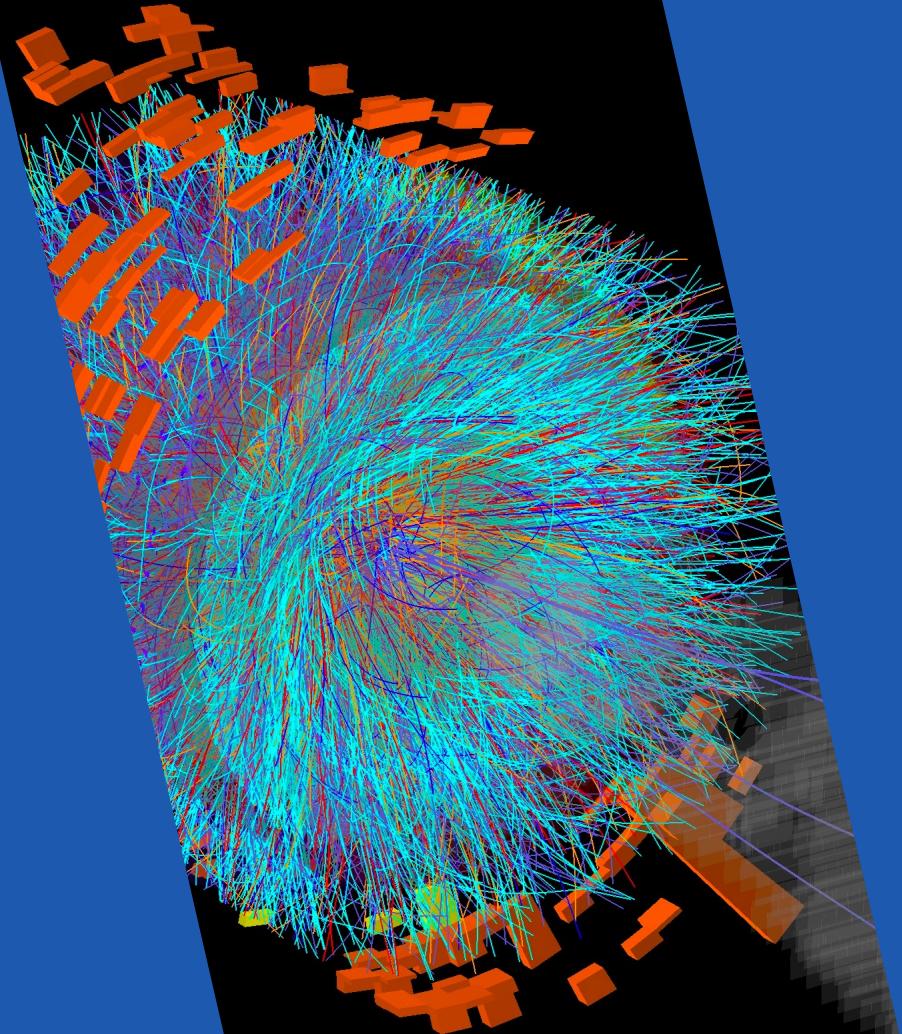




## Heavy Ions 3/3

**Francesca Bellini**

University and INFN, Bologna, Italy  
Contact: [francesca.bellini@cern.ch](mailto:francesca.bellini@cern.ch)

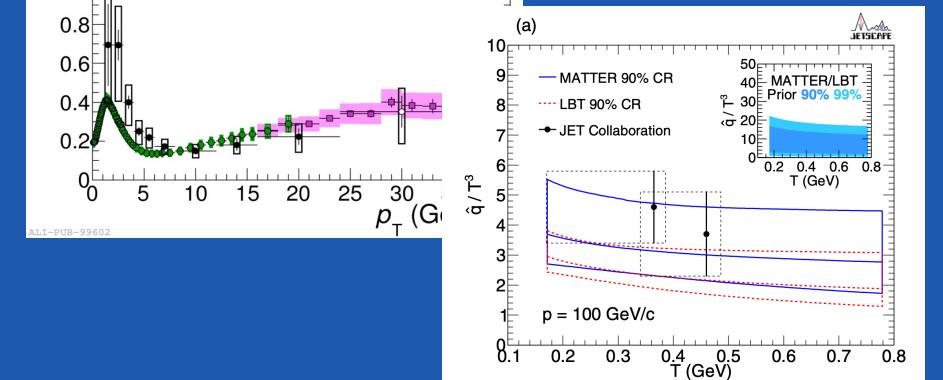
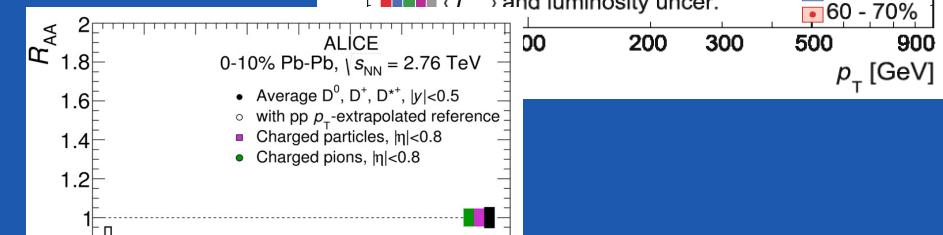
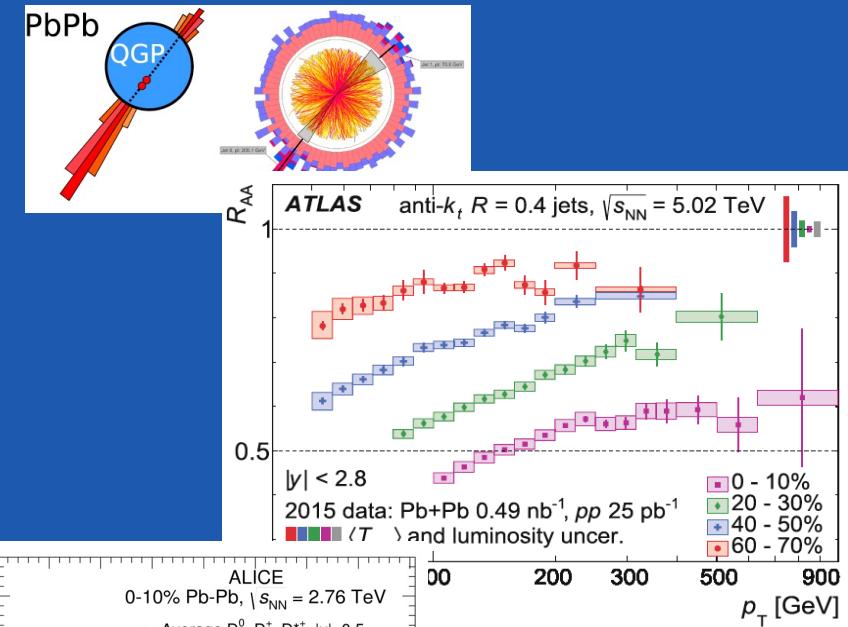


# Yesterday's summary – take home 1/4

**Evidence of the creation of a strongly-interacting medium** in central heavy ion collisions comes from the observed strong suppression of particle production, explained by the energy loss of colored partons in the colored QGP.

- Radiative energy loss dominates at high  $p_T$  for light flavours, gluons and charm
- c and b also affected by dead cone effect and collisional energy loss

A quantitative characterization of the properties of the medium (e.g. transport coefficient, ...) requires **models**.



How does the presence of a colored QGP  
affect hadron formation?

# Quarkonium as a thermometer for QGP

Charmonium suppression ( $J/\psi$ ,  $\psi'$ , ...) was suggested as “smoking gun” signature for the QGP back in the 1980’s [Matsui, Satz, PLB178 (1986) 416-422]

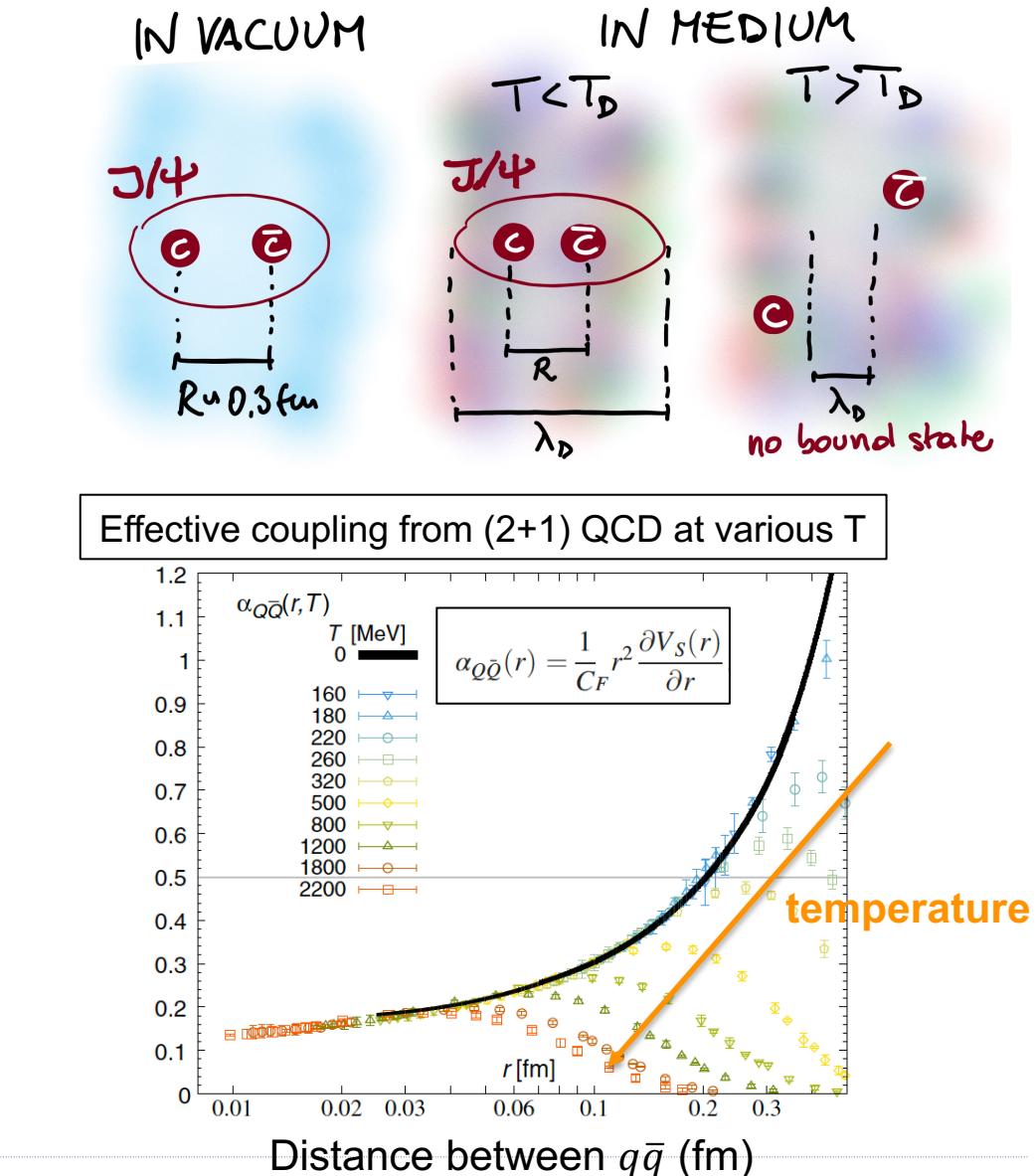
In vacuum ( $T=0$ ),  $q\bar{q}$  is bound by the Cornell potential.

$$V(r) = -\frac{\alpha}{r} + kr$$

In the dense and hot QGP ( $T>0$ ), the binding potential is modified by color-charge (Debye) screening effects

$$V(r) = -\frac{\alpha}{r} e^{-r/\lambda_D}$$

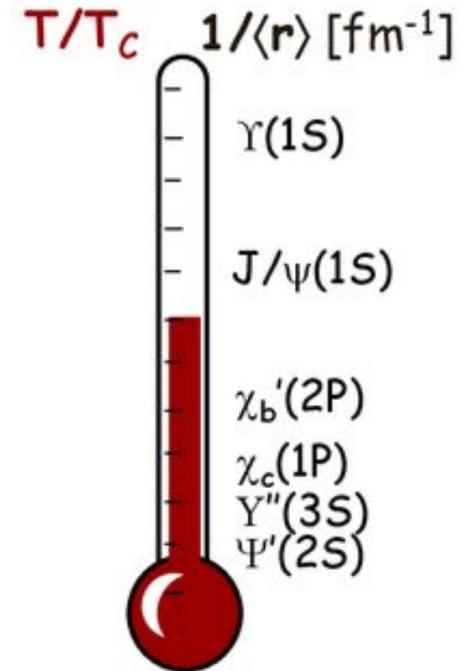
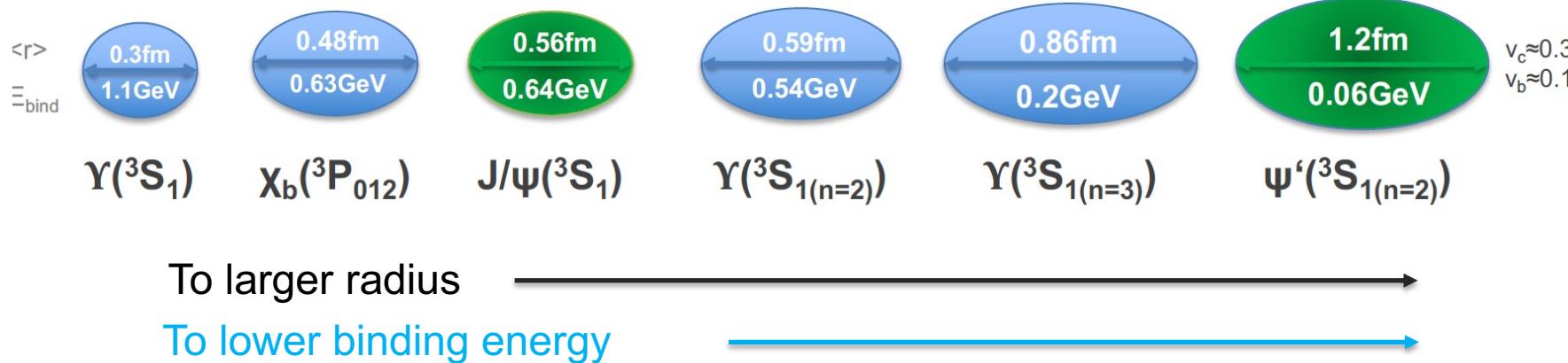
The effective coupling between  $q$  and  $\bar{q}$  at large distances gets reduced →  $q\bar{q}$  melting



# Quarkonium as a thermometer for QGP

$c\bar{c}$  ( $J/\Psi$ ,  $\Psi'$ ,..) and  $b\bar{b}$  ( $\Upsilon'$ ,  $\Upsilon''$ ,  $\Upsilon'''$ ) states are a **laboratory for QCD**:

- Small decay width ( $\sim$ keV), significant BR into dileptons
- Intrinsic separation of energy scales:  $m_Q \gg \Lambda_{QCD}$  and  $m_Q \gg B_E$
- A variety of states characterized by different binding energies



→ Goal: understand mechanisms of **dissociation and regeneration** in QGP

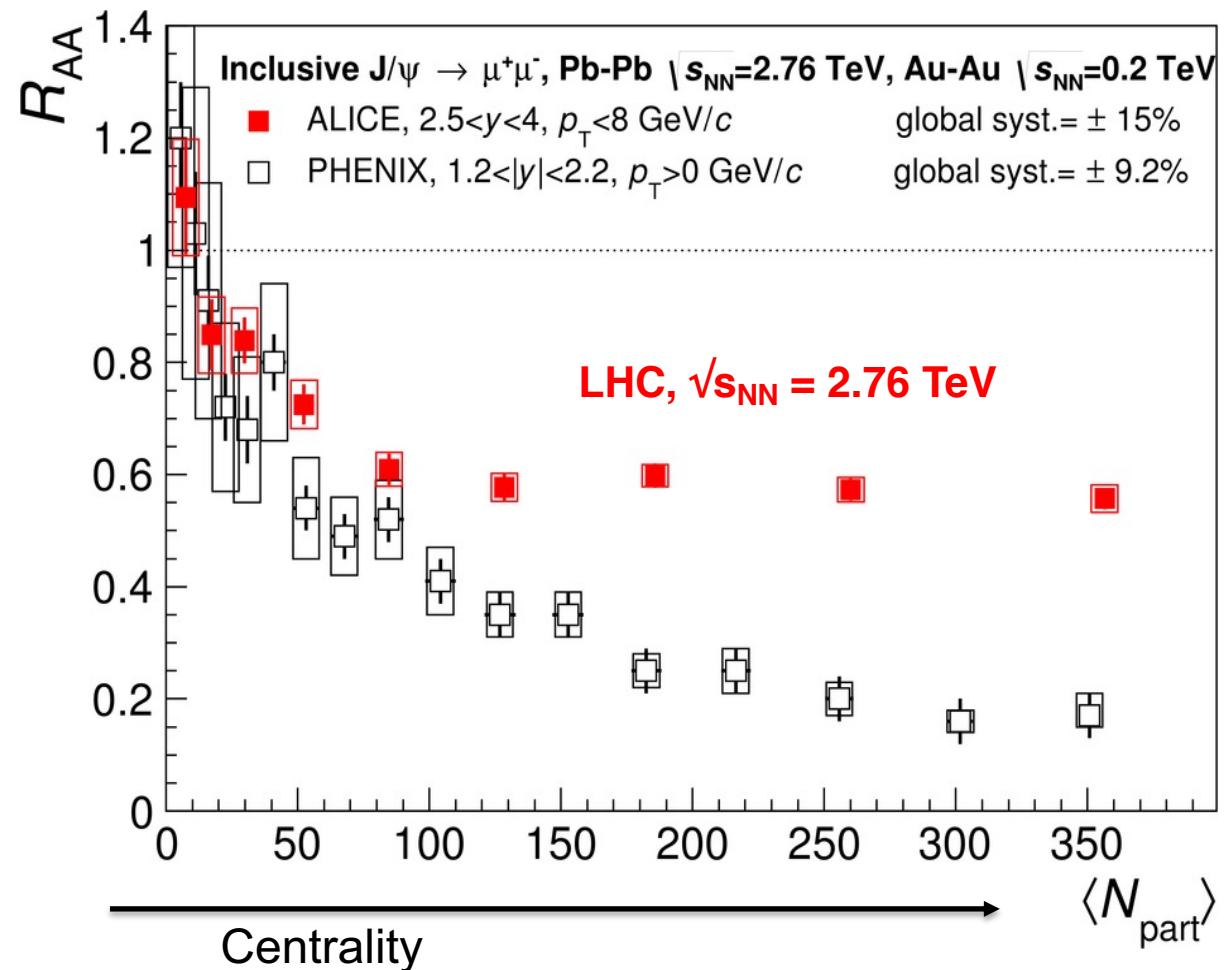
# J/ $\psi$ ( $c\bar{c}$ ) suppression

- observed at the SPS ( $\sqrt{s_{NN}} = 17$  GeV)
- later measured at RHIC ( $\sqrt{s_{NN}}=200$  GeV) up to very high multiplicities

For similar multiplicities the suppression at SPS is similar to that at RHIC despite the energy difference (not shown)

**At the LHC, J/ $\psi$  is less suppressed than at RHIC**

- larger charm cross section
- regeneration



# $c\bar{c}$ cross section vs energy

The cross section for producing a  $c\bar{c}$  pair increases with  $\sqrt{s}$

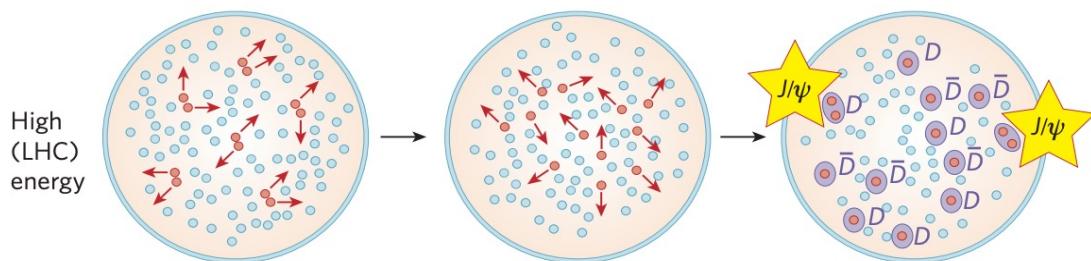
In a central event

At SPS  $\sim 0.1$   $c\bar{c}$

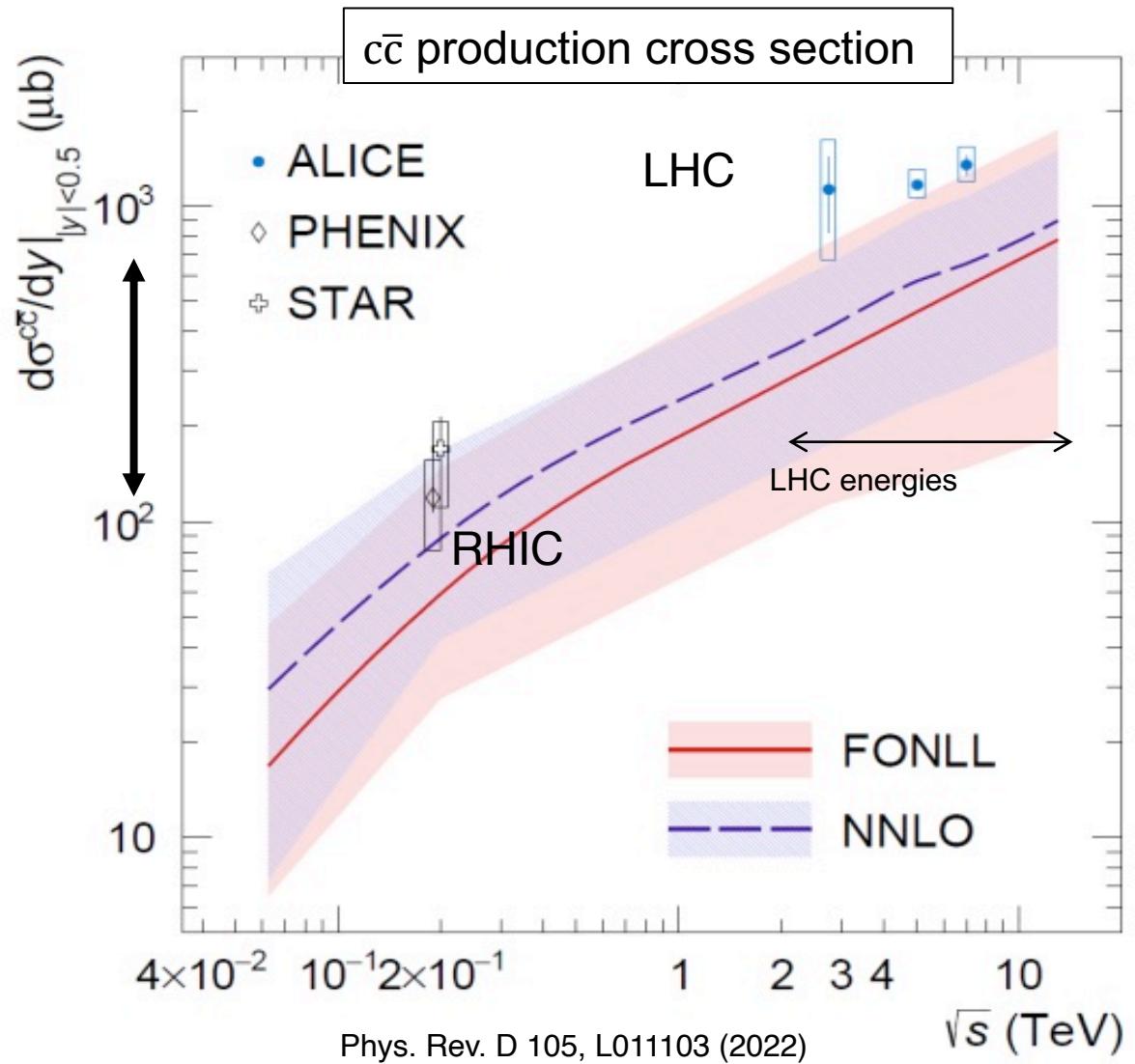
At RHIC  $\sim 10$   $c\bar{c}$

At LHC  $\sim 100$   $c\bar{c}$

$c$  from one  $c\bar{c}$  pair may combine with  $\bar{c}$  from another  $c\bar{c}$  pair at hadronization to form a  $J/\psi$   
→ **regeneration!**



P. Braun-Munzinger, J. Stachel., Nature 448, 302–309 (2007)

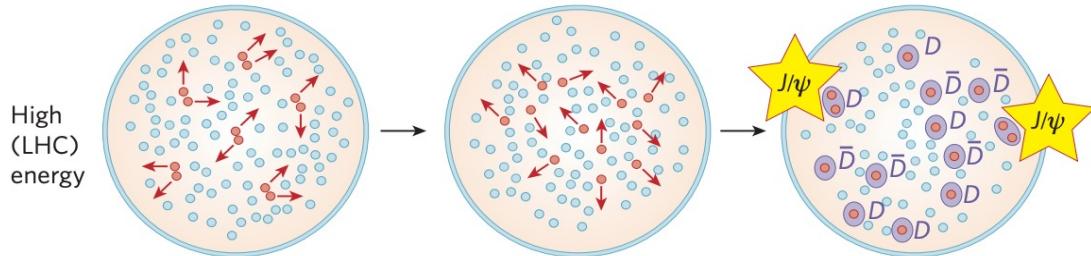


# J/ $\psi$ regeneration

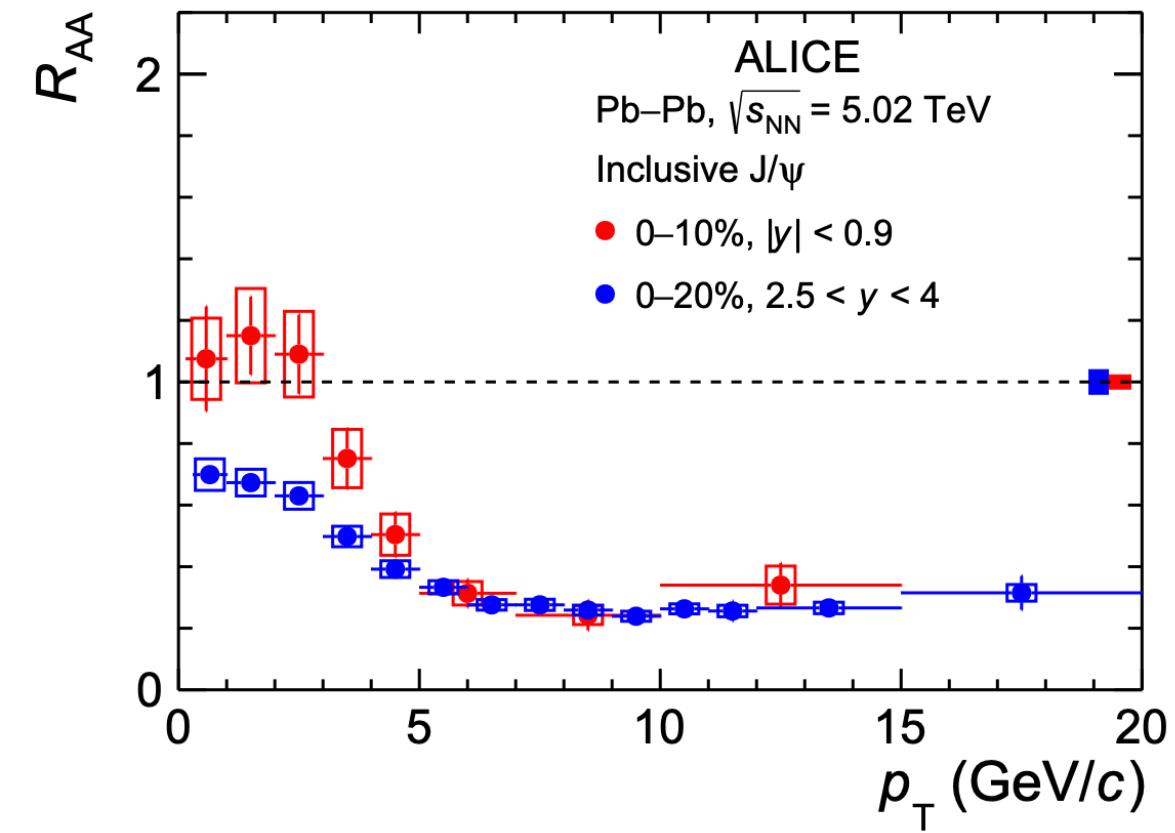
$R_{AA}$  midrapidity >  $R_{AA}$  forward rapidity

- **Regeneration of charmonium** and charmed hadrons take place in QGP or at the phase boundary.
- $R_{AA}$  depends on the local charm quark density in the medium

→ **Signature of de-confinement.**



P. Braun-Munzinger, J. Stachel., Nature 448, 302–309 (2007)

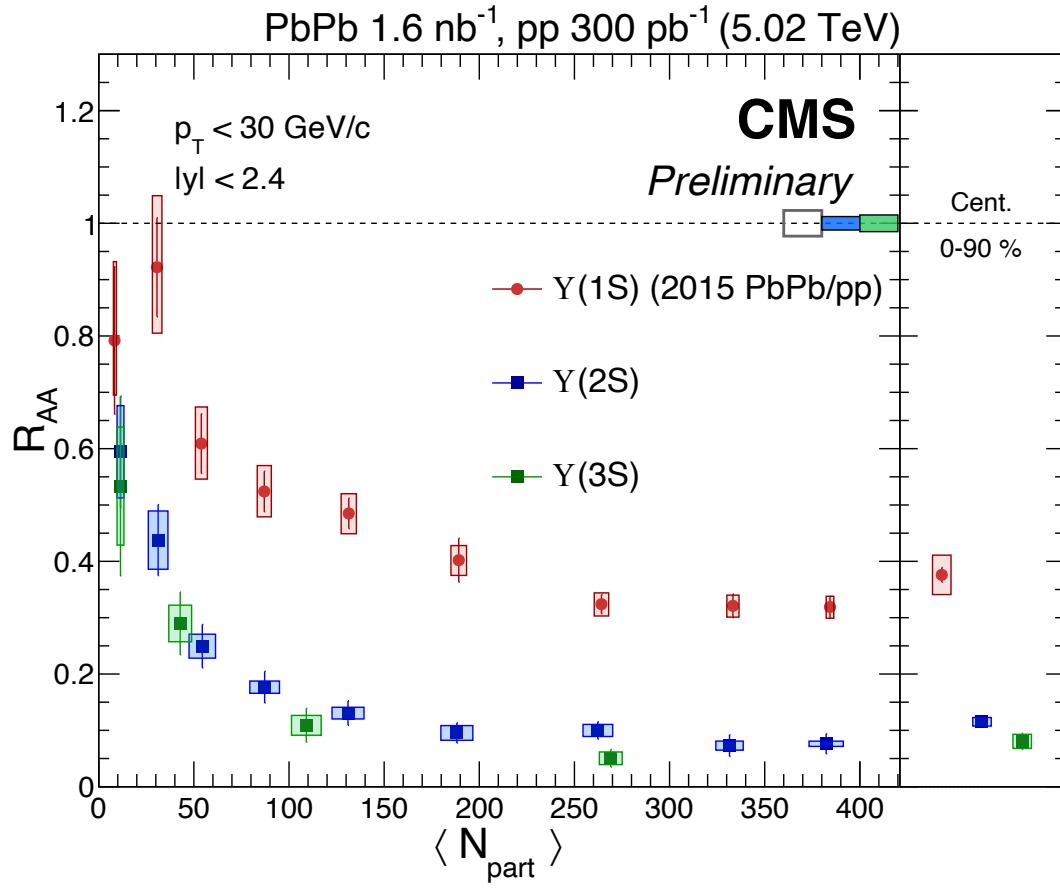
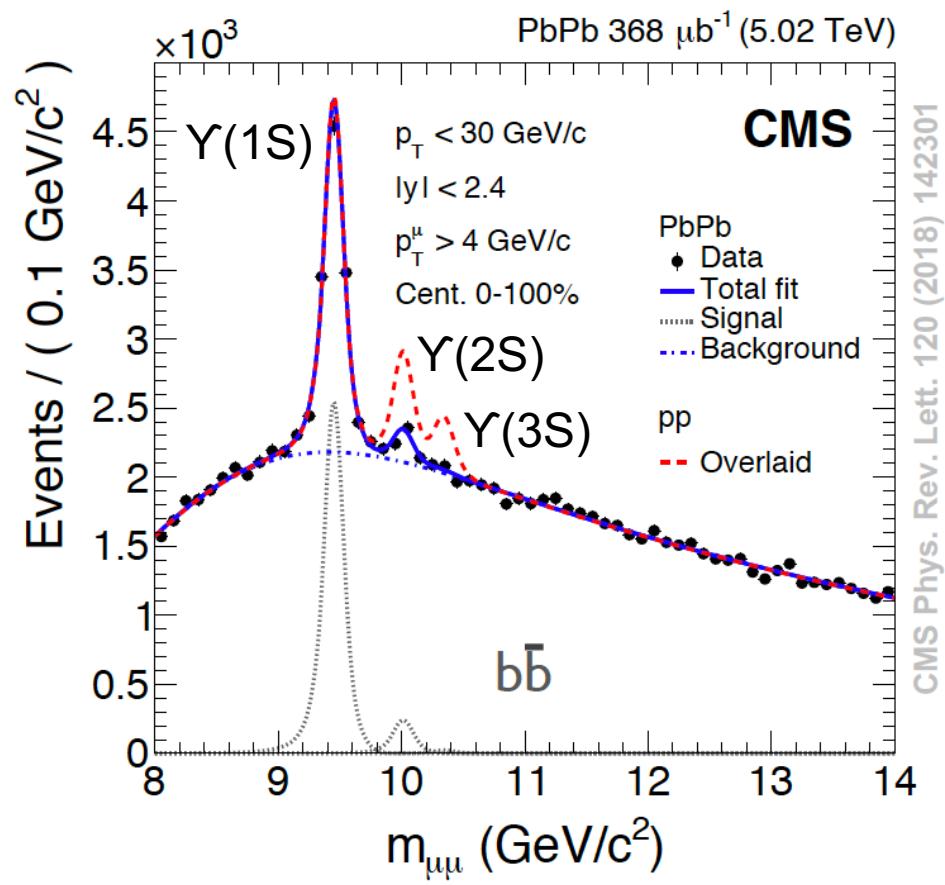


ALICE, arXiv:2303.13361

# Sequential melting of $b\bar{b}$ states

Measurements reveal a **sequential suppression of high mass**  $b\bar{b}$  states (bottomonium).

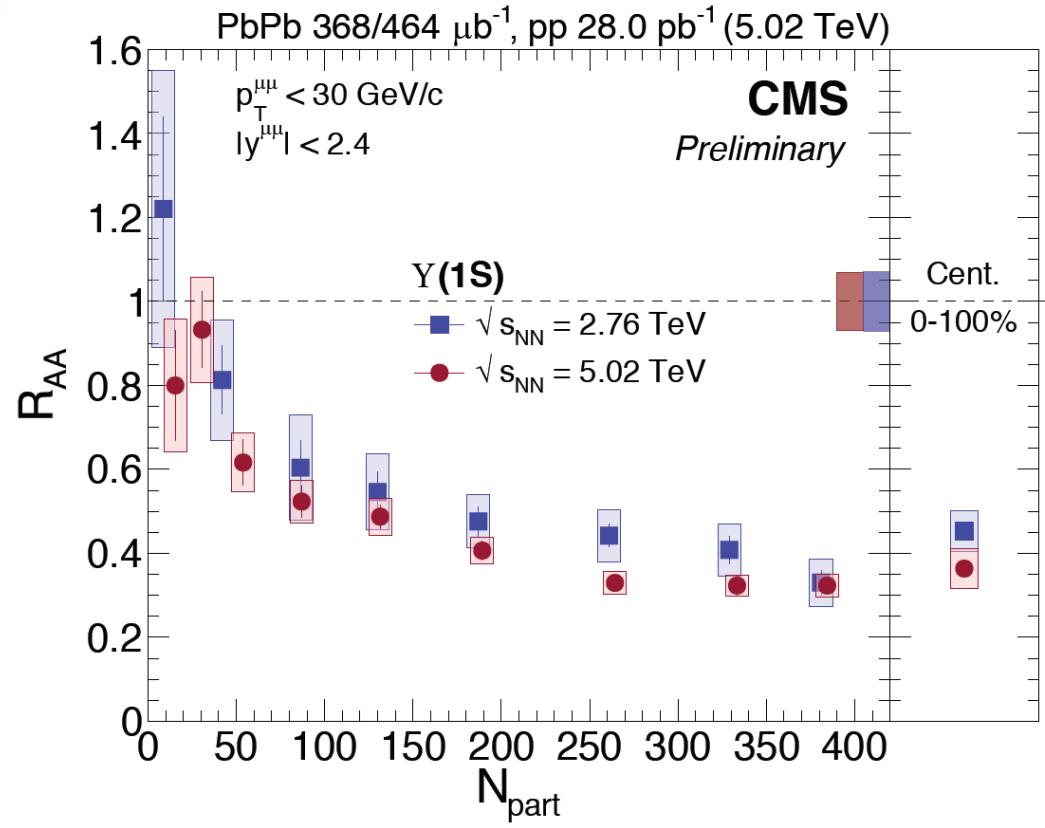
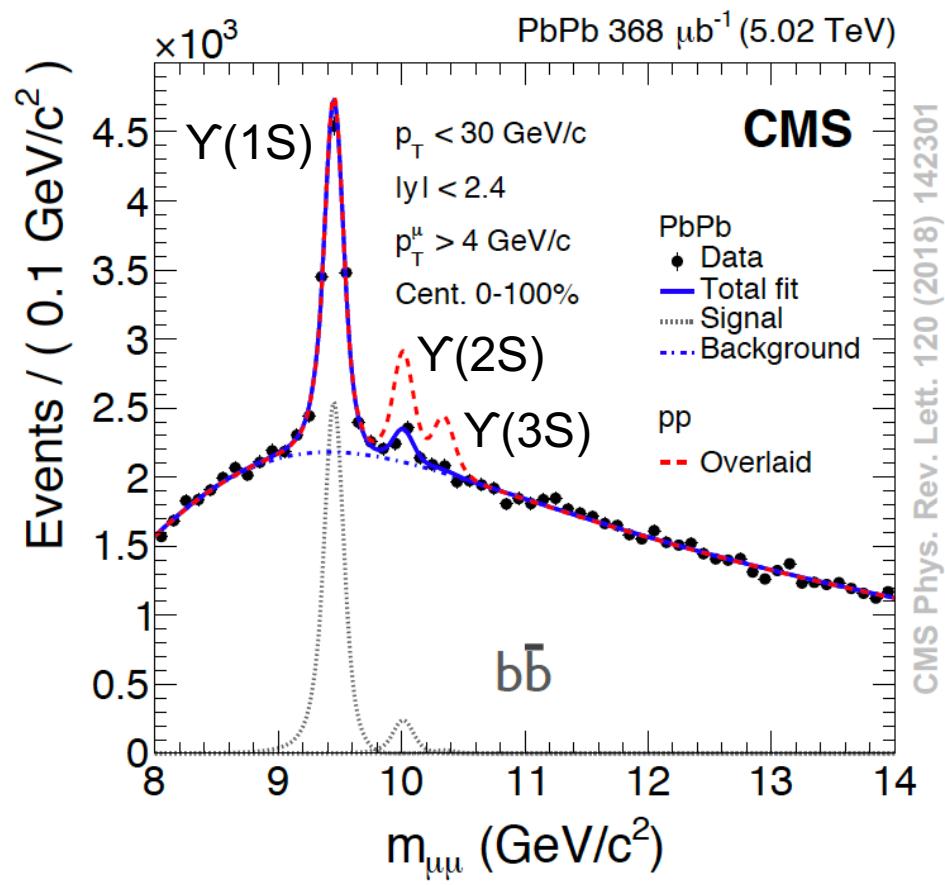
- The centrality dependence is consistent with progressive suppression in a hotter medium.



# Sequential melting of $b\bar{b}$ states

Measurements reveal a **sequential suppression of high mass  $b\bar{b}$  states (bottomonium)**.

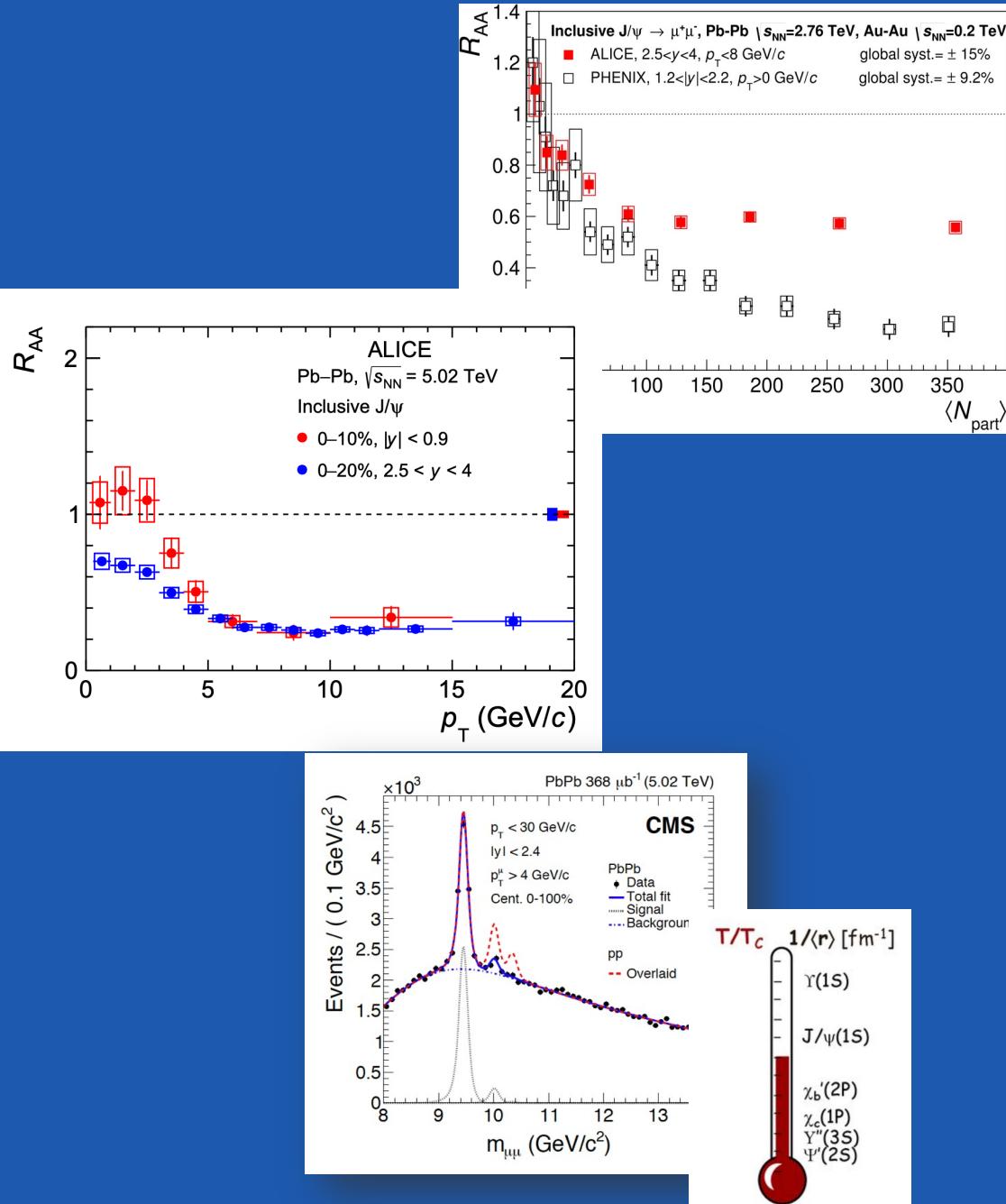
- The centrality dependence is consistent with progressive suppression in a hotter medium.
- Increased suppression with increased collision energy → **no recombination at hadronisation**



## Take home 2/4

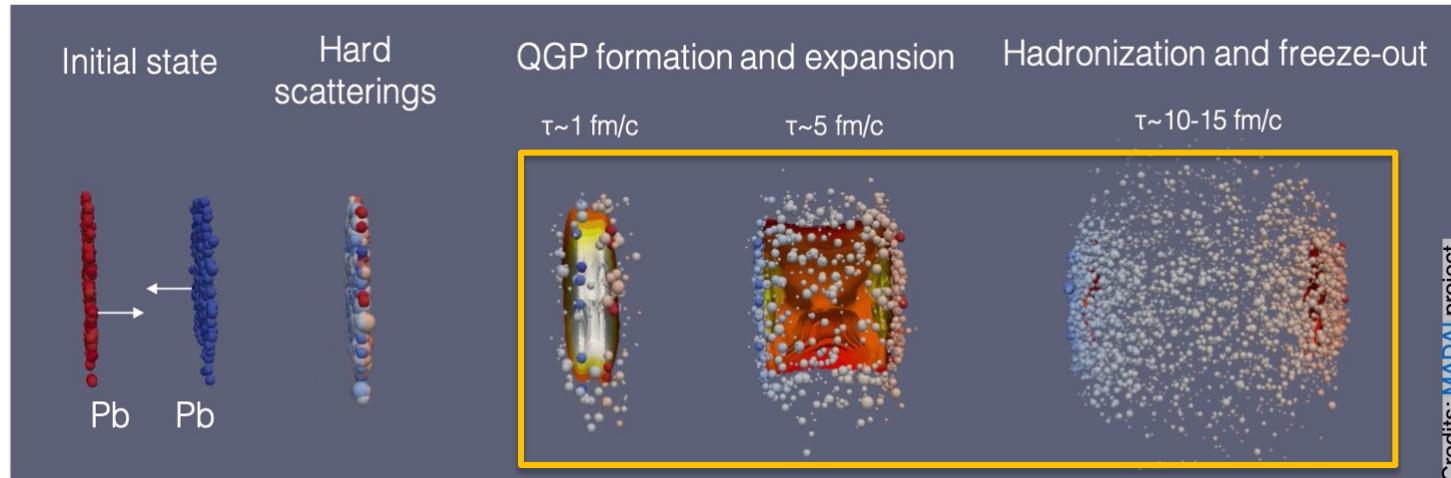
The study of quarkonium ( $c\bar{c}$ ,  $b\bar{b}$ ) states provides information on the mechanisms of **dissociation and regeneration** of strongly-bound state in a medium ( $T>0$ ).

- The high density of color charges in the QGP leads to melting of quarkonia
- The large abundance of charm quarks at LHC results in regeneration of the amount of  $J/\psi$
- States with smaller binding energies are more suppressed



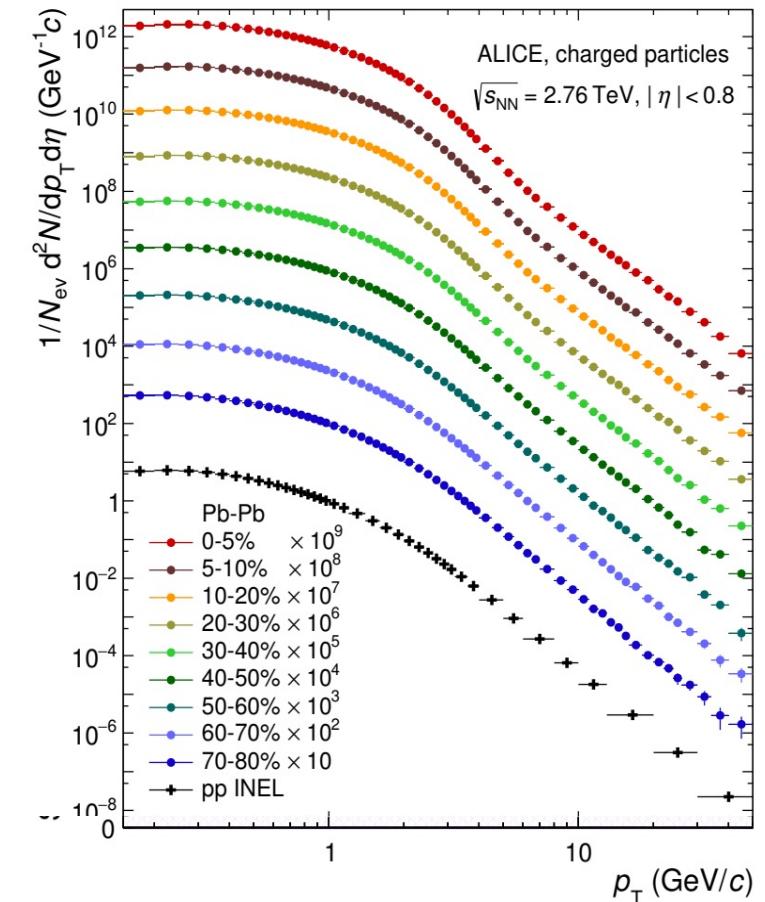
# How does the QGP affect production of hadrons?

# Bulk particle production



The bulk of particles is **soft** and composed by **light flavour** hadrons that are produced when the **QGP transitions** into a hot ( $T < 155 \text{ MeV}$ ) and dense gas of hadrons and resonances.

A **collective motion** is observed: the **dynamic and thermodynamic properties of the QGP** are studied by measuring  $p_T$  and azimuthal distributions of particles produced in the bulk



# The hadron-gas phase and freeze-outs

After hadronisation, the system is a hot ( $T < 155$  MeV) and dense gas of hadrons and resonances.

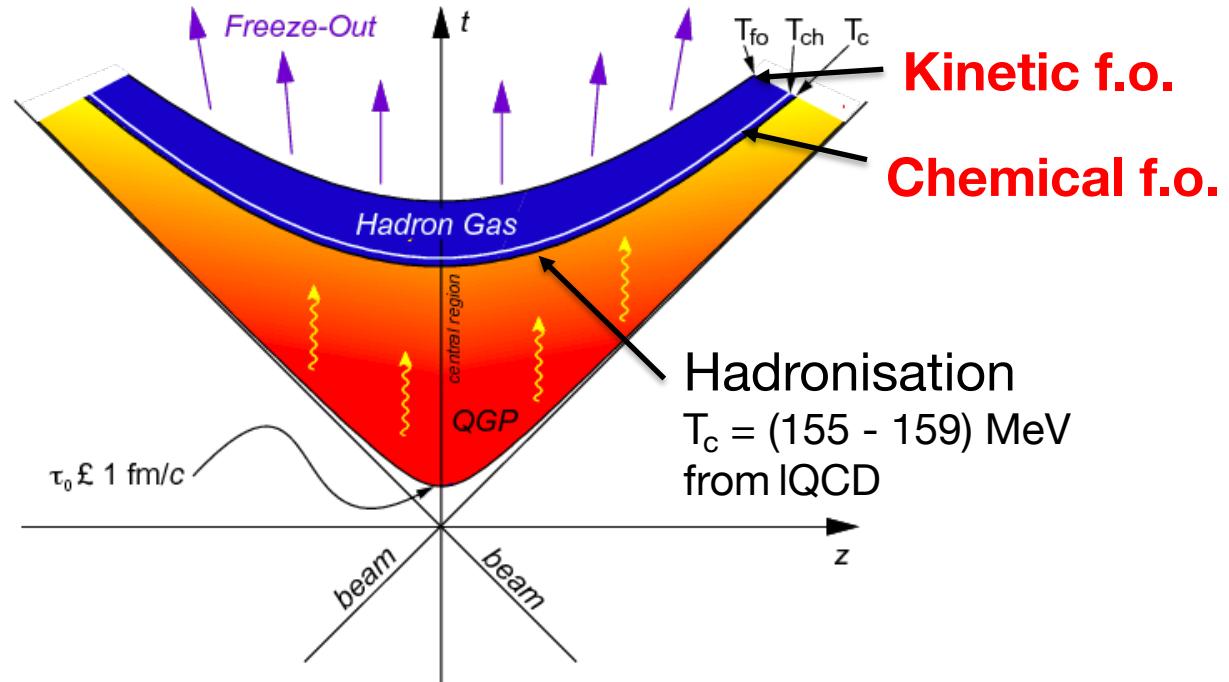
## Chemical freeze-out

- Inelastic collisions stop
- Relative particle abundances are fixed

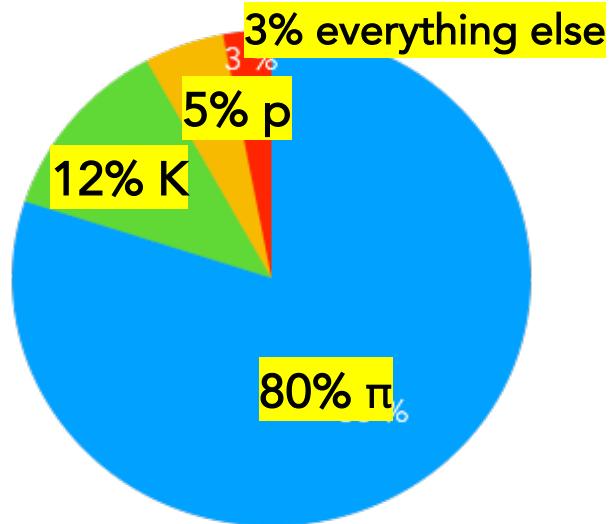
## Kinetic freeze-out

- (pseudo)elastic collisions stop
- Momentum distributions are fixed

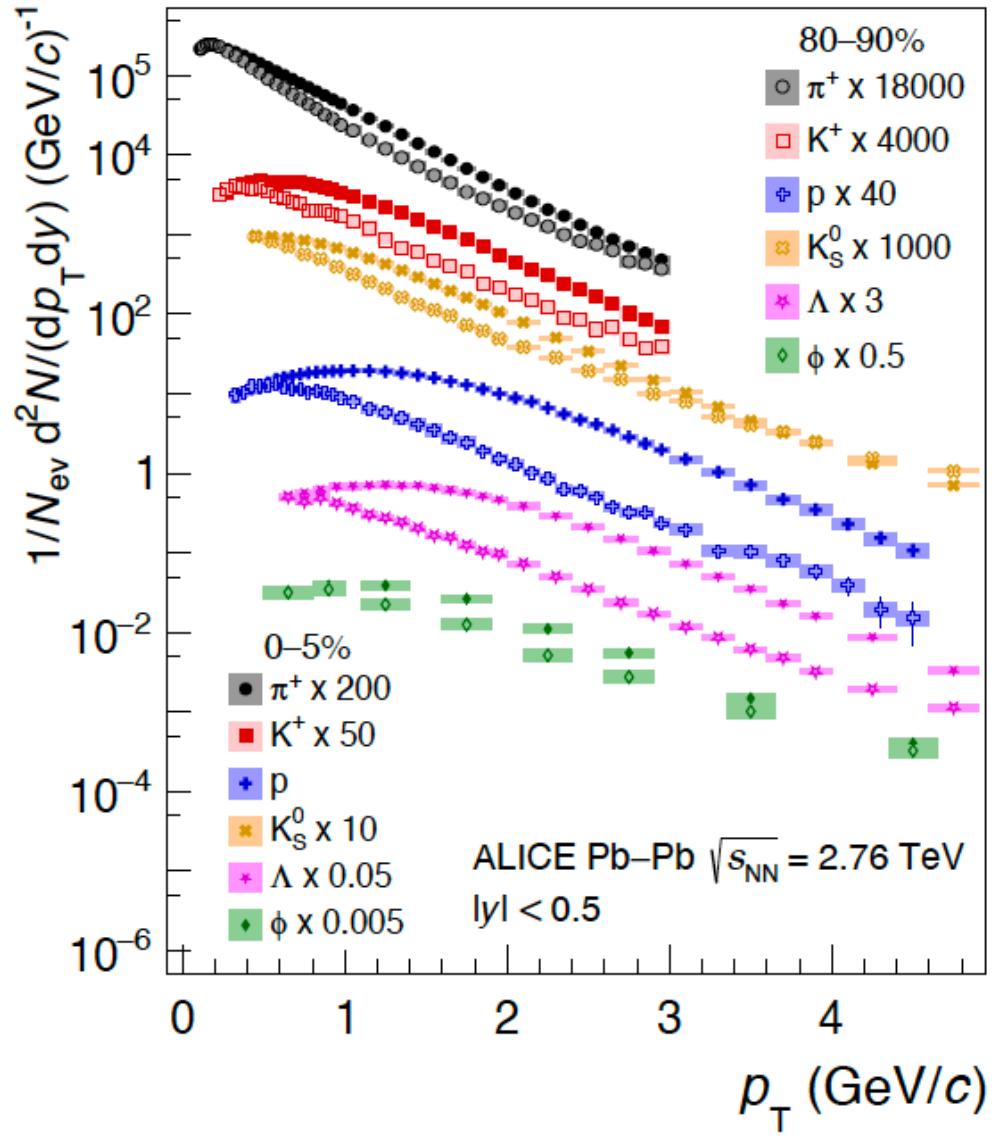
- Fit abundance of identified hadrons: probe chemical equilibrium at **chemical freeze-out**
- Fit shape of  $p_T$  spectra: probe final hadron kinematics at **kinetic freeze-out**



# Identified particle production



$\pi K p$  are the most abundant hadronic species produced in the collision  
→ Integrate  $d^2N/(dydp_T)$  spectra over  $p_T$  to extract yields,  $dN/dy$ .



# Statistical hadronisation model in a nutshell

It models an ideal relativistic gas of hadrons and resonances in **chemical equilibrium** (as the result of the hadronization of a QGP in thermodynamical equilibrium).

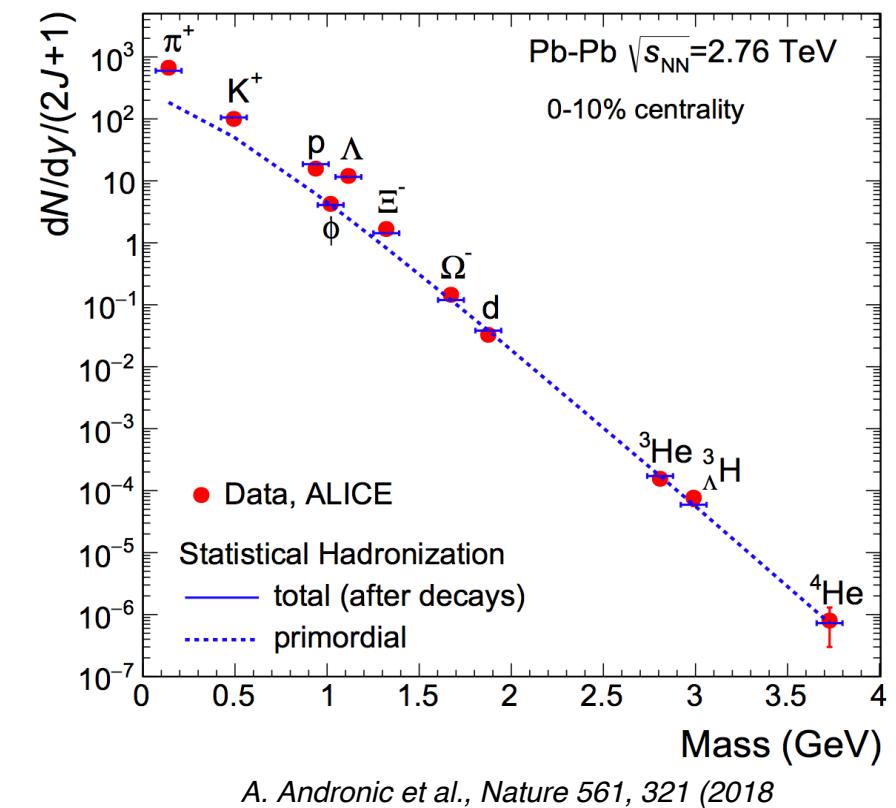
Particle abundances are obtained from the partition function of a Grand Canonical (GC) ensemble

$$n_i = N_i/V = -\frac{T}{V} \frac{\partial \ln Z_i}{\partial \mu} = \frac{g_i}{2\pi^2} \int_0^\infty \frac{p^2 dp}{\exp[(E_i - \mu_i)/T] \pm 1}$$

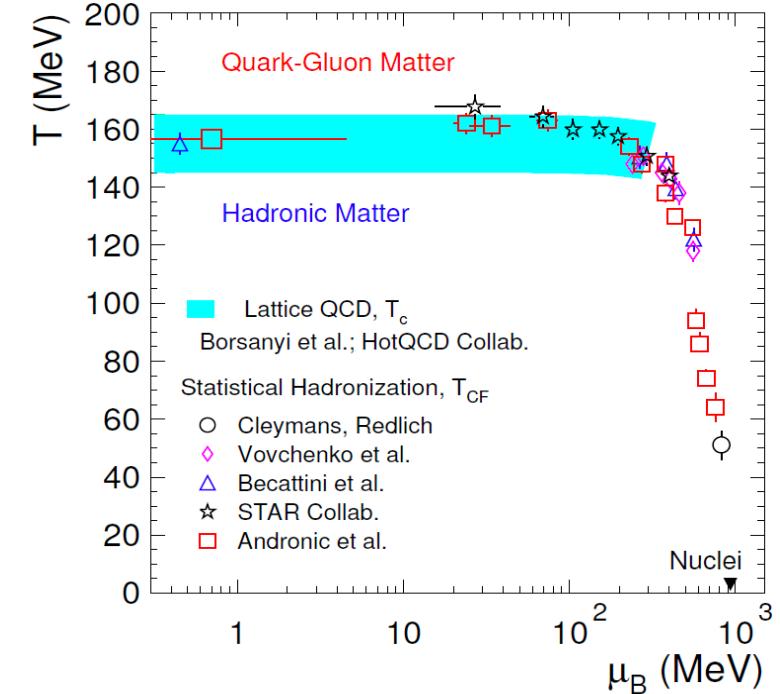
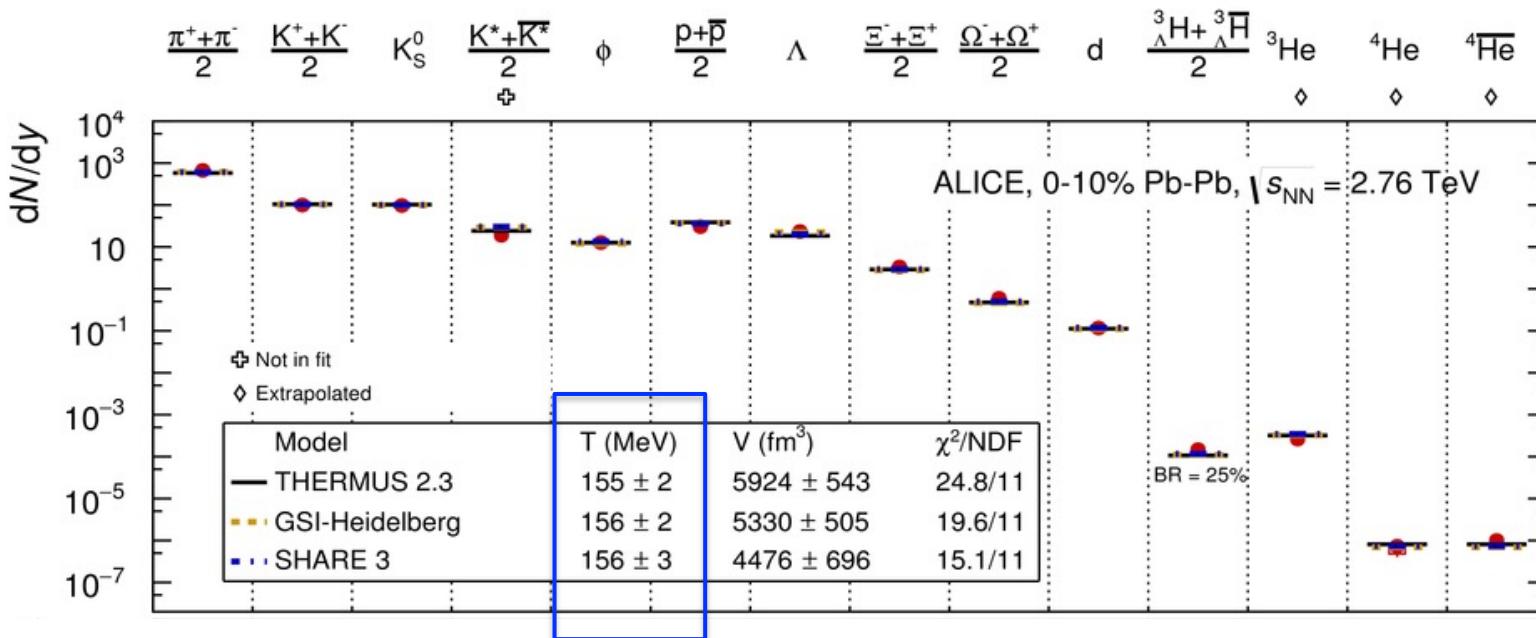
where chemical potential for quantum numbers are constrained with conservation laws.

$$\mu_i = \mu_B B_i + \mu_S S_i + \mu_{I_3} I_{3,i} + \mu_C C_i$$

- Predict yields (see right figure) at a given temperature
- Fit measured particle yields (or ratios) to extract  $\mu_B$ ,  $T_{ch}$ ,  $V$ .



# Chemical freeze-out temperature



Production of (most) light-flavour hadrons (and anti-nuclei) is described ( $\chi^2/\text{ndf} \sim 2$ ) by thermal models with a **single chemical freeze-out** temperature,  $T_{ch} \approx 156 \text{ MeV}$

→ Approaches the critical temperature roof from lattice QCD: **limiting temperature** for hadrons!

→ the success of the model in fitting yields over 10 orders of magnitude supports the picture of a system in **local thermodynamical equilibrium**

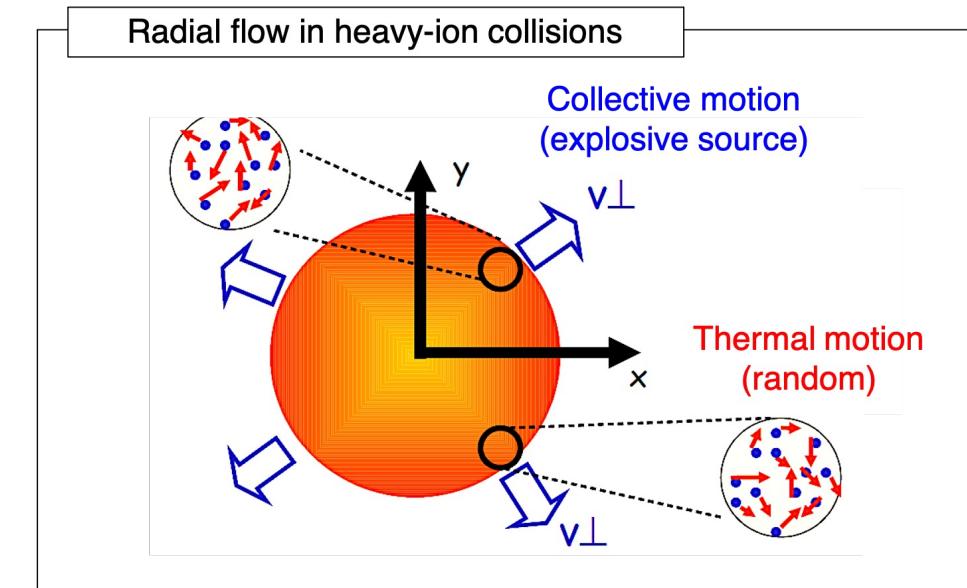
# Hydrodynamics at play: radial flow (1/2)

A **collective motion** is superimposed to the thermal motion of particles → the system as a **medium**

## Radial flow

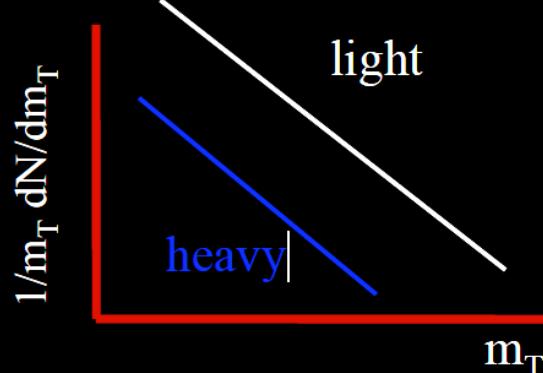
radial expansion of a medium in the vacuum under a **common velocity field**

→ Affects the low  $p_T$  distribution of hadrons and their ratios depending on their mass



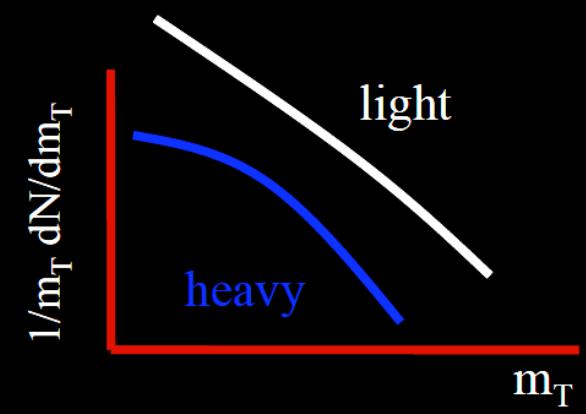
$$m_T = \sqrt{(m^2 + p_t^2)}$$
$$\frac{dN}{m_T dm_T} \propto e^{-m_T/T}$$

purely thermal source  
T

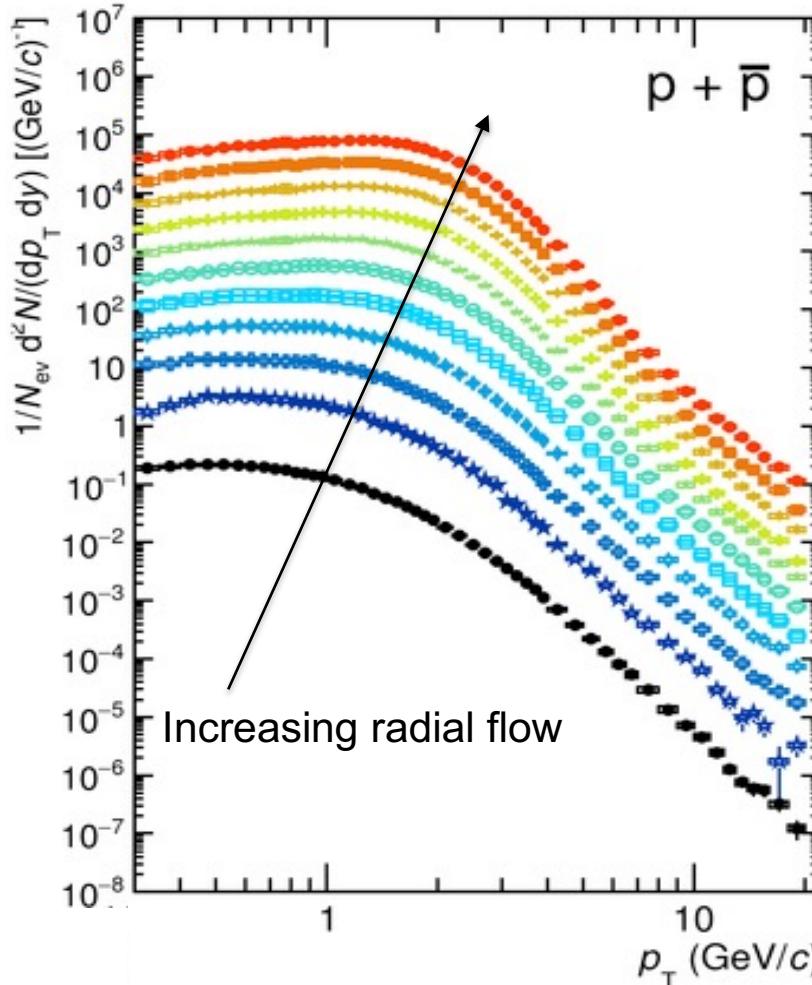


R. Snellings

explosive source  
T,  $\beta$

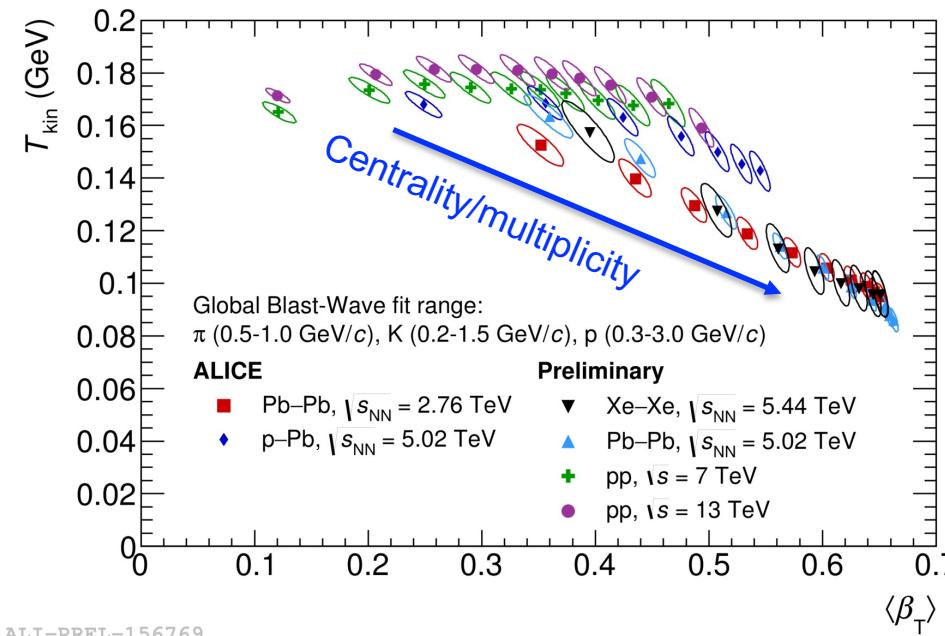


# Hydrodynamics at play: radial flow (2/2)



At low  $p_T$ , the radial flow “pushes” particles to higher momenta  
→ spectra get “harder” for more central collisions  
→ mass dependence

A simplified hydrodynamical model, the Boltzmann-Gibbs blast-wave model is used to **quantify radial flow and the kinetic freeze-out temperature**.



More central (higher multiplicity) events have lower  $T_{\text{kin}}$  and higher flow velocity

$T_{\text{kin}} \sim 100\text{-}140 \text{ MeV}$

# Hydrodynamics at play: anisotropic flow (1/2)

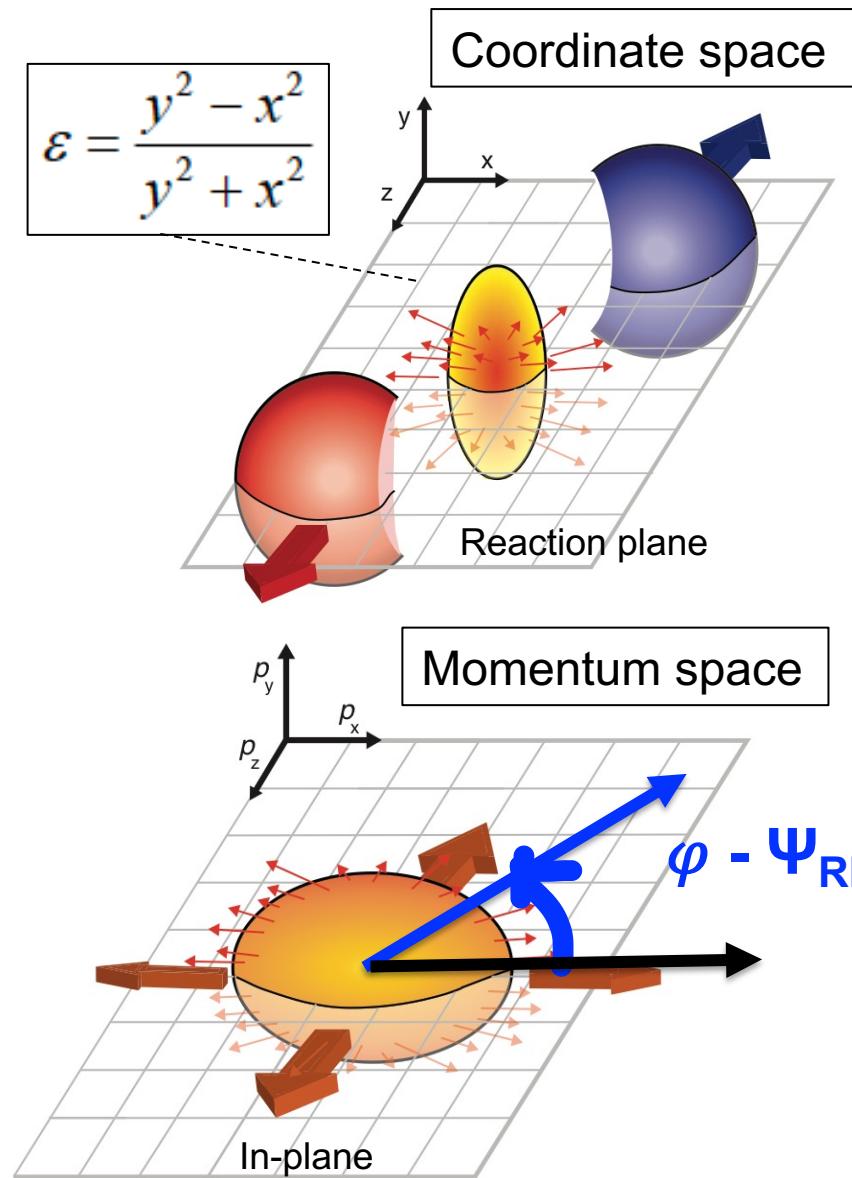
Initial geometrical anisotropy ("almond" shape) in non-central HI collisions → eccentricity

**Pressure gradients** develop → more and faster particles along the reaction plane than out-of-plane

Scatterings among produced particles convert **anisotropy** in coordinate space into an observable momentum anisotropy  
→ **anisotropic flow**  
→ quantified by a Fourier expansion in azimuthal angle  $\varphi$

$$E \frac{d^3N}{dp^3} = \frac{1}{2\pi} \frac{d^2N}{p_T dp_T dy} \left( 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\varphi - \Psi_n)] \right),$$

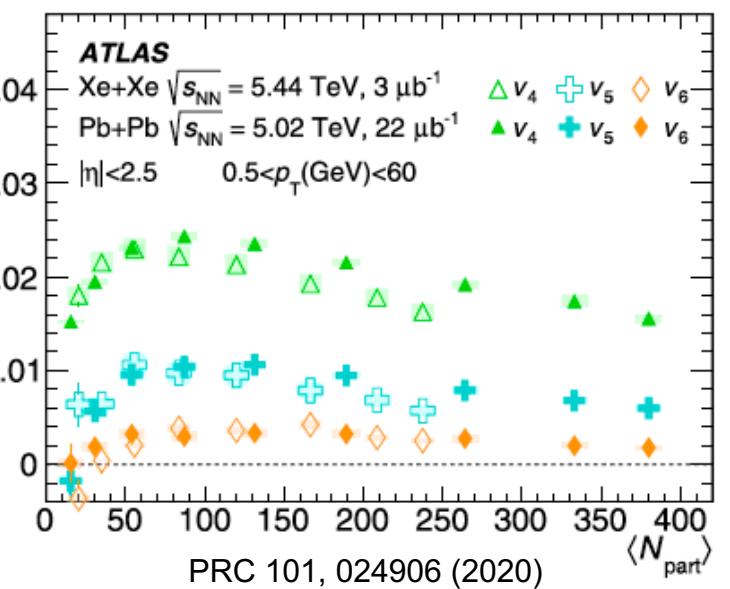
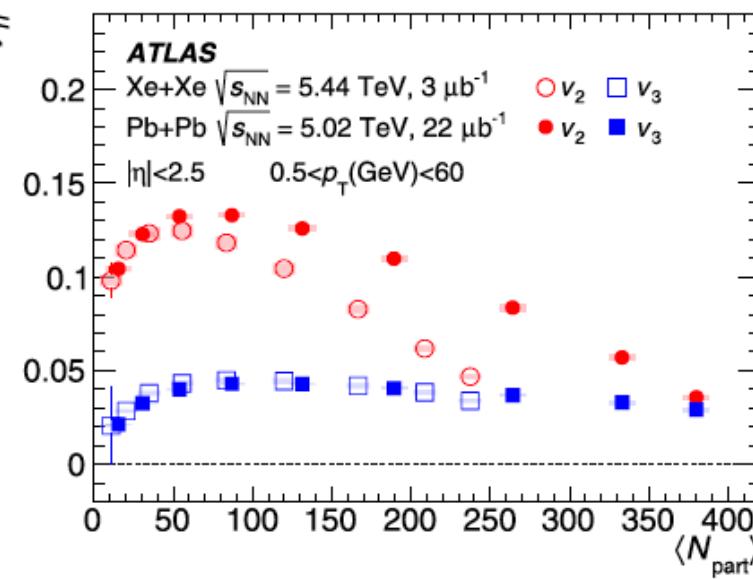
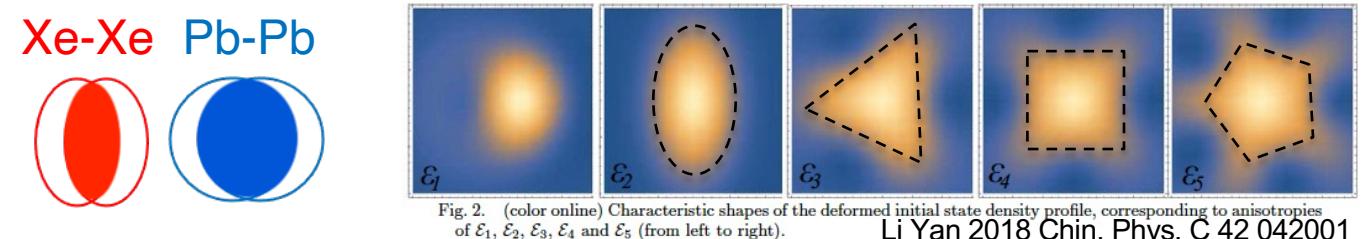
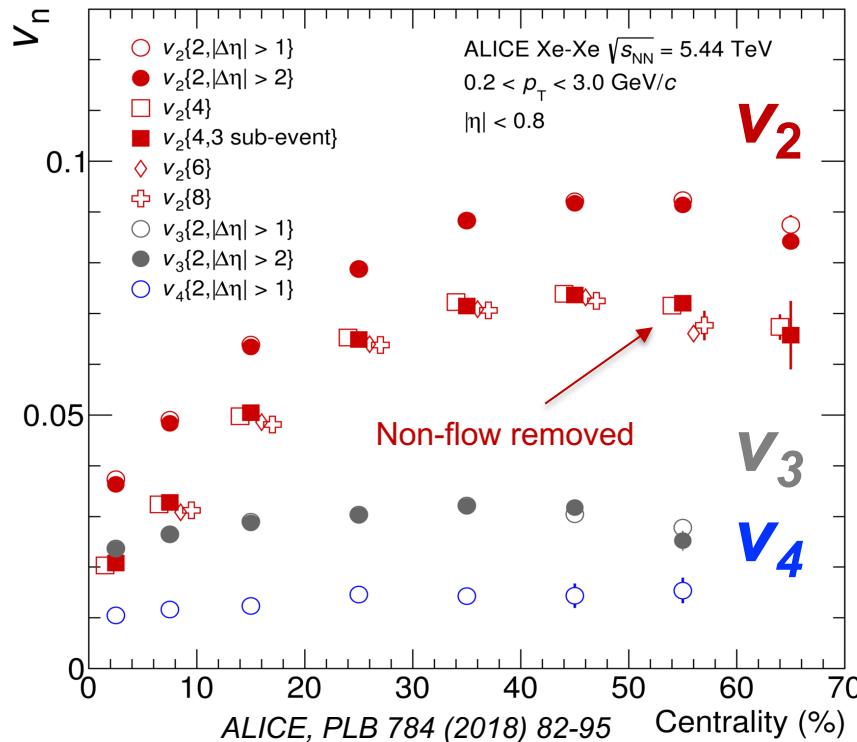
$v_n$  = harmonics



# Hydrodynamics at play: anisotropic flow (2/2)

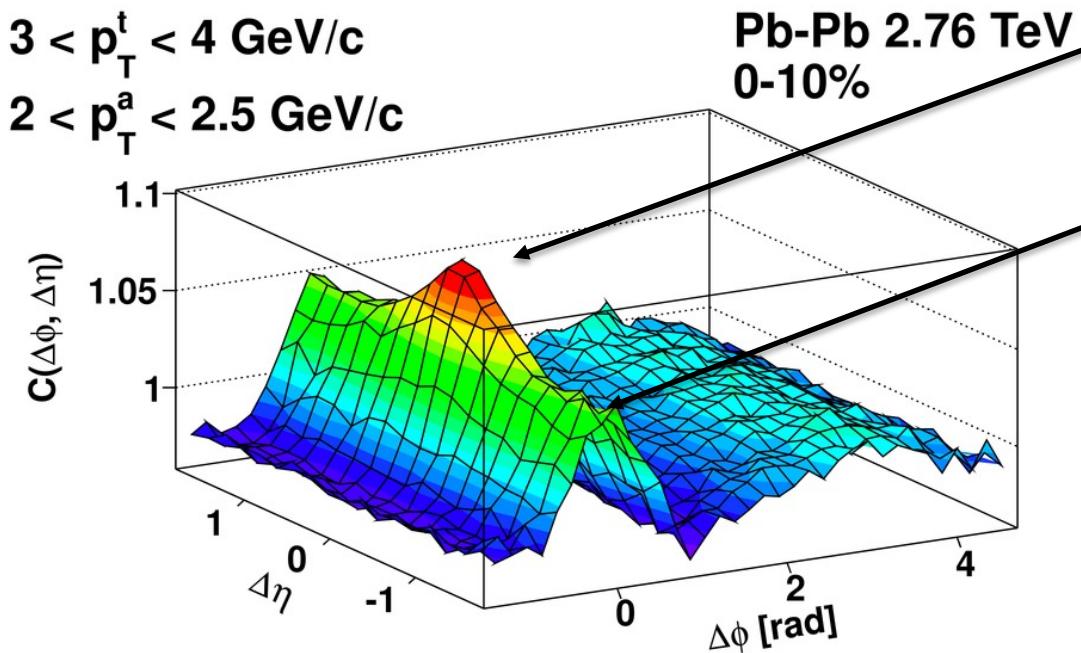
The **strong centrality dependence** of  $v_2$  reflects the degree of “anisotropy” in initial geometry.

**Fluctuations** of the initial state energy-density lead to different shapes of the overlap region  
→ **non-zero higher-order flow** coefficients (“harmonics”)



# Two-particle correlations in Pb-Pb collisions

Collectivity can also be studied by looking at **correlations of two particles vs  $\Delta\eta$**  (difference in rapidity) **and  $\Delta\phi$**  (difference in azimuthal angle).



Peak at  $\Delta\eta \sim 0$ :  
**short-range** correlations  $\rightarrow$  **jets**

Broad "**ridge**" in a wide  $\Delta\eta$  range:  
**long-range** correlations emerging from  
early times (causality)  $\rightarrow$  **anisotropic flow**

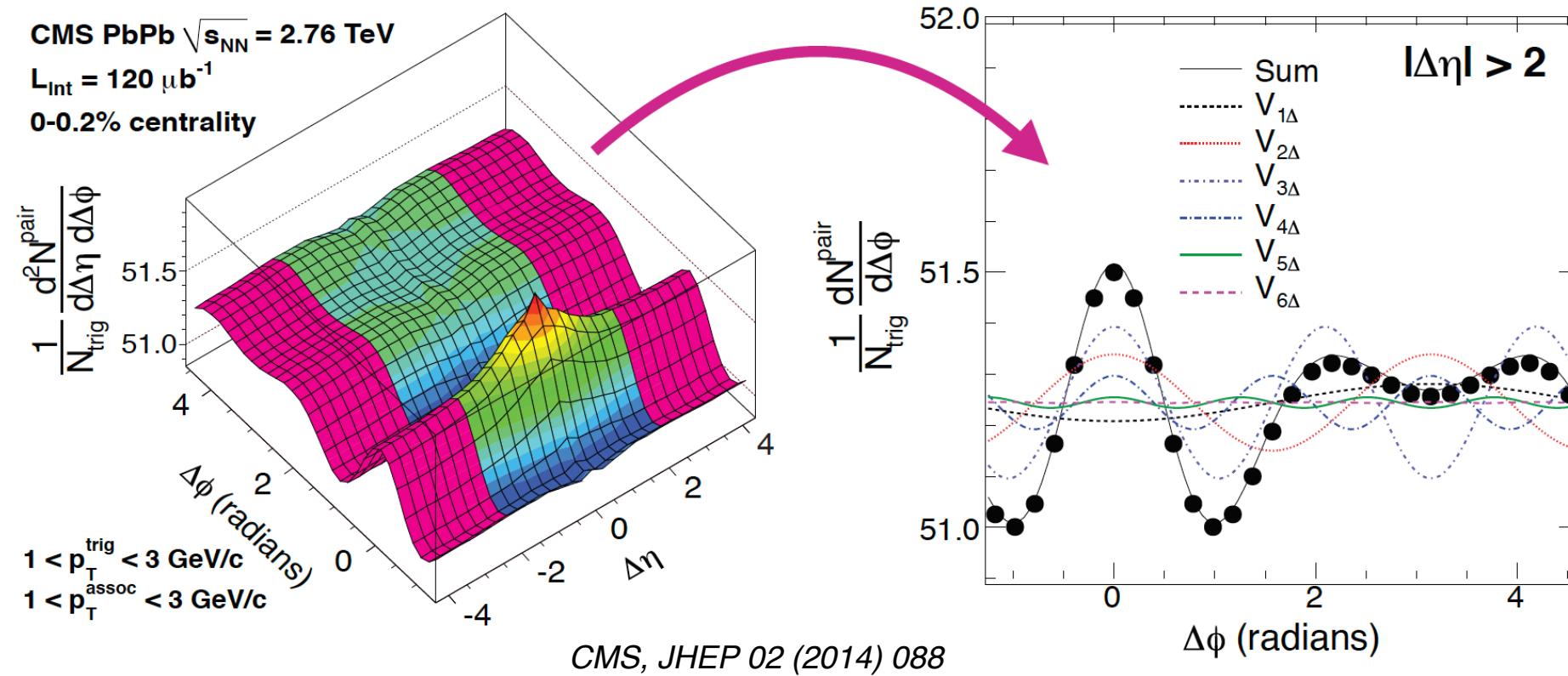
In azimuth: structure determined by the  
medium response to the initial transverse  
geometry

ALICE, Phys.Lett. B 708 (2012) 249-264

# Two-particle correlations in Pb-Pb collisions

Collectivity can also be studied by looking at **correlations of two particles vs  $\Delta\eta$**  (difference in rapidity) **and  $\Delta\phi$**  (difference in azimuthal angle).

→ Decomposition in Fourier series of the azimuthal distribution at large  $\eta$ .



# Hydrodynamical modeling

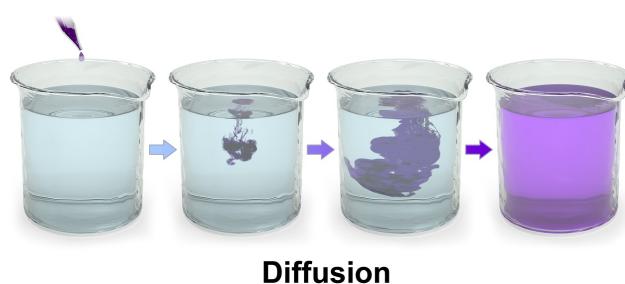
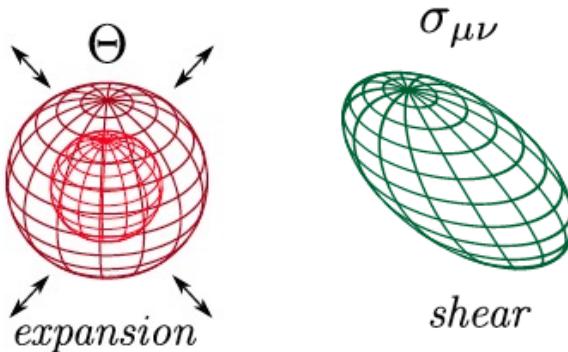
## Ideal hydrodynamics

- applies to a system in **local equilibrium** (e.g. thermodynamical)
- requires energy and charge conservation
- system is described by energy density  $\epsilon$ , pressure  $P$ , velocity  $u^\nu$ , and charge  $n$  and by 5 equation of motion, closed by one **equation-of-state** (EOS)  $\epsilon = \epsilon(P)$
- The response of the system to external solicitation is controlled by the EOS

$$\nabla_\mu T^{\mu\nu} = 0 \quad \nabla_\mu J_B^\mu = 0$$

## Viscous hydrodynamics

- Includes corrections for **dissipative effects**: bulk  $\zeta$  and shear viscosity  $\eta$ , charge diffusion,  $\kappa$



Figs. from Rezzolla and Zanotti, 2013

$$T^{\mu\nu} = \epsilon u^\mu u^\nu - (P - \zeta \Theta) \Delta^{\mu\nu} - 2\eta \sigma^{\mu\nu}$$

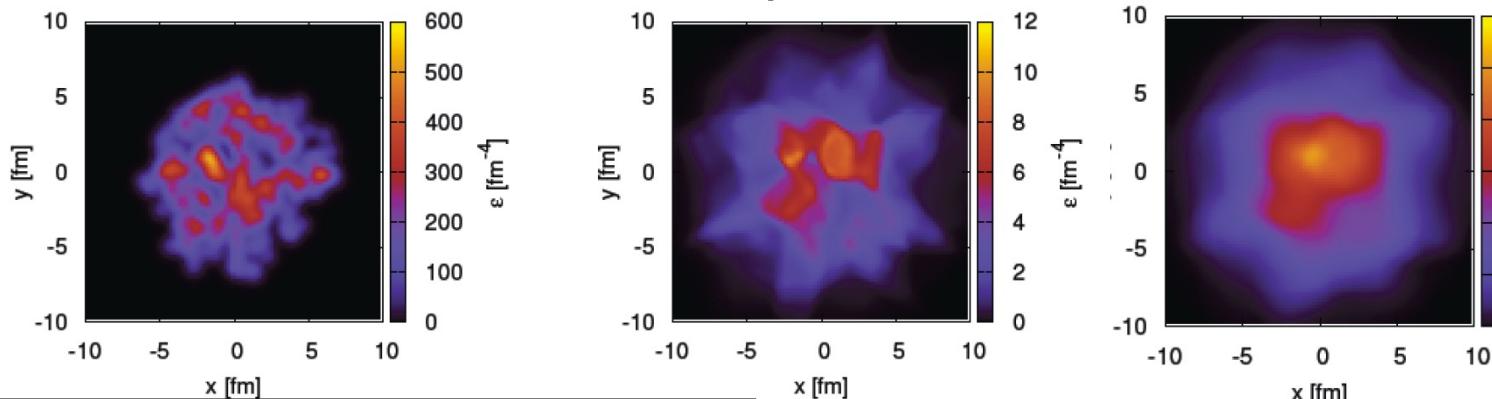
$$J^\mu = q u^\mu + \kappa \nabla_\perp^\mu (\mu/T)$$

# Shear viscosity

Shear viscosity (expressed as viscosity over entropy,  $\eta/s$ ) washes out initial-state anisotropies

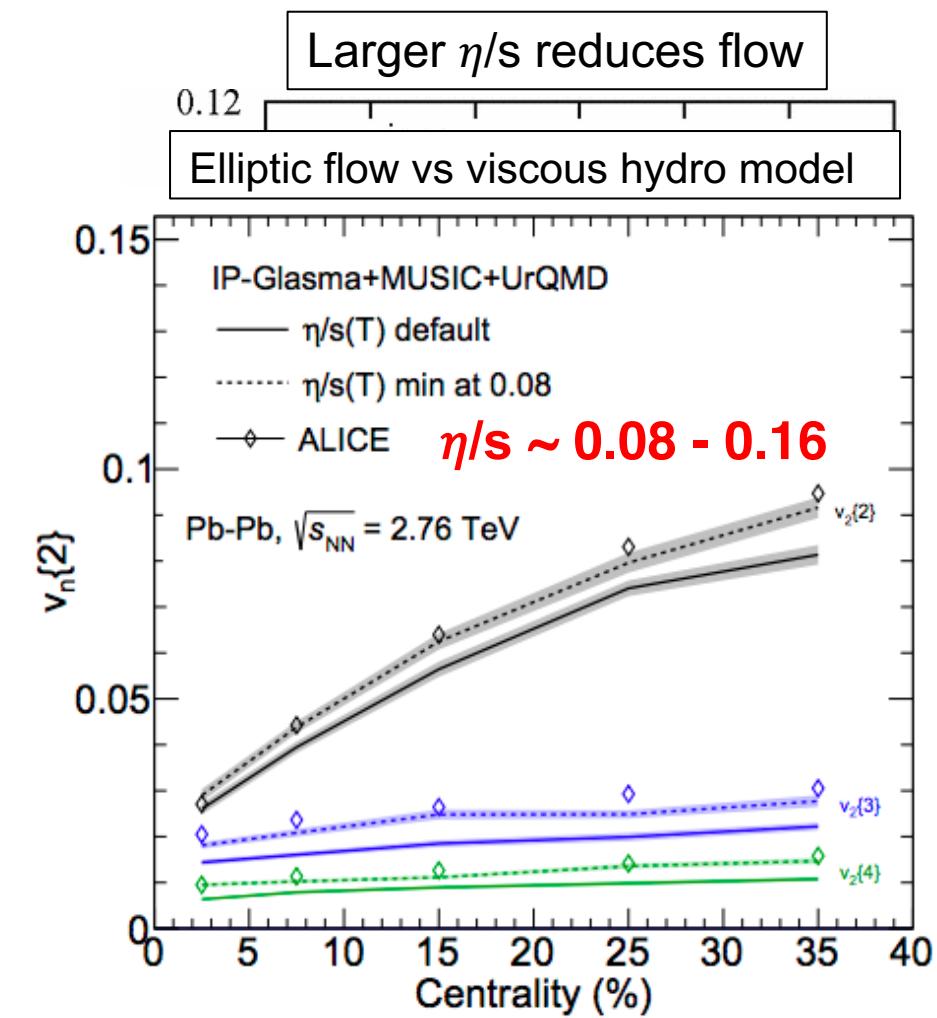
- Larger consequences on higher-order harmonics
- Larger  $\eta/s$  reduces flow

## Initial conditions



Water:  $\eta/s \sim 30$  | Olive oil  $\eta/s \sim 240$

Measured  $v_2$  is described very well by hydrodynamic models  
→ **QGP behaves as a ~perfect liquid!**

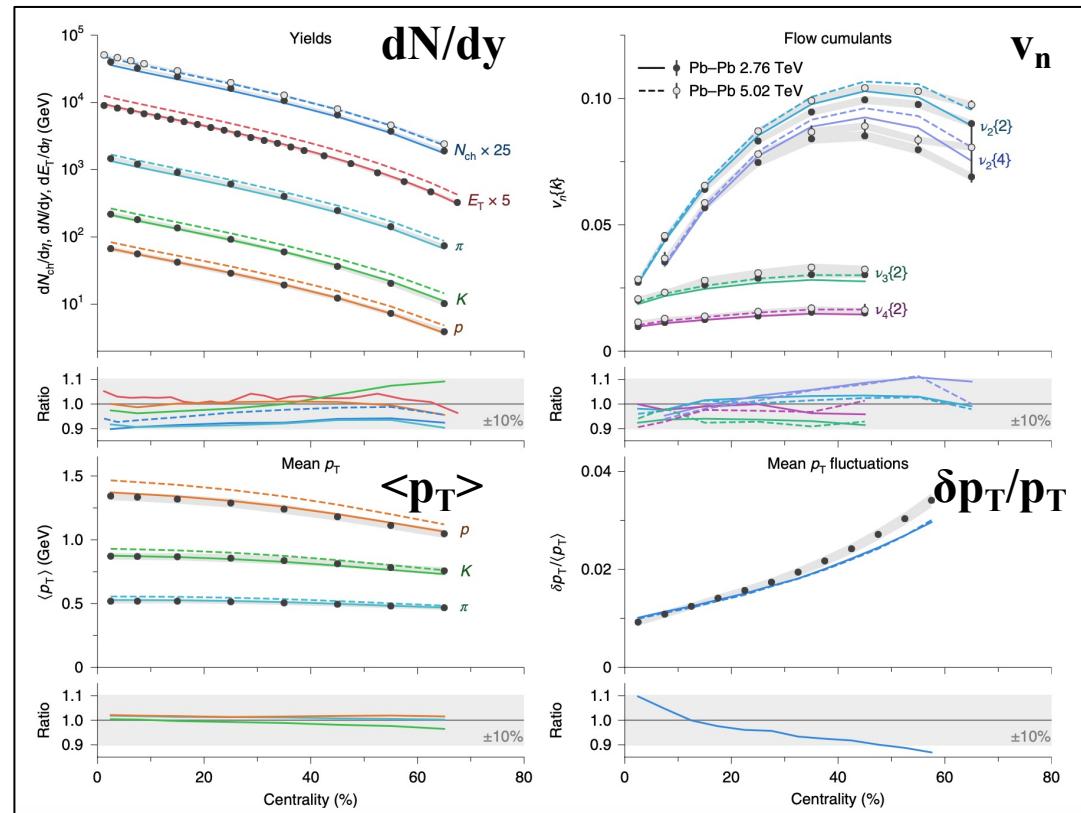


Kovtun, Son, and Starinets

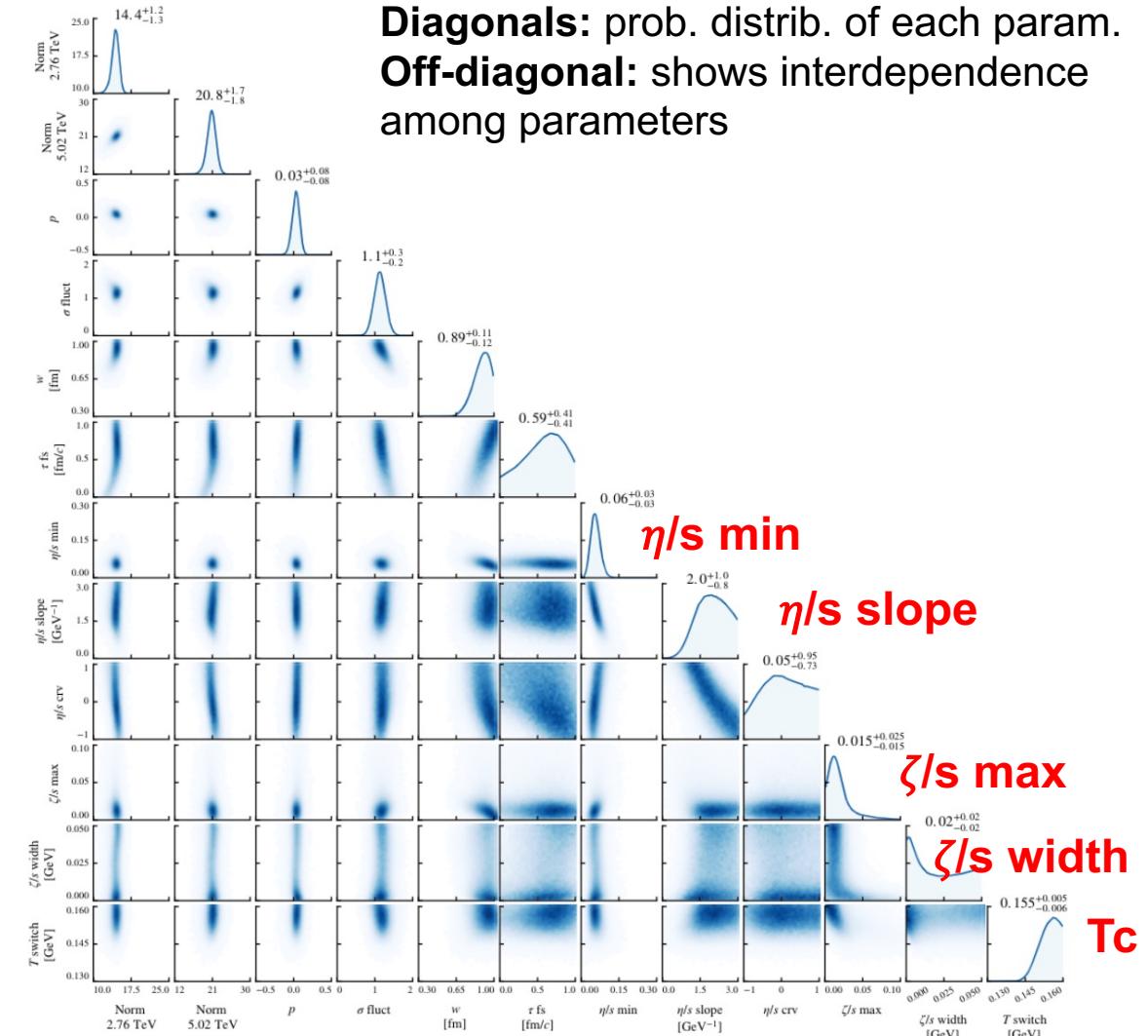
# QGP properties from flow 1/2

Bayesian analysis of yields, mean  $p_T$ , flow harmonics measured by ALICE has been used to extract the QGP properties.

S.A. Bass et al. / Nuclear Physics A 967 (2017) 67–73

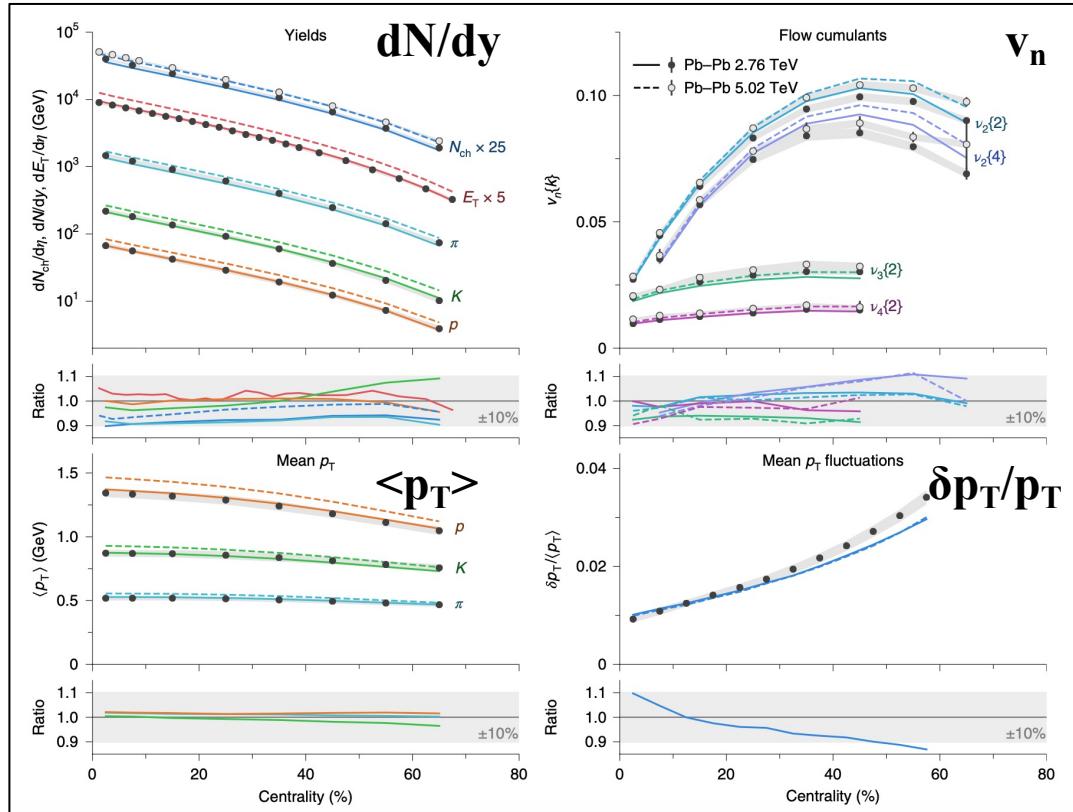


J. E. Bernhard et al, Nature Physics 15 (2019) 1113

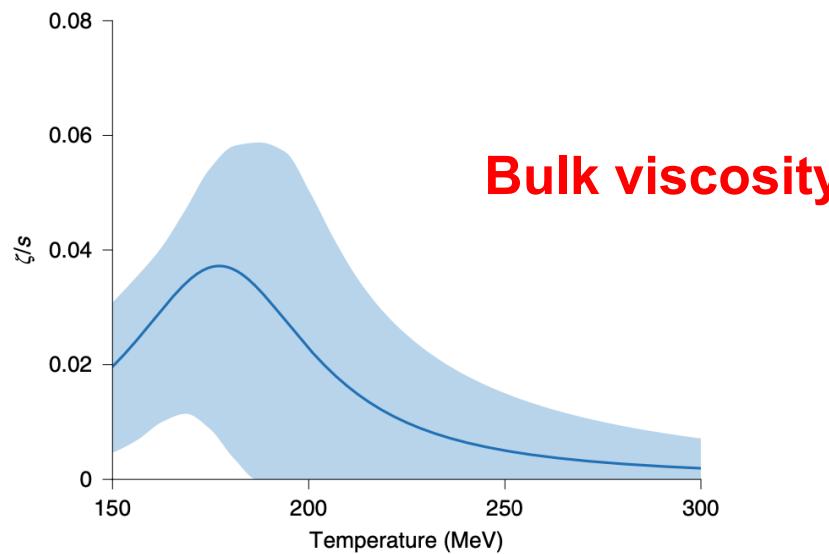
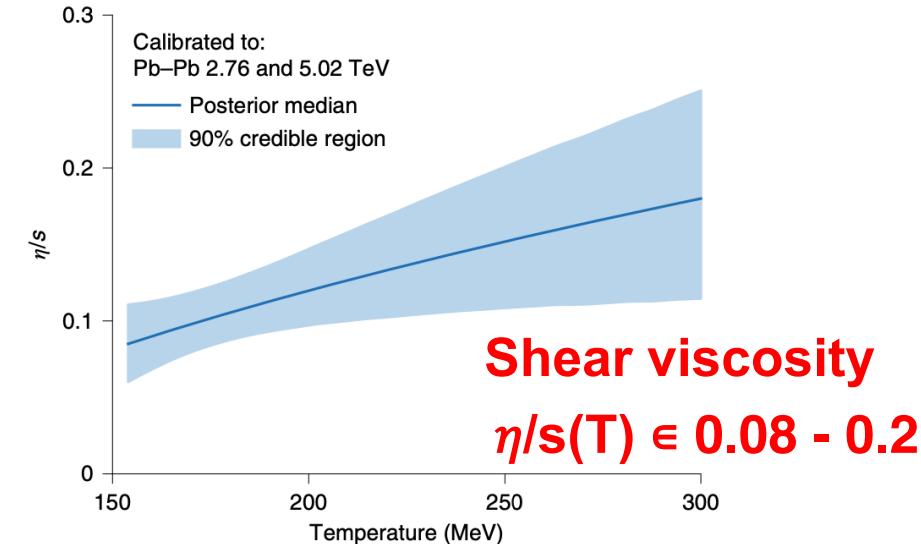


# QGP properties from flow 2/2

Bayesian analysis of yields, mean  $p_T$ , flow harmonics measured by ALICE has been used to extract the QGP properties.



J. E. Bernhard et al, Nature Physics 15 (2019) 1113



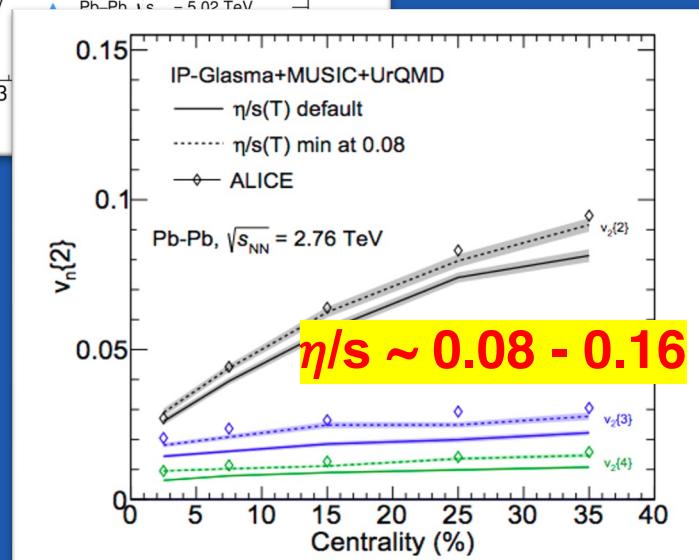
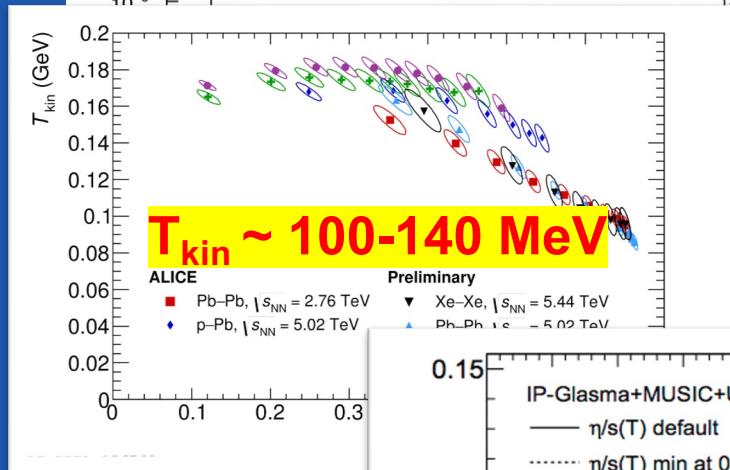
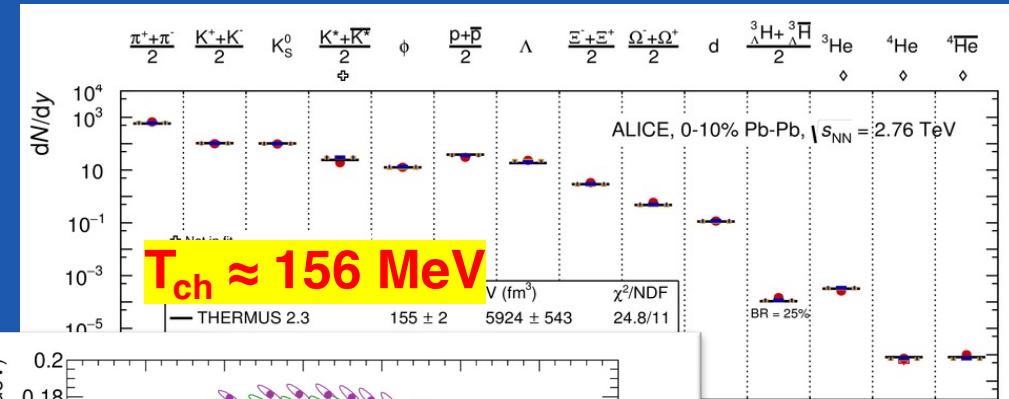
## Take home 3/4

Bulk particle abundances are described by the statistical hadronization model assuming chemical equilibrium and with **T<sub>ch</sub> ~ 156 MeV**

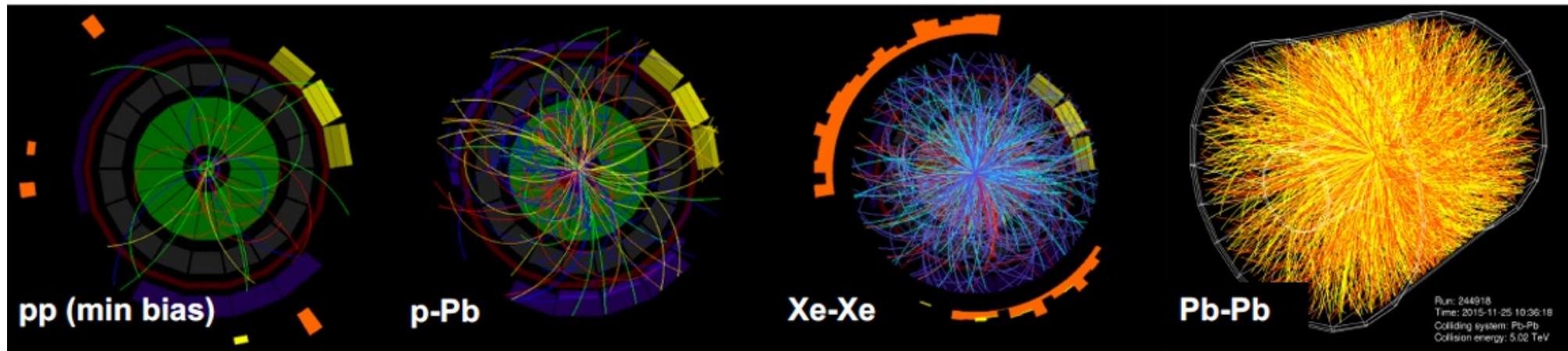
The QGP expands rapidly under **radial flow**.  
Spatial anisotropy of the initial collision region causes **anisotropic flow**.

Spectra and flow coefficients are well described by viscous hydrodynamics with a very low shear viscosity ( $\eta/s \sim 0.08 - 0.16$ ) → “perfect liquid”

The **success of SHM and hydrodynamic** description also supports the idea of a medium in local **thermodynamical equilibrium**.



# Can we produce a QGP also in pp collisions?

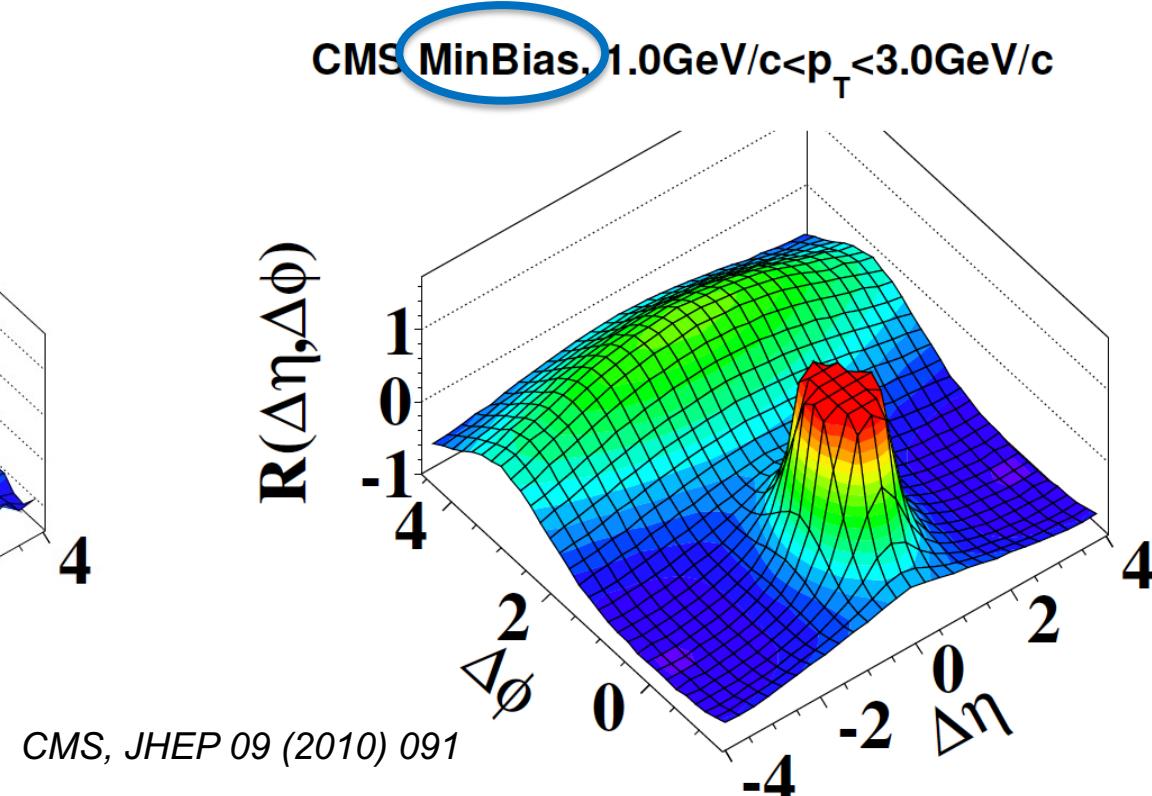
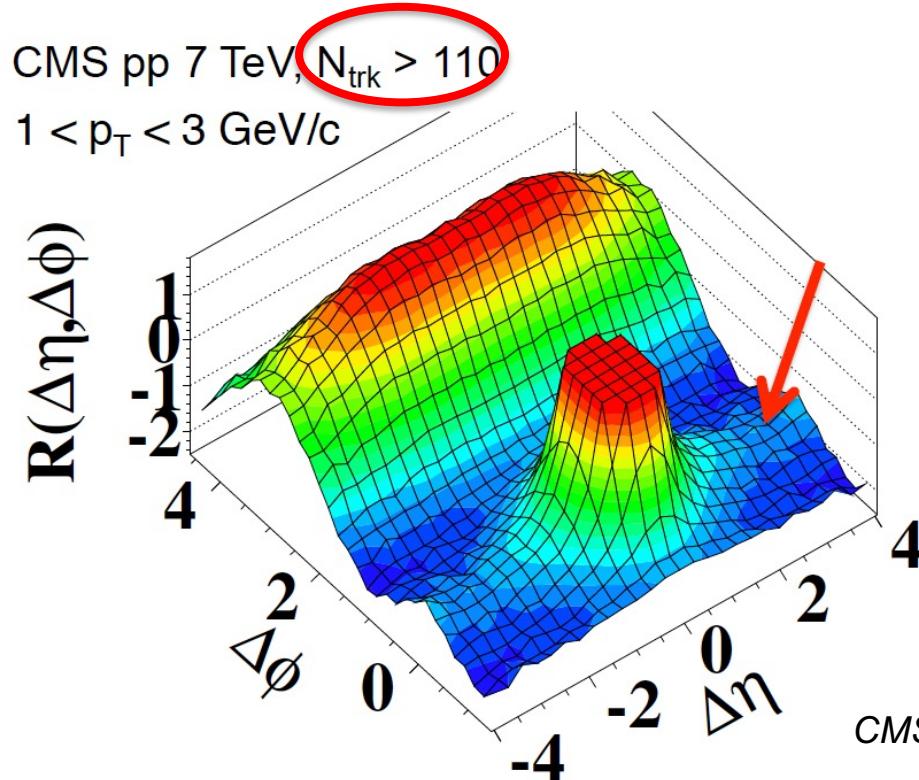


# Discovery of collectivity in small systems

The first indication of the presence of collective phenomena in **high-multiplicity pp collisions** came from the study of **two-particle correlations** vs  $\Delta\eta$  and  $\Delta\phi$ .

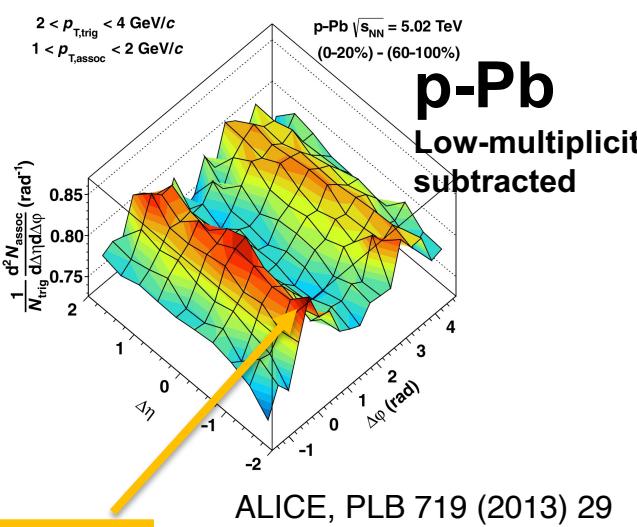
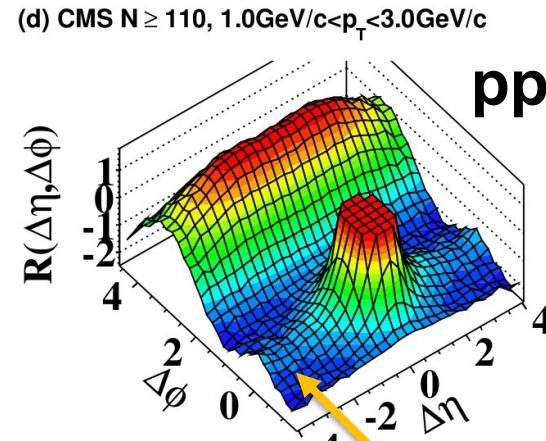
A **ridge** is observed in high multiplicity pp but **not in minimum bias pp collisions!**

The ridge is not reproduced by pp Monte Carlo generators, e.g. PYTHIA.

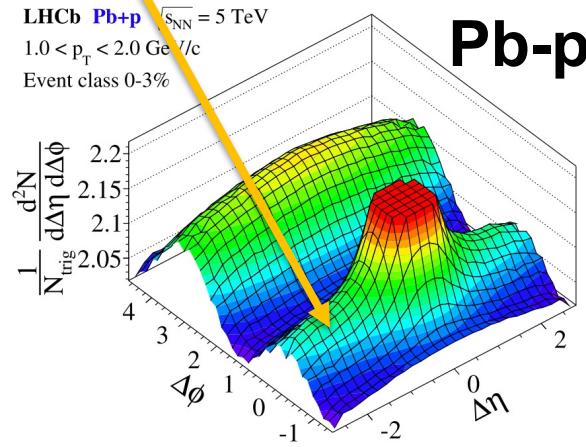
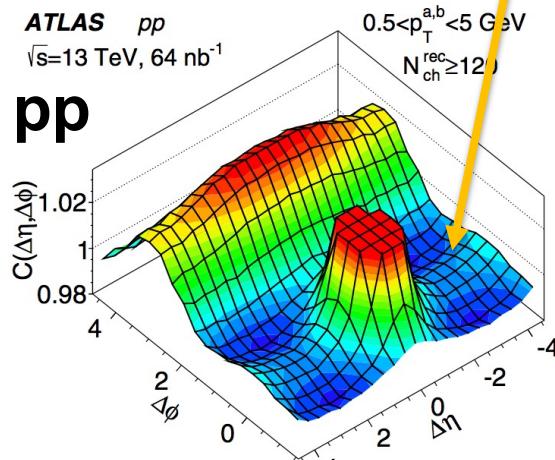


CMS, JHEP 09 (2010) 091

# The “ridge” in pp, p-Pb collisions



Near side ridge



Signs of collectivity in **small systems**  
“discovered” at the LHC in terms of  
long-range ( $2 < |\Delta\eta| < 4$ ) near-side ( $\Delta\phi = 0$ )  
“ridge” in 2-particle correlations, visible in  
**high multiplicity** pp, p-Pb, Pb-p collisions

Are the long-range correlations in high-multiplicity pp coming from (hydrodynamic) flow?

# Collectivity correlates many particles over a wide $\eta$ range

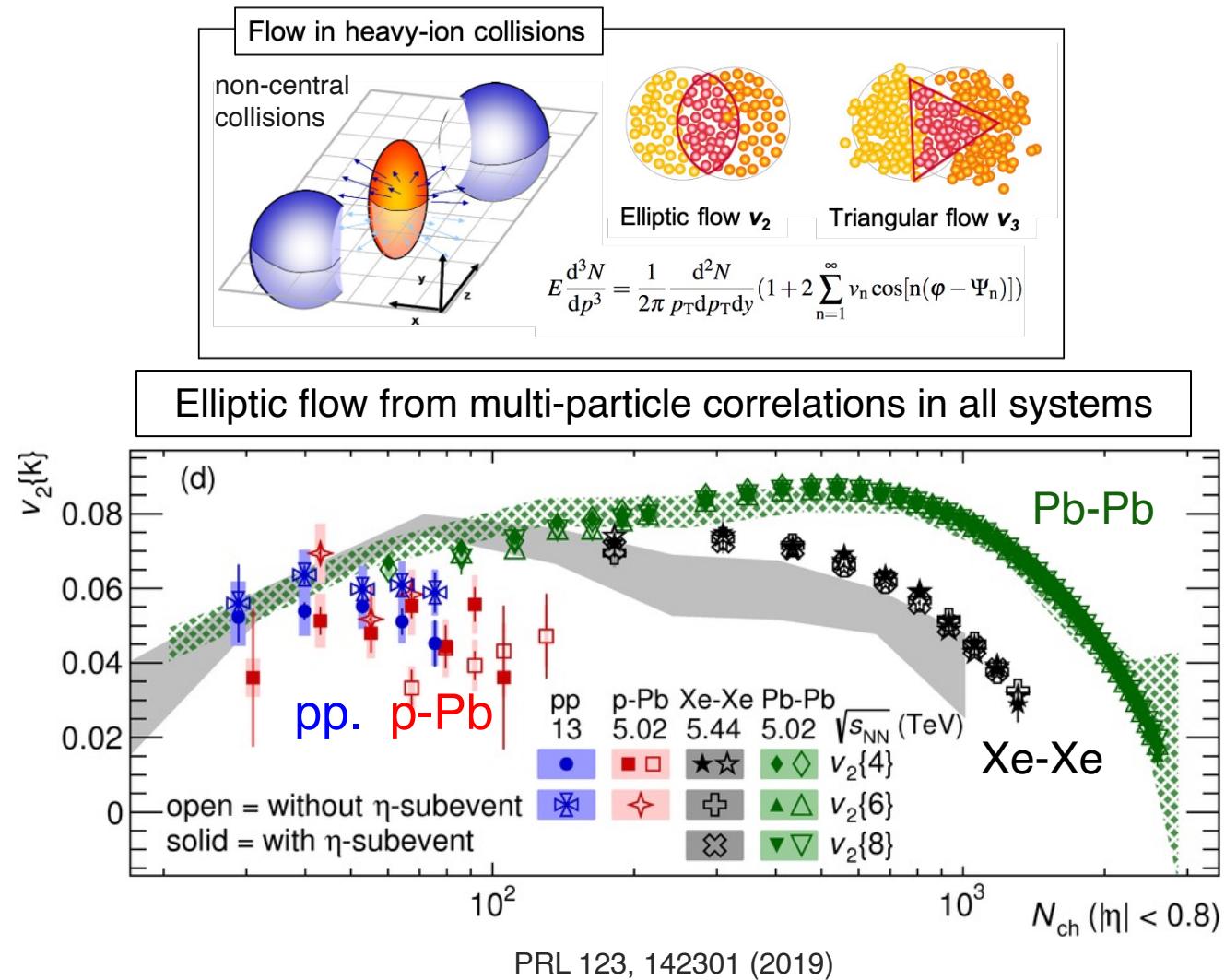
Elliptic flow from multi-particle correlations:

$$v_2\{4\} \approx v_2\{6\} \approx v_2\{8\} > 0$$

- subtract jets and other physical 2-particle correlations due to non-flow
- measure with rapidity gap

In AA collisions, collectivity originates from the presence of a strongly-interacting QGP

**OPEN QUESTION: what is the origin of the emerging collectivity in pp, p-Pb collisions?**



# Chemistry from small to large systems

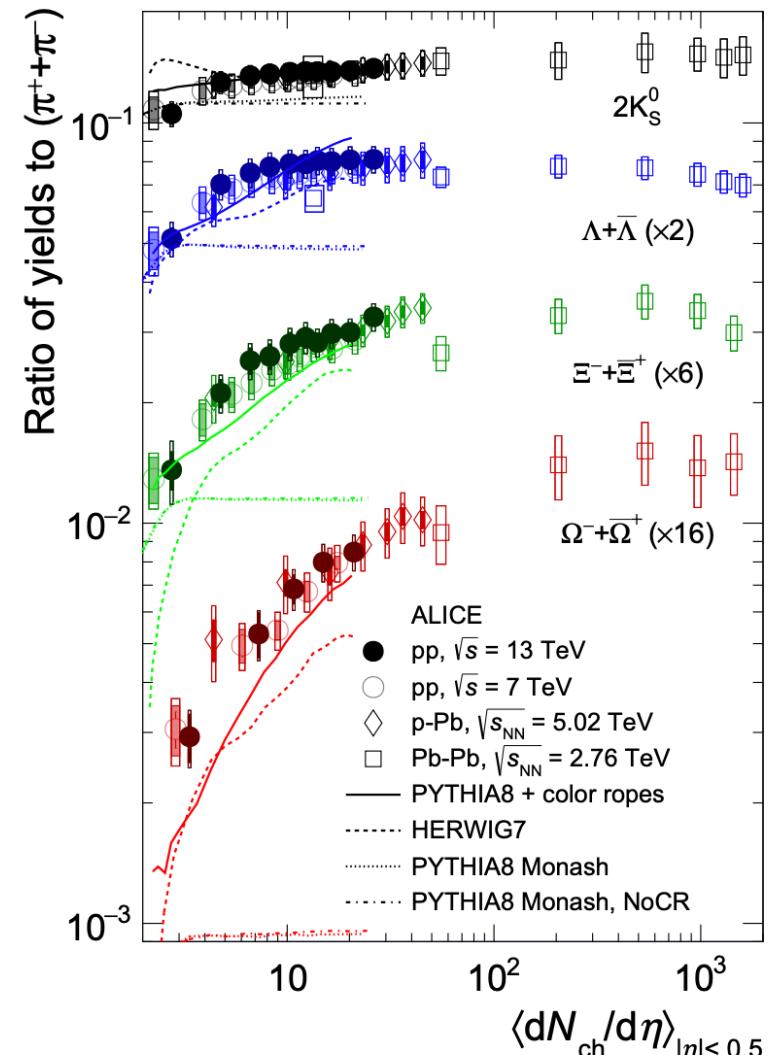
**Multi-strange to non-strange yield ratios increase significantly and smoothly with multiplicity in pp and p-Pb collisions until saturation in Pb-Pb**

- strangeness enhancement relative to pp suggested in the 1980's as QGP signature

→ **Particle composition evolves smoothly across collision systems, depending only on final-state multiplicity**

**OPEN QUESTION:** “**emergence**” in hadron production mechanism, **from microscopical hadron production mechanisms** (string overlap, color reconnection) **to the onset of a QGP** (thermalization, equilibration)?

→ A challenge for models!



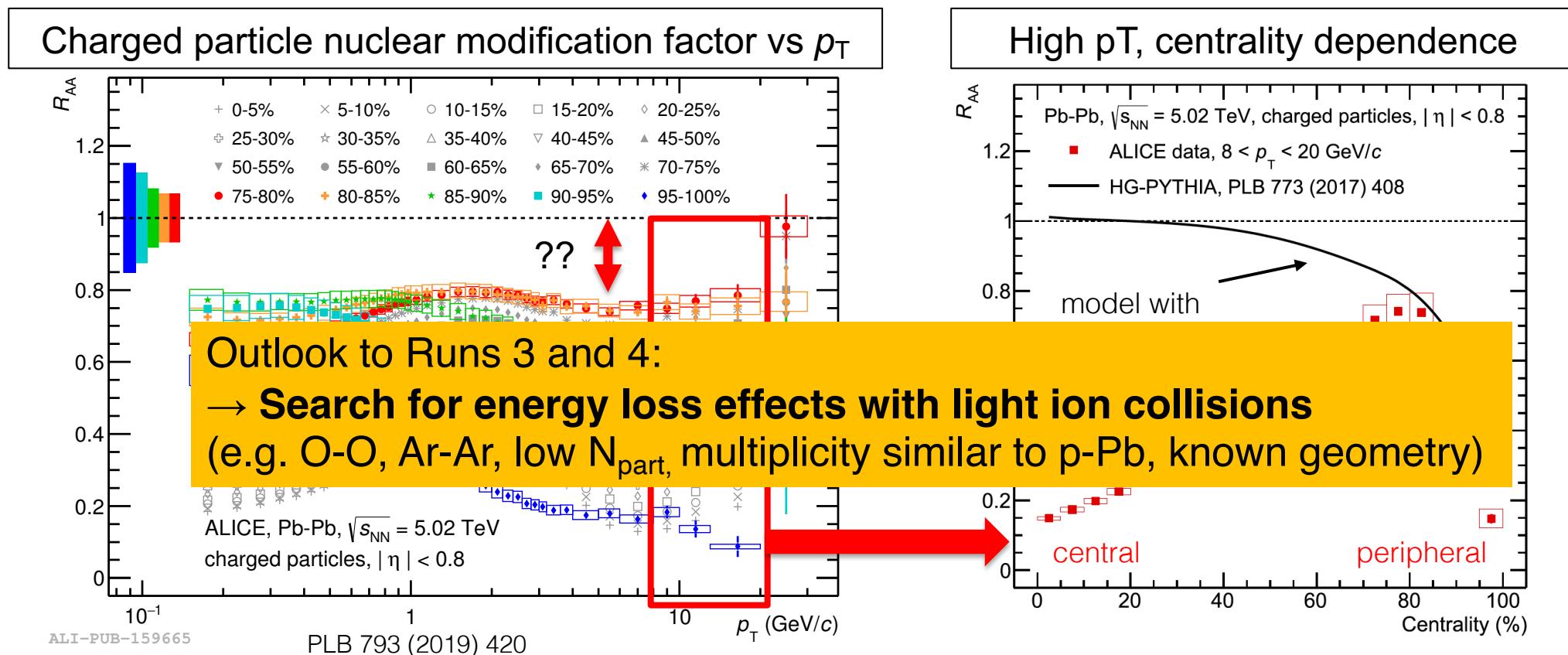
Nature Physics 13 (2017) 535-539,  
EPJC 80, (2020) 167 and 693

# No energy loss in small systems?

**Not observed so far.**

- Strong change of behaviour of  $R_{AA}$  beyond 80% centrality is reproduced considering **biases in event selection and collision geometry**, and no nuclear modification → **not a medium effect!**

**OPEN QUESTION:** when (which system “size”) does energy loss sets in?



## Take home 3/4

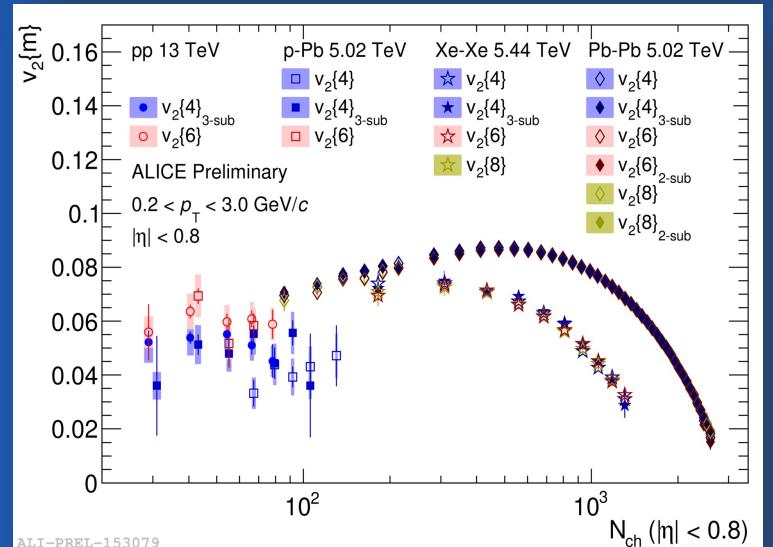
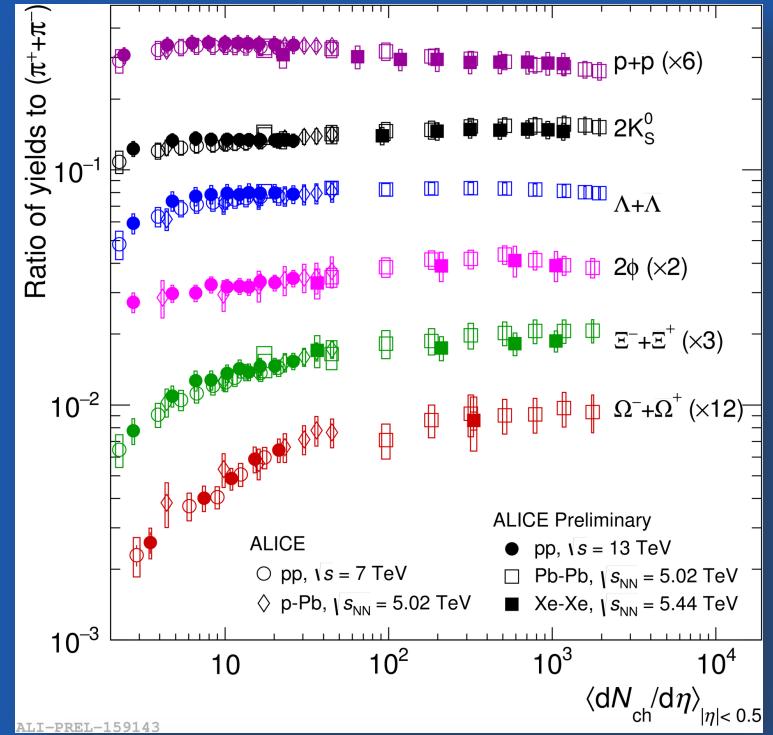
Soft probes probe the bulk of the system as a whole.

### Particle chemistry:

- continuity observed across collision systems
- depends on charged particle multiplicity
- Strangeness production is enhanced in presence of a QGP in AA collisions
- In small systems, strangeness enhancement observed with increasing multiplicity

### Collective dynamics

- Radial and anisotropic flow
- Flow up to higher harmonics in heavy-ion collisions
- Discovery of collective phenomena in small systems at the LHC, whose origin is to be understood.



# Summary and outlook - take home 4/4

## **Experimental probes and evidence** for a QGP formed in heavy-ion collisions

- Strong jet quenching and medium-induced modification
- Quarkonium suppression → Melting of states as a function of temperature
- Regeneration and partial thermalisation of charm
- Radial and anisotropic flow → Collective behavior of a QGP with very low shear viscosity ( $\eta/s$ ),
- High temperatures, mostly statistical particle production (Tchem, Tkin)
- Heavy-ion-like effects observed in pp and p-Pb collisions

## **A new frontier**

- Is there QGP in small systems?
- Can we explain these effects without a QGP?
- Can we describe these emerging phenomena in one unified picture across systems?

**Big progress towards a quantitative characterisation of the properties of the QGP with still open questions to be addressed in Run3 and beyond.**



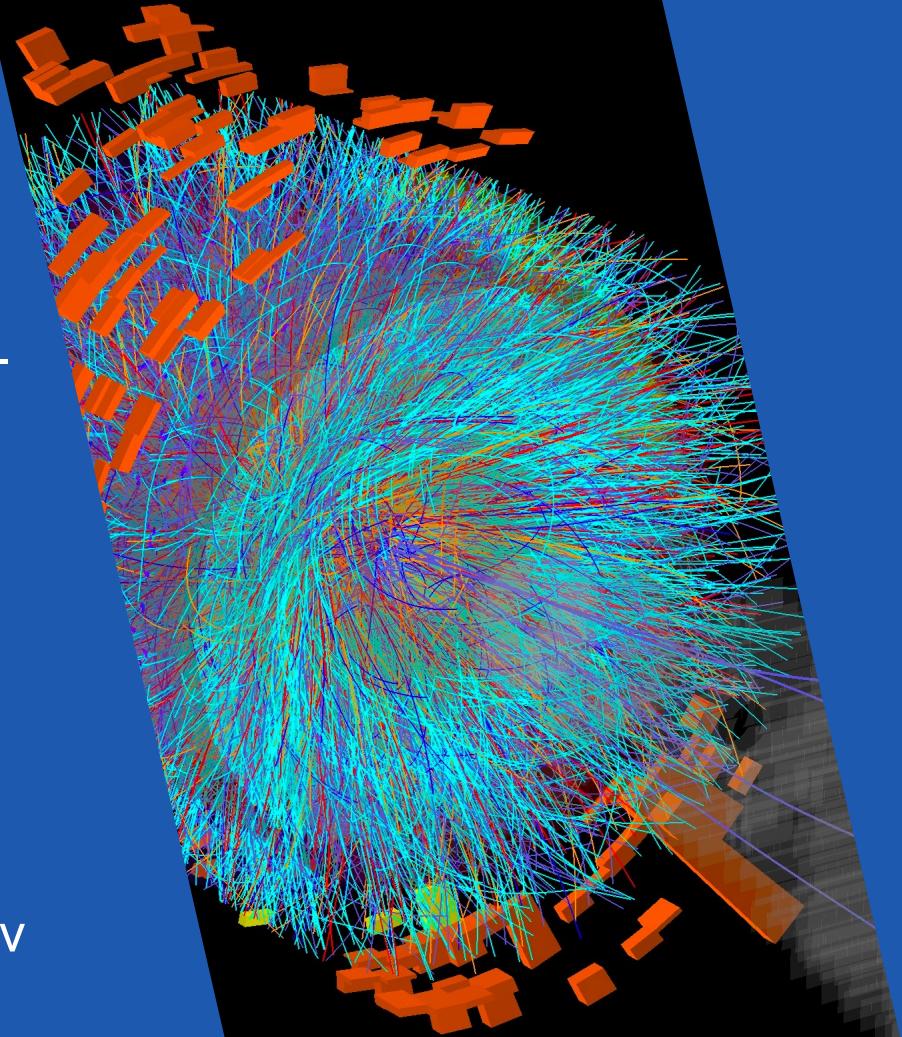
## CERN Summer Student Lectures 2023

### Further readings:

- [review] ALICE Collaboration, The ALICE experiment -- A journey through QCD, arXiv:2211.04384
  - [future] CERN Yellow Report on QCD with heavy-ion beams at the HL-LHC, arXiv:1812.06772
  - [future] Letter of intent for ALICE 3: A next generation heavy-ion experiment at the LHC, arXiv:2211.02491
- + many more reviews on specific topics available on arXiv

Contact: [francesca.bellini@cern.ch](mailto:francesca.bellini@cern.ch)

Thank you!

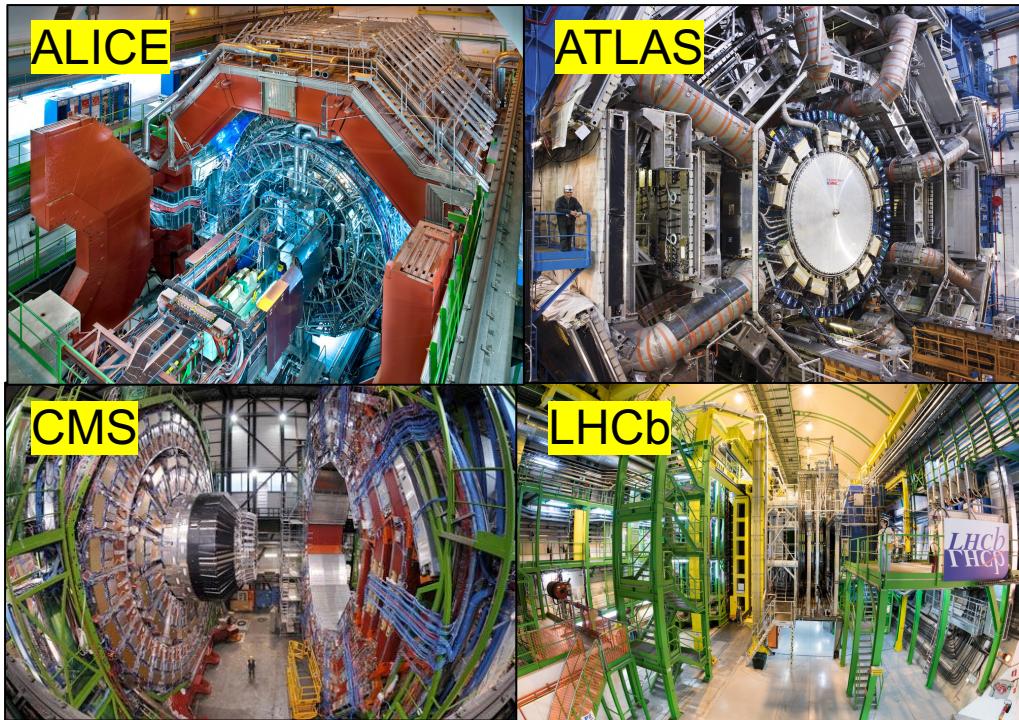
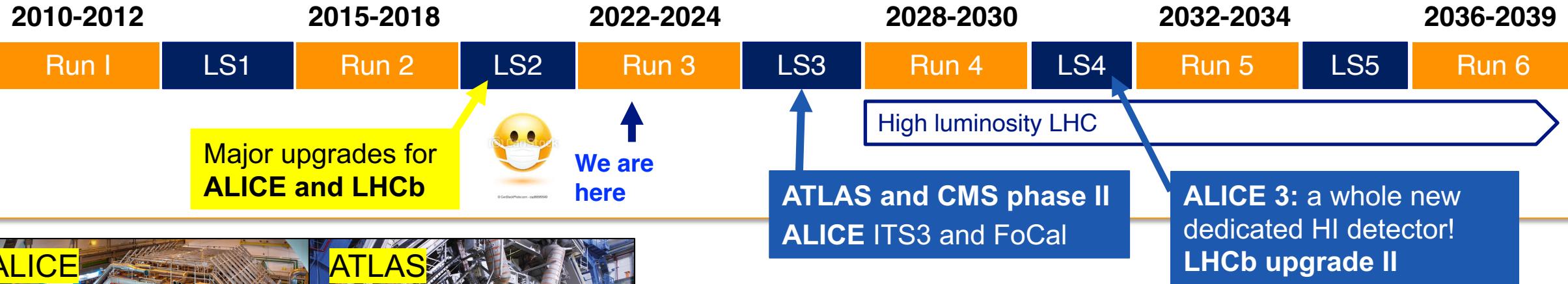


# What's next?

Heavy-ion program at the LHC in Runs 3+4 – An appetizer



# Recall: Heavy-ion physics at the LHC

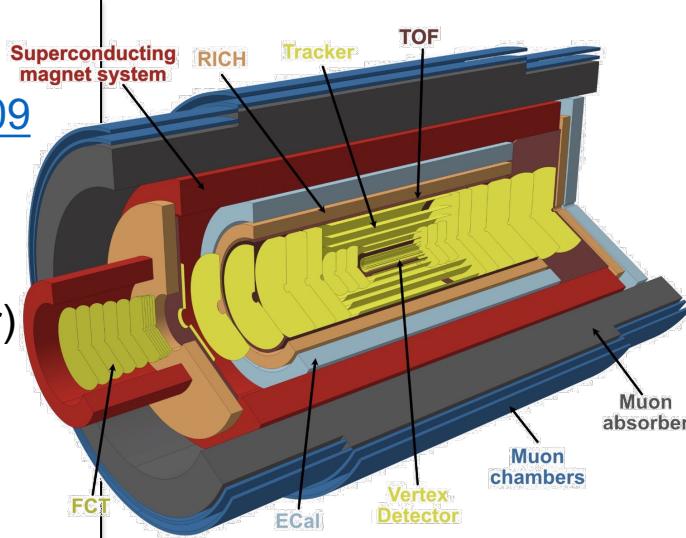


## ALICE 3

- Letter of Intent: [CERN-LHCC-2022-009](https://cern-lhcc-2022-009)
- next-generation HI experiment
- all-Si MAPS tracker
- ultimate vertex detector
- minimal mass (essentially only sensor)
- 5 mm from beam (LHC aperture)

Physics focus:

- low- $p_T$  heavy-flavour
- electromagnetic radiation from QGP



# Runs 3+4 - Nuclei and small systems

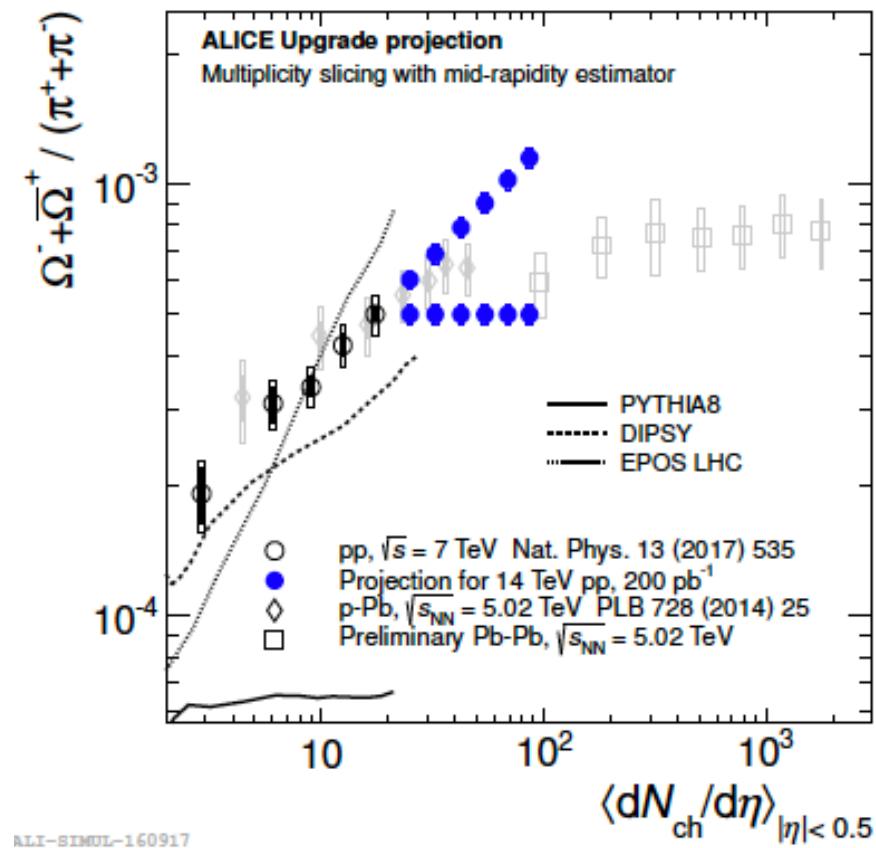
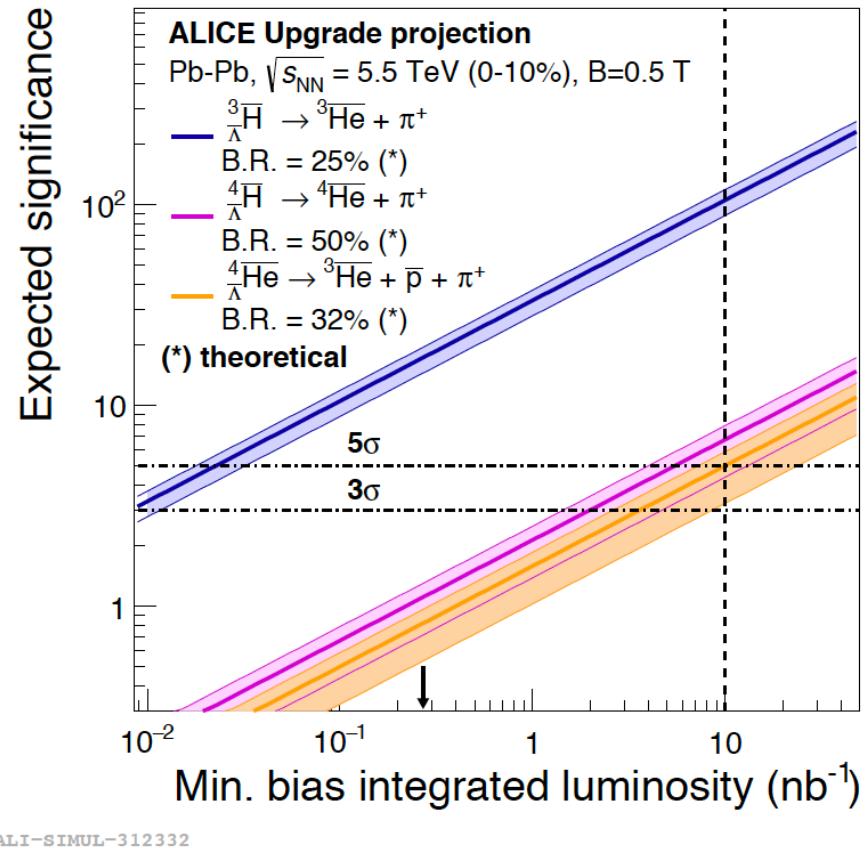


(anti-)nuclei and (anti)-(hyper-)nuclei up to  $A = 4$

- Clarify formation mechanisms of nuclear bound states from a dense partonic state
- Determine  $T_{ch}$  even more precisely

A “small systems” programme to study collectivity, strangeness/chemistry, hadronisation

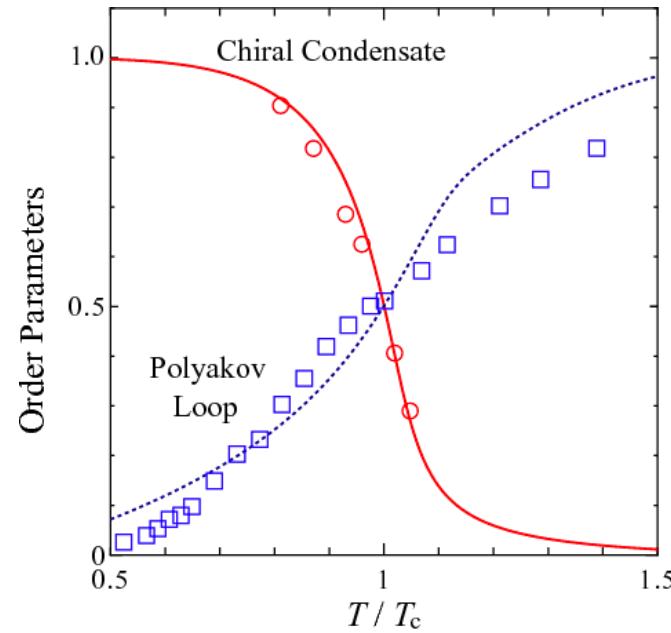
- Investigate the onset of QGP like features



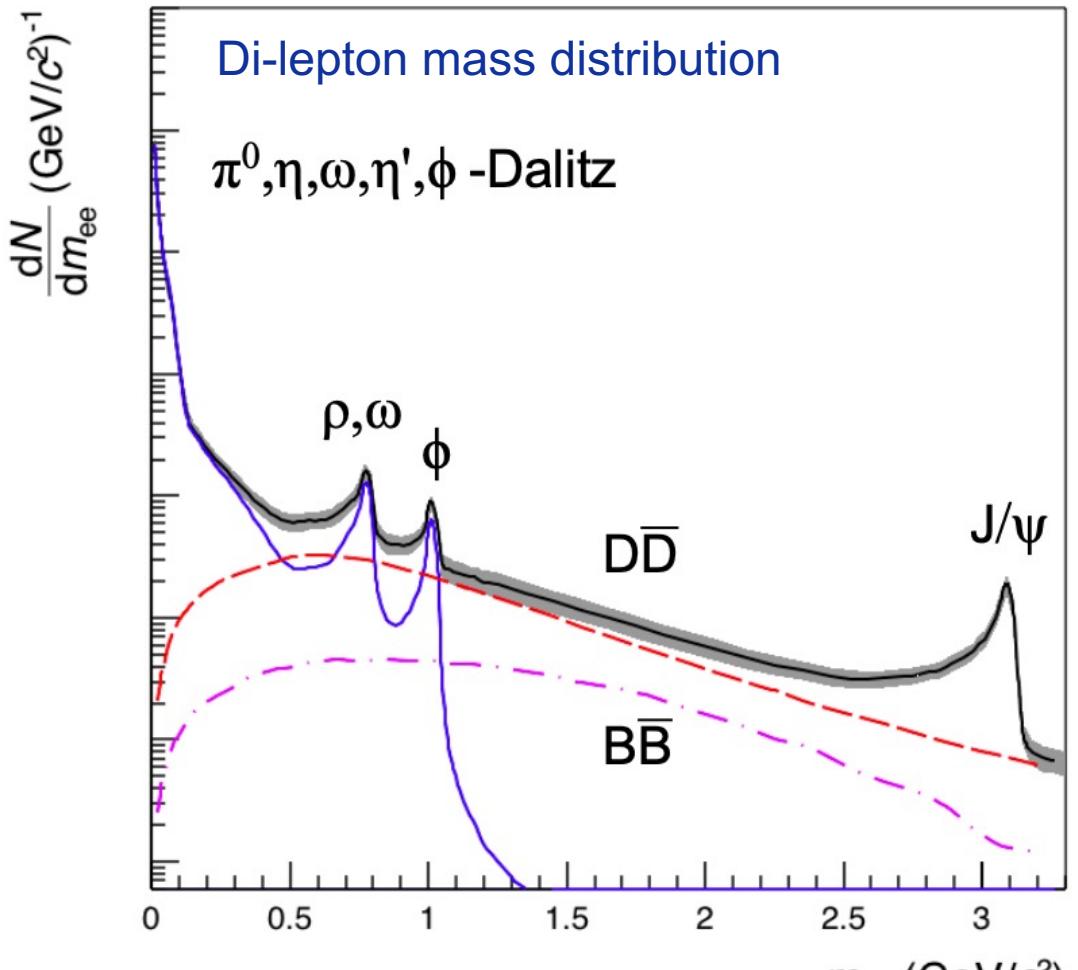
# Runs 3+4 – Dileptons and chiral symmetry



Lattice QCD predicts chiral symmetry restoration to occur around the same temperature as the confined/deconfined transition  
→ **but no experimental observation yet!**



→ **Search for signatures of chiral symmetry restoration** at the QCD phase boundary by measuring intermediate mass dilepton spectrum



omega/phi region:  
chiral symmetry and  
rho-a<sub>1</sub> mixing

# Runs 3+4 – Dileptons and early QGP temperature

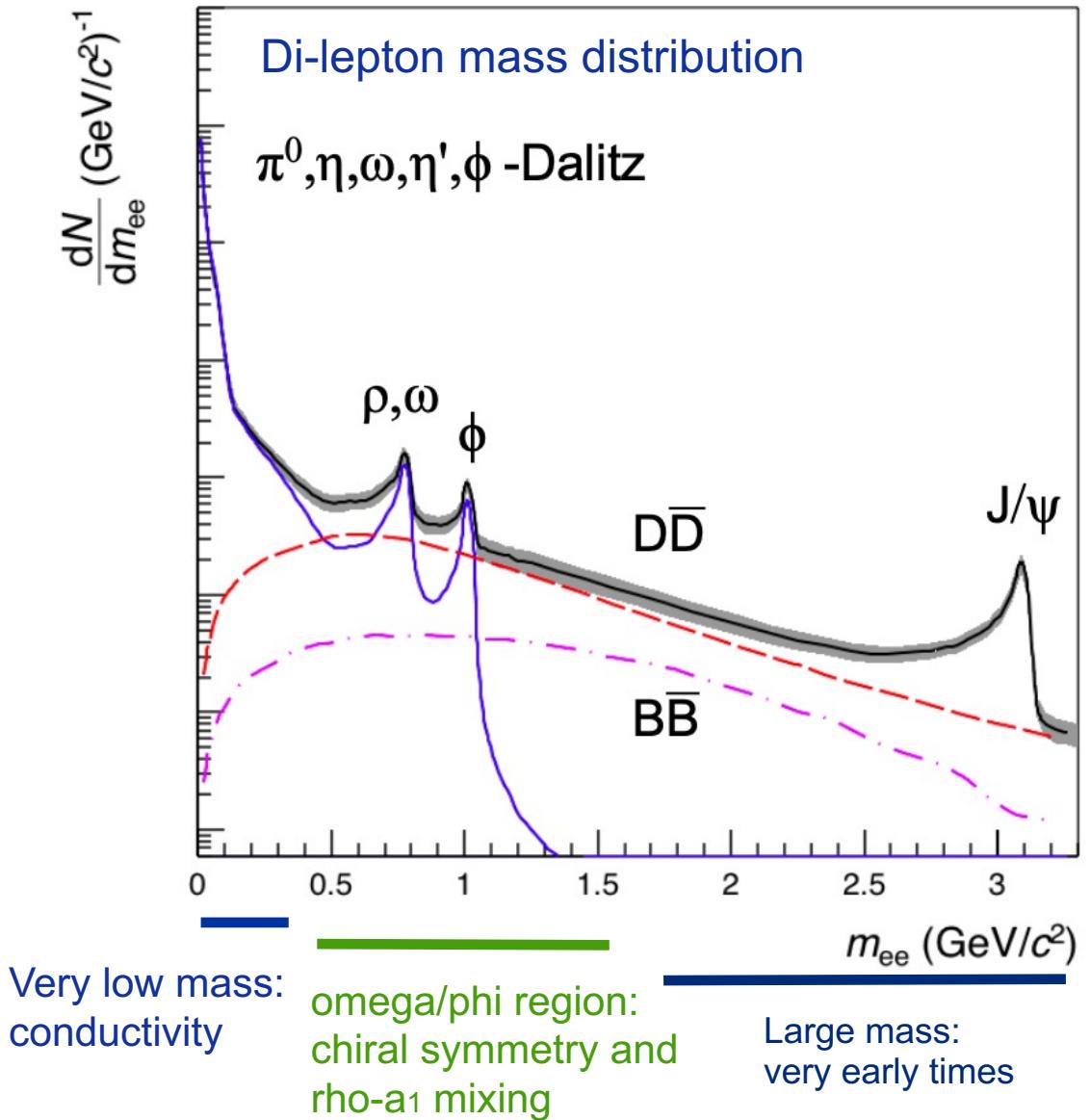


Measurements of dilepton spectrum:

- **Search for signatures of chiral symmetry restoration** at the QCD phase boundary by measuring **intermediate mass** dilepton spectrum
- **Access the temperature of QGP in the early stages** by measuring the mass spectrum of dileptons in the **large mass range** and dilepton excess due to electromagnetic radiation emitted by the QGP

Bonus in Runs 3 and 4:

- statistics
- reduced, well-known material
- heavy-flavour rejection



# Runs 3+4 – Dileptons

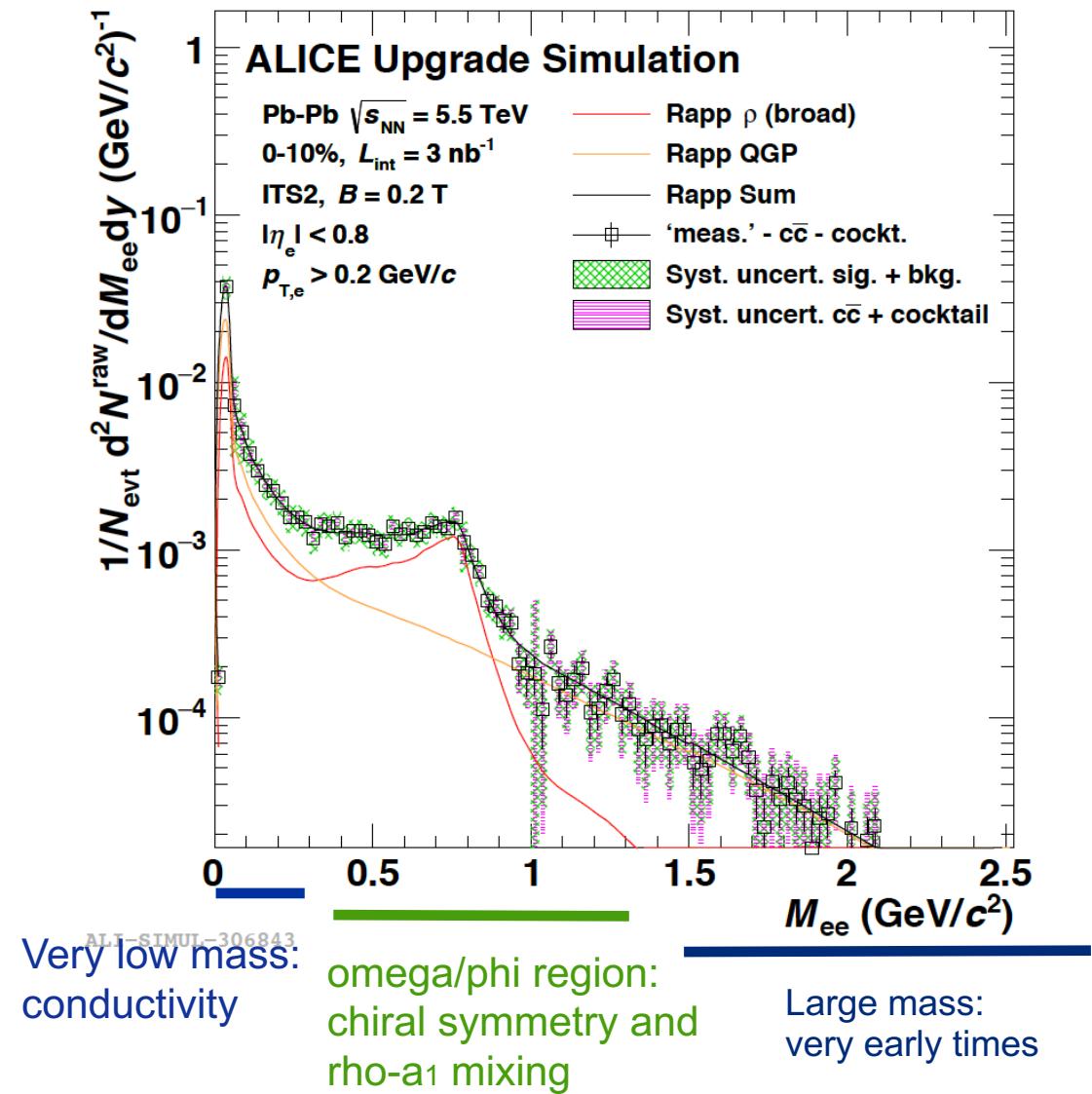


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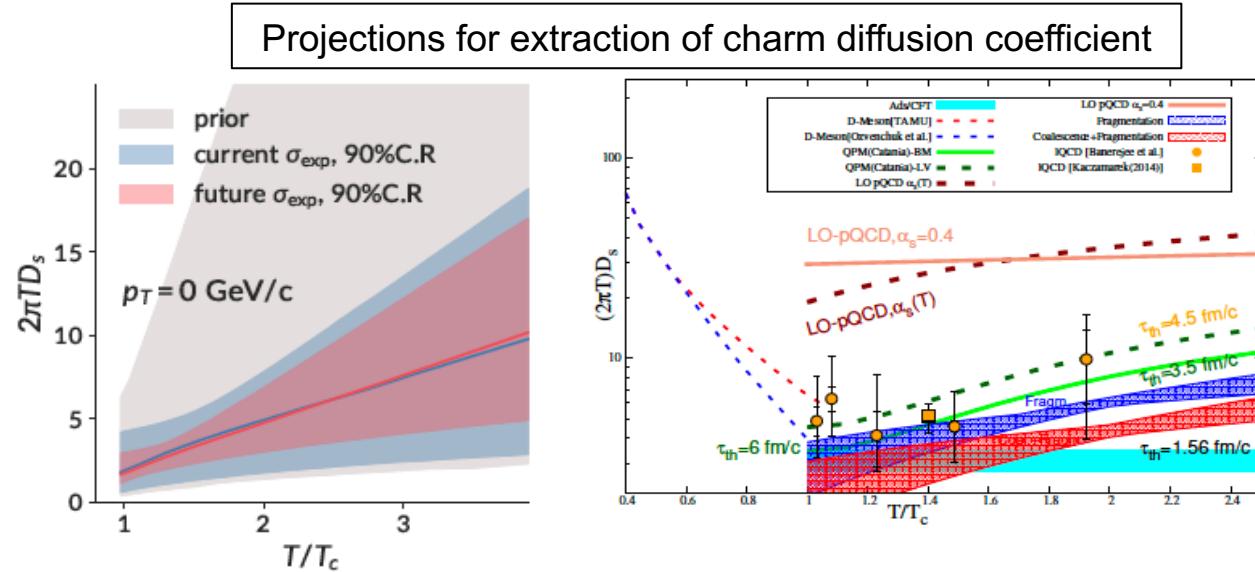
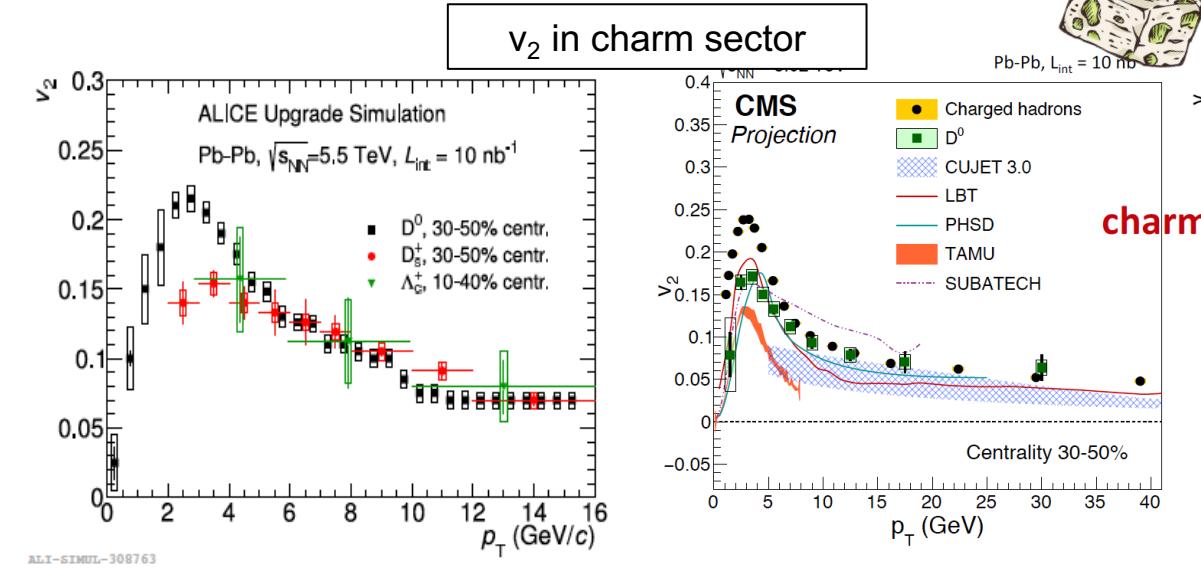
# Runs 3+4 - More charm



**Higher precision for rarer probes** in the HF sector

- Low- $p_T$  production and  $v_2$  of several HF hadron species
- first measurements of b at forward y down to zero  $p_T$  (main focus of ALICE)
- B hadrons and b-jets (main focus of ATLAS and CMS)

→ Study mass dependence of **energy loss**,  
in-medium **thermalization** of heavy-flavours  
→ Access to the **medium transport properties**,  
e.g. charm diffusion coefficient



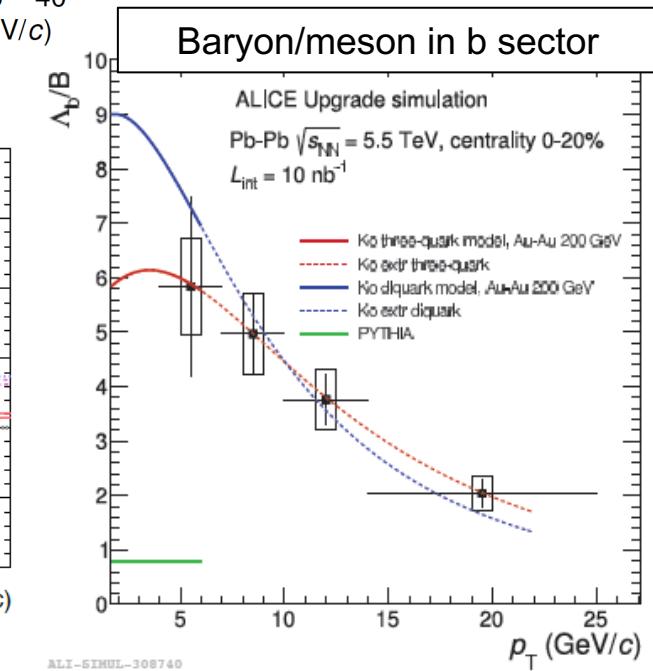
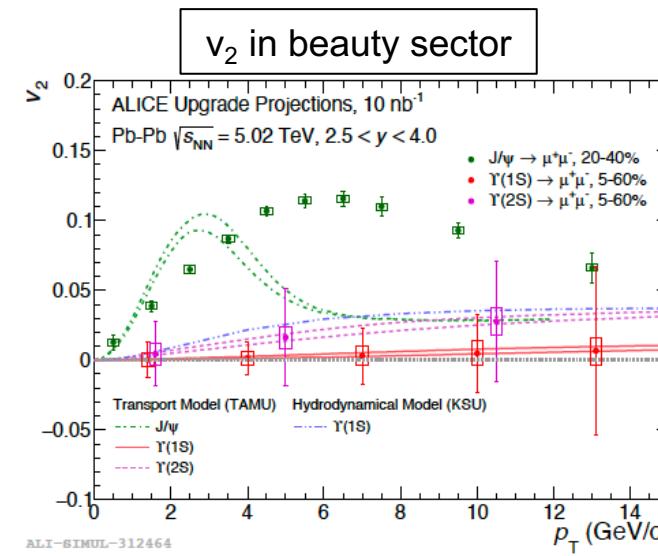
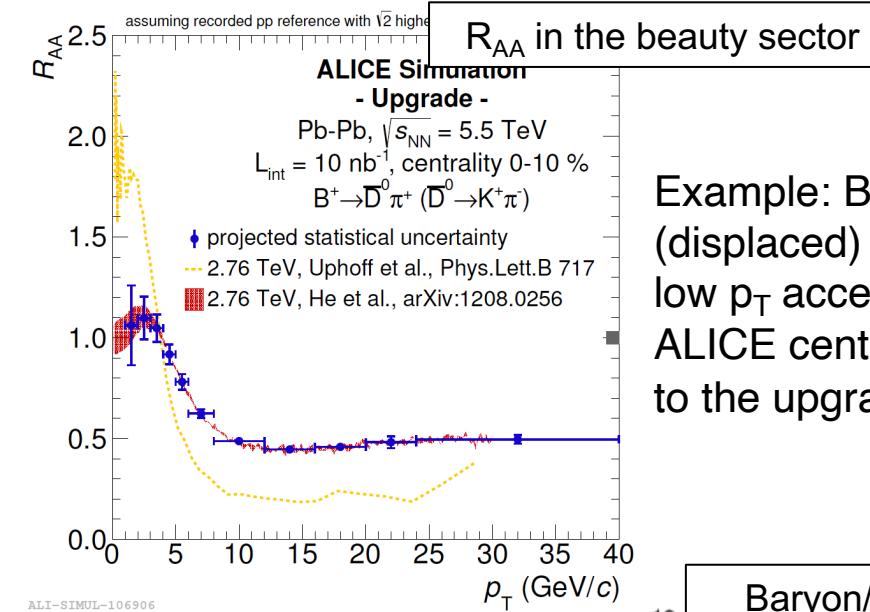
# Runs 3+4 - More beauty

**Higher precision for rarer probes** in the HF sector

- Low- $p_T$  production and  $v_2$  of several HF hadron species
- first measurements of b at forward y down to zero  $p_T$  (main focus of ALICE)
- B hadrons and b-jets (main focus of ATLAS and CMS)

→ Study mass dependence of **energy loss**, in-medium **thermalization** of heavy-flavours

→ Access flavor-dependence of in-medium fragmentation functions with jet measurements



Example:  $B^+ \rightarrow D^0 \pi^+$   
(displaced) channel down to low  $p_T$  accessible in the ALICE central barrel thanks to the upgraded ITS



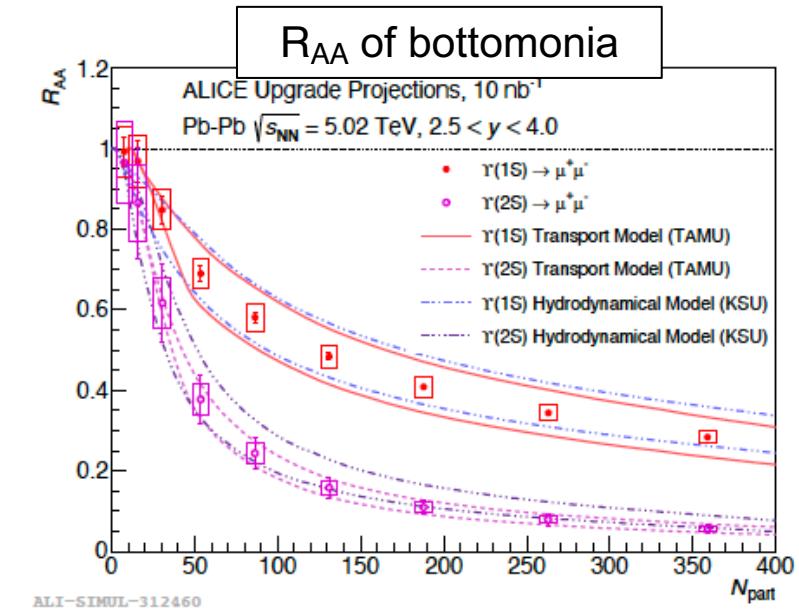
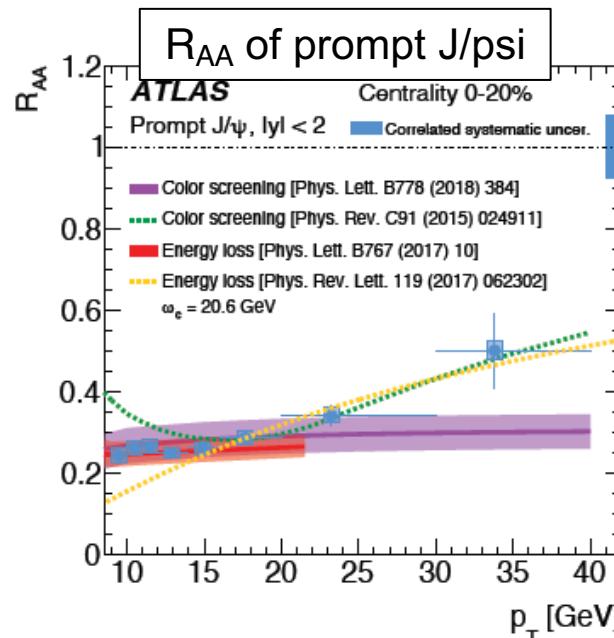
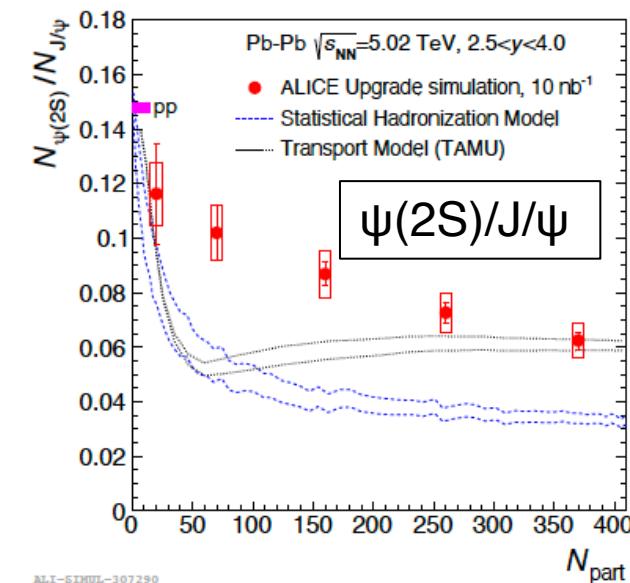
# Runs 3+4 – More quarkonia

Measure charmonium and bottomonium spectrum with **increased precision**

- Nuclear modification  $R_{AA}$
- $\psi(2S)/J/\psi$ ,  $\Upsilon(2S)/\Upsilon(1S)$
- explore feeddown

- constrain models
- probe melting and regeneration of quarkonia
- probe deconfinement
- access the medium temperature

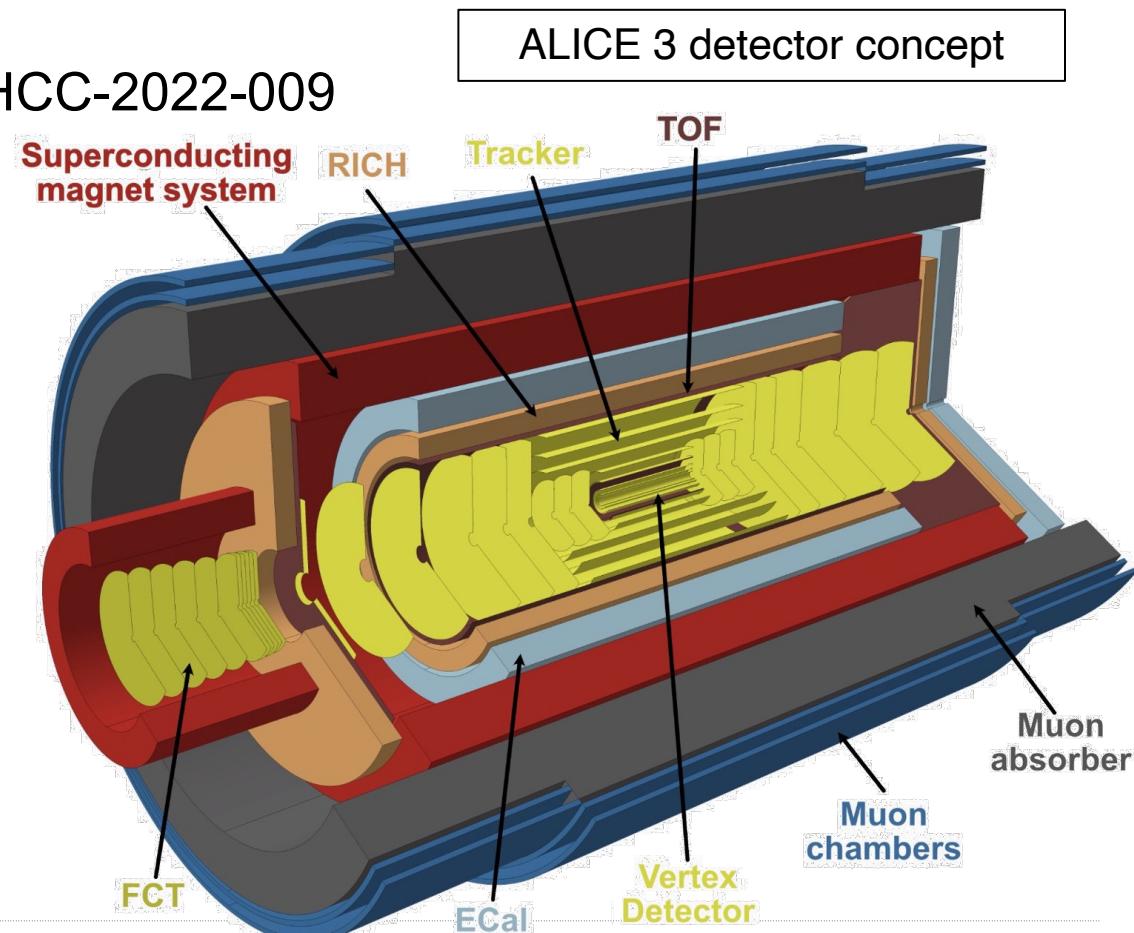
Further reading: CERN Yellow Report on QCD with heavy-ion beams at the HL-LHC  
[arXiv:1812.06772](https://arxiv.org/abs/1812.06772)



# ALICE 3: a new dedicated HI experiment in Run 5 and beyond

## ALICE 3: a new dedicated heavy-ion experiment at the LHC

- replace ALICE between Run 4 and Run 5
- Expression of Interest submitted in 2019 (ESPPU),  
[arXiv:1902.01211](https://arxiv.org/abs/1902.01211)
- Letter of Intent submitted to the LHCC: CERN-LHCC-2022-009



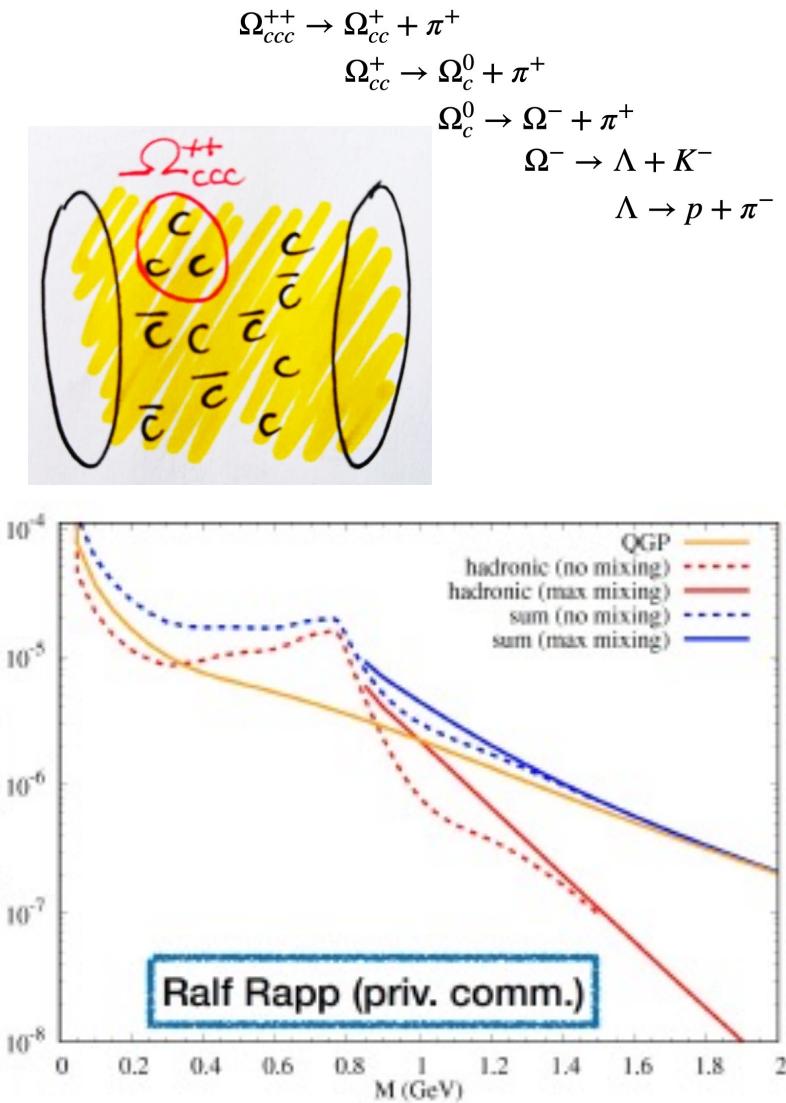
## Physics from pp to Pb-Pb:

- Vertexing accuracy and tracking down to  $p_T = 0$  (w/ retractable inner tracking layers)
- Particle identification
- Wide rapidity coverage
- Extreme acquisition rates for soft probes

# Unique physics with a fast ultra-light detector

- **Multi-HF states production to investigate hadronization from the QGP**  
Multi-charm baryon production expected to be enhanced by a factor of  $10^2\text{-}10^3$ , low  $p_T$   $B$ ,  $\chi_c$ ,  $X$ , ...
- **Dilepton radiation** from various phases of the collision
- Effect of **chiral symmetry restoration** (predicted by lattice QCD) on the dielectron spectrum
- **QGP parameters** (diffusion coefficients, conductivity properties, ...) with unprecedented precision
- **Ultra-soft ( $p_T \sim 10$  MeV) photon** production relative to hadron production (Low's theorem, non-pert. QCD)

...and more new unique windows opened at the LHC!



# Bonus material

# Characteristics of a heavy-ion detector: ALICE

ALICE is the dedicated heavy-ion detector at the LHC, designed and built specifically for this purpose.

**Solenoid:** magnetic field  $B = 0.5 \text{ T}$

**Inner Tracking System + Time Projection**

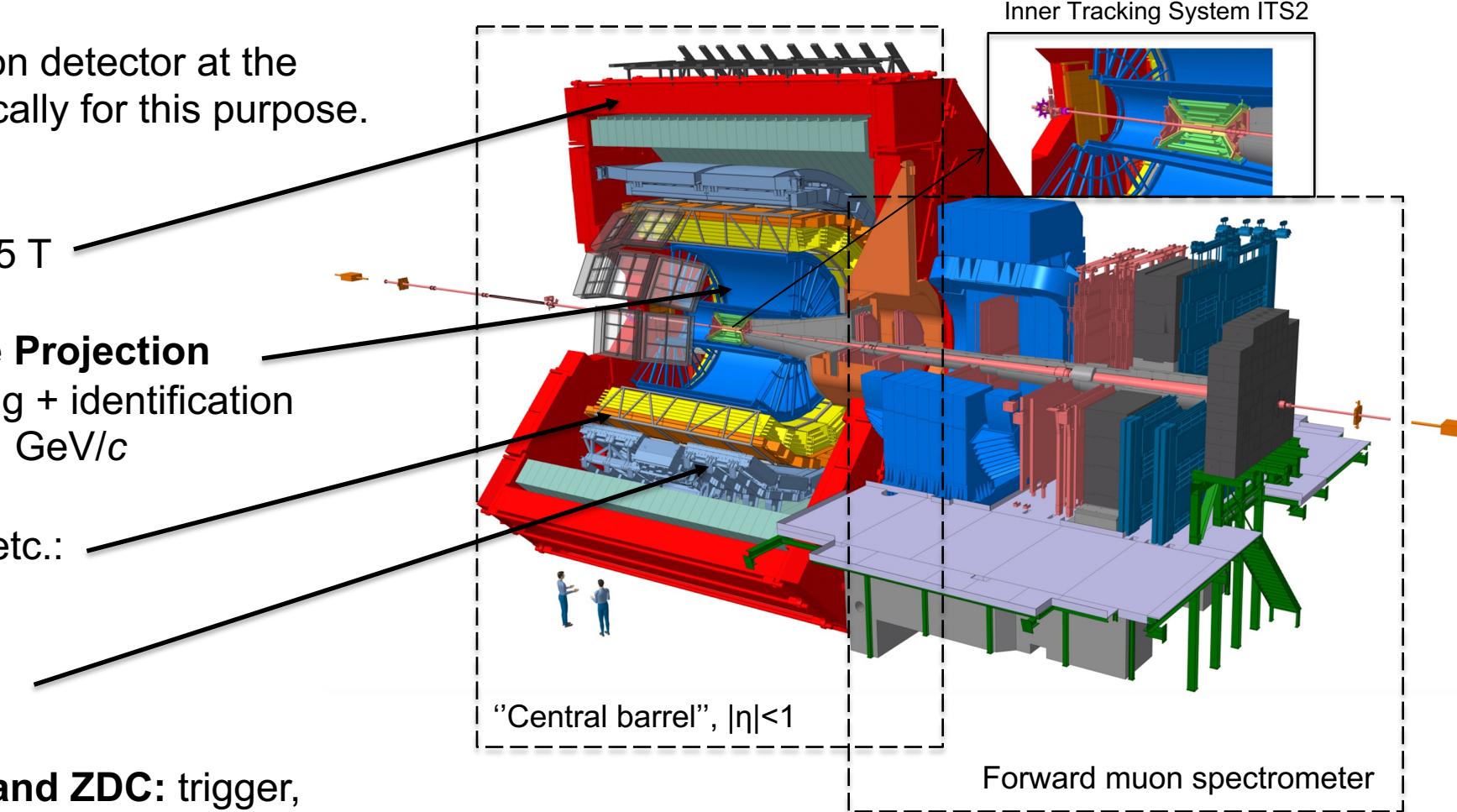
**Chamber:** vertexing and tracking + identification (TPC) down to very low  $p_T \sim 0.1 \text{ GeV}/c$

**Time-Of-Flight, TRD, HMPID, etc.:**

Particle identification detectors

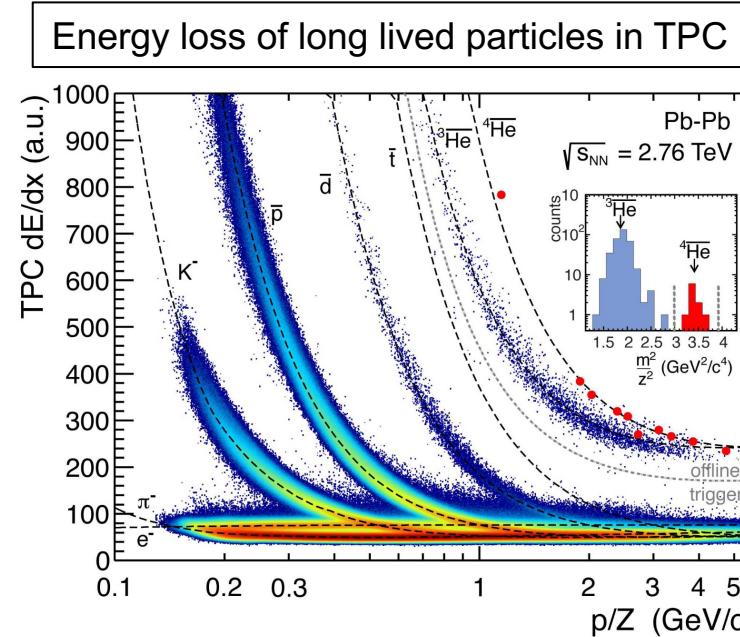
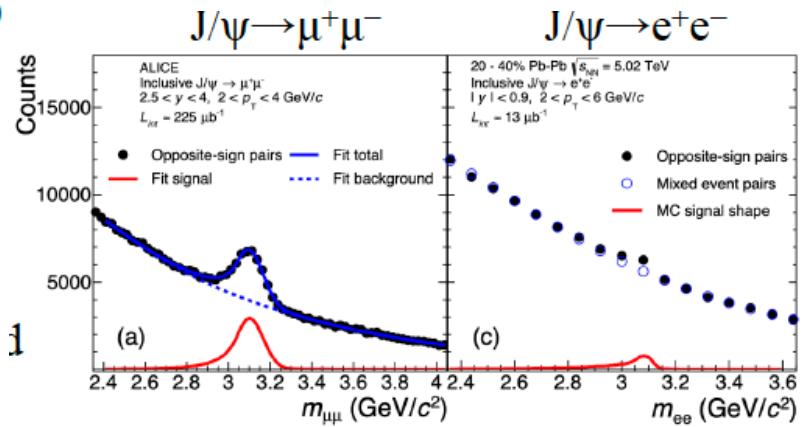
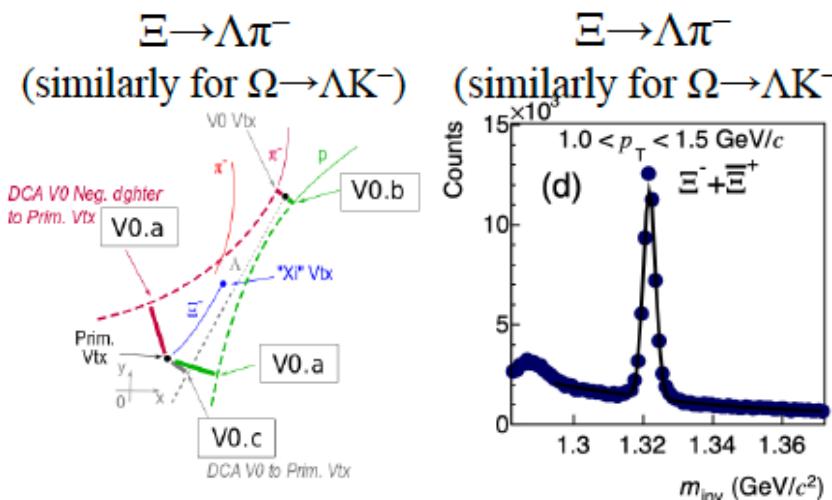
**Electromagnetic calorimeters**

**+ Forward rapidity detectors and ZDC:** trigger, centrality, event time determination, ...

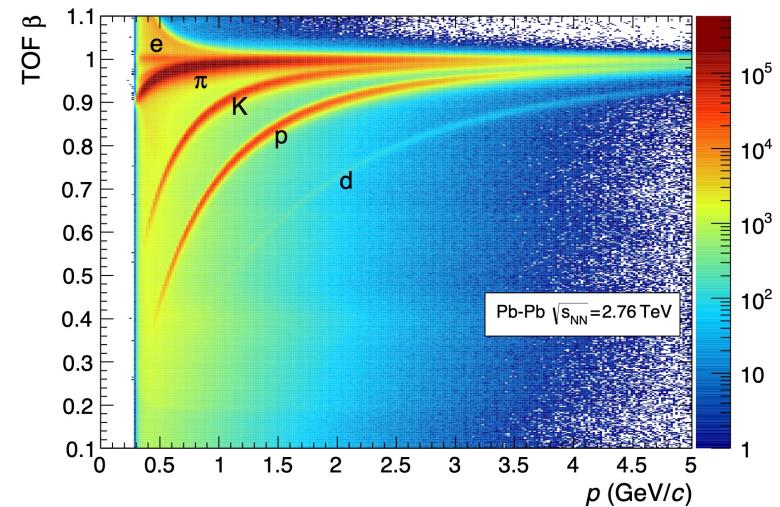


# Particle identification

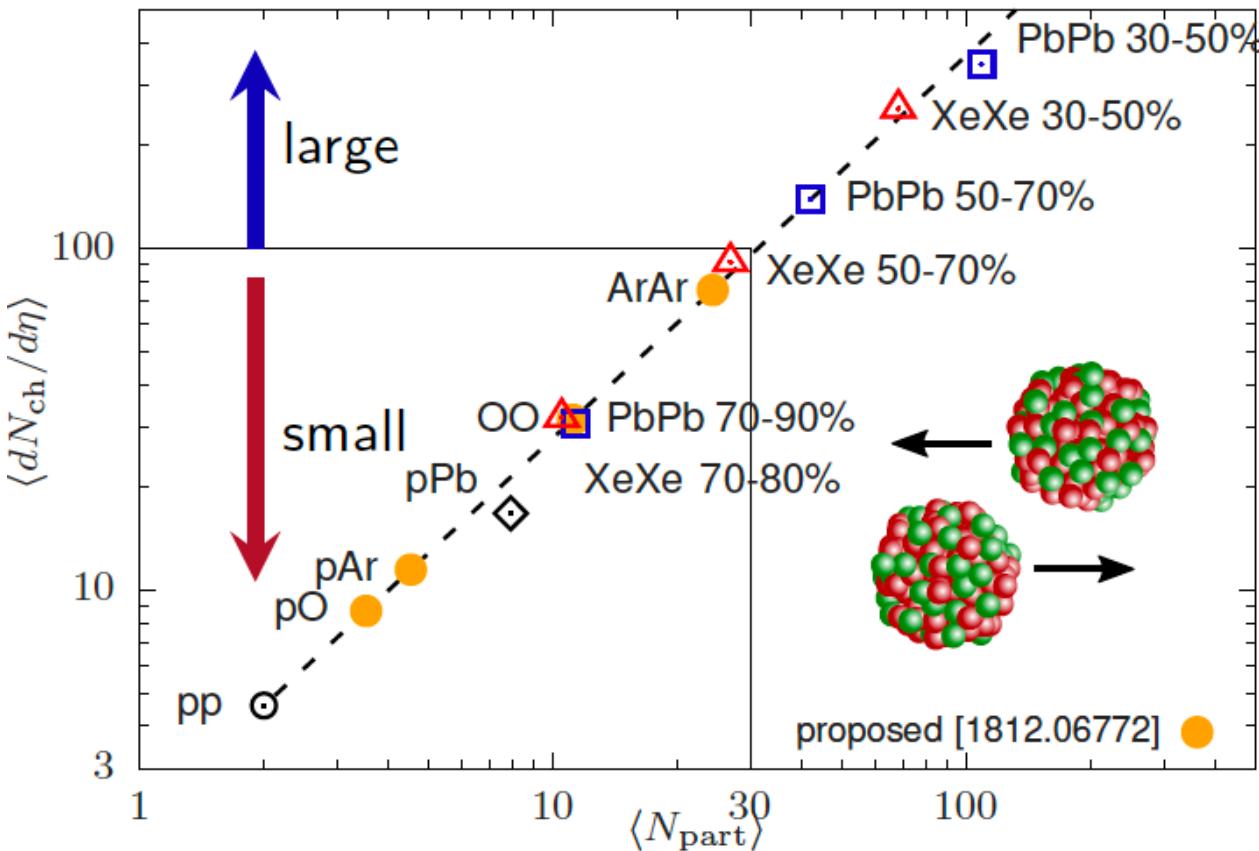
- Direct identification:  $\pi$ , K, p, light (anti)nuclei
- Electron identification using calorimeters and transition radiation detectors
- Strange and heavy-flavour hadrons:
  - reconstruction of secondary vertex and weak decay topology + PID + invariant mass reconstruction
- Photons detected in calorimeters and through pair production
- Quarkonia through leptonic decays



Particle velocity from TOF measurement and momentum



# Light ions at the LHC



From A. Mazeliauskas, EPS-HEP 2021:

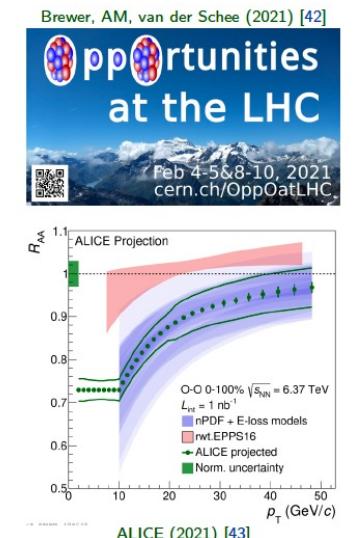
Light-ions (e.g. O, Ar, Kr) [Yellow report \(2018\) \[17\]](#):

- High achievable luminosity.
- Short oxygen run planned in LHC Run 3.
- pO: strong interest from cosmic ray physics.
- OO comparable to pPb, but better geometry control.
- Many physics opportunities [see OppOatLHC \[indico\]](#)

Experimental projections and theory calculations show measurable energy loss signal in  $10 \text{ GeV} < p_T < 50 \text{ GeV}$ .

Huss, Kurkela, AM, Paatelainen, van der Schee, Wiedemann (2020) [41]

Opportunity to discover jet quenching in small systems.



# Hydrodynamical modeling (details)

Describe the expanding medium macroscopically.

*arXiv:1712.05815*

## Input

- Initial conditions
- equation-of-state (EOS)  $\epsilon = \epsilon(P)$  from latticeQCD
- bulk  $\zeta$  and shear viscosity  $\eta$ , charge diffusion,  $\kappa$

## Output

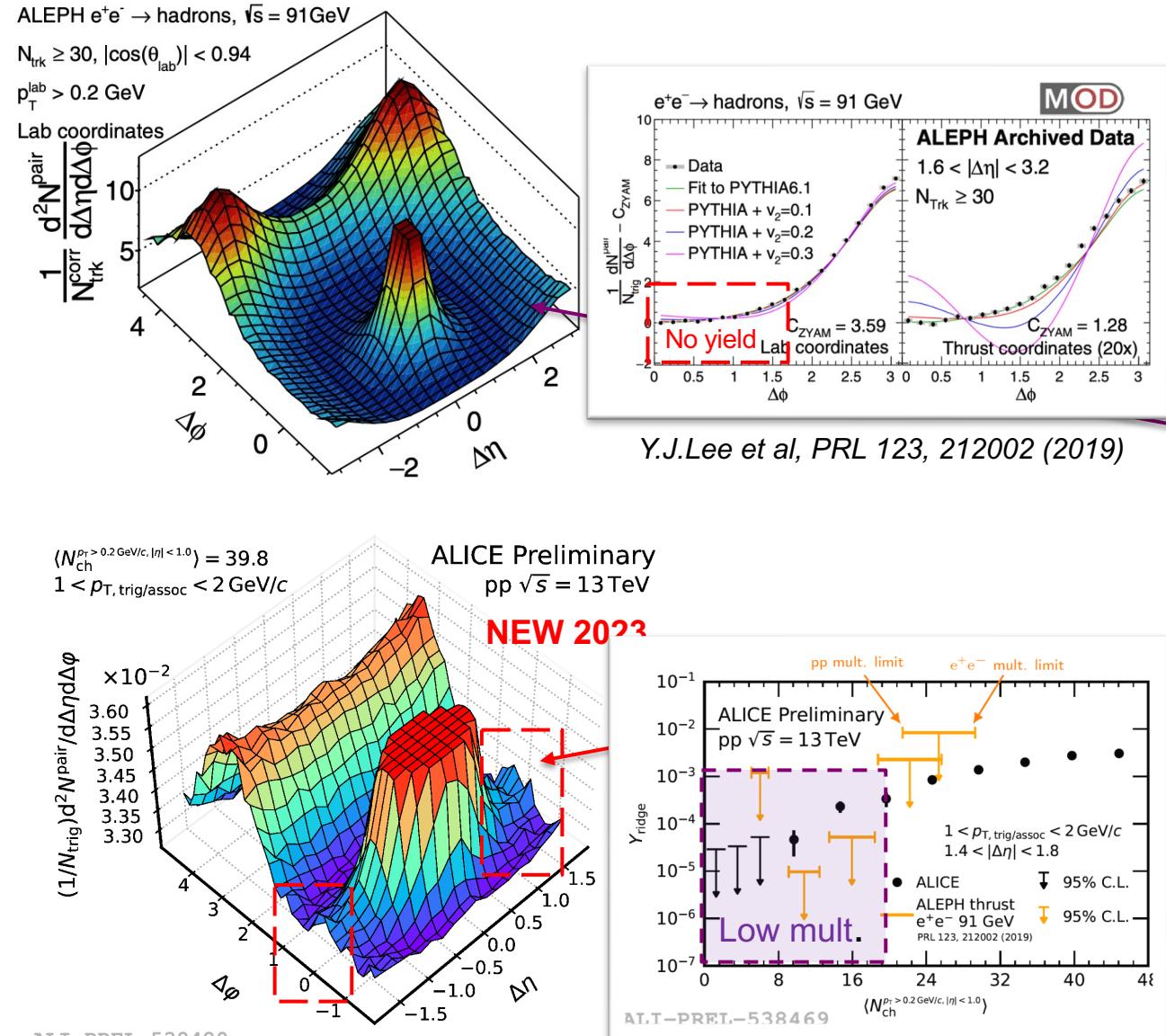
- Any other relevant observable, e.g. spectra, jet quenching, ...

**Flow observables** are related to the response of the system to the initial spatial anisotropies  
 → Can be used to deduce conclusions on initial conditions, EoS and transport coefficients **by data comparison**

	Gauge/Gravity	Kinetic (BGK)	pQCD	Lattice QCD
$\epsilon(P)$	3 P	Eq. (3.30)	3 P	Eq. (3.125)
$\eta$	$\frac{\epsilon+P}{4\pi T}$	$\frac{(\epsilon+P)\tau_R}{5}$	$\frac{3.85(\epsilon+P)}{g^4 \ln(2.765g^{-1})T}$	$0.10(6) \frac{\epsilon+P}{T}$
$\tau_\pi$	$\frac{2-\ln 2}{2\pi T}$	$\tau_R$	$\frac{5.9\eta}{\epsilon+P}$	
$\lambda_1$	$\frac{\eta}{2\pi T}$	$\frac{5}{7}\eta\tau_R$	$\frac{5.2\eta^2}{\epsilon+P}$	
$\lambda_2$	$2\eta\tau_\pi - 4\lambda_1$	$-2\eta\tau_R$	$-2\eta\tau_\pi$	
$\lambda_3$	0	0	$\frac{30(\epsilon+P)}{8\pi^2 T^2}$	
$\kappa$	$\frac{\epsilon+P}{4\pi^2 T^2}$	0	$\frac{5(\epsilon+P)}{8\pi^2 T^2}$	$0.36(15)T^2$
Refs.	[19, 28, 29] [128, 129]	[28, 119, 120]	[121–123] [130]	[124–127] [131, 132]

Table 2.1: Compilation of leading-order results for transport coefficients in various calculational approaches, see text for details.

# Searching for the “ridge” in the smallest systems



A long-range ( $2 < |\Delta\eta| < 4$ ) near-side ( $\Delta\phi = 0$ ) “ridge” in 2-particle correlations discovered in **high multiplicity** pp, p-Pb, Pb-p collisions  
 → First signs of **collectivity in small systems discovered** at the LHC

Checked in e<sup>+</sup>e<sup>-</sup> using ALEPH archived data:  
 → No ridge observed

Latest result:  
 → ridge observed in low-multiplicity pp collisions

**Are these long-range correlations in pp coming from (hydrodynamic) flow?**

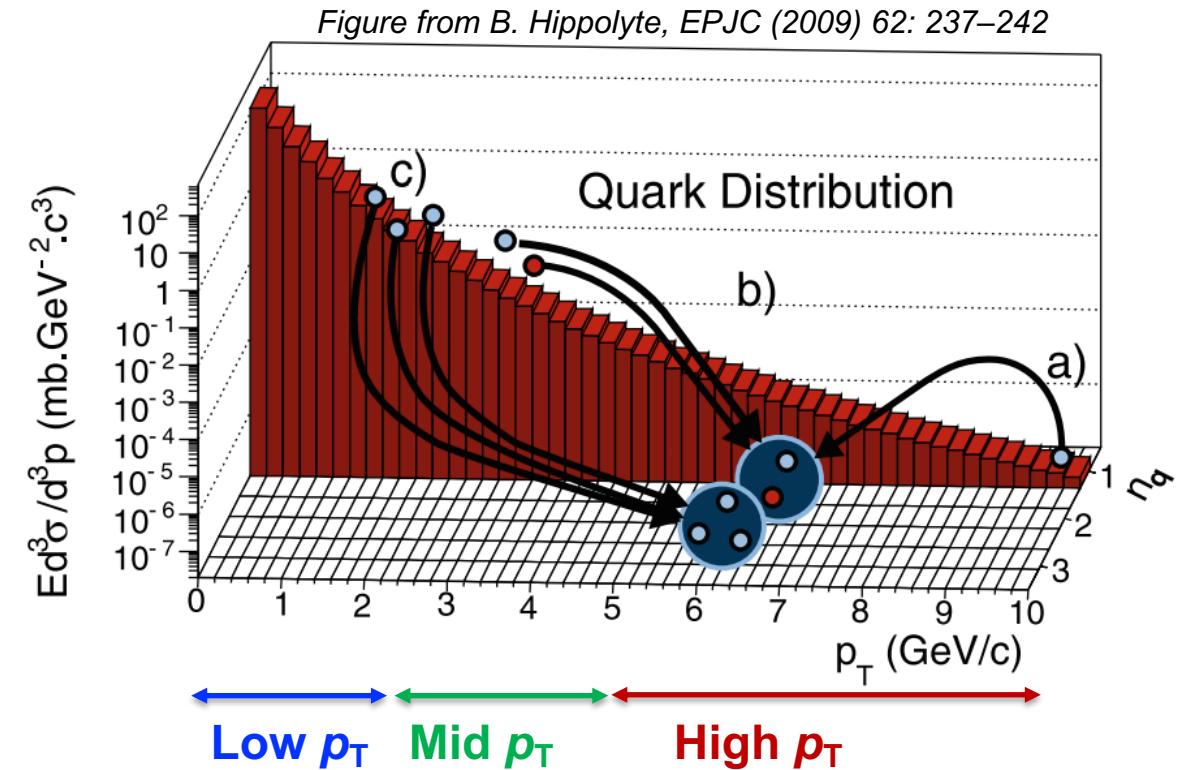
# Hadronisation by fragmentation and recombination

Ratios of baryon to meson production spectra are sensitive to competing particle production mechanisms, depending on transverse momentum

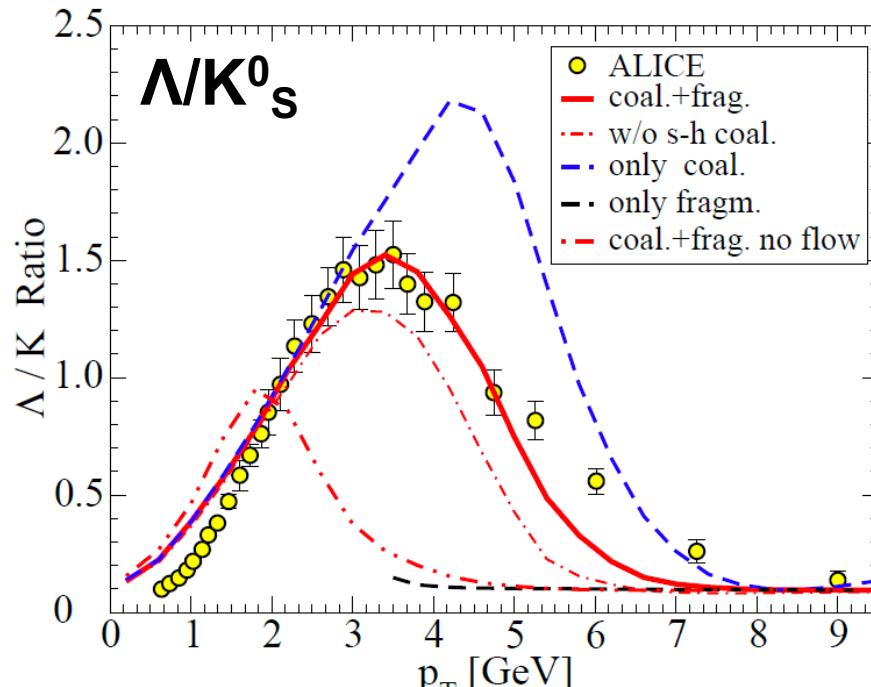
**Fragmentation** (a) of high- $p_T$  partons into mid- $p_T$  hadrons

**Recombination** (b,c) of low- $p_T$  partons close in phase space into mid- $p_T$  hadrons via coalescence

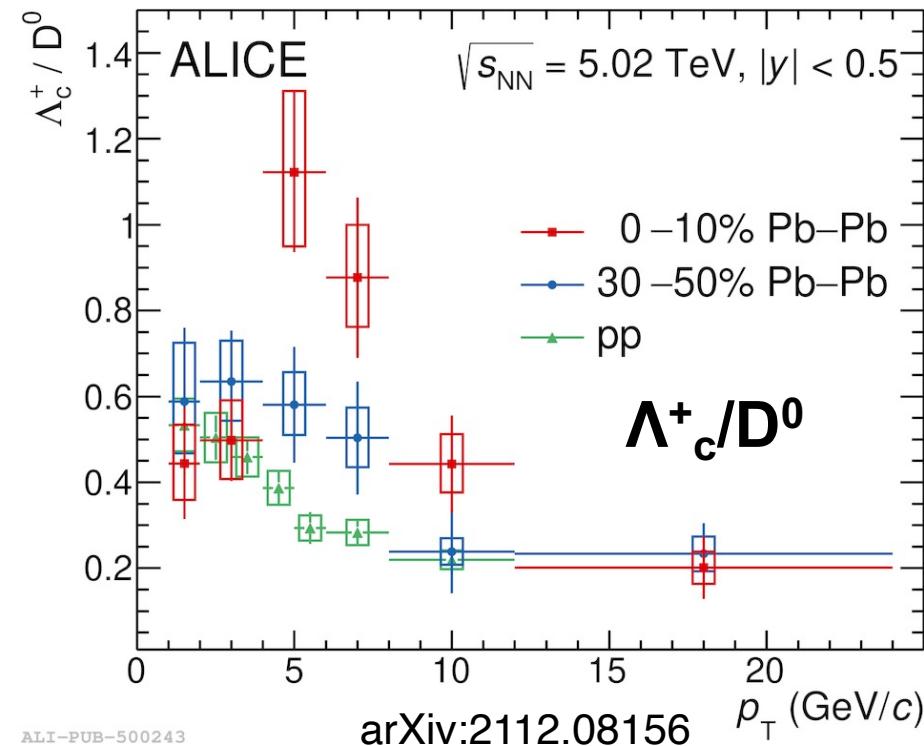
+ influence of **collective flow**



# Investigating hadronization mechanisms



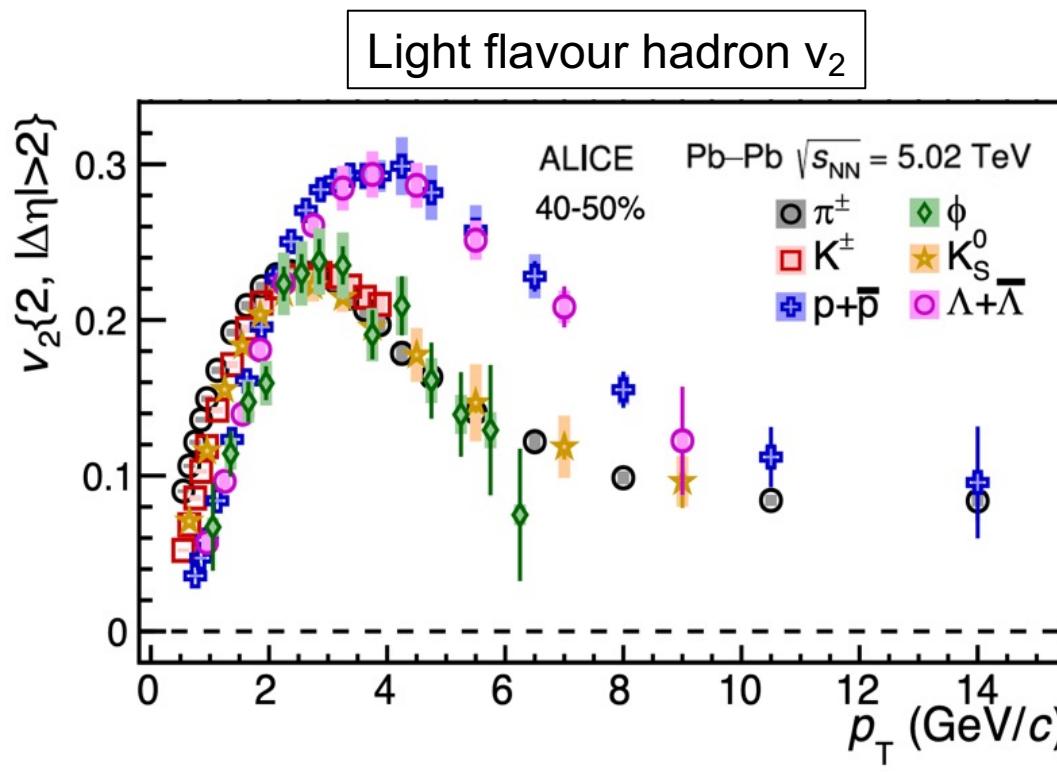
V. Minissale et al., PRC 92 (2015) 054904



At intermediate  $p_T$ , a **baryon/meson enhancement** is observed for  $p/\pi$ ,  $\Lambda/K^0_S$   
 → interplay of **radial flow** and **recombination**

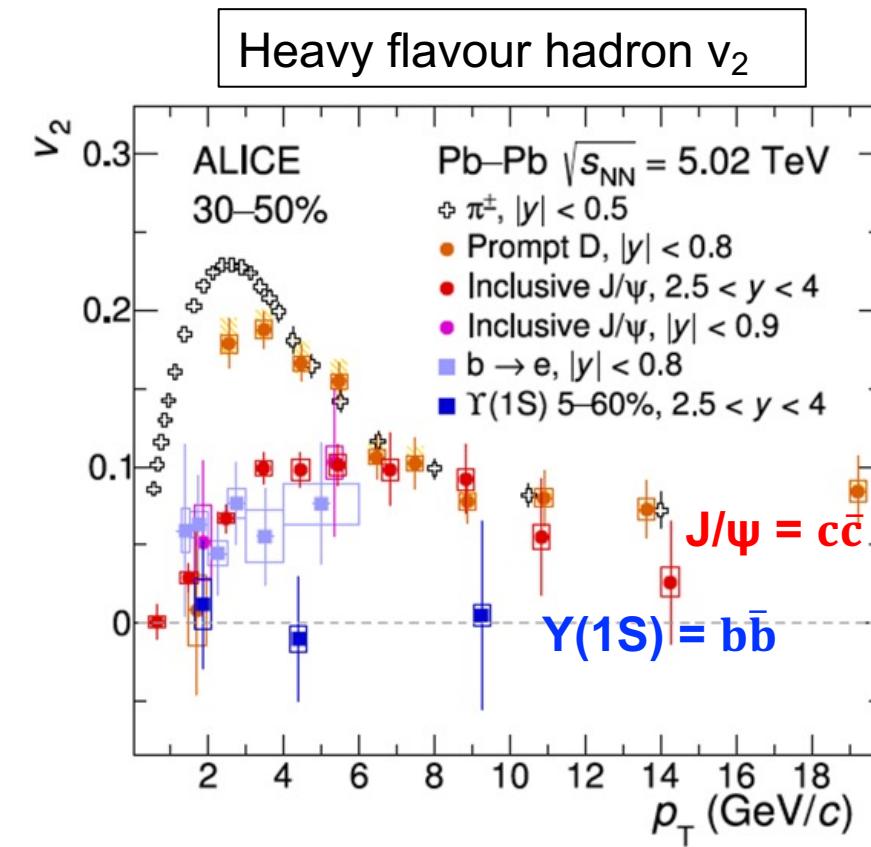
$\Lambda_c/D^0$  enhancement possibly due to the **recombination of charm quarks** traveling through the QGP with **light quarks** from the QGP.

# Flow of identified hadrons



**Light flavour** hadrons exhibit “textbook” flow

- Mass dependence at low  $p_T$
- Interplay of production mechanisms at mid- $p_T$  (baryon/meson separation → recombination)



**Charm  $v_2 > 0$**

- charm partially thermalised with the QGP
- recombination with LF at hadronisation

**No significant evidence of flow of beauty**

# Strangeness production in a hadron gas

In a **hadron gas at high temperature** (e.g. **hadronic phase of HIC**,  $T = 150 \text{ MeV} < T_c$ ),  
(multi-)strange hadron production is an **energy threshold problem**

## By multi-step hadronic processes

e.g.  $\pi + n \rightarrow K + \Lambda$ ,  $E_{th} \sim 540 \text{ MeV}$

$\pi + \Lambda \rightarrow K + \Xi$ ,  $E_{th} \sim 560 \text{ MeV}$

- Requires longer medium lifetime
- **under-saturation** of strangeness

## By direct production

e.g.  $\pi + \pi \rightarrow \pi + \pi + \Lambda + \Lambda\text{-bar}$ ,  $E_{th} \sim 2200 \text{ MeV}$

$\pi + \pi \rightarrow \pi + \pi + \Xi^- + \Xi^+\text{-bar}$ ,  $E_{th} \sim 2600 \text{ MeV}$

- Have to happen **very early**
- By non-thermalised hadrons

The strangeness quantum number has to be conserved locally and exactly in a **finite system**  
(e.g. **pp**), which reduces the phase space available for particle production.

[K. Redlich, A. Tounsi, Eur. Phys. J. C 24, 589–594 (2002)]

→ **canonical suppression** due to **quantum number conservation**

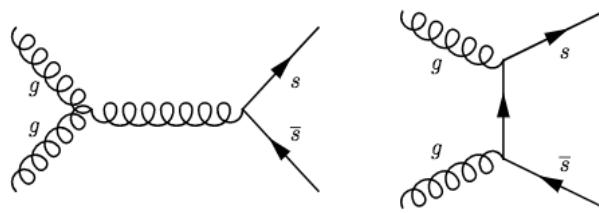
→ Relaxation of canonical suppression with increasing  $\sqrt{s}$  (and number of particles)

# Strangeness production in a QGP

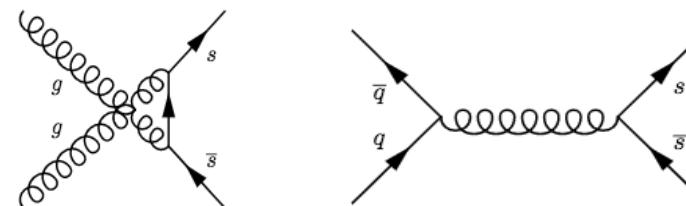
Strangeness is produced dominantly by fusion of thermalized gluons (a) in the QGP.

Energy threshold for s-sbar: ~200 MeV (if  $m_s^{\text{QCD}} \rightarrow m_s^{\text{Higgs}}$  by restoration of chiral symmetry)

(a)  $gg \rightarrow s\bar{s}$



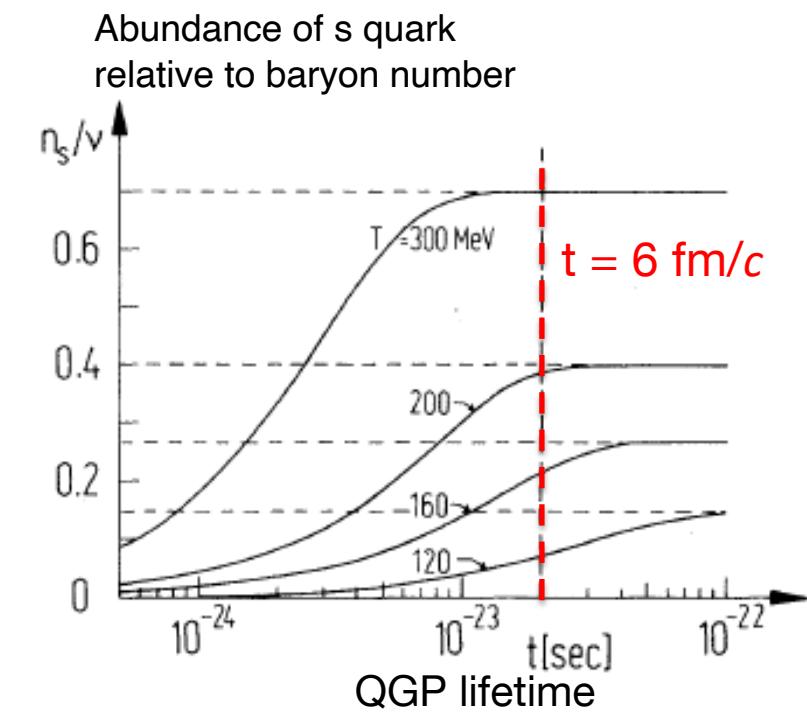
(b)  $q\bar{q} \rightarrow s\bar{s}$



The backward reaction of (b) depends on the s quark density, thus on the QGP lifetime.

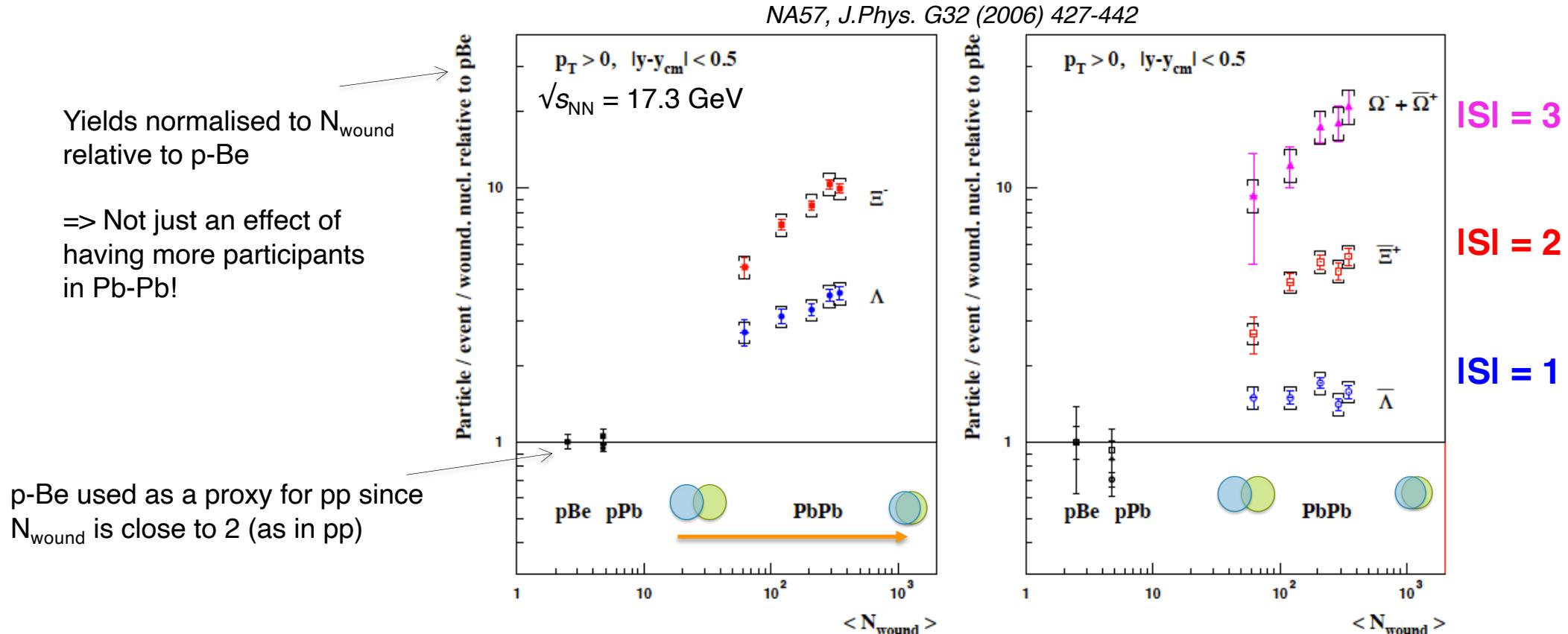
→ saturation of strangeness abundance reached on the time scale of ~ 1-few fm/c

Strangeness enhancement in HIC relative to pp was historically proposed as a signature of the presence of a deconfined Quark-Gluon Plasma.



J. Rafelski, B. Müller, Phys. Rev. Lett. 48 (1982) 1066

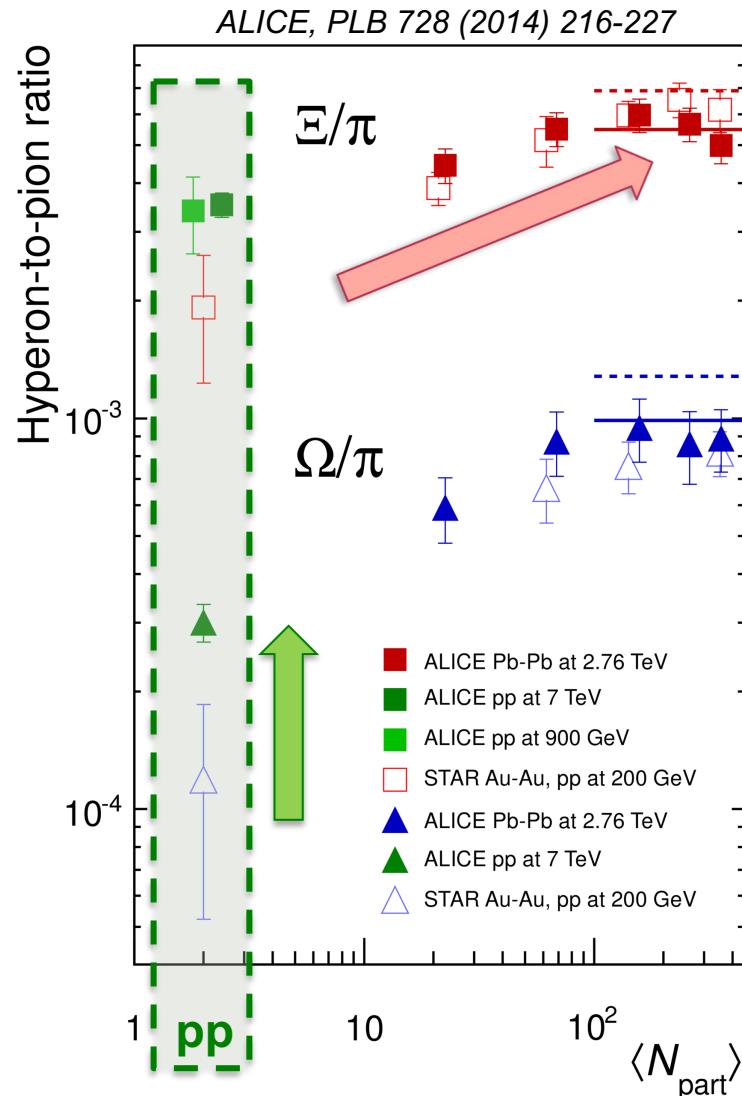
# Observation of strangeness enhancement at SPS



**Enhancement observed in Pb-Pb** collisions wrt p-Pb, p-Pb for multi-strange (anti)baryons

- Anti-baryons less enhanced than baryons → quarks (not anti-quarks!) in the initial stage
- **Hierarchy** of the enhancement with the strangeness content
- **Increase** of the enhancement with the **centrality** of the collision

# Strangeness production from RHIC to LHC

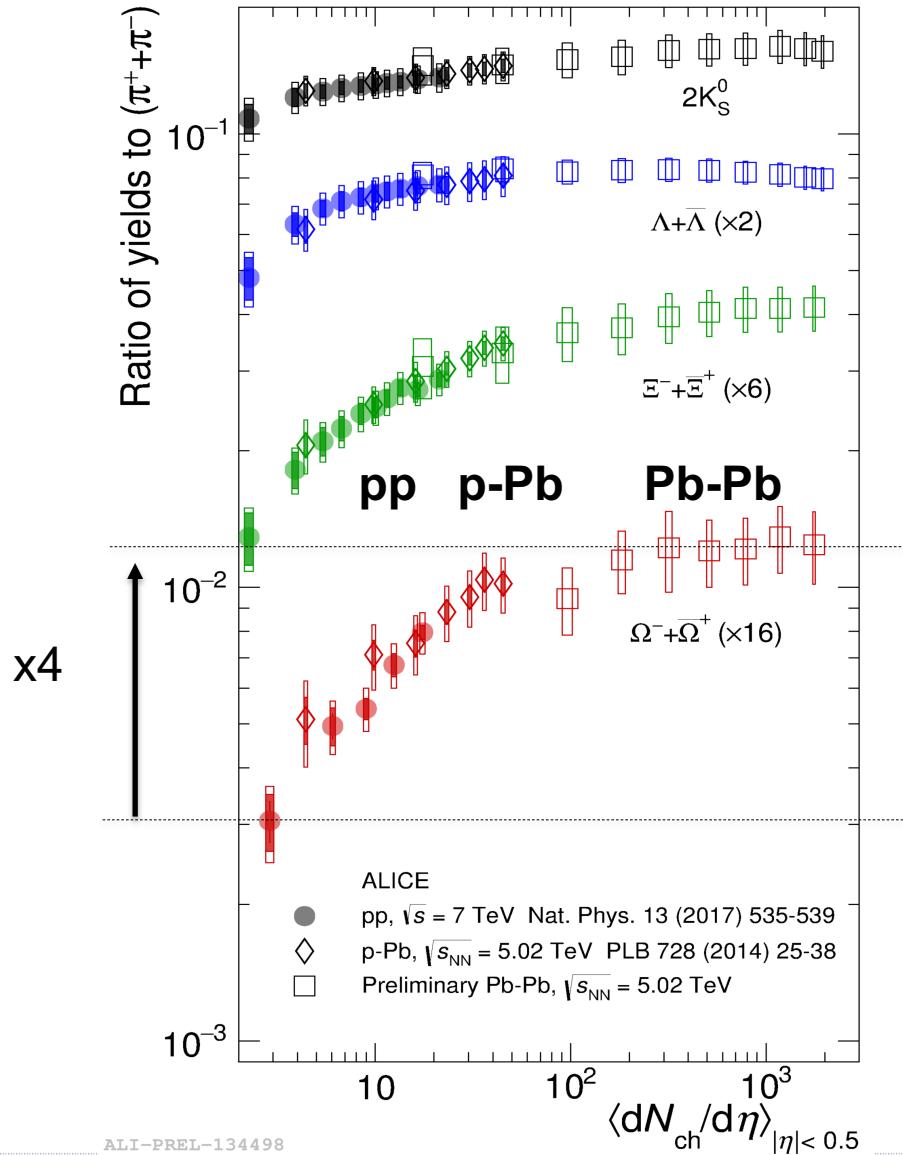


RHIC:  $\sqrt{s_{\text{NN}}} = 200 \text{ GeV}$  (empty markers)  
LHC:  $\sqrt{s_{\text{NN}}} = 2.76 \text{ TeV}$  (full markers)

Observation of

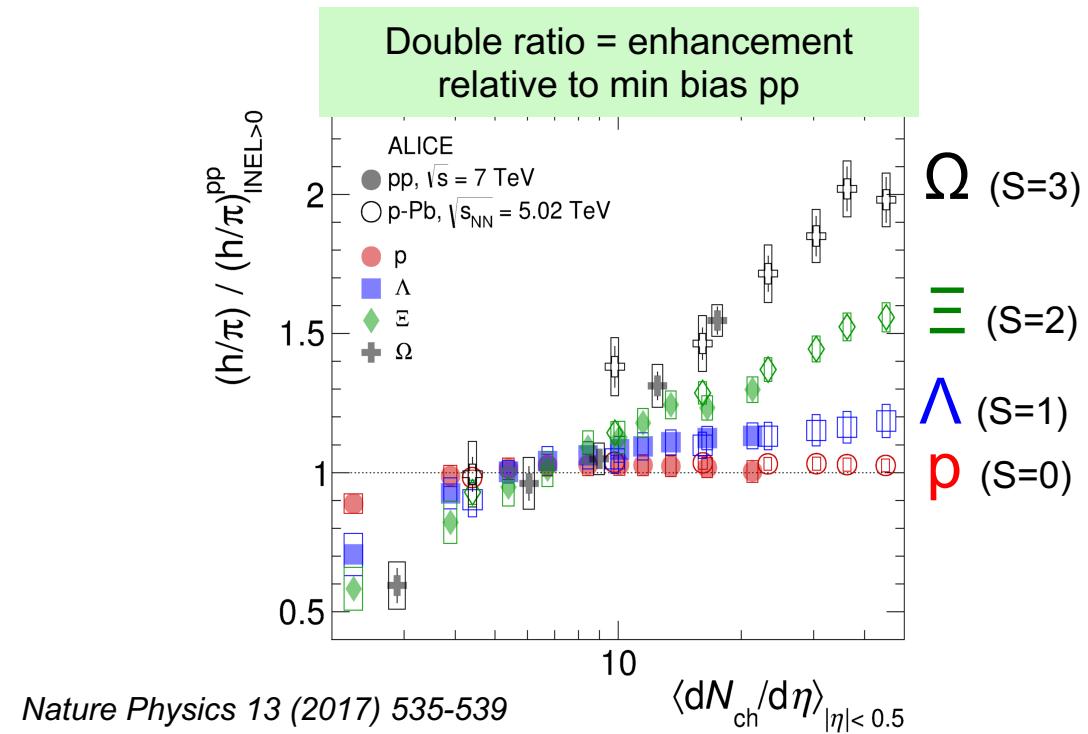
- increase of strangeness production relative to strange-less  $\pi$  in pp collisions with increasing  $\sqrt{s}$
  - strangeness enhancement in HIC relative to minimum bias pp collisions
  - saturation of strangeness from peripheral to central Pb-Pb
- Prompted more differential studies in pp collisions as a function of charged particle multiplicity

# Discovery of strangeness enhancement in pp collisions

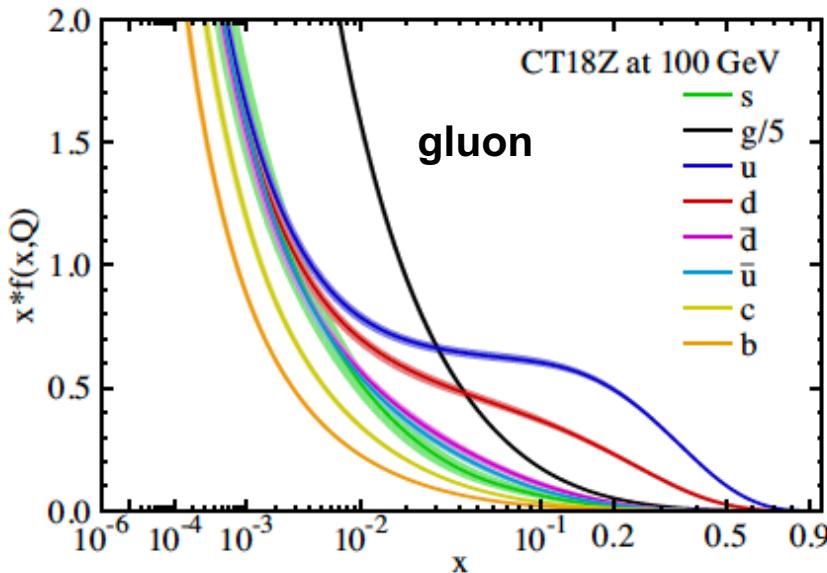


**Multi-strange to non-strange yield ratios increase significantly and smoothly with multiplicity** in pp and p-Pb collisions until saturation in Pb-Pb

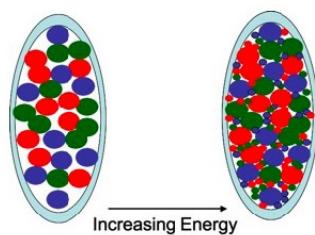
Enhancement in pp is larger for hadrons with larger strangeness content



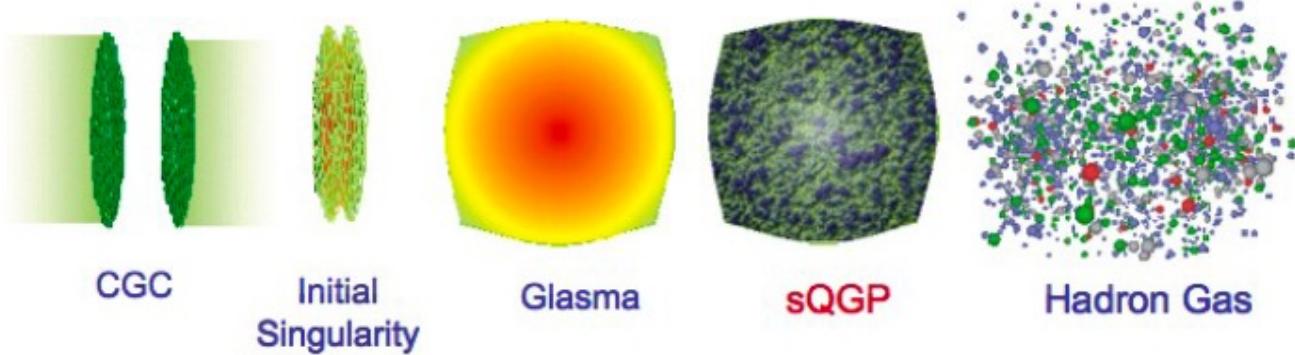
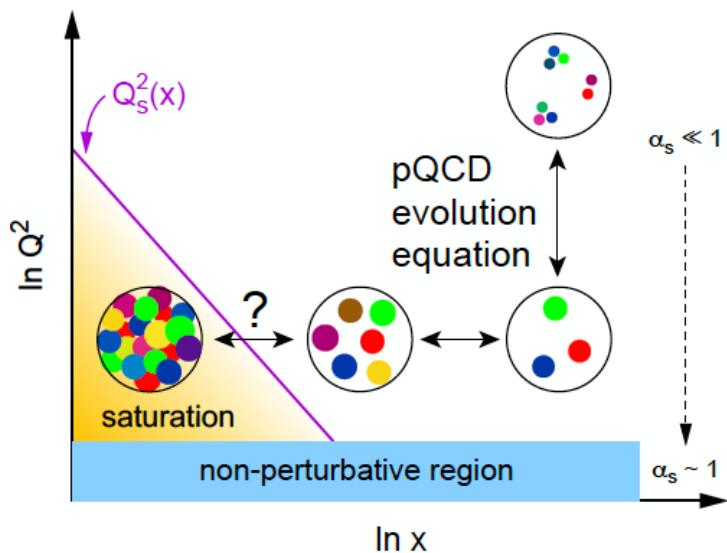
# Initial stage of heavy ion collisions



**Color Glass Condensate:** at high energy and small  $x$ , the hadron content is dominated by gluonic matter “packed” into high density



Saturation (momentum) scale  
 $Q_{\text{sat}}$  = inverse size scale of  
smallest gluons which are  
closely packed  
→ gluons of size larger than  
 $1/Q_{\text{sat}}$  no longer fit



L. McLerran, [https://bib-pubdb1.desy.de/record/296833/files/ismd08\\_mcl\\_intro-corr.pdf](https://bib-pubdb1.desy.de/record/296833/files/ismd08_mcl_intro-corr.pdf)  
+ more reviews in literature,