

Nicolas M. Thiéry

October 30, 2018

ODK's interviews



https://opendreamkit.org/

ODK's use cases



https://opendreamkit.org/tag/use-case

Aims

- Aim 1 Improve the productivity of researchers in pure mathematics and applications by further promoting collaborations on **Data**, **Knowledge**, and **Software**
- Aim 2 Make it easy for teams of researchers of any size to set up custom, collaborative **Virtual Research Environments** tailored to their specific needs, resources and workflows
- Aim 3 Support the entire life-cycle of computational work in mathematical research, from initial exploration to publication, teaching, and outreach
- Aim 4 Maximise sustainability and impact in mathematics, neighbouring fields, and scientific computing.





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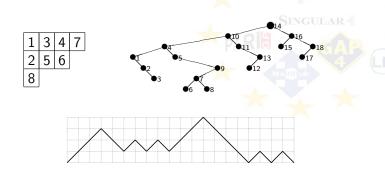
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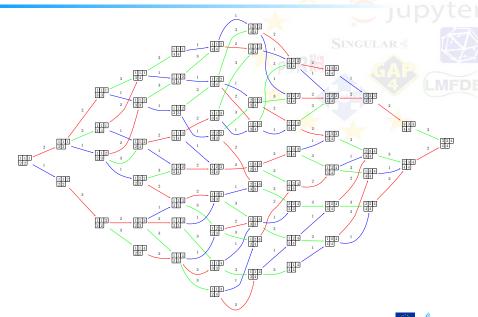
Finite fields, algebraic extensions, elliptic curves, ...

Combinatorial objects

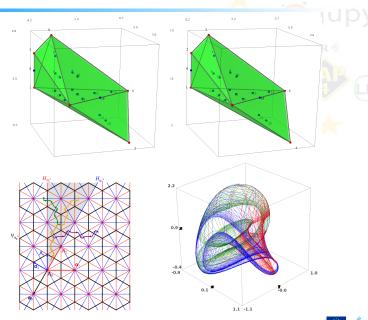


$$\frac{\frac{1}{6}q^2 - \frac{1}{6}q}{q^5 + 2q^4 + 3q^3 + 3q^2 + 2q + 1} \underbrace{b}^{\textcircled{3}} \underbrace{d} + \frac{q^2}{q^5 + 2q^4 + 3q^3 + 3q^2 + 2q + 1} \underbrace{b}^{\textcircled{3}} \underbrace{d} + \frac{\frac{1}{2}q}{q^4 + q^3 + 2q^2 + q + 1} \underbrace{b}^{\textcircled{3}} \underbrace{d}$$

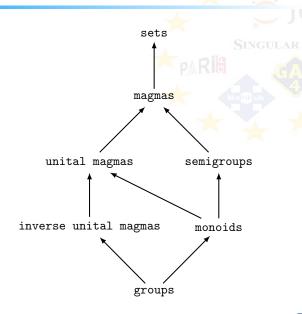
Graphs



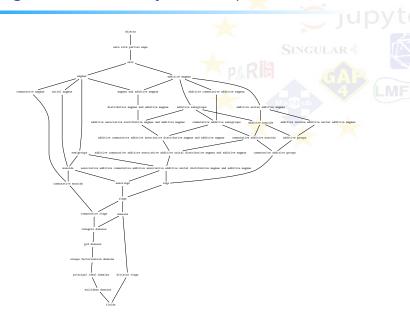
Geometric objects

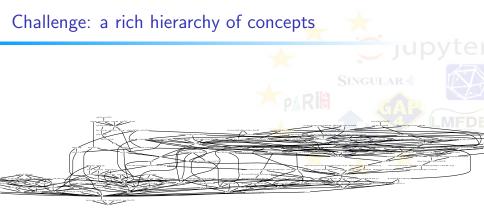


Challenge: a rich hierarchy of concepts



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Challenge: a large variety of use cases



No one-size-fits-all VRE





from the ecosystem of open source software for mathematics ...

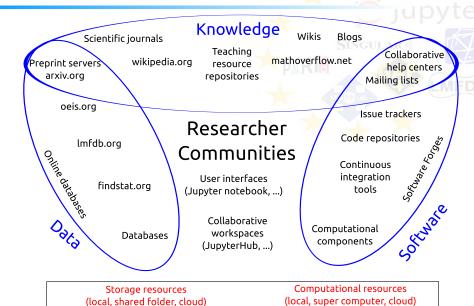




from the ecosystem of open source software for mathematics ...

and the Jupyter interactive computing environment





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Risks mitigation!

- Lack of predictability for tasks that are pursued jointly with the community
- Recruitment of high profile staff (competition from industry!)
 Project admin situation



