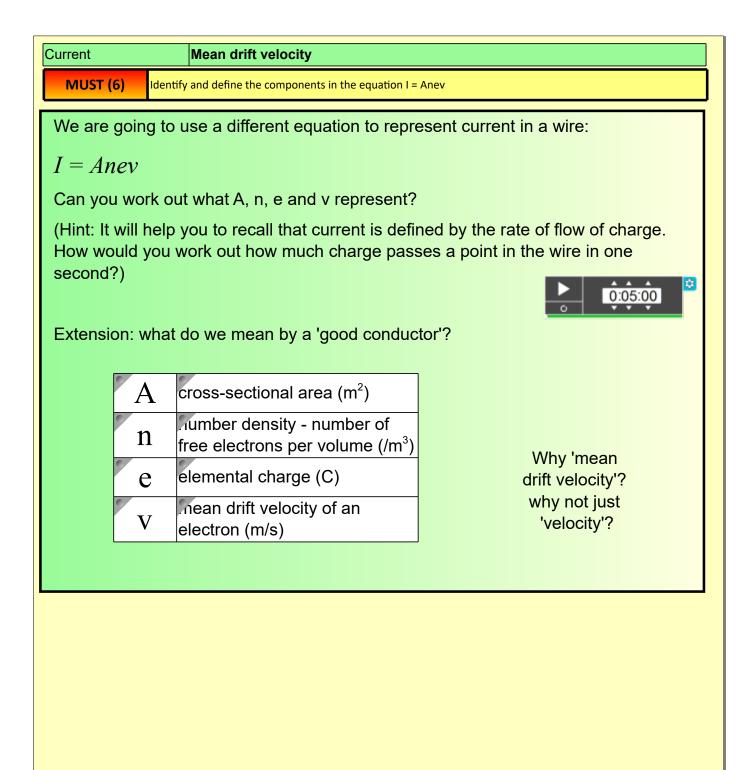
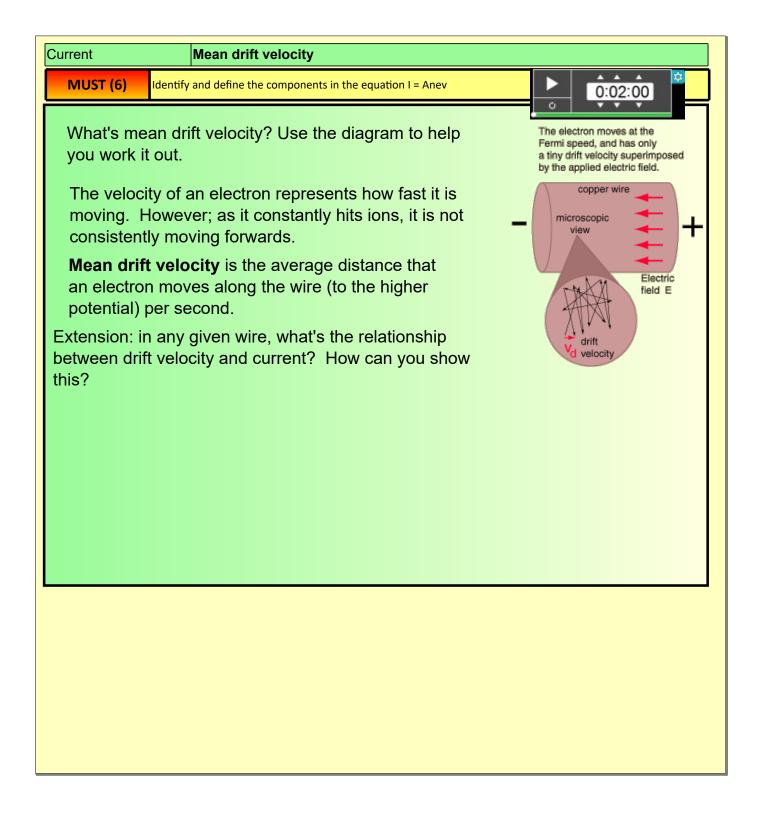
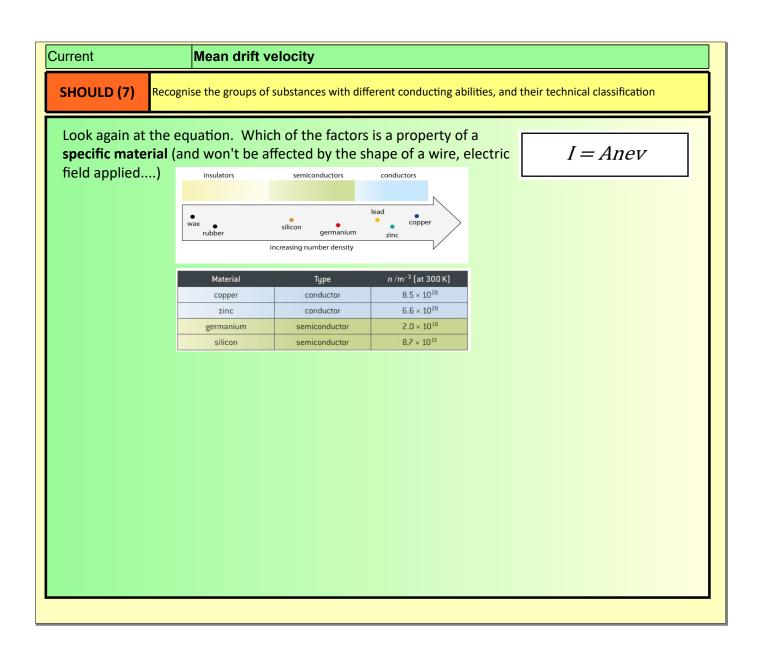
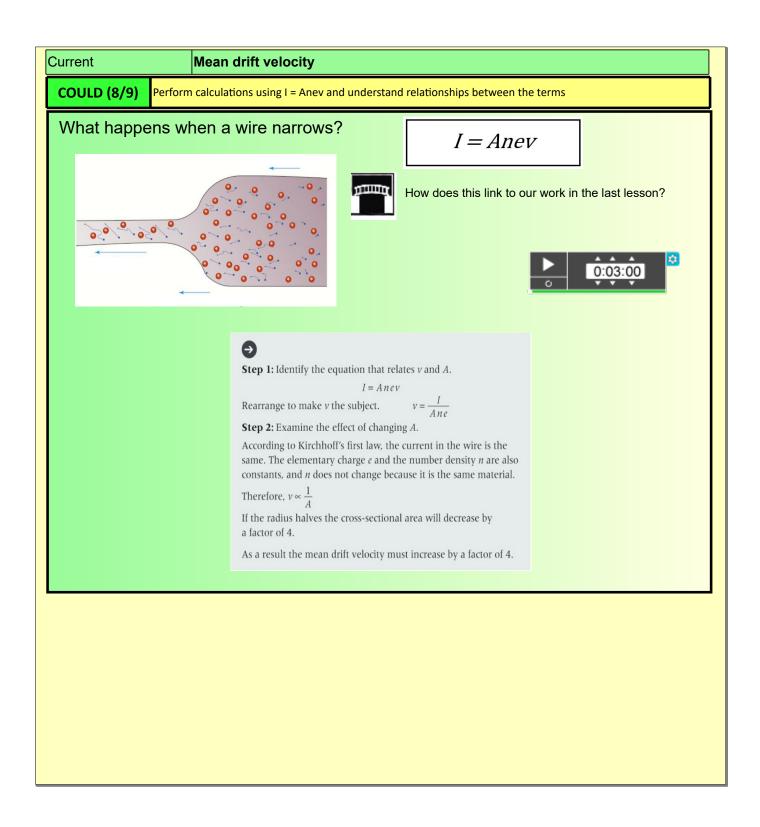
Current		Mean drift velocity				
Learning objectives	MUST (C)	Identify and define the components in the equation I = Anev				
	SHOULD (B)	Recognise the groups of substances with different conducting abilities, and their technical classification				
	COULD (A/A*)	Perform calculations using I = Anev and understand relationships between the terms				
Extension: A 1 cm strip of copper wire has been cut. It is not connected to anything. Are the delocalised (free) electrons inside it moving? If not, why not? If so, how are they moving?						









Current Mean drift velocity

COULD (8/9) Perform calculations using I = Anev and understand relationships between the terms

Now try the problems at the end of section 8.4. Omit question 1.

[1]

2
$$I = A \ n \ e \ v \ \text{and} \ n \ \text{for copper} = 8.5 \times 10^{28} \, \text{m}^{-3}$$
 [1]

$$I = 5.50 \times 10^{-8} \times 8.5 \times 10^{28} \times 10^{10}$$

$$1.60 \times 10^{-19} \times 2.0 \times 10^{-3}$$
 [1]

$$I = 1.5 \text{ A } (2 \text{ s.f.})$$
 [1]

3
$$I = A \ n \ e \ v$$
 therefore $v = \frac{I}{A \ n \ e}$ [1]

$$v = \frac{500 \times 10^{-3}}{7.10 \times 10^{-6} \times 5.86 \times 10^{28} \times 1.60 \times 10^{-19}}$$
 [1]

$$v = 7.51 \times 10^{-6} \,\mathrm{m \, s^{-1}} \,(3 \,\mathrm{s.f.})$$
 [1]

4 a From
$$v = \frac{I}{A n e}$$
 it follows that $v \propto \frac{1}{A}$ [1]

Therefore, if the cross-sectional area increases, the mean drift velocity decreases.

b From
$$v = \frac{I}{A n e}$$
 it follows that $v \propto \frac{1}{n}$. [1]

As copper has a higher *n* than zinc, *n* increases, so the mean drift velocity decreases. [1]

c From
$$v = \frac{I}{A n e}$$
 it follows that $v \propto \frac{1}{A}$. [1].

As $A = \pi r^2$, if r decreases by a factor of 3, A will decrease by a factor of 9 (3²). [1]

As A decreases by a factor of 9, the mean drift velocity must increase by a factor of 9. [1]

5
$$I = A n e v$$
; therefore, $v = \frac{I}{A n e}$ [1]

$$A = \pi r^2$$
; therefore, $A = \pi \times \left(\frac{1.0 \times 10^{-3}}{2}\right)^2$ [1]

$$= 7.85... \times 10^{-7} \text{ m}^2$$

$$v = \frac{I}{A \ n \ e} = \frac{3.0 \times 10^{-3}}{7.85... \times 10^{-7} \times 6.6 \times 10^{28} \times 1.60 \times 10^{-19}}$$

$$v = 3.6 \times 10^{-7} \text{ ms}^{-1} \text{ (2 s.f.)}$$
 [1]

6
$$I = A \ n \ e \ v$$
; therefore, $n = \frac{I}{A \ v \ e}$ [1]

$$n = \frac{I}{A \ v \ e} = \frac{12 \times 10^{-3}}{8.2 \times 10^{-6} \times 72 \times 1.60 \times 10^{-19}}$$
[1]

$$n = 1.27... \times 10^{20}$$
 [1]

Giving a ratio of $\frac{1.27... \times 10^{20}}{8.5 \times 10^{28}}$ or 1.5×10^{-9} :

