

- Camera flashes
- Lasers
- Back-up power supplies

Capacitance

Capacitors 1 - structure, use and energy

SHOULD (B)

Understand the unit of capacitance and how to calculate capacitance for a capacitor

Capacitance (C) is the amount of charge stored per unit of potential difference.

$$C = \frac{Q}{V}$$
 Unit of capacitance: Farad

1F is very large; commonly use pF, nF or μF



- (a) A capacitor of capacitance 5 μF is connected to a 6 V supply. What charge is stored in the capacitor?
- (b) A 400 pF capacitor carries a charge of 2.5 x 10<sup>-8</sup> C. What is the potential difference across the plates of the capacitor?

Extension: When a capacitor is charging, what would a charge/time graph look like? Would it be a straight line? Justify your answer.

(a) 
$$Q = CV = 5 \times 10^{-6} \times 6 = 30 \times 10^{-6} = 30 \mu C$$
  
(b)  $V = Q/C = 2.5 \times 10^{-8} / 400 \times 10^{-12} = 62.5 V$ 

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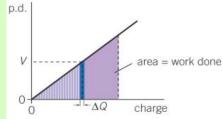
**COULD (A/A\*)** Calculate the energy stored in a capacitor

During the process of charging a capacitor, electrons are added to one plate (which becomes increasingly negative) and removed from another plate (which becomes increasingly positive).

Electrons are repelled by negative charges, and attracted by positive ones. Therefore, to add them to a negative plate or remove them from a positive one requires work to be done. Because work is done on the electrons, energy is stored in the capacitor.

E = QV, so for a change of  $\Delta Q$  the extra energy stored would be  $\Delta QV$ .

As Q changes, V changes; but the total work done will always be the area under the graph.



The Q-V graph for a capacitor is a straight line; the area underneath it, which is the energy stored, is  $\frac{1}{2}QV$ 

Can you use C = Q/V to derive two other expressions for energy stored?



