

## THE MAGNITUDE OF THE BOHR COEFFICIENT: OPTIMAL FOR OXYGEN DELIVERY

GEORGE N. LAPENNAS\*

*Department of Physiology, State University of New York at Buffalo, Buffalo, NY 14214, U.S.A.*

**Abstract.** This paper examines relationships between the magnitude of the blood Bohr coefficient and arterial–venous changes in blood pH,  $P_{CO_2}$  and oxygen affinity during steady-state, aerobic gas exchange. The physical–chemical linkage of the Bohr and Haldane effects is taken into account. It is concluded that for blood in which there is negligible oxygen-linked carbamate formation: (a) arterial–venous pH and  $P_{CO_2}$  changes would be minimized if the Bohr coefficient were approximately equal to the respiratory quotient, with opposite sign, and (b) the rightward shift of the oxygen equilibrium curve in the tissues, relative to the curve at arterial pH, would be maximal if the Bohr coefficient were about one half the respiratory quotient (Bohr coefficient  $-0.35$  to  $-0.5$  for RQ 0.7–1.0). Actual Bohr coefficients in several mammals maximize the right shift of the oxygen equilibrium curve and are therefore optimal for oxygen delivery. Actual Bohr coefficients do not minimize pH or  $P_{CO_2}$  changes. These results suggest that the contribution of the Bohr–Haldane effect to oxygen transport is more important than its contribution to pH homeostasis or  $CO_2$  transport.

Bohr effect	Mammal
Carbamino hemoglobin	Oxygen dissociation curve
Haldane effect	$P_{50}$

The Bohr effect and the Haldane effect are believed to benefit respiratory gas transport and blood acid–base homeostasis. Metabolically produced  $CO_2$  acidifies the blood in the tissue capillaries, causing a rightward shift of the oxygen equilibrium curve (the Bohr shift) that promotes oxygen release. A reverse shift aids oxygen loading in the lung. The magnitude of the Bohr shift is determined by the product of the pH change and the Bohr coefficient. The Haldane effect, which can be defined as hydrogen-ion binding by hemoglobin upon deoxygenation (Siggaard-Andersen, 1974), buffers the increase in blood  $P_{CO_2}$  and fall in blood pH during passage through the tissues, and the reverse changes in the lung. By reducing the arterial–venous pH change, the Haldane effect tends to reduce the Bohr shift.

*Accepted for publication 12 August 1983*

\* *Present address:* Biology Department, St. Bonaventure University, St. Bonaventure, NY 14778, U.S.A.

The Bohr and Haldane effects are linked (Wyman, 1964), such that the Bohr coefficient of hemoglobin is equal to the Haldane coefficient. The properties of blood are more complex than those of hemoglobin solutions because two phases are present, but Siggaard-Andersen (1974) has shown that the Bohr and Haldane coefficients of blood are proportional to the hemoglobin coefficients, and therefore to each other (see Theory). One consequence of this Bohr-Haldane linkage is that an increased blood Bohr coefficient will result in reduced arterial-venous pH change. The net effect could be either a larger or smaller Bohr shift.

The purpose of the present paper is to quantitatively predict the physiological consequences of Bohr-Haldane linkage for the function of whole blood *in vivo*. How would arterial-venous  $P_{CO_2}$  and pH changes be affected if the Bohr coefficient were larger or smaller than its actual value? How would the Bohr shift be affected? It was initially evident that no single value of the Bohr coefficient can be most favorable for both buffering and oxygen delivery – a very large coefficient could completely eliminate the arterial-venous pH change, but in the absence of pH change there would be no Bohr shift. Do Bohr coefficients in animals have values that are best for buffering pH and  $P_{CO_2}$  changes, or for oxygen delivery, or do they reflect a compromise between these functions? The answer could indicate whether the Bohr effect or the Haldane effect is more important. Several authors have concluded that the Haldane effect is more important than the Bohr effect (Hill *et al.*, 1973; Klocke, 1980; Grant, 1982), while Bartels (1972) emphasized the importance of the Bohr effect in oxygen delivery to the tissues. The following analysis applies to blood which does not have a specific  $CO_2$  effect on oxygen affinity.

## Theory

This section describes a method for predicting the *in vivo* consequences of a change in the Bohr coefficient.

### *Linkage of Bohr and Haldane effects*

The Bohr effect of a hemoglobin solution is characterized by the Bohr coefficient,  $B$ :

$$B = d \log P_s / dpH \quad (1)$$

where  $P_s$  is the  $P_{O_2}$  that produces a particular fractional oxygen saturation,  $S$ . In hemoglobins from almost all animals the value of  $B$  is negative ( $P_s$  increases as pH decreases). The Bohr coefficient of a given hemoglobin is typically the same at all pH values within the physiological range (i.e.,  $\log P_s$  is a linear function of pH). It is therefore easy to predict  $P_s$  at any pH if its value at a one pH is known.

Two types of Bohr coefficient can be distinguished. The fixed-acid Bohr coefficient describes the effect of changing pH by adding fixed (non- $CO_2$ ) acid or base at constant  $P_{CO_2}$ . The  $CO_2$  Bohr coefficient describes the effect of changing pH by

varying  $P_{CO_2}$ . Inequality between the fixed-acid and  $CO_2$  coefficients indicates the presence of a 'specific' effect of  $CO_2$  on oxygen affinity, associated with oxygen-linked binding of  $CO_2$  to hemoglobin as carbamate. Human blood has a specific  $CO_2$  effect (Garby *et al.*, 1972), while bloods of the two species considered in detail in this paper (dog and gray seal) have little or none (Reeves *et al.*, 1982; Lapennas and Reeves, 1982). The present method for predicting the consequences of altering the Bohr coefficient is applicable only in the absence of a significant specific  $CO_2$  effect, i.e., when the two Bohr coefficients are equal. Therefore, it is not necessary to specify the type of Bohr coefficient or the agent causing pH change in the following discussion.

The Haldane effect of a hemoglobin solution is characterized by the Haldane coefficient,  $H$ , where

$$H = d[HbH^+]/d[HbO_2] \quad (2)$$

at constant pH and  $P_{CO_2}$ . The symbol  $HbH^+$  represents hemoglobin-bound hydrogen ion and  $HbO_2$  is hemoglobin-bound oxygen. Hemoglobins from most animals bind  $H^+$  upon deoxygenation. According to the theory of linked functions (Wyman, 1964), the Haldane coefficient equals the fixed-acid Bohr coefficient in a hemoglobin solution. Increased pH-sensitivity of oxygen affinity is therefore accompanied by increased hydrogen ion binding by hemoglobin upon deoxygenation.

Analogous expressions that take into account the presence of erythrocyte and plasma phases have been derived for blood (Siggaard-Andersen, 1974), as follows: The Bohr coefficient of blood,  $Bb$ , is expressed relative to plasma pH,  $pHp$ , rather than to intra-erythrocytic pH,  $pHe$ . The blood and hemoglobin Bohr coefficients are proportional, according to the relation

$$Bb = B \cdot dpHe/dpHp \quad (3)$$

where  $dpHe/dpHp$  is a constant that is less than 1. The base-excess coefficient of blood, BEC, is analogous to the Haldane coefficient of a hemoglobin solution. It expresses the change in blood base excess per change in hemoglobin-bound oxygen concentration. The base-excess coefficient is proportional to the Haldane coefficient of hemoglobin, i.e.,

$$BEC = H \cdot F \quad (4)$$

where  $F$  is a constant. The base-excess coefficient refers to a given plasma pH, while the Haldane coefficient of hemoglobin refers to the corresponding intra-cellular pH. If eq. 3 is solved for  $B$ , the result can be substituted for  $H$  in eq. 4 (using the equality of  $B$  and  $H$ ), yielding

$$BEC = Bb \cdot F/(dpHe/dpHp) \quad (5)$$

Thus, the base-excess change accompanying a change in blood oxygenation, expressed by the BEC, is directly proportional to the blood Bohr coefficient. (The relation between  $Bb$  and BEC is more complex if  $Bb$  varies with the level of oxygen

saturation (Siggaard-Andersen, 1974). The Bohr coefficient is nearly the same at all levels of oxygen saturation in blood of dog and gray seal (Reeves *et al.*, 1982; Lapennas and Reeves, 1982)).

The base-excess change when blood is deoxygenated at constant  $P_{\text{CO}_2}$  raises pH and total  $\text{CO}_2$  concentration,  $C_{\text{CO}_2}$ . This accounts for the differences between the  $\text{CO}_2$  absorption curves, and pH-log  $P_{\text{CO}_2}$  buffer lines, of oxygenated and deoxygenated blood. In the absence of carbamate formation, the increase in  $C_{\text{CO}_2}$  is entirely in the form of bicarbonate. At constant  $P_{\text{CO}_2}$ , pH and  $C_{\text{CO}_2}$  are nearly linear functions of base excess (pH, Siggaard-Andersen, 1974;  $C_{\text{CO}_2}$ , calculated by eq. 14 of Loeppky *et al.*, 1983, using pH as a function of base excess from Siggaard-Andersen). Therefore, the oxy-deoxy differences in blood pH and total  $\text{CO}_2$  concentration, at any  $P_{\text{CO}_2}$ , are proportional to the base-excess coefficient, and hence to the blood Bohr coefficient. If the Bohr coefficient were altered, the oxy-deoxy shifts of the  $\text{CO}_2$  absorption curve and buffer line would change proportionally. This fact will be used in predicting *in vivo* consequences of an altered Bohr coefficient, as described below.

#### *Physiological oxygen equilibrium curve*

The 'physiological' oxygen equilibrium curve is the relation between oxygen saturation and  $P_{\text{O}_2}$  that pertains *in vivo*, where blood pH is not constant but changes as oxygen is exchanged for  $\text{CO}_2$ . The pH normally falls as oxygen is released to the tissues because enough  $\text{CO}_2$  enters the blood to counteract the tendency of the Haldane effect to raise pH. If metabolism is entirely aerobic ( $\text{CO}_2$  is the only acid entering the blood) and gas exchange is in steady state (tissue  $\text{CO}_2$  and  $\text{O}_2$  stores are constant), then the physiological oxygen equilibrium curve can be constructed as follows: When oxygen saturation has declined from its arterial value,  $S_a$ , to a particular value,  $S$ ,  $C_{\text{CO}_2}$  will exceed arterial  $C_{\text{CO}_2}$ ,  $C_{a\text{CO}_2}$ , by an amount equal to the product of the  $\text{O}_2$  released and the tissue respiratory quotient, RQ

$$C_{\text{CO}_2} = C_{a\text{CO}_2} + C_{b\text{Hb}} \cdot \text{RQ} \cdot (S_a - S) \quad (6)$$

where  $C_{b\text{Hb}}$  is blood hemoglobin concentration. Blood pH will then have a new value,  $\text{pH}_s$ , which differs from arterial pH,  $\text{pH}_a$ , by an amount  $\Delta\text{pH}_s$ .

Blood pH at a given saturation level,  $\text{pH}_s$ , can be predicted using the  $\text{CO}_2$  absorption curves and buffer lines of oxygenated and deoxygenated blood, as shown in fig. 1. It is assumed that blood  $\text{CO}_2$  content and pH at a given  $P_{\text{CO}_2}$  vary in direct proportion to oxygen saturation between the curves for oxygenated and deoxygenated blood (Peters and Van Slyke, 1931; Scheipers *et al.*, 1975). Figure 1 illustrates prediction of blood pH when half the arterial oxygen has been released. The process can be repeated to obtain  $\text{pH}_s$  at other levels of oxygen saturation.

The Bohr shift of the physiological oxygen equilibrium curve is described by  $\Delta\log P_s$ , the difference between the logarithms of  $P_s$  at  $\text{pH}_a$  and  $\text{pH}_s$ . The Bohr shift is equal to the product of  $\Delta\text{pH}_s$  and the Bohr coefficient.

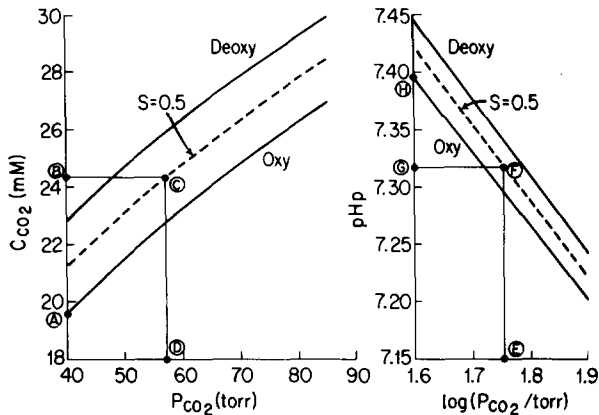


Fig. 1. Method for predicting *in vivo* change in blood pH when one half of arterial oxygen is exchanged for  $\text{CO}_2$ . Arterial blood is assumed to be fully saturated and to have  $P_{\text{CO}_2}$  of 40 torr, yielding the arterial  $\text{CO}_2$  concentration indicated by point A. The  $C_{\text{CO}_2}$  at half saturation, B, was calculated by eq. 6. This  $C_{\text{CO}_2}$  is located on the dashed  $\text{CO}_2$  absorption curve midway between the oxy and deoxy curves, point C, yielding the corresponding  $P_{\text{CO}_2}$ , D. The logarithm of this  $P_{\text{CO}_2}$ , E, corresponds to point F on the dashed buffer line midway between the oxy and deoxy lines, and thus to the predicted pH at half saturation, G, which is lower than the pH of arterial blood, H. (Data on  $C_{\text{CO}_2}$  and pH of oxygenated and deoxygenated dog blood as functions of  $P_{\text{CO}_2}$  from Rodkey *et al.*, 1971; hemoglobin concentration 9.5 mM.)

## Results

### Effect of altered Bohr coefficient

Figure 2 shows  $\text{CO}_2$  absorption curves and buffer lines that would result if the Bohr coefficient of dog blood were reduced to half its actual value. The oxy-deoxy shifts of  $\text{CO}_2$  concentration and pH are also reduced by half. The process illustrated in fig. 1 can be used to predict  $P_{\text{CO}_2}$  and pH of this hypothetical blood after release of a specified amount of oxygen. At any level of oxygen saturation,  $P_{\text{CO}_2}$  is higher, and pH lower, than for actual blood. Figure 3 shows predicted  $\Delta\text{pH}_s$  at half saturation for a range of assumed Bohr coefficients, and for RQ values spanning the normal physiological range (0.7 and 1.0). The value of  $\Delta\text{pH}_s$  would be greatest if the Bohr coefficient were zero. Both  $\Delta\text{pH}_s$  and the change of  $P_{\text{CO}_2}$  from the arterial value would decline to zero if the Bohr coefficient were about equal to the respiratory quotient, with opposite sign.

Figure 4 shows values of the Bohr shift at half saturation, corresponding to the pH changes in fig. 3. For a given RQ, the Bohr shift is greatest when the Bohr coefficient is about  $-0.5 \cdot \text{RQ}$ . Higher RQ produces a larger Bohr shift for a given Bohr coefficient. The dashed curves in fig. 4 show that the same Bohr coefficient maximizes the Bohr shift at other levels of oxygen saturation. The actual Bohr coefficient in dog blood is between the values that would give maximal Bohr shifts for  $\text{RQ} = 0.7$  and  $\text{RQ} = 1.0$ .

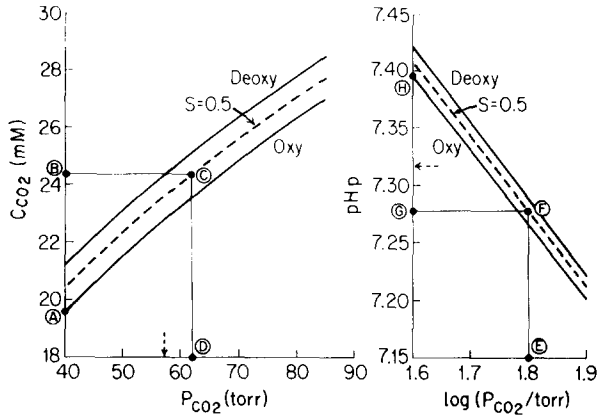


Fig. 2. Prediction of *in vivo* pH at half saturation if the Bohr coefficient had one half the actual value. Other conditions are as in fig. 1. The  $CO_2$  absorption curve and buffer line of oxygenated blood are assumed to be unchanged, while changes of  $C_{CO_2}$  and pH upon deoxygenation at each  $P_{CO_2}$  are reduced to one-half the actual values. The  $P_{CO_2}$  at half saturation (D) is higher and the pH (G) is lower than in actual dog blood (dashed arrows).

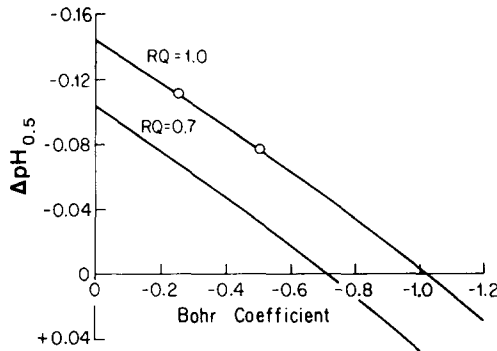


Fig. 3. Predicted *in vivo* changes of plasma pH upon release of one half of arterial oxygen,  $\Delta pH_{0.5}$ , for dog bloods having varying assumed Bohr coefficients. The points on the line for  $RQ = 1$  are taken from figs. 1 and 2. Predicted  $\Delta pH_{0.5}$  is greatest when the Bohr coefficient is zero, and declines to zero when the Bohr coefficient is approximately equal to the RQ, with opposite sign.

This analysis was repeated using blood of the gray seal. Again, the greatest Bohr shift is predicted when the Bohr coefficient is about half the RQ (fig. 5), and this corresponds closely to the actual Bohr coefficient in this species.

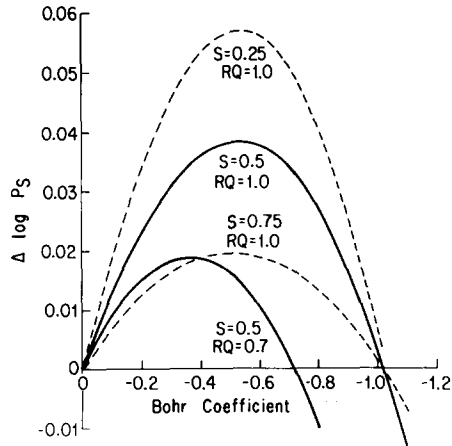


Fig. 4. Bohr shifts,  $\Delta \log P_S$ , between dog blood at arterial pH and blood at predicted *in vivo* pH for various values of the Bohr coefficient. The Bohr shifts at half saturation (solid curves) were calculated from the data in fig. 3. The maximal Bohr shift occurs at the same Bohr coefficient for  $S = 0.75$  and  $0.25$  (dashed curves) as at  $S = 0.5$ . The actual Bohr coefficient is  $-0.49$ .

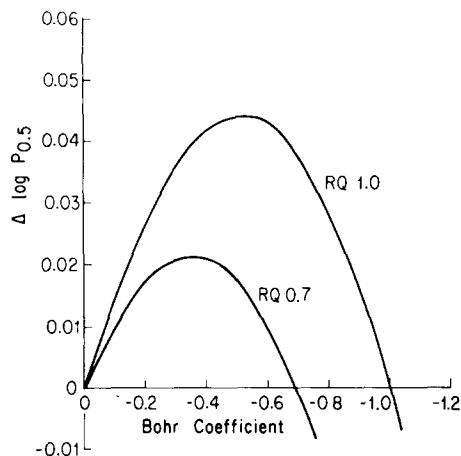


Fig. 5. Bohr shifts for various assumed Bohr coefficients in gray seal blood. The actual coefficient is  $-0.47$ . (Based on data from Lapennas and Reeves, 1982.)

## Discussion

Bohr coefficients of  $-0.35$  to  $-0.5$ , depending on the RQ, should produce the greatest possible rightward shift of the physiological oxygen equilibrium curve, and can therefore be said to be optimal for oxygen delivery. This prediction applies to blood with negligible specific  $\text{CO}_2$  effect under steady-state, aerobic conditions. The actual values in dog and gray seal blood are in this range, so natural selection

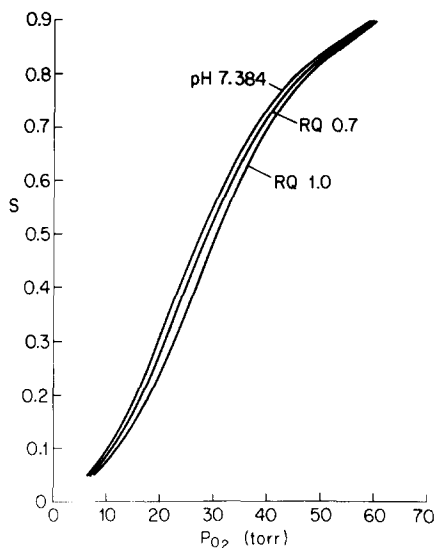


Fig. 6. Predicted physiological oxygen equilibrium curves of gray seal blood for  $RQ = 0.7$  and  $RQ = 1.0$  compared with curve at constant arterial pH.

has apparently favored such Bohr coefficients. This suggests that the Bohr effect plays a significant role in oxygen delivery despite the fact that Bohr shifts do not seem very large (fig. 6). Reported Bohr coefficients for many other species are similar (Bartels, 1976), but most values in the literature are  $\text{CO}_2$  coefficients, and it is often not known whether there is a specific  $\text{CO}_2$  effect.

Hill *et al.* (1973) and Klocke (1980) estimated the contributions of the Bohr and Haldane effects to pulmonary oxygen and  $\text{CO}_2$  transport, and concluded that the Haldane effect is more important than the Bohr effect. Bartels (1972) pointed out that the Bohr effect would be more important in the tissues, especially the heart and working skeletal muscle, than in the lungs, because of the greater pH changes. However, Grant (1982) analyzed the influence of the Bohr-Haldane effect on both pulmonary and tissue gas exchange, and concluded that its most important function was reducing tissue  $P_{\text{CO}_2}$  and acidosis, rather than promoting release of oxygen. If the buffering and/or  $\text{CO}_2$  transport roles of the Haldane effect were more important than the contribution of the Bohr effect to oxygen delivery, we would expect Bohr coefficients to have values in the range  $-0.7$  to  $-1.0$ , which would achieve perfect pH homeostasis and would mediate the most  $\text{CO}_2$  transport. Instead, Bohr coefficients have smaller values that are optimal for oxygen delivery, suggesting that it is the contribution of the Bohr effect to oxygen transport that is more important.

What factors could lead to differences between Bohr coefficients of various species? One might be activity level, but Jurgens *et al.* (1982) found that bats, which have high metabolism during flight, have Bohr coefficients no larger than those of similar size non-flying mammals. It has been thought that diving would pose problems in oxygen delivery that would favor a larger Bohr coefficient, but coeffi-



cients in seals are no larger than those of terrestrial mammals (Lapennas and Reeves, 1982). These results are understandable if larger Bohr coefficients would be less, rather than more, favorable for oxygen delivery. The present analysis does not explain the tendency for the Bohr coefficient to be larger in small mammals (Bartels, 1976). Some variation in Bohr coefficient among species might be associated with diet-related differences in respiratory quotient. A carbohydrate diet might favor a larger Bohr coefficient than a protein or lipid diet.

The present analysis was applied to blood of the bladdernose seal, using the data of Clausen and Ersland (1969). As in dog and gray seal, the predicted Bohr shift would decrease if the Bohr coefficient were larger or smaller than its actual value. However, the measured Bohr coefficient at half-saturation in the bladdernose seal is  $-0.66$  (Clausen and Ersland, 1969), which is greater than half the RQ. Possible causes of this difference as compared to dog and gray seal include: (a) there may be a specific  $\text{CO}_2$  effect in bladdernose seal blood or (b) the Bohr coefficient may vary with oxygen saturation.

Anaerobic metabolism supplies additional acid (lactic acid) to blood perfusing the muscles. A Bohr coefficient which was larger than would be optimal under aerobic conditions could take advantage of this additional acid to produce a larger Bohr shift. Hence, we might expect the Bohr coefficient in species that depend heavily on anaerobic metabolism to be higher than in species with little anaerobic metabolism. Seals can use substantial anaerobic metabolism (Scholander, 1940), but their Bohr coefficients appear to be optimal for aerobic conditions. This may reflect the infrequent utilization of anaerobic metabolism during natural diving (Kooyman *et al.*, 1980) and the fact that when anaerobic metabolism does occur, little lactate is released into the circulation until after the dive (Scholander, 1940). However, interpretation of Bohr coefficients in diving animals is complicated by the absence of steady state in gas exchange (see below). Large Bohr coefficients (Root effect) in fishes (*e.g.*, European catfish, Albers *et al.*, 1981; carp, Weber and Lykkeboe, 1978) are related to the mechanism for oxygen secretion into the swim-bladder and the eye (Wittenberg and Wittenberg, 1974; Farmer *et al.*, 1979), which involves addition of lactic acid to the blood.

Some other species, in addition to fishes, have conspicuously large Bohr coefficients. The Bohr coefficient is  $-1.0$  in the diving snake *Acrochordus arafurae* (Seymour *et al.*, 1981), and values exceeding the RQ are found in several cephalopods (Lykkeboe *et al.*, 1980; Brix *et al.*, 1981; Houlihan *et al.*, 1982). Lykkeboe *et al.* (1980) described a mechanism in cephalopod blood that prevents pH increase during tissue gas exchange even though the Bohr coefficient exceeds the RQ. More  $\text{CO}_2$  is bound to oxygenated than to deoxygenated hemocyanin (opposite to the normal greater binding to deoxygenated pigment). This excess  $\text{CO}_2$  is released upon deoxygenation, preventing the pH increase that would otherwise result from the large Bohr coefficient.

*In summary*, it is possible to predict the consequence of changing the Bohr coefficient in the absence of a specific  $\text{CO}_2$  effect. Actual coefficients in several species

are close to the predicted optimum for oxygen delivery and far from the value that would most effectively buffer pH and  $P_{\text{CO}_2}$  changes. This suggests that the Bohr coefficient has been selected primarily to maximize its contribution to oxygen delivery. Some exceptions to this rule can be explained, but others cannot. The present analysis provides a background against which variations in the Bohr coefficient can be interpreted.

### Comments on assumptions

The assumption that changes in  $C_{\text{CO}_2}$  and pH at constant  $P_{\text{CO}_2}$  are directly proportional to changes in base excess is not strictly accurate. The rate of change of pH with base excess decreases as pH increases, and this would be reflected in  $\text{CO}_2$  absorption curves as well. However, the deviation from proportionality is small over the pH range between oxygenated and deoxygenated blood at constant  $P_{\text{CO}_2}$ , which was no greater than 0.15 in the cases considered here.

The Bohr coefficient is nearly the same at all saturation levels in dog and gray seal blood, but in other species the Bohr coefficient varies at different levels of oxygenation (man, Garby *et al.*, 1972; marine turtle, Lapennas and Lutz, 1982). If the Bohr coefficient varies with oxygen saturation, then blood base excess (and hence  $\text{CO}_2$  concentration and pH) at intermediate levels of oxygen saturation would presumably be related to the integral of the Bohr coefficient with respect to saturation.

The specific  $\text{CO}_2$  effect is negligible in blood of dog and gray seal, and also in several birds (muscovy duck, Meyer *et al.*, 1978; chicken, Lapennas and Reeves, 1983) but not in blood of man and some other species. When there is a specific  $\text{CO}_2$  effect, the oxy-deoxy shifts in the  $\text{CO}_2$  absorption curve and buffer line are due to hemoglobin binding of both  $\text{CO}_2$  and  $\text{H}^+$ , and the present method for predicting the effects of a change in the Bohr coefficient is not applicable.

The assumption that respiratory gases are in a steady state may be appropriate in the dog most of the time, but would not be valid in the seal during diving, when tissue  $\text{CO}_2$  stores increase (Scholander, 1940). Analysis of pH changes during diving would have to account for  $\text{CO}_2$  partitioning and buffering in the whole body.

### Acknowledgement

This work was supported in part by National Institutes of Health Grant P01-HL-14414.

## Referenes

- Albers, C., K. H. Gotz and P. Welbers (1981). Oxygen transport and acid-base balance in the blood of the sheatfish, *Silurus glanis*. *Respir. Physiol.* 46: 223-236.
- Bartels, H. (1972). The biological significance of the Bohr effect. In: Oxygen Affinity of Hemoglobin and Red Cell Acid Base Status, edited by P. Astrup and M. Rorth. Copenhagen, Munksgaard; New York, Academic Press. pp. 717-735.
- Bartels, H. (1976). Comparative aspects of respiration and circulation in mammals. *Pneumologie Suppl.* 1976: 1-9.
- Brix, O., G. Lykkeboe and K. Johansen (1981). The significance of the linkage between the Bohr and Haldane effects in cephalopod bloods. *Respir. Physiol.* 44: 177-186.
- Clausen, G. and A. Ersland (1969). The respiratory properties of the blood of the bladdernose seal (*Cystophora cristata*). *Respir. Physiol.* 7: 1-6.
- Farmer, M. A., H. J. Fyhn, U. E. Fyhn and R. W. Noble (1979). Occurrence of Root effect hemoglobins in Amazonian fishes. *Comp. Biochem. Physiol.* 62A: 115-124.
- Garby, L., M. Robert and B. Zaar (1972). Proton- and carbamino-linked oxygen affinity of normal human blood. *Acta Physiol. Scand.* 84: 482-492.
- Grant, B. J. B. (1982). Influence of Bohr-Haldane effect on steady-state gas exchange. *J. Appl. Physiol.* 52: 1330-1337.
- Hill, E. P., G. G. Power and L. D. Longo (1973). Mathematical simulation of pulmonary O<sub>2</sub> and CO<sub>2</sub> exchange. *Am. J. Physiol.* 224: 904-917.
- Houlihan, D. F., A. J. Innes, M. J. Wells and J. Wells (1982). Oxygen consumption and blood gases of *Octopus vulgaris* in hypoxic conditions. *J. Comp. Physiol.* 148: 35-40.
- Jurgens, K. D., H. Bartels and R. Bartels (1981). Blood oxygen transport and organ weights of small bats and small non-flying mammals. *Respir. Physiol.* 45: 243-260.
- Klocke, R. A. (1980). Kinetics of pulmonary gas exchange. In: Pulmonary Gas Exchange. Vol. I, edited by J. B. West. New York, Academic Press, pp. 173-218.
- Kooyman, G. L., E. A. Wahrenbrock, M. A. Castellini, R. W. Davis and E. E. Sinnett (1980). Aerobic and anaerobic metabolism during voluntary diving in Weddell seals: evidence of preferred pathways from blood chemistry and behavior. *J. Comp. Physiol.* 138: 335-346.
- Lapennas, G. N. and P. L. Lutz (1982). Oxygen affinity of sea turtle blood. *Respir. Physiol.* 48: 59-74.
- Lapennas, G. N. and R. B. Reeves (1982). Respiratory and acid-base properties of the blood of the gray seal (*Halichoerus grypus*) *J. Comp. Physiol.* 149: 49-56.
- Lapennas, G. N. and R. B. Reeves (1983). Oxygen affinity of blood of adult domestic chicken and Red Jungle Fowl. *Respir. Physiol.* 52: 27-39.
- Loeppky, J. A., U. C. Luft and E. R. Fletcher (1983). Quantitative description of whole blood CO<sub>2</sub> dissociation curve and Haldane effect. *Respir. Physiol.* 51: 167-181.
- Lykkeboe, G., O. Brix and K. Johansen (1980). Oxygen-linked CO<sub>2</sub> binding independent of pH in cephalopod blood. *Nature (London)* 287: 330-331.
- Meyer, M., J. P. Holle and P. Scheid (1978). Bohr effect induced by CO<sub>2</sub> and fixed acid at various levels of O<sub>2</sub> saturation in duck blood. *Pflügers Arch.* 376: 237-240.
- Peters, J. P. and D. D. Van Slyke (1931). Hemoglobin and Oxygen: Carbonic Acid and Acid-Base Balance. Baltimore, Williams and Wilkins.
- Reeves, R. B., J. S. Park, G. N. Lapennas and A. J. Olszowka (1982). Oxygen affinity and Bohr coefficients of dog blood. *J. Appl. Physiol.* 53: 87-95.
- Rodkey, F. L., H. A. Collison and J. D. O'Neal (1971). Carbon dioxide absorption curves of dog blood and plasma. *J. Appl. Physiol.* 30: 178-185.
- Scheipers, G., T. Kawashiro and P. Scheid (1975). Oxygen and carbon dioxide dissociation of duck blood. *Respir. Physiol.* 24: 1-13.
- Scholander, P. F. (1940). Experimental investigations on the respiratory functions in diving mammals and birds. *Hvalradets Skr.* 22: 1-131.

- Seymour, R. S., G. P. Dobson and J. Baldwin (1981). Respiratory and cardiovascular physiology of the aquatic snake, *Acrochordus arafurae*. *J. Comp. Physiol.* 144: 215–227.
- Siggaard-Andersen, O. (1974). The Acid–Base Status of the Blood. 4th Edition. Copenhagen, Munksgaard; New York, Williams and Wilkins.
- Weber, R. E. and G. Lykkeboe (1978). Respiratory adaptations in carp blood. Influences of hypoxia, red cell organic phosphates, divalent cations and CO<sub>2</sub> on hemoglobin–oxygen affinity. *J. Comp. Physiol.* 128: 127–137.
- Wittenberg, J. B. and B. A. Wittenberg (1974). The choroid rete mirabile of the fish eye. I. Oxygen secretion and structure: comparison with the swimbladder rete mirabile. *Biol. Bull.* 146: 116–136.
- Wyman, J. (1964). Linked functions and reciprocal effects in hemoglobin: a second look. *Adv. Prot. Chem.* 19: 223–286.