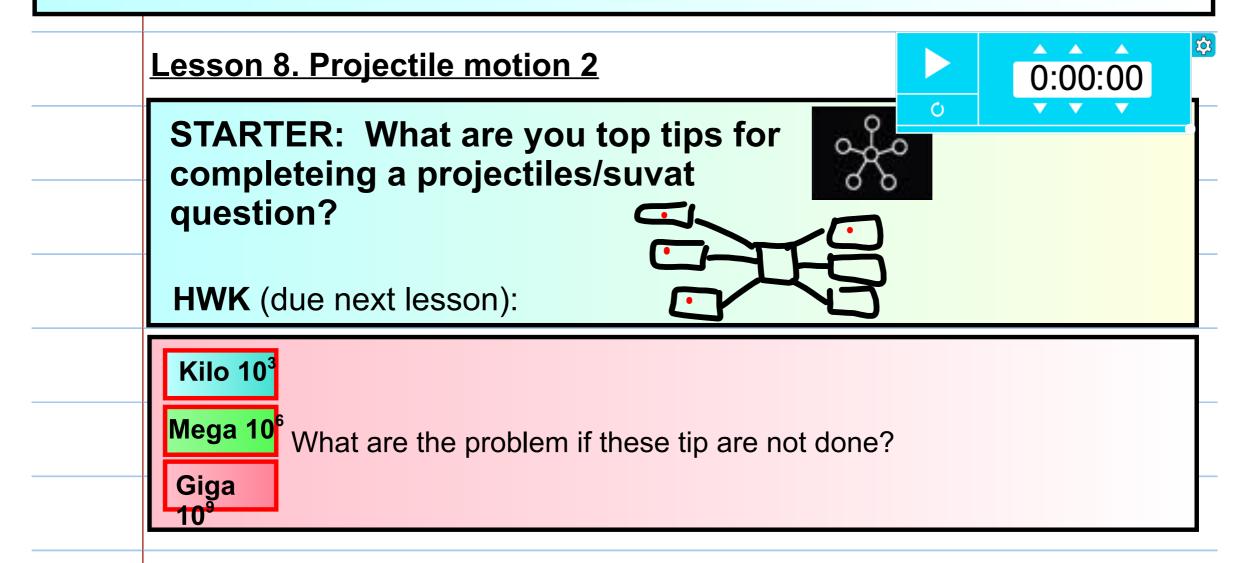
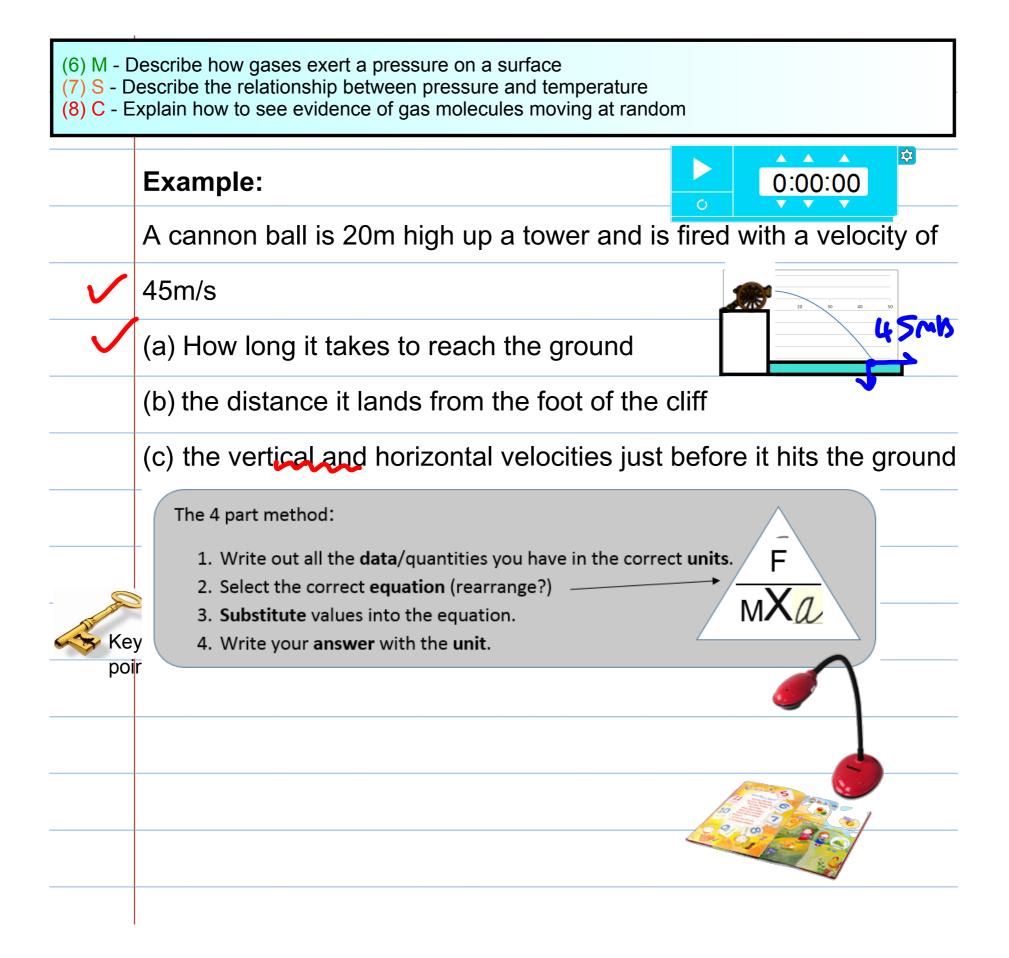
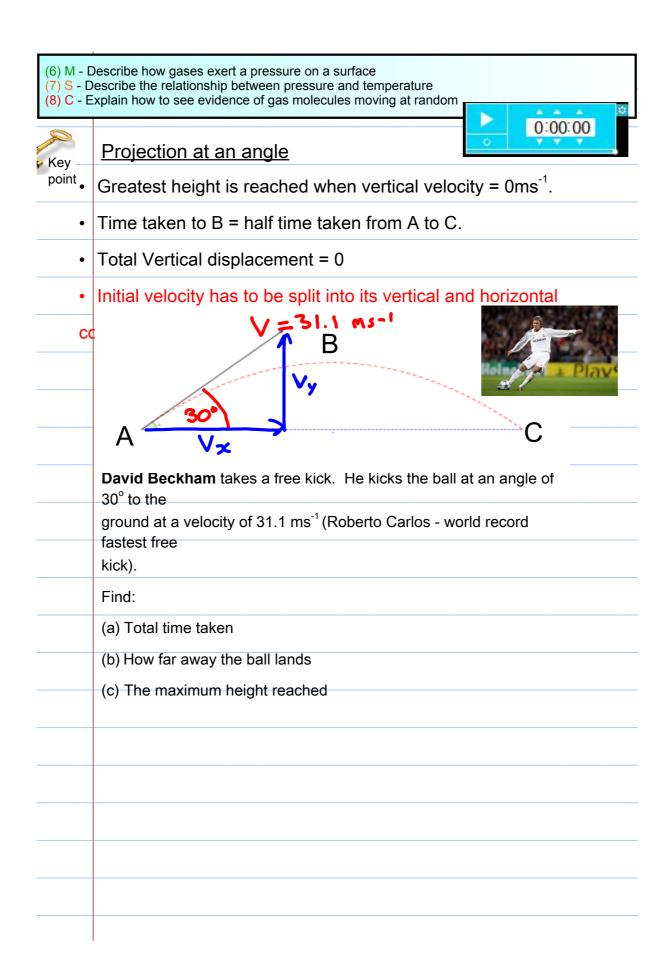


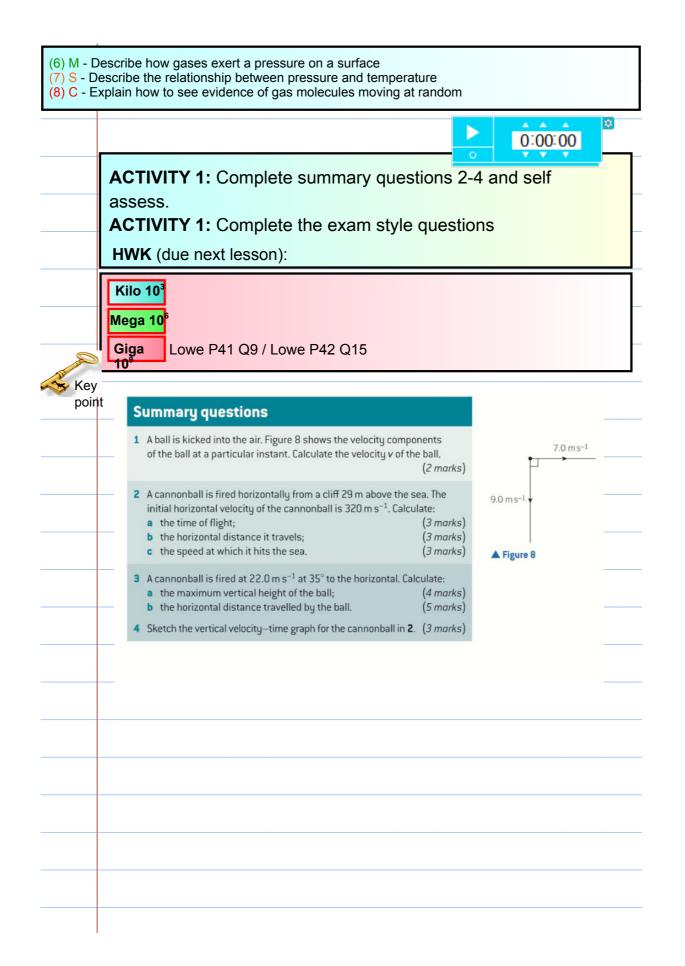
- (7) S Apply equations of motion to situations involving half parabolas
- (8) C Apply equations of motion to situations involving objects with v at an angle

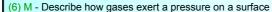












- (7) S Describe the relationship between pressure and temperature
- (8) C Explain how to see evidence of gas molecules moving at random



A golfer is about to hit a golf ball from a tee to a hole on the green. The tee and the green are at the same level, as shown in Figure 4.

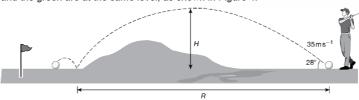


Figure 4

The golfer would like the ball to land on the front edge of the green, and selects a club that will project the ball at 28° to the horizontal. The ball is hit so that it is projected from the face of the club with a speed of 35 m s⁻¹ Air resistance is negligible. Calculate:

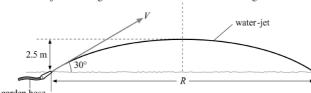
i the horizontal distance, R, travelled by the ball before first landing on the green

Mega 10⁵ the maximum height, *H*, reached by the ball above the level of the tee.

Giga 10°



10 The trajectory of a water-jet from a garden hose is as shown in the diagram.



You may assume that air resistance has a negligible effect on the motion of the water-jet. Use the information provided above to determine the speed V of the water emerging from the pipe [6]

10 Vertically for motion from the hose to the highest point
$$\Rightarrow$$

 $u = V \sin 30^{\circ}$ $s = 2.5 \text{ m}$ $a = -9.81 \text{ m s}^{-2}$ $v = 0$ [1] $v^{2} = u^{2} + 2as$

$$0 = (V \sin 30^{\circ})^{2} - (2 \times 9.81 \times 2.5)$$

 $(0.5V)^2 = 2 \times 9.81 \times 2.5$

$$V = \sqrt{\frac{2 \times 9.81 \times 2.5}{0.5^2}} \approx 14 \,\mathrm{m \, s^{-1}}$$
 [1]

Vertically for motion from the hose back down to the ground ⇒

$$u = 14 \sin 30^{\circ} = 7.0 \text{ m s}^{-1}$$
 $v = -7.0 \text{ m s}^{-1}$ $a = -9.81 \text{ m s}^{-2}$ $t = ?$

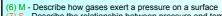
v = u + at where t =total time of flight

$$t = \frac{-7.0 - 7.0}{-9.81} = 1.43$$
 [1]

Horizontally \Rightarrow

range =
$$(V \cos 30^\circ)t = 14 \cos 30^\circ \times 1.43$$
 [1]

range =
$$17.3 \text{ m} \approx 17 \text{ m}$$
 [1] -



- 6 Describe the relationship between pressure and temperature
- (8) C Explain how to see evidence of gas molecules moving at random



5 A ski jumper skis down a runway and projects himself into the air, landing on the ground a short time later. The mass of the ski jumper and his equipment is 80 kg. The diagram shows the skier just before he leaves the runway where his velocity is 20 m s⁻¹ in a horizontal direction.



- the skier. Calculate: i the horizontal distance travelled by the skier in 4.0 s
- ii the vertical fall of the skier in this 4.0 s
- iii the horizontal component of the skier's velocity immediately before he lands
- iv the vertical component of the skier's velocity immediately before he lands.
- **b** Name two forces that act on the skier when he is in the air.



[1]

[3]

[1]

OCR Physics AS (2821) January 2002

Kilo 103 Use the hint Mega 10 Use the hint

The horizontal velocity remains constant at 20 m s⁻¹. In the vertical direction, the initial velocity u is zero and the vertical motion is affected by the force of gravity. Hence, in the vertical direction, the acceleration is g.

- a i Distance = $20 \times 4.0 = 80 \,\mathrm{m}$
- ii $s = ut + \frac{1}{2}at^2$
- $s = 0 + \frac{1}{2} \times 9.81 \times 4.0^2$
- Vertical fall=78 m
- iii Horizontal component = 20 m s⁻¹
- iv v = u + at

$$v = 0 + (9.81 \times 4.0)$$

 $v = 39 \,\mathrm{m \, s^{-1}}$ b Any two from: air resistance, weight and lift.

- [1] [1] [2]

[1]

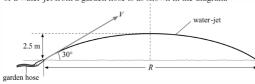
[1]

[1]

[1]



10 The trajectory of a water-jet from a garden hose is as shown in the diagram.



You may assume that air resistance has a negligible effect on the motion of the water-jet. Use the information provided above to determine the speed V of the water emerging from the pipe and the range R.

10 Vertically for motion from the hose to the highest point \Rightarrow

$$u = V \sin 30^{\circ}$$
 $s = 2.5 \text{ m}$ $a = -9.81 \text{ m s}^{-2}$ $v = 0$ [1]

$$v^2 = u^2 + 2as$$

$$0 = (V \sin 30^{\circ})^{2} - (2 \times 9.81 \times 2.5)$$
 [1]

 $(0.5V)^2 = 2 \times 9.81 \times 2.5$

$$V = \sqrt{\frac{2 \times 9.81 \times 2.5}{0.5^2}} \approx 14 \,\mathrm{m \, s^{-1}}$$
 [1]

Vertically for motion from the hose back down to the ground \Rightarrow

$$u = 14 \sin 30^{\circ} = 7.0 \text{ m s}^{-1}$$
 $v = -7.0 \text{ m s}^{-1}$ $a = -9.81 \text{ m s}^{-2}$ $t = ?$

v = u + at where t = total time of flight

$$t = \frac{-7.0 - 7.0}{-9.81} = 1.43 \text{ s}$$
 [1]

Horizontally ⇒

range =
$$(V \cos 30^\circ)t = 14 \cos 30^\circ \times 1.43$$
 [1]

range = 17.3 m
$$\approx$$
 17 m [1]

