pre (mostly useless unless you need to import)

```
StringJoin["C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues",
 "\\C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[12], ".txt"]
C:\Users\George\Documents\SVD DNA
  stuff\CombinedPCV1CjkSingularValues\C16SingValsofSVDnum12.txt
j = 1;
k = 4;
Import [
 StringJoin["C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues",
  "\\C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[12], ".txt"]]
1.8926580267875477 1.880158606106111
(* j=1;
k=4;
Do [
 Print[
  StringJoin[
   "C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues",
   "\\C",ToString[j],ToString[k],"SingValsofSVDnum", ToString[i],".txt" ]
 , \{i,2,12\}] *)
ToExpression[StringJoin["C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[i]]]
C14SingValsofSVDnumi
j = 1;
k = 4;
Do [
 Print[
  Import [
   StringJoin[
    "C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues",
    "\\C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[i], ".txt"]
  1
 , {i, 2, 12}]
14.088511395429673 8.659684435111325 0.6884254831603384 0.25335404988111376
3.753056995535095 2.939176569608536 0.8116832525012424 0.3931996611139725
  1.8887155133555702 1.369818414857094 1.033851499279152 0.6936424704838116
  0.5964940122138949 \ 0.5004187449126801 \ 0.43074794236316216 \ 0.4250843295469037
  0.40651553037871174 0.3818367528865757 0.371445660356083 0.294736366366904
  1.4559132639847626e-07 6.414973828507162e-09 3.691804872295697e-15 7.096805390430533e-16
```

```
1.3598839969053642 0.9711184371937192 0.7777679965290155 0.7632786824711363
   0.7038786661184481 0.6786012544873826 0.6592852290634107 0.6503351963288498
   0.6262395882658844 0.6026740739398949 0.5921385688064863 0.5663815632342895
   0.5107100723124782 0.49305351156419047 0.46199610438621513 0.4106834024731658
   0.39052656005050024 0.3022209377333509 0.20787521025700628 0.00038336576388255724
   6.575621536026981e-06 6.3364220966309715e-06 1.5215247691746793e-06 1.877428021823059e-08
   1.5925790410126033e-08 7.564564902667875e-09 5.651540559389096e-09 2.0861817426979678e-15
   1.2343047431629253e-15 7.453580380599379e-16 6.659805531424212e-16 5.306222464957937e-16
1.1744493633375808 0.9293041643670019 0.9187401205902033 0.8420911389456074 0.8197414707774113
   0.8090491900609434 0.7969645948075248 0.7859893869440656 0.7757628086960344 0.7435180844984334
    0.7222446754763403 \  \, 0.7017337240659306 \  \, 0.6427520095854777 \  \, 0.6065585497483447 \  \, 0.5903762505071088 
   0.576582154179682 0.540149816397642 0.46544572011215485 0.4630794233124105 0.4362819045293155
   0.41547748345042046 0.4084763898407047 0.3898843471518465 0.3580591143281068
   0.3117460990049348 0.27513202388051017 0.12986860672053332 0.008579445090084084
   0.0017937283151359435 0.0016079559716831858 0.0015646679583888863 0.0014597478419606908
   0.0007656241058937776 0.0006073170149410816 9.62934468188221e-05 8.555219321131326e-05
   7.980192018477778e-05 7.392945045708053e-05 6.391493440741226e-05 5.168913836202479e-05
   4.8296081368643966e-05\ \ 4.3218234468675214e-05\ \ 2.1914589327061188e-05\ \ 2.9077158809376258e-08
   2.4843285894579995e-08 2.3362357756494352e-08 1.6804635989013854e-08 1.3994757184072316e-08
   1.2872178509943047e-08 1.1953842708211409e-08 8.526387369027765e-09 5.521389688758958e-09
   1.5929531903293389 \\ e-16 \ 1.295060040690328 \\ e-16 \ 1.1483558501014967 \\ e-16 \ 1.0757906142358877 \\ e-16 \ 1.075790614235887 \\ e-16 \ 1.07579061423588 \\ e-16 \ 1.0757906142358 \\ e-16 \ 1.0757906142358
1.2658384408646828 1.1509118893194286 1.0983741467124628 1.0079309976094408 0.948550784918791
   0.9341754481874428 0.9220839910459332 0.9048650824673393 0.8951938665487292 0.8888235015195626
   0.7687830220368554 \ 0.7228895755240888 \ 0.6929152728995406 \ 0.6648432428860265 \ 0.6420221037528936
   0.623423536146668 0.6031123596810911 0.577183804131472 0.5513277595250606 0.5280284395445121
   0.5243322050604079 0.49751108147626505 0.45478271983274543 0.4380232119165392
   0.43495537695329484 0.387596584693923 0.3875079561800164 0.37540791910883736
   0.3442923076243814 \ 0.3323530458916579 \ 0.31259152816023633 \ 0.2921186924031766
   0.2796038022309513 0.26499955877695974 0.23573595556061908 0.21231876364219177
   0.20386591353235545 0.17914111958430118 0.15177930074153856 0.13234076305925277
   0.10189033077670923 0.06542019027971667 0.050554472044981175 0.02650322706758053
   0.02440072909662459 0.023151147936729947 0.0215266894731874 0.019333923340398806
   0.018832176002486205 0.01597396423285484 0.013552735948049342 0.01136196767088698
   0.009185030233438727 0.006780254552763283 0.005843484725464627 0.005532307118491932
   0.004533121330385443 0.0036169485465811202 0.003183487905611653 0.0031223387623326025
   0.0028469680216972387 0.0021730751613514747 0.0012278764073286835 0.0008746522128033403
1.3669536128592743 1.3454771168546937 1.2533782850291415 1.2224697632099917 1.1626361968805028
   1.1033162520283166 1.08850048849956 1.071416695002445 0.9849327208032196 0.9537064294312538
   0.8989847523595451  0.8870864511618427  0.8808586165181339  0.8505263013144791  0.8220251425645217
   0.7866831073260784 0.7761320597901318 0.7393764118205804 0.7138728429773336
   0.6859804055138465 0.6555941551683542 0.636933601736595 0.6228207170351926 0.5734738929857257
   0.5561098850796637 0.5476509993639426 0.4882638794815287 0.46622687038716254
   0.45392958912797554 0.4267980338365026 0.345745215400175 0.3241093134112046
1.56005657965681 1.4620932629105676 1.428191404422225 1.4095489644327936
   1.379388264107785 1.332179267391429 1.28514296108315 1.2803146818750397
   1.253789270156118 1.2188284600425283 1.1913343674884815 1.1290517842301182
   1.1095861200032542 1.0715611979848187 1.001173292872265 0.9961763486535692
```

```
1.6888213684181959 1.6635031058613887 1.6233849283083945 1.6061688577663709
  1.5802734332236599 1.5551199435998002 1.4989912873345148 1.4530182250467631
1.8172031503754376 1.8072538204575401 1.7731090974416042 1.719584722203624
1.8926580267875477 1.880158606106111
j = 1;
k = 4;
Do [
 ToExpression[
   StringJoin["C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[i]]] =
  Import [
   StringJoin[
    \verb"C:\Users\George\Documents\SVD DNA stuff\CombinedPCV1CjkSingularValues",
    "\\C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[i], ".txt"]
  ]
 , {i, 2, 12}]
14. (10^-4) // N
14.10^(-4) // N
0.0014
0.0000253002
Digi
```

```
j = 1;
k = 4;
Import [
 StringJoin["C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues",
  "\\C", ToString[j], ToString[k], "SingValsofSVDnum", ToString[5], ".txt"]]
StringReplace[Import[StringJoin[
   "C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues", "\\C",
   ToString[j], ToString[k], "SingValsofSVDnum", ToString[5], ".txt"]], {"e" → "(10^",
  StringJoin["-", DigitCharacter] → StringJoin["(", "-", DigitCharacter, ")"]}]
{1.3598839969053642, 0.9711184371937192, 0.7777679965290155, 0.7632786824711363,
  0.7038786661184481, 0.6786012544873826, 0.6592852290634107, 0.6503351963288498,
  0.6262395882658844, 0.6026740739398949, 0.5921385688064863, 0.5663815632342895,
  0.5107100723124782, 0.49305351156419047, 0.46199610438621513, 0.4106834024731658,
  0.39052656005050024, 0.3022209377333509, 0.20787521025700628, 0.00038336576388255724,
  6.575621536026981e-06, 6.3364220966309715e-06, 1.5215247691746793e-06,
  1.877428021823059e-08, 1.5925790410126033e-08, 7.564564902667875e-09,
  5.651540559389096e-09, 2.0861817426979678e-15, 1.2343047431629253e-15,
  7.453580380599379e-16, 6.659805531424212e-16, 5.306222464957937e-16}
{1.3598839969053642, 0.9711184371937192, 0.7777679965290155, 0.7632786824711363,
   0.7038786661184481, 0.6786012544873826, 0.6592852290634107, 0.6503351963288498,
   0.6262395882658844, 0.6026740739398949, 0.5921385688064863, 0.5663815632342895,
   0.5107100723124782, 0.49305351156419047, 0.46199610438621513,
   0.4106834024731658, 0.39052656005050024, 0.3022209377333509,
   0.20787521025700628, 0.00038336576388255724, 6.575621536026981(10^{\sim}
 (- <> DigitCharacter <> ) ~~ 6, 6.3364220966309715 (10^ ~~
 (- <> DigitCharacter <> ) ~~
 6, 1.5215247691746793 (10<sup>^</sup> ~~
 (- <> DigitCharacter <> ) ~~
 6, 1.877428021823059 (10<sup>^</sup> ~~
 (- <> DigitCharacter <> ) ~~
 8, 1.5925790410126033 (10<sup>^</sup> ~~
 (- <> DigitCharacter <> ) \sim\sim 8, 7.564564902667875 (10^{\land} \sim\sim
 (-<> DigitCharacter <> ) ~~ 9, 5.651540559389096 (10^ ~~
 (-<> \texttt{DigitCharacter} <>~) \sim\sim 9, 2.0861817426979678 (10^ \sim\sim
 (-<> DigitCharacter<> ) ~~ 5, 1.2343047431629253 (10<sup>^</sup> ~~
 (-<> DigitCharacter<>) ~~ 5, 7.453580380599379 (10^ ~~
 (- <> DigitCharacter <> ) ~~ 6, 6.659805531424212 (10^ ~~
 (- <> DigitCharacter <> ) ~~ 6, 5.306222464957937 (10<sup>^</sup> ~~
 (- <> DigitCharacter <> ) ~~ 6}
```

```
StringReplace[Import[StringJoin[
         "C:\\Users\\George\\Documents\\SVD DNA stuff\\CombinedPCV1CjkSingularValues", "\\C",
         ToString[j], ToString[k], "SingValsofSVDnum", ToString[5], ".txt"]], {"e" → "(10^(")]
 {1.3598839969053642, 0.9711184371937192, 0.7777679965290155, 0.7632786824711363,
      0.7038786661184481, 0.6786012544873826, 0.6592852290634107, 0.6503351963288498,
      0.6262395882658844, 0.6026740739398949, 0.5921385688064863, 0.5663815632342895,
      0.5107100723124782, 0.49305351156419047, 0.46199610438621513, 0.4106834024731658,
      0.39052656005050024, 0.3022209377333509, 0.20787521025700628, 0.00038336576388255724,
      6.575621536026981(10^{\circ}(-06, 6.3364220966309715(10^{\circ}(-06, 1.5215247691746793(10^{\circ}(-06, 1.5215247691746793))))
      1.877428021823059 (10^{-08}, 1.5925790410126033 (10^{-08}, 7.564564902667875 (10^{-09}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021823059 (10^{-08}, 1.877428021820059 (10^{-08}, 1.877428021820059 (10^{-08}, 1.877428021820059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.87742802180059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.8774280059 (10^{-08}, 1.87742800059 (10^{-08}, 1.8774800059 (10^{-08}, 1.8774800059 (10^{-08}, 1.8774800059 (10^{-08}, 1.87
      5.651540559389096(10^{\circ}(-09, 2.0861817426979678(10^{\circ}(-15, 1.2343047431629253(10^{\circ}(-15, 1.2343047431629294743)(10^{\circ}(-15, 1.2343047431629253(10^{\circ}(-15, 1.23430474316294744316294744)(10^{\circ}(-15, 1.23430474431629474431629474431629474444)(10^{\circ}(-15, 1.2343047443162947443162947443164444)(10^{\circ}(-15, 1.23430474431644444)(10^{\circ}(-15, 1.234304744316294444)(10^{\circ}(-15, 1.2343047443164444)(10^{\circ}(-15, 1.23430444444)(10^{\circ}(-15, 1.23430444444)(10^{\circ}(-15, 1.234304444444)(10^{\circ}(-15, 1.2344444444444444444444)(10^{\circ}(-15, 1.2344444444444444444444444444444
      7.453580380599379 (10<sup>^</sup>(-16, 6.659805531424212 (10<sup>^</sup>(-16, 5.306222464957937 (10<sup>^</sup>(-16)))
C14SingValsofSVDnum5 =
   ToExpression["{1.3598839969053642, 0.9711184371937192, 0.7777679965290155,
           0.7632786824711363, 0.7038786661184481, 0.6786012544873826, 0.6592852290634107,
           0.6503351963288498, 0.6262395882658844, 0.6026740739398949, 0.5921385688064863,
           0.5663815632342895, 0.5107100723124782, 0.49305351156419047,
           0.46199610438621513, 0.4106834024731658, 0.39052656005050024,
           0.3022209377333509, 0.20787521025700628, 0.00038336576388255724,
            6.575621536026981(10^{\circ}(-06)), 6.3364220966309715(10^{\circ}(-06)),
            1.5215247691746793(10^{(-06)}), 1.877428021823059(10^{(-08)}),
            1.5925790410126033(10^{(-08)}), 7.564564902667875(10^{(-09)}),
            5.651540559389096(10^{(-09)}), 2.0861817426979678(10^{(-15)}),
            1.2343047431629253(10^{(-15)}), 7.453580380599379(10^{(-16)}),
            6.659805531424212(10^{(-16)}), 5.306222464957937(10^{(-16)}) "
 \{1.35988, 0.971118, 0.777768, 0.763279, 0.703879, 0.678601, 0.659285, 0.650335,
   0.62624, 0.602674, 0.592139, 0.566382, 0.51071, 0.493054, 0.461996, 0.410683,
   0.390527, 0.302221, 0.207875, 0.000383366, 6.57562 \times 10^{-6}, 6.33642 \times 10^{-6},
   1.52152 \times 10^{-6}, 1.87743 \times 10^{-8}, 1.59258 \times 10^{-8}, 7.56456 \times 10^{-9}, 5.65154 \times 10^{-9},
   2.08618 \times 10^{-15}, 1.2343 \times 10^{-15}, 7.45358 \times 10^{-16}, 6.65981 \times 10^{-16}, 5.30622 \times 10^{-16}}
Length[C14SingValsofSVDnum5]
32
Table[{iter, C14SingValsofSVDnum5[[iter]]}, {iter, 1, Length[C14SingValsofSVDnum5]}}
 \{1, 1.35988\}, \{2, 0.971118\}, \{3, 0.777768\}, \{4, 0.763279\}, \{5, 0.703879\},
   \{6, 0.678601\}, \{7, 0.659285\}, \{8, 0.650335\}, \{9, 0.62624\}, \{10, 0.602674\},
   \{11, 0.592139\}, \{12, 0.566382\}, \{13, 0.51071\}, \{14, 0.493054\}, \{15, 0.461996\},
    \{16, 0.410683\}, \{17, 0.390527\}, \{18, 0.302221\}, \{19, 0.207875\}, \{20, 0.000383366\},
     \{21, 6.57562 \times 10^{-6}\}, \{22, 6.33642 \times 10^{-6}\}, \{23, 1.52152 \times 10^{-6}\}, \{24, 1.87743 \times 10^{-8}\},
     \{25, 1.59258 	imes 10^{-8}\}, \{26, 7.56456 	imes 10^{-9}\}, \{27, 5.65154 	imes 10^{-9}\}, \{28, 2.08618 	imes 10^{-15}\},
```

 $\{29, 1.2343 \times 10^{-15}\}, \{30, 7.45358 \times 10^{-16}\}, \{31, 6.65981 \times 10^{-16}\}, \{32, 5.30622 \times 10^{-16}\}\}$

Plots of Singular Values of Combined PCV1 Samples Cjk

C15

C15 samples

C15 sample plots

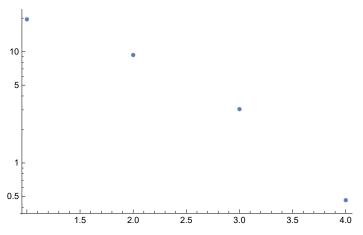
```
j = 1;
k = 5;
Do[
 NumberSVD = numSVD;
 CjkSample = ToExpression[StringJoin["C1", ToString[k], "num", ToString[NumberSVD]]];
 Print[
   Style[StringJoin["For C", ToString[j], ToString[k], "the singular values of the ",
     ToString[NumberSVD], "-th SVD are:"], Black, Bold, 18]] x
  \label{lem:print_Table_fiter, CjkSample[[iter]]}, \{iter, 1, Length[CjkSample]\}]] \times \\
  Print["Plot of singular values: ( i-th Sing Val vs. i) "] \times
  Print[ListPlot[Table[{iter, CjkSample[[iter]]}, {iter, 1, Length[CjkSample]}]]] x
  Print["LogPlot of singular values: (Log[i-th Sing Val] vs. i) "] x
  Print[ListLogPlot[Table[{iter, CjkSample[[iter]]}, {iter, 1, Length[CjkSample]}]]]
 , {numSVD, 2, 12}]
```

For C15the singular values of the 2-th SVD are:

```
Plot of singular values: ( i-th Sing Val vs. i)
20
15
10
                   2.0
```

LogPlot of singular values: (Log[i-th Sing Val] vs. i)

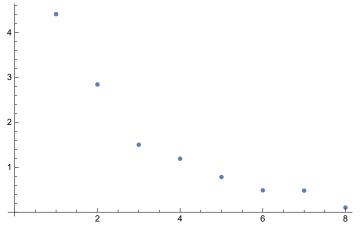
 $\{\{1, 19.5162\}, \{2, 9.3293\}, \{3, 3.04362\}, \{4, 0.462841\}\}$



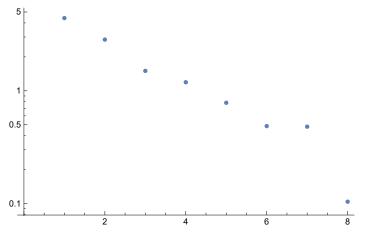
For C15the singular values of the 3-th SVD are:

```
\{\{1, 4.41379\}, \{2, 2.84634\}, \{3, 1.5024\}, \{4, 1.19121\},
\{5, 0.783333\}, \{6, 0.486658\}, \{7, 0.480983\}, \{8, 0.103956\}\}
```

Plot of singular values: (i-th Sing Val vs. i)

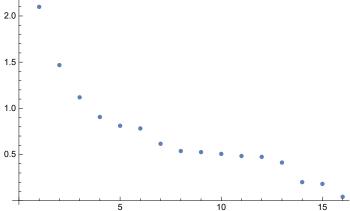


LogPlot of singular values: (Log[i-th Sing Val] vs. i)

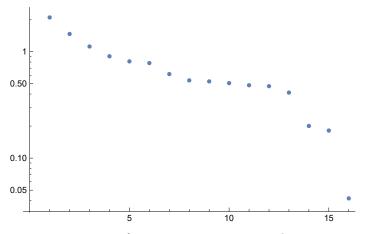


For C15the singular values of the 4-th SVD are:

```
\{\{1,\, 2.09875\},\, \{2,\, 1.46795\},\, \{3,\, 1.11901\},\, \{4,\, 0.906\},\, \{5,\, 0.811133\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.781885\},\, \{6,\, 0.78
          \{7, 0.616154\}, \{8, 0.53763\}, \{9, 0.525909\}, \{10, 0.506673\}, \{11, 0.483992\},
            \{12, 0.474355\}, \{13, 0.412971\}, \{14, 0.200626\}, \{15, 0.181545\}, \{16, 0.0418654\}\}
Plot of singular values: ( i-th Sing Val vs. i)
```

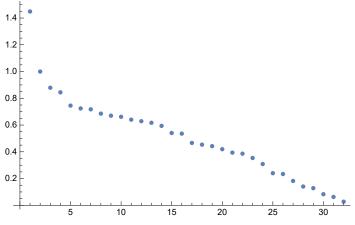


LogPlot of singular values: (Log[i-th Sing Val] vs. i)

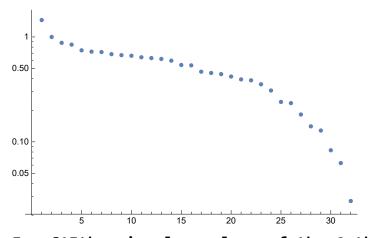


For C15the singular values of the 5-th SVD are:

```
\{7, 0.717511\}, \{8, 0.68543\}, \{9, 0.670186\}, \{10, 0.661778\}, \{11, 0.640252\}, \{12, 0.628827\},
\{13, 0.617072\}, \{14, 0.593861\}, \{15, 0.540417\}, \{16, 0.535917\}, \{17, 0.466239\},
 \{18, 0.453476\}, \{19, 0.442307\}, \{20, 0.419428\}, \{21, 0.393839\}, \{22, 0.386034\},
 \{23, 0.35377\}, \{24, 0.308565\}, \{25, 0.240146\}, \{26, 0.233848\}, \{27, 0.182221\},
 {28, 0.140576}, {29, 0.128114}, {30, 0.0831022}, {31, 0.0627318}, {32, 0.0272756}}
Plot of singular values: ( i-th Sing Val vs. i)
```



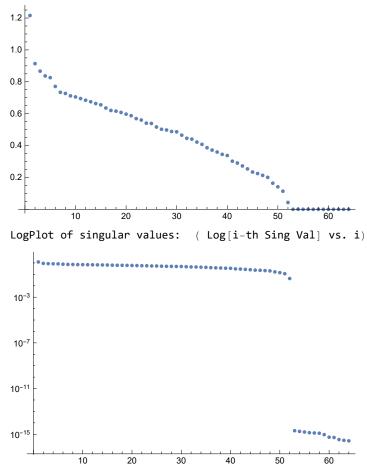
LogPlot of singular values: (Log[i-th Sing Val] vs. i)



For C15the singular values of the 6-th SVD are:

```
\{\{1, 1.21579\}, \{2, 0.913756\}, \{3, 0.866722\}, \{4, 0.836654\}, \{5, 0.825978\}, \{6, 0.77094\},
        \{7, 0.733928\}, \{8, 0.72679\}, \{9, 0.711622\}, \{10, 0.705037\}, \{11, 0.69478\}, \{12, 0.684302\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11, 0.69478\}, \{11
        \{13, 0.674681\}, \{14, 0.6636\}, \{15, 0.655434\}, \{16, 0.635407\}, \{17, 0.620153\}, \{18, 0.615878\},
           \{19, 0.607773\}, \{20, 0.597123\}, \{21, 0.587287\}, \{22, 0.569102\}, \{23, 0.560051\}, \{24, 0.540359\}, \{24, 0.540359\}, \{25, 0.560103\}, \{26, 0.560103\}, \{27, 0.560103\}, \{28, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.560103\}, \{29, 0.56010
         {25, 0.538591}, {26, 0.516354}, {27, 0.502229}, {28, 0.497387}, {29, 0.488007}, {30, 0.486135},
         \{31, 0.465111\}, \{32, 0.445574\}, \{33, 0.440538\}, \{34, 0.422029\}, \{35, 0.407576\}, \{36, 0.386258\},
           \{37, 0.371565\}, \{38, 0.359347\}, \{39, 0.344801\}, \{40, 0.337458\}, \{41, 0.301868\},
         {42, 0.290407}, {43, 0.272064}, {44, 0.253634}, {45, 0.23389}, {46, 0.224393}, {47, 0.212959},
             {48, 0.200455}, {49, 0.163831}, {50, 0.141207}, {51, 0.113635}, {52, 0.0429809},
             \{53, 2.03525 \times 10^{-15}\}, \{54, 1.77318 \times 10^{-15}\}, \{55, 1.56793 \times 10^{-15}\}, \{56, 1.36706 \times 1
             \{57, 1.28781 \times 10^{-15}\}, \{58, 1.22775 \times 10^{-15}\}, \{59, 9.27641 \times 10^{-16}\}, \{60, 5.50818 \times 1
             \{61, 5.2058 \times 10^{-16}\}, \{62, 3.41372 \times 10^{-16}\}, \{63, 2.91076 \times 10^{-16}\}, \{64, 2.63132 \times 10^{-16}\}\}
```

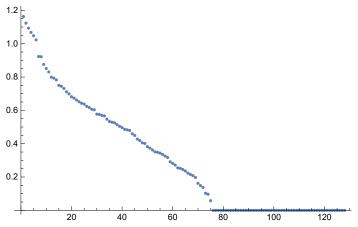
Plot of singular values: (i-th Sing Val vs. i)



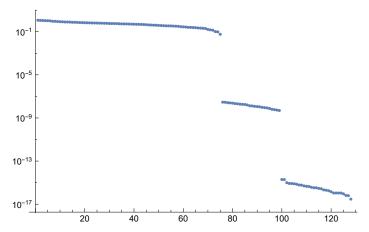
For C15the singular values of the 7-th SVD are:

```
\{\{1, 1.16317\}, \{2, 1.12328\}, \{3, 1.09309\}, \{4, 1.06797\}, \{5, 1.0477\}, \{6, 1.02315\}, \{7, 0.923275\},
      \{8, 0.92185\}, \{9, 0.875853\}, \{10, 0.851136\}, \{11, 0.830719\}, \{12, 0.799096\}, \{13, 0.793703\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\}, \{13, 0.830719\},
      \{14, 0.782952\}, \{15, 0.749878\}, \{16, 0.744599\}, \{17, 0.731539\}, \{18, 0.711617\}, \{19, 0.698824\},
     \{20, 0.681784\}, \{21, 0.673266\}, \{22, 0.662019\}, \{23, 0.651364\}, \{24, 0.642517\}, \{25, 0.637629\},
     {26, 0.624068}, {27, 0.617548}, {28, 0.606272}, {29, 0.603759}, {30, 0.577308}, {31, 0.575464},
      \{32, 0.570294\}, \{33, 0.566901\}, \{34, 0.546964\}, \{35, 0.533608\}, \{36, 0.528901\}, \{37, 0.524946\}, \{37, 0.54946\}, \{38, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}, \{39, 0.54946\}
     \{38, 0.514471\}, \{39, 0.504152\}, \{40, 0.496699\}, \{41, 0.486237\}, \{42, 0.483125\}, \{43, 0.47918\},
       {44, 0.459724}, {45, 0.449543}, {46, 0.427773}, {47, 0.418727}, {48, 0.405208}, {49, 0.40126},
      \{50, 0.382803\}, \{51, 0.373419\}, \{52, 0.362135\}, \{53, 0.351147\}, \{54, 0.348537\}, \{55, 0.34387\},
     {56, 0.335667}, {57, 0.325903}, {58, 0.316768}, {59, 0.291608}, {60, 0.281758}, {61, 0.271658},
       {62, 0.25509}, {63, 0.252023}, {64, 0.245044}, {65, 0.236297}, {66, 0.223484}, {67, 0.215565},
       {68, 0.208668}, {69, 0.197408}, {70, 0.162153}, {71, 0.148729}, {72, 0.137489}, {73, 0.102485},
      \{74, 0.0966538\}, \{75, 0.0578362\}, \{76, 2.90956 \times 10^{-8}\}, \{77, 2.86826 \times 10^{-8}\}, \{78, 2.60508 \times 10^{-8}\}, \{79, 2.86826 \times 10^{-8}\}, \{79, 2.868
       \{79, 2.48112 \times 10^{-8}\}, \{80, 2.35564 \times 10^{-8}\}, \{81, 2.16012 \times 10^{-8}\}, \{82, 2.05722 \times 10^{-8}\},
       \{83, 1.91048 \times 10^{-8}\}, \{84, 1.8302 \times 10^{-8}\}, \{85, 1.77232 \times 10^{-8}\}, \{86, 1.6055 \times 10^{-8}\}, \{87, 1.33092 \times 10^{-8}\},
        \{88, 1.30798 \times 10^{-8}\}, \{89, 1.18892 \times 10^{-8}\}, \{90, 1.13869 \times 10^{-8}\}, \{91, 1.07354 \times 10^{-8}\},
        \{92, 9.65699 \times 10^{-9}\}, \{93, 9.05161 \times 10^{-9}\}, \{94, 8.5692 \times 10^{-9}\}, \{95, 7.46263 \times 10^{-9}\}, \{96, 6.35708 \times 10^{-9}\},
       \{97, 5.89204 \times 10^{-9}\}, \{98, 5.37817 \times 10^{-9}\}, \{99, 4.93851 \times 10^{-9}\}, \{100, 1.9478 \times 10^{-15}\},
        \{101, 1.90793 	imes 10^{-15}\}, \{102, 9.83722 	imes 10^{-16}\}, \{103, 8.37003 	imes 10^{-16}\}, \{104, 8.23828 	imes 10^{-16}\},
         \{105, 7.83648 \times 10^{-16}\}, \{106, 7.04329 \times 10^{-16}\}, \{107, 6.05993 \times 10^{-16}\}, \{108, 5.82555 \times 10^{-16}\},
        \{109,\,4.99546	imes10^{-16}\}, \{110,\,4.55227	imes10^{-16}\}, \{111,\,4.38513	imes10^{-16}\}, \{112,\,3.66576	imes10^{-16}\},
        \{113, 3.36333 \times 10^{-16}\}, \{114, 3.31081 \times 10^{-16}\}, \{115, 2.88604 \times 10^{-16}\}, \{116, 2.69325 \times 10^{-16}\},
       \{117, 2.10538 	imes 10^{-16}\}, \{118, 1.99042 	imes 10^{-16}\}, \{119, 1.76583 	imes 10^{-16}\}, \{120, 1.44568 	imes 10^{-16}\},
       \{121, 1.08602 \times 10^{-16}\}, \{122, 1.08602 \times 10^{-16}\}, \{123, 1.08602 \times 10^{-16}\}, \{124, 1.08602 \times 10^
       \{125, 9.11129 \times 10^{-17}\}, \{126, 6.50605 \times 10^{-17}\}, \{127, 6.18397 \times 10^{-17}\}, \{128, 2.94084 \times 10^{-17}\}\}
```

Plot of singular values: (i-th Sing Val vs. i)



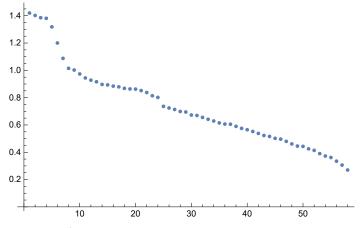
LogPlot of singular values: (Log[i-th Sing Val] vs. i)



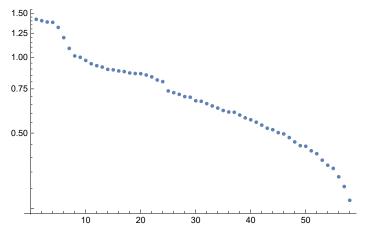
For C15the singular values of the 8-th SVD are:

```
\{\{1, 1.41964\}, \{2, 1.40187\}, \{3, 1.38533\}, \{4, 1.38098\}, \{5, 1.31844\}, \{6, 1.20031\},
       \{7, 1.08766\}, \{8, 1.01477\}, \{9, 1.00229\}, \{10, 0.973472\}, \{11, 0.944473\}, \{12, 0.927914\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.94473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 0.944473\}, \{11, 
         \{13,\,0.916182\},\,\{14,\,0.897065\},\,\{15,\,0.893309\},\,\{16,\,0.884426\},\,\{17,\,0.879056\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867979\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.867999\},\,\{18,\,0.8679
       \{19, 0.863678\}, \{20, 0.862532\}, \{21, 0.851827\}, \{22, 0.83755\}, \{23, 0.813933\}, \{24, 0.801678\}, \{26, 0.801678\}, \{27, 0.801678\}, \{28, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678\}, \{29, 0.801678
        {25, 0.736044}, {26, 0.724374}, {27, 0.713383}, {28, 0.698726}, {29, 0.694943}, {30, 0.672526},
        \{31, 0.669401\}, \{32, 0.65506\}, \{33, 0.641524\}, \{34, 0.629042\}, \{35, 0.615204\}, \{36, 0.606637\},
        \{37, 0.605273\}, \{38, 0.589965\}, \{39, 0.574907\}, \{40, 0.565034\}, \{41, 0.552377\},
        {42, 0.537995}, {43, 0.522852}, {44, 0.515798}, {45, 0.502025}, {46, 0.496238},
        {47, 0.479884}, {48, 0.461019}, {49, 0.445311}, {50, 0.44303}, {51, 0.425067}, {52, 0.413718},
        \{53, 0.389903\}, \{54, 0.37232\}, \{55, 0.361559\}, \{56, 0.334753\}, \{57, 0.306203\}, \{58, 0.269863\}\}
```

Plot of singular values: (i-th Sing Val vs. i)



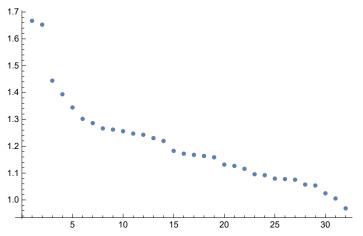
LogPlot of singular values: (Log[i-th Sing Val] vs. i)



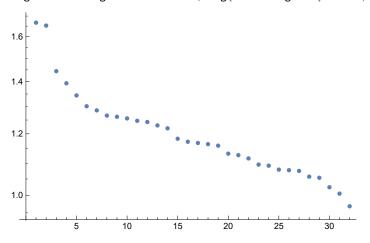
For C15the singular values of the 9-th SVD are:

```
\{\{1, 1.6673\}, \{2, 1.65291\}, \{3, 1.44437\}, \{4, 1.39362\}, \{5, 1.3444\},
 \{6, 1.3021\}, \{7, 1.28622\}, \{8, 1.26648\}, \{9, 1.26213\}, \{10, 1.25597\}, \{11, 1.24717\},
 \{12, 1.24279\}, \{13, 1.23027\}, \{14, 1.21975\}, \{15, 1.18275\}, \{16, 1.1722\}, \{17, 1.1679\},
 {18, 1.16382}, {19, 1.15874}, {20, 1.13163}, {21, 1.12665}, {22, 1.11583},
 {23, 1.09565}, {24, 1.09213}, {25, 1.07938}, {26, 1.07762}, {27, 1.07532},
 {28, 1.05729}, {29, 1.0537}, {30, 1.02462}, {31, 1.00537}, {32, 0.968521}}
```

Plot of singular values: (i-th Sing Val vs. i)



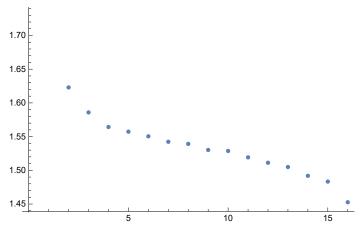
LogPlot of singular values: (Log[i-th Sing Val] vs. i)



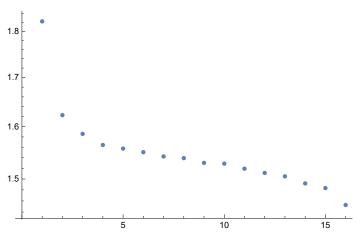
For C15the singular values of the 10-th SVD are:

```
\{\{1, 1.82203\}, \{2, 1.62296\}, \{3, 1.58586\}, \{4, 1.56429\}, \{5, 1.55736\},
          \{6, 1.55045\}, \{7, 1.54235\}, \{8, 1.53922\}, \{9, 1.53019\}, \{10, 1.52875\}, \{11, 1.51923\}, \{10, 1.52875\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.51923\}, \{11, 1.5
          {12, 1.51128}, {13, 1.50489}, {14, 1.49189}, {15, 1.48331}, {16, 1.45269}}
```

Plot of singular values: (i-th Sing Val vs. i)

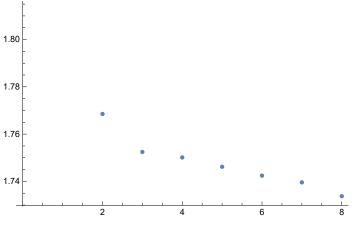


LogPlot of singular values: (Log[i-th Sing Val] vs. i)

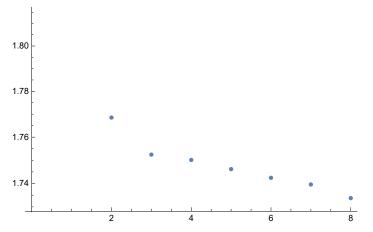


For C15the singular values of the 11-th SVD are:

```
\{\{1, 1.85145\}, \{2, 1.76852\}, \{3, 1.75244\},
 {4, 1.75013}, {5, 1.74618}, {6, 1.74244}, {7, 1.73958}, {8, 1.73374}}
Plot of singular values: ( i-th Sing Val vs. i)
```



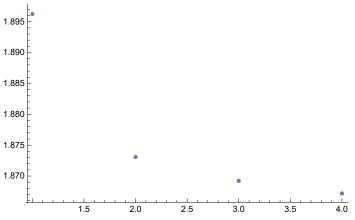
LogPlot of singular values: (Log[i-th Sing Val] vs. i)



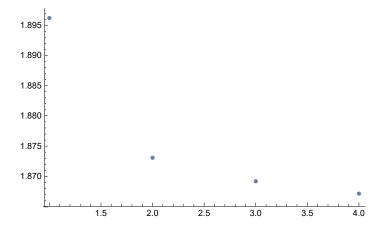
For C15the singular values of the 12-th SVD are:

 $\{\{1, 1.89623\}, \{2, 1.87308\}, \{3, 1.86922\}, \{4, 1.86718\}\}$

Plot of singular values: (i-th Sing Val vs. i)



LogPlot of singular values: (Log[i-th Sing Val] vs. i)



C16

C17

C18

C19

Random (Marchenko-Pastur) Distribution SVD analog of C19, call it MPC19

Random MP SVD Samples

Random MP SVD sample plots

Cut sample C_{1,32}

Cut sample C_{1,32} data

Cut sample C {1,32} data plots

Table[{k, CutC1to32[[k]]}, {k, 1, Length[CutC1to32]}]

```
\{\{1, 1.09086\}, \{2, 0.962425\}, \{3, 0.926492\}, \{4, 0.904965\}, \{5, 0.893919\}, \{6, 0.875662\},
   \{7, 0.865863\}, \{8, 0.846116\}, \{9, 0.835332\}, \{10, 0.83002\}, \{11, 0.809739\}, \{12, 0.794524\},
   \{13, 0.770083\}, \{14, 0.744616\}, \{15, 0.7217\}, \{16, 0.709288\}, \{17, 0.679583\},
   \{18, 0.652795\}, \{19, 0.644678\}, \{20, 0.622975\}, \{21, 0.561385\}, \{22, 0.54721\},
   \{23, 0.507801\}, \{24, 0.474523\}, \{25, 0.451047\}, \{26, 0.339941\}, \{27, 0.288126\},
    {28, 0.263079}, {29, 0.000666255}, {30, 0.000277524}, {31, 0.000170296}, {32, 0.000146546},
   {33, 0.000131282}, {34, 0.000124474}, {35, 0.000105946}, {36, 0.000098526},
   \{37, 0.00009089\}, \{38, 0.0000790127\}, \{39, 0.0000707403\}, \{40, 0.0000671636\},
    {41, 0.0000643872}, {42, 0.0000591848}, {43, 0.0000567926}, {44, 0.0000526031},
    {45, 0.0000445858}, {46, 0.0000416892}, {47, 0.0000392429}, {48, 0.0000348008},
    {49, 0.0000321145}, {50, 0.0000271068}, {51, 0.0000257536}, {52, 0.0000213848},
    {53, 0.0000211667}, {54, 0.0000180096}, {55, 0.0000136388}, {56, 0.0000111381},
      \{57, 8.62431 \times 10^{-6}\}, \{58, 5.49551 \times 10^{-6}\}, \{59, 2.68224 \times 10^{-6}\}, \{60, 1.45461 \times 10^{
      61, 1.26868 \times 10<sup>-6</sup>}, {62, 1.1232 \times 10<sup>-6</sup>}, {63, 1.11688 \times 10<sup>-6</sup>}, {64, 6.85269 \times 10<sup>-7</sup>},
      \{65, 5.7153 \times 10^{-7}\}, \{66, 1.75776 \times 10^{-8}\}, \{67, 1.33094 \times 10^{-8}\}, \{68, 1.08756 \times 10^{-8}\}, \{69, 1.08756 \times 10^{8
      69, 7.51146 \times 10^{-9}}, \{70, 2.4959 \times 10^{-9}\}, \{71, 4.84438 \times 10^{-16}\}, \{72, 2.77836 \times 10^{-16}\},
      73, 2.1627 \times 10<sup>-16</sup>}, {74, 1.8205 \times 10<sup>-16</sup>}, {75, 1.71223 \times 10<sup>-16</sup>}, {76, 1.44849 \times 10<sup>-16</sup>},
      77, 1.13912 \times 10^{-16}}, \{78, 8.39411 \times 10^{-17}\}, \{79, 8.39411 \times 10^{-17}\}, \{80, 8.39411 \times 10^{-17}\},
      \{81, 8.39411 \times 10^{-17}\}, \{82, 8.39411 \times 10^{-17}\}, \{83, 8.39411 \times 10^{-17}\}, \{84, 8.39411 \times 10^{-17}\},
      85, 8.39411 \times 10^{-17}}, {86, 8.39411 \times 10^{-17}}, {87, 8.39411 \times 10^{-17}}, {88, 8.39411 \times 10^{-17}},
      \{89, 8.39411 \times 10^{-17}\}, \{90, 8.39411 \times 10^{-17}\}, \{91, 8.39411 \times 10^{-17}\}, \{92, 8.39411 \times 10^{-17}\},
      \left\{93,8.39411\times10^{-17}\right\}, \left\{94,8.39411\times10^{-17}\right\}, \left\{95,8.39411\times10^{-17}\right\}, \left\{96,8.39411\times10^{-17}\right\},
      97, 8.39411 \times 10<sup>-17</sup>\}, \{98, 8.39411 \times 10^{-17}\}, \{99, 8.39411 \times 10^{-17}\}, \{100, 8.39411 \times 10^{-17}\},
      101, 8.39411 \times 10^{-17}}, \{102, 8.39411 \times 10^{-17}\}, \{103, 8.39411 \times 10^{-17}\}, \{104, 8.39411 \times 10^{-17}\},
      105, 8.39411 \times 10^{-17}}, \{106, 8.39411 \times 10^{-17}\}, \{107, 8.39411 \times 10^{-17}\}, \{108, 8.39411 \times 10^{-17}\},
      109, 8.39411 \times 10<sup>-17</sup>}, {110, 8.39411 \times 10<sup>-17</sup>}, {111, 8.39411 \times 10<sup>-17</sup>}, {112, 8.39411 \times 10<sup>-17</sup>},
      113, 8.39411 \times 10^{-17}}, \{114, 8.39411 \times 10^{-17}\}, \{115, 8.39411 \times 10^{-17}\}, \{116, 8.39411 \times 10^{-17}\},
      117, 8.39411 \times 10^{-17}}, \{118, 8.39411 \times 10^{-17}\}, \{119, 8.39411 \times 10^{-17}\}, \{120, 8.39411 \times 10^{-17}\},
      121, 8.39411 \times 10<sup>-17</sup>\Big\}, \Big\{122, 8.39411 \times 10<sup>-17</sup>\Big\}, \Big\{123, 8.39411 \times 10<sup>-17</sup>\Big\}, \Big\{124, 8.39411 \times 10<sup>-17</sup>\Big\},
     \{125, 8.39411 \times 10^{-17}\}, \{126, 8.18024 \times 10^{-17}\}, \{127, 5.01524 \times 10^{-17}\}, \{128, 6.13445 \times 10^{-18}\}\}
```

```
ListPlot[CutC1to32, PlotLabel → StringJoin["Singular values for ",
    ToString[7], "-ith SVD of the Cut sample C_{1,32}"], AxesLabel \rightarrow {"i", "\lambda_i"}]
ListLogPlot[CutC1to32, PlotLabel → StringJoin["LOGPLOT of Singular values for ",
    ToString[7], "-ith SVD of Cut sample C_{1,32}"], AxesLabel \rightarrow {"i", "Log[\lambda_i]"}]
       Singular values for 7-ith SVD of the Cut sample C_{1,32}
1.0
0.6
0.4
0.2
                                                       120
    LOGPLOT of Singular values for 7-ith SVD of Cut sample C_{1,32}
0.001
10<sup>-8</sup>
10-13
            20
                                               100
```

Comparison

pre

setup to get Normalized Samples

Normalized Samples Input Form (Run this before running Comparison Plots)

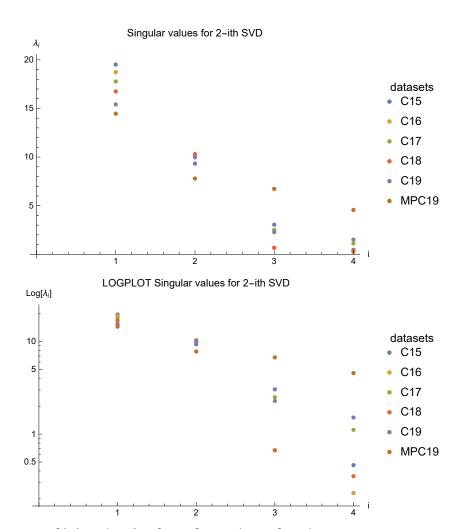
Adjusted So Max value = 1 (Run this before running Comparison Plots)

Comparison Plots

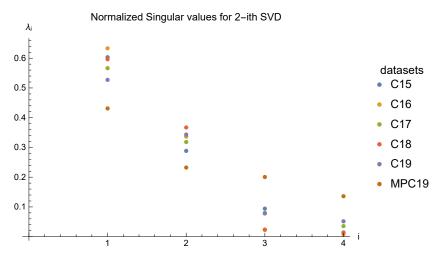
```
( *Do [
 Print[
  ToExpression[Join[
    Table[StringJoin["C1",ToString[a],"num",ToString[numSVD]],{a,amin,amax}],
     {StringJoin["MP1",ToString[9],"num",ToString[numSVD]]}
   ]]
 ,{numSVD,2,12}]*)
amin = 5;
amax = 9;
Do [
 Print[Style[StringJoin["For the ", ToString[numSVD],
      "-th SVD, the Singular Values are:"], <code>Black</code>, <code>Bold</code>, <code>22</code>] _{	imes}
  Print[
   ListPlot[
    ToExpression[Join[
       Table[StringJoin["C1", ToString[a], "num", ToString[numSVD]], {a, amin, amax}],
       {StringJoin["MP1", ToString[9], "num", ToString[numSVD]]}
      11
    , PlotLegends \rightarrow PointLegend[Automatic, {"C15", "C16", "C17", "C18", "C19", "MPC19"},
       LegendFunction → "Frame", LegendLabel → "datasets"],
    PlotLabel → StringJoin["Singular values for ", ToString[numSVD], "-ith SVD"],
    AxesLabel \rightarrow {"i", "\lambda_i"}]
  ] ×
  Print[
   ListLogPlot[
    ToExpression[Join[
       Table[StringJoin["C1", ToString[a], "num", ToString[numSVD]], {a, amin, amax}],
       {StringJoin["MP1", ToString[9], "num", ToString[numSVD]]}
    , PlotLegends → PointLegend[Automatic, {"C15", "C16", "C17", "C18", "C19", "MPC19"},
       LegendFunction → "Frame", LegendLabel → "datasets"],
    PlotLabel → StringJoin["LOGPLOT Singular values for ", ToString[numSVD], "-ith SVD"],
    AxesLabel \rightarrow {"i", "Log[\lambda_i]"}]
  Print["Normalizing the Singular Values, these plots become: "] x
  Print[
   ListPlot[
    ToExpression[Join[
       Table[StringJoin["Normalized", "C1",
         ToString[a], "num", ToString[numSVD]], {a, amin, amax}],
       {StringJoin["Normalized", "MP1", ToString[9], "num", ToString[numSVD]]}
      11
     , PlotLegends \rightarrow PointLegend[Automatic, {"C15", "C16", "C17", "C18", "C19", "MPC19"},
       LegendFunction → "Frame", LegendLabel → "datasets"],
    PlotLabel → StringJoin["Normalized Singular values for ",
       ToString[numSVD], "-ith SVD"], AxesLabel \rightarrow {"i", "\lambda_i"}]
  ] ×
  Print[
```

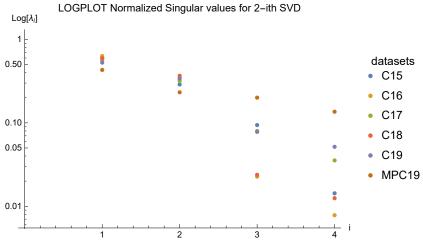
```
ListLogPlot[
   ToExpression[Join[
     Table[StringJoin["Normalized", "C1",
        ToString[a], "num", ToString[numSVD]], {a, amin, amax}],
     {StringJoin["Normalized", "MP1", ToString[9], "num", ToString[numSVD]]}
   , PlotLegends → PointLegend[Automatic, {"C15", "C16", "C17", "C18", "C19", "MPC19"},
     LegendFunction → "Frame", LegendLabel → "datasets"],
   PlotLabel → StringJoin["LOGPLOT Normalized Singular values for ",
     ToString[numSVD], "-ith SVD"], AxesLabel \rightarrow {"i", "Log[\lambda_i]"}]
 Print["And Adjusting the Singular Values so Max
    singular value of each SVD sample is 1, these plots become: "] \times
 Print[
  ListPlot[
   ToExpression[Join[
     Table[StringJoin["AdjMax", "C1",
        ToString[a], "num", ToString[numSVD]], {a, amin, amax}],
     {StringJoin["AdjMax", "MP1", ToString[9], "num", ToString[numSVD]]}
    11
   , PlotLegends → PointLegend[Automatic, {"C15", "C16", "C17", "C18", "C19", "MPC19"},
     LegendFunction → "Frame", LegendLabel → "datasets"],
   PlotLabel → StringJoin["AdjMax Singular values for ", ToString[numSVD], "-ith SVD"],
   AxesLabel \rightarrow {"i", "\lambda_i"}]
 ] ×
 Print[
  ListLogPlot[
   ToExpression[Join[
     Table[StringJoin["AdjMax", "C1",
        ToString[a], "num", ToString[numSVD]], {a, amin, amax}],
     {StringJoin["AdjMax", "MP1", ToString[9], "num", ToString[numSVD]]}
    ]]
   , PlotLegends → PointLegend[Automatic, {"C15", "C16", "C17", "C18", "C19", "MPC19"},
     LegendFunction → "Frame", LegendLabel → "datasets"],
   PlotLabel → StringJoin["LOGPLOT AdjMax Singular values for ",
     ToString[numSVD], "-ith SVD"], AxesLabel \rightarrow {"i", "Log[\lambda_i]"}]
 X
 Print[
, {numSVD, 2, 12}]
```

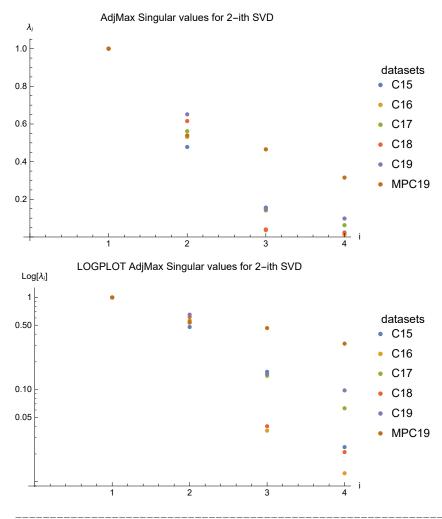
For the 2-th SVD, the Singular Values are:



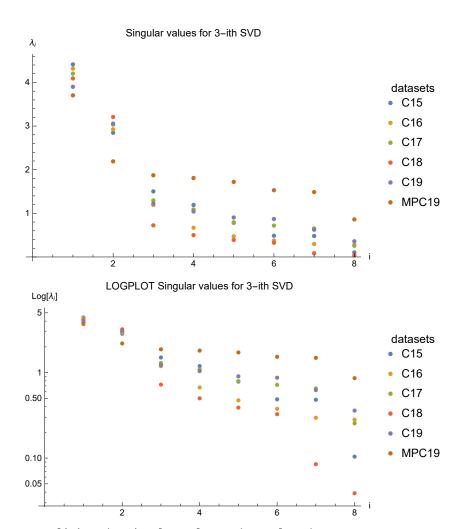
Normalizing the Singular Values, these plots become:



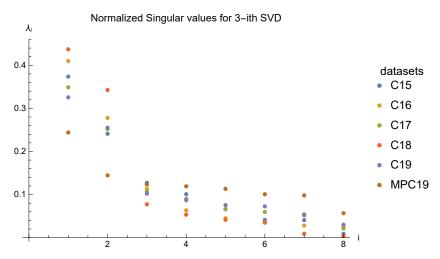


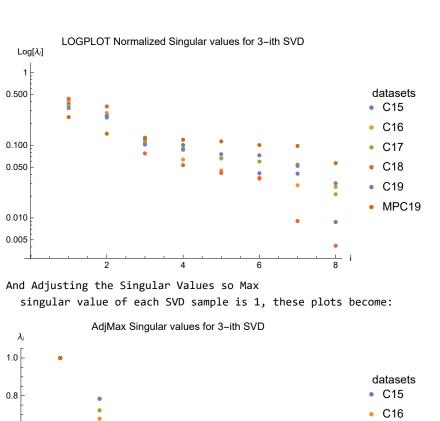


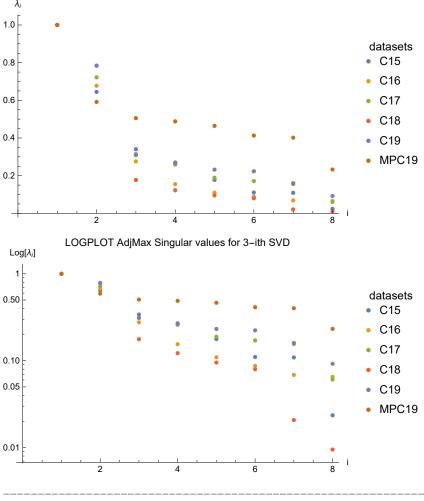
For the 3-th SVD, the Singular Values are:



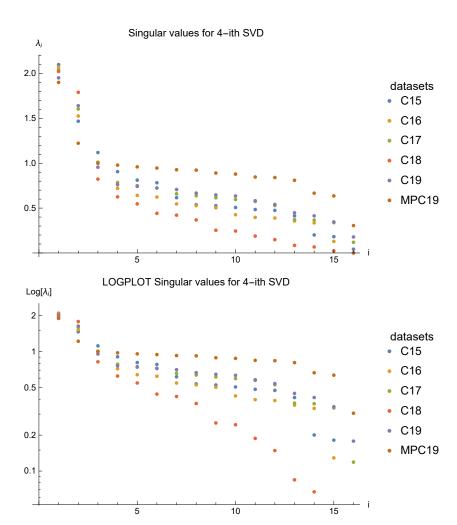
Normalizing the Singular Values, these plots become:



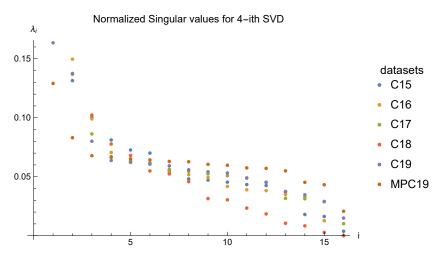


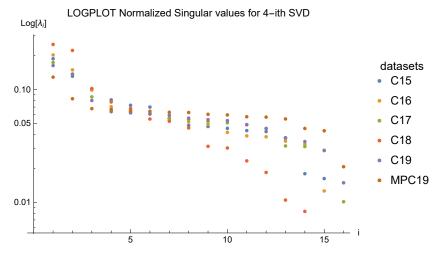


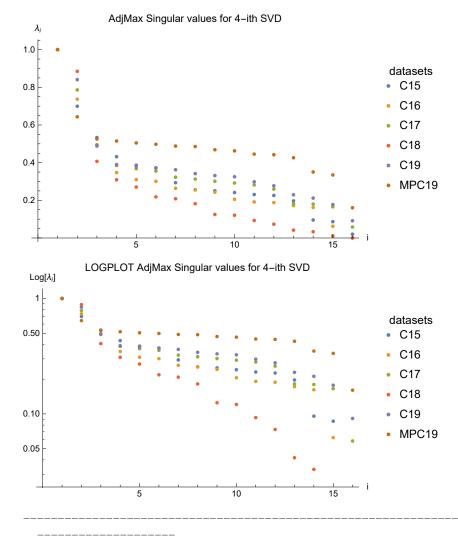
For the 4-th SVD, the Singular Values are:



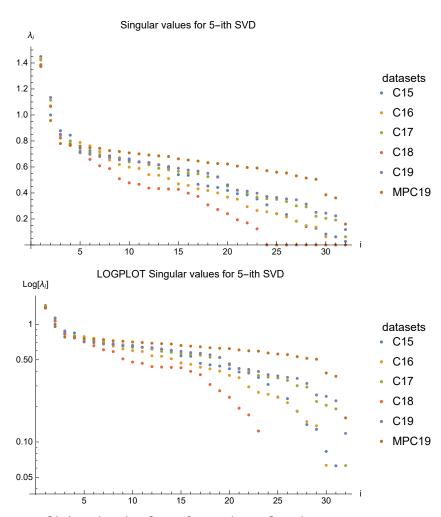
Normalizing the Singular Values, these plots become:



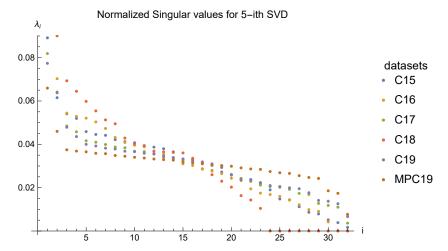


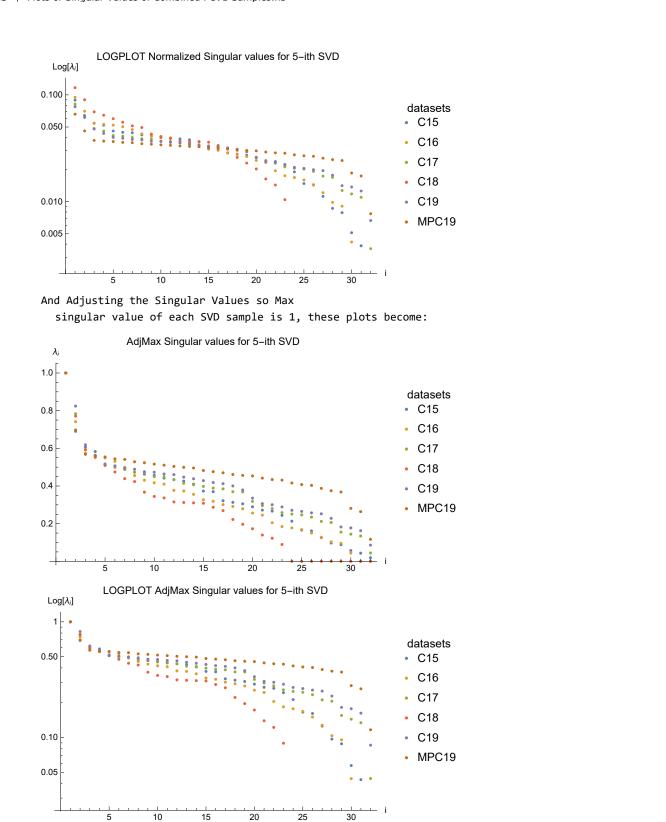


For the 5-th SVD, the Singular Values are:

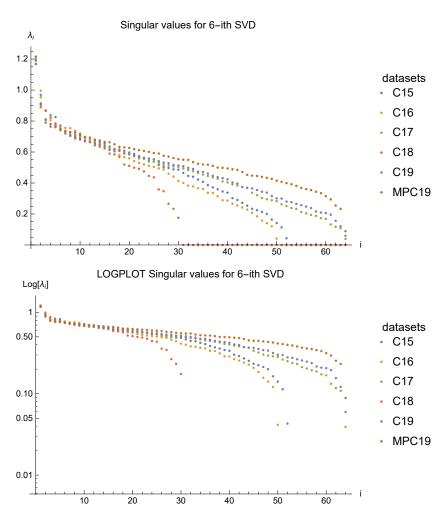


Normalizing the Singular Values, these plots become:

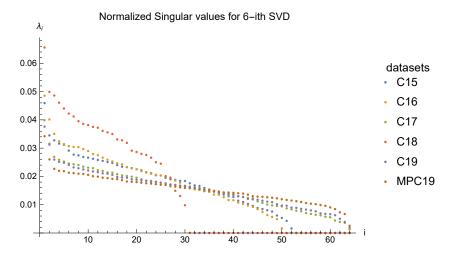


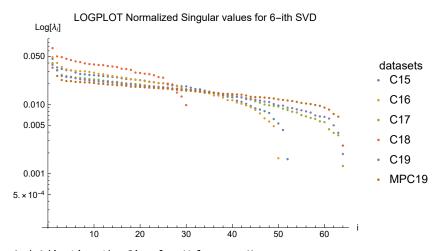


For the 6-th SVD, the Singular Values are:

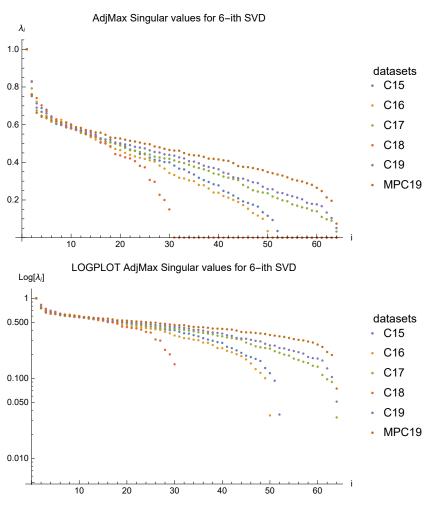


Normalizing the Singular Values, these plots become:

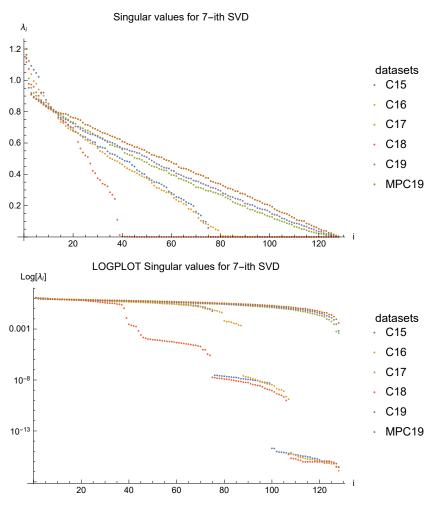




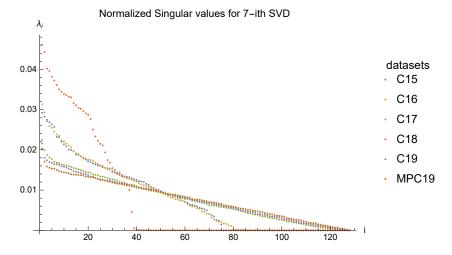
And Adjusting the Singular Values so Max singular value of each SVD sample is 1, these plots become:

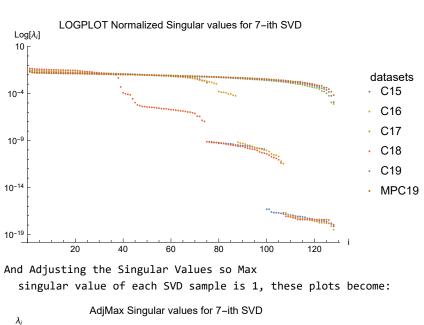


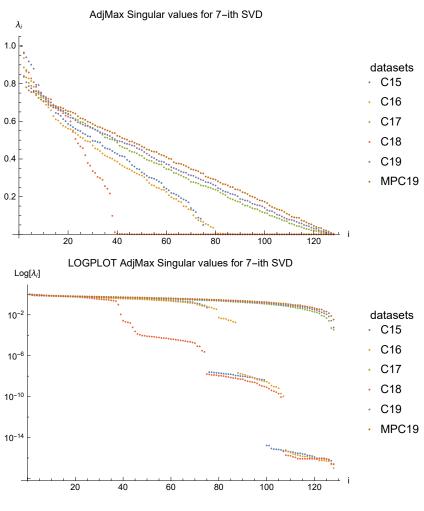
For the 7-th SVD, the Singular Values are:



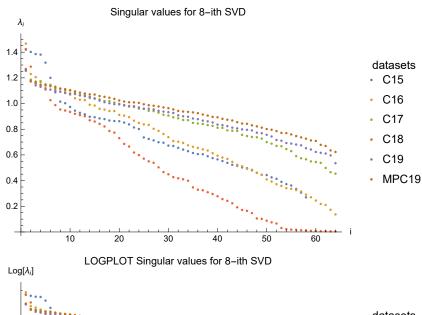
Normalizing the Singular Values, these plots become:

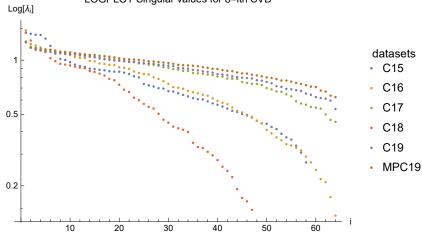




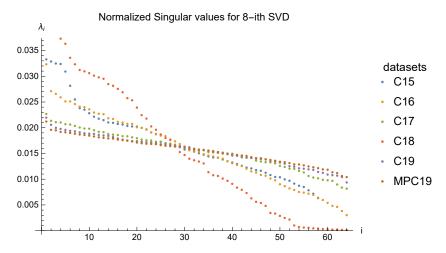


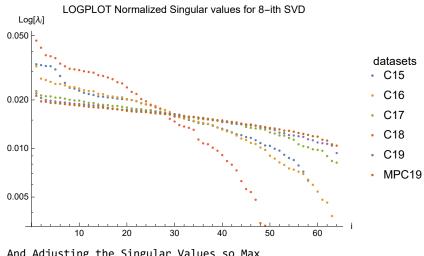
For the 8-th SVD, the Singular Values are:

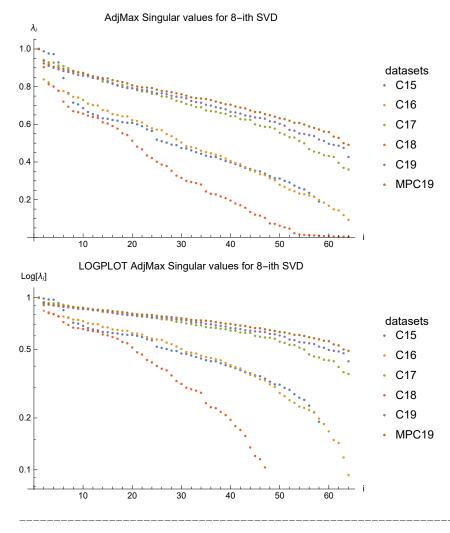




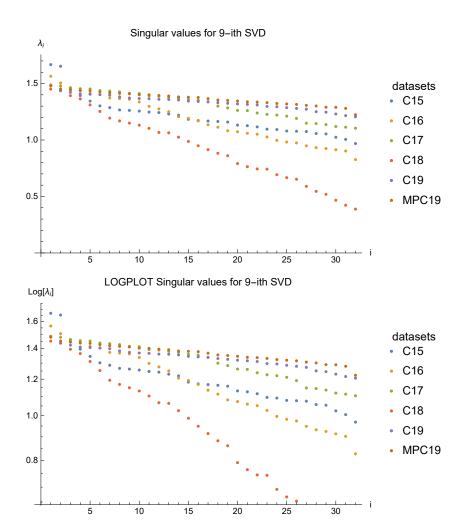
Normalizing the Singular Values, these plots become:



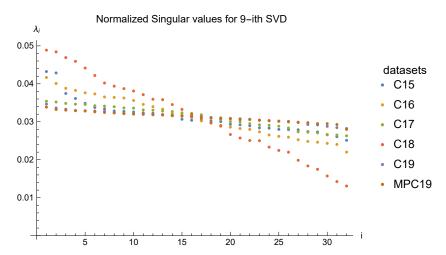


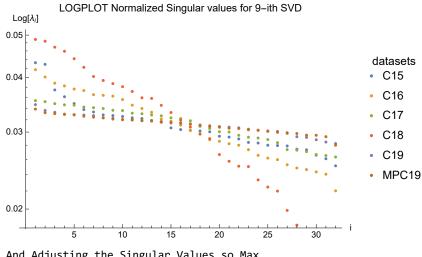


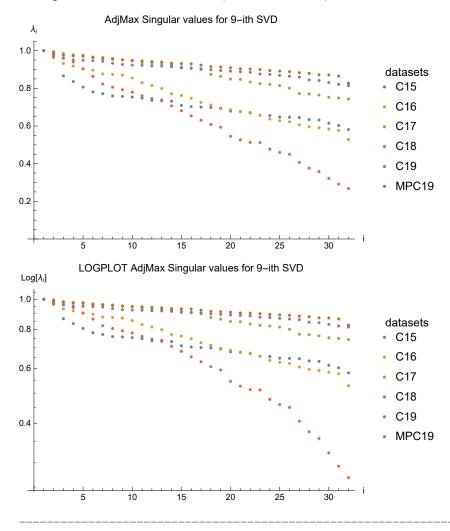
For the 9-th SVD, the Singular Values are:



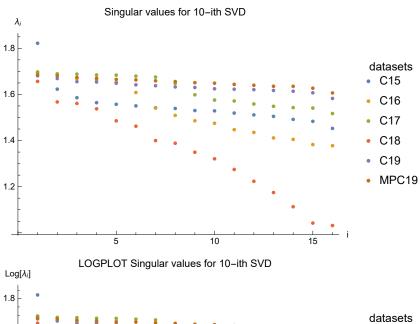
Normalizing the Singular Values, these plots become:

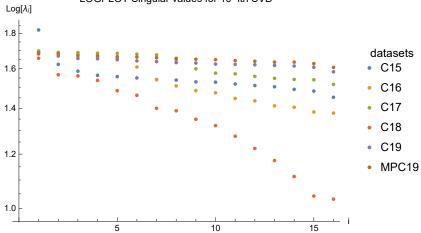




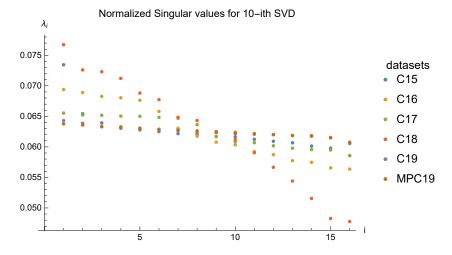


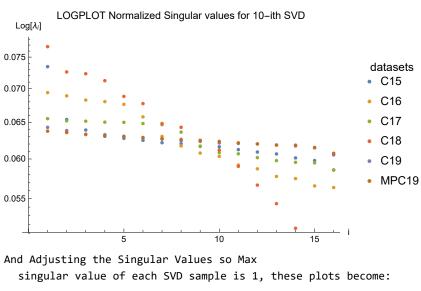
For the 10-th SVD, the Singular Values are:

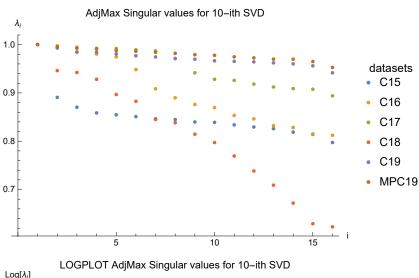


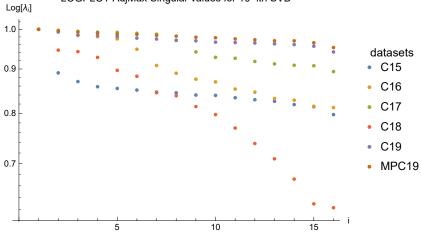


Normalizing the Singular Values, these plots become:

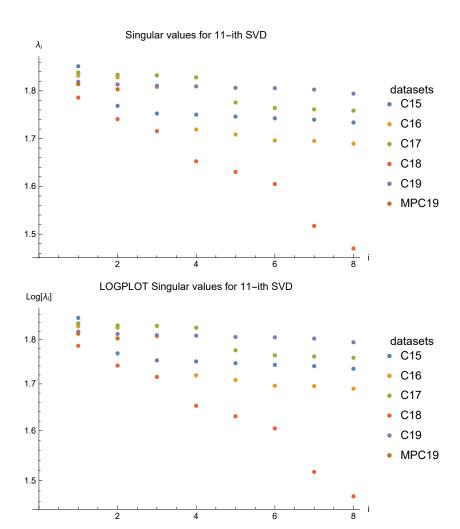




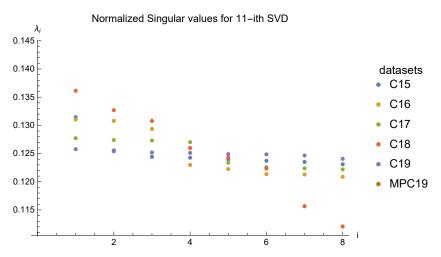


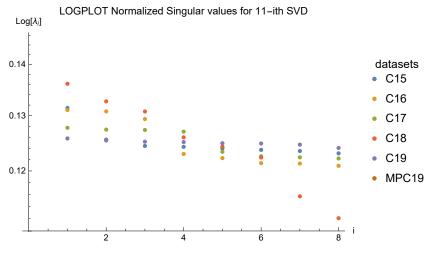


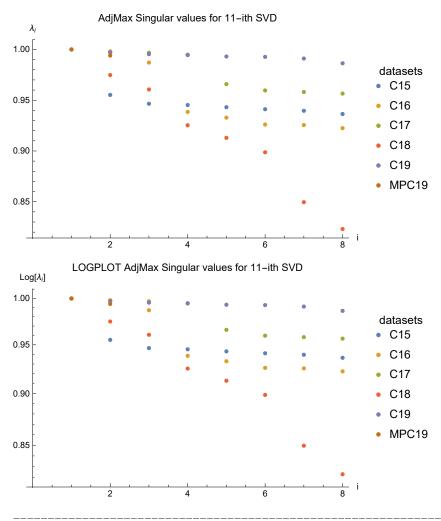
For the 11-th SVD, the Singular Values are:



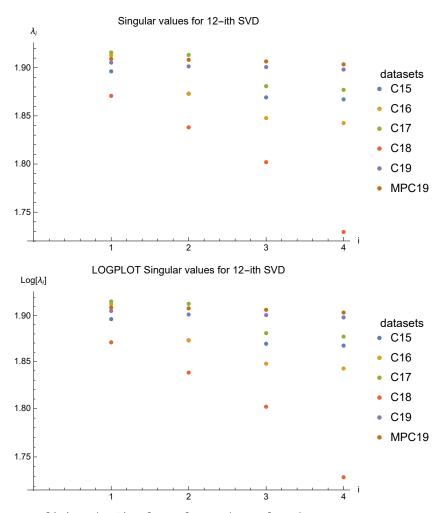
Normalizing the Singular Values, these plots become:



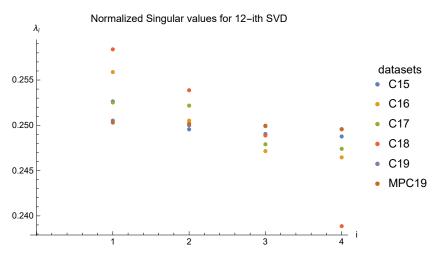


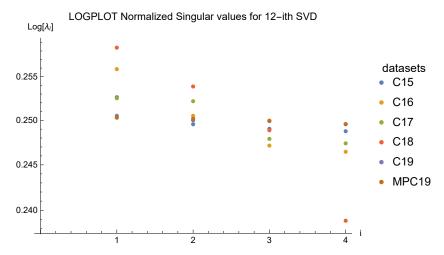


For the 12-th SVD, the Singular Values are:



Normalizing the Singular Values, these plots become:





And Adjusting the Singular Values so Max singular value of each SVD sample is 1, these plots become:

