

Assignment 3

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1. MC-Epsilon greedy and MC-Exploring

a. MC-Exploring Start

Max iteration = 20000

Gamma = 0.9

Horizon = 3

The results obtained using the above parameters are as follows

Before (random policy), T = Target, W = Wall

T	left	right	left	left	left	
right	right	down	up	W	up	
down	W	up	W	down	left	
right	right	up	left	right	left	

Optimal policy, T = Target, W = Wall

T	left	left	left	left	down	
up	up	left	up	W	up	
up	W	down	W	right	down	
up	right	up	right	right	left	

b. MC-Epsilon greedy without Exploring Starts(On-policy)

The only way to avoid the assumption that exploring starts is to ensure that all actions can be selected.

On-policy first-visit MC control (for ϵ -soft policies)

Initialize, for all $s \in \mathcal{S}$, $a \in \mathcal{A}(s)$:

- $Q(s, a) \leftarrow$ arbitrary
- $Returns(s, a) \leftarrow$ empty list
- $\pi(a|s) \leftarrow$ an arbitrary ϵ -soft policy

Repeat forever:

- (a) Generate an episode using π
- (b) For each pair s, a appearing in the episode:
 - $G \leftarrow$ return following the first occurrence of s, a
 - Append G to $Returns(s, a)$
 - $Q(s, a) \leftarrow \text{average}(Returns(s, a))$
- (c) For each s in the episode:
 - $A^* \leftarrow \arg \max_a Q(s, a)$
 - For all $a \in \mathcal{A}(s)$:

$$\pi(a|s) \leftarrow \begin{cases} 1 - \epsilon + \epsilon/|\mathcal{A}(s)| & \text{if } a = A^* \\ \epsilon/|\mathcal{A}(s)| & \text{if } a \neq A^* \end{cases}$$

With probability ϵ , the current action with the largest action value estimate is selected, while with probability $1-\epsilon$, an action is randomly selected from all actions at random.

If there are multiple actions to choose from, you can use the following formula to calculate the probability and then select.

$$\pi(a|s) \leftarrow \begin{cases} 1 - \epsilon + \frac{\epsilon}{|A(s)|} \\ \frac{\epsilon}{|A(s)|} \end{cases}$$

$|A(s)| = \text{number of actions}$

The code is shown in the figure below and is selected according to the odds calculated by epsilon:

```
PolicyProbability = np.ones(len(valid_actions)) * self.epsilon / len(valid_actions)
PolicyProbability[np.argmax(Q_value)] += 1 - self.epsilon
# print("-----")
# print(valid_actions, PolicyProbability)
# print(valid_actions[np.random.choice(np.arange(len(valid_actions)), p = PolicyProbability)])
return valid_actions[np.random.choice(np.arange(len(valid_actions)), p = PolicyProbability)]
```

Max iteration = 20000

Gamma = 0.9

Horizon = 3

Epsilon = 0.2

The results obtained using the above parameters are as follows:

```
Before (random policy), T = Target, W = Wall
-----
| T      | right  | right  | right  | left   | down   |
-----
| right  | up     | up     | up     | W      | up     |
-----
| up     | W      | up     | W      | right  | up     |
-----
| right  | right  | right  | right  | up     | up     |
-----

Optimal policy, T = Target, W = Wall
-----
| T      | left   | left   | left   | left   | left   |
-----
| up     | left   | up     | left   | W      | up     |
-----
| up     | W      | up     | W      | right  | up     |
-----
| up     | left   | up     | right  | left   | left   |
-----
```

By comparing the two results, we can see that in the state of small “Horizon”, “**without ExploringStarts**” is better because it can explore and exploration with epsilon.

2. Fly~~

a. Monte Carlo Algorithm addfly

Same parameters as the first question.

Before (random policy), T = Target, W = Wall						
T	left	right	left	left	left	
right	right	down	up	W	up	
down	W	up	W	fly	down	
right	right	up	left	right	left	
Optimal policy, T = Target, W = Wall						
T	left	left	left	left	left	
up	left	left	fly	W	up	
up	W	down	W	fly	left	
up	left	right	right	up	left	

b. Monte Carlo Algorithm addfly without Exploring Starts

Same parameters as the first question.

Before (random policy), T = Target, W = Wall						
T	right	right	right	right	down	
up	up	up	up	W	up	
up	W	up	W	right	up	
up	right	up	right	up	up	
Optimal policy, T = Target, W = Wall						
T	left	left	left	left	down	
up	up	up	fly	W	up	
up	W	up	W	fly	left	
up	left	up	right	up	left	