Full-SLAM problem Represented with particles $p(X_{1:t}, \text{Map} \mid Z_{1:t}, U_{1:t}) = p(\text{Map} \mid X_{1:t}, Z_{1:t}, U_{1:t}) p(X_{1:t} \mid Z_{1:t}, U_{1:t})$ Entire path $X_{1:t} = \{\vec{x}_1, \vec{x}_2, \dots, \vec{x}_{t-1}, \vec{x}_t\}$ $= \left(\prod_{j=1}^{N} p\left(\vec{p}_{W_j} | X_{1:t}, Z_{1:t}\right)\right) p\left(X_{1:t} | Z_{1:t}, U_{1:t}\right)$

Posterior PDF of the

Conditional independence: — PDF of the landmark position given If the path $X_{1:t}$ is known, then the the entire path and all the measurements positions of the landmarks are independent!

ns of the landmarks are independent!
$$\vec{p}_{Wj} = \begin{pmatrix} x_{Wj} \\ \dots \end{pmatrix}, \quad j = 1, \dots, N$$

 $\vec{p}_{Wj} = \begin{pmatrix} x_{Wj} \\ y_{Wi} \end{pmatrix}, \quad j = 1, \dots, N$

The PDF $p(\vec{p}_{W_i}|X_{1:t}, Z_{1:t})$ is represented as a Gaussian PDF.

An independent EKF is used

for each registered world landmark