
A: Theory

The algorithm used on this assignment was the implementation of the baseline merged with the ability of finding null word alignments and the posterior probability, accounting both $p(f|e)$ and $p(e|f)$.

B: Algorithm

The algorithm for the word alignment is given below:

Algorithm 1 Word Alignment

Input: French/German sentences f and English sentences e

Output: Aligned words

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1: Get count of English words  $v_e$  and French/German words  $v_f$ 
2: Initialize dictionaries  $t_1$ ,  $t_2$ ,  $count_e$ ,  $count_f$ ,  $count_{fe}$  and  $count_{ef}$ 
3: repeat
4:   Make NULL available
5:   for each pair of sentences  $(f, e)$  do
6:     for each  $f_i$  in  $f$  do
7:       Initialize  $c = 0$  and  $z = 0$ 
8:       for each  $e_j$  in  $e$  do
9:         normalize  $z = 1.0/v_f$  if first iteration else  $z+ = t_1[(f_i, e_j)]$ 
10:      for each  $e_j$  in  $e$  do
11:        normalize  $c = (1.0/v_f)/z$  if first iteration else  $c = t_1[(f_i, e_j)]/z$ 
12:        increment both  $count_e[e_j]$  and  $count_{fe}[(f_i, e_j)]$  with the value of  $c$ 
13:      for each  $e_i$  in  $e$  do
14:        Initialize  $c = 0$  and  $z = 0$ 
15:        for each  $f_j$  in  $f$  do
16:          normalize  $z = 1.0/v_e$  if first iteration else  $z+ = t_2[(e_i, f_j)]$ 
17:          for each  $f_j$  in  $f$  do
18:            normalize  $c = (1.0/v_e)/z$  if first iteration else  $c = t_2[(e_i, f_j)]/z$ 
19:            increment both  $count_f[f_j]$  and  $count_{ef}[(e_i, f_j)]$  with the value of  $c$ 
20:      for each pair  $(e, f)$  in  $count_{fe}$  do
21:         $t_1[(f, e)] = (count_{fe}[(f, e)] + 0.1)/(count_e[e] + 0.1 * v_f)$ 
22:      for each pair  $(e, f)$  in  $count_{ef}$  do
23:         $t_2[(e, f)] = (count_{ef}[(e, f)] + 0.1)/(count_f[f] + 0.1 * v_e)$ 
24: until # of iterations not 5
25: Print the best word alignments according to the instructions of the baseline and ignore the
    alignments defined as NULL

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