

COMP 476 Theory Assignment 2

For Daniel Rinaldi

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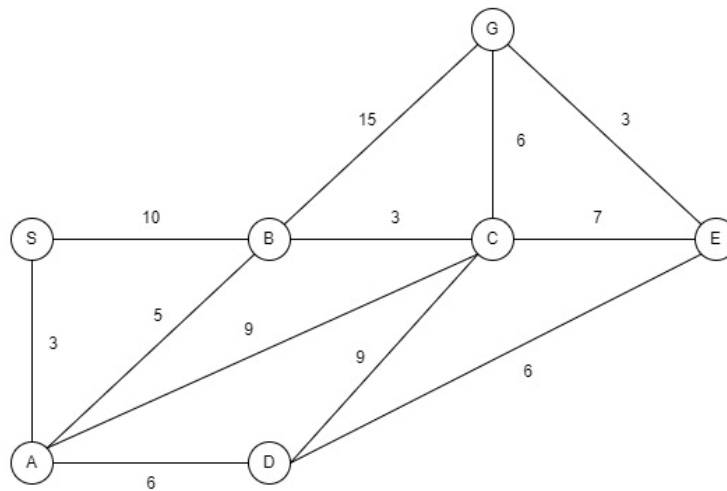
Question #1:

We can represent a weighted directed graph like as a set of nodes and edges (with assigned weights indicated):

- nodes = {S, A, B, C, D, E, G}
- edges = { SA: 3, SB: 10, AB: 5, AD: 6, AC: 9, BC: 3, BG: 15, DE: 6, CD: 9, CE: 7, CG: 6, EG: 3}.

In the graph, assume that S is the start node and G is the goal node.

- a) If we use Dijkstra's algorithm to find the minimum cost path from S to G, then the following table shows the contents of the open and closed lists for the first 2 steps of the algorithm. Fill in the remaining lines. Each entry in the lists is of the following format: (Node, Cost-So-Far, Connection). Stop when the guaranteed shortest path has been found.



Current Node	Open List	Closing List
-	(S, 0, -)	-
S	(A,3,SA), (B,10,SB)	(S,0,-)
A	(B,8,SAB), (C,12,SAC), (D,9,SAD)	(S,0,-), (A,3,SA)
B	(G,23,SABG), (C,11,SABC), (D,9,SAD)	(S,0,-), (A,3,SA), (B,8,SAB)
D	(E,15,SADE), (C,11, SABC), (G,23,SABG)	(S,0,-), (A,3,SA), (B,8,SAB), (D,9,SAD)
C	(E,15,SADE), (G,17,SABCG)	(S,0,-), (A,3,SA), (B,8,SAB), (D,9,SAD), (C,11,SABC)
E	(G,17,SABCG)	(S,0,-), (A,3,SA), (B,8,SAB), (D,9,SAD), (C,11,SABC), (E,15,SADE)
G	-	(S,0,-), (A,3,SA), (B,8,SAB), (D,9,SAD), (C,11,SABC), (E,15,SADE), (G,17,SABCG)

The guaranteed shorted path is: S → A → B → C → G (read the path from the goal node visited)

b) When can we stop if we are not interested in guaranteed shortest path?

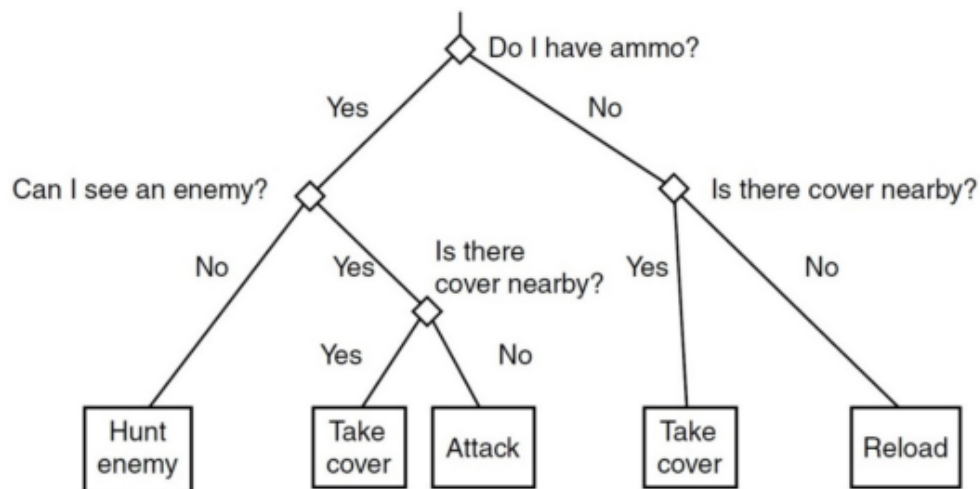
We can stop when G first appears on the open list, specifically when B is the current node. G had a cost of 23, going along the path $S \rightarrow A \rightarrow B \rightarrow G$

c) How many paths to the goal node are evaluated if guaranteed shortest path is to be found?

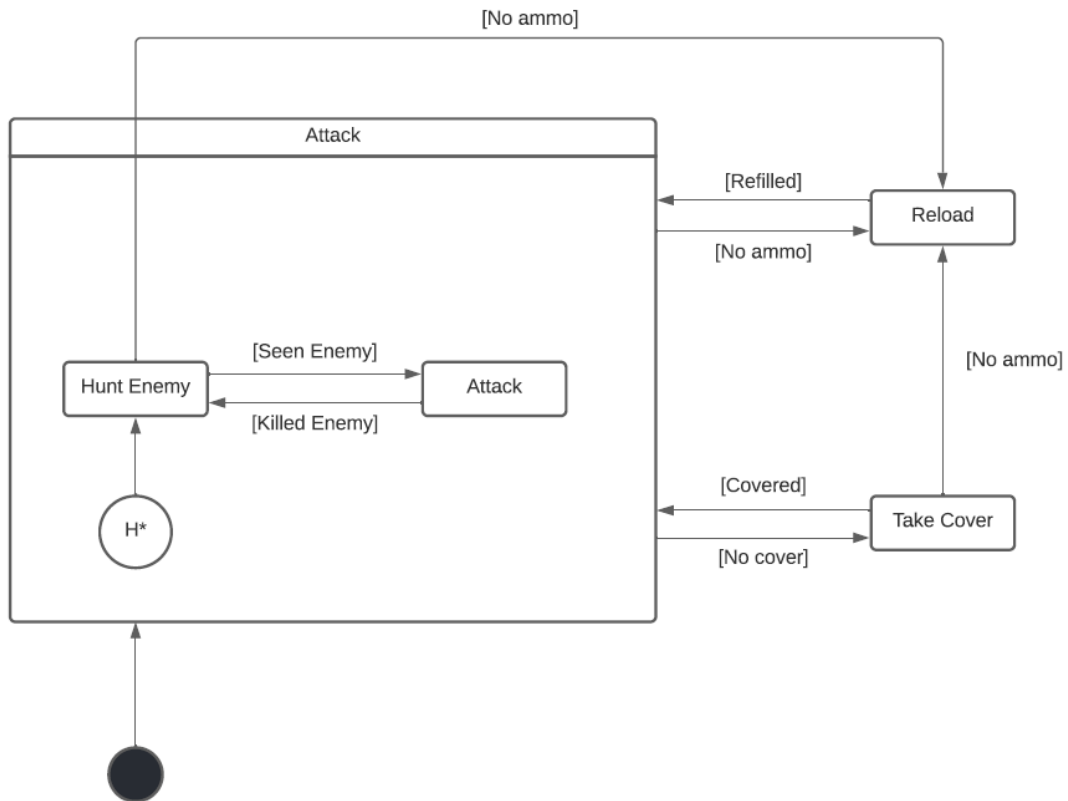
2 paths were found that reach the goal node when looking for guaranteed shortest path: path $S \rightarrow A \rightarrow B \rightarrow G$ that had a cost of 23 and path $S \rightarrow A \rightarrow B \rightarrow C \rightarrow G$ that had a cost of 17. The second one is actually the guaranteed shortest path.

Question #2:

Consider the decision tree from Figure 6.6. of Artificial Intelligence for Games 2nd Edition, by Millington and Funge, reproduced below.



- a) Design a hierarchical finite state machine that would produce behavior similar to that of this decision tree.



-
- ```
graph TD
 Start(()) --> HuntEnemy
 subgraph QuickActions [Quick Actions]
 QuickNap[Quick Nap]
 end
 subgraph MainActions [Main Actions]
 HuntEnemy[Hunt Enemy]
 Attack[Attack]
 Reload[Reload]
 TakeCover[Take Cover]
 Sleep[Sleep]
 FindSafePlace[Find Safe Place]
 end
 HuntEnemy -- "[Seen Enemy]" --> Attack
 Attack -- "[Killed Enemy]" --> HuntEnemy
 HuntEnemy -- "[No enemies detected]" --> QuickNap
 HuntEnemy -- "[No ammo]" --> Reload
 Reload -- "[Refilled]" --> HuntEnemy
 Reload -- "[No ammo]" --> TakeCover
 TakeCover -- "[Covered]" --> HuntEnemy
 TakeCover -- "[No cover]" --> Reload
 TakeCover -- "[No enemies detected]" --> QuickNap
 Sleep -- "[Has Rested]" --> QuickNap
 FindSafePlace -- "[Is Tired]" --> QuickNap
 FindSafePlace -- "[Place Found]" --> Sleep
```