$$\mathbf{INPUT} \begin{array}{c} N_{\mathbf{C}+} & \overset{i}{\smile} \\ V \\ N_{\mathbf{C}-} & \overset{-}{\smile} \end{array} \qquad \begin{array}{c} i_O \\ V \\ N_- \end{array} \\ \mathbf{OUTPUT}$$

Figure 1: Voltage-controlled current source element.

Form:

vccs: $\langle instance name \rangle$ n_1 n_2 \cdots $\langle parameter list \rangle$ n_1 , n_2 \cdots are the element nodes. *Parameters:*

Parameter	Type	Default value	Required?
g: Transconductance (Siemens)	DOUBLE	n/a	yes
ri: Input resistance value(Ohms)	DOUBLE	0	no
ro: Output resistance value(Ohms)	DOUBLE	0	no
poly _{coeff} : Coefficients of polynomial	DOUBLE VECTOR	See source file.	no
polydimension: Dimension of polynomial	INTEGER	1	no

Example:

G1 5 0 POLY(1) 3 2 1 2.5

vccs:g1 1 2 0 0 g=1e-3 ri=1e3 ro=2e3

Description:

The voltage controlled current source is either a linear or nonlinear function of controlling node voltages, depending on whether the polynomial is used or not.

Polynomial Functions:

The controlled element statement allows the definition of the controlled current source as a polynomial function of one or more voltages. Three polynomial equations can be used through the POLY(N) parameter. POLY(1) one-dimensional equation, POLY(2) two-dimensional equation, POLY(3) three-dimensional equation. The POLY(1) polynomial equation specifies a polynomial equation as a function of one controlling variable, POLY(2) as a function of two controlling variables, and POLY(3) as a function of three controlling variables. Along with each polynomial equation are polynomial coefficient parameters $(P_0, P_1 \cdots P_n)$ that can be set to explicitly define the equation.

One-Dimensional Function:

If the function is one-dimensional (a function of one node voltage), the function value FV is determined by the following expression:

$$FV = P_0 + (P_1.FA) + (P_2.FA^2) + (P_3.FA^3) + (P_4.FA^4) + (P_5.FA^5) + \cdots$$
 (1)

FV controlled current from the controlled source,

 $P_0 \cdots P_n$ coefficients of polynomial equation,

FA controlling node voltage.

If the polynomial is one-dimensional and exactly one coefficient is specified, $fREEDA^{TM}$ assumes it to be $P_1(P_0 = 0.0)$ to facilitate the input of linear controlled sources.

$One ext{-}Dimensional \ Example:$

The example given above is a one-dimensional function. The above voltage-controlled current source is connected between nodes 5 and 0. The single dimension polynomial function parameter, POLY(1), means

that G1 is a function of the difference of one nodal voltage pair, in this the voltage difference between nodes 3 and 2, hence FA = V(3,2). The dependent source statement then specifies that P0=1 and P1=2.5. From the one-dimensional polynomial equation above, the defining equation for I(5,0) is I(5,0) = 1 + 2.5 * V(3,2). Two-Dimensional Function:

Where the function is two-dimensional (a function of two node voltages), FV is determined by the following expression:

$$FV = P_0 + (P_1.FA) + (P_2.FB) + (P_3.FA^2) + (P_4.FA.FB) + (P_5.FB^2) + (P_6.FA^3) + (P_7.FA^2.FB) + (P_8.FA.FB^2) + (P_9.FB^3) + \cdots$$
(2)

For a two-dimensional polynomial, the controlled current source is a function of two nodal voltages. To specify a two-dimensional polynomial, set POLY(2) in the controlled source statement.

Three-Dimensional Function:

For a three-dimensional polynomial function with arguments FA, FB, and FC, the function value FV is determined by the following expression:

$$FV = P_{0} + (P_{1}.FA) + (P_{2}.FB) + (P_{3}.FC) + (P_{4}.FA^{2}) + (P_{5}.FA.FB) + (P_{6}.FA.FC) + (P_{7}.FB^{2}) + (P_{8}.FB.FC) + (P_{9}.FC^{2}) + (P_{10}.FA^{3}) + (P_{11}.FA^{2}.FB) + (P_{12}.FA^{2}.FC) + (P_{13}.FA.FB^{2}) + (P_{14}.FA.FB.FC) + (P_{15}.FA.FC^{2}) + (P_{16}.FB^{3}) + (P_{17}.FB^{2}.FC) + (P_{18}.FB.FC^{2}) + (P_{19}.FC^{3}) + (P_{20}.FA^{4}) + \cdots$$

$$(3)$$

Notes:

This is the G element in the SPICE compatible netlist.

Version: 2002.05.01

Credits:

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