

`FactorInteger[ (Zeta[2, 25] -  $\frac{\pi^2}{6}$ ) ] // MatrixForm`

`FactorInteger[ (Zeta[4, 25] -  $\frac{\pi^4}{90}$ ) ] // MatrixForm`

`FactorInteger[ (Zeta[6, 25] - Zeta[6]) ] // MatrixForm`

$$\begin{pmatrix} -1 & 1 \\ 2 & -8 \\ 3 & -4 \\ 5 & -1 \\ 11 & -2 \\ 13 & -2 \\ 17 & -2 \\ 19 & -2 \\ 23 & -2 \\ 59 & 1 \\ 2237 & 1 \\ 1422157053067 & 1 \end{pmatrix}$$

$$\begin{pmatrix} -1 & 1 \\ 2 & -16 \\ 3 & -8 \\ 5 & -4 \\ 7 & -3 \\ 11 & -4 \\ 13 & -4 \\ 17 & -4 \\ 19 & -4 \\ 23 & -4 \\ 67 & 1 \\ 6653 & 1 \\ 7821781867 & 1 \\ 118012336597 & 1 \\ 308824784503 & 1 \end{pmatrix}$$

$$\begin{pmatrix} & -1 & 1 \\ & 2 & -24 \\ & 3 & -12 \\ & 5 & -5 \\ & 7 & -6 \\ & 11 & -6 \\ & 13 & -6 \\ & 17 & -6 \\ & 19 & -6 \\ & 23 & -6 \\ & 63241 & 1 \\ 75801932658367485593475342582725991580135986911046997 & 1 \end{pmatrix}$$

`Zeta[20]`

$\frac{174611 \pi^{20}}{1531329465290625}$

Zeta[s] = f(s) \*  $\pi^s$ , find f(s) and you have something

$\pi^s \sim [ (\frac{1}{x}) + 2x * (\sum_{b=-\infty}^{\infty} \frac{1}{(x^2 + b^2)}) ]^s$