Regression with Laplace prior (on weights) We assume the data to follow the model: yn = Wizin + Em, where En ~ W(0,02)
is noise (Em are sid). 14. W= (w), Ad, wd ~ 1 e - |wd|/s WMAR = argineire (P(W | X, Y)) usual
+ (log kich)

- argman (log T A (Xn/n)= (xn/gn) | in) + log (1 e - Ind/s) = argman (Z log (1 e to (The - y)) + - Iwd) indepte from is a out. $= \underset{\widetilde{W}}{\operatorname{argman}} \left(\begin{array}{c} N \\ 2 \\ 1 \end{array} - \frac{1}{2\sigma^2} \left(\overrightarrow{W} \stackrel{\widetilde{Z}}{\sim} - \stackrel{1}{y_n} \right)^2 - | w_d | \right)$ $= \underset{\widetilde{W}}{\operatorname{argmin}} \left(+ \sum_{n} \left(\overrightarrow{W} \stackrel{\widetilde{Z}}{\sim} - \stackrel{1}{y_n} \right)^2 + \frac{2\sigma}{\delta N} - | \overrightarrow{W}_d | \right)$ This is now very similar to the 3.5. a For each wel, di 1. D, we have two cases: wel = 0 or (Find and - In) + 20° . [wd)



(Shilan & prevery page) wd = B - C. Plind), and wd =0 Valud - B (assume C to, which is kne, olways) We need to check whole it is in [-1, 1]. Dual 4/ E[-1,1] (=> -1 This is complementary to case I, where IBI> So, Wd, MAP solvices as sumarized as C = 2 . 62 . 6N sign B (B) > C, wd = B - C sign (B) sign we (C, wd = 0 At B= C, both solut match