

LAB 5

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ENCM 369

Lab Section B01

### EXERCISE A:

1. The machine code for the instruction is:

imm11:0	rs1	funct3	rd	op
1111_1010_0000	_0001_0	000	_0001_0	001_0011

This structure for the instruction was found on page 335 of the textbook. The imm value is equal to -96 in binary. The rs1 and the rd represent sp which is found to be register x2 using Table B.4. The opcode and the funct3 was found on page 335.

2. The inputs are:

0111\_1111\_1111\_1111\_1110\_1110\_0100\_0000      (0x7fff\_ee40)

1111\_1111\_1111\_1111\_1111\_1111\_1010\_0000      (-96)

-----

(1) 0111\_1111\_1111\_1111\_1110\_1101\_1110\_0000      (0x7fff\_ede0)

This answer was obtained by converting the hexadecimal into its respective binary representation, and then performing a two's complement on 96 to obtain its negative value. These were then summed up and we obtained the new result for the address of the sp.

### EXERCISE B:

Part 1:

a = 1110\_0010

b = 1110\_0001

Result:

(1) 1100\_0011

- This has no signed overflow, but does have unsigned overflow

There is no unsigned overflow as the result has the same MSB value as the two operands, but there is unsigned overflow as the result is smaller than the operands, which wouldn't make logical sense

Part 2:

a = 0010\_0000

b = 0101\_0000

Result:

(0) 0111\_0000

- This has no signed or unsigned overflow

There is no signed overflow as the operands and the result both have the same MSB and there is no unsigned overflow as the result is larger than both operands and has a carryout of 0

Part 3:

a = 0111\_0110

b = 0000\_1010

Result:

(0) 1000\_0000

- There is signed overflow, but no unsigned overflow

There is signed overflow because both operands are positive but the result is negative, but there is no unsigned overflow as the result is larger than both operands and has a carryout of 0

Part 4:

a = 1101\_0010

b = 1010\_0101

Result:

(1) 0111\_0111

- There is both signed and unsigned overflow

There is signed overflow as the result has the opposite MSB (operands are negative, result is positive) and there is unsigned overflow as the result is smaller than both operands and the carryout is 1

## EXERCISE E:

\*FOR EACH PART, -b WAS OBTAINED BY DOING TWO'S COMPLEMENT\*

Part 1:

a = 1001\_0000

b = 0001\_0101 → -b = 1110\_1011

Result:

(1) 0111\_1011

- There is signed overflow, but no unsigned overflow.

There is signed overflow as the operands have a different MSB than the result. There is unsigned overflow as the result is smaller than the original operands and has a carryout of 1

Part 2:

a = 0100\_0000

b = 1011\_0000 → -b = 0101\_0000

Result:

(0) 1001\_0000

- There is signed overflow, but no unsigned overflow

There is signed overflow as the result is negative when both of our operands are positive, but there is no unsigned overflow as the result is larger than both of our operands, with a carryout of zero

Part 3:

$a = 1101\_0000$

$b = 1111\_0000 \rightarrow -b = 0001\_0000$

Result:

(0)  $1110\_0000$

- There is no signed or unsigned overflow

There is no signed overflow as we are adding a small positive number (16) to a larger negative number (-48) and should result in another negative number, which we correctly get (-32) and there is no unsigned overflow as the result is larger than both operands and the carryout is zero

Part 4:

$a = 1111\_0100$

$b = 1111\_0010 \rightarrow -b = 0000\_1110$

Result:

(1)  $0000\_0010$

- There is no signed overflow, but there is unsigned overflow

There is no signed overflow as we are adding 14 to -12 and should obtain a positive number (2) which we did. There is unsigned overflow as the operand a is larger than the result and our carryout of 1

## EXERCISE G

```
# void int2str(char *dest, int str)

#  arg/var          GPR
#  dest             a0
#    src             a1
#  unsigned abs_src t0
#    unsigned ten    t1
#    unsigned rem    t2
#    unsigned temp    t3
#    char *p         t4
#  char *q           t5
#
# Remark: We have used up all but one of the t-registers.
# However, a2-a7 can also be used for intermediate results.
#
    .text
    .globl int2str

int2str:
    bne    a1, zero, L2
    li     t6, 48
    sb     t6, (a0)
    sb     zero, 1(a0)
```

j        L10

L2:

li        t6, 0x80000000

bne      a1, t6, L3

sub      t0, zero, t6

j        L5

L3:

bge      a1, zero, L4

sub      t6, zero, a1

mv       t0, t6

j        L5

L4:

mv       t0, a1

L5:

mv       t4, a0

li        t1, 10

L6:

beq      t0, zero, L7

remu     t2, t0, t1

la        a2, digits

add      a2, a2, t2

lb        a3, (a2)

sb        a3, (t4)

addi     t4, t4, 1

divu      t0, t0, t1

j        L6

L7:

bge      a1, zero, L8



```
li    a4, 0x2d
sb    a4, (t4)
addi  t4, t4, 1
```

L8:

```
li    a4, 0
sb    a4, (t4)
addi  t5, t4, -1
mv    t4, a0
```

L9:

```
bge   t4, t5, L10
lb     t3, (t4)
lb     a5, (t5)
sb     a5, (t4)
mv     a6, t3
sb     a6, (t5)
addi   t4, t4, 1
addi   t5, t5, -1
j      L9
```

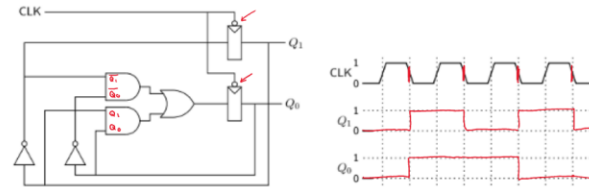
L10:

```
jr     ra
```

**EXERCISE H:**

## Worksheet for Exercise II

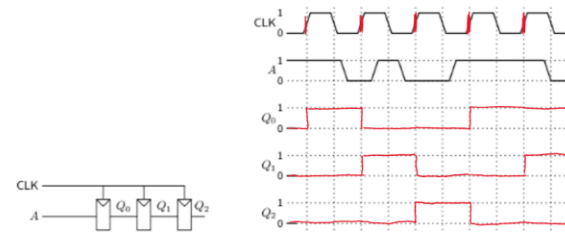
## Part I



$$Q_1' = \overline{Q_1}$$

$$Q_0' = (Q_1 \cdot Q_0) + (\overline{Q_1} \cdot \overline{Q_0})$$

## Part II



$$Q_0' = A$$

$$Q_1' = Q_0$$

$$Q_2' = Q_1$$