List Comprehensions

Computer Language Processing '18 Final Report

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1. Introduction

In this project, we wrote a compiler for the Amy language. The Amy language is Turing complete and our compiler handles it fine. The compiler lexes the program to obtain a list of tokens that are next parsed to produce an AST (Abstract Syntax Tree). We then do some name analysis and type check to ensure that variables, types and functions are well-defined and that everything is called accordingly. We then produce the web assembly code corresponding to the given program.

Even if every algorithm can be expressed in Amy, working with constructors, especially List's ones, is a bit boring. We always need to call *L.Cons* or *L.Nil* to construct lists and pattern match every time we want to work on them.

With this extension, we bring in Amy a construct that simplify the work on lists especially constructing other lists from already defined ones or combining them. The syntax we add is a sort of *for comprehension* we can find in languages like *Scala*.

2. Examples

You can find a runnable example of our extension in *examples/ListCompr.scala* that showcases what are the new features.

You can find some other small examples of what the extension can do here :

List comprehension on an empty list:

```
val xs: L.List = [ x for x in L.Nil()];
Std.printString(L.toString(xs)) // []
```

List comprehension on a list without condition:

```
 \begin{tabular}{ll} \textbf{val} & xs: L.List = L.Cons(1, L.Cons(2, L.Cons(3, L.Nil()))); \\ \textbf{val} & ys: L.List = [ \times \textbf{for} \times \textbf{in} \times s]; \\ \textbf{Std.printString}(L.toString(ys)) // [1, 2, 3] \\ \end{tabular}
```

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List comprehension on a list with a condition:

```
 \begin{array}{l} \textbf{val} \ xs: \ L.List = L.Cons(1, \ L.Cons(2, \ L.Cons(3, \ L.Nil()))); \\ \textbf{val} \ ys: \ L.List = [\ 2*x \ \textbf{for} \ x \ \textbf{in} \ xs \ \textbf{if} \ (!(x\%2 == 0))]; \\ \textbf{Std.printString}(L.toString(ys)) \ // \ [2, \ 6] \\ \end{array}
```

List comprehension on an expression without a condition:

```
 \begin{array}{l} \textbf{val} \ \mathsf{xs:} \ \mathsf{L.List} = \mathsf{L.Cons}(1, \ \mathsf{L.Cons}(2, \ \mathsf{L.Cons}(3, \ \mathsf{L.Nil}()))); \\ \textbf{val} \ \mathsf{ys:} \ \mathsf{L.List} = [\ 2*\mathsf{x} \ \textbf{for} \ \mathsf{x} \ \textbf{in} \ \mathsf{L.concat}(\mathsf{xs, xs})]; \\ \mathsf{Std.printString}(\mathsf{L.toString}(\mathsf{ys})) \ // \ [2, \ 4, \ 6, \ 2, \ 4, \ 6] \\ \end{array}
```

List comprehension on a list comprehension without a condition:

```
 \begin{array}{l} \textbf{val} \ \mathsf{xs:} \ \mathsf{L.List} = \mathsf{L.Cons}(1, \ \mathsf{L.Cons}(2, \ \mathsf{L.Cons}(3, \ \mathsf{L.Nil}()))); \\ \textbf{val} \ \mathsf{ys:} \ \mathsf{L.List} = [\ 2*\mathsf{x} \ \textbf{for} \ \mathsf{x} \ \textbf{in} \ [\mathsf{x} \ \textbf{for} \ \mathsf{x} \ \textbf{in} \ \mathsf{xs}]]; \\ \mathsf{Std.printString}(\mathsf{L.toString}(\mathsf{ys})) \ // \ [2, \ 4, \ 6] \\ \end{array}
```

List comprehension on multiple lists without condition:

```
val xs: L.List = L.Cons(1, L.Cons(2, L.Cons(3, L.Nil())));
val ys: L.List = [ x for x in xs if (!(x%2 == 0))];
val zs: L.List = [ x*y for x in xs for y in ys];
Std.printString(L.toString(zs)) // [1, 3, 2, 6, 3, 9]
```

List comprehension on multiple lists with a condition:

```
val xs: L.List = L.Cons(1, L.Cons(2, L.Cons(3, L.Nil())));
val ys: L.List = [ x for x in xs if (!(x%2 == 0))];
val zs: L.List = [ x*y for x in xs for y in ys if (x*y < 4)];
Std.printString(L.toString(zs)) // [1, 3, 2, 3]
```

List comprehension with external variables:

```
 \begin{array}{l} \textbf{val} \ \mathsf{xs:} \ \mathsf{L.List} = \mathsf{L.Cons}(1, \ \mathsf{L.Cons}(2, \ \mathsf{L.Cons}(3, \ \mathsf{L.Nil}()))); \\ \textbf{val} \ \mathsf{t:} \ \mathsf{Int} = 3; \\ \textbf{val} \ \mathsf{a:} \ \mathsf{Int} = 2; \\ \textbf{val} \ \mathsf{ys:} \ \mathsf{L.List} = [ \ \mathsf{t*a*x} \ \mathsf{for} \ \mathsf{x} \ \mathsf{in} \ \mathsf{xs} \ \mathsf{if} \ (\mathsf{x} < \mathsf{t})]; \\ \mathsf{Std.printString}(\mathsf{L.toString}(\mathsf{ys})) \ // \ [\mathit{6,} \ 12] \\ \end{array}
```

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3. Implementation

We chose to desugar the list comprehensions early in the pipeline, during parsing thus we have only modified the files *Tokens*, *Lexer*, *Parser*, *ASTConstructor* and *ASTConstructorLL1*.

3.1 Theoretical Background

All the theory we used was in the basis of the Computer Language Processing course.

3.2 Implementation Details

We first defined new tokens (*FOR*, *IN*, *LBRACK*, *RBRACK*) to be able to parse the list comprehensions.

We added some non-terminals to the LL1 grammar to construct the AST for the list comprehensions. The non-terminal ListCompr represents a list comprehension and is an Expr of the highest precedence (lvl10). It corresponds to LBRACK - 'Expr - 'ForIn - 'OptionalForIns - 'OptionalIf - RBRACK, which means that the list comprehension must have at least one ForIn and that the condition is optional (OptionalIf). The OptionalForIns represents the ability to add zero or multiple ForIns to the first one, which is then handled like a flatmap in Scala. ForIn is defined by FOR - 'Id - IN - 'Expr, OptionalForIns by 'ForIn - 'OptionalForIns $|\epsilon$ and OptionalIf by IF - 'Expr $|\epsilon$.

We decided to transform a list comprehension in a call to a new function created during the construction of the AST. We gave to the new functions names that could not be tokenized in the Amy language (++list-ComprDesuggar# where # is a fresh integer) thus a function with this name would not already exist. We had to pass these new functions as an *Option* of *List* of *ClassOrFunDef* when constructing the expressions of the program and then add them in the current module's functions.

For every expression that follows the IN token (the expression of the list we need to go through), we computed the AST for the expression and gave an unique identifier to the list (-ListId# where # is a fresh integer) for the newly created function to refer to. For example :

```
val xs: L.List = L.Cons(1, 2, 3);
val ys: L.List = [x for x in L.concat(xs,xs)]

would translate to :
val xs: L.List =
    L.Cons(1, L.Cons(2, L.Cons(3, L.Nil())));
```

and then in the function, L.concat(xs, xs) would be represented by --ListId1.

For every list comprehension, we had to check if external variables were used so we went through the expression to output and through the condition expression if there was one to find all of them. We then passed these external variables as arguments of the new function. The name analyzer could then check automatically if the external variable was defined in the scope.

For example, if we write:

```
 \begin{tabular}{ll} \textbf{val} & t: \ Int = 1; \\ \textbf{val} & a: \ Int = 2; \\ \textbf{val} & xs: \ L. List = L. Cons(1, 2, 3); \\ \textbf{val} & ys: \ L. List = L. Cons(1, 2); \\ \textbf{val} & zs: \ L. List = [a*x*y \ \textbf{for} \ x \ \textbf{in} \ xs \ \textbf{for} \ y \ \textbf{in} \ ys \ \textbf{if} \ x*y <= t] \\ \end{tabular}
```

During the AST constuction, we detect that there are two ForIn, that there is a condition and that we have two external variables (a and t). We then create these two functions:

```
def ++listComprDesuggar1(--ListId1: L.List,
        --ListId2: L.List, a: Int, t: Int): L.List =
    --ListId1 match {
      case L.Cons(x, tail) =>
        L.concat(ListCompr.++listComprDesuggar2(
                 --ListId2, x, a, t),
            ListCompr.++listComprDesuggar1(
                tail, --ListId2, a, t))
      case L.Nil() => L.Nil()
}
def ++listComprDesuggar2(--ListId2: L.List,
        x: Int, a: Int, t: Int): L.List =
    --ListId2 match {
      case L.Cons(y, tail) =>
        (if(((x * y) <= t)) 
          L.Cons(((a * x) * y),
            ListCompr.++listComprDesuggar2(
                tail, x, a, t))
        } else {
          ListCompr.++listComprDesuggar2(tail, x, a, t)
      case L.Nil() => L.Nil()
```

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Here, --ListId1 represents the current part of xs and --ListId2 the current part of ys. For each element of xs, we then call ++listComprDesuggar2 which goes through ys with the current x and then concatenate this result and the result of the same process for the rest of xs.

We paid attention to the fact that the identifier given (in the example here x and y) were the same in the pattern matching and as argument to the functions in order to be sure that the expression to output and the condition would pass the name analyzer.

Then the value zs is a call to a function like you can see below:

```
val zs: L.List =
    ListCompr.++listComprDesuggar1(xs, ys, a, t);
```

If there was no condition, the ++listComprDesuggar2 would look like that:

```
\label{eq:def} \begin{split} \text{def} & ++ \text{listComprDesuggar2}(--\text{ListId2: L.List}, \\ & \times: \text{Int, a: Int): L.List} = \{ \\ & -- \text{ListId2 match } \{ \\ & \text{case L.Cons}(y, \text{tail}) => \\ & \text{L.Cons}(((a*x)*y), \\ & \text{ListCompr.} ++ \text{listComprDesuggar2}(\text{tail, x, a})) \\ & \text{case L.Nil()} => \text{L.Nil()} \\ & \} \end{split}
```

4. Possible Extensions

We finished what was asked in the requirements for this extension.

If we wanted to extend it more, we could do list comprehensions over range of integers, like in Scala. For example, we could write things like:

```
[x for x in 1 to 3] to have 1, 2, 3, [x for x in 1 until 3] to have 1, 2, [x for x in 1 to 3 by 2] to have 1, 3.
```

We would need to add new tokens (*TO*, *UNTIL*, *BY*) and extend the current grammar with a new expression to handle this new extension. During the AST construction, we would then transform these ranges into the corresponding list of integers before applying the same transformations as we did for normal lists in our extension.

References

We did not use any references outside the theory of the course.

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