

ROIL: Robust Offline Imitation Learning

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Summary

Motivation

- ▶ **Need better offline IRL methods**
- ▶ Learning from data in a robust offline way is important in many fields, like health care, robotics or finance
- ▶ Existing methods are not robust to covariate shift

Limitations of existing methods

- ▶ Reliance on \hat{u}_e leads to covariate shift for off-policy datasets
- ▶ Inability to specify reliance on \hat{u}_e
- ▶ **No guarantees of policy convergence to u_e even when every state is visited**

Our contributions

- ▶ New algorithm for robust offline imitation learning
- ▶ Guaranteed convergence to the optimal policy for tabular domains
- ▶ Flexibility to define the reliance on \hat{u}_e

IRL

- ▶ Methods that learn a policy from expert demonstrations and a model of the environment
- ▶ **Goal:** Learn a policy that is close to the expert's
- ▶ **On-policy:** State visitation frequency is the same as the expert's
- ▶ **Off-policy:** State visitation frequency is *different* from the expert's

Not Occupancy Frequency Matching

- ▶ Many methods rely on matching the occupancy frequencies of the expert and the learned policy
- ▶ LPAL, GAIL, MILO, ect
- ▶ When off-policy, \hat{u}_e is not close to u_e
- ▶ ROIL avoids this by not relying on \hat{u}_e

Inverse Reinforcement Learning (IRL)

$$\rho(\pi, r) = \lim_{T \rightarrow \infty} \mathbb{E}^{\pi, p_0} \left[\sum_{t=0}^T \gamma^t r(\tilde{s}_t, \pi(\tilde{s}_t)) \right]$$

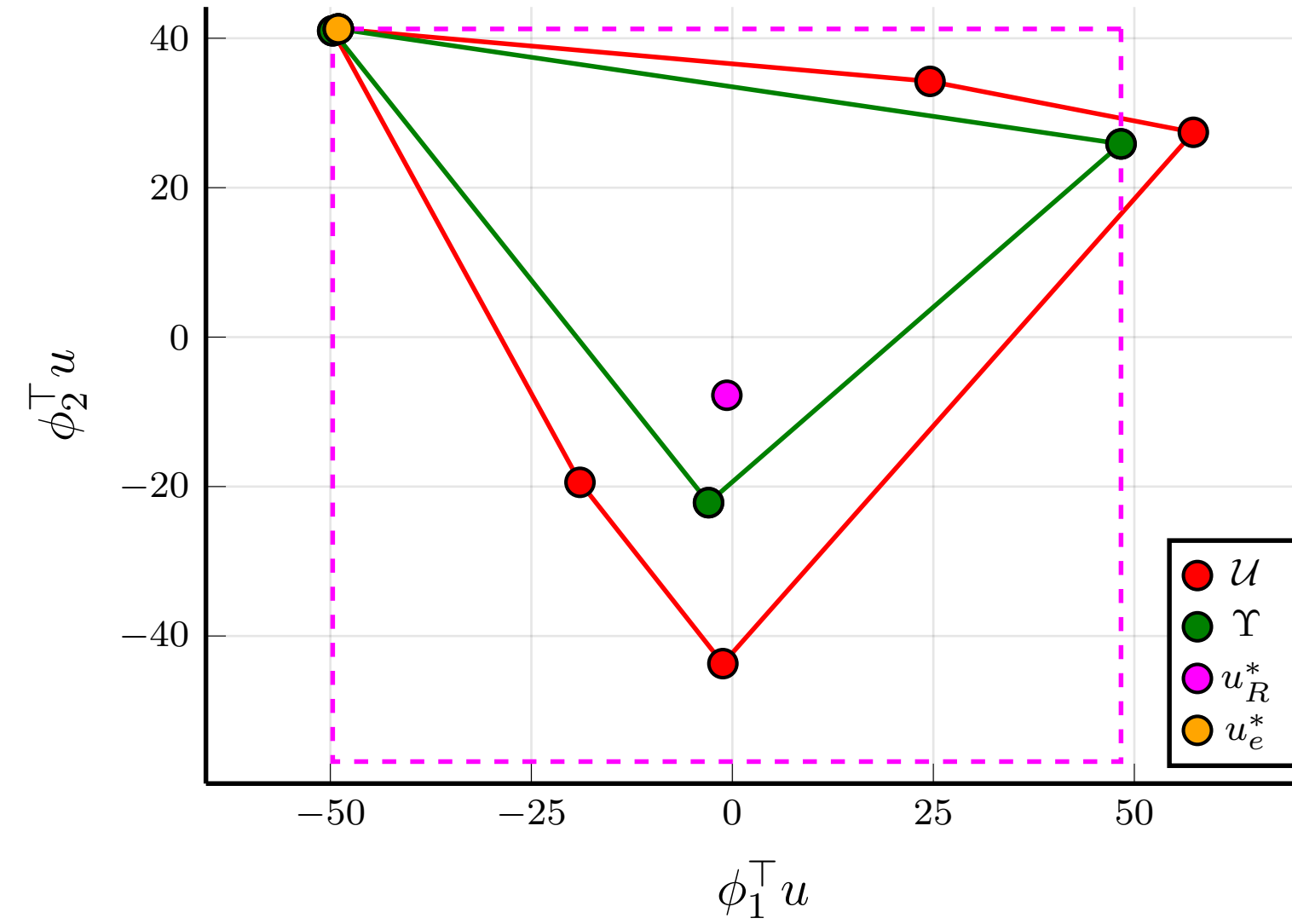
$$\pi_{IRL}^* = \arg \min_{\pi \in \Pi} \max_{r \in \mathcal{R}} \rho(\hat{\pi}_e, r) - \rho(\pi, r)$$

$$\pi_{ROIL}^* = \arg \min_{\pi \in \Pi} \max_{\pi_e \in \Pi} \max_{r \in \mathcal{R}} \rho(\pi_e, r) - \rho(\pi, r)$$

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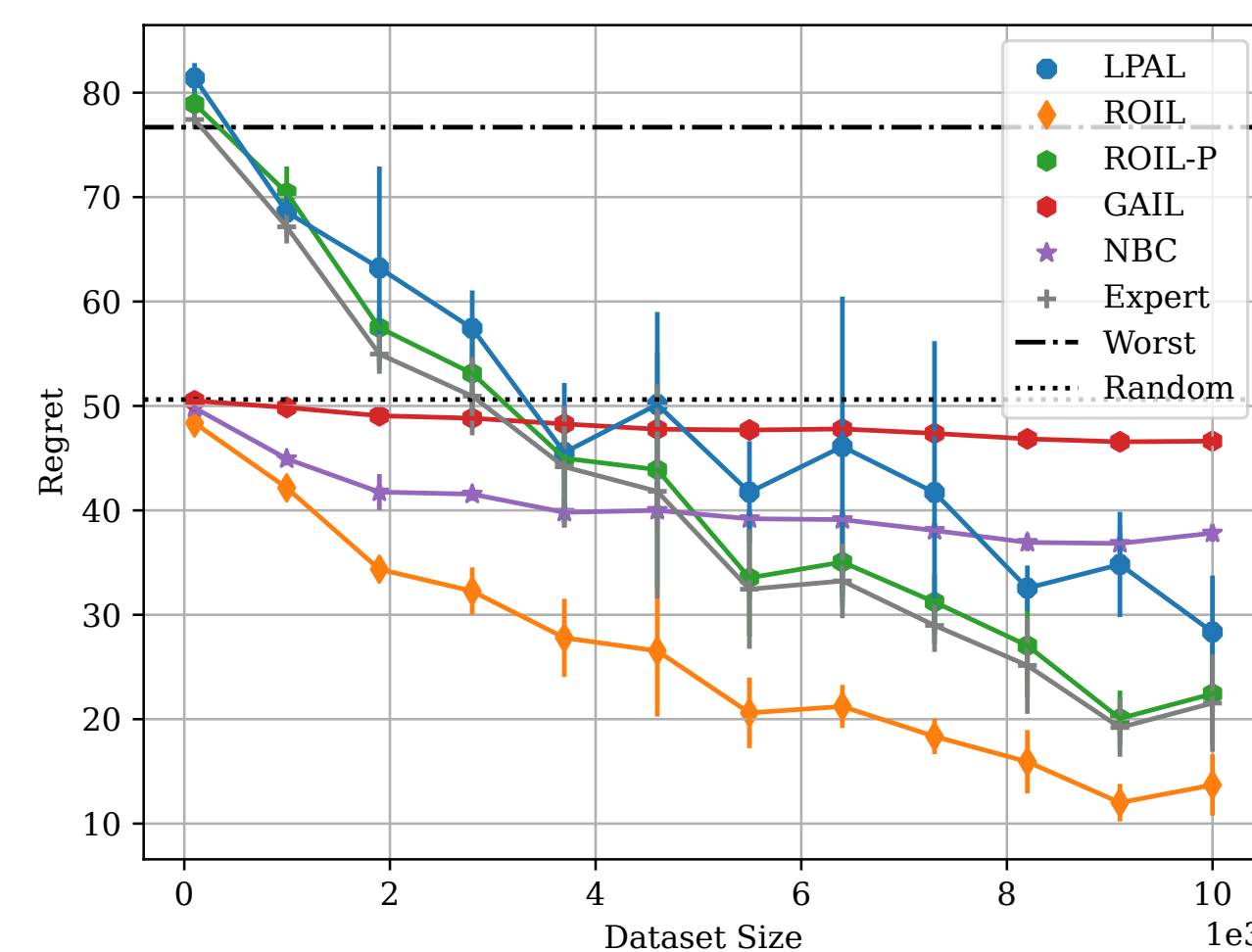
Visual Representation of ROIL



ROIL LP

$$\begin{aligned} \min_{t \in \mathbb{R}, u \in \mathbb{R}^{S \times A}} \quad & t \\ \text{s.t.} \quad & t \geq -u^T \Phi w + \max_{v \in \Upsilon} v^T \Phi w, \quad \forall w \in \text{ext}(\mathcal{W}), \\ & u \in \Upsilon, \end{aligned}$$

Regret Results



Gridworld Results

