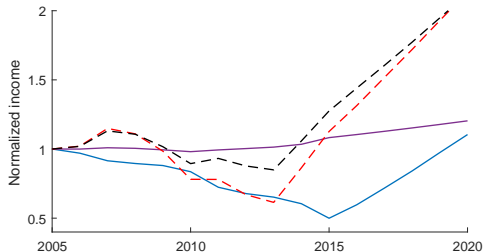
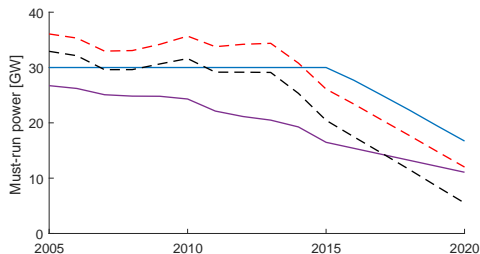
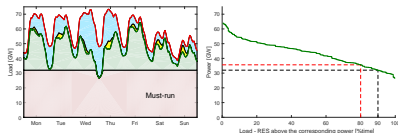
$$\int P_D(t) dt = \int I(t) dt$$

As long as possible.

Exact compensation.

must-run 8000h.

must-run 7000h.



Application 2: Profitability of dam hydroelectricity

Numerical optimization:

$$\$ = \max \int p_{\text{da}}(t) P_{\text{D}}(t) dt$$

Additional constraint:

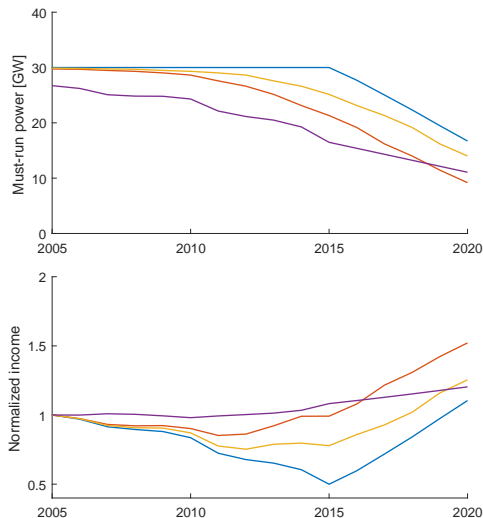
$$\int P_{\text{D}}(t) dt = \int I(t) dt$$

As long as possible.

Exact compensation.

Expectation.

Slightly anticipated.



Conclusion

We developed a pan-European power dispatch:

- Future usage of flexible sources.

We derived an electricity price based on residual load:

- Study profitability of the different production types.

Better profitability sooner if energy transition proceeds faster:

- Flexibility will be properly rewarded if overcapacity is reduced.