# baselineCorr

Documentation of the baselineCorr function.

```
helpFun('baselineCorr')
Baseline correction of acceleration time history
 [COR_XG, COR_XGT, COR_XGTT] = BASELINECORR(T,XGTT)
 Description
    Linear baseline correction is performed for an uncorrected
     acceleration time history. Initially, first order fitting (straight
     line) is performed on the acceleration time history and the fitting
     line is subrtacted from the acceleration time history, giving thus
     the first correction. Afterwards, the first correction of the
     acceleration is integrated to obtain the velocity, and then first
     order fitting (straight line) is performed on this velocity time
     history. The gradient of the straight fitting line is then subtracted
     from the first correction of the acceleration time history, giving
     thus the second correction of the acceleration time history. The
     second correction of the acceleration time history is then integrated
     to give the corrected velocity and displacement time histories.
 Input parameters
     T [double(1:numsteps x 1)] is the time vector of the input
         acceleration time history XGTT. numsteps is the length of the
         input acceleration time history.
     XGTT [double(1:nstep x 1)]: column vector of the acceleration history
         of the excitation imposed at the base. nstep is the number of
         time steps of the dynamic response.
 Output parameters
     COR_XG [double(1:nstep x 1)]: time-history of displacement
     COR_XGT [double(1:nstep x 1)]: time-history of velocity
     COR_XGTT [double(1:nstep x 1)]: time-history of acceleration
 Example
     fid=fopen('elcentro.dat','r');
     text=textscan(fid,'%f %f');
     fclose(fid);
     time=text{1,1};
     xgtt1=9.81*text{1,2};
     dt=time(2)-time(1);
     xgt1 = cumtrapz(time,xgtt1);
     xg1 = cumtrapz(time,xgt1);
     [xg2, xgt2, xgtt2] = baselineCorr(time,xgtt1)
     figure()
     plot(time,xgtt1)
     hold on
     plot(time,xqtt2)
```

```
figure()
plot(time,xgt1)
hold on
plot(time,xgt2)
%
figure()
plot(time,xg1)
hold on
plot(time,xg2)
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```

#### Documentation of the BLKIN function.

```
helpFun('BLKIN')
```

Bilinear elastoplastic hysteretic model with elastic viscous damping

[F,K,C,K\_STATUS,D] = BLKIN(U,UT,K\_HI,K\_LO,UY,M,KSI,K\_STATUS,D)

#### Description

Define the internal force vector, tangent stiffness matrix and tangent damping matrix of a bilinear elastoplastic hysteretic structure with elastic damping as a function of displacement and velocity.

The MDOF structure modeled with this function consists of lumped masses connected with stiffness and damping elements in series. Each lumped mass has one degree of freedom. The first degree of freedom is at the top of the structure and the last at its fixed base. However, the last degree of freedom is not included in the input arguments of the function, i.e. not contained in ndof, as it is always fixed. The nonlinear stiffness is virtually of the bilinear type, where an initial stiffness and a post-yield stiffness are defined. The unloading or reloading curve of this model are parallel to the initial loading curve, and a hysteresis loop is created by continuously loading and unloading the structure above its yield limit. This behavior can be viewed as hardening of the kinematic type.

An appropriate reference for this function definition is Hughes, Pister & Taylor (1979): "Implicit-explicit finite elements in nonlinear transient analysis". This function should be defined in accordance with equations (3.1), (3.2) and (3.3) of this paper. This representation has as special cases nonlinear elasticity and a class of nonlinear "rate-type" viscoelastic materials. Tangent stiffness and tangent damping matrices are the "consistent" linearized operators associated to f in the sense of [Hughes & Pister, "Consistent linearization in mechanics of solids", Computers and Structures, 8 (1978) 391-397].

# Input parameters

- U [double(1  $\times$  1)] is the absolute displacement.
- UT  $[double(1 \times 1)]$  is the absolute velocity.
- K\_HI [double(1 x 1)] is the initial stiffness of the system before
   its first yield, i.e. the high stiffness.
- $K_LO$  [double(1 x 1)] is the post-yield stiffness of the system, i.e. the low stiffness.
- UY  $[double(1 \times 1)]$  is the yield limit of the structure. The structure is considered to yield, if the displacement exceeds uy(i).
- M [double(1  $\times$  1)] is the lumped mass.
- KSI [double(1  $\times$  1)] is the ratio of critical viscous damping of the system, assumed to be unique for all damping elements of the structure.
- $K\_STATUS$  [double(1 x 1)] is the is the stiffness vector which takes into account any plastic response of the structure. It is used to record the status of the structure so that it is known before the next application of this function at a next (time) step.

Initialize by setting K\_STATUS=K\_HI.

D [double(1 x 1)] is the is the equilibrium displacement vector which takes into account any plastic response of the structure. It is used to record the status of the structure so that it is known before the next application of this function at a next (time) step. Initialize by setting D=zeros(ndof,1).

### Output parameters

- F [double(1  $\times$  1)] is the internal force vector of the structure (sum of forces due to stiffness and damping) at displacement u and velocity ut
- K [double(1 x 1)] is the tangent stiffness matrix (nonlinear function of displacement u and velocity ut). It is equivalent to the derivative d(f)/d(u)
- C [double(1 x 1)] is the tangent damping matrix (nonlinear function of displacement u and velocity ut). It is equivalent to the derivative d(f)/d(u)
- $K\_STATUS$  [double(1 x 1)] is the is the stiffness vector which takes into account any plastic response of the structure. It is used to record the status of the structure so that it is known before the next application of this function at a next (time) step.
- D [double(1  $\times$  1)] is the is the equilibrium displacement vector which takes into account any plastic response of the structure. It is used to record the status of the structure so that it is known before the next application of this function at a next (time) step.

```
Example
   %
   u=0:0.2:4;
   u=[u,u(end:-1:1)];
   u=[u,-u];
   u=[u u];
   ut=0.001*ones(1,numel(u));
   ut=[ut,-ut];
   ut=[ut,ut(end:-1:1)];
   ut=[ut ut];
   k_hi=1000;
    k_lo=1;
    %
    uy=2;
    M=1;
    ksi=0.05;
    k=k_hi;
    d=0;
    f=zeros(1,numel(u));
    for i=1:numel(u)
        [f(i),K,C,k,d] = BLKIN(u(i),ut(i),k_hi,k_lo,uy,M,ksi,k,d);
    end
    9
    figure()
    plot(u,f)
```

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# **CDReSp**

### Documentation of the CDReSp function.

```
helpFun('CDReSp')
 Constant Ductility Response Spectra (CDReSp)
 [PSA, PSV, SD, SV, SA, FYK, MUK, ITERK] = CDRESP(DT, XGTT, T, KSI, MU, N, TOL, REDF, DTTOL, ALGID, RINF)
 Description
     The constant ductility response spectra for a given time-history of
     constant time step, a given eigenperiod range, a given viscous
     damping ratio and a given ductility are computed. See section 7.5 in
     Chopra (2012).
 Input parameters
     DT [double(1 \times 1)] is the time step of the input acceleration time
         history XGTT.
     XGTT [double(1:numsteps x 1)] is the input acceleration time history.
         numsteps is the length of the input acceleration time history.
     T [double(1:numSDOFs x 1)] contains the values of eigenperiods for
         which the response spectra are requested. numSDOFs is the number
         of SDOF oscillators being analysed to produce the spectra.
     KSI [double(1 \times 1)] is the fraction of critical viscous damping.
     MU [double(1 \times 1)] is the target ductility for which the response
         spectra are calculated.
     N [double(1 \times 1)] is the maximum number of iterations that can be
         performed until convergence of the calculated ductility to the
         target ductility is achieved. Default value 50.
     TOL [double(1 \times 1)] is the tolerance for convergence for the target
         ductility. Default value 0.01.
     REDF [double(1 \times 1)] is the reduction factor of the lower bound of
         the range of the yield limit. The yield limit that corresponds to
         to ductility of the SDOF system equal to the target ductility is
         assumed to be in the range [maxU/REDF,maxU], where maxU is the
         maximum (absolute) displacement of the linear equivalent SDOF
         system. Increasing REDF reduces the lower limit increasing thus
         the available range. Default value 4.
     DTTOL [double(1 \times 1)] is the tolerance for resampling of the input
         acceleration time history. For a given eigenperiod T, resampling
         takes place if DT/T>dtTol. Default value 0.01.
     ALGID [char(1 \times inf)] is the algorithm to be used for the time
         integration. It can be one of the following strings for superior
         optimally designed algorithms:
             'generalized a-method': The generalized a-method (Chung &
             Hulbert, 1993)
             'HHT a-method': The Hilber-Hughes-Taylor method (Hilber,
             Hughes & Taylor, 1977)
             'WBZ': The Wood-Bossak-Zienkiewicz method (Wood, Bossak &
             Zienkiewicz, 1980)
             'U0-V0-Opt': Optimal numerical dissipation and dispersion
             zero order displacement zero order velocity algorithm
             'U0-V0-CA': Continuous acceleration (zero spurious root at
             the low frequency limit) zero order displacement zero order
```

velocity algorithm

```
the high frequency limit) zero order displacement zero order
            velocity algorithm
            'U0-V1-Opt': Optimal numerical dissipation and dispersion
            zero order displacement first order velocity algorithm
            'U0-V1-CA': Continuous acceleration (zero spurious root at
            the low frequency limit) zero order displacement first order
            velocity algorithm
            'U0-V1-DA': Discontinuous acceleration (zero spurious root at
            the high frequency limit) zero order displacement first order
            velocity algorithm
            'U1-V0-Opt': Optimal numerical dissipation and dispersion
            first order displacement zero order velocity algorithm
            'U1-V0-CA': Continuous acceleration (zero spurious root at
            the low frequency limit) first order displacement zero order
            velocity algorithm
            'U1-V0-DA': Discontinuous acceleration (zero spurious root at
            the high frequency limit) first order displacement zero order
            velocity algorithm
            'Newmark ACA': Newmark Average Constant Acceleration method
            'Newmark LA': Newmark Linear Acceleration method
            'Newmark BA': Newmark Backward Acceleration method
            'Fox-Goodwin': Fox-Goodwin formula
        Default value 'U0-V0-CA'.
   RINF [double(1 \times 1)] is the minimum absolute value of the eigenvalues
        of the amplification matrix. For the amplification matrix see
        eq.(61) in Zhou & Tamma (2004). Default value 0.
Output parameters
   PSA [double(1:numSDOFs x 1)] is the Pseudo-Spectral Acceleration.
   PSV [double(1:numSDOFs x 1)] is the Pseudo-Spectral Velocity.
   SD [double(1:numSDOFs x 1)] is the Spectral Displacement.
   SV [double(1:numSDOFs x 1)] is the Spectral Velocity.
   SA [double(1:numSDOFs x 1)] is the Spectral Acceleration.
   FYK [double(1:numSDOFs x 1)] is the yield limit that each SDOF must
       have in order to attain ductility equal to muK.
   MUK [double(1:numSDOFs x 1)] is the achieved ductility for each
       period (each SDOF).
   ITERK [double(1:numSDOFs x 1)] is the number of iterations needed for
        convergence for each period (each SDOF).
Example
   %
   dt = 0.02;
   N=10;
   a=rand(N,1)-0.5;
   b=100*pi*rand(N,1);
   c=pi*(rand(N,1)-0.5);
   t=(0:dt:(100*dt))';
   xgtt=zeros(size(t));
   for i=1:N
       xgtt=xgtt+a(i)*sin(b(i)*t+c(i));
   end
   T = (0.04 : 0.04 : 4)';
   ksi=0.05;
```

mu=2;

'U0-V0-DA': Discontinuous acceleration (zero spurious root at

```
n=50;
%
tol=0.01;
%
redf=4;
%
dtTol=0.02;
%
AlgID='U0-V0-Opt';
%
rinf=1;
%
[CDPSa,CDPSv,CDSd,CDSv,CDSa,fyK,muK,iterK]=CDReSp(dt,xgtt,T,ksi,...
mu,n,tol,redf,dtTol,AlgID,rinf);
%
plot(T,CDSd)

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```

# **DRHA**

#### Documentation of the DRHA function.

```
helpFun('DRHA')
Dynamic Response History Analysis (DRHA) of a SDOF system
 [U,V,A,F,ES,ED] = DRHA(K,M,DT,XGTT,KSI,U0,UT0,RINF)
 Description
     Determine the time history of structural response of a SDOF system
 Input parameters
     K [double(1 \times 1)] is the stiffness of the system.
     M [double(1 \times 1)] is the lumped masses of the structure.
     DT [double(1 x 1)] is the time step of the response history analysis
         from which the response spectrum is calculated
     XGTT [double(1:nstep x 1)]: column vector of the acceleration history
         of the excitation imposed at the base. nstep is the number of
         time steps of the dynamic response.
     KSI [double(1 x 1)] is the ratio of critical damping of the SDOF
         system. Default value 0.05.
     U0 [double(1 \times 1)] is the initial displacement of the SDOF system.
         Default value 0.
     UTO [double(1 \times 1)] is the initial velocity of the SDOF system.
         Default value 0.
     RINF [double(1 x 1)] is the minimum absolute value of the eigenvalues
         of the amplification matrix. For the amplification matrix see
         eq.(61) in Zhou & Tamma (2004). Default value 1.
 Output parameters
     U [double(1 x 1:nstep)]: displacement time history.
     V [double(1 x 1:nstep)]: velocity time history.
     A [double(1 x 1:nstep)]: acceleration time history.
     F [double(1 x 1:nstep)]: equivalent static force time history.
     ES [double(1 x 1:nstep)]: time-history of the recoverable
         strain energy of the system (total and not incremental).
     ED [double(1 x 1:nstep)]: time-history of the energy
         dissipated by viscoelastic damping during each time step
         (incremental). cumsum(Ed) gives the time history of the total
         energy dissipated at dof i from the start of the dynamic
         analysis.
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```

# **FASp**

### Documentation of the FASp function.

```
helpFun('FASp')
Single sided Fourier amplitude spectrum
 [F,U] = FASP(DT,XGTT)
Description
     Fourier amplitude spectrum of an earthquake.
 Input parameters
     DT [double(1 \times 1)] is the time step of the input acceleration time
        history XGTT.
     XGTT [double(1:numsteps x 1)] is the input acceleration time history.
         numsteps is the length of the input acceleration time history.
 Output parameters
     F [double(1:2^(nextpow2(length(XGTT))-1) x 1)] is the frequency range in
         which the Fourier amplitudes are calculated.
     U [double(1:2^(nextpow2(length(XGTT))-1) x 1)] contains the Fourier amplitudes
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```

# HalfStep

Documentation of the HalfStep function.

helpFun('HalfStep')

```
Reproduce signal with half time step

UNEW = HALFSTEP(U)

Input parameters
        U [double(1:n x 1)] is the input signal with time step dt.

Output parameters
        UNEW [double(1:n x 1)] is the output signal with time step dt/2.

Verification:
        %
        u=0.2:0.2:4;
        %
        uNew=HalfStep(u);
        %
        figure()
        plot((1:numel(u)),u)
        hold on
        plot((1:0.5:numel(u)),uNew)
```

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# **LEReSp**

#### Documentation of the LEReSp function.

```
helpFun('LEReSp')
Fast calculation of Linear Elastic Response Spectra (LEReSp) and
pseudospectra.
 [PSA, PSV, SD, SV, SA, SIEVABS, SIEVREL] = LERESP(DT, XGTT, T, KSI)
Description
     The linear elastic response spectra for a given time-history of
     constant time step, a given eigenperiod range and a given viscous
     damping ratio are computed.
 Input parameters
     DT [double(1 \times 1)] is the time step of the input acceleration time
         history XGTT.
     XGTT [double(1:numsteps x 1)] is the input acceleration time history.
         numsteps is the length of the input acceleration time history.
     T [double(1:numSDOFs x 1)] contains the values of eigenperiods for
         which the response spectra are requested. numSDOFs is the number
         of SDOF oscillators being analysed to produce the spectra.
     KSI [double(1 \times 1)] is the fraction of critical viscous damping.
     DTTOL [double(1 \times 1)] is the maximum ratio of the integration time
         step to the eigenperiod. Default value 0.01.
     ALGID [char(1 x :inf)] is the algorithm to be used for the time
         integration. It can be one of the following strings for superior
         optimally designed algorithms:
             'generalized a-method': The generalized a-method (Chung &
             Hulbert, 1993)
             'HHT a-method': The Hilber-Hughes-Taylor method (Hilber,
             Hughes & Taylor, 1977)
             'WBZ': The Wood-Bossak-Zienkiewicz method (Wood, Bossak &
             Zienkiewicz, 1980)
             'U0-V0-Opt': Optimal numerical dissipation and dispersion
             zero order displacement zero order velocity algorithm
             'U0-V0-CA': Continuous acceleration (zero spurious root at
             the low frequency limit) zero order displacement zero order
             velocity algorithm
             'U0-V0-DA': Discontinuous acceleration (zero spurious root at
             the high frequency limit) zero order displacement zero order
             velocity algorithm
             'U0-V1-Opt': Optimal numerical dissipation and dispersion
             zero order displacement first order velocity algorithm
             'U0-V1-CA': Continuous acceleration (zero spurious root at
             the low frequency limit) zero order displacement first order
             velocity algorithm
             'U0-V1-DA': Discontinuous acceleration (zero spurious root at
             the high frequency limit) zero order displacement first order
             velocity algorithm
             'U1-V0-Opt': Optimal numerical dissipation and dispersion
             first order displacement zero order velocity algorithm
             'U1-V0-CA': Continuous acceleration (zero spurious root at
```

the low frequency limit) first order displacement zero order

```
velocity algorithm
            'U1-V0-DA': Discontinuous acceleration (zero spurious root at
            the high frequency limit) first order displacement zero order
            velocity algorithm
            'Newmark ACA': Newmark Average Constant Acceleration method
            'Newmark LA': Newmark Linear Acceleration method
            'Newmark BA': Newmark Backward Acceleration method
            'Fox-Goodwin': Fox-Goodwin formula
    RINF [double(1 \times 1)] is the minimum absolute value of the eigenvalues
        of the amplification matrix. For the amplification matrix see
        eq.(61) in Zhou & Tamma (2004).
Output parameters
    PSA [double(1:numSDOFs x 1)] is the Pseudo Acceleration Spectrum.
    PSV [double(1:numSDOFs x 1)] is the Pseudo Velocity Spectrum.
    SD [double(1:numSDOFs x 1)] is the Spectral Displacement.
    SV [double(1:numSDOFs x 1)] is the Spectral Velocity.
    SA [double(1:numSDOFs x 1)] is the Spectral Acceleration.
    SIEVABS [double(1:numSDOFs x 1)] is the equivalent absolute input
        energy velocity.
    SIEVREL [double(1:numSDOFs x 1)] is the equivalent relative input
        energy velocity.
Example
    2
    dt=0.02;
    %
   N=10;
   a=rand(N,1)-0.5;
   b=100*pi*rand(N,1);
    c=pi*(rand(N,1)-0.5);
    t=(0:dt:(100*dt))';
    xqtt=zeros(size(t));
    for i=1:N
        xgtt=xgtt+a(i)*sin(b(i)*t+c(i));
    end
    T=logspace(log10(0.02),log10(50),1000)';
    ksi=0.05;
    [PSa, PSv, Sd, Sv, Sa, SievABS, SievREL] = LEReSp(dt, xgtt, T, ksi);
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```

.....

# LIDA

#### Documentation of the LIDA function.

```
helpFun('LIDA')
Linear Implicit Dynamic Analysis (LIDA)
 [U,UT,UTT] = LIDA(DT,XGTT,OMEGA,KSI,U0,UT0,RINF)
 Description
     Linear implicit direct time integration of second order differential
     equation of motion of dynamic response of linear elastic SDOF systems
     The General Single Step Single Solve (GSSSS) family of algorithms
     published by X.Zhou & K.K.Tamma (2004) is employed for direct time
     integration of the general linear or nonlinear structural Single
     Degree of Freedom (SDOF) dynamic problem. The optimal numerical
     dissipation and dispersion zero order displacement zero order
     velocity algorithm designed according to the above journal article,
     is used in this routine. This algorithm encompasses the scope of
     Linear Multi-Step (LMS) methods and is limited by the Dahlquist
     barrier theorem (Dahlquist, 1963). The force - displacement - velocity
     relation of the SDOF structure is linear.
 Input parameters
     DT [double(1 \times 1)] is the time step
     XGTT [double(1:nstep x 1)] is the column vector of the acceleration
         history of the excitation imposed at the base. nstep is the
         number of time steps of the dynamic response.
     OMEGA [double(1 \times 1)] is the eigenfrequency of the structure in
         rad/sec.
     KSI [double(1 \times 1)] is the ratio of critical damping of the SDOF
         system. Default value 0.05.
     U0 [double(1 \times 1)] is the initial displacement of the SDOF system.
         Default value 0.
     UTO [double(1 \times 1)] is the initial velocity of the SDOF system.
         Default value 0.
     ALGID [char(1 \times inf)] is the algorithm to be used for the time
         integration. It can be one of the following strings for superior
         optimally designed algorithms:
             'generalized a-method': The generalized a-method (Chung &
             Hulbert, 1993)
             'HHT a-method': The Hilber-Hughes-Taylor method (Hilber,
             Hughes & Taylor, 1977)
             'WBZ': The Wood-Bossak-Zienkiewicz method (Wood, Bossak &
             Zienkiewicz, 1980)
             'U0-V0-Opt': Optimal numerical dissipation and dispersion
             zero order displacement zero order velocity algorithm
             'U0-V0-CA': Continuous acceleration (zero spurious root at
             the low frequency limit) zero order displacement zero order
             velocity algorithm
             'U0-V0-DA': Discontinuous acceleration (zero spurious root at
             the high frequency limit) zero order displacement zero order
```

'U0-V1-Opt': Optimal numerical dissipation and dispersion zero order displacement first order velocity algorithm

velocity algorithm

```
'U0-V1-CA': Continuous acceleration (zero spurious root at
            the low frequency limit) zero order displacement first order
            velocity algorithm
            'U0-V1-DA': Discontinuous acceleration (zero spurious root at
            the high frequency limit) zero order displacement first order
            velocity algorithm
            'U1-V0-Opt': Optimal numerical dissipation and dispersion
            first order displacement zero order velocity algorithm
            'U1-V0-CA': Continuous acceleration (zero spurious root at
            the low frequency limit) first order displacement zero order
            velocity algorithm
            'U1-V0-DA': Discontinuous acceleration (zero spurious root at
            the high frequency limit) first order displacement zero order
            velocity algorithm
            'Newmark ACA': Newmark Average Constant Acceleration method
            'Newmark LA': Newmark Linear Acceleration method
            'Newmark BA': Newmark Backward Acceleration method
            'Fox-Goodwin': Fox-Goodwin formula
   RINF [double(1 \times 1)] is the minimum absolute value of the eigenvalues
        of the amplification matrix. For the amplification matrix see
        eq.(61) in Zhou & Tamma (2004). Default value 1.
Output parameters
   U [double(1:nstep x 1)] is the time-history of displacement
   UT [double(1:nstep x 1)] is the time-history of velocity
   UTT [double(1:nstep x 1)] is the time-history of acceleration
Example (Figure 6.6.1 in Chopra, Tn=1sec)
   dt=0.02;
   fid=fopen('elcentro.dat','r');
   text=textscan(fid,'%f %f');
   fclose(fid);
   xgtt=9.81*text{1,2};
   Tn=1;
   omega=2*pi/Tn;
   ksi=0.02;
   u0=0;
   ut0=0;
   rinf=1;
   [u,ut,utt] = LIDA(dt,xgtt,omega,ksi,u0,ut0,rinf);
   D=max(abs(u))/0.0254
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```

.....

## **NLIDABLKIN**

#### Documentation of the NLIDABLKIN function.

```
helpFun('NLIDABLKIN')
```

Non Linear Implicit Dynamic Analysis of a bilinear kinematic hardening hysteretic structure with elastic damping

[U,UT,UTT,FS,EY,ES,ED,JITER] = NLIDABLKIN(DT,XGTT,M,K\_HI,K\_LO,UY,KSI,...
ALGID,U0,UT0,RINF,MAXTOL,JMAX,DAK)

#### Description

General linear implicit direct time integration of second order differential equations of a bilinear elastoplastic hysteretic SDOF dynamic system with elastic damping, with lumped mass. The General Single Step Single Solve (GSSSS) family of algorithms published by X.Zhou & K.K.Tamma (2004) is employed for direct time integration of the general linear or nonlinear structural Single Degree of Freedom (SDOF) dynamic problem. Selection among 9 algorithms, all designed according to the above journal article, can be made in this routine. These algorithms encompass the scope of Linear Multi-Step (LMS) methods and are limited by the Dahlquist barrier theorem (Dahlquist,1963).

#### Input parameters

- DT [double(1 x 1)] is the time step of the integration XGTT [double(1:NumSteps x 1)] is the acceleration time history which is imposed at the lumped mass of the SDOF structure.
- M [double(1  $\times$  1)] is the lumped masses of the structure. Define the lumped masses from the top to the bottom, excluding the fixed dof at the base
- $K_{HI}$  [double(1 x 1)] is the initial stiffness of the system before its first yield, i.e. the high stiffness. Give the stiffness of each storey from top to bottom.
- K\_LO [double(1 x 1)] is the post-yield stiffness of the system, i.e. the low stiffness. Give the stiffness of each storey from top to bottom.
- UY  $[double(1 \times 1)]$  is the yield limit of the stiffness elements of the structure. The element is considered to yield, if the interstorey drift between degrees of freedom i and i+1 exceeds UY(i). Give the yield limit of each storey from top to bottom.
- KSI [double(1  $\times$  1)] is the ratio of critical viscous damping of the system, assumed to be unique for all damping elements of the structure.
- ALGID [char(1  $\times$  :inf)] is the algorithm to be used for the time integration. It can be one of the following strings for superior optimally designed algorithms:
  - 'generalized a-method': The generalized a-method (Chung & Hulbert, 1993)
  - 'HHT a-method': The Hilber-Hughes-Taylor method (Hilber, Hughes & Taylor, 1977)
  - 'WBZ': The Wood-Bossak-Zienkiewicz method (Wood, Bossak & Zienkiewicz, 1980)
  - 'U0-V0-Opt': Optimal numerical dissipation and dispersion zero order displacement zero order velocity algorithm

 $^{\prime}\text{U0-V0-CA'}\colon$  Continuous acceleration (zero spurious root at the low frequency limit) zero order displacement zero order velocity algorithm

 $^{\prime}\text{UO-VO-DA'}\colon$  Discontinuous acceleration (zero spurious root at the high frequency limit) zero order displacement zero order velocity algorithm

'UO-V1-Opt': Optimal numerical dissipation and dispersion zero order displacement first order velocity algorithm 'UO-V1-CA': Continuous acceleration (zero spurious root at the low frequency limit) zero order displacement first order velocity algorithm

 $\mbox{'U0-V1-DA':}$  Discontinuous acceleration (zero spurious root at the high frequency limit) zero order displacement first order velocity algorithm

'U1-V0-Opt': Optimal numerical dissipation and dispersion first order displacement zero order velocity algorithm 'U1-V0-CA': Continuous acceleration (zero spurious root at the low frequency limit) first order displacement zero order velocity algorithm

 $\mbox{'U1-V0-DA':}$  Discontinuous acceleration (zero spurious root at the high frequency limit) first order displacement zero order velocity algorithm

'Newmark ACA': Newmark Average Constant Acceleration method

'Newmark LA': Newmark Linear Acceleration method

'Newmark BA': Newmark Backward Acceleration method

'Fox-Goodwin': Fox-Goodwin formula

U0  $[double(1 \times 1)]$  is the initial displacement.

UTO  $[double(1 \times 1)]$  is the initial velocity.

RINF [double(1 x 1)] is the minimum absolute value of the eigenvalues of the amplification matrix. For the amplification matrix see eq.(61) in Zhou & Tamma (2004).

MAXTOL [double(1  $\times$  1)] is the maximum tolerance of convergence of the Full Newton Raphson method for numerical computation of acceleration.

JMAX [double(1  $\times$  1)] is the maximum number of iterations per increment. If JMAX=0 then iterations are not performed and the MAXTOL parameter is not taken into account.

DAK [double(1  $\times$  1)] is the infinitesimal acceleration for the calculation of the derivetive required for the convergence of the Newton-Raphson iteration.

### Output parameters

U [double(1 x 1:NumSteps)] is the time-history of displacement

UT [double(1 x 1:NumSteps)] is the time-history of velocity

UTT [double(1 x 1:NumSteps)] is the time-history of acceleration

FS [double(1 x 1:NumSteps)] is the time-history of the internal force of the structure analysed.

EY [double(1 x 1:NumSteps)] is the time history of the sum of the energy dissipated by yielding during each time step and the recoverable strain energy of the system (incremental). cumsum(EY)-Es gives the time history of the total energy dissipated by yielding from the start of the dynamic analysis.

ES  $[double(1 \times 1:NumSteps)]$  is the time-history of the recoverable strain energy of the system (total and not incremental).

ED [double(1 x 1:NumSteps)] is the time-history of the energy dissipated by viscoelastic damping during each time step (incremental). cumsum(ED) gives the time history of the total energy dissipated from the start of the dynamic analysis.

JITER [double(1 x 1:NumSteps)] is the iterations per increment

u=displacement
un=displacement after increment n
ut=velocity
utn=velocity after increment n
utt=acceleration
uttn=acceleration after increment n

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# **OpenSeismoMatlab**

Documentation of the OpenSeismoMatlab function.

```
helpFun('OpenSeismoMatlab')
Seismic parameters of an acceleration time history
 PARAM=OPENSEISMOMATLAB(DT,XGTT,SW,BASELINESW,DTI,KSI,T,MU,ALGID)
 Description
     This function calculates the seismic parameters from an acceleration
     time history. More specifically, it calculates the following:
     1) Velocity vs time
     2) Displacement vs time
     3) Resampled acceleration time history (i.e. the input acceleration
     time history with modified time step size)
     4) Peak ground acceleration
     5) Peak ground velocity
     6) Peak ground displacement
     7) Total cumulative energy and normalized cumulative energy vs time
     8) Significant duration according to Trifunac & Brady (1975)
     9) Total Arias intensity (Ia)
     10) Linear elastic pseudo-acceleration response spectrum
     11) Linear elastic pseudo-velocity response spectrum
     12) Linear elastic displacement response spectrum
     13) Linear elastic velocity response spectrum
     14) Linear elastic acceleration response spectrum
     15) Constant ductility displacement response spectrum
     16) Constant ductility velocity response spectrum
     17) Constant ductility acceleration response spectrum
     18) Fourier amplitude spectrum
     19) Mean period (Tm)
 Input parameters
     DT [double(1 \times 1)] is the size of the time step of the input
         acceleration time history xgtt.
     XGTT [double(1:numsteps x 1)] is the input acceleration time history.
     SW [char(1 x :inf)] is a string which determines which parameters of
         the input acceleration time history will be calculated. sw can
         take one of the following values (strings are case insensitive):
         'TIMEHIST': the displacement, velocity and acceleration time
            histories are calculated.
         'RESAMPLE': the acceleration time history with modified time step
             size is calculated.
         'PGA': The peak ground acceleration is calculated.
         'PGV': The peak ground velocity is calculated.
         'PGD': The peak ground displacement is calculated.
         'ARIAS': The total cumulative energy, significant duration
            according to Trifunac & Brady (1975) and Arias intensity are
             calculated.
         'ES': The linear elastic response spectra and pseudospectra are
            calculated.
         'CDS': The constant ductility response spectra are calculated.
```

'FAS': The Fourier amplitude spectrum and the mean period are

calculated.

```
BASELINESW [logical(1 \times 1)] determines if baseline correction will be applied for the calculation of the various output quantities.
```

DTI  $[double(1 \times 1)]$  is the new time step size for resampling of the input acceleration time history.

KSI  $[double(1 \times 1)]$  is the fraction of critical viscous damping.

T [double(1:numSDOFs x 1)] contains the values of eigenperiods for which the response spectra are requested. numSDOFs is the number of SDOF oscillators being analysed to produce the spectra.

MU [double(1  $\times$  1)] is the specified ductility for which the response spectra are calculated.

ALGID [char(1 x :inf)] is the algorithm to be used for the time
 integration, if applicable. It can be one of the following
 strings for superior optimally designed algorithms (strings are
 case sensitive):

'generalized a-method': The generalized a-method (Chung & Hulbert, 1993)

'HHT a-method': The Hilber-Hughes-Taylor method (Hilber, Hughes & Taylor, 1977)

'WBZ': The Wood-Bossak-Zienkiewicz method (Wood, Bossak & Zienkiewicz, 1980)

'U0-V0-Opt': Optimal numerical dissipation and dispersion zero order displacement zero order velocity algorithm 'U0-V0-CA': Continuous acceleration (zero spurious root at the low frequency limit) zero order displacement zero order velocity algorithm

 $^{\prime}\text{UO-VO-DA'}\colon$  Discontinuous acceleration (zero spurious root at the high frequency limit) zero order displacement zero order velocity algorithm

'U0-V1-Opt': Optimal numerical dissipation and dispersion zero order displacement first order velocity algorithm 'U0-V1-CA': Continuous acceleration (zero spurious root at the low frequency limit) zero order displacement first order velocity algorithm

 $\mbox{\tt 'U0-V1-DA':}$  Discontinuous acceleration (zero spurious root at the high frequency limit) zero order displacement first order velocity algorithm

'U1-V0-Opt': Optimal numerical dissipation and dispersion first order displacement zero order velocity algorithm 'U1-V0-CA': Continuous acceleration (zero spurious root at the low frequency limit) first order displacement zero order velocity algorithm

 $\mbox{'U1-V0-DA':}$  Discontinuous acceleration (zero spurious root at the high frequency limit) first order displacement zero order velocity algorithm

'Newmark ACA': Newmark Average Constant Acceleration method

'Newmark LA': Newmark Linear Acceleration method

'Newmark BA': Newmark Backward Acceleration method

'Fox-Goodwin': Fox-Goodwin formula

#### Output parameters

PARAM (structure) has the following fields:

PARAM.vel [double(1:numsteps x 1)] Velocity vs time

PARAM.disp [double(1:numsteps x 1)] Displacement vs time

PARAM.PGA [double(1 x 1)] Peak ground acceleration

PARAM.PGV [double(1 x 1)] Peak ground velocity

PARAM.PGD [double(1 x 1)] Peak ground displacement

PARAM.Ecum [double(1 x 1)] Total cumulative energy

PARAM.EcumTH [double(1:numsteps x 1)] normalized cumulative energy vs time

PARAM.t\_5\_95 [double(1 x 2)] Time instants at which 5% and 95% of cumulative energy have occurred

```
PARAM.Td [double(1 x 1)] Time between when 5% and 95% of
cumulative energy has occurred (significant duration according to
Trifunac-Brady (1975))
PARAM.arias [double(1 x 1)] Total Arias intensity (Ia)
PARAM.PSa [double(:inf x 1)] Linear elastic pseudo-acceleration
response spectrum
PARAM.PSv [double(:inf x 1)] Linear elastic pseudo-velocity
response spectrum
PARAM.Sd [double(:inf x 1)] Linear elastic displacement response
spectrum
PARAM.Sv [double(:inf x 1)] Linear elastic velocity response
spectrum
PARAM.Sa [double(:inf x 1)] Linear elastic acceleration response
spectrum
PARAM.SievABS [double(:inf x 1)] Linear elastic absolute input
energy equivalent velocity spectrum
PARAM.SievREL [double(:inf x 1)] Linear elastic relative input
energy equivalent velocity spectrum
PARAM.PredPSa [double(1 x 1)] Predominant acceleration of the PSa
spectrum
PARAM.PredPeriod [double(1 x 1)] Predominant period of the PSa
spectrum
PARAM.CDPSa [double(:inf x 1)] Constant ductility
pseudo-acceleration response spectrum
PARAM.CDPSv [double(:inf x 1)] Constant ductility pseudo-velocity
response spectrum
PARAM.CDSd [double(:inf x 1)] Constant ductility displacement
response spectrum
PARAM.CDSv [double(:inf x 1)] Constant ductility velocity
response spectrum
PARAM.CDSa [double(:inf x 1)] Constant ductility acceleration
response spectrum
PARAM.fyK [double(:inf x 1)] yield limit that each SDOF must have
in order to attain ductility equal to PARAM.muK.
PARAM.muK [double(:inf x 1)] achieved ductility for each period
(each SDOF).
PARAM.iterK [double(:inf x 1)] number of iterations needed for
convergence for each period (each SDOF).
PARAM.FAS [double(1:2^(nextpow2(length(xgtt))-1) x 1)] Fourier
amplitude spectrum
PARAM.Tm [double(1 x 1)] Mean period (Tm)
PARAM.Fm [double(1 x 1)] Mean frequency (Fm)
```

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# Constant ductility response spectra

Generate the constant ductility response spectra and associated results of an earthquake suite using OpenSeismoMatlab.

#### Contents

- Input
- Calculation
- Output
- Copyright

## Input

earthquake motions

```
eqmotions={'Imperial Valley'; % Imperial valley 1979
    'Kocaeli';
'Loma Prieta';
'Northridge';
'San Fernando';
'Spitak';
'Cape Mendocino';
'ChiChi';
'El Centro'; % Imperial valley 1940
'Hollister';
'Kobe'};
```

Set the eigenperiod range for which the response spectra will be calculated.

```
Tspectra=(0.08:0.08:4)';
```

Set critical damping ratio of the response spectra to be calculated.

```
ksi=0.05;
```

Set the target ductility (not used here)

```
mu=2;
```

Extract nonlinear response spectra

```
sw='cds';
```

### Calculation

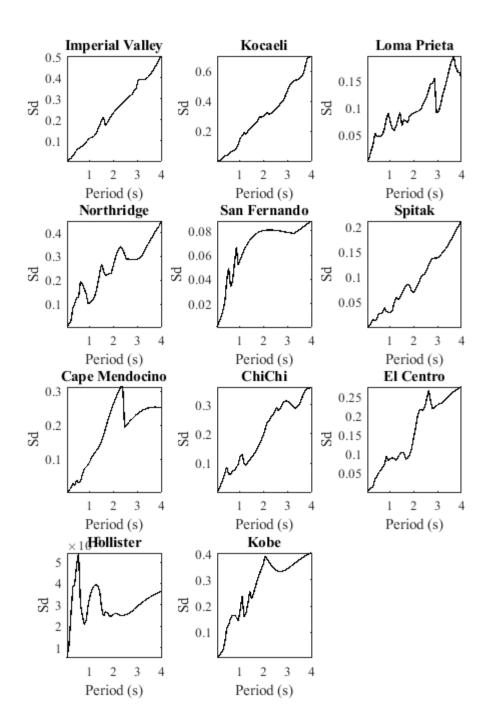
Initialize CDRS

```
CDRS=cell(numel(eqmotions),1);
% Calculation of peak values
for i=1:numel(eqmotions)
% earthquake
  data=load([eqmotions{i},'.dat']);
  t=data(:,1);
  dt=t(2)-t(1);
  xgtt=data(:,2);
  S=OpenSeismoMatlab(dt,xgtt,sw,[],[],ksi,Tspectra,mu);
  CDRS{i}=[S.Period,S.CDSd,S.CDSv,S.CDPSa,S.fyK,S.muK,S.iterK];
end
```

## Output

Plot constant ductility spectral displacement

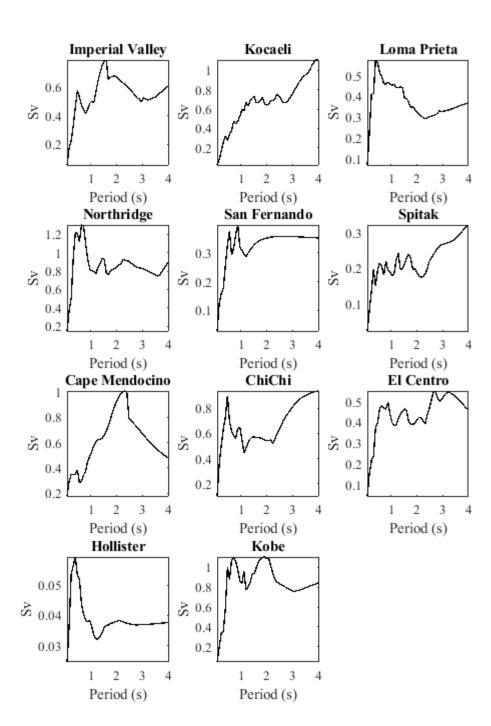
```
Fig1 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(CDRS{i}(:,1),CDRS{i}(:,2),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('Sd','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
    axis tight
end
```



## Plot constant ductility spectral velocity

```
Fig2 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(CDRS{i}(:,1),CDRS{i}(:,3),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('Sv','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
```

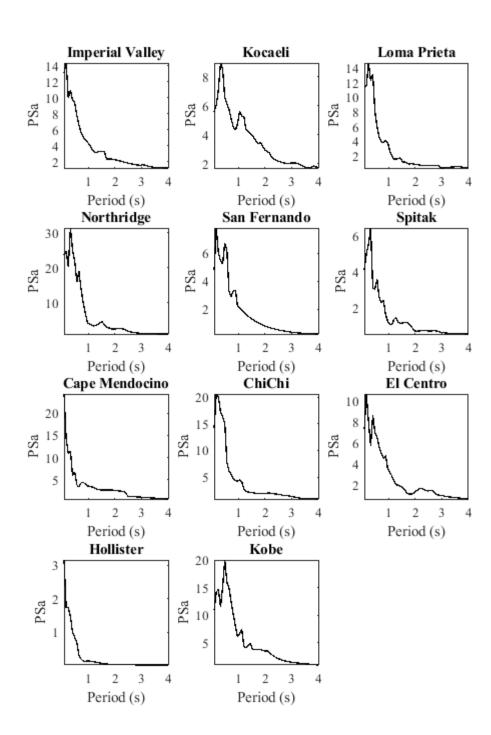
end



### Plot constant ductility spectral acceleration

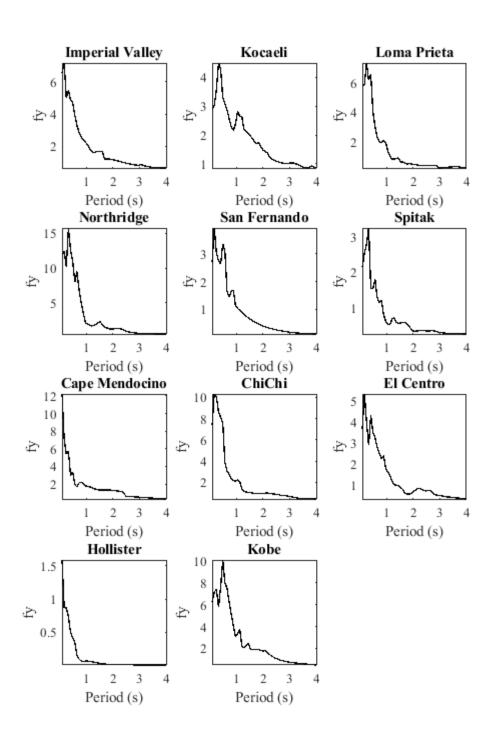
```
Fig3 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(CDRS{i}(:,1),CDRS{i}(:,4),'k','LineWidth',1);
```

```
set(gca,'FontName','Times New Roman')
title(eqmotions{i},'FontName','Times New Roman')
ylabel('PSa','FontName','Times New Roman')
xlabel('Period (s)','FontName','Times New Roman')
axis tight
end
```



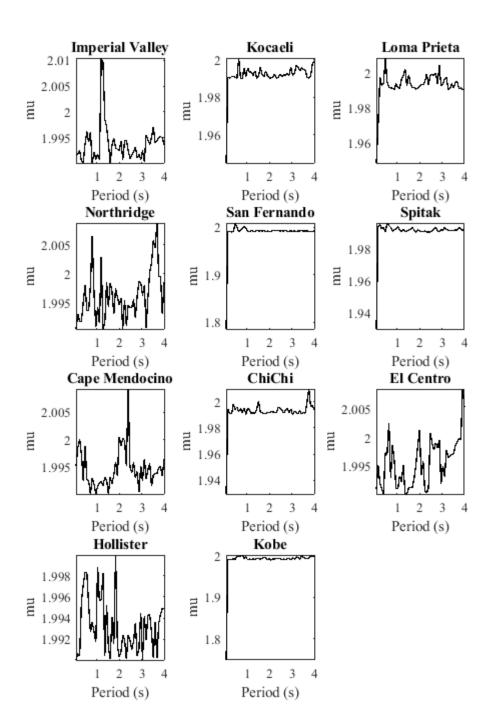
Plot constant ductility spectral yield limit

```
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(CDRS{i}(:,1),CDRS{i}(:,5),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('fy','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
    axis tight
end
```



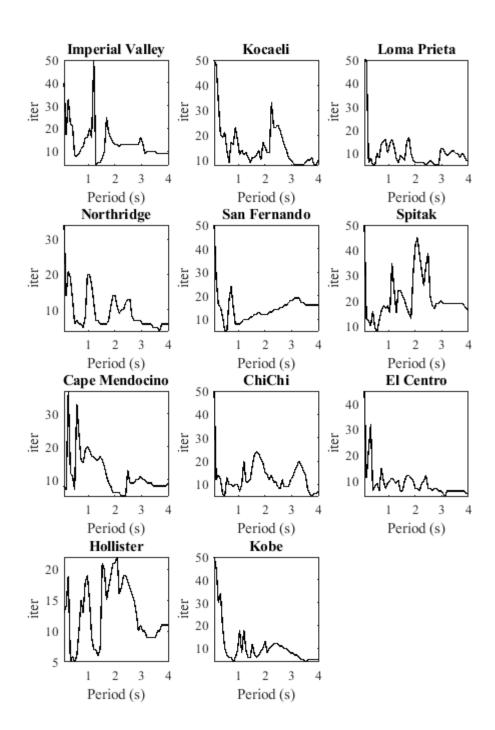
Plot constant ductility spectral achieved ductility

```
Fig5 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(CDRS{i}(:,1),CDRS{i}(:,6),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('mu','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
    axis tight
end
```



Plot constant ductility spectral number of iterations needed for convergence

```
Fig6 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(CDRS{i}(:,1),CDRS{i}(:,7),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('iter','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
```



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Published with MATLAB® R2017b

# Fourier spectra

Generate the Fourier spectra of an earthquake suite using OpenSeismoMatlab.

#### **Contents**

- Input
- Calculation
- Output
- Copyright

## Input

earthquake motions

```
eqmotions={'Imperial Valley'; % Imperial valley 1979
    'Kocaeli';
'Loma Prieta';
'Northridge';
'San Fernando';
'Spitak';
'Cape Mendocino';
'ChiChi';
'El Centro'; % Imperial valley 1940
'Hollister';
'Kobe'};
```

Set the eigenperiod range for which the response spectra will be calculated.

```
Tspectra=(0.02:0.01:4)';
```

Set critical damping ratio of the response spectra to be calculated.

```
ksi=0.05;
```

Set the target ductility (not used here)

```
mu=2;
```

Extract fourier spectra

```
sw='fas';
```

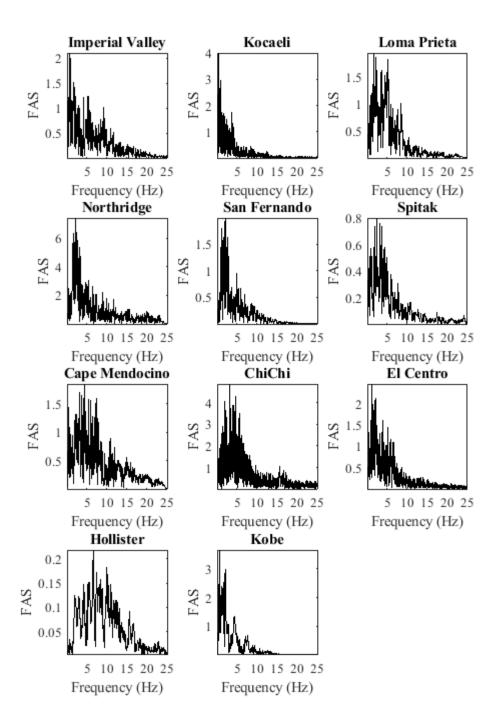
### Calculation

Initialize Fourier

## Output

Plot Fourier amplitude

```
Fig1 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(Fourier{i}(:,1),Fourier{i}(:,2),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('FAS','FontName','Times New Roman')
    xlabel('Frequency (Hz)','FontName','Times New Roman')
    axis tight
end
```



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# Linear elastic response spectra

Generate the linear elastic response spectra of an earthquake suite using OpenSeismoMatlab.

#### Contents

- Input
- Calculation
- Output
- Copyright

### Input

Earthquake motions

```
eqmotions={'Imperial Valley'; % Imperial valley 1979
   'Kocaeli';
   'Loma Prieta';
   'Northridge';
   'San Fernando';
   'Spitak';
   'Cape Mendocino';
   'ChiChi';
   'El Centro'; % Imperial valley 1940
   'Hollister';
   'Kobe'};
```

Set the eigenperiod range for which the response spectra will be calculated.

```
Tspectra=(0.01:0.01:4)';
```

Set critical damping ratio of the response spectra to be calculated.

```
ksi=0.05;
```

Set the target ductility (not used here)

```
mu=2;
```

Extract linear elastic response spectra

```
sw='es';
```

### Calculation

Initialize LERS

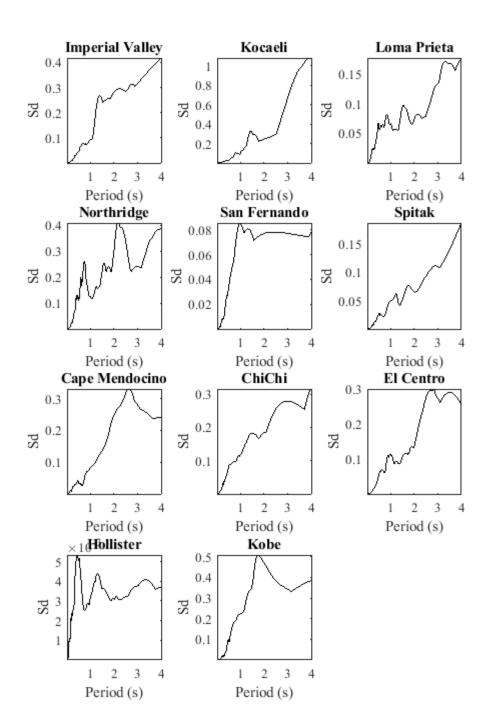
```
LERS=cell(numel(eqmotions),1);
```

### Calculation of peak values

## Output

Plot displacement response spectra

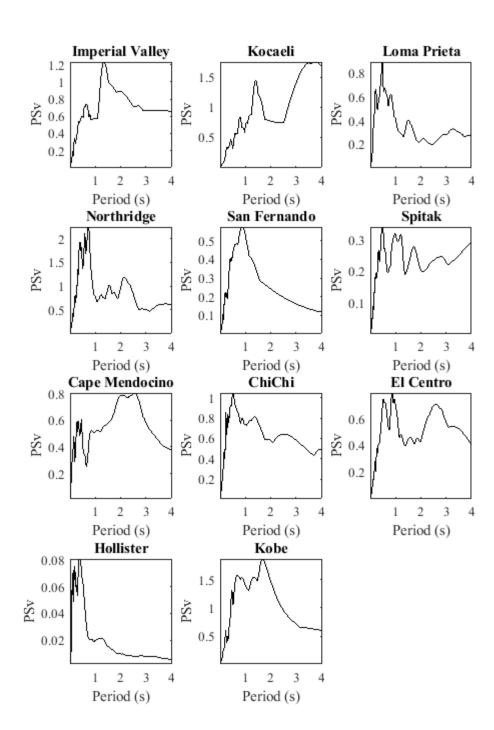
```
Fig1 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(LERS{i}(:,1),LERS{i}(:,2),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('Sd','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
    axis tight
end
```



### Plot pseudo-velocity response spectra

```
Fig2 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(LERS{i}(:,1),LERS{i}(:,3),'k','LineWidth',1);
    set(gca,'FontName','Times New Roman')
    title(eqmotions{i},'FontName','Times New Roman')
    ylabel('PSv','FontName','Times New Roman')
    xlabel('Period (s)','FontName','Times New Roman')
```

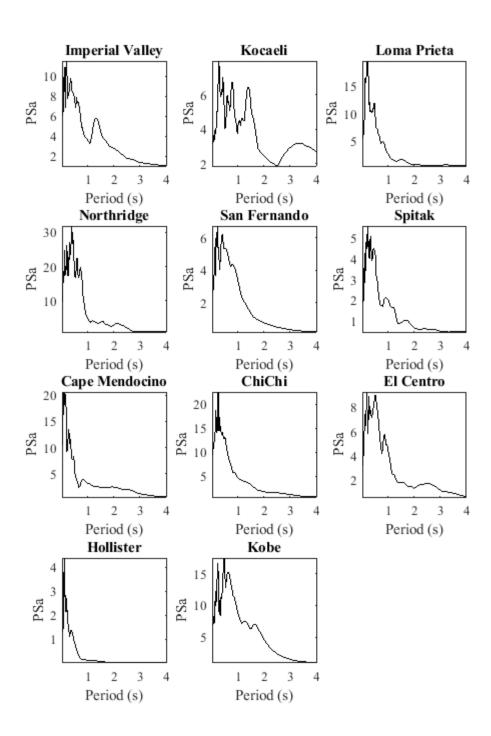
end



### Plot pseudo-acceleration response spectra

```
Fig3 = figure('units', 'centimeters', 'Position', [0,0, 20/sqrt(2), 20]);
% Scan all subplots
for i=1:numel(eqmotions)
    subplot(4,3,i)
    plot(LERS{i}(:,1),LERS{i}(:,4),'k','LineWidth',1);
```

```
set(gca,'FontName','Times New Roman')
title(eqmotions{i},'FontName','Times New Roman')
ylabel('PSa','FontName','Times New Roman')
xlabel('Period (s)','FontName','Times New Roman')
axis tight
end
```



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## Verification

This is to verify that OpenSeismoMatlab works properly for all of its possible options and types of application

#### Contents

- Load earthquake data
- Time histories without baseline correction
- Time histories with baseline correction
- Resample acceleration time history from 0.02 sec to 0.01 sec.
- PGA
- PGV
- PGD
- Arias intensity and significant duration
- Linear elastic response spectra and pseudospectra
- Constant ductility response spectra and pseudospectra
- Fourier amplitude spectrum and mean period
- Copyright

### Load earthquake data

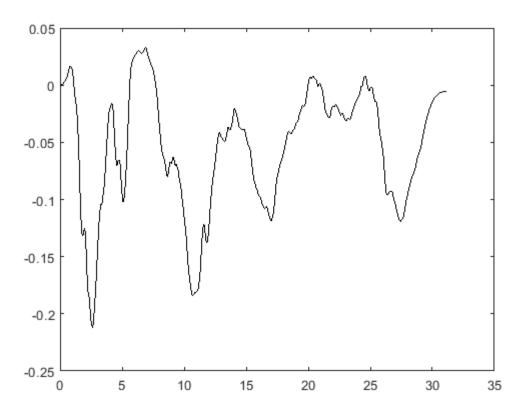
Earthquake acceleration time history of the El Centro earthquake will be used (El Centro, 1940, El Centro Terminal Substation Building)

```
fid=fopen('elcentro.dat','r');
text=textscan(fid,'%f %f');
fclose(fid);
t=text{1,1};
dt=t(2)-t(1);
xgtt=9.81*text{1,2};
```

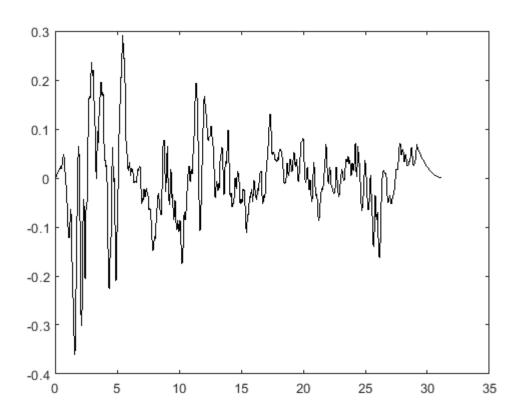
### Time histories without baseline correction

```
sw='timehist';
baselineSw=false;
S1=OpenSeismoMatlab(dt,xgtt,sw,baselineSw);
```

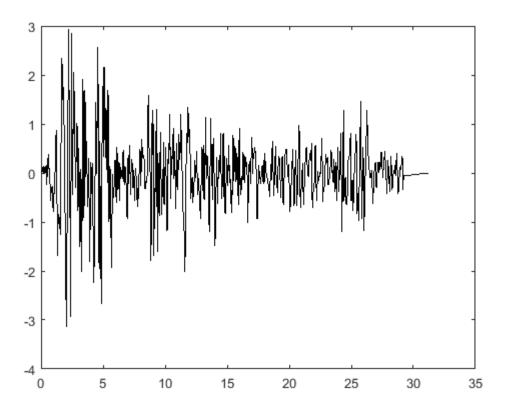
```
figure(1)
plot(S1.time,S1.disp,'k','LineWidth',1)
```



figure(2)
plot(S1.time,S1.vel,'k','LineWidth',1)



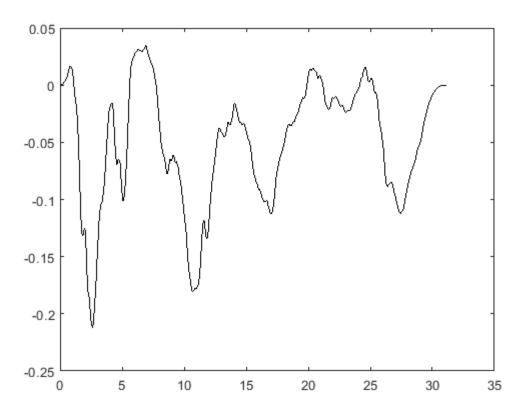
```
figure(3)
plot(S1.time,S1.acc,'k','LineWidth',1)
```



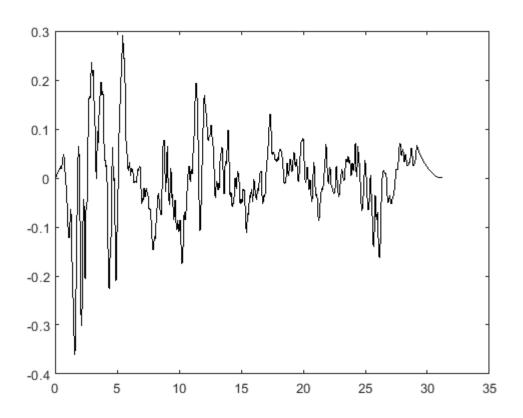
## Time histories with baseline correction

```
sw='timehist';
baselineSw=true;
S2=OpenSeismoMatlab(dt,xgtt,sw,baselineSw);
```

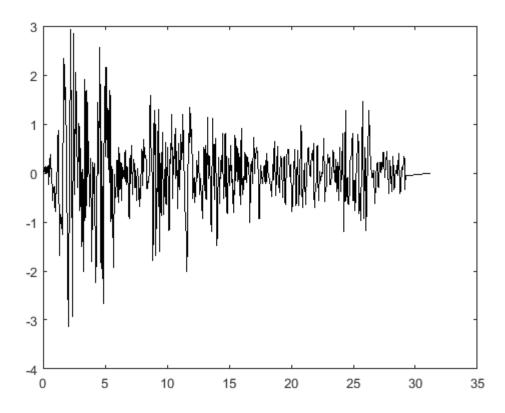
```
figure(4)
plot(S2.time,S2.disp,'k','LineWidth',1)
```



figure(5)
plot(S2.time,S2.vel,'k','LineWidth',1)



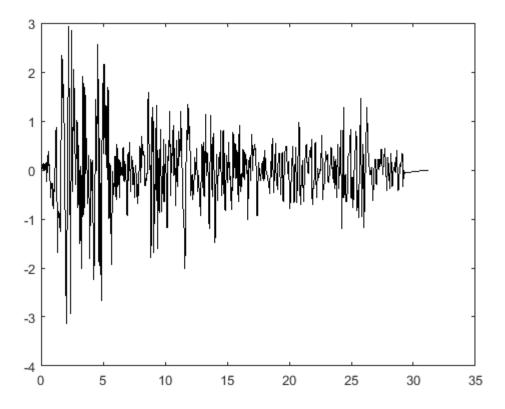
```
figure(6)
plot(S2.time,S2.acc,'k','LineWidth',1)
```



# Resample acceleration time history from 0.02 sec to 0.01 sec.

```
sw='resample';
dti=0.01;
S3=OpenSeismoMatlab(dt,xgtt,sw,[],dti);
```

```
figure(7)
plot(S3.time,S3.acc,'k','LineWidth',1)
```



## **PGA**

```
sw='pga';
S4=OpenSeismoMatlab(dt,xgtt,sw);
```

S4.PGA

ans =

3.127624200000000

## **PGV**

```
sw='pgv';
S5=OpenSeismoMatlab(dt,xgtt,sw);
```

S5.PGV

ans =

0.360920691000000

### **PGD**

```
sw='pgd';
S6=OpenSeismoMatlab(dt,xgtt,sw);
S6.PGD
```

```
ans = 0.211893410160001
```

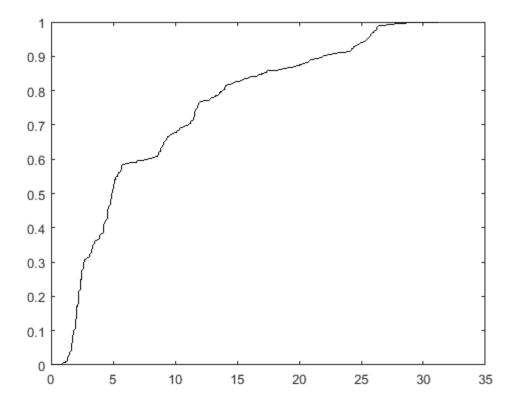
## Arias intensity and significant duration

```
sw='arias';
S7=OpenSeismoMatlab(dt,xgtt,sw);
```

```
S7.Ecum
```

```
ans = 11.251388628141965
```

```
figure(8)
plot(S7.time,S7.EcumTH,'k','LineWidth',1)
```



S7.t\_5\_95

ans =

1.68000000000000 25.50000000000000

S7.Td

ans =

23.840000000000000

S7.arias

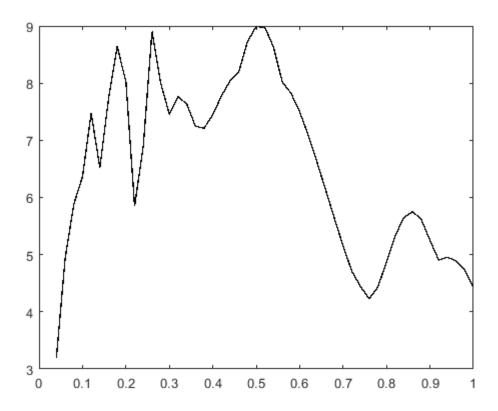
ans =

1.645606908074047

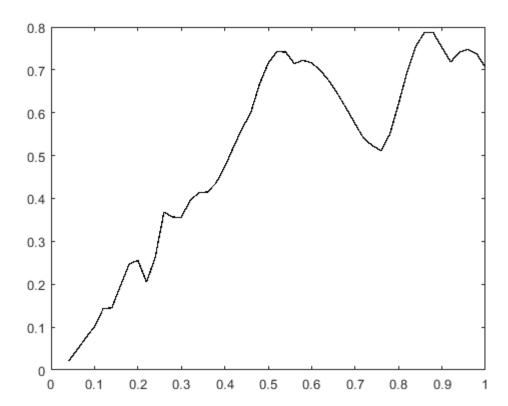
# Linear elastic response spectra and pseudospectra

```
sw='es';
ksi=0.05;
T=0.04:0.02:1;
S8=OpenSeismoMatlab(dt,xgtt,sw,[],[],ksi,T);
```

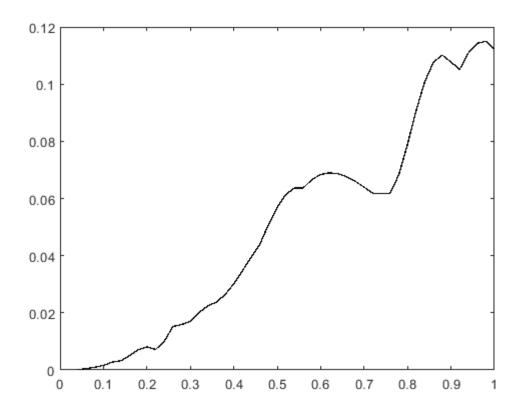
```
figure(9)
plot(S8.Period,S8.PSa,'k','LineWidth',1)
```



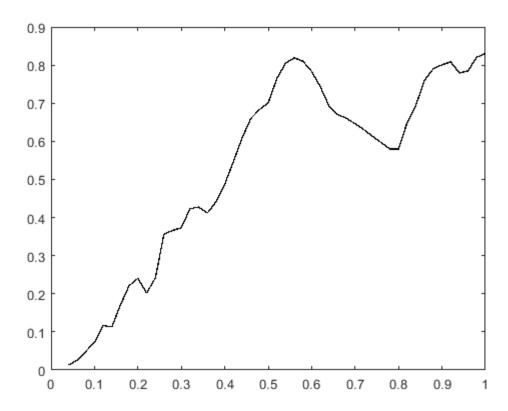
```
figure(10)
plot(S8.Period,S8.PSv,'k','LineWidth',1)
```



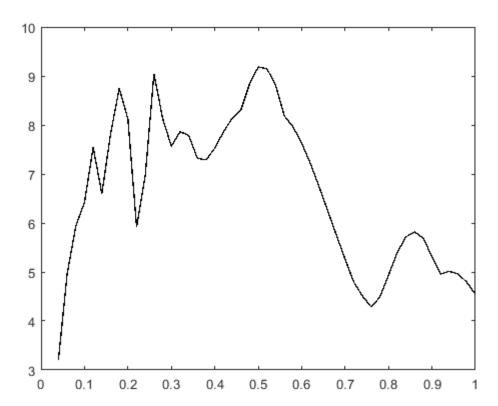
```
figure(11)
plot(S8.Period,S8.Sd,'k','LineWidth',1)
```



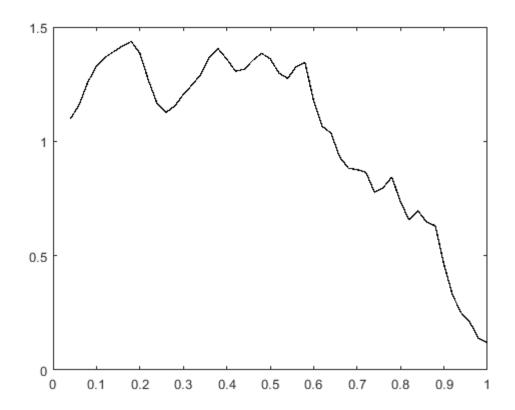
```
figure(12)
plot(S8.Period,S8.Sv,'k','LineWidth',1)
```



```
figure(13)
plot(S8.Period,S8.Sa,'k','LineWidth',1)
```

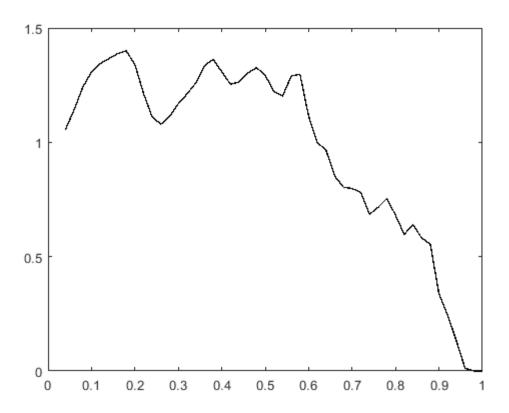


figure(14)
plot(S8.Period,S8.SievABS,'k','LineWidth',1)



```
figure(15)
plot(S8.Period,S8.SievREL,'k','LineWidth',1)
```

Warning: Imaginary parts of complex X and/or Y arguments ignored



### S8.PredPSa

ans =

8.990993548805100

#### S8.PredPeriod

ans =

0.500000000000000

## Constant ductility response spectra and pseudospectra

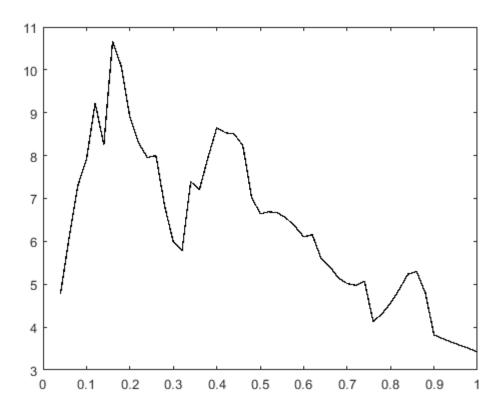
```
sw='cds';
ksi=0.05;
```

```
T=0.04:0.02:1;

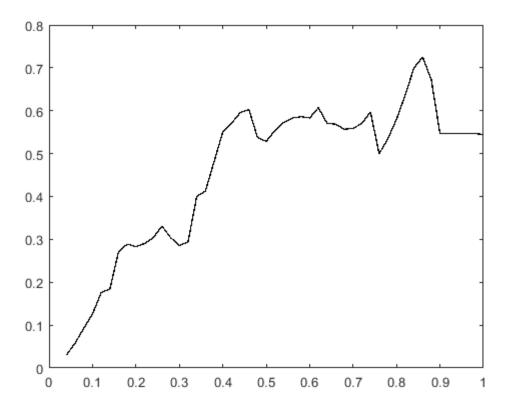
mu=2;

S9=OpenSeismoMatlab(dt,xgtt,sw,[],[],ksi,T,mu);
```

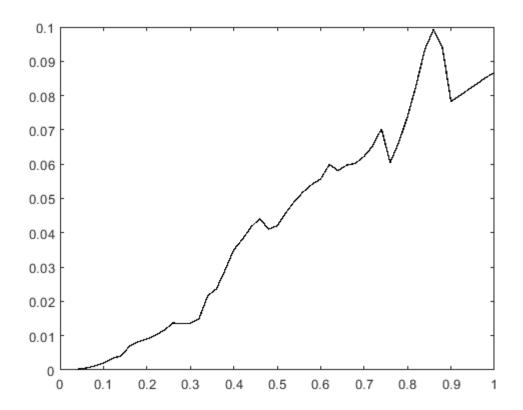
```
figure(15)
plot(S9.Period,S9.CDPSa,'k','LineWidth',1)
```



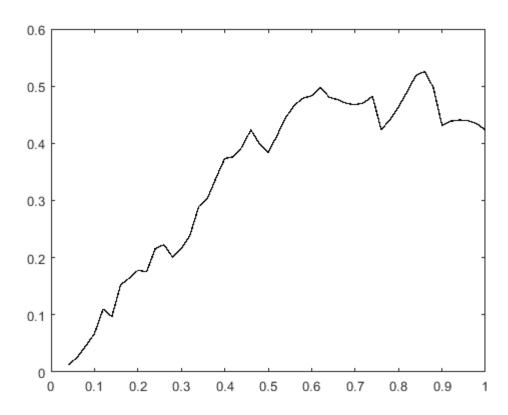
```
figure(16)
plot(S9.Period,S9.CDPSv,'k','LineWidth',1)
```



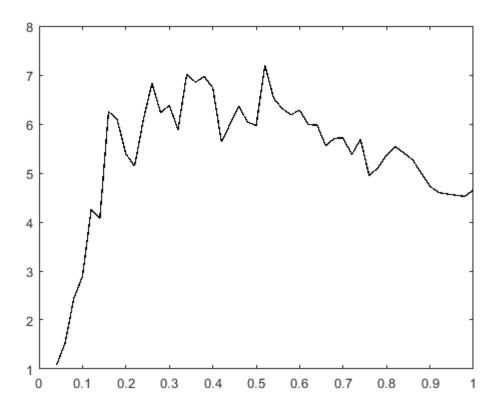
```
figure(17)
plot(S9.Period,S9.CDSd,'k','LineWidth',1)
```



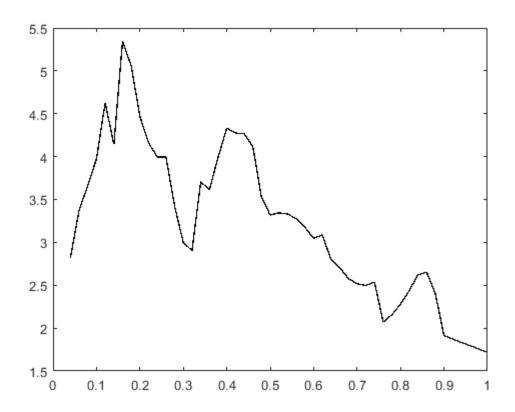
```
figure(18)
plot(S9.Period,S9.CDSv,'k','LineWidth',1)
```



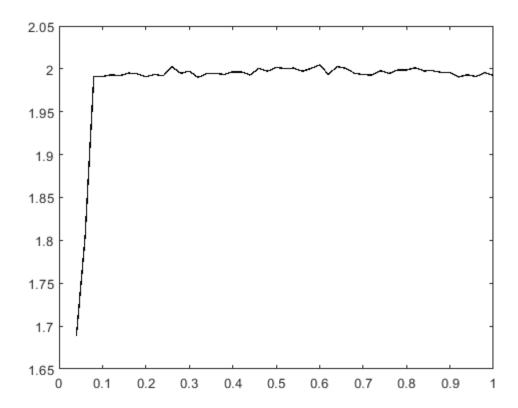
```
figure(19)
plot(S9.Period,S9.CDSa,'k','LineWidth',1)
```



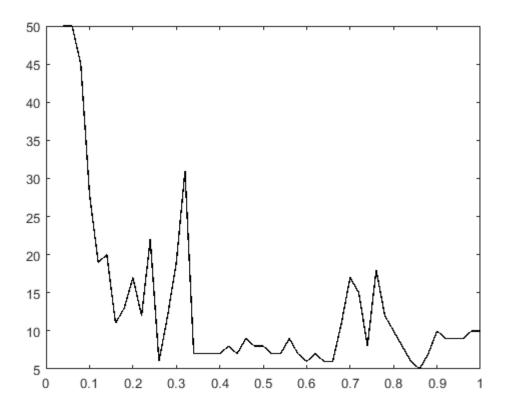
figure(20)
plot(S9.Period,S9.fyK,'k','LineWidth',1)



```
figure(21)
plot(S9.Period,S9.muK,'k','LineWidth',1)
```



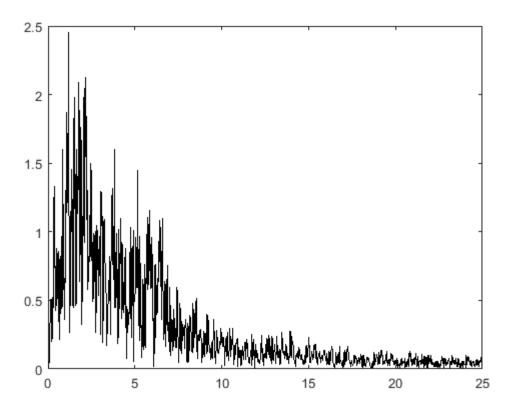
```
figure(22)
plot(S9.Period,S9.iterK,'k','LineWidth',1)
```



# Fourier amplitude spectrum and mean period

```
sw='fas';
S10=OpenSeismoMatlab(dt,xgtt,sw);
```

```
figure(23)
plot(S10.freq,S10.FAS,'k','LineWidth',1)
```



S10.Tm

ans =

0.533389590787339

S10.Fm

ans =

3.293755163661824

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