

The Fortran-P Translator

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1. Basic idea / goal

- FORTRAN-P Translator translates a restricted subset of FORTRAN-77 into efficient FORTRAN for parallel execution on massively parallel computers.
- Current target: CM-5
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2. Sample translations:

“Tripletization”:

```
do 200 i = - nbdy + 1, 0
do 200 k = - nbdy + 1, ny + nbdy
rho( i, k, 1, :) = rho( i + nx, k, NODE_X, :)
p( i, k, 1, :) = p( i + nx, k, NODE_X, :)
ux( i, k, 1, :) = ux( i + nx, k, NODE_X, :)
uy( i, k, 1, :) = uy( i + nx, k, NODE_X, :)
200 continue
```

```
C DO 200 i=...
C DO 200 k=...
  rho( -nbdy+1:0, -nbdy+1:ny+nbdy, 1, :) =
&      rho( nx-nbdy+1:nx, -nbdy+1:ny+nbdy, NODE_X, :)
  p( -nbdy+1:0, -nbdy+1:ny+nbdy, 1, :) =
&      p( nx-nbdy+1:nx, -nbdy+1:ny+nbdy, NODE_X, :)
  ux( -nbdy+1:0, -nbdy+1:ny+nbdy, 1, :) =
&      ux( nx-nbdy+1:nx, -nbdy+1:ny+nbdy, NODE_X, :)
  uy( -nbdy+1:0, -nbdy+1:ny+nbdy, 1, :) =
&      uy( nx-nbdy+1:nx, -nbdy+1:ny+nbdy, NODE_X, :)
200 continue
```

Data layout:

```
dimension    xx1(-nbdy+1:nx+nbdy)
dimension    ddd(5, -nbdy+1:nx+nbdy,-nbdy+1:ny+nbdy)
```

```
      real xx1(-nbdy+1:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT xx1(:SERIAL,:NEWS,:NEWS)
      real ddd(5,-nbdy+1:nx+nbdy,-nbdy+1:ny+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT xx1(:SERIAL,:SERIAL,:SERIAL,:NEWS,:NEWS)
```

All non-conformant dimensions are considered local to a processor. The conformant dimensions such as `-nbdy+1:nx+nbdy` are chopped up across the processor grid.

```

subroutine monslp (a,da,dal,dalfac,darfac,nx,ks,nbdy,noff)
parameter(iqs=8)
dimension      a(iqs,1-nbdy:nx+nbdy), da(iqs,1-nbdy:nx+nbdy),
1              dal(iqs,1-nbdy:nx+nbdy), dalfac(iqs,1-nbdy:nx+nbdy),
2              darfac(iqs,1-nbdy:nx+nbdy)
mbdy = nbdy - noff
do 1000  i = 2-mbdy,nx+mbdy
do 1000  k = 1,ks
1000 dal(k,i) = a(k,i) - a(k,i-1)
do 2000  i = 2-mbdy,nx+mbdy-1
do 2000  k = 1,ks
dda = dalfac(k,i) * dal(k,i) + darfac(k,i) * dal(k,i+1)
s = sign (1., dda)
thyng = 2. * amin1 (s * dal(k,i), s * dal(k,i+1))
da(k,i) = s * amax1 (0., amin1 (s * dda, thyng))
2000 continue
return
end

```

```

subroutine monslp(a,da,dal,dalfac,darfac,nx,ks,nbdy,noff)
include 'nodes.inc'
parameter(iqs=8)
real a(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT a(:SERIAL,:SERIAL,:NEWS,:NEWS)
real da(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT da(:SERIAL,:SERIAL,:NEWS,:NEWS)
real dal(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT dal(:SERIAL,:SERIAL,:NEWS,:NEWS)
real dalfac(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT dalfac(:SERIAL,:SERIAL,:NEWS,:NEWS)
real darfac(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT darfac(:SERIAL,:SERIAL,:NEWS,:NEWS)
real thyng(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT thyng(:SERIAL,:SERIAL,:NEWS,:NEWS)
real s(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT s(:SERIAL,:SERIAL,:NEWS,:NEWS)
real dda(iqs,1-nbdy:nx+nbdy,NODE_X,NODE_Y)
CMF$LAYOUT dda(:SERIAL,:SERIAL,:NEWS,:NEWS)

```

```

        mbdy=nbdy-noff
C D0 1000 i=...
C D0 1000 k=...
1000  dal(1:ks,2-mbdy:nx+mbdy,::)=a(1:ks,2-mbdy:nx+mbdy,::)-
      &      a(1:ks,2-mbdy-1:nx+mbdy-1,::)
C D0 2000 i=...
C D0 2000 k=...
      dda(1:ks,2-mbdy:nx+mbdy-1,::)=dalfac(1:ks,2-mbdy:nx+mbdy-1,::)*
&      dal(1:ks,2-mbdy:nx+mbdy-1,::)+darfac(1:ks,2
&      -mbdy:nx+mbdy-1,::)*dal(1:ks,2-mbdy+1:nx+mbdy-1+1,::)

      s(1:ks,2-mbdy:nx+mbdy-1,::)=sign(1.,dda(1:ks,2-mbdy:nx+mbdy-1,::))

      thyng(1:ks,2-mbdy:nx+mbdy-1,::)=2.*
&      amin1(s(1:ks,2-mbdy:nx+mbdy-1,::))*
&      dal(1:ks,2-mbdy:nx+mbdy-1,::),s(1:ks,2
&      -mbdy:nx+mbdy-1,::)*dal(1:ks,2-mbdy+1:nx+mbdy-1+1,::))

      da(1:ks,2-mbdy:nx+mbdy-1,::)=s(1:ks,2-mbdy:nx+mbdy-1,::)*
&      amax1(0.,amin1(s(1:ks,2-mbdy:nx+mbdy-1,::)*dda(1
&      :ks,2-mbdy:nx+mbdy-1,::),thyng(1:ks,2-mbdy:nx+mbdy-1,::)))
2000  continue
      call dummy
      return
      end

```

3. Intermediate Representation

Subroutines:

```
subroutine name ( arg1 arg2 ... argn )  
declarations  
stat1  
stat2  
...  
statn  
end
```

where the arguments are optional, has a corresponding tree in the IR of the form:

```
#( DefSub name arg1 arg2 ... argn slist )
```


Graphically,

DefSub

\downarrow
 $name \longrightarrow arg1 \longrightarrow arg2 \longrightarrow \dots \longrightarrow argn \longrightarrow slist$

where *slist* is a node representing the root of a list of statements.

Do loops

```
do label loop_var = begin_expr, end_expr {, step_expr}  
    slist  
label: continue
```

is represented by:

```
#( Do label loop_var  
    begin_expr end_expr step_expr slist )
```

If statements

```
if ( expr ) then
  slist1
elseif ( expr ) then
  slist2
elseif ( expr ) then
  slist3
  ...
else
  else_clause_slist
endif
```

is represented by

```
#( If expr slist1
  #( If expr slist2
    #( If expr slist3 else_clause_slist )
  )
)
```

Structure of the translator

- ANTLR front generates IR, in ASCII file
- Multiple SORCERER phases make passes over IR and write modified IR back to a file with last phase generating output CMF: e.g.,
`fort t.f | phase1 | phase2 | cmf`
- Easy to test/develop each phase independently, but a bit slower because of file read/write.
- Phases can be merged after independent testing.

Example Fortran-P to text IR:

```
subroutine f(a,n)
dimension a(100)
integer n

do 100 i=1,n
  if ( i .eq. 7 ) then
    a(i) = 0
  else
    a(i) = 1
  endif
  j = i
100 continue
return
```

```

#symbols=7
6:[j, Var, 2, ( [Type,Int] [IConst,1] )]
5:[i, Var, 2, ( [Type,Int] [IConst,1] )]
4:[100, Label, 2,]
3:[n, Var, 2, ( [Type,Int] [IConst,1] )]
1:[a, Var, 1, ( [Type,Real] [IConst,100] )]
0:[f, Subroutine, 0,]
#subgraphs=0
#graphs=1
( [DefSub,] [Subroutine,0] [Var,1] [Var,2] ( [SLIST,]
( [DefDim,] [Var,1] [IConst,100] )
( [DefVar,] [Var,3] ( [Type,Int] [IConst,1] ) )
( [Do,] [Label,4] [Var,5] [IConst,1] [Var,3] ( [SLIST,]
( [If,] ( [EQ,] [Var,5] [IConst,7] ) ( [SLIST,]
( [Assign,] ( [ArrayRef,] [Var,1] [Var,5] ) [IConst,0]
) )
( [SLIST,]
( [Assign,] ( [ArrayRef,] [Var,1] [Var,5] ) [IConst,1]
) ) )
( [Assign,] [Var,6] [Var,5] ) ) )
[Return,] ) )

```

5. SORCERER Fortran-P Template / Example

```
unit:  #( DefSub ( Subroutine | Function | Program )
        (Var)* slist )
      ;

slist: #( SLIST (stat)+ )
      ;

stat:  #( Assign expr expr )
      | #( Goto Label )
      | #( Call Subroutine (expr)* )
      | Label
      | Return
      | Continue
      | EndDo
      | #( Include CConst )
      | Stop
      | #( Do Label Var expr expr expr slist )
      | #( If expr slist slist )
      | #( DefVar Var #( Type (expr)+ ) )
      | #( DefCom Label Var #( Type (expr)+ ) )
      | #( Param Var expr )
      | #( Comment CConst )
      | #( Cdir CConst )
      ;
```

```

expr:    e_atom
        |  ( #( OPSTART..OPEND . . ) )?
           #( OPSTART..OPEND expr expr )
        |  #( OPSTART..OPEND expr )
        |  RangeOp
        |  ComSub
        ;

e_atom:  Var
        |  ind
        |  IConst
        |  FConst
        |  LConst
        |  #( FuncCall Function (expr)+ )
        |  #( ArrayRef Var (expr)+ )
        ;

ind:     #( Ind ( Var | #(ArrayRef Var (expr)+))) ;

```


Fortran-P LAYOUT Phase

```
stat:    ...
        |    <<int ndim=0, nconformant=0; IRnode *x,*y,*z; int xyz;>>
        |    #( def:DefVar v:Var
        |        #( Type
        |            ( dim:expr
        |                <<
        |                ndim++;
        |                if (array_bounds_conform(_parser, dim, &xyz))
        |                    nconformant++;
        |                >>
        |            )+
        |        )
        |    )
        |    ...
        |    ;

e_atom:    Var
        |    ind
        |    IConst
        |    FConst
        |    LConst
        |    #( FuncCall Function (expr)+ )
        |    #( ArrayRef v:Var (dim:expr)+ )
        |    <<
        |    if ( syms[SYM_INDEX(v)].is_distributed )
        |        ast_append(dim, #(NULL, #[RangeOp], #[RangeOp]));
        |    >>
        |    ;
```

Future: Reduction of Array Temporaries

```
...
#define rhonu paul1
#define unu paul2
#define utnu paul3
#define dmnu paul6
#define enu paul9
#define dxnu paul11
    Do 8000 i=-j+5,n+j-4,1
        dxnu(i)=xlnu(i+1)-xlnu(i)
#undef xlnu
        dmnu(i)=dm(i)+dmassl(i)-dmassl(i+1)
#undef dmassl
        rhonu(i)=dmnu(i)/dxnu(i)
        dmnu=1.0D+00/dmnu(i)
        enu(i)=(e(i)*dm(i)+denl(i)-denl(i+1))*dmnu
#undef denl
#undef e
        unu(i)=(u(i)*dm(i)+dmoml(i)-dmoml(i+1))*dmnu
#undef dmoml
#undef u
        utnu(i)=(ut(i)*dm(i)+dmomtl(i)-dmomtl(i+1))*dmnu
#undef dmomtl
#undef dm
#undef ut
...
```

Conclusions

- Fortran-P translator translates serial programs, written in subset of Fortran 77, to CMF for parallel execution.
- Multiple phases of translator communicate via C file streams, allowing independent phase development and testing.
- ANTLR and SORCERER used for IR generation and manipulation. Latest tool set allowed rapid construction of translator.