

Estimating the effect of competition on productivity growth

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Research Question and Approach

- What is the effect of market competition and economic growth?
- **Empirical evidence** establishes that innovation increases with PMC while **theory** predicts it declines with PMC
- Aghion et al. 2005 finds the existence of an inverted-U pattern and develops a general model that explains it
- The paper will use GMM to estimate the parameters of the model they develop using firm level data from Chile

Data description

- **Firm productivity:** 2007 and 2009 Longitudinal Survey of Firms (LSF) from the Ministry of Economy. Cross-sectional dataset including formal private firms. Sample size of 10,213 firms represents 744,000 firms (93% of all firms in the country) and provides firm level accounting information.
- **Firm R&D expenditure:** 6th Survey of Firm Innovation (2007-2008). Includes private firms with sales over 94,200 USD, and provides information on innovation activities.

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Preferences and Intermediate good production

- $u(y_t) = \ln y_t$ and and intertemporal utility function

$$u = \int_t^{\infty} e^{-rt} (\ln y_t - l_t) dt$$

- For $\ln y_t = \int_0^1 \ln x_{jt} dt$ and x_{jt} is produced by two duopolists:
 $x_{jt} = x_{Ajt} + x_{Bjt}$ and expenditure $E = p_{Aj}x_{Aj} + p_{Bj}x_{Bj}$ is the same across intermediate goods.
- Production of x_{it} is:

$$x_{it} = \gamma^{k_i} l_{it} \quad i = A, B$$

where k_i is the technological level of firm i

- Cost function $C(x) = x \cdot \gamma^{-k_i}$

Industry Competition

- State of industry is given (l, m) where l is the leader technology and m is the gap between the leader and follower
- Two types of intermediate industries: leveled with $m = 0$ and unleveled with $m = 1$
- **Unleveled profits:** from Bertrand competition and limit pricing $\pi_1 = \left(1 - \frac{1}{\gamma}\right)$ and $\pi_0 = 0$
- **Leveled profits:** possibility of collusion $\pi_0 = \varepsilon\pi_1$ where $\varepsilon \in \left[0, \frac{1}{2}\right]$. Measure of competition $\Delta = 1 - \varepsilon$

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Optimal R&D

- Firms choose R&D intensity and Poisson rate n which costs $\psi(n) = \frac{n^2}{2}$ in units of labor
- There is also a hazard rate h at which followers copy the leaders technology and catch up
- $n_1 = 0$ so need to find n_{-1} and n_0 .
- From the value functions we find:

$$\begin{aligned} n_0 &= -h + \sqrt{h^2 + 2\Delta\pi_1} \\ n_{-1} &= -(h + n_0) + \sqrt{h^2 + n_0^2 + 2\Delta\pi_1} \end{aligned}$$

where

Industry Shares and Aggregate Innovation

- Competition produces faster growth in neck-and-neck sectors whereas it slows down growth in unleveled sectors.
- Let μ_1 and μ_0 be the share of unleveled and neck-and-neck industries respectively
- The inflow and outflow of the leveled state have to be equal:

$$\underbrace{\mu_1 \cdot (n_{-1} + h)}_{P(m_{t+1} = 0 | m_t = 1)} = \underbrace{\mu_0 (n_0 + n_0)}_{P(m_{t+1} = 1 | m_t = 0)}$$

- Since $\mu_1 + \mu_0 = 1$ the innovation flow rate will be

$$I = 2\mu_0 n_0 + \mu_1 (n_{-1} + h) = \frac{4n_0 (n_{-1} + h)}{2n_0 + n_{-1} + h}$$

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Productivity

- The model distinguishes between leveled and unleveled sectors, which depends on leader and follower productivity
- Estimate TFP by running the following fixed-effects regression:

$$\log(y_{it}) = \mu_t + \alpha_{SIC}^k \log k_{it-1} + \alpha_{SIC}^l \log l_{it-1} + \underbrace{\mu_i + \varepsilon_{it}}_{TFP}$$

- Let A_F be the leader's productivity. For some firm $j \neq F$, we define the technological gap with the leader as

$$m_j = \frac{A_F - A_j}{A_F}$$

- Take the average m_j within a industry and define leveled and unleveled industries as those with $\bar{m}_j < 0.5$ and $\bar{m}_j > 0.5$ respectively

Innovation and Profits

- Both surveys only have a one digit SIC identification. Thus differentiate sectors by SIC code, geographic Region and firm Size (Small, Medium and Large)
- From the Innovation Survey determine R&D intensity as the investments in research and development over sales n_i and find the average R&D intensity within a sector
- From the LSF obtain profits for each firm and then the average within each sector

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Targeted Moments

- The parameters we estimate are $\theta = (r, \gamma, \varepsilon, h)$
- The paper estimates five moments:
 1. Average R&D intensity in unleveled sectors : \bar{n}_{-1}
 2. Average R&D intensity in leveled sectors : \bar{n}_0
 3. Average Profits in unleveled sectors : $\bar{\pi}_1$
 4. Ratio of “leveled” to “unleveled” Profits : $\frac{\bar{\pi}_0}{\bar{\pi}_1}$
 5. Relative sector shares : $\frac{\mu_0}{\mu_1}$

Results - Parameter Estimates

Table: Parameter Estimates

| # | Parameter | Description | Value |
|----|---------------|---------------------------------|-------|
| 1. | ε | Extent of collusion | 0.22 |
| 2. | γ | Size of leading edge innovation | 1.03 |
| 3. | h | Catch-up rate | 0.13 |
| 4. | E | Expenditure on each sector | 0.96 |

Results - Moments

Table: Model and Data Moments

| # | Moments | Model | Data |
|----|--|-------|--------|
| 1. | Average R&D intensity in unleveled sectors | 0.028 | 0.011 |
| 2. | Average R&D intensity in leveled sectors | 0.12 | 0.013 |
| 3. | Average Profits in unleveled sectors | 0.03 | 115429 |
| 4. | Ratio of “leveled” to “unleveled” Profits | 0.22 | 0.22 |
| 5. | Relative sector shares | 0.65 | 5.24 |

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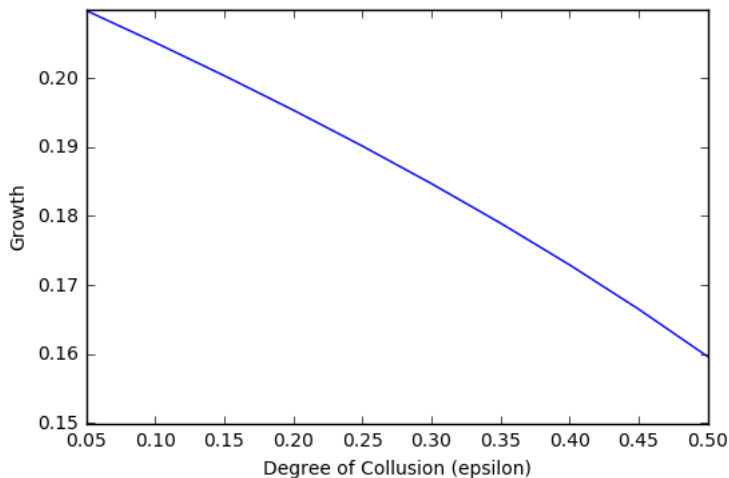
Productivity Growth

- Recall growth is given by

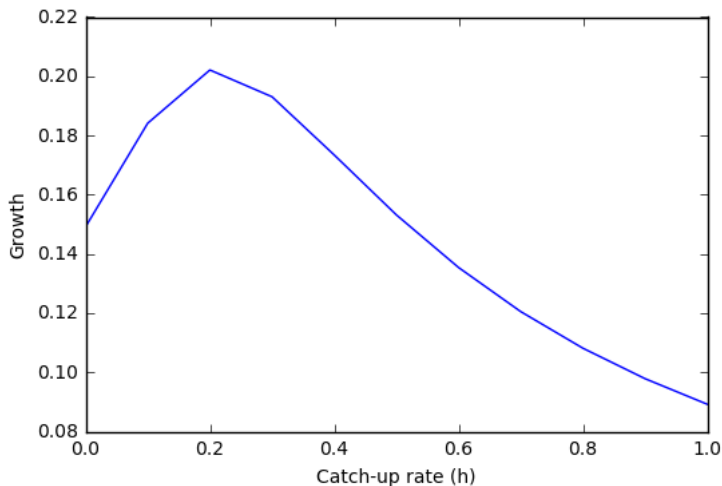
$$I = 2\mu_0 n_0 + \mu_1 (n_{-1} + h)$$

- The estimates produce a growth rate of 19%.
- If we only increase ε to its maximum value $\varepsilon = 0.5$, productivity growth decreases to $g = 16\%$ and if we set it to $\varepsilon = 0$, economic growth increases to $g = 21\%$
- If we only increase h and set it to $h = 1$, growth drops to $g = 0.09$. If $h = 0$, growth still decreases to $g = 14\%$
- As we increase competition (and decrease ε) economic growth increases. However, changes in patent protection (h) are ambiguous.

Growth and Competition



Growth and Patent protection



Limits and potential extensions

- Estimation did not match the moments which could lead to further research
- Increasing complexity of the model: theoretical framework requires more dimensions (more than two firms, firm entry and exit, capital...)
- Economic growth in developing countries is determined by physical and human capital accumulation rather than innovation (low R&D)