

# Observability of Photoevaporation Signatures in the Dust Continuum Emission of Transition Discs

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## ABSTRACT

Photoevaporative disc winds play a key role in our understanding of circumstellar disc evolution, especially in the final stages, and they might affect the planet formation process and the final location of planets. The study of transition discs (i.e. discs with a central dust cavity) is central for our understanding of the photoevaporation process and disc dispersal. However, we need to distinguish cavities created by photoevaporation from those created by giant planets. Theoretical models are necessary to identify possible observational signatures of the two different processes, and models to find the differences between the two processes are still lacking. In this paper we study a sample of transition discs obtained from radiation-hydrodynamic simulations of internally photoevaporated discs, and focus on the dust dynamics relevant for current ALMA observations. We then compared our results with gaps opened by super Earths/giant planets, finding that the photoevaporated cavity steepness depends mildly on gap size, and it is similar to that of a  $1 M_J$  mass planet. However, the dust density drops less rapidly inside the photoevaporated cavity compared to the planetary case due to the less efficient dust filtering. This effect is visible in the resulting spectral index, which shows a larger spectral index at the cavity edge and a shallower increase inside it with respect to the planetary case. The combination of cavity steepness and spectral index might reveal the true nature of transition discs.

**Key words:** hydrodynamics – accretion, accretion discs — protoplanetary discs — circumstellar matter — stars: pre-main-sequence — X-rays: stars

## 1 INTRODUCTION

Transition discs are defined as circumstellar discs with a dust inner cavity. Historically, this class of discs has been detected by studying their spectral energy distribution (SED), which showed a dip in the near-infrared part of the spectra, explainable by a lack of warm dust emitting close to the central star (Strom et al. 1989). With the advent of high-resolution imaging of protoplanetary discs in the (sub)millimeter continuum emission, especially thanks to the Atacama Large Millimetre Array (ALMA), we are now able to probe directly the dust content in the inner regions of planet forming discs, and detect potential cavities.

There are two leading theories to explain this class of discs. The first is the theory of disc photoevaporation which has its foundation in the seminal work by Hollenbach et al. (1994) and explains the observed fraction of transition discs ( $\sim 10\%$  of the entire disc population from SED studies) in a "two-time-scale" scenario (Clarke et al. 2001). The X-ray and UV radiation from the central star drives a constant thermal wind from the circumstellar disc that, where and when eventually the accretion rate drops below the wind mass-loss rate, creates a gapped disc that is dispersed on a short timescale, which is roughly 1/10-th of the total disc life-time (Alexander et al. 2014; Ercolano & Pascucci 2017). The second theory of transition disc formation invokes the presence of super-Earth/giant planets that

can halt the flux of dust from the outer disc by creating a pressure bump outside their location, and lead to a depleted inner dust disc. This second scenario would explain the observed fraction of transition discs as a probability of 10% of forming a giant planet on a wide orbit (Duffell & Dong 2015; Dong & Dawson 2016)

Recent ALMA observations have questioned this fraction of transition discs by observing several unresolved dust cavities where the SED showed a dip in its near-infrared emission, and vice versa, showing dust cavities in discs where the SED didn't show any characteristic features (Andrews et al. 2018; Kurovic et al. 2021; van der Marel et al. 2022). The fraction of giant planet on wide orbits seems to be also much smaller than the 10% value necessary to explain the SED population (Nielsen et al. 2019; Vigan et al. 2021).

There have been several theoretical studies to identify the region of the parameter space that the two different models can explain, with disc photoevaporation able to create small cavities with low accretion rate onto the central star, and giant planets on the other side of the spectra, creating mainly cavities where the accretion rate onto the central star is still unperturbed (Ercolano & Pascucci 2017). However, recent models have questioned this view pushing the region of the parameter space explainable by disc photoevaporation both to larger cavity sizes and to higher accretion rates (Picogna et al. 2019; Ercolano et al. 2018; Gárate et al. 2021).

The best way to distinguish between the two mechanisms, if they don't occur in combination, is possibly through dust observations. Franz et al. (2022) showed that dust entrained in photoevaporative

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$L_x$	$M_\star$	$R_{\text{cav}}$	$\alpha$	$s$	$\rho_s$
erg/s	$M_\odot$	au		cm	g cm <sup>-3</sup>
$2 \cdot 10^{30}$	0.7	10, 20, 30	0.001	0.01, 0.1, 1, 10	1

**Table 1.** Main properties of the parameter space studied.

winds might leave observable features that can be detected in the near future. Another avenue is to understand the effect of a dust cavity opened by photoevaporation on bigger dust particles settled towards the disc mid-plane and directly observable with modern facilities like ALMA. In this work we study how disc photoevaporation affects the dust distribution close to the mid-plane and the cavity edge, and compare the results with literature in order to understand the characteristic fingerprints of photoevaporation and how to distinguish them from a planetary scenario.

In Section 2 we lay down the methods adopted to perform 2D dusty hydrodynamic simulations of transition discs photoevaporated from the central star, and the post-processing with Monte Carlo radiative transfer simulations. In Section 3 we present the main results of our work, which we then compare with previous literature to understand its characteristic features in Section 4. Finally, in Section 5 we present the main conclusions.

## 2 METHODS

In this section we present our radiation-hydrodynamic model for transition discs which includes X-ray photoevaporation from the central star and dust dynamics. When an equilibrium configuration is reached, we extract the radial and vertical dust distribution and derive synthetic images from detailed radiative transfer calculations.

### 2.1 Hydrodynamics

We used the hydro-code PLUTO (Mignone et al. 2007) with the modifications of Picogna et al. (2019) to account for the stellar X(EUV) irradiation. We adopted a spherical coordinate system centred onto the star. In this reference frame we can compute, without increasing the computational load, the column density from the central star at each cell. Using the column density and the disc local properties we determine the temperature in the bulk of the disc and in the disc atmosphere as explained in Sec. 2.2. The initial density structure was taken from the **D’Alessio Irradiated Accretion Disc (DIAD) radiative transfer models** (D’Alessio et al. 1998, 1999, 2001, 2005, 2006) code that provide also the gas temperature in the bulk of the disc **that best fit the median spectral energy distribution (SED) in Taurus**. For more details, the reader is referred to Picogna et al. (2019). A cavity was then created by an exponential cut-off of the density

$$\rho = \rho_0 \cdot \exp \left[ \frac{2\pi(R - R_{\text{cav}})}{\Delta_{\text{gap}}} \right] \text{ for } R \leq R_{\text{cav}}, \quad (1)$$

where  $\rho_0 = \rho(R_{\text{cav}})$  is the initial density at the cavity location,  $R$  is the cylindrical radius,  $\Delta_{\text{gap}} = 1$  au is the width of the cavity wall, and  $R_{\text{cav}}$  is the cavity radius. We explore three different transition disc setups with cavity sizes of 10, 20, and 30 au respectively. The main physical properties of the numerical simulations are reported in Table 1.

The grid radial coordinate  $R$  extends from just inside the cavity location (at 5, 10, and 15 au for increasing gas cavity sizes) to allow an increased resolution of the cavity edge and at the same time save the computational time needed to model the empty region inside it. The

outer radial boundary is placed at 1000 au, with an outer region from 800 au where the hydrodynamics is not evolved, in order to explore the entire extent of the disc and avoid numerical reflections that would alter the wind diagnostics (Picogna et al. 2019). The radial grid is divided into 300 log-spaced cells, and open boundary conditions are applied at the inner and outer edges. In the polar direction, the grid ranges from the polar axis ( $\theta = 0.005$ ) to the mid-plane with 160 logarithmically spaced cells, which gives a higher resolution close to the disc mid-plane where the dust dynamics is taking place. The boundary condition is reflective both at the mid-plane and close to the polar axis. The grid is 2-dimensional, since the problem is symmetric in the azimuthal direction.

### 2.2 Thermal Calculations

The gas temperature in the disc atmosphere is determined by a parameterisation based on detailed multi-frequency gas photoionisation and dust radiative transfer calculations performed with the MOCASSIN code (Ercolano et al. 2003, 2005, 2008a) for typical protoplanetary disc conditions, irradiated by a realistic XEUV spectrum presented in Ercolano et al. (2008b, 2009). The resulting temperature is dependent on the column density to the central star  $N$  and the ionisation parameter  $\xi = L_x/nr^2$ , where  $L_x$  is the stellar X-ray luminosity,  $n$  the local gas particle density, and  $r$  the distance from the star, and it is tabulated for fast calculation. This temperature prescription is valid up to the maximum penetration depth of X-rays ( $N_X = 2 \cdot 10^{22}$  pp/cm<sup>2</sup>, Ercolano et al. (2009)). For larger column densities we assume perfect dust and gas thermal coupling and adopt the dust temperatures from hydrostatic disc models obtained via the DIAD radiative transfer models. The gas (and dust) temperature is thus tabulated and locally isothermal. We do not include effects like adiabatic cooling, viscous heating, dust-gas thermal interactions.

### 2.3 Dust dynamics

The simulation was initialized only with the gas component for a few tens of orbits (at 10 au) to allow for the disc to reach an equilibrium state before the dust was inserted. We modelled the dust component of the disc with  $4 \cdot 10^5$  Lagrangian particles equally distributed in four size bins (relevant to ALMA dust continuum observations) with a radius  $s$  ranging from  $100 \mu\text{m}$  to 10 cm (see Table 1). The dust particles were placed with an initial scale height (Youdin & Lithwick 2007)

$$\frac{H_p}{H} = \sqrt{\frac{\alpha}{\alpha + St}}, \quad (2)$$

where we assumed an isotropic turbulence ( $\alpha_z = \alpha_R = \alpha = 0.001$ ),  $H$  is the local gas scale height,  $St = t_s \Omega_K$  is the particle Stokes number,  $t_s$  is the particle stopping time, which in the Epstein regime (for dust sizes much smaller than the mean free path of gas molecules) takes the form

$$t_s = \frac{s \rho_s}{\rho_g \bar{v}_{th}}, \quad (3)$$

$\rho_s$  is the dust internal density,  $\rho_g$  the local gas density,  $s$  the dust size, and  $\bar{v}_{th}$  the local gas thermal velocity. In this way, the initial dust configuration is close to its equilibrium and we limit vertical oscillations. The Stokes number (or analogously the stopping time) is a measure of the dust-gas coupling. Dust with a small Stokes number is tightly coupled with the gas, following closely its distribution, while for increasing Stokes number the dust starts to decouple from the gas, not feeling the pressure support, drifting towards the central star and settling on the disc midplane (Whipple

1972; Weidenschilling 1977). The dust with Stokes number of order unity are those that evolve more rapidly with respect to the gas. The four dust sizes modelled correspond to minimum Stokes numbers of  $1.4 \cdot 10^{-3}$ ,  $1.2 \cdot 10^{-2}$ ,  $9.6 \cdot 10^{-2}$ , 0.98 respectively (calculated at the disc midplane). Any dust drifting through the radial boundaries of the simulation was reinserted at the outer boundary to keep the number of dust particles constant, while reflecting conditions were applied for the azimuthal boundaries, similarly as for the gas component. The particles were evolved using a leap-frog integrator. To prevent the dust to settle vertically and keep the initial equilibrium scale height given by equation 2, we apply random turbulent kicks to the dust particles proportional to the level of turbulence  $\alpha$  adopted (see Table 1). For more details on the numerical implementation, the reader is referred to Picogna et al. (2018). We ran the hydrodynamical simulations together with the dust evolution for  $\sim 15$  kyr, at which point the dust distribution had reached a stable configuration for all modelled dust sizes.

## 2.4 Radiative transfer

The results of the hydrodynamical simulations were then further processed with the radiative transfer code RADMC3D (Dullemond et al. 2012) to obtain improved dust temperatures and dust continuum emission maps at 0.85 and 3 mm, which can be observed in Band 7 and 3 by ALMA. The grid was first extended in the azimuthal direction with 600 cells, using a modified version of FARGO2RADMC3D code (Baruteau et al. 2019). The dust size distribution  $n$  used for the radiative transfer calculation is a power law function of particle size  $a$ ,  $dn/da \propto a^{-3.5}$  between the minimum and maximum sizes modelled. We then compute the dust surface density of each size bin from its spatial distribution as:

$$\sigma_{i,\text{dust}}(r, \theta) = \frac{N_i(r, \theta)}{A(r)} \frac{M_{i,\text{dust}}}{\sum_{r, \theta} N_i(r, \theta)}, \quad (4)$$

where  $N_i$  is the number of dust particles per bin size in each grid cell of the simulation,  $A$  is the surface area of each grid cell, and

$$M_{i,\text{dust}} = \xi M_{\text{gas}} \frac{a_i^{4-p}}{\sum_i a_i^{4-p}} \quad (5)$$

is the dust mass per bin size, with  $p = 3.5$  the power-law exponent of the dust size distribution,  $\xi = 0.01$  the dust-to-gas mass ratio, and  $M_{\text{gas}}$  is the total gas mass in the simulation.

For the optical depth calculation we assumed a dust opacity of compact spherical grains from Mie theory and adopt optical constants of astronomical silicates (Draine 2003).

We place the disc at a distance of 140 pc, which is typical of close star-forming regions. The temperature and radius of the star were set to be  $T_{\text{eff}} = 5000K$  and  $R_* = 2.5R_\odot$ , consistent with the X-ray luminosity adopted in the hydrodynamic model. We chose a logarithmically-spaced wavelength grid  $10^{-1} \leq \lambda[\mu\text{m}] \leq 10^4$ ,  $10^8$  photon packages for ray-tracing, creating a  $2048 \times 2048$  pixel flux map. Finally, we create mock observations by convolving the intensity maps of the modelled images with ALMA beam sizes for Band 7 (0.85 mm) and Band 3 (3 mm). Specifically, we took the same set-up used in Nazari et al. (2019) and adopted the configurations C43-8 and C43-5 for Band 7 giving a beam size of  $0.034'' \times 0.031''$ , and C43-9, C43-6 for Band 3 with a beam size of  $0.067'' \times 0.056''$ .

## 3 RESULTS

### 3.1 Hydrodynamics

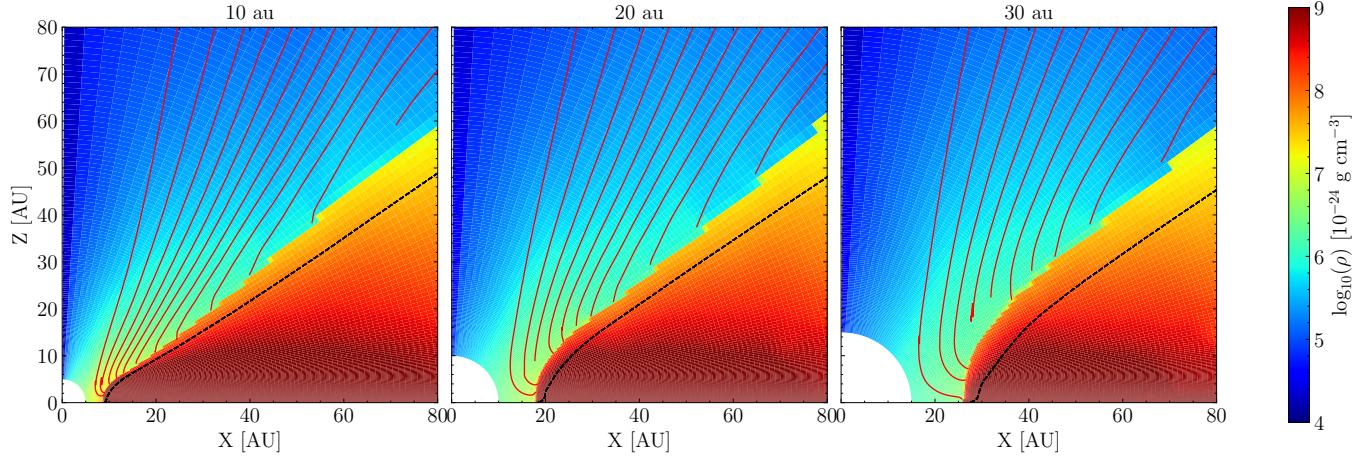
The gas density distribution in the inner disc after several hundred orbits is shown in Fig. 1 for the three simulated discs. After few thousand orbits at 10 au the disc sets into a quasi-steady state in which the cavity inner edge has moved inwards from the initial location until an equilibrium between the viscous gas inflow and the photoevaporative gas removal is reached. The dashed lines mark the disc region which is directly affected by X-ray heating, while gas deeper in the disc is shielded from the star's radiation and in thermal equilibrium with the dust. The gas density is increased also close to the mid-plane in the cavity region. This is due to the streamlines of the photoevaporative wind, which move radially inwards before carrying material outwards, as shown with red solid lines. At large radii the disc aspect ratio, flaring and gas density in the wind region are unaffected by the cavity size. Close to the cavity, as the unshielded X-ray irradiation heats up the disc surface layers, the temperature rises sharply and the disc scale height steeply increases as shown in Figure 2a,b. Furthermore, plotting the pressure gradient at the disc mid-plane one can see that a double peak develops close to the inner gap edge (Figure 2d). The innermost peak is created by the temperature increase, as the gas starts to be heated by the direct X-ray irradiation. The outermost one is related to the local maximum in the midplane gas density (see Figure 2c). These effects have a strong impact on the gas and dust dynamics as shown in Section 3.2, since the dust will collect at the locations where the pressure reaches a maximum, or the gradient is zero. In Figure 2e, we show the intensity of the dust continuum emission at 0.85 and 3 mm is plotted for direct comparison.

### 3.2 Dust dynamics

After few tens of orbital periods of the gaseous disc, the dust component was included in the simulation. The strong vertical settling for particles with Stokes number close to unity (last two rows) is clearly visible in Figure 3 where the normalized dust surface densities are shown for the different runs. In the radial direction the particles were initially spread over a range of 30 au starting from the gas cavity. This means that the initial distribution reached out to 40 au for the 10 au cavity, 50 au for the 20 au cavity, and 60 au for the 30 au cavity.

The smallest particles ( $\text{St} \ll 1$ ) are very well coupled to the gas and thus follow its distribution closely, spreading to higher heights and very close to the inner cavity radius (see first row of Figure 3). Particles of intermediate sizes ( $\text{St} \sim 1$ ) do not follow the gas distribution closely, though they interact strongly with the gas and migrate quickly towards the gas pressure maxima just outside the gap. They also settle more efficiently following equation 2. The effect of dust drift is evident comparing the four dust sizes, where the 1 cm-sized particles (3rd row) have  $\text{St} \sim 1$  and are the ones drifting faster towards the pressure maxima at the gap edge.

Furthermore, the particle scale height is strongly increased close to the inner cavity, since the gas temperature is higher due to the X-ray direct irradiation and the gas scale height is puffed up, as shown in Figure 2a. This might allow a fraction of the smaller dust particles to be launched with the wind, however this effect is not visible in Figure 3, since this fraction is too small to be captured by our limited number of modelled particles, and it involves mostly smaller (tightly coupled) dust particles. As explored recently in Franz et al. (2022), the dust entrainment in transition discs can lead to potentially observable features that can be signatures of a thermal (or magnetic, see e.g. Rodenkirch & Dullemond (2022)) wind.



**Figure 1.** Gas density distributions for the different runs in the inner 80 au. The black dashed line show the maximum penetration depth of X-rays ( $N_X = 2 \cdot 10^{22}$  pp cm $^{-2}$ ), while the red lines show gas streamlines in the wind every 8% of the cumulative mass-loss rate.

The particle distribution at the end of the simulation suffers from the lack of constant dust flux from the outer edge due to our choice of a constant particle number (bottom rows of Figure 3). As a result, for Stokes numbers close to unity, dust is mostly concentrated close to the disc cavity. In order to soften this effect we chose an intermediate time to post-process our results for these dust sizes since the time-scale to reach an equilibrium configuration is much faster for them.

### 3.3 Radiative Transfer

In Figure 4 we post-processed the equilibrium configuration of the dust distribution with RADMC-3D obtaining the dust continuum emission at 0.85 and 3 mm, which represent Band 7 and 3 of ALMA, for the 10, 20 and 30 au cases.

The intensity of the dust emission has a maximum just beyond the gap edge, where the dust particles have accumulated. This maximum takes the form of a bright ring, clearly visible in the 3 mm continuum emission (see also Figure 2e), as it collects more flux for particles with Stokes number close to unity.

Beyond the bright ring the intensity gradually declines, as the dust at larger radii is increasingly shielded from stellar radiation. For the 20 and 30 au cases a second peak is visible in the outer disc, which corresponds to the flux of pebbles that is migrating from the outer edge and is not replenished by a constant flux. To allow for a more quantitative comparison of the emitted intensity we plot in Fig. 5 (bottom row) a slice of the intensity map for the three discs at the two different wavelengths. The slices for the different wavelengths, which in principle trace different grain species, are of very similar shape and their maxima are located at the same radial distance, which doesn't allow us to have a quantitative observable of the effect of photoevaporation on different particle sizes (at least for the parameter space studied).

### 3.4 Synthetic Images

We created mock observations by convolving the continuum dust emission with beam sizes of two ALMA configurations, as explained in Section 2.4, in order to understand whether the observed features might be strong enough to be detected by current observational facilities and distinguishable from other physical processes. The resulting

images are shown in Fig. 5. In the cases of the 3 mm and 0.85 mm emission the clearly defined rings visible in Fig. 3 appear as broader features. The radial intensity curves for these mock observations are also shown in Fig. 5 (bottom panel) and are smoothed out compared to the theoretical data but have their maximum at the same location, just outside the inner gap edge.

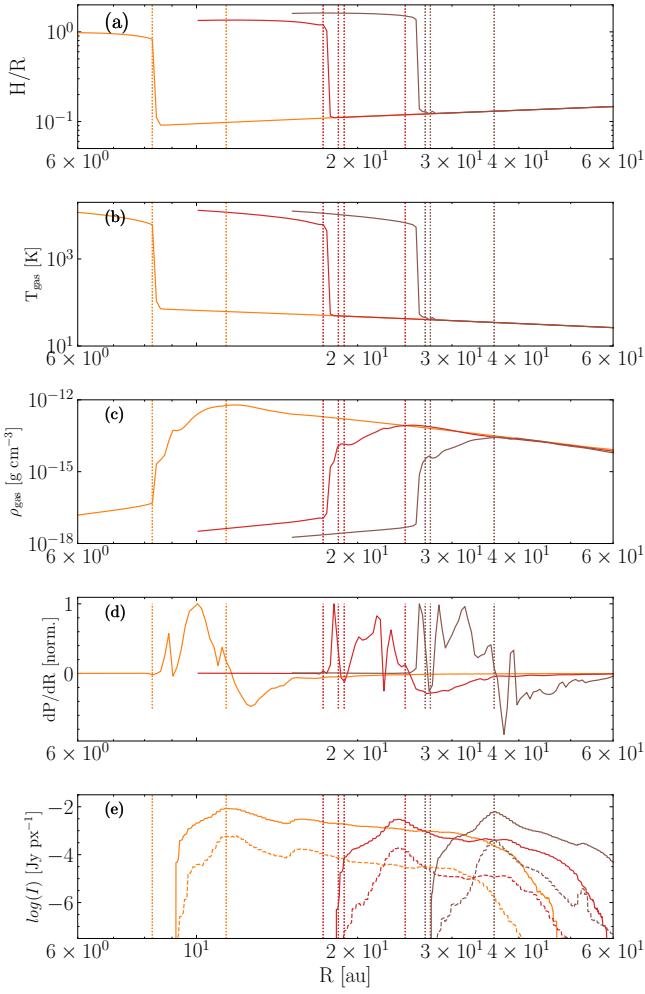
Even though there are differences in the distributions of different particle sizes, the location of the intensity maximum is the same for 0.85 mm and 3 mm even in the theoretical images. Despite the simplified way in which we simulated ALMA observations, it is likely that the main rings in the 0.85 mm and 3 mm emission are bright and broad enough to be observable.

## 4 DISCUSSION

The features in the dust continuum emission formed by a photoevaporative wind should create a unique fingerprint that can be distinguished from other physical processes, given enough resolution. In order to measure in a quantitative way the difference between gap forming mechanisms we compared the intensity profiles of dust continuum emission for different physical processes, and the spectral index obtained from the two frequencies studied.

### 4.1 Dust continuum emission

The most straightforward way to create a gap is via planet-disc interaction. Facchini et al. (2018) modelled the dust continuum emission at 0.85 mm wavelengths for a 1, 5, and 9 M<sub>Jup</sub> planets at 20 au from the central star, postprocessing the hydrodynamical simulations by de Juan Ovelar et al. (2016). We compared in Figure 6 the intensity and radial gradient of the continuum emission in Band 7 (convolved with the same beam size adopted in their work, i.e. 0.03'' at a distance of 150 pc) with our photoevaporative cavity. The intensity profile show a much stronger dependence for the transition discs as a function of the cavity radius with respect to the planetary masses at a fixed radius. On the one hand, the planetary case shows a clear trend of shallower profiles for increasing masses. On the other hand the photoevaporative gap shows a more complex behavior. Looking more in depth at the gradient of the profile in the right panel, we can see that



**Figure 2.** Panel a: disc scale height radial profile. Panel b: gas temperature radial profile. Panel c: mid-plane gas density radial profile. Panel d: normalized mid-plane pressure gradient. Panel e: radial profile of the continuum intensity in Band 3 (solid) and 7 (dashed dotted line). With dotted vertical lines the location of zero pressure gradient are reported. In all panels the orange, red, and brown lines represent the 10, 20, and 30 au cavity models respectively.

the 10 au case shows a much sharper gradient, given by the higher density close to the gap edge. The 30 au case is comparable with a 1 MJ planet at 20 au (dot dashed orange line and solid brown line) both looking at the intensity profile and its gradient. Potentially a 1 MJ at 27–28 au would generate a very similar intensity profile at the gap edge as a photoevaporative gap at 30 au. The steepness of photoevaporative gaps seems then to increase as a function of gap cavity as the larger gap is able to collect an increasing function of the drifting dust. On the contrary a more massive giant planet will open a deeper and wider, but shallower gap for increasing masses. Thus, the only match between the two processes is for a 1 Jupiter mass planet, for the current choice of the parameter space (i.e. X-ray luminosity, disc properties).

#### 4.2 Spectral index

To disentangle the planetary and photoevaporation scenario one can extract from a multi-wavelength analysis of an object its spectral

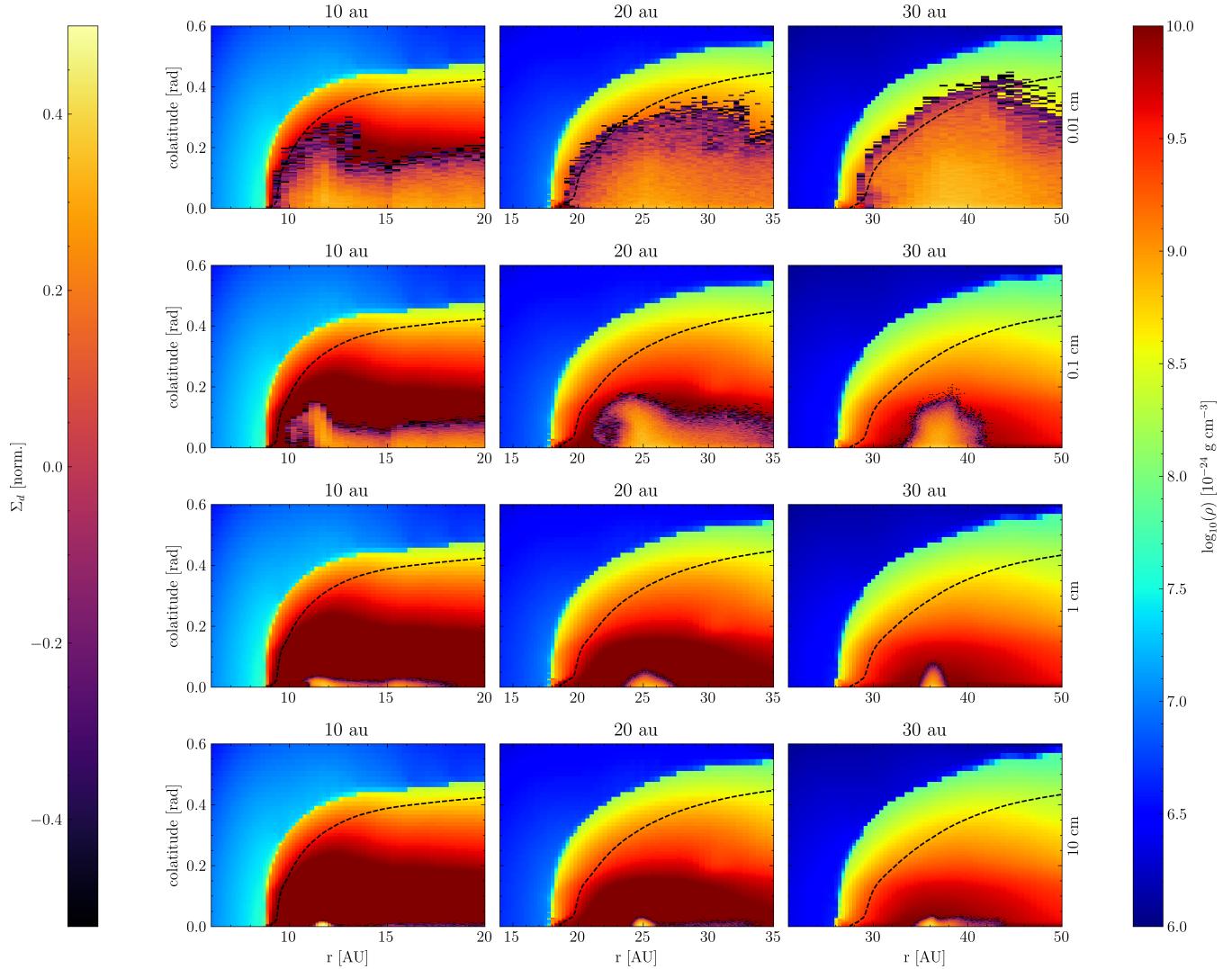
index, defined as

$$\alpha_{73} = \frac{\log(I_7/I_3)}{\log(\nu_7/\nu_3)}, \quad (6)$$

where  $I_7$  and  $\nu_7$  are the intensity and frequency in Band 7, and  $I_3$ ,  $\nu_3$  are the intensity and frequency in Band 3. The spectral index gives a measure of dust growth or dust dynamical configuration, in the optical thin approximation. In Figure 7 we plotted the spectral index for our three transition disc simulations, where the gap edge has been shifted to give a direct comparison, and it has been highlighted with a dashed black line. The two main trends that are observed are a reduction of the spectral index in the bright ring corresponding to the gap edge of the transition disk, and a general increase of the spectral index as a function of the distance from the central star, which is compatible with the current observations (e.g. Long et al. 2020). We compared our results with Nazari et al. (2019), that modelled the observability of a  $30 M_\oplus$  planet with different orbital migration for the same bands. The most notable difference between our models is that for smaller cavities there is a less steep increase of the spectral index, since large dust particles are not all collected close to the inner edge of the cavity but spread across a larger region. Since we do not include dust growth in these simulations, this is purely a dynamical effect. The reason for this difference is the limited dust supply from the outer disc region, and the larger Stokes number for dust particles of the same size in the outer disc (because of the decreased gas surface density, see eq. 3) which increases their drift speed towards the cavity edge. There is a stark difference with respect to the planetary case. First of all the spectral index increases much **more** steeply at the gap cavity, which is a direct consequence of the stronger gradient in the intensity profile with respect to the planetary case. Furthermore, the minimum spectral index at the ring location is larger for the photoevaporative case which implies a less strong filtering effect with respect to the  $30 M_\oplus$  planet. Inside the gap edge the spectral index increases sharply again due to the low density and low optical depth of the disc wind, which is more pronounced for larger gap cavities. The filtering effect will become only stronger for larger planetary masses, which will accentuate the spectral index difference at the gap edge.

## 5 CONCLUSIONS

We modelled the dust dynamics in a 2D dusty hydrodynamical simulation of a transition disc carved by stellar X(EUV) irradiation from the central star, and found the equilibrium distribution of a range of dust sizes. From this result we calculated the dust continuum emission at 0.85 and 3 mm wavelengths and derived synthetic ALMA observations. We then compared the cavity profiles created by photoevaporation with those of transition discs carved by a super-Earth/giant planets, in order to find characteristic features of each physical process that can be observed in current and future observational campaigns. We found that the steepness of the 30 au photoevaporated dust cavity is similar to that of a 1 MJup planet (at a similar location), while larger planets and/or larger photoevaporated cavities can generate distinguishable features. In order to further disentangle these two effects, the spectral index analysis shows very different profiles for the planetary and photoevaporative cases, with a higher spectral index at the photoevaporated cavity edge due to the lower filtering efficiency. This combination of features might be specific to transition discs opened by photoevaporation, though a larger study for different stellar X-ray luminosity and stellar mass, as well as a direct comparison to a transition disc with similar physical



**Figure 3.** Gas and dust (normalized) density distributions for the four dust particles modelled and the different cavity edges. The black dashed line show the maximum penetration depth of X-rays ( $N_X = 2 \cdot 10^{22} \text{ pp cm}^{-2}$ )

properties opened by a planet should be necessary to better constrain the parameter space covered by stellar photoevaporation.

## ACKNOWLEDGEMENTS

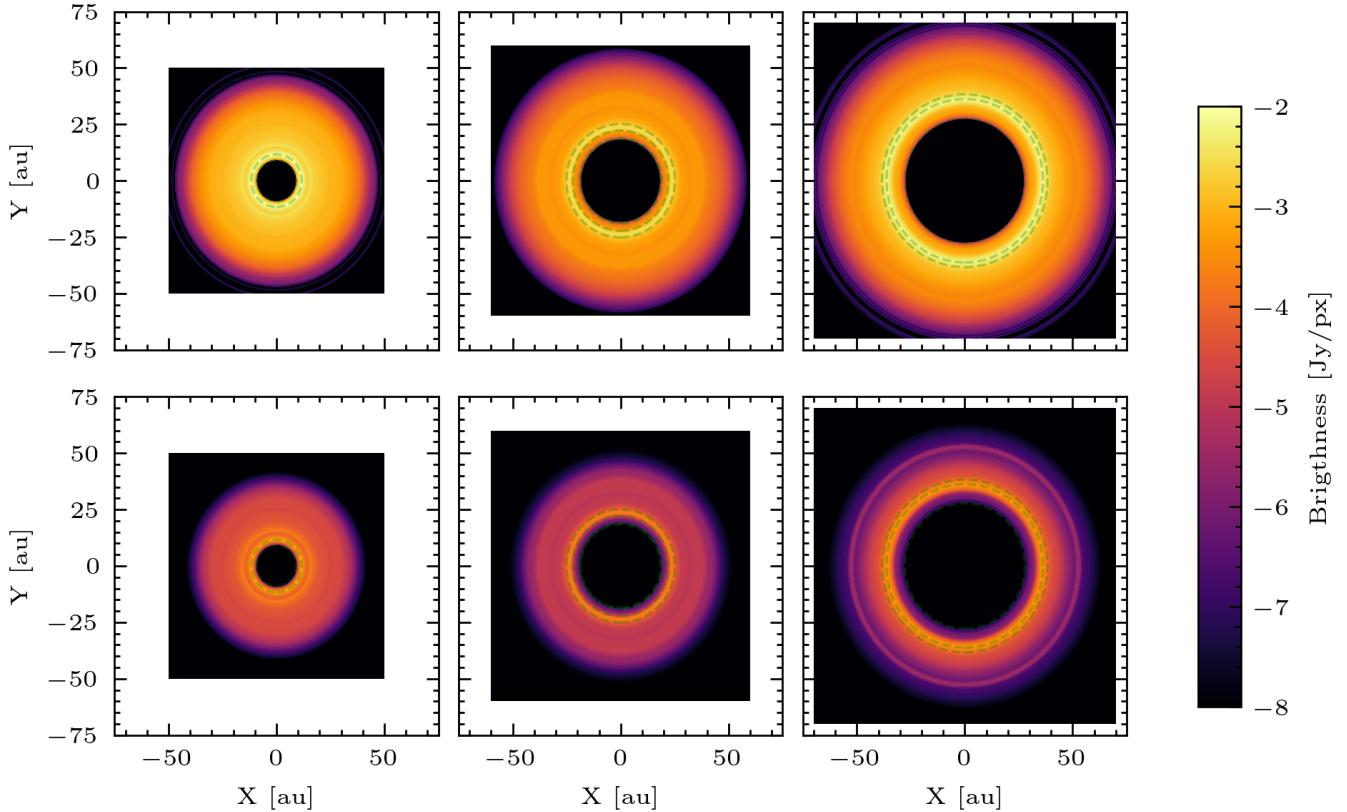
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## DATA AVAILABILITY

The data underlying this article and the scripts used to create the Figures are available at <https://github.com/GiovanniPicogna/observability-td>.

## REFERENCES

- Alexander R., Pascucci I., Andrews S., Armitage P., Cieza L., 2014, in Beuther H., Klessen R. S., Dullemond C. P., Henning T., eds, Protostars and Planets VI. p. 475 ([arXiv:1311.1819](https://arxiv.org/abs/1311.1819)), doi:[10.2458/azu\\_uapress\\_9780816531240-ch021](https://doi.org/10.2458/azu_uapress_9780816531240-ch021)
- Andrews S. M., et al., 2018, *ApJ*, **869**, L41
- Baruteau C., et al., 2019, *MNRAS*, **486**, 304
- Clarke C. J., Gendrin A., Sotomayor M., 2001, *Monthly Notices of the Royal Astronomical Society*, **328**, 485
- D’Alessio P., Cantó J., Calvet N., Lizano S., 1998, *ApJ*, **500**, 411
- D’Alessio P., Calvet N., Hartmann L., Lizano S., Cantó J., 1999, *ApJ*, **527**, 893
- D’Alessio P., Calvet N., Hartmann L., 2001, *ApJ*, **553**, 321

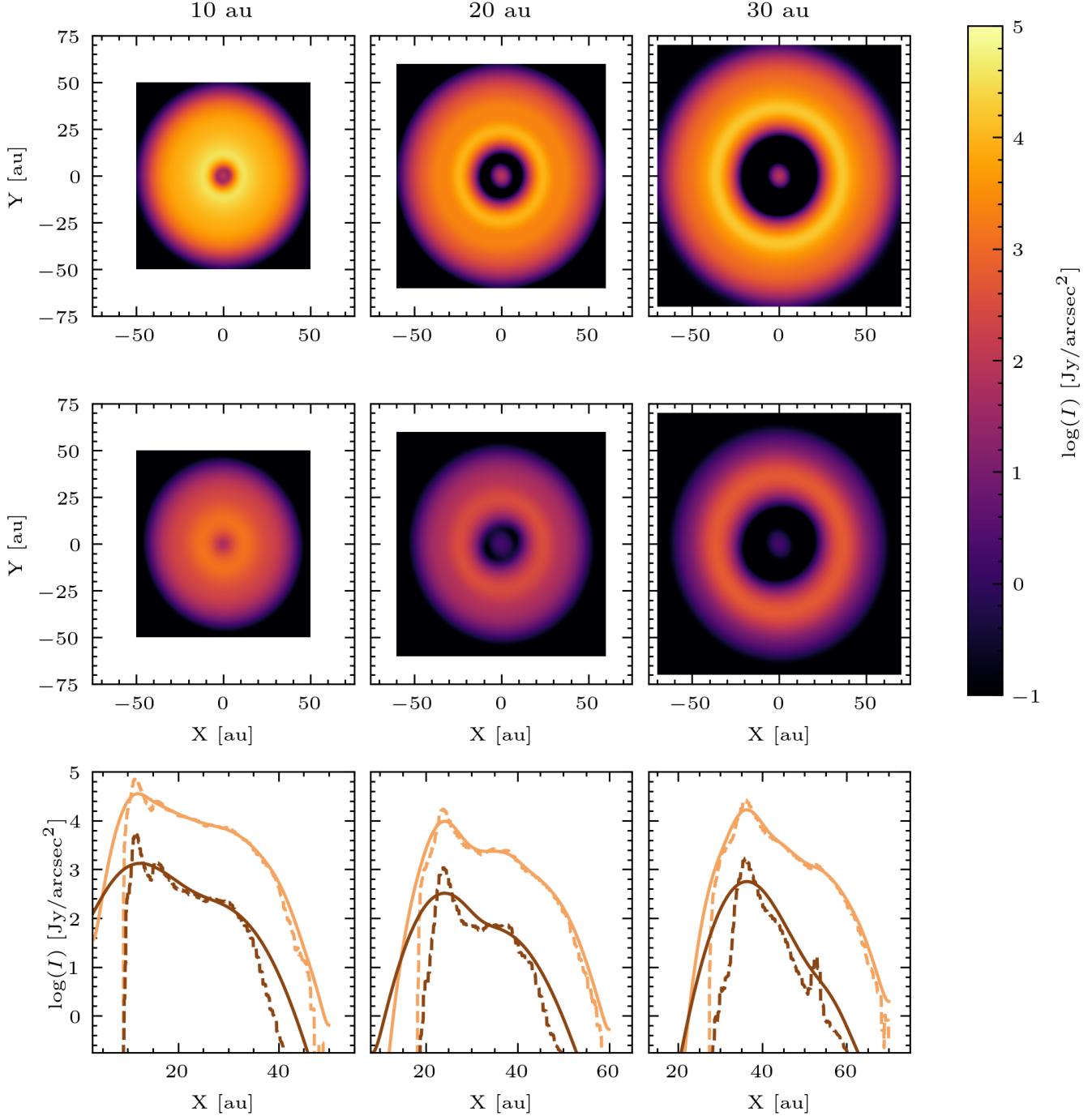


**Figure 4.** Continuum emission maps for the different transition discs cavities in Band 7 (top row) and Band 3 (bottom row).

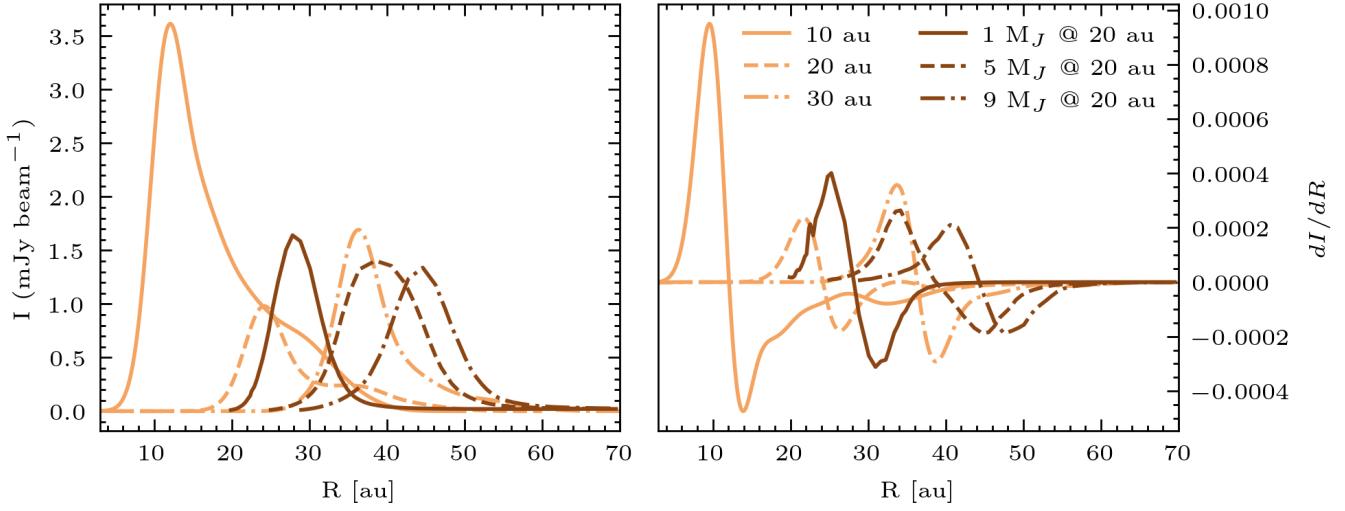
- D'Alessio P., et al., 2005, *ApJ*, **621**, 461  
 D'Alessio P., Calvet N., Hartmann L., Franco-Hernández R., Servín H., 2006, *ApJ*, **638**, 314  
 Dong R., Dawson R., 2016, *ApJ*, **825**, 77  
 Draine B. T., 2003, *ApJ*, **598**, 1026  
 Duffell P. C., Dong R., 2015, *ApJ*, **802**, 42  
 Dullemond C. P., Juhasz A., Pohl A., Sereshti F., Shetty R., Peters T., Commercon B., Flock M., 2012, RADMC-3D: A multi-purpose radiative transfer tool (ascl:1202.015)  
 Ercolano B., Pascucci I., 2017, *Royal Society Open Science*, **4**, 170114  
 Ercolano B., Barlow M. J., Storey P. J., Liu X.-W., 2003, *MNRAS*, **340**, 1136  
 Ercolano B., Barlow M. J., Storey P. J., 2005, *MNRAS*, **362**, 1038  
 Ercolano B., Young P. R., Drake J. J., Raymond J. C., 2008a, *ApJS*, **175**, 534  
 Ercolano B., Drake J. J., Raymond J. C., Clarke C. C., 2008b, *ApJ*, **688**, 398  
 Ercolano B., Clarke C. J., Drake J. J., 2009, *ApJ*, **699**, 1639  
 Ercolano B., Weber M. L., Owen J. E., 2018, *MNRAS*, **473**, L64  
 Facchini S., Pinilla P., van Dishoeck E. F., de Juan Ovelar M., 2018, *A&A*, **612**, A104  
 Franz R., Picogna G., Ercolano B., Casassus S., Birnstiel T., Rab C., Pérez S., 2022, *A&A*, **659**, A90  
 Gárate M., et al., 2021, *A&A*, **655**, A18  
 Hollenbach D., Johnstone D., Lizano S., Shu F., 1994, *ApJ*, **428**, 654  
 Kurtovic N. T., et al., 2021, *A&A*, **645**, A139  
 Long F., et al., 2020, *ApJ*, **898**, 36  
 Mignone A., Bodo G., Massaglia S., Matsakos T., Tesileanu O., Zanni C., Ferrari A., 2007, *ApJS*, **170**, 228  
 Nazari P., Booth R. A., Clarke C. J., Rosotti G. P., Tazzari M., Juhasz A., Meru F., 2019, *Monthly Notices of the Royal Astronomical Society*, **485**, 5914–5923  
 Nielsen E. L., et al., 2019, *AJ*, **158**, 13  
 Picogna G., Stoll M. H. R., Kley W., 2018, *A&A*, **616**, A116

- Picogna G., Ercolano B., Owen J. E., Weber M. L., 2019, *MNRAS*, **487**, 691  
 Rodenkirch P. J., Dullemond C. P., 2022, *A&A*, **659**, A42  
 Strom K. M., Strom S. E., Edwards S., Cabrit S., Skrutskie M. F., 1989, *AJ*, **97**, 1451  
 Vigan A., et al., 2021, *A&A*, **651**, A72  
 Weidenschilling S. J., 1977, *MNRAS*, **180**, 57  
 Whipple F. L., 1972, in Elvius A., ed., From Plasma to Planet. p. 211  
 Youdin A. N., Lithwick Y., 2007, *Icarus*, **192**, 588  
 de Juan Ovelar M., Pinilla P., Min M., Dominik C., Birnstiel T., 2016, *MNRAS*, **459**, L85  
 van der Marel N., et al., 2022, arXiv e-prints, [p. arXiv:2204.08225](https://arxiv.org/abs/2204.08225)

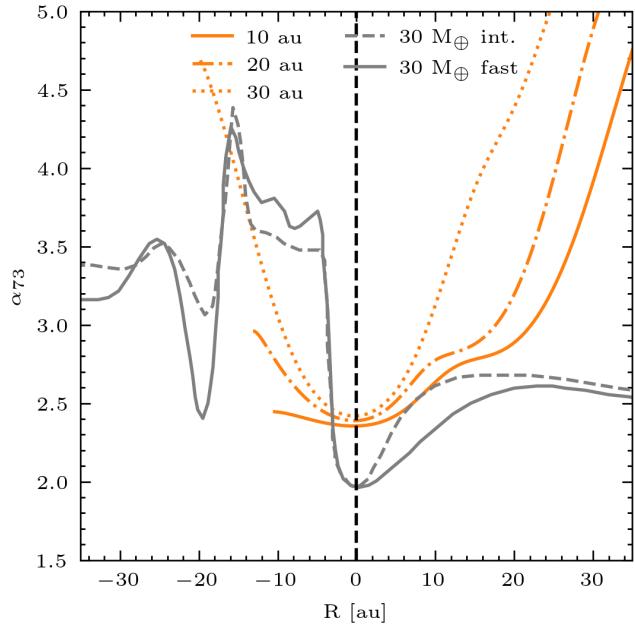
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**Figure 5.** Dust continuum emission in Band 7 (top panel) and 3 (middle panel) convolved with a realistic ALMA beam size for the 10, 20, and 30 au transition discs. The convolution with the beam size blurs the features seen in Figure 4. In the bottom panel a radial profile is shown for a direct comparison between the two different bands and the convolved and unconvolved intensities.



**Figure 6.** Panel a: radial intensity profile in Band 7 for this work in orange and from [de Juan Ovelar et al. \(2016\)](#); [Facchini et al. \(2018\)](#) for a 1, 5, and  $9M_J$  mass planet in brown. Panel b: gradients of the intensity curves. We adopted a  $0.03''$  resolution beam and a distance of 150 pc for direct comparison.



**Figure 7.** Spectral indices calculated from the synthetic images in Band 3 and 7, for the three different transition disc models, compared with the intermediate and fast migration case from [Nazari et al. \(2019\)](#) and shifted to be centred at the cavity edge.