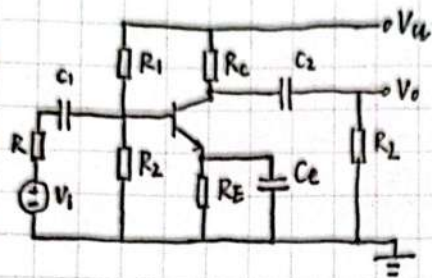


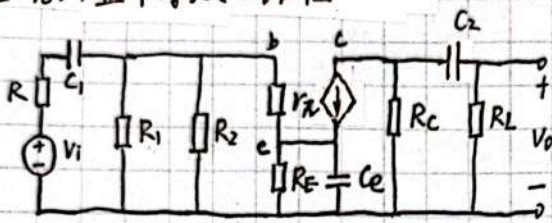
[共射和共源放大器频率响应]

6.2.1 共射和共源放大器的低频响应

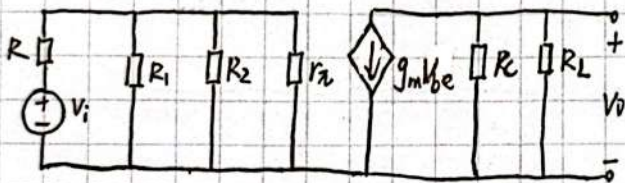
[一. 共射放大器的低频响应]



△先画整个等效电路图:



STEP1: 求中频增益 (C 均短路)



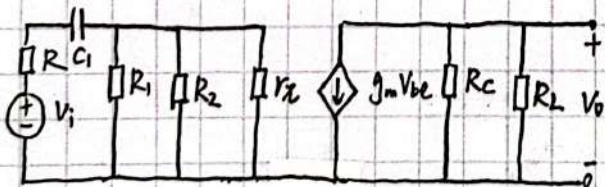
$$A_u = \frac{V_o}{V_i} = \frac{-g_m V_{be} (R_C // R_L)}{V_{be}} \cdot \frac{R_i}{R + R_i}$$

$$R_i = R_1 // R_2 // R_{be}$$

STEP2: 分别求解 C:

2-1: C1 作用, 其他电容短路

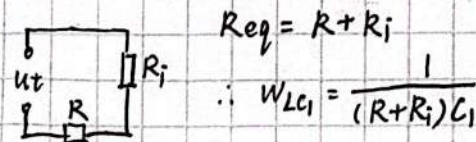
C1: 高通:



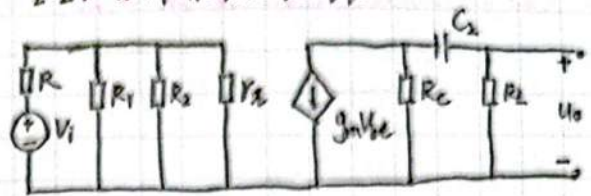
$$A_u = A_m \cdot \frac{j\omega / \omega_{LC1}}{1 + j\omega / \omega_{LC1}}$$

$\omega_{LC1} \rightarrow C_1 \text{ 电容}$
 \downarrow
低频截止频率

ω_{LC1} : 求 C1 两端等效电阻. 断开 C1, 加上 U_t .



2-2: C2 作用, 其他短路:

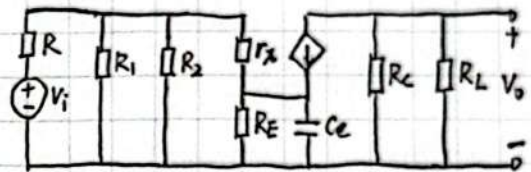


$$A_u = \frac{j\omega / \omega_{LC2}}{1 + j\omega / \omega_{LC2}}$$

$$R_{eq} = R_C + R_L \quad \omega_{LC2} = \frac{1}{C_2 (R_C + R_L)}$$

2-2: CE 作用, 其他短路:

[事实上 CE 不太影响结果]

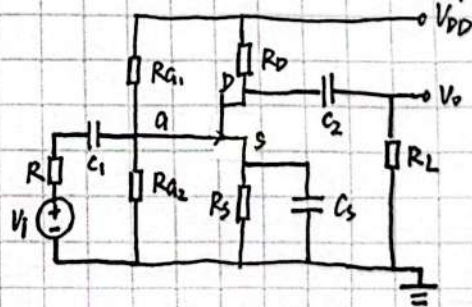


$$R_{E'} = R_E + \frac{r_{be} + R_1 // R_2 // R}{1 + \beta}$$

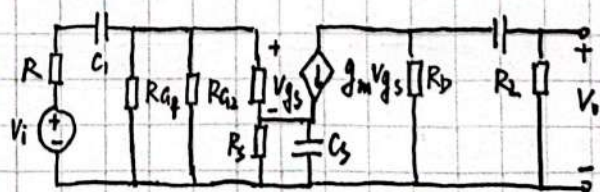
$$\omega_{LCE} = \frac{1}{R_{E'} C_E}$$

STEP3: 比较 ω_{C1} , ω_{C2} , 确定主极点, 从而确定低频截止频率

[二. 共源放大器的截止频率]



△先画整个等效电路:

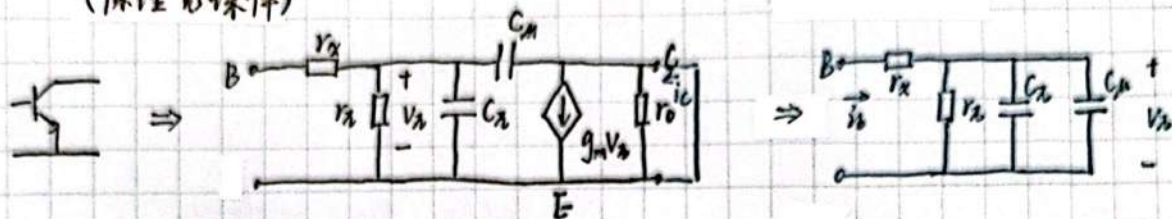


[和 bjt 情况太像了, 略]

6.2.2 共射和共漏放大器的高频响应

[-. 晶体管的高频等效电路]

(原理见课件)



此时假设 i_c 为某一恒定值,

$$\therefore \beta = \frac{i_c}{i_b} = \frac{g_m V_x}{i_b} = \frac{g_m i_b [r_x // \frac{1}{j\omega(C_x + C_c)}]}{i_b} = \frac{g_m r_x}{1 + j\omega r_x (C_x + C_c)} = \frac{\beta_0}{1 + j\omega/\omega_p} \quad \text{其中 } \omega_p = \frac{1}{r_x (C_x + C_c)}$$

$$\begin{cases} 20 \lg |\beta| = 20 \lg \frac{\beta_0}{\sqrt{1 + (\omega/\omega_p)^2}} \\ \varphi = \lg^{-1}(\omega/\omega_p) \end{cases}$$

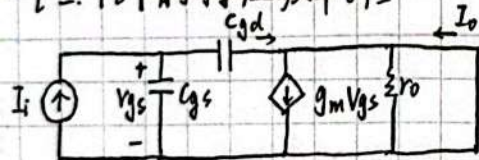
$$20 \lg \left| \frac{\beta(f)}{\beta(0)} \right| = -3 \Rightarrow \text{截止频率 } f_p$$

$$20 \lg |\beta| = 0 \Rightarrow \text{特征频率 } f_T$$

$$[\text{此时 } |\beta| = 1, \frac{\beta_0}{\sqrt{1 + (\omega_T/\omega_p)^2}} = 1, \frac{\beta_0}{\omega_T/\omega_p} \approx 1 \Rightarrow f_T = \beta_0 f_p]$$

$$\text{由 } f_p = \frac{1}{2\pi r_x (C_x + C_c)} \Rightarrow f_T = \frac{\beta_0}{2\pi r_x (C_x + C_c)} = \frac{g_m}{2\pi (C_x + C_c)}$$

[二. FET 的特征频率 f_T]

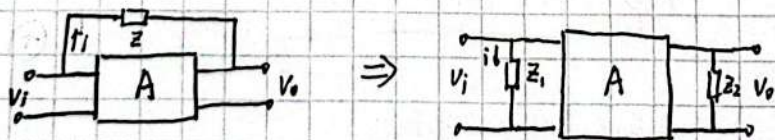


$$I_o = g_m V_{gs} - s C_{gd} V_{gs} \approx g_m V_{gs} \quad \text{小, 忽略}$$

$$V_{gs} = \frac{I_i}{s(C_{gs} + C_{gd})} \quad \therefore \frac{I_o}{I_i} = \frac{g_m}{s(C_{gs} + C_{gd})}$$

$$\text{求解 } f_T: \left| \frac{I_o}{I_i} \right| = \frac{g_m}{\omega(C_{gs} + C_{gd})} \quad \text{令 } |\beta| = \left| \frac{I_o}{I_i} \right| = 1 \quad \therefore \omega_T = \frac{g_m}{C_{gs} + C_{gd}}, \quad f_T = \frac{g_m}{2\pi(C_{gs} + C_{gd})}$$

[三. 米勒定理] (假设 A 内部无电流: 虚断)



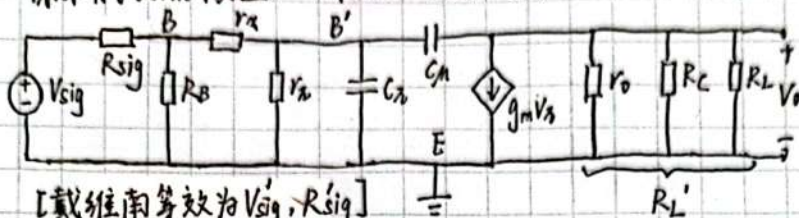
$$\text{原电路中, } i = \frac{V_i - V_o}{Z} = \frac{V_i - AV_i}{Z} = \frac{V_i}{Z(1-A)} = \frac{V_i}{Z_1} \Rightarrow Z_1 = \frac{Z}{1-A}$$

$$\text{同理, } Z_2 = \frac{A}{A-1} Z$$

△若跨接电容是 C, 易知, $C_1 = (1-A)C$, $C_2 = \frac{A-1}{A} C \approx C$

[四. 共射放大器的频率响应]

原来的交流模型: (取 $R_B = R_{B1} // R_{B2}$)



[戴维南等效为 V_{sig}', R_{sig}']

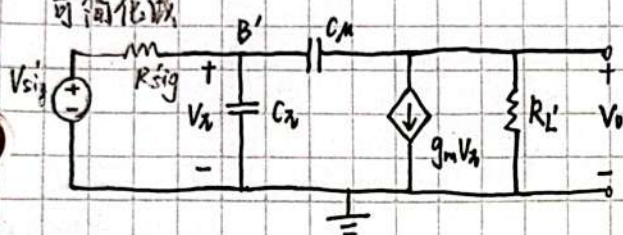
???

$$V_{sig}' = V_{sig} \cdot \frac{R_B}{R_B + R_{sig}} \cdot \frac{r_{\pi}}{r_{\pi} + r_x + (R_{sig} // R_B)}$$

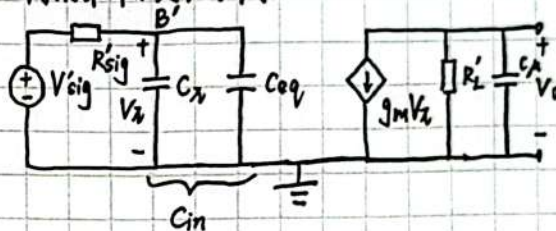
$$R_{sig}' = r_{\pi} // (r_x + R_B // R_{sig})$$

$$R_L' = r_o // R_C // R_L$$

可简化成



→ 利用米勒定理, 简化:



$$A = \frac{V_o}{V_i} = \frac{-g_m V_{\pi} R_L'}{V_{\pi}} = -g_m R_L'$$

$$\therefore C_{in} = C_{\pi} + C_{eq} = C_{\pi} + (1 + g_m R_L') C_{\mu}$$

$$\text{而 } C_i = (1 - A) C_{\mu} = (1 + g_m R_L') C_{\mu}$$

又: $C_{\mu} \ll C_{in}$... C_{in} 对高频截止频率占主导

$$\therefore \frac{V_o}{V_{sig}} = A_m \cdot \frac{1}{1 + j\omega/\omega_H}$$

求得 C_{in} 对应的 R_{sig}' , 有 $\omega_H = \frac{1}{R_{sig}' C_{in}}$

[五. 多级放大电路频率响应]

$$\begin{cases} 20 \lg |A_{uL}| = \sum_{k=1}^n 20 \lg |A_{uk}| \\ \varphi = \sum_{k=1}^n \varphi_k \end{cases}$$

$$\varphi = \sum_{k=1}^n \varphi_k$$