Transformation-Based Style Transfer

Victor Kitov

v.v.kitov@yandex.ru

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- Transformation-based ST (Johnson)

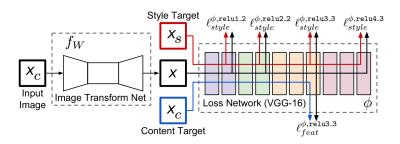
Fast style transfer¹

- 2 nets:
 - image transform net (generator)
 - loss net (VGG-16)
- Loss net is held constant
 - it uses pretrained weights from image classification

¹Link to paper and technical details.

Train

- Image transform net is trained on
 - single style image
 - different content images
 - loss=offline ST loss



Test

- To stylize a new image just pass it through the transformer!
 - real-time, no optimization required
 - but need separate transformer net for each style
- Speedup of online ST compared to offline ST:

	Gatys et al				Speedup	
Image Size					100 30	
256×256	3.17	9.52s	15.86s	0.015s	212x 636	$\times 1060x$
512×512	10.97	32.91s	54.85s	0.05s	205x 615	\times 1026 \times
1024×1024	42.89	$128.66 \mathrm{s}$	214.44s	0.21s	208x 625	x 1042 x

Architecture of generator

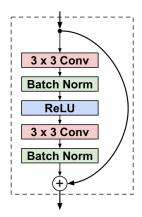
- No pooling layers used
- Downsampling: strided convolutions
- Residual blocks used in the middle
 - good at reproducing identity
 - reasonable: identity gives content image!
- Each convolution-followed by batch normalization
 - later articles: instance normalization better ².
- Upsampling: fractionally strided convolutions
 - later articles: upscaling & convolution better, no checkerboard artifacts

²May omitting normalization at all be even better?

Architecture of transformet net

Layer	Activation size		
Input	$3\times256\times256$		
Reflection Padding (40×40)	$3 \times 336 \times 336$		
$32 \times 9 \times 9$ conv, stride 1	$32 \times 336 \times 336$		
$64 \times 3 \times 3$ conv, stride 2	$64 \times 168 \times 168$		
$128 \times 3 \times 3$ conv, stride 2	$128 \times 84 \times 84$		
Residual block, 128 filters	$128 \times 80 \times 80$		
Residual block, 128 filters	$128 \times 76 \times 76$		
Residual block, 128 filters	$128 \times 72 \times 72$		
Residual block, 128 filters	$128 \times 68 \times 68$		
Residual block, 128 filters	$128 \times 64 \times 64$		
$64 \times 3 \times 3$ conv, stride $1/2$	$64 \times 128 \times 128$		
$32 \times 3 \times 3$ conv, stride $1/2$	$32\times256\times256$		
$3 \times 9 \times 9$ conv, stride 1	$3\times256\times256$		

Residual block



- No padding is used (causes artifacts at image border)
- To match size, identity is cropped at the end

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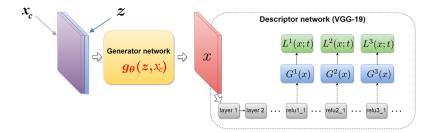
- Transformation-based ST (Johnson)
- 2 Transformation-based ST (Ulyanov)

Idea³

- Train generative network $g_{\theta}(x_c, z)$
 - x_c : content image
 - z: uniform random noise
 - θ : trained parameters (weights)
- By passing different random noise z we hope to generate many versions of stylized x_c .
- Use standard ST loss (Gatys et al.)

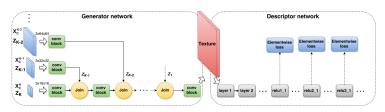
³Ulyanov et. al. (2016). Texture Networks: Feed-forward Synthesis of Textures and Stylized Images.

Proposed architecture



Architecture

- x_c^k downsampled content image x_c by 2^{k-1} , $k = \overline{1, K}$.
- $z_1, z_2, z_3, ...$ random noise at different resolutions (abstract levels).
- Only generator network is trained, descriptor network held fixed.
- In descriptor network (first layers of VGG) style transfer loss (??) is calculated.



Architecture in detail

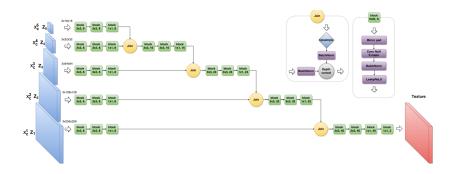


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- 2 Transformation-based ST (Ulyanov)
- 3 Instance normalization

Instance normalization⁴

- Instance normalization works better than batch normalization in online ST generators.
- Batch normalization: normalize spatial feature within minibatch of objects
- Instance normalization: normalize spatial feature within single object
- Normalizes distribution of features of the content image.
 - easier to map this distribution to given style

⁴2017 - Instance normalization - The Missing Ingredient for Fast Stylization - Ulyanov.

Formula

- Let a_{icxy} be neuron activation for object n in the minibatch, channel c and coordinates x, y.
- Batch normalization (B-size of minibatch):

$$\tilde{a}_{ncxy} = \gamma \frac{a_{ncxy} - \mu_c}{\sqrt{\sigma_c^2 + \varepsilon}} + \beta$$

$$\mu_c = \frac{1}{BWH} \sum_{n=1}^B \sum_{x=1}^W \sum_{y=1}^H a_{ncxy}, \ \sigma_c^2 = \frac{1}{BWH} \sum_{n=1}^B \sum_{x=1}^W \sum_{y=1}^H (a_{ncxy} - \mu_c)^2$$

• Instance normalization (proposed approach)

$$\tilde{a}_{ncxy} = \gamma \frac{a_{ncxy} - \mu_{nc}}{\sqrt{\sigma_{nc}^2 + \varepsilon}} + \beta$$

$$\mu_{nc} = \frac{1}{WH} \sum_{x=1}^{W} \sum_{y=1}^{H} a_{ncxy}, \quad \sigma_{nc}^2 = \frac{1}{WH} \sum_{x=1}^{W} \sum_{y=1}^{H} (a_{ncxy} - \mu_c)^2$$

Comments

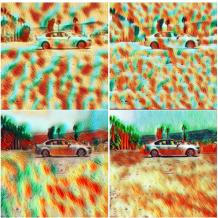
• γ, β - learned parameters.

At test time:

- batch normalization: substitute train sample mean & std.deviation instead of μ_c , σ_c^2 .
- instance normalization: recalculate μ_{nc} , σ_{nc}^2 for test object.

Results with instance normalization are better

Results for generator of Ulyanov (2016) (left) and Johnson (2016) (right). Batch normalization (upper row) and instance normalization (lower row).



Results are robust to contrast/brightness of content

