

Compiler Design

Today's Class Topics

7:30

- Syntax directed translation (SDT)
- Types of attributes & SDT
- 3 Address code
 - Implementation of 3 address code
 - Quadrupole
 - Triple
 - Indirect Triple



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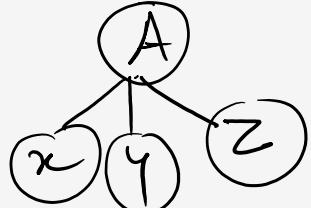
Types of Attributes:

Synthesized

Inherited Attribute

Synthesized Attribute: Value depends on children, it is an Attribute of a [non terminal which is on the Left Hand side (LHS) of the Array.]

$$A \rightarrow xyz$$



$$A.s = f(x.s | y.s | z.s)$$

Synthesized
Attribute

$$A.val = x.val + y.val + z.val$$

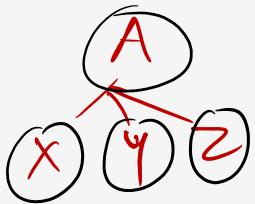


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Inherited Attribute: value depends on parent or siblings

it is an Attribute of a non terminal which is on the RHS of the Array

$$A \rightarrow \underline{xyz}$$



$$Y_e = f(A_e \cdot | X_e \cdot | Z_e)$$

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Types of SDT:

S-Attributed SDT

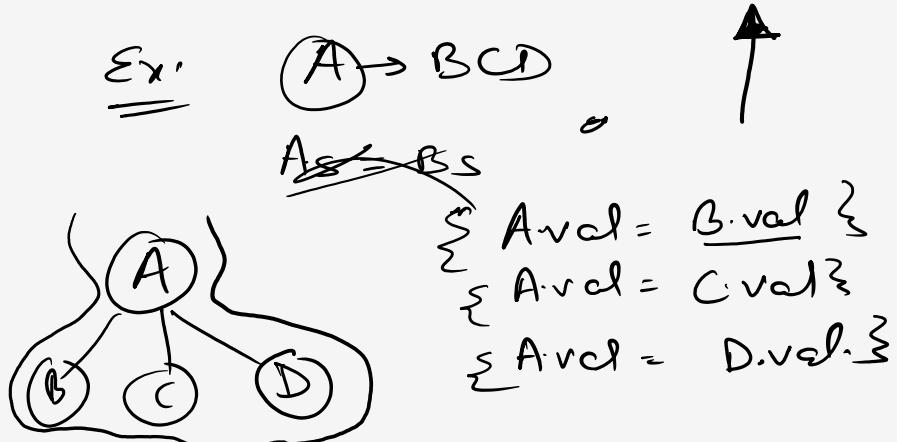
L-Attributed SDT

$$E \rightarrow E + T \quad \sum \underbrace{\text{Eval} = E, \text{val} + T}_{\text{yo}} :$$

S-Attributed SDT: A SDT that uses only synthesized Attributes is called S-Attributed SDT

Ex:

$$(A) \rightarrow BCD$$



1) Attributes are evaluated in Bottom up approach as the parent value depends on its children.

2) The semantic action can be placed on the Rightmost end of RHS of the Production.

$$\boxed{A \rightarrow xyz \sum}$$

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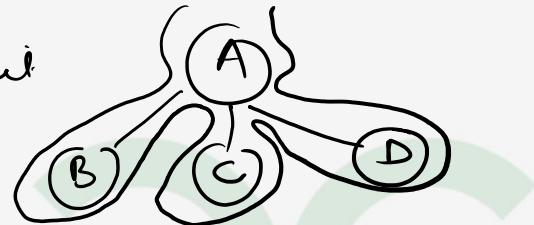
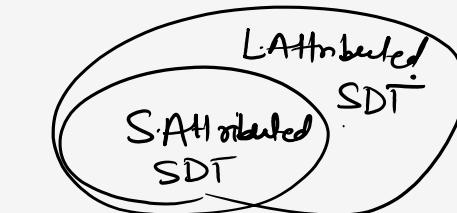
L-Attributed SDT: A SDT that uses both Synthesized and Inherited attributes is called as L-Attributed SDT but each inherited attribute is restricted to inherit from parent or left sibling only

$$A \rightarrow BCD \quad | \quad \begin{array}{l} C.\text{val} = A.\text{val} \\ C.\text{val} = B.\text{val} \end{array}$$

- 1) Attributes are evaluated in depth first and Left to Right
- 2) The Semantic Action can be placed anywhere on the RHS of the production

$$A \rightarrow xyz$$

$$\Rightarrow \begin{aligned} A &\rightarrow \Sigma^3 xyz \\ A &\rightarrow x\Sigma^2 yz \\ A &\rightarrow xy\Sigma^2 z \\ A &\rightarrow xyz\Sigma^2 \end{aligned}$$



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Ex:- The following SDT is

$$A \rightarrow BA_1 \quad \{ A.x = B.y \}$$

$$B \rightarrow B_1 C \quad \{ C.x = B.x + B_1.x \}$$

- a) S-Attributed SDT c) Both S & L-Attributed
b) L-Attributed SDT d) None

Ex:- $A \rightarrow SBX \quad \{ X.i = S.i + A.i ; B.i = S.i \}$

$$B \rightarrow ACD \quad \{ C.i = A.i + B.i - D.i \} \times \text{not L-Attributed}$$

- ~~a)~~ S-Attributed ~~c)~~ Both
~~b)~~ L-Attributed ~~d)~~ None

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Ex:- $A \rightarrow BC \quad \{ B.i = A.i ; C.i = B.i ; A.i = C.i \}$

Ex:- $A \rightarrow QR \quad \{ R.i = A.i ; Q.i = R.i ; A.i = Q.i \}$

Ex:- $A \rightarrow P Q \quad \{ A.i = P.i , A.i = Q.i \}$



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Question:- Consider the grammar with the following translation rules

$$E \rightarrow E_1 * T \quad \{ E.\text{val} = E_1.\text{val} * T.\text{val} \}$$

$$T \rightarrow T_1 + F \quad \{ E.\text{val} = T.\text{val} \}$$

$$T \rightarrow T_1 + F \quad \{ T.\text{val} = T_1.\text{val} + F.\text{val} \}$$

$$F \rightarrow \text{num} \quad \{ F.\text{val} = \text{num}.val \}$$

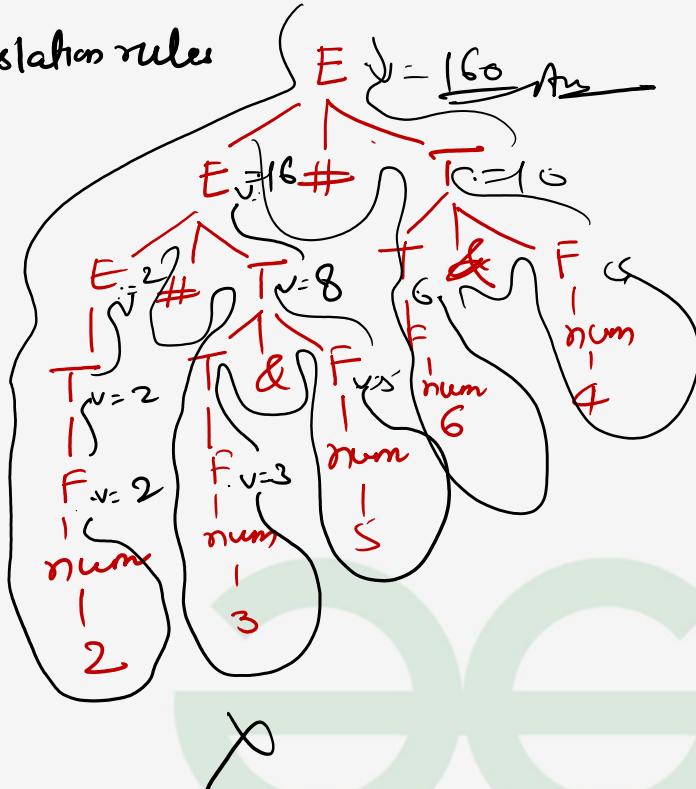
$$F \rightarrow \text{num} \quad \{ F.\text{val} = \text{num}.val \}$$

Compute Evaluate for the Root of the Parse tree
for the expression $2 \# 3 & 5 \# 6 \& 4$

$$((2 * (3 + 5)) * (6 + 4))$$

$$\Rightarrow 16 * 10 = \underline{\underline{160}}$$

+ > *
* > +



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→ Question:-

Production

$$E \rightarrow E * T$$

$$E \rightarrow T$$

$$T \rightarrow T & F$$

$$T \rightarrow F$$

$$F \rightarrow \text{digit}$$

Semantic Rules

$$E\text{-val} = E\text{-val} * T\text{-val}$$

$$E\text{-val} = T\text{-val}$$

$$T\text{-val} = ? \quad T\text{-val} = T\text{-val} - F\text{-val}$$

$$T\text{-val} = F\text{-val}$$

$$F\text{-val} = \text{digit}\text{-val}$$

- 1) If the expression $8 \# 12 \& 4 \# 16 \& 12 \# 4 \& 2$ is evaluated to 512 Then which of the following is correct replacement of Blank

- a) $T\text{-val} = T\text{-val} * F\text{-val}$ ~~+ C~~ $T\text{-val} = T\text{-val} - F\text{-val}$
b) $T\text{-val} = T\text{-val} + F\text{-val}$ d) None

→ 2) $10 \# 8 \& 6 \# 9 \& 4 \# 5 \& 2 ?$

$$10 \# (8 - 6) \# (9 - 4) \# (5 - 2)$$

$$\frac{10 \# 2 \# 5 \# 3}{?}$$

$$= 310$$

$$8 \# (12 - 4) \# (16 - 12) \# (4 - 2)$$

$$\frac{8 \# 8 \# 4 \# 2}{2^3 \# 2^3 \# 2^2 \# 2^1}$$

$$2^9 + 812$$

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SDD to Create 3-Address Code :- $x = a + b * c$

$S \rightarrow id = E \{ gen(id.name = E.place); \}$

$E \rightarrow E_1 + T \{ E.place = newTemp();$
 $\quad \quad \quad gen(E.place = E_1.place + T.place); \}$

$E \rightarrow T \quad \{ E.place = T.place \}$

$T \rightarrow T_1 * F \{ T.place = newTemp();$
 $\quad \quad \quad gen(T.place = T_1.place * F.place); \}$

$T \rightarrow F \quad \{ T.place = F.place \}$

$F \rightarrow id \quad \{ F.place = id.name \}$



H.W

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Question: Consider the following SDT

$$E \rightarrow E_1 * T \quad \{ E.val = E_1.val + T.val \}$$

$$/ T \quad \{ E.val = T.val + 1 \}$$

$$T \rightarrow T_1 + F \quad \{ T.val = T_1.val + F.val \}$$

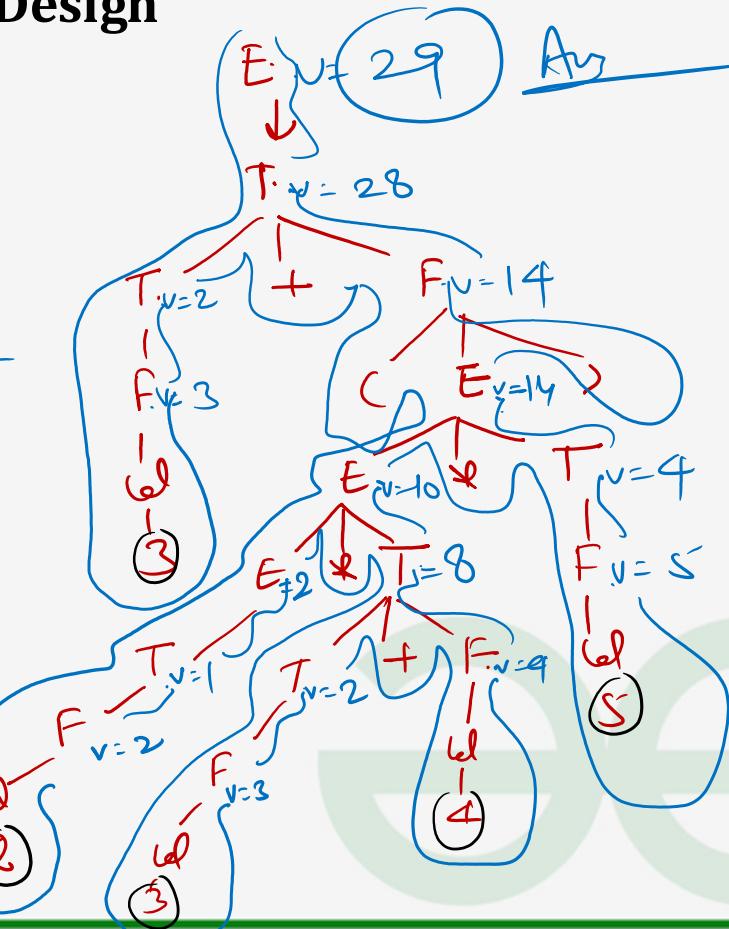
$$/ F \quad \{ T.val = F.val - 1 \}$$

$$F \rightarrow (E) \quad \{ F.val = E.val \}$$

$$/ id \quad \{ F.val = id.val \}$$

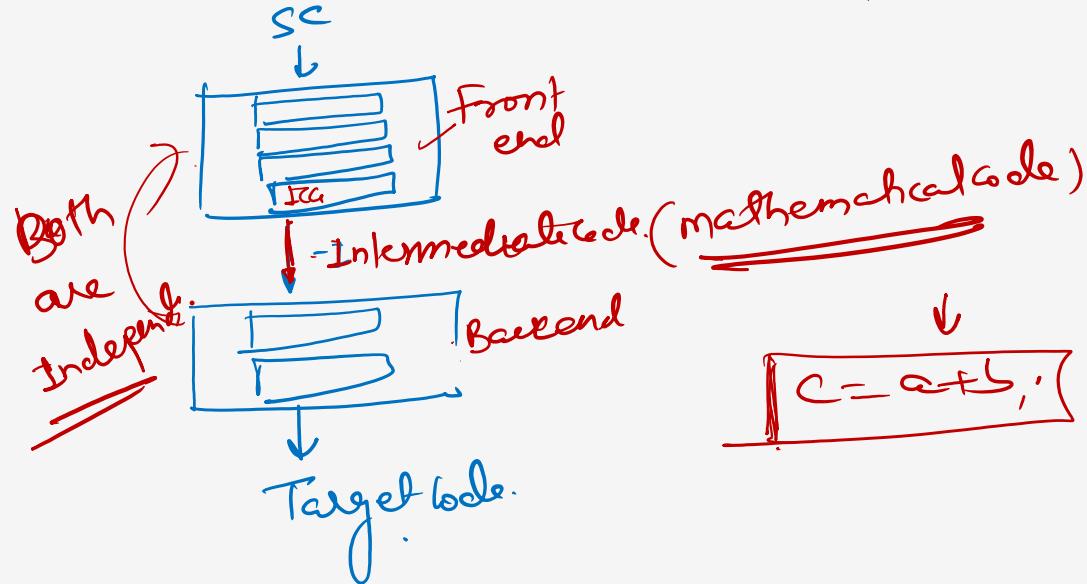
if input = $3 + (2 * 3 + 4 * 5)$

Then O/p = ?



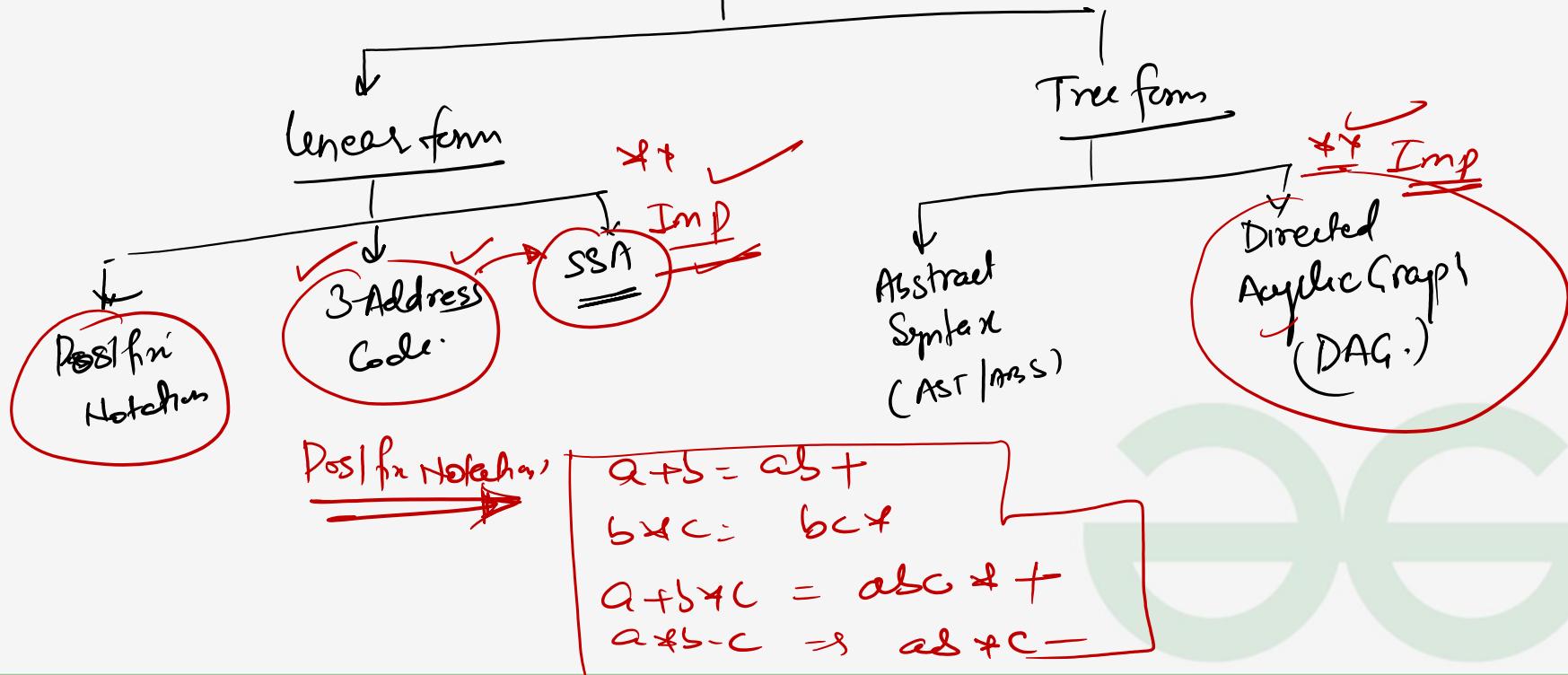
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Intermediate Code generation: - portability can enhance by intermediate code.



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Representation of Intermediate Code :-



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3-Address Code:-



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Question: Write a 3-Address Code for the following code

$$1) \quad x = ((a+b) - (c+d)) * (a+b - c)$$

$$2) \quad x = a + b * c - d, \text{ where } x, a \text{ are real and } b, c, d \text{ are integers}$$

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3) if ($a > b$)

$a = a + 1$

else

$b = b - 1$

4) for($i = 0; i \leq n; i++$)

{
 $x = x + i;$

$y = y - i;$

}



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5) $\text{if}((a > b) \&\& (c > d))$

$x = x + 1$

else

$y = y + 1$

Backpatching :- Leaving the labels and filling them after is called as Backpatching

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6) $\text{for}(i=1; i \leq n; i++)$
 { $x = a + b * c;$
 }



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7) `Switch(i)`

{
Case 1:

$x_1 = a_1 + b_1 * c_1;$
`break;`

Case 2:

$x_2 = a_2 + b_2 * c_2;$
`break;`

default:

$x_3 = a_3 + b_3 * c_3;$
`break;`

}



Thank You !

