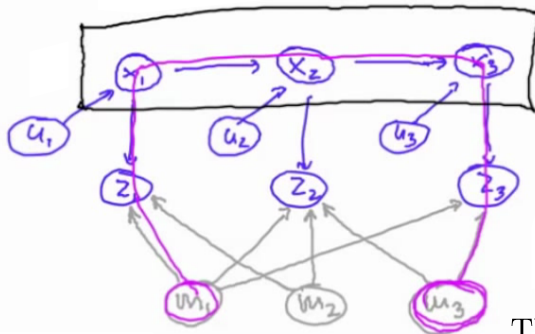


$$p(\text{Map} \mid X_{1:t}, Z_{1:t}, U_{1:t}) = \prod_{j=1}^N p(\vec{p}_{W_j} \mid X_{1:t}, Z_{1:t})$$

Dynamic Bayes network generated from the above process



The term $\vec{p}_{W_j} = \begin{pmatrix} x_{W_j} \\ y_{W_j} \end{pmatrix}$

$j = 1, \dots, N$, represents the random coordinates of the registered world landmark number j within the state vector \vec{x}_t .

The index where the random x coordinate for the registered world landmark j, x_{W_j} , is stored within the state vector \vec{x}_t is:

$$i = 3 + 2j - 1$$

$$p(X_{1:t}, \text{Map} \mid Z_{1:t}, U_{1:t}) =$$

$$p(X_{1:t} \mid Z_{1:t}, U_{1:t})$$

$$\prod_{j=1}^N p(\vec{p}_{W_j} \mid X_{1:t}, Z_{1:t})$$

Particle 1 :	$x_{1:t}^{[1]}$	$\mu_1^{[1]}, \Sigma_1^{[1]}$	$\mu_2^{[1]}, \Sigma_2^{[1]}$...	$\mu_N^{[1]}, \Sigma_N^{[1]}$
Particle 2 :	$x_{1:t}^{[2]}$	$\mu_1^{[2]}, \Sigma_1^{[2]}$	$\mu_2^{[2]}, \Sigma_2^{[2]}$...	$\mu_N^{[2]}, \Sigma_N^{[2]}$
⋮					
Particle M :	$x_{1:t}^{[M]}$	$\mu_1^{[M]}, \Sigma_1^{[M]}$	$\mu_2^{[M]}, \Sigma_2^{[M]}$...	$\mu_N^{[M]}, \Sigma_N^{[M]}$

To represent the distribution of paths



Individual EKF, one for each different landmark that a particular particle observes

Fast-SLAM solves not only the FULL-SLAM problem but also the ONLINE-SLAM problem