# Cellular Automata Cloud Simulation

**Daniel Hua** 

# Why is this Problem Interesting?

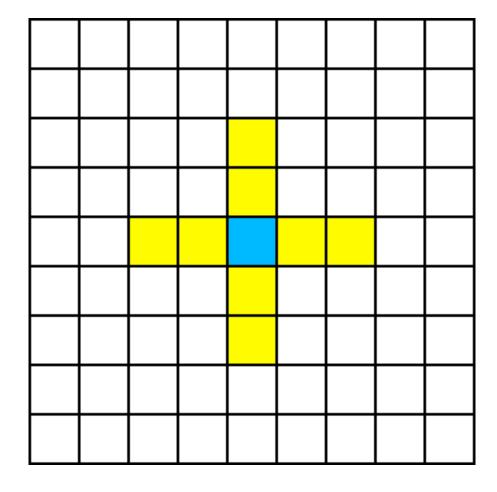
• 3D Cellular Automata – Bandwidth Bound?

Slightly "Irregular" Memory Accesses for Each Cell

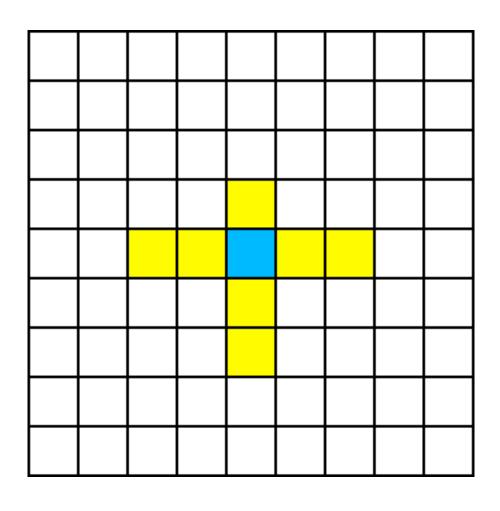
Real Time Cloud Simulation can be used in Games

## **Memory Accesses for Each Cell**

#### **Top View**

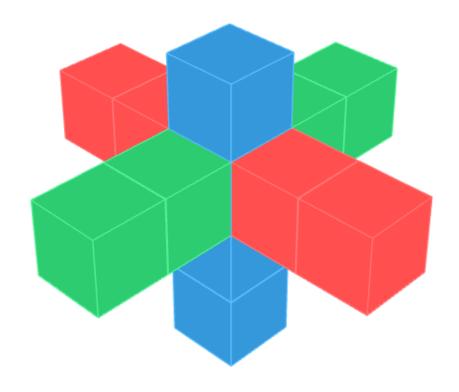


#### **Side View**



## **Memory Accesses for Each Cell**

**3D View** 



# The Algorithm

• Each Cell has 3 Bits of Information:

• HUM (H): Is this cell humid enough to form clouds?

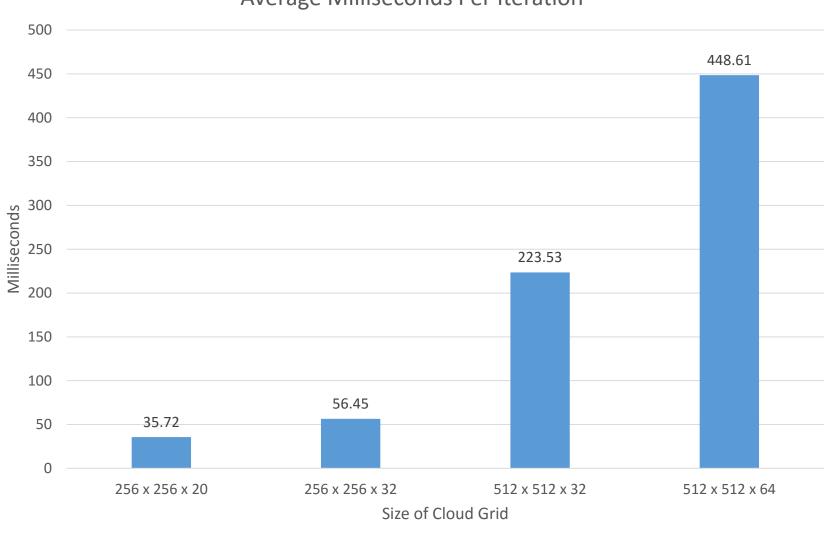
• <u>ACT (A)</u>: Activation factor.

• CLD (C): Is there a cloud in this cell?

#### Naïve Implementation (Kernel Pseudocode)

#### Performance of Naïve Implementation

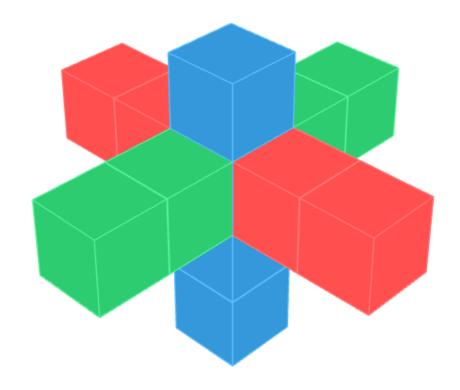




#### **Optimization Attempt 1: Shared Memory**

• Each cell requires accessing global memory 12 times for neighboring cells and itself.

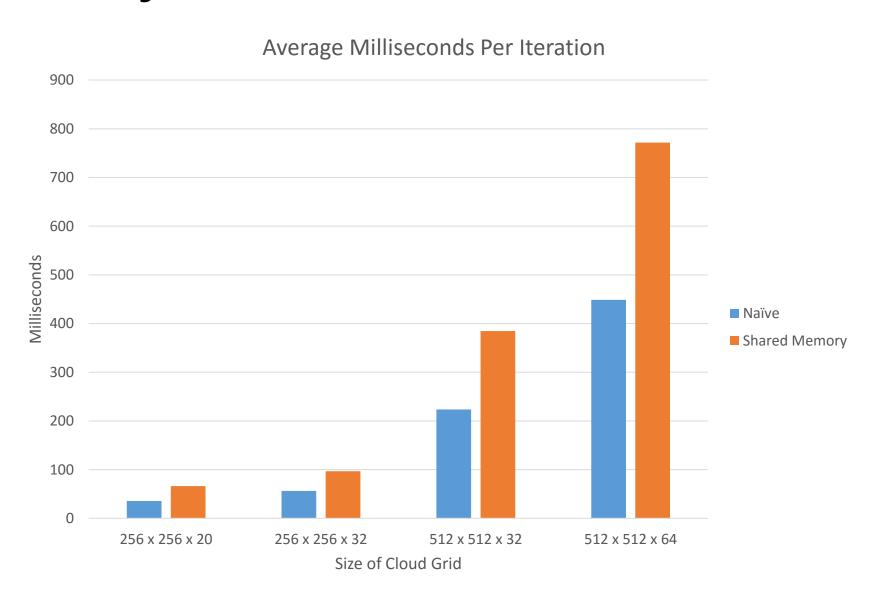
 Using shared memory, we would only need to load each cell 1 time from global memory.



## **Shared Memory Pseudocode (First Attempt)**

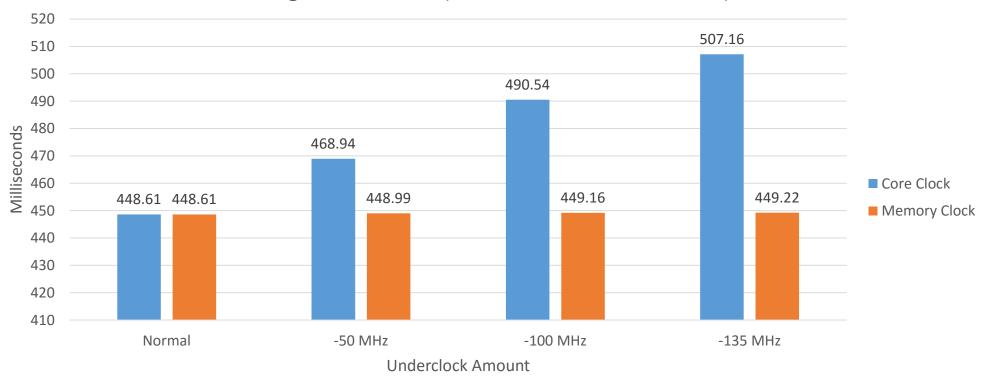
```
updateCellNaive SharedMem(char* src buffer, char* dst buffer) {
    shared sharedMem[]; // statically allocated
                            // (hard coded for block size)
    // load elements into shared memory
    syncthreads();
    // update as before, except read from shared memory instead
    // write new cell to dst_buffer
// swap src and dst buffers after each iteration
```

## **Shared Memory Makes the Performance Worse?**



#### What Are We Bound By?

Average Milliseconds (Naïve Kernel, 512 x 512 x 64)



- Less Bandwidth → Same Performance
- Less Compute → Lower Performance
- We are compute bound

## Why are We Compute Bound?

 The simulation involves quite a bit of operations

 Computing the correct indices for using shared memory is even more work

```
\begin{aligned} &hum(i,j,k,t_{i+1}) = hum(i,j,k,t_{i}) \land \neg act(i,j,k,t_{i}) \\ &cld(i,j,k,t_{i+1}) = cld(i,j,k,t_{i}) \lor act(i,j,k,t_{i}) \\ &act(i,j,k,t_{i+1}) = \neg act(i,j,k,t_{i}) \land hum(i,j,k,t_{i}) \land f_{act}(i,j,k) \\ &f_{act}(i,j,k) = act(i+1,j,k,t_{i}) \lor act(i,j+1,k,t_{i}) \\ &\lor act(i,j,k+1,t_{i}) \lor act(i-1,j,k,t_{i}) \lor act(i,j-1,k,t_{i}) \\ &\lor act(i,j,k-1,t_{i}) \lor act(i-2,j,k,t_{i}) \lor act(i+2,j,k,t_{i}) \\ &\lor act(i,j-2,k,t_{i}) \lor act(i,j+2,k,t_{i}) \lor act(i,j,k-2,t_{i}) \end{aligned}
```

Source: http://evasion.imag.fr/~Antoine.Bouthors/research/dea/sig00\_cloud.pdf

#### So What Now?

• Let's try to reduce the overall computation needed.

## **Optimization Attempt 2: Compact Storage**

Each cell only requires 3 bits to store

- The naïve kernel uses 1 byte to store each cell. That's wasting 5 bits per cell!
  - Current bit layout (1 byte): 00000CAH

- We can easily store 2 cells in each byte (still wastes 2 bits):
  - $00C_1A_1H_1C_2A_2H_2$

#### There's a Better Solution

 The only information that you need to render a cloud is the <u>CLOUD</u> bit of each cell

 The only information you need from adjacent cells is the <u>ACTIVE</u> bit

Use separate HUM, ACT, and CLD buffers.

```
\begin{aligned} &hum(i,j,k,t_{i+1}) = hum(i,j,k,t_{i}) \land \neg act(i,j,k,t_{i}) \\ &cld(i,j,k,t_{i+1}) = cld(i,j,k,t_{i}) \lor act(i,j,k,t_{i}) \\ &act(i,j,k,t_{i+1}) = \neg act(i,j,k,t_{i}) \land hum(i,j,k,t_{i}) \land f_{act}(i,j,k) \\ &f_{act}(i,j,k) = act(i+1,j,k,t_{i}) \lor act(i,j+1,k,t_{i}) \\ &\lor act(i,j,k+1,t_{i}) \lor act(i-1,j,k,t_{i}) \lor act(i,j-1,k,t_{i}) \\ &\lor act(i,j,k-1,t_{i}) \lor act(i-2,j,k,t_{i}) \lor act(i+2,j,k,t_{i}) \\ &\lor act(i,j-2,k,t_{i}) \lor act(i,j+2,k,t_{i}) \lor act(i,j,k-2,t_{i}) \end{aligned}
```

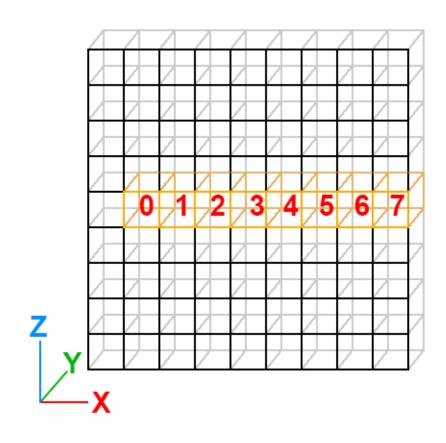
# Separate Buffers Attempt 1 (8x1x1 Blocks)

#### • Layout of a byte in the buffers:

- $C_0C_1C_2C_3C_4C_5C_6C_7$
- $H_0H_1H_2H_3H_4H_5H_6H_7$
- $A_0A_1A_2A_3A_4A_5A_6A_7$

No bits are unused

#### **Cloud Grid**



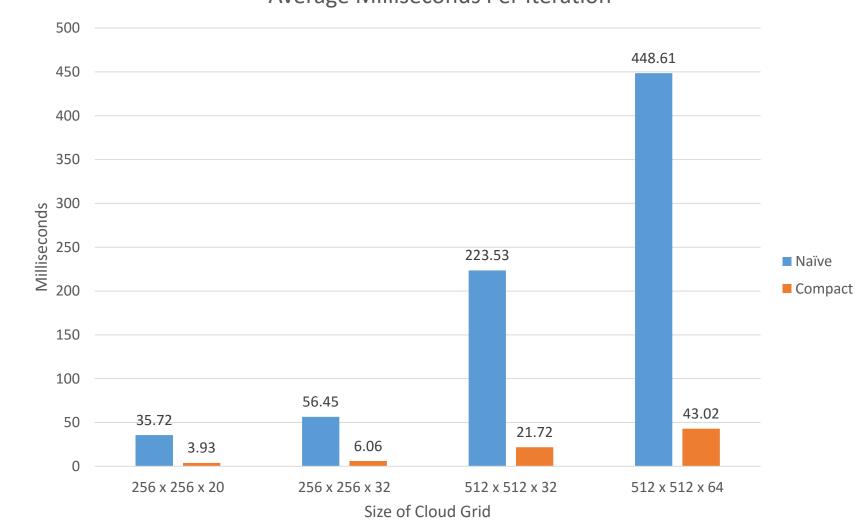
# Wait, Why are We Reducing Memory?

• Using separate buffers, we can actually store the information from 8 cells in 1 byte

• Then <u>using bitwise operations</u>, we can <u>update 8 cells at a time</u>

#### Using 8x1x1 Blocks Results in Speedup



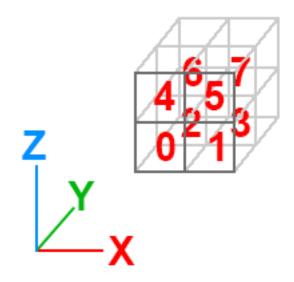


## What About a Different Block Shape?

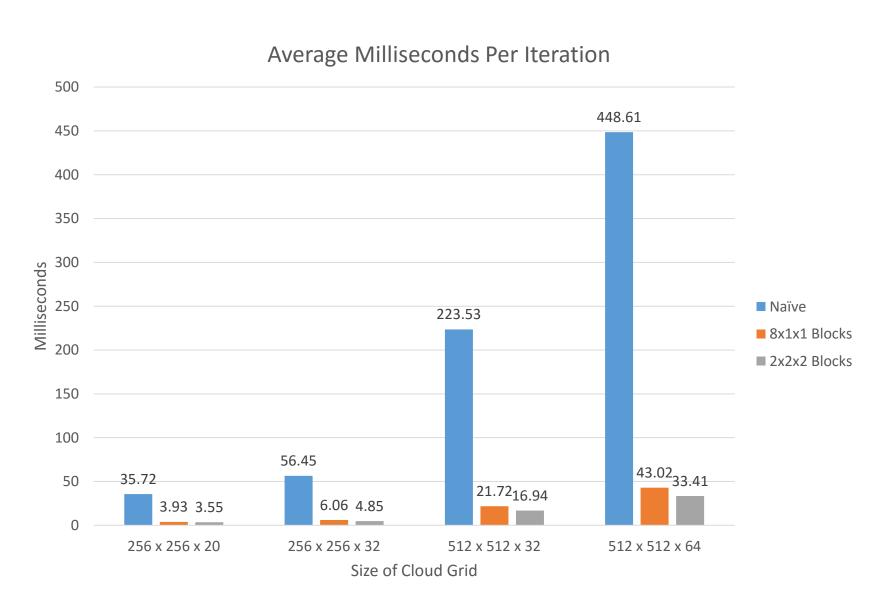
#### Layout of a byte in the buffers:

- $C_0C_1C_2C_3C_4C_5C_6C_7$
- $H_0H_1H_2H_3H_4H_5H_6H_7$
- $A_0A_1A_2A_3A_4A_5A_6A_7$

#### 2x2x2 Block



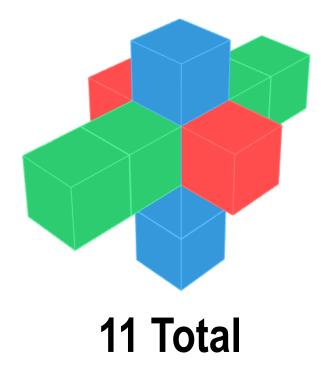
#### 2x2x2 Blocks Perform Better Than 8x1x1 Blocks



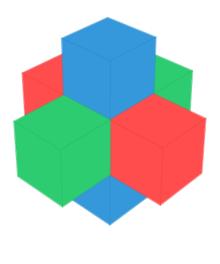
# Why is 2x2x2 Better?

## **Less Memory Accesses?**

8x1x1 Block



2x2x2 Block



7 Total

#### More Code Divergence for Checking Boundary Conditions

#### 8x1x1 Block

```
if (y - 2 \ge 0) {
    f \mid = src act[xyzToIdx2(x, y - 2, z, d)];
if (y - 1 >= 0) {
    f |= src act[xyzToIdx2(x, y - 1, z, d)];
if (y + 1 < d.y) {
    f \mid = src act[xyzToIdx2(x, y + 1, z, d)];
if (y + 2 < d.y) {
    f \mid = src act[xyzToIdx2(x, y + 2, z, d)];
if (z - 2 >= 0) {
    f |= src act[xyzToIdx2(x, y, z - 2, d)];
if (z - 1 >= 0) {
    f \mid = src act[xyzToIdx2(x, y, z - 1, d)];
if (z + 1 < d.z) {
    f \mid = src act[xyzToIdx2(x, y, z + 1, d)];
```

#### 2x2x2 Block

```
if (y - 1 >= 0) {
    char front = src act[xyzToIdx2(x, y - 1, z, d)];
    f |= front;
    f = (front >> 2) & 0x33;
f \mid = (a \& 0x33) << 2;
if (y + 1 < d.y) {
    char back = src act[xyzToIdx2(x, y + 1, z, d)];
    f |= back;
    f \mid = (back \& 0x33) << 2;
f = (a >> 2) & 0x33;
if (z - 1 > 0) {
    char lower = src act[xyzToIdx2(x, y, z - 1, d)];
    f |= lower;
    f \mid = (lower >> 4) \& 0xF;
f \mid = (a \& 0xF) << 4;
if (z + 1 < d.z) {
    char upper = src act[xyzToIdx2(x, y, z + 1, d)];
    f \mid = (upper \& 0xF) << 4;
f \mid = (a >> 4) \& 0xF;
```

## **Questions?**