Large electric load fluctuations and how to suppress them with DSM (of heating devices)

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DSM with heating devices

- Thermal inertia of buildings to shift load
- When is it favorable to heat ...

Economically, Service to the network, Absorb own PV production, peak shaving...

Reconcile desired consumption with constraints

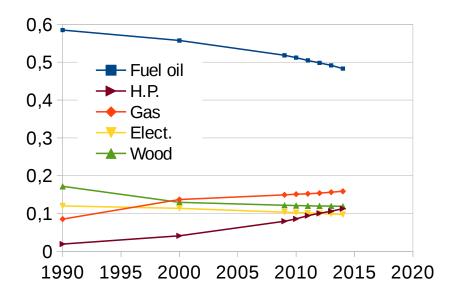
Comfort temperatures, on/off mode of thermal devices, Number of switchings of the compressor, Total consumption does not increase...



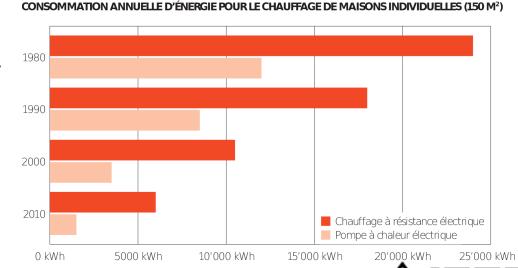


Motivation... the Swiss context

- Electrification
 - → ~200'000 H.P.



Improved efficiency





Energy balance for a building

Single temperature point

$$C\frac{dT}{dt} = \kappa(T_e(t) - T) + P_{rad}(t) + P_h(t)$$

- Thermal capacity C
- Thermal conductance κ
- Radiation power $P_{rad}(t) = p_{rad}(t) \cdot S \cdot g$
- Heating power $P_h(t) = P_h \cdot s(t)$

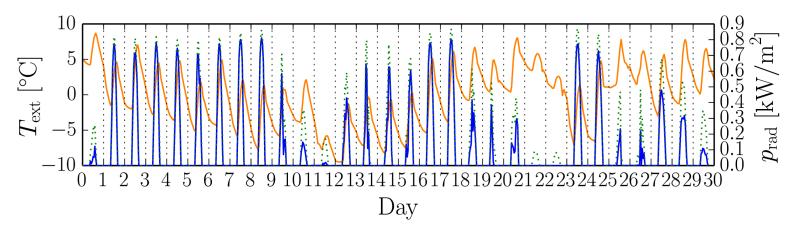


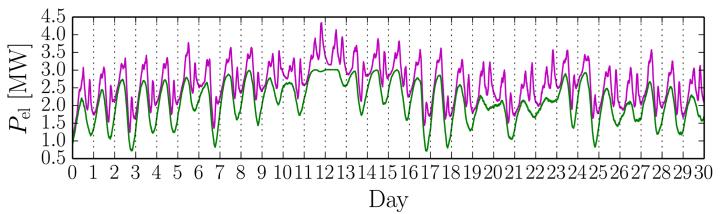


Thermostatic control

 T_{re} T_{re} T_{re} ON
OFF time

Large fluctuations



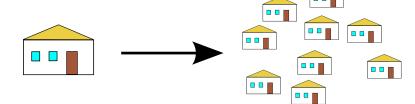






"Smart" control: residual load & aggregation

- Household consumption
 - → Flexible: Heat Pumps
 - → Non Flexible: Domestic appliances
- Production
 - → PV (non flexible)
- Residual load $P_i^{ ext{net}} = P_i^{ ext{flex}} + \sum P_i^{ ext{non-flex}} R$
- Aggregation







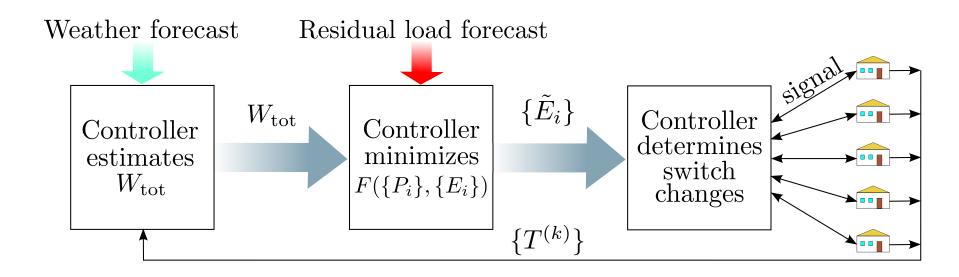
"Smart" control: Load smoothening

- H: Neighborhood's electric consumption for heating is ideally flexible
- Flexibility managed by a central controller
- Objective function $F(\{E_i\}) = \sum_{i=0}^{24h} (E_i P_i)^2$
- Desired profile $P_i = \frac{W_{tot}}{\epsilon_{COP}N\Delta t} R_i$
- Constraint $W_{tot} = \sum_{i=0}^{24h} (\epsilon_{COP} E_i) \Delta t$
 - → Thermal requirements estimated based on weather forecast and buildings' temperatures

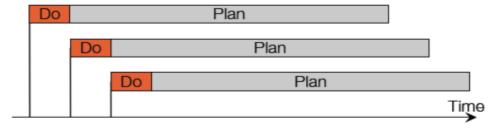




"Smart" control: Summary



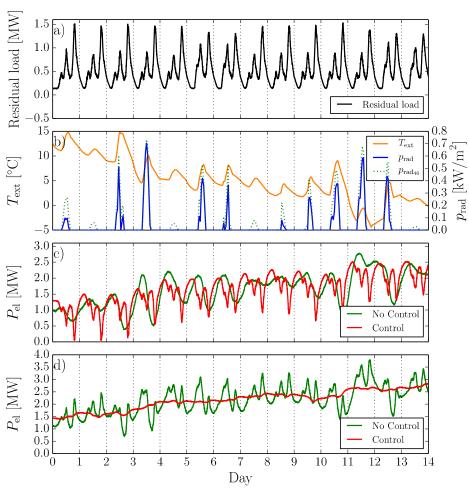
Optimal trajectory computed at each time step

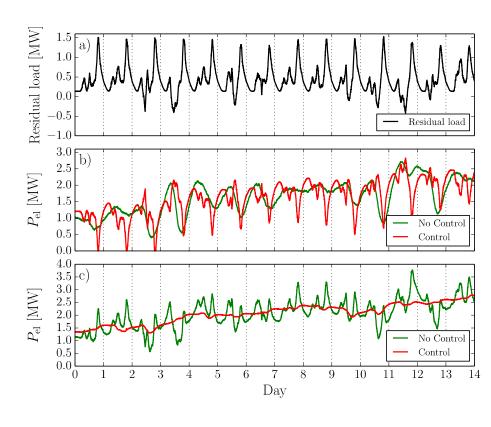






"Smart" control: Results









Conclusion:

- Synchronization of heating consumption in buildings with large solar gains
 - → Improved efficiency enhances this tendency
- Formulate the hypothesis that the aggregated heating consumption is ideally flexible
- Design a non-disruptive, centralized control algorithm for residual load smoothening





Building characteristics

- $C = [1.3, 2.7] \cdot 10^4 \ [Wh/^{\circ}C] \equiv [50, 100] \ [MJ/^{\circ}C]$
- $\kappa \in [200, 400] [W/^{\circ}C]$
- $P_{hp} = \kappa \cdot 30^{\circ} C$ cop = 3 $P_{hp}^{el} \in [2, 4]$ [kW]
 - \rightarrow ensures $20^{\circ}C$ with $-10^{\circ}C$ outside
 - → on/off mode
- PV efficiency 15%
- South facing window surface $S \in [5, 15]$ $[m^2]$

$$g_w = 0.6$$
 $g_b = 0.12$

• $T_{ref} = [21, 23] {}^{\circ}C, \ \Delta = \pm 1.5$



