

$$T[a_] := \left(\frac{\hbar}{(2 \pi (c) (k))} \right) a \text{ (*Unruh effect *)}$$

$$Tbh[Mass_] := \left(\frac{\hbar c^3}{8 \pi G k} \right) \frac{1}{Mass} \text{ (*Hawking Temp *)}$$

$$g[Mass_, Distance_] := \frac{(G Mass)}{(Distance^2)} \text{ (* magnitude of grav acceleration *)}$$

Tbh[1]

$$\frac{c^3 \hbar}{8 G k \pi}$$

$$\hbar = 1.054571800 * (10^{(-34)}); \text{ (* Js *)}$$

$$c = 299792458; \text{ (* m/s *)}$$

$$k = 1.38064852 * (10^{(-23)}); \text{ (* J/K Boltzmann constant *)}$$

$$G = 6.67408 * (10^{(-11)}); \text{ (* } \frac{m^3}{kg \ s^2} \text{ *)}$$

$$MSun = 1.98855 * (10^{(30)}); \text{ (* kg *)}$$

$$MEarth = 5.9722 * (10^{(24)}); \text{ (* kg *)}$$

$$MMilkyWay = 2 * (10^{(42)}); \text{ (* Appx mass of milky way galaxy *)}$$

$$RSun = 695700000; \text{ (* mean radius in meters *)}$$

$$REarth = 6371000; \text{ (* mean radius in meters *)}$$

$$AU = 149597870700; \text{ (* 1AU in meters *)}$$

$$RMilkyWay = 10^8 AU; \text{ (*Appx size of milky way galaxy *)}$$

$$MElectron = 9.1 * (10^{(-31)}); \text{ (* Electron Mass *)}$$

$$mPlanck = \sqrt{\frac{\hbar c}{G}}; \text{ (* Planck Mass *)}$$

$$H = 0.2 * (10^{(-17)}); \text{ (*Appx hubble constant in s}^{-1} = \text{Hz, also is about the inverse of the age of the universe *)}$$

^ S.I. Unit values

T[1]

T[9.8]

$$4.05501 \times 10^{-21}$$

$$3.97391 \times 10^{-20}$$

g[MSun, r]

$$\frac{1.32717 \times 10^{20}}{r^2}$$

T[g[MSun, r]] (*works correctly as double fn within fn *)

$$\frac{0.538171}{r^2}$$

T[g[MSun, RSun]]

$$1.11193 \times 10^{-18}$$

$$r_s = \frac{2 G}{(c^2)} M \Rightarrow g = \frac{G M}{r_s^2} = \frac{G M}{\left(\frac{2 G}{(c^2)} M\right)^2} = (c^4) \frac{1}{4 G} \frac{1}{M}$$

$$\Rightarrow T_{bh} = \left(\frac{\hbar}{2 \pi c k}\right) g = \left(\frac{\hbar}{2 \pi c k}\right) (c^4) \frac{1}{4 G} \frac{1}{M} = \left(\frac{\hbar c^3}{8 \pi G k}\right) \frac{1}{M}$$

$$T_{bh} = \left(\frac{m_p^2 c^2}{8 \pi k}\right) \frac{1}{M}$$

Tbh[MSun]

$$6.17003 \times 10^{-8}$$

T[g[MMilkyWay, RMilkyWay]]

Tbh[MMilkyWay]

$$2.41859 \times 10^{-27}$$

$$6.13471 \times 10^{-20}$$

Tbh[MSun]

Tbh[MEarth]

Tbh[1] (* 1 kg *)

Tbh[MElectron]

$$6.17003 \times 10^{-8}$$

$$0.0205442$$

$$1.22694 \times 10^{23}$$

$$1.34829 \times 10^{53}$$

$$\lambda[Mass_] := \left(\frac{2 \pi \hbar}{c}\right) \frac{1}{(Mass)}$$

T[g[MSun, λ[MSun]]]

T[g[MEarth, λ[MEarth]]]

T[g[1, λ[1]]] (* 1 kg *)

T[g[MElectron, λ[MElectron]]]

T[g[mPlanck, λ[mPlanck]]]

$$4.35635 \times 10^{143}$$

$$1.18009 \times 10^{127}$$

$$5.54004 \times 10^{52}$$

$$4.17482 \times 10^{-38}$$

$$5.71178 \times 10^{29}$$

de Sitter Unruh Effect

de Sitter Unruh effect :

$$T_H = \frac{H}{2 \pi} \text{ in natural units, } H = \text{Hubble Constant}$$

$$\Rightarrow \frac{T_H}{T_{\text{planck}}} = \frac{H}{2\pi} t_{\text{planck}} \Rightarrow T_H = \frac{H}{2\pi} t_{\text{planck}} T_{\text{planck}}$$

$$\Rightarrow T_H = \frac{H}{2\pi} \sqrt{\frac{\hbar G}{c^5}} \sqrt{\frac{\hbar c^5}{G k^2}} = \frac{H}{2\pi} \sqrt{\frac{\hbar^2}{k^2}} = \frac{H}{2\pi} \frac{\hbar}{k}$$

$$\frac{H}{2\pi} \frac{\hbar}{k}$$

$$2.43133 \times 10^{-30}$$