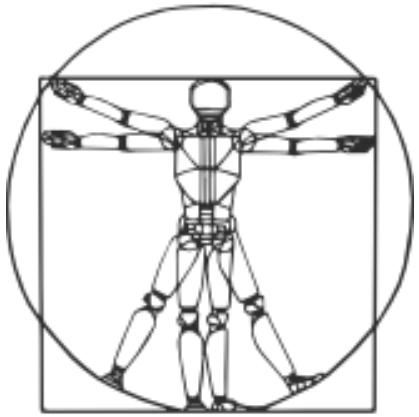

CSC2626
Imitation Learning for Robotics

Florian Shkurti

Week 1: Behavioral Cloning vs. Imitation

New robotics faculty in CS

Jessica Burgner-Kahrs

Animesh Garg

Myself

Igor Gilitschenski

Today's agenda

- Administrivia
- Topics covered by the course
- Behavioral cloning
- Imitation learning
- Quiz about background and interests
- (Time permitting) Query the expert only when policy is uncertain

Administrivia

Administrivia

This is a graduate level course

Course website: http://www.cs.toronto.edu/~florian/courses/csc2626w21

Discussion forum + announcements: https://q.utoronto.ca (Quercus)

Request improvements anonymously: https://www.surveymonkey.com/r/LJJV5LY

Course-related emails should have CSC2626 in the subject

Prerequisites

Mandatory:

- Introductory machine learning (e.g. CSC411/ECE521 or equivalent)
- Basic linear algebra + multivariable calculus
- Intro to probability
- Programming skills in Python or C++ (enough to validate your ideas)

Recommended:

- Experience training neural networks or other function approximators
- Introductory concepts from reinforcement learning or control (e.g. value function/cost-to-go)

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If you're missing any of these this is not the course for you.

You're welcome to audit.

Recommended:

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If you're missing this we can organize tutorials to help you.

Grading

Two assignments: 50%

Course project: 50%

- Project proposal: 10%
- Midterm progress report: 5%
- Project presentation: 5%
- Final project report (6-8 pages) + code: 30%

Project guidelines

http://www.cs.toronto.edu/~florian/courses/csc2626w21/CSC2626_Project_Guidelines.pdf

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} Groups of 2-3

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Guiding principles for this course

Robots do not operate in a vacuum. They do not need to learn everything from scratch.

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Robots need to learn from the behavior and experience of others, not just their own.

Main questions

How can robots incorporate others' decisions into their own?

How can robots easily understand our objectives from demonstrations?

How do we balance autonomous control and human control in the same system?

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Learning from demonstrations
Apprenticeship learning
Imitation learning

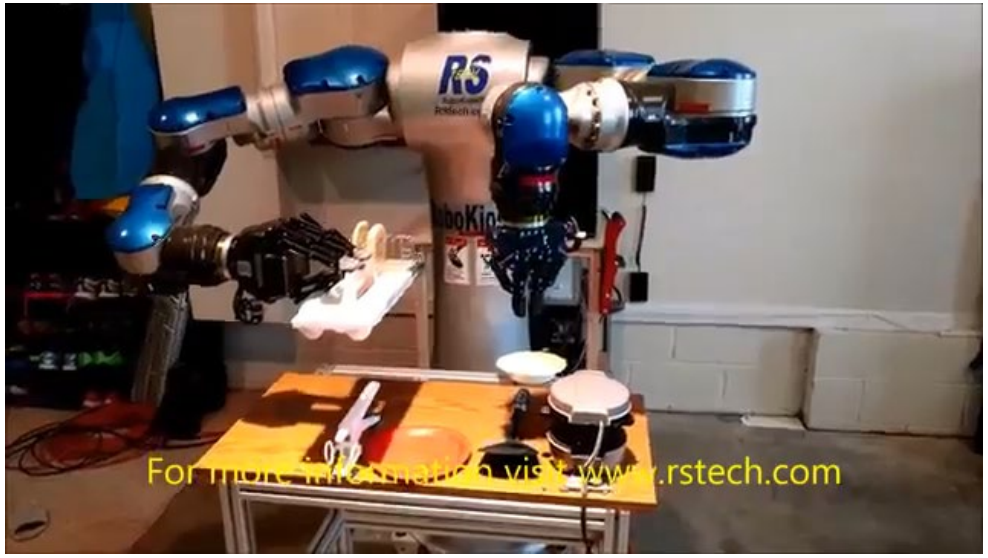
Reward/cost learning
Task specification
Inverse reinforcement learning
Inverse optimal control
Inverse optimization

Shared or sliding autonomy

Applications

Any control problem where:

- **writing down a dense cost function is difficult**
- there is a hierarchy of decision-making processes
- our engineered solutions might not cover all cases
- unrestricted exploration during learning is slow or dangerous



https://www.youtube.com/watch?v=M8r0gmQXm1Y

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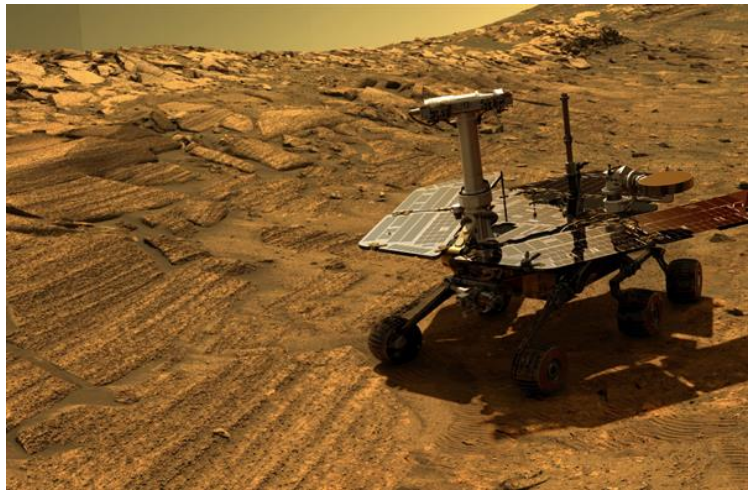

Robot explorer

Applications

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https://www.youtube.com/watch?v=0XdC1HUp-rU

Back to the future

https://www.youtube.com/watch?v=2KMAAmkz9go

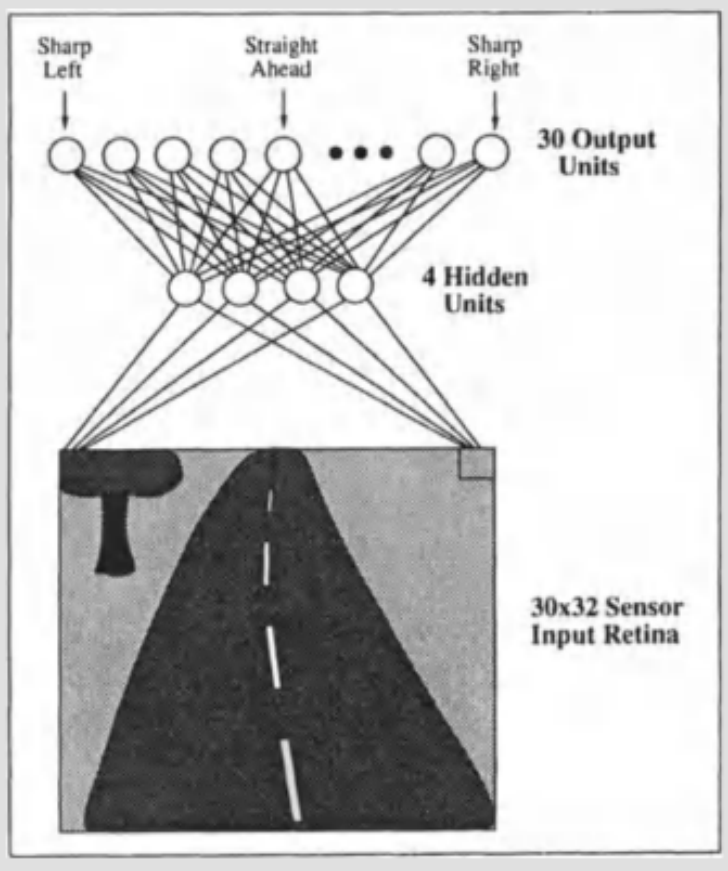
Navlab 1 (1986-1989)

https://www.youtube.com/watch?v=ilP4aPDTBPE

Navlab 2 + ALVINN (Dean Pomerleau's PhD thesis, 1989-1993)

30 x 32 pixels, 3 layer network, outputs steering command
~5 minutes of training per road type

ALVINN: architecture



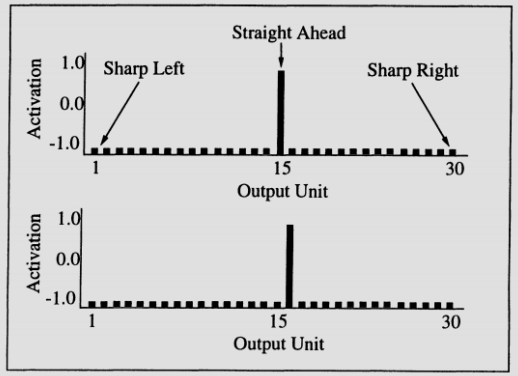


Figure 2.7: The representation of two steering directions using a "one-of-N" encoding. The top graph represents a straight ahead steering direction, since the middle output unit is activated. The bottom graph represents a slight right turn, since an output unit slightly right of center is activated.

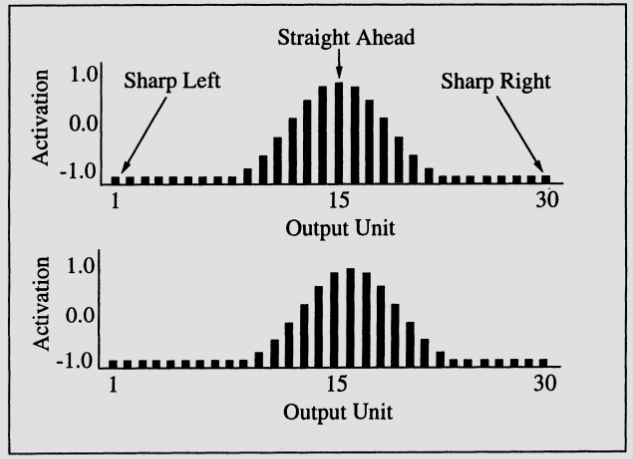


Figure 2.10: The representation of two steering directions using a gaussian output encoding. The top graph represents a straight ahead steering direction, since the gaussian "hill" of activation is centered on the middle output unit. The bottom graph represents a slight right turn, since the "hill" of activation is centered slightly right of the middle unit.

https://drive.google.com/file/d/0Bz9namoRIUKMa0pJYzRGSFVwbm8/view

Dean Pomerleau's PhD thesis

ALVINN: training set

To generate synthetic training data for the task of autonomous road following, I developed a program that generated aerial views of simulated stretches of roads and then used a model of the camera to back-project the aerial map into a 2D image of the road ahead. The simulated road image generator used nearly 200 parameters in order to generate a variety of realistic road images. Some of the most important parameters are listed in Figure 3.1.

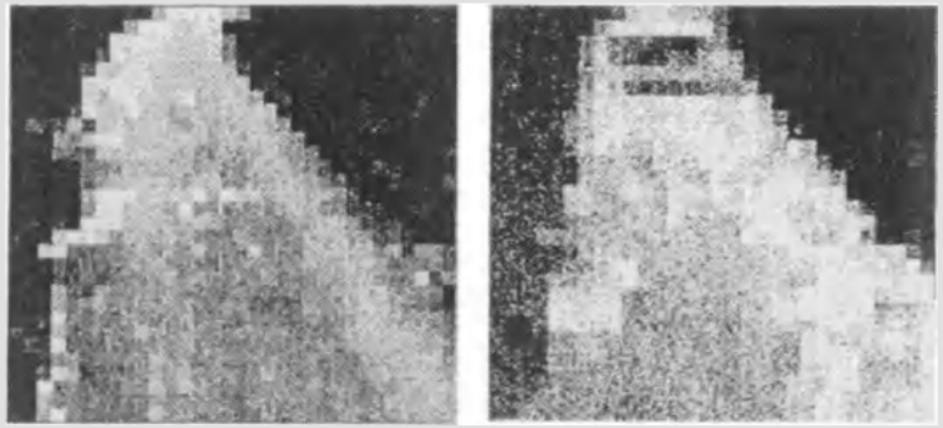
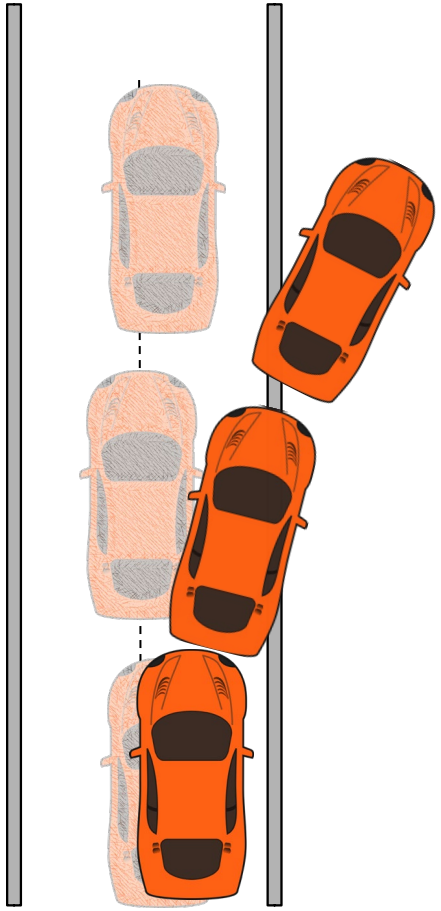


Figure 3.2: A low resolution video image of a single lane road (left) and an artificial single lane road image created by the road image generator (right).

3.2 Training "on-the-fly" with Real Data

Online updates via backpropagation

Problems Identified by Pomerlau



Test distribution is different from training distribution (covariate shift)

the vehicle back to the middle of the road. The second problem is that naively training the network with only the current video image and steering direction may cause it to overlearn recent inputs. If the person drives the Navlab down a stretch of straight road at the end of training, the network will be presented with a long sequence of similar images. This sustained lack of diversity in the training set will cause the network to "forget" what it had learned about driving on curved roads and instead learn to always steer straight ahead.

Catastrophic forgetting

(Partially) Addressing Covariate Shift

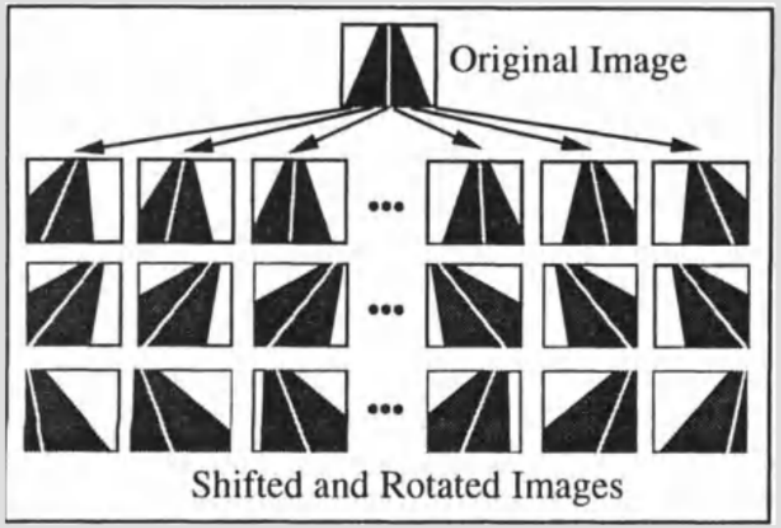
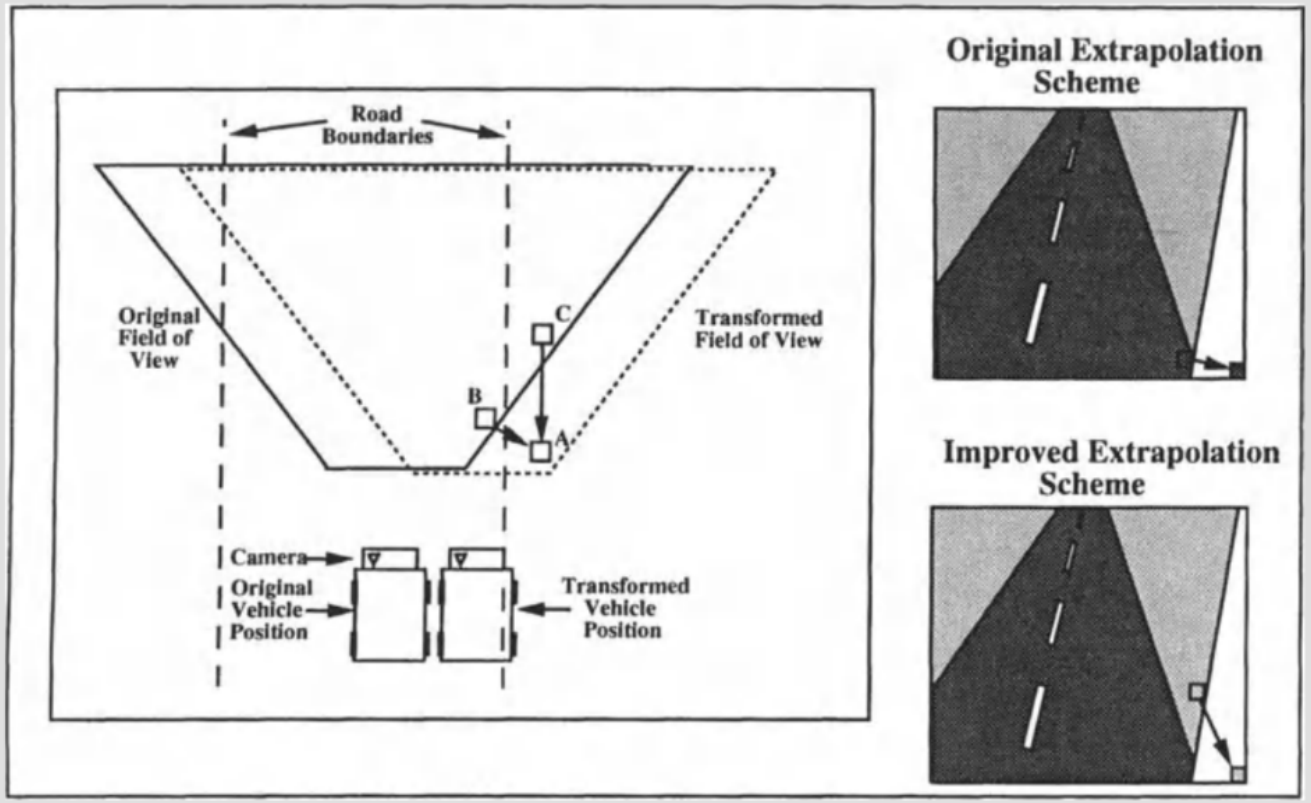


Figure 3.4: The single original video image is shifted and rotated to create multiple training exemplars in which the vehicle appears to be at different locations relative to the road.



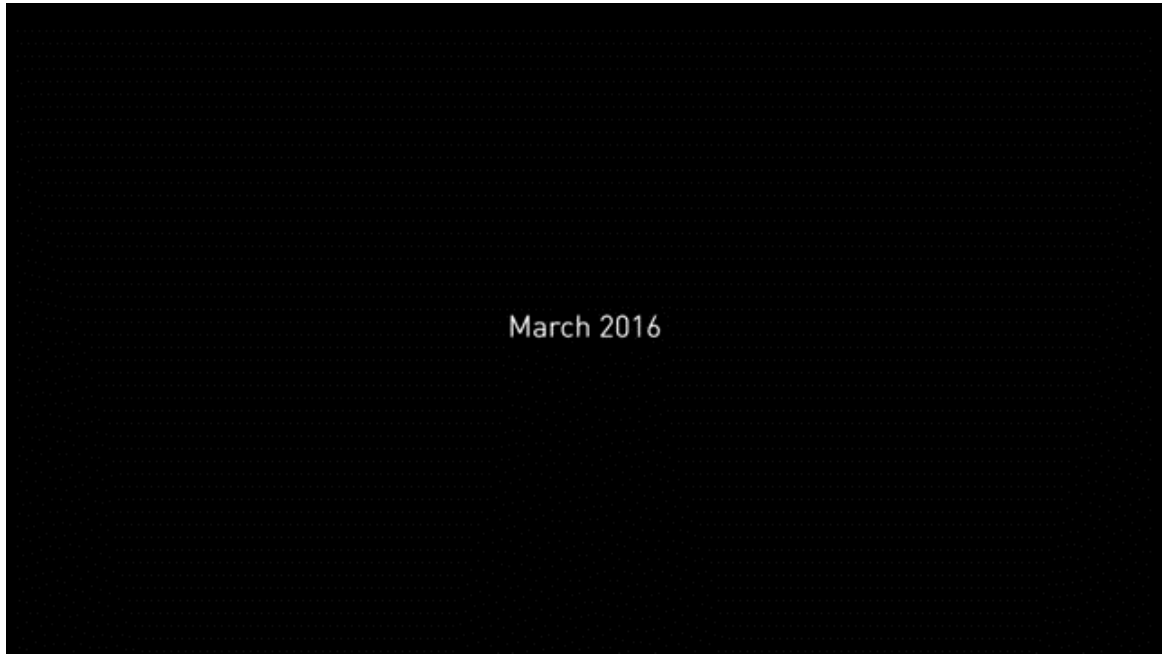
(Partially) Addressing Catastrophic Forgetting

1. Maintains a buffer of old (image, action) pairs

2. Experiments with different techniques to ensure diversity and avoid outliers

Behavioral Cloning = Supervised Learning

25 years later



https://www.youtube.com/watch?v=qhUvQiKec2U

How much has changed?

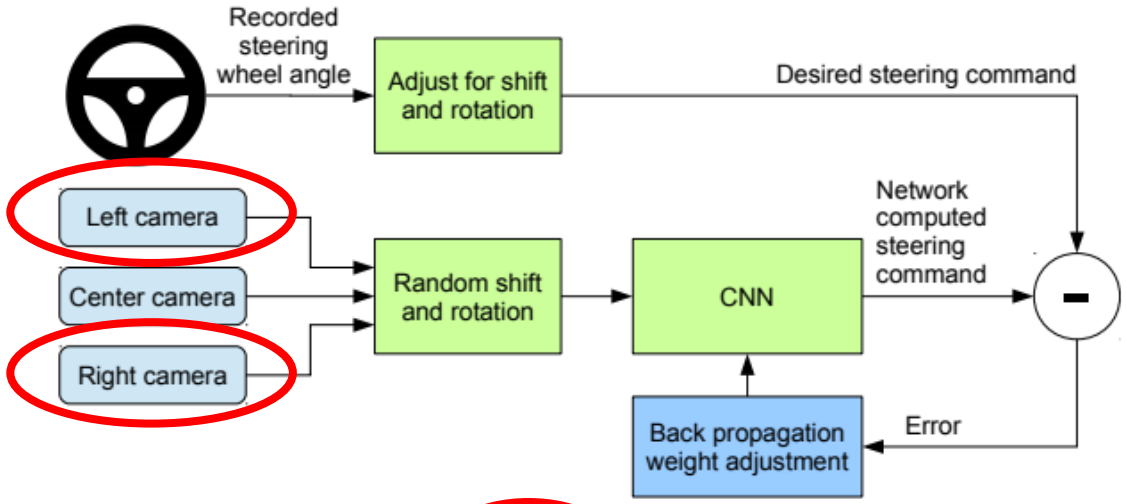


Figure 2: Training the neural network.

offline

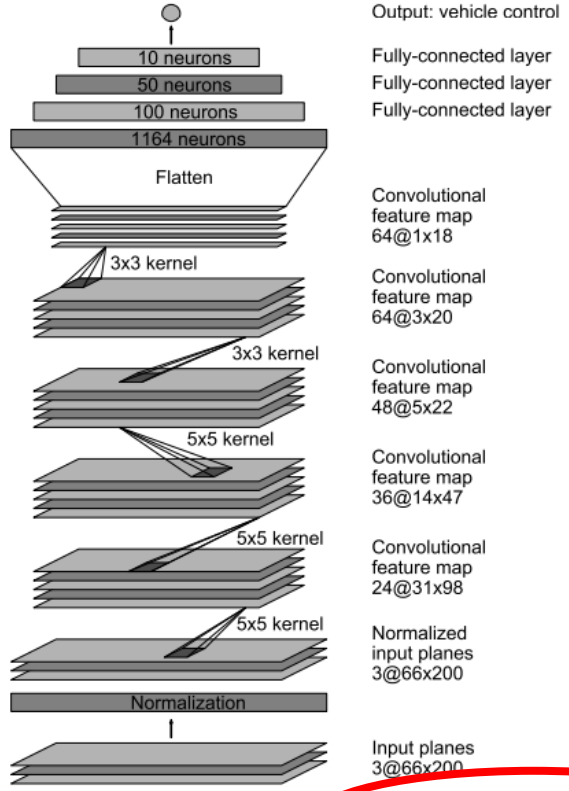


Figure 4: CNN architecture. The network has about 27 million connections and 250 thousand parameters.

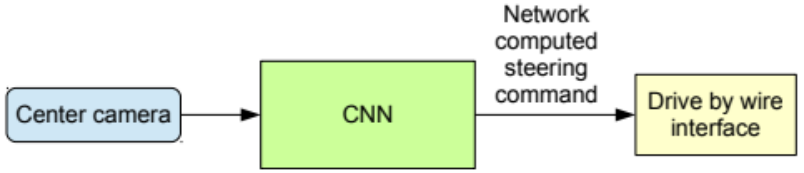
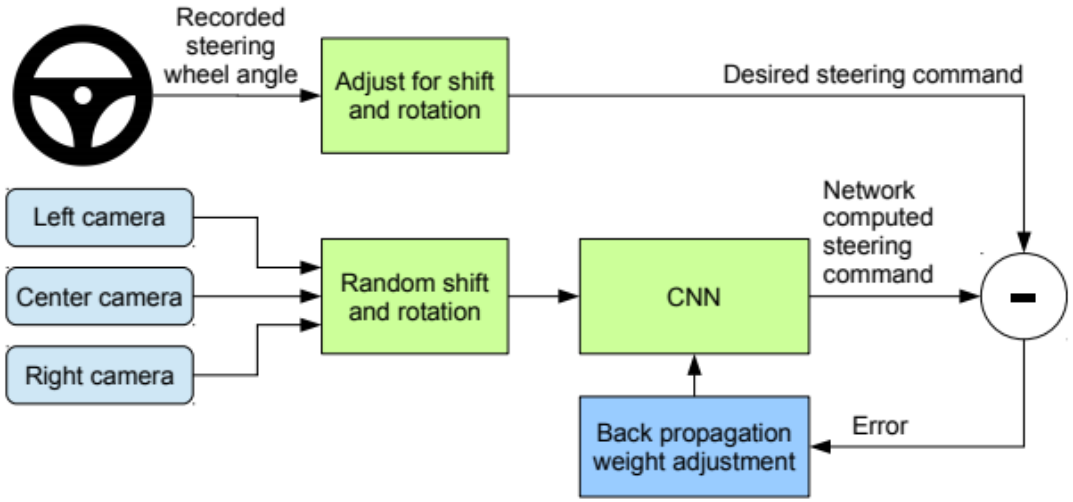


Figure 3: The trained network is used to generate steering commands from a single front-facing center camera.

End to End Learning for Self-Driving Cars, Bojarski et al, 2016

How much has changed?



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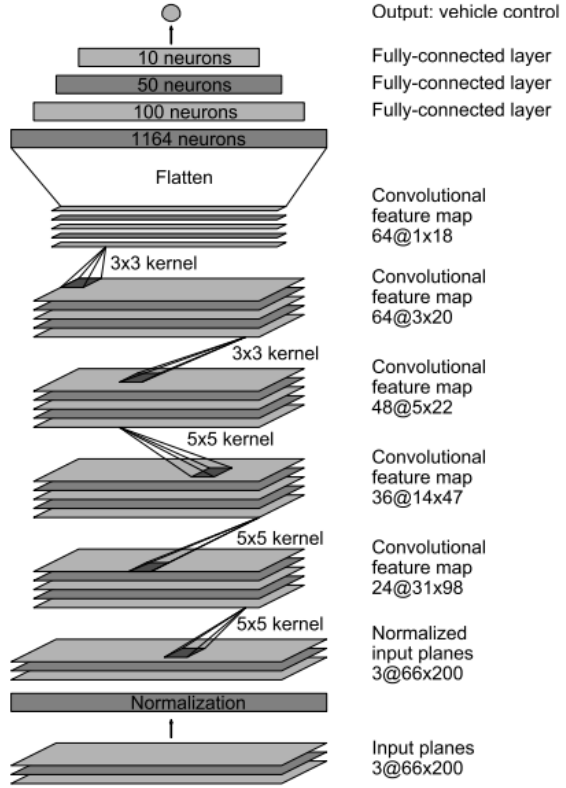

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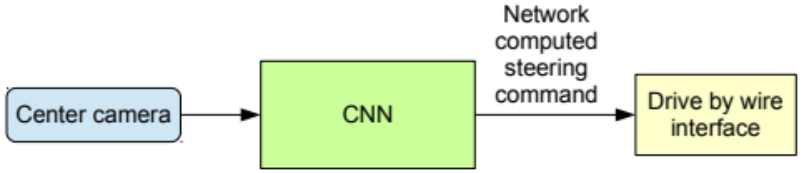


Figure 3: The trained network is used to generate steering commands from a single front-facing center camera.

"Our collected data is labeled with road type, weather condition, and the driver's activity (staying in a lane, switching lanes, turning, and so forth)."

End to End Learning for Self-Driving Cars, Bojarski et al, 2016

How much has changed?

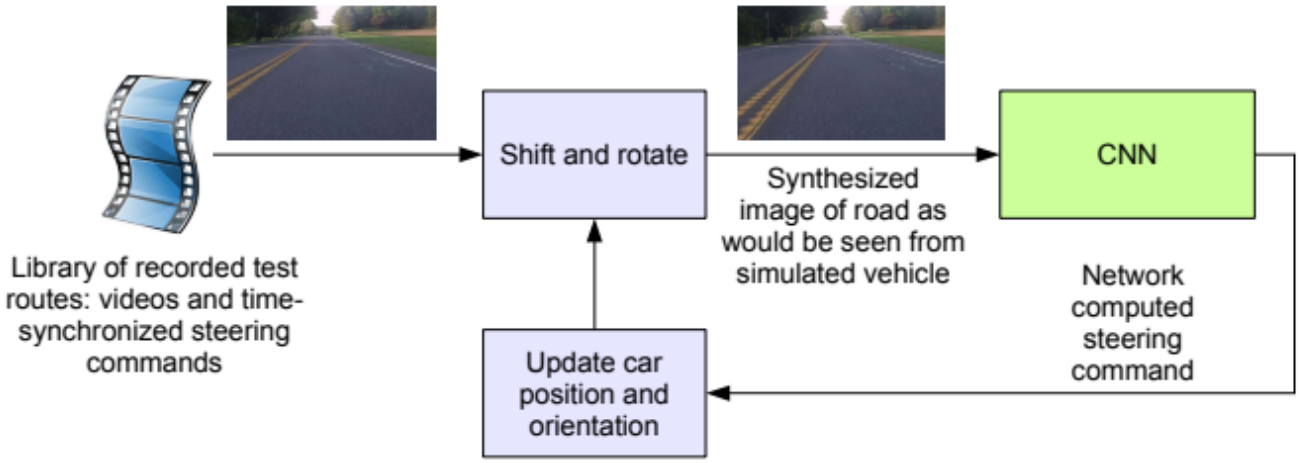
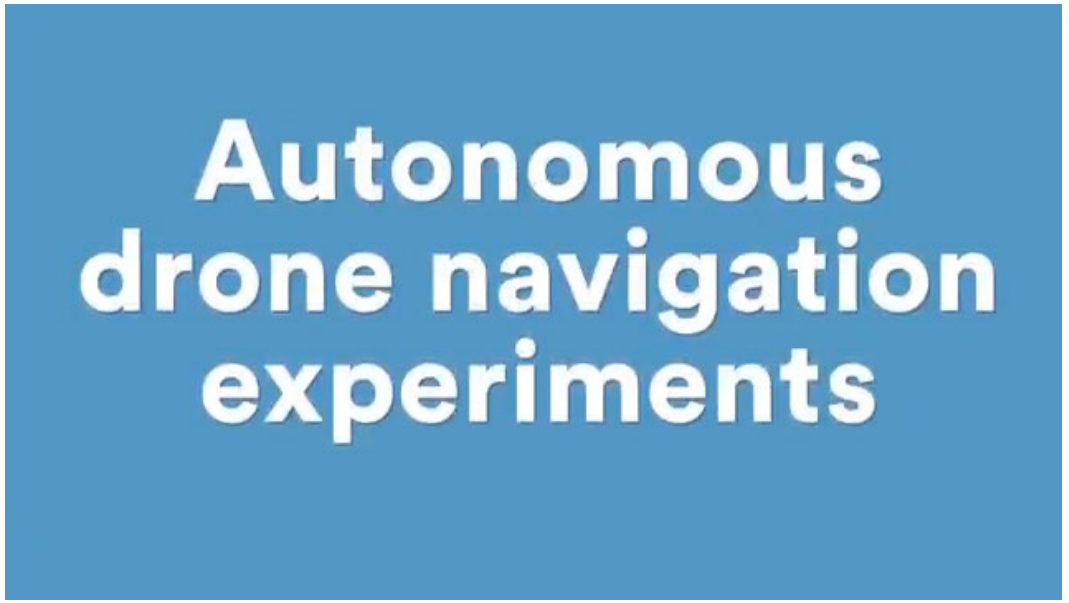


Figure 5: Block-diagram of the drive simulator.

How much has changed?



A Machine Learning Approach to Visual Perception of Forest Trails for Mobile Robots, Giusti et al., 2016

https://www.youtube.com/watch?v=umRdt3zGgpU

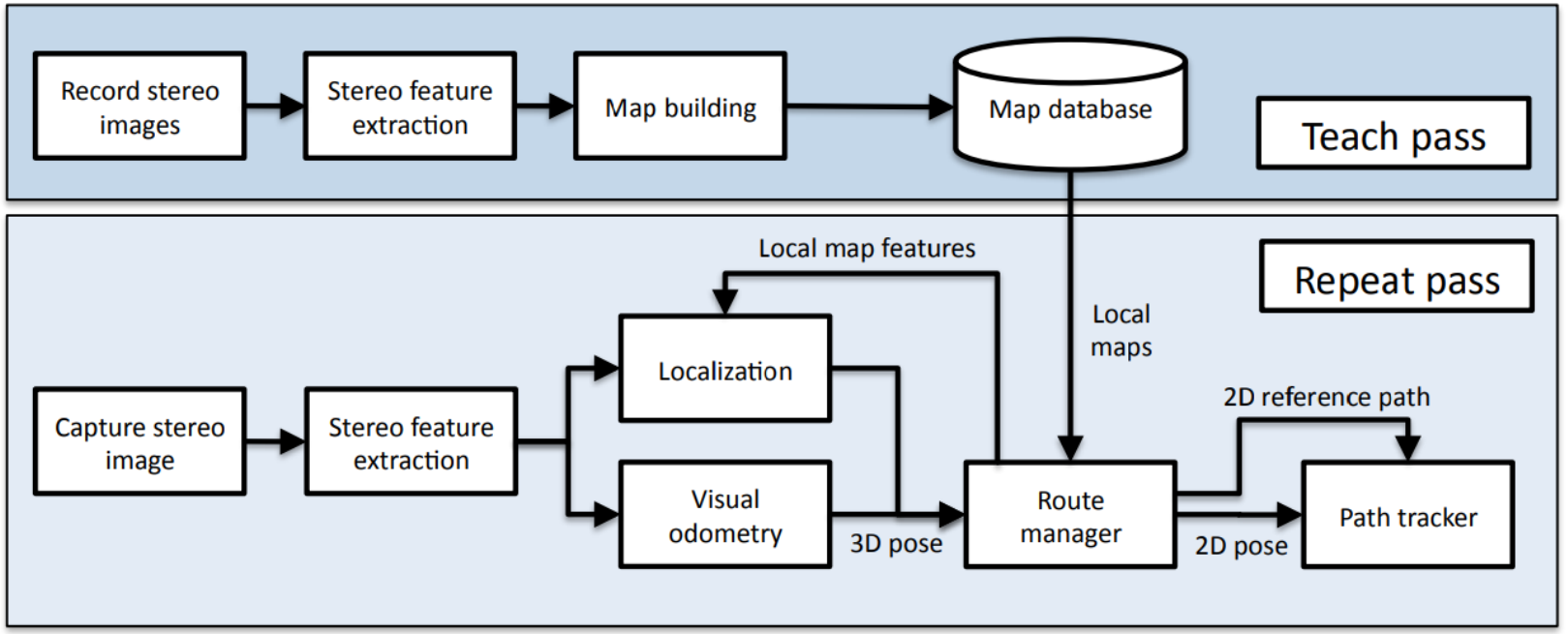
How much has changed?

Not a lot for learning lane following with neural networks.

But, there are a few other beautiful ideas that do not involve end-to-end learning.

Visual Teach & Repeat

Human Operator or
Planning Algorithm



Visual Path Following on a Manifold in Unstructured Three-Dimensional Terrain, Furgale & Barfoot, 2010

Visual Teach & Repeat

Key Idea #1: Manifold Map

Build local maps relative to the path. No global coordinate frame.

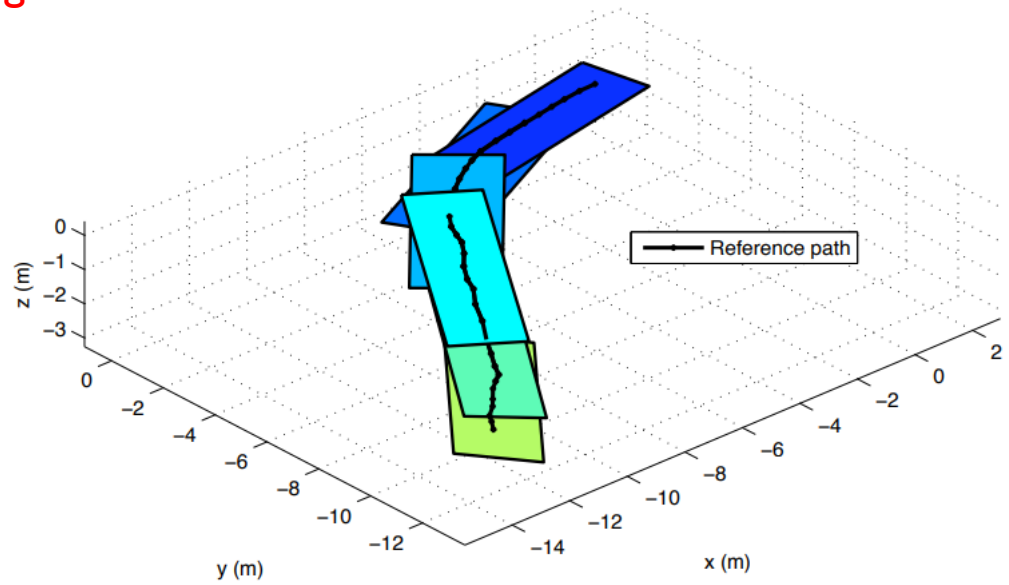


Fig. 5. A view of six overlapping submaps with the reference path plotted above.

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Visual Teach & Repeat

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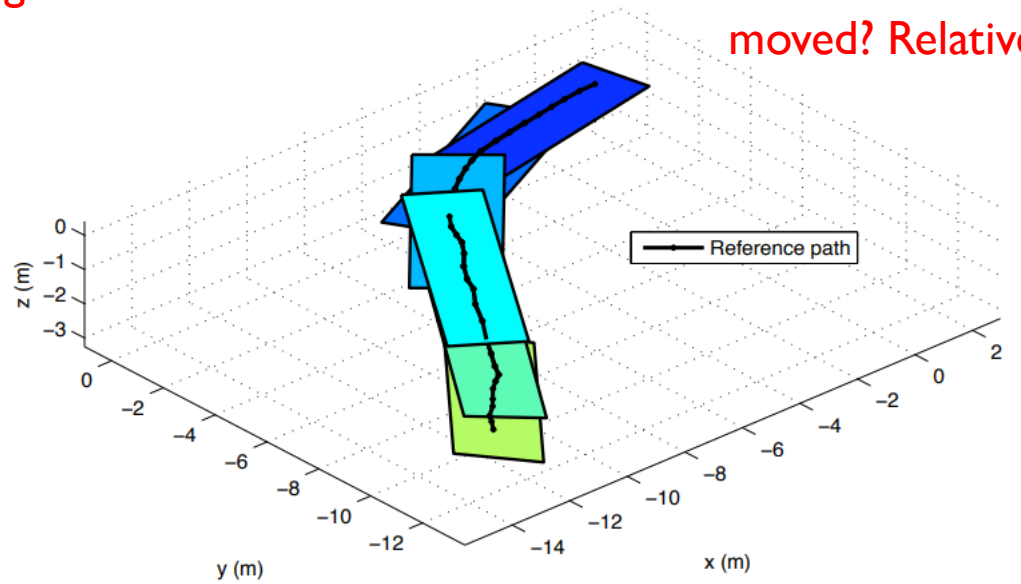

Fig. 5. A view of six overlapping submaps with the reference path plotted above.

Key Idea #2: Visual Odometry

Given two consecutive images, how much has the camera moved? Relative motion.

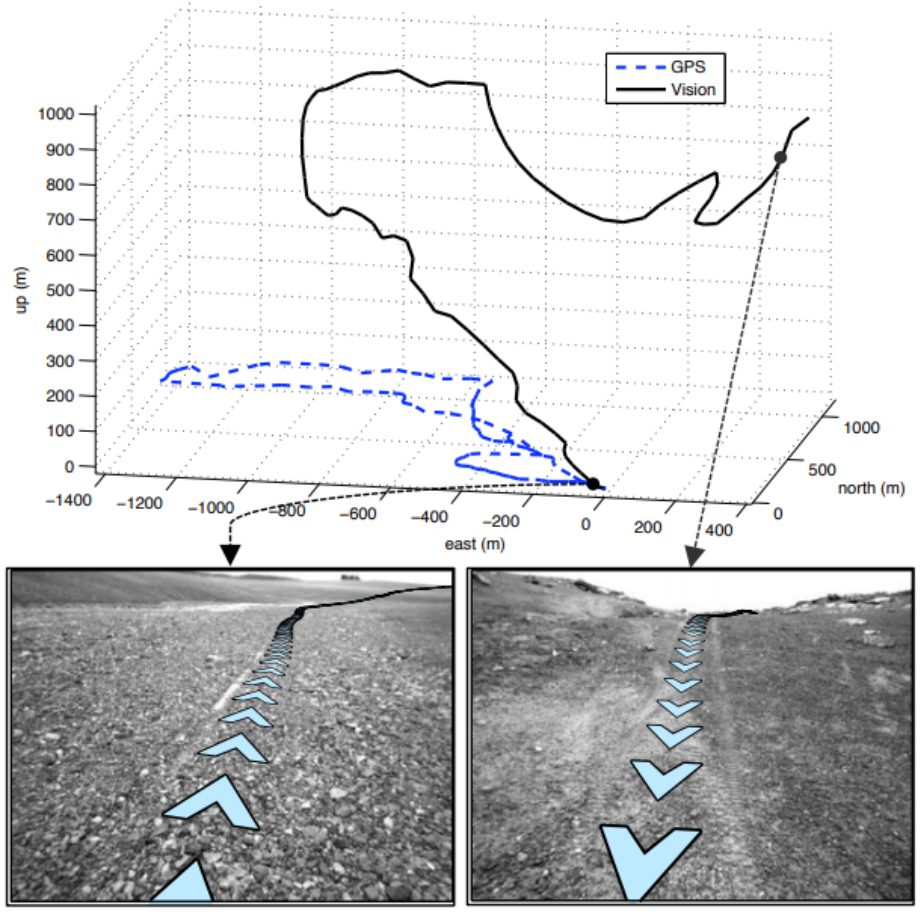

Fig. 6. The visual reconstruction of a five kilometer rover traverse plotted against GPS (Top). Although the reconstruction is wildly inaccurate at this scale, locally it is good enough to enable retracing of the route. The bottom images show views from either end of the path, with the reference path plotted as a series of chevrons. To the rover, the map is locally Euclidean.

Visual Path Following on a Manifold in Unstructured Three-Dimensional Terrain, Furgale & Barfoot, 2010

Visual Teach & Repeat

https://www.youtube.com/watch?v=_ZdBfU4xJnQ

https://www.youtube.com/watch?v=9dN0wwXDuqo

Centimeter-level precision in tracking the demonstrated path over kilometers-long trails.

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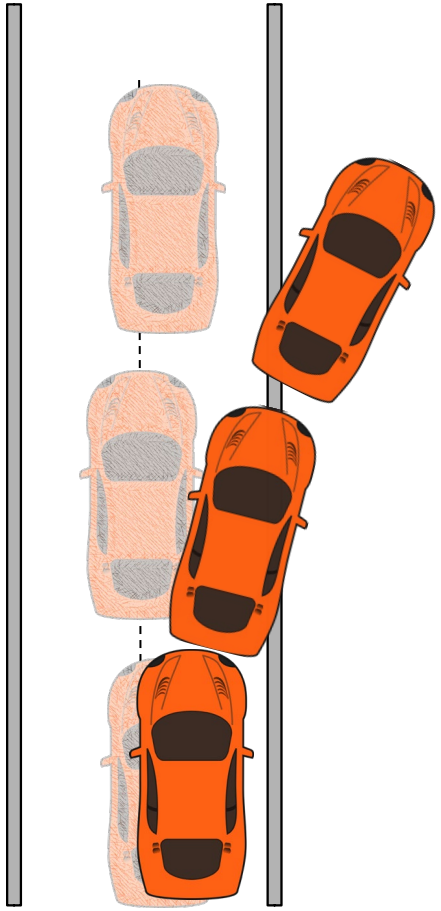
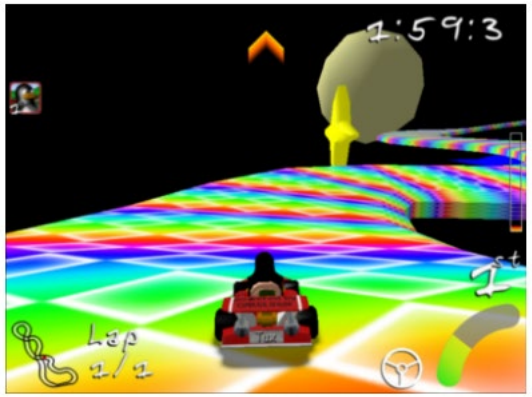
Back to Pomerleau



Test distribution is different from training distribution (covariate shift)

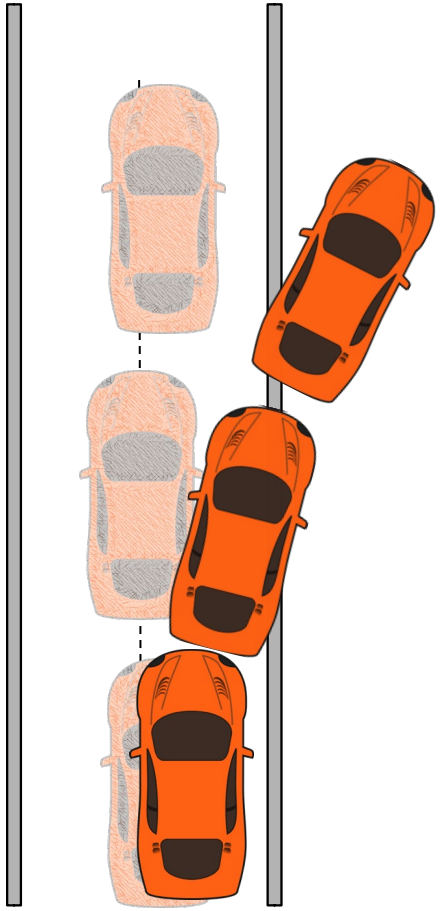
(Ross & Bagnell, 2010): How are we sure these errors are not due to overfitting or underfitting?

1. Maybe the network was too small (underfitting)
2. Maybe the dataset was too small and the network overfit it



Steering commands $\pi_\theta(s) = \theta^\top s$
where s are image features

Back to Pomerleau



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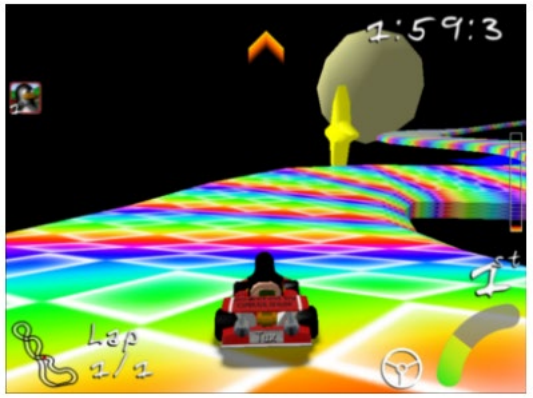
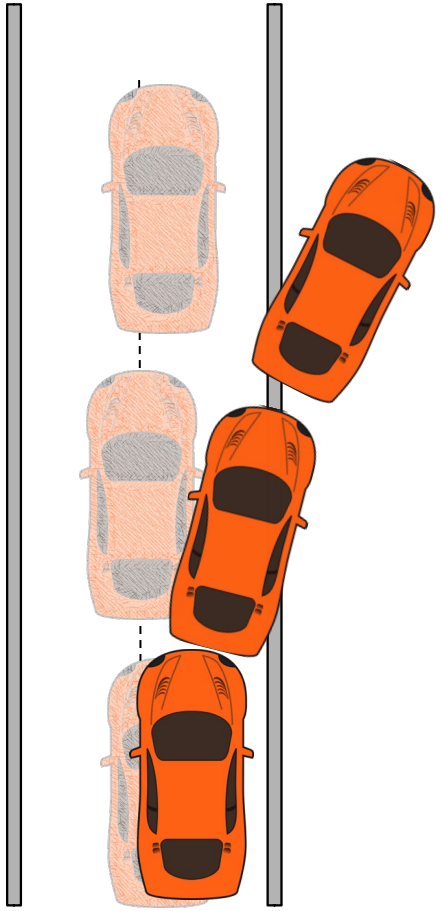


Steering commands $\pi_\theta(s) = \theta^\top s$
where s are image features

It was not 1: they showed that even a linear policy can work well.
It was not 2: their error on held-out data was close to training error.

Imitation learning $\neq$ Supervised learning



Test distribution is different from training distribution (covariate shift)

(Ross & Bagnell, 2010): IL is a sequential decision-making problem.

- Your actions affect future observations/data.
- This is not the case in supervised learning

Supervised Learning

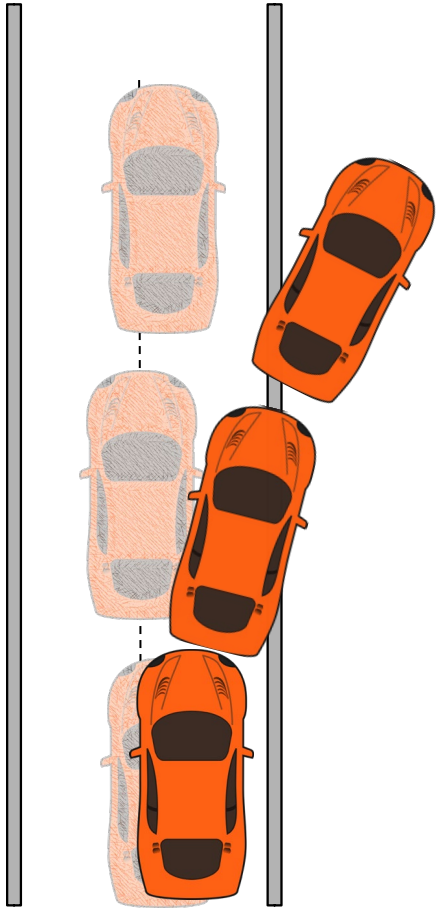
Assumes train/test data are i.i.d.

If expected training error is ϵ
Expected test error after T decisions

$$T\epsilon$$

Errors are independent

Imitation learning $\neq$ Supervised learning



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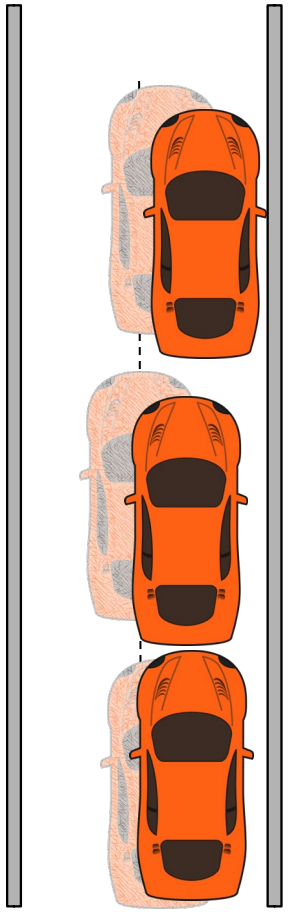
Imitation Learning	$\longleftarrow$	**Supervised Learning**
Train/test data are not i.i.d.		Assumes train/test data are i.i.d.
If expected training error is ϵ Expected test error after T decisions is up to $T^2\epsilon$		If expected training error is ϵ Expected test error after T decisions $T\epsilon$
Errors compound		Errors are independent

DAgger



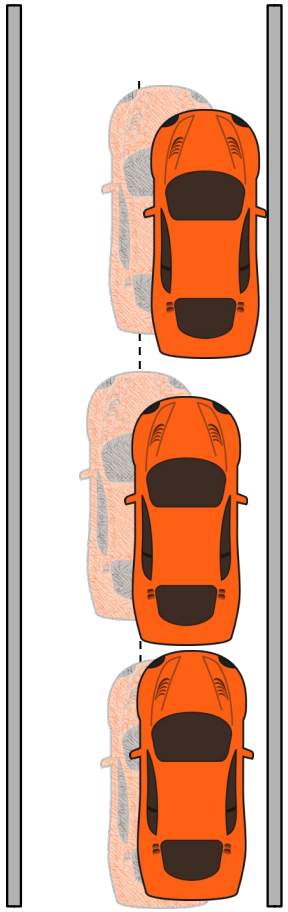
(Ross & Gordon & Bagnell, 2011): DAgger, or Dataset Aggregation

- Imitation learning as interactive supervision
- Aggregate training data from expert with test data from execution

Algorithm 1 DAgger

1: $D = \{(s, a)\}$ initial expert demonstrations
2: $\theta_1 \leftarrow$ train learner's policy parameters on D
3: **for** $i = 1...N$ **do**
4: Execute learner's policy π_{θ_i}, get visited states $S_{\theta_i} = \{s_0, ..., s_T\}$
5: Query the expert at those states to get actions $A = \{a_0, ..., a_T\}$
6: Aggregate dataset $D = D \cup \{(s, a) \mid s \in S_{\theta_i}, \ a \in A\}$
7: Train learner's policy $\pi_{\theta_{i+1}}$ on dataset D
8: Return one of the policies π_{θ_i} that performs best on validation set

DAgger



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Imitation Learning via DAgger

Train/test data are not i.i.d.

If expected training error on aggr. dataset is ϵ
Expected test error after T decisions is

$$O(T\epsilon)$$

Errors do not compound

Supervised Learning

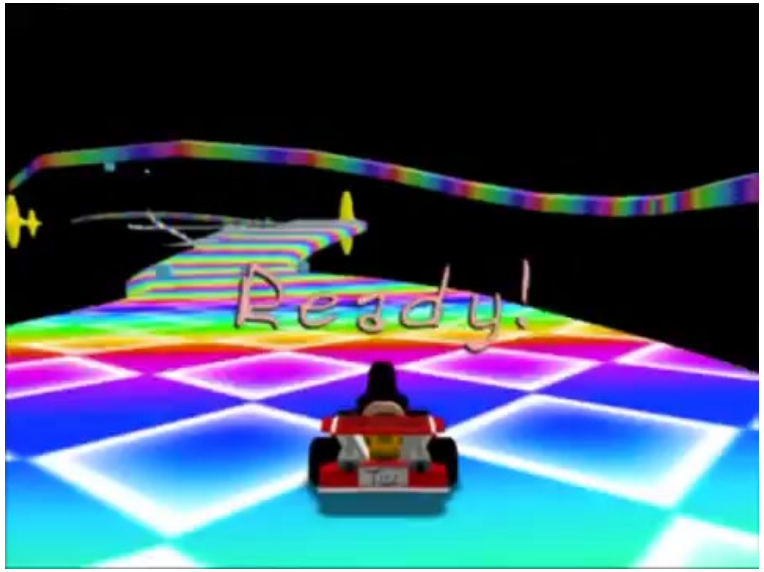
Assumes train/test data are i.i.d.

If expected training error is ϵ
Expected test error after T decisions

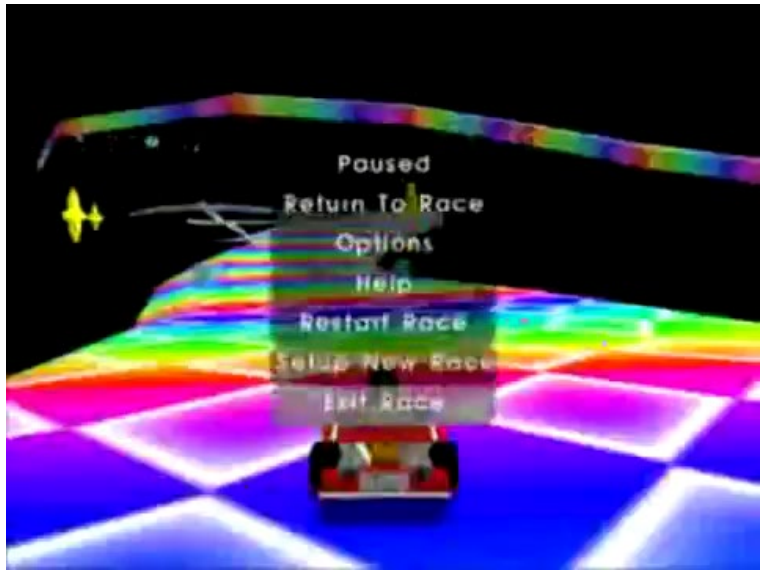
$$T\epsilon$$

Errors are independent

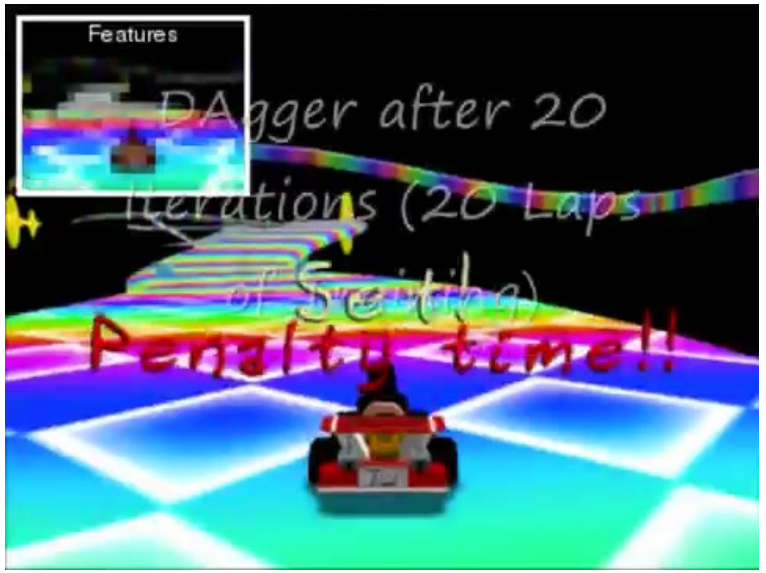
DAgger



Initial expert trajectories



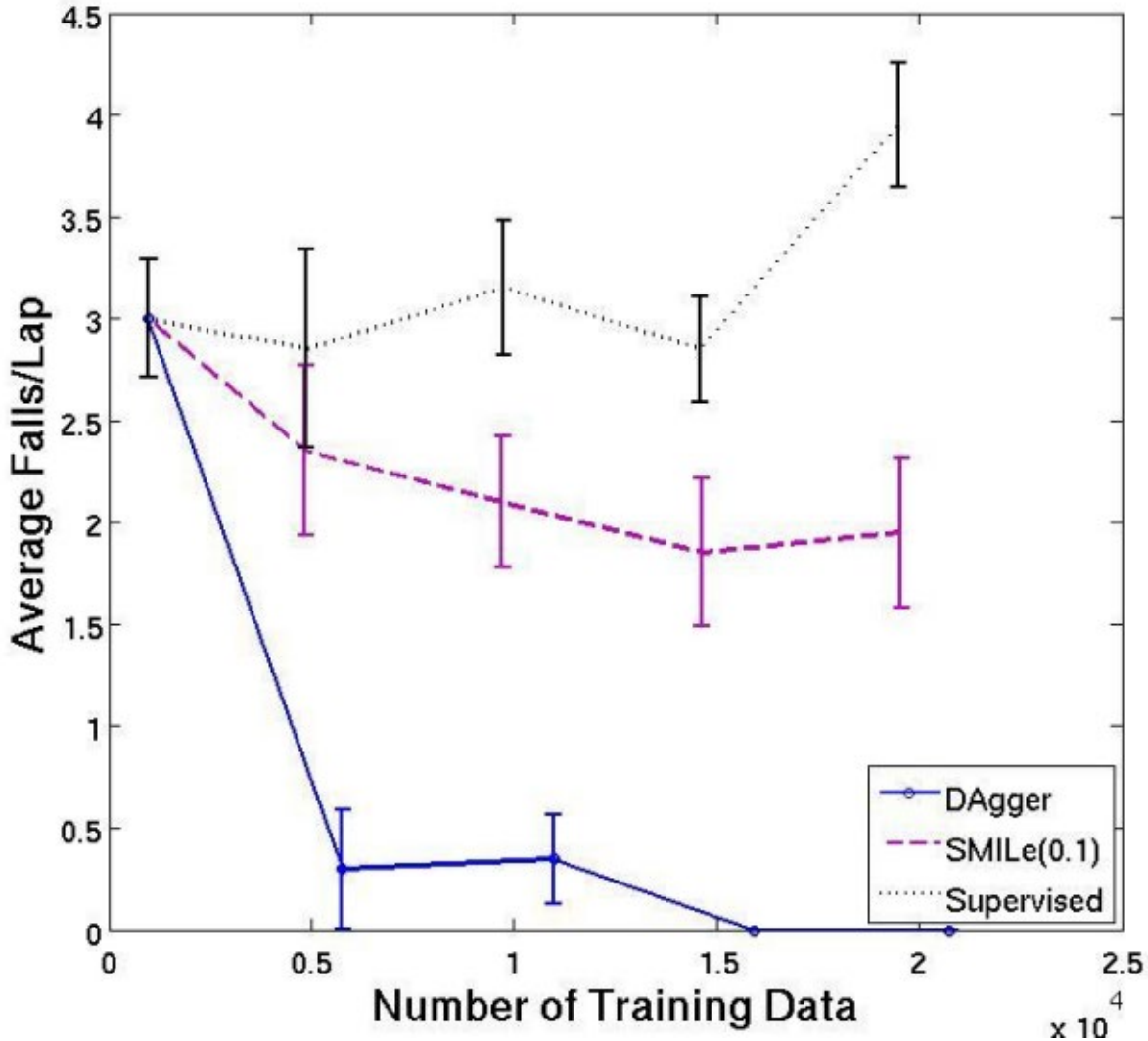
Supervised learning



DAgger

https://www.youtube.com/watch?v=V00npNnWzSU

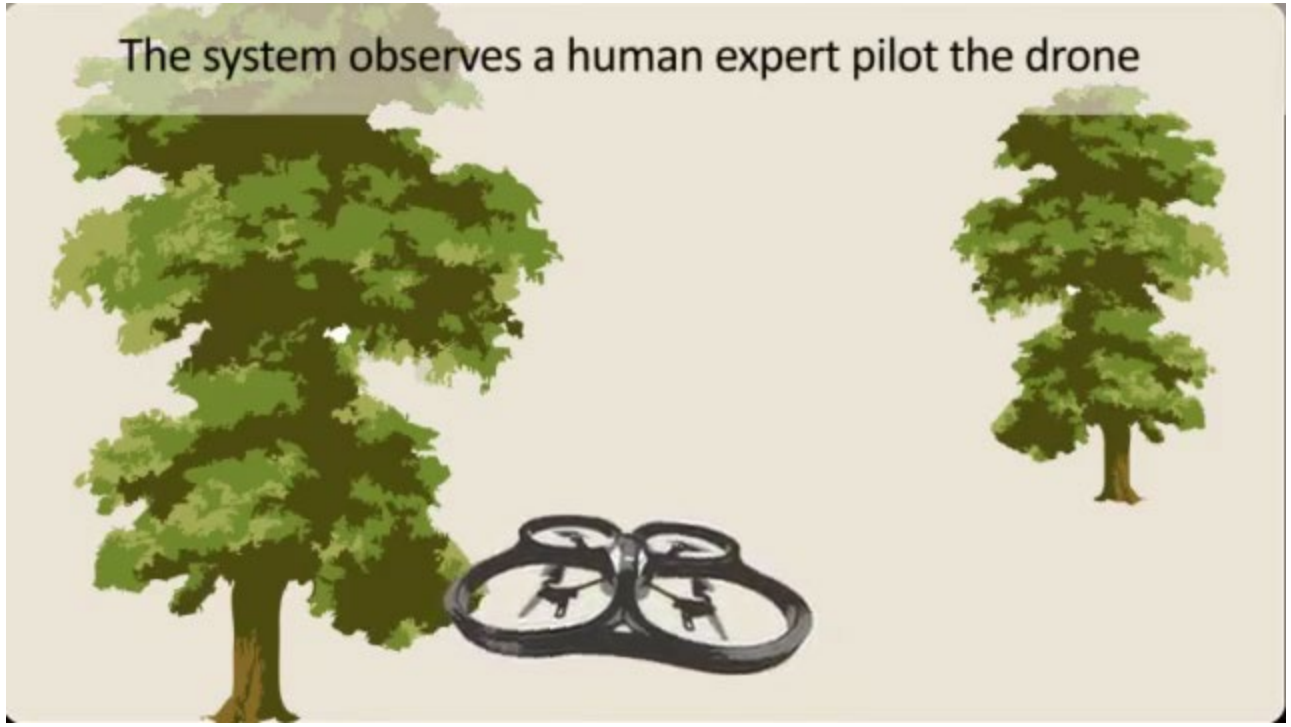
DAgger


Average Falls/Lap
Number of Training Data
x 10^4
DAgger
SMILe(0.1)
Supervised
0
0.5
1
1.5
2
2.5
3
3.5
4
4.5

DAgger

Q: Any drawbacks of using it in a robotics setting?

DAgger



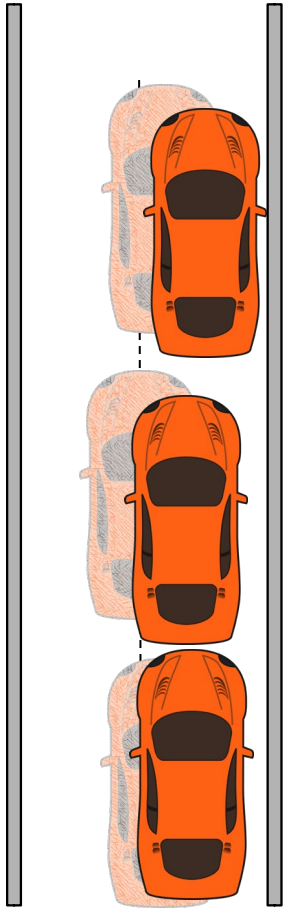
https://www.youtube.com/watch?v=hNsP6-K3Hn4

Learning Monocular Reactive UAV Control in Cluttered Natural Environments, Ross et al, 2013

Today's agenda

- Administrivia
- Topics covered by the course
- Behavioral cloning
- Imitation learning
- Quiz about background and interests
- (Time permitting) Query the expert only when policy is uncertain

DAgger: Assumptions for theoretical guarantees



Strongly convex loss
No-regret online learner

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Appendix: No-Regret Online Learners

Intuition: No matter what the distribution of input data, your online policy/classifier will do asymptotically as well as the best-in-hindsight policy/classifier.

$$r_N = \frac{1}{N}\sum_{i=1}^{N} L_i(\theta_i) - \min_{\theta \in \Theta}\left[\frac{1}{N}\sum_{i=1}^{N} L_i(\theta)\right]$$

Policy has access to data up to round i

Policy has access to data up to round N

No-regret: $\lim_{N\to\infty} r_N = 0$

Appendix: Types of Uncertainty & Query-Efficient Imitation

Let's revisit the two main ideas from query-efficient imitation:

1. DropoutDAgger:
   Keep an ensemble of learner policies, and only query the expert when they significantly disagree

2. SHIV, SafeDagger, MMD-IL:
   (Roughly) Query expert only if input is too close to the decision boundary of the learner's policy

Need to review a few concepts about different types of uncertainty.

Biased Coin

$$p(\text{heads}_3 \mid \underbrace{\text{heads}_1, \text{heads}_2}) = ?$$

observations

Biased Coin

$$p(\text{heads}_3 \mid \text{heads}_1, \text{heads}_2) = \int p(\text{heads}_3 \mid \theta) \underbrace{p(\theta \mid \text{heads}_1, \text{heads}_2)}_{\text{how biased is the coin?}} d\theta$$

Biased Coin

$$p(\text{heads}_3 \mid \text{heads}_1, \text{heads}_2) = \int p(\text{heads}_3 \mid \theta) \underbrace{p(\theta \mid \text{heads}_1, \text{heads}_2)}_{\text{how biased is the coin?}} d\theta$$

Induces uncertainty in the model, or epistemic uncertainty, which asymptotically goes to 0 with infinite observations

Biased Coin

$$p(\text{heads}_3 \mid \text{heads}_1, \text{heads}_2) = \int p(\text{heads}_3 \mid \theta) p(\theta \mid \text{heads}_1, \text{heads}_2) d\theta$$

Q: Even if you eventually discover the true model, can you predict if the next flip will be heads?

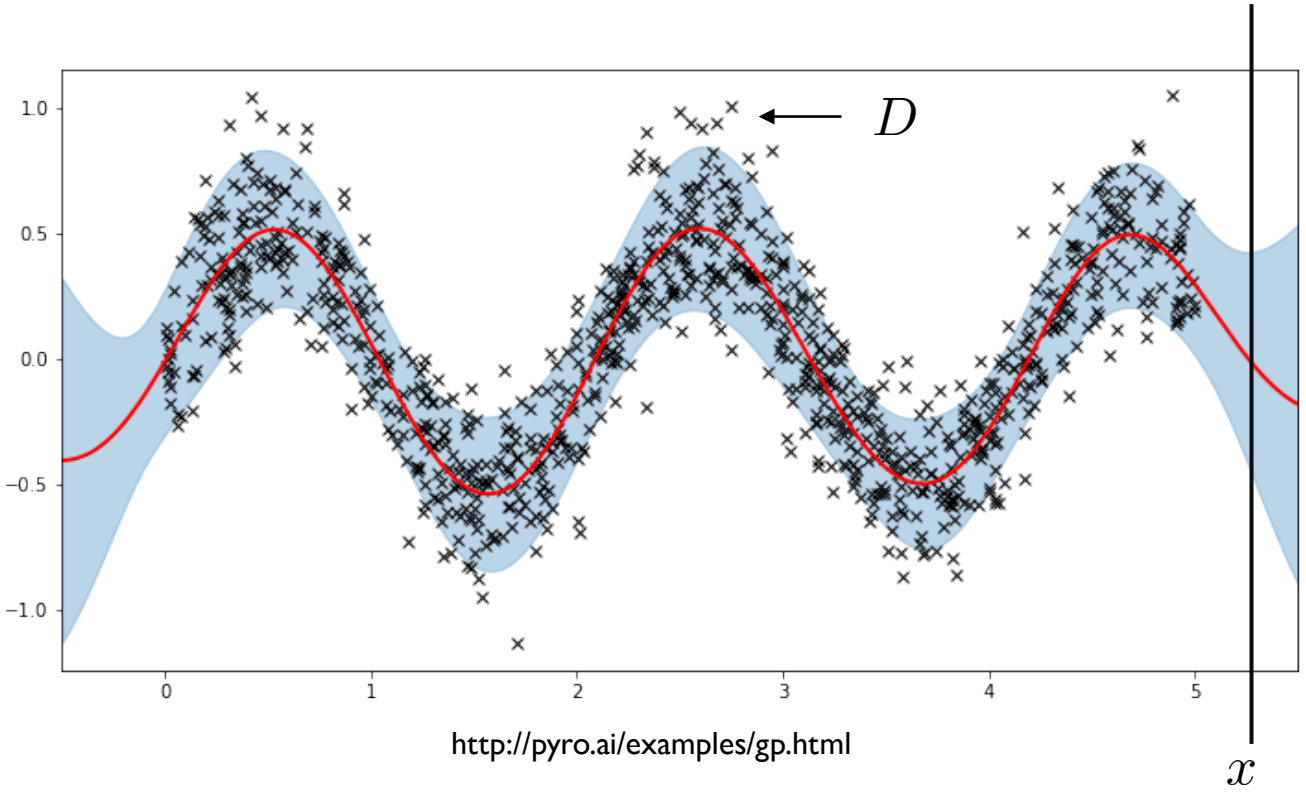
Biased Coin

$$p(\text{heads}_3 \mid \text{heads}_1, \text{heads}_2) = \int p(\text{heads}_3 \mid \theta) p(\theta \mid \text{heads}_1, \text{heads}_2) d\theta$$

Q: Even if you eventually discover the true model, can you predict if the next flip will be heads?

A: No, there is irreducible uncertainty / observation noise in the system. This is called aleatoric uncertainty.

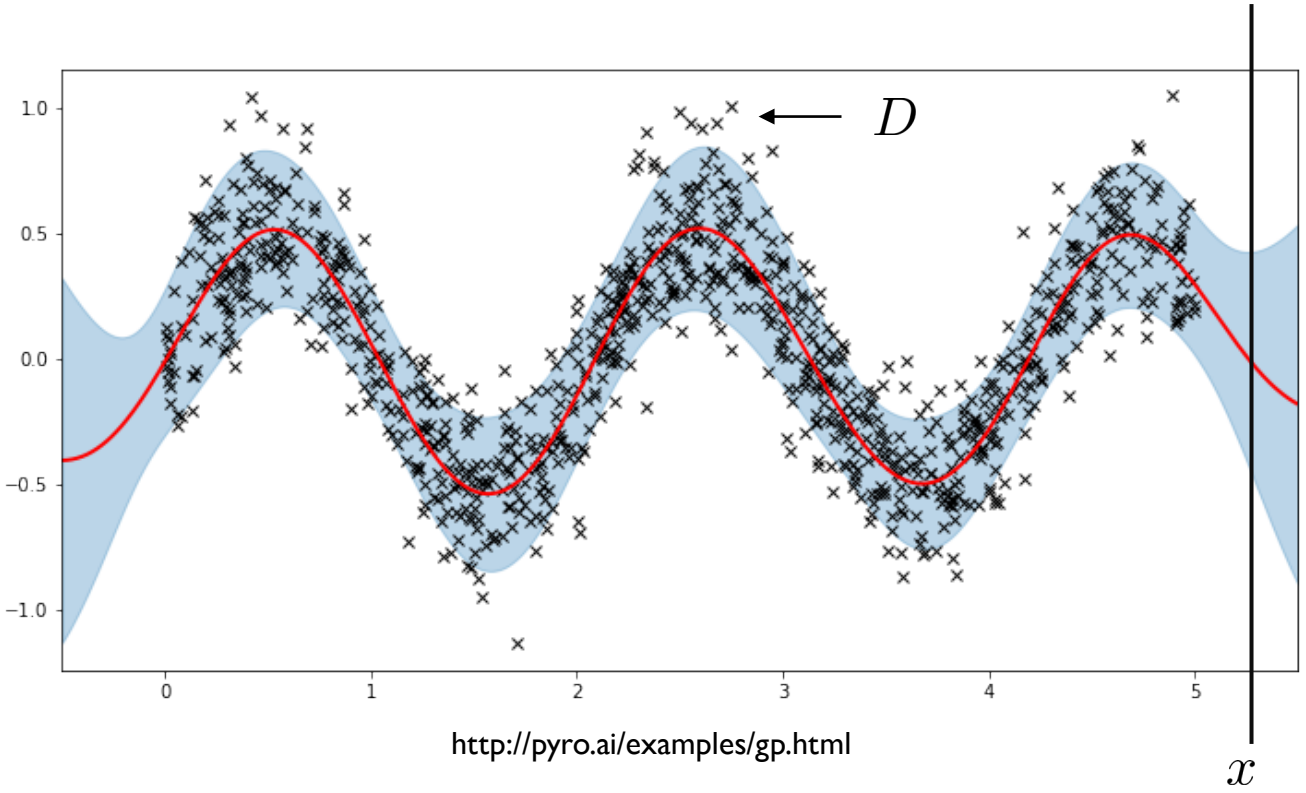
Gaussian Process Regression



http://pyro.ai/examples/gp.html

$$p(y|x, D) = ?$$

Gaussian Process Regression



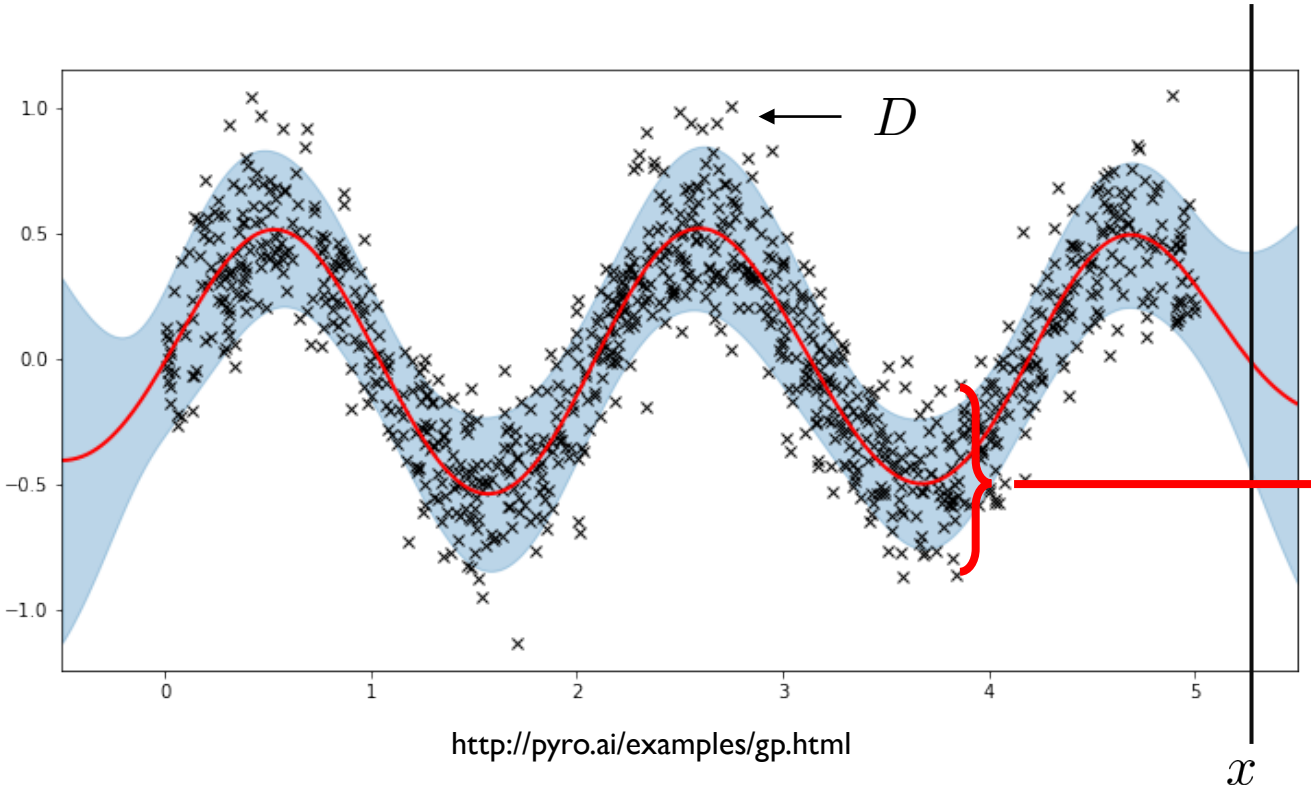
http://pyro.ai/examples/gp.html

$$p(y|x, D) = \int p(y|f)\; p(f|x, D) df$$

$f|x, D \sim \mathcal{N}(f; 0, K)$ Zero mean prior over functions

$y|f \sim \mathcal{N}(y; f, \sigma^2)$ Noisy observations

Gaussian Process Regression



http://pyro.ai/examples/gp.html

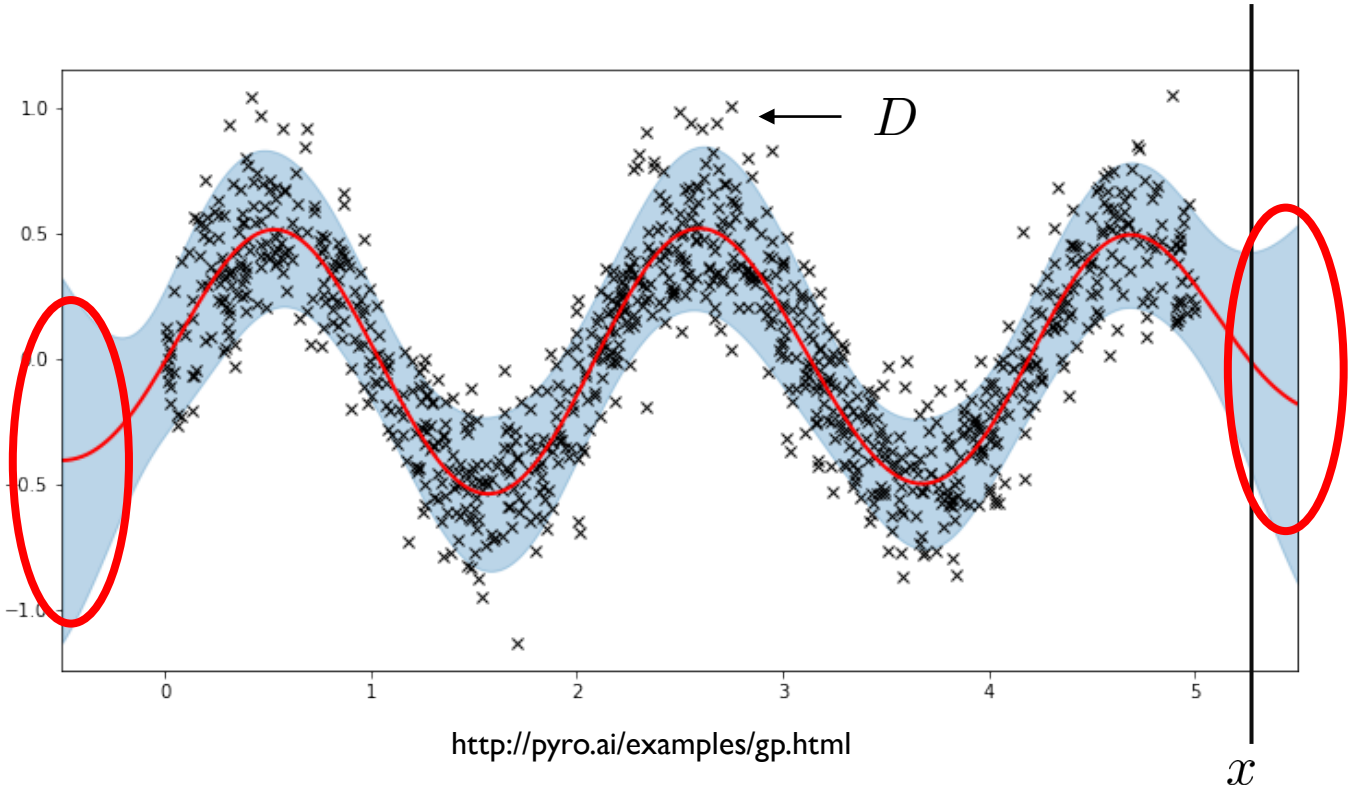
No matter how much data we get, this observation noise will not go to zero

$$p(y|x, D) = \int p(y|f)\, p(f|x, D) df$$

$f|x, D \sim \mathcal{N}(f; 0, K)$ Zero mean prior over functions

$y|f \sim \mathcal{N}(y; f, \sigma^2)$ Noisy observations

Gaussian Process Regression



http://pyro.ai/examples/gp.html

If we get data here we can reduce model / epistemic uncertainty

$$p(y|x, D) = \int p(y|f)\, p(f|x, D) df$$

$f|x, D \sim \mathcal{N}(f; 0, K)$ Zero mean prior over functions

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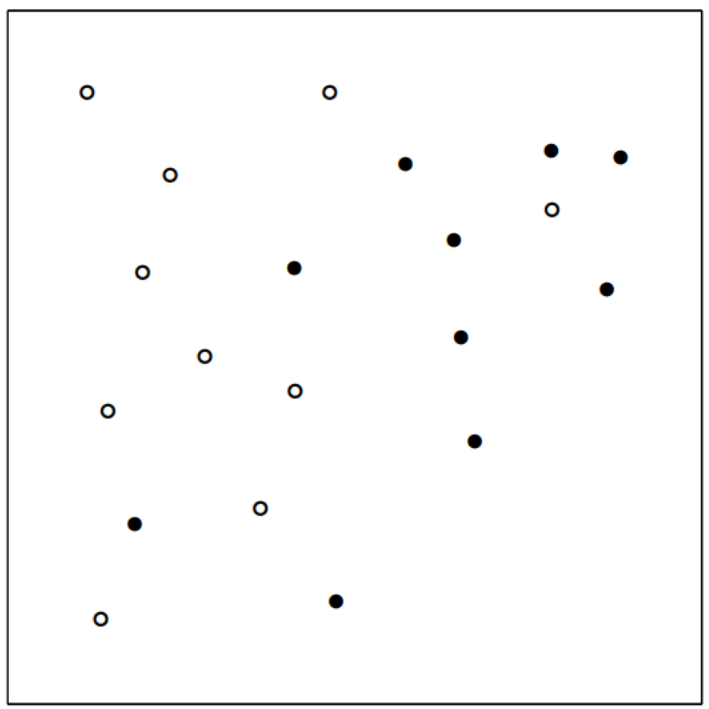
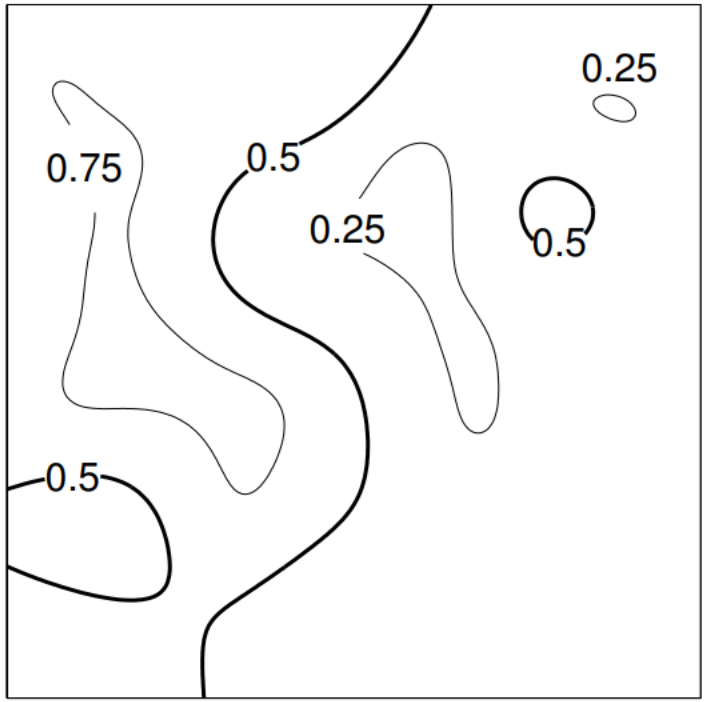
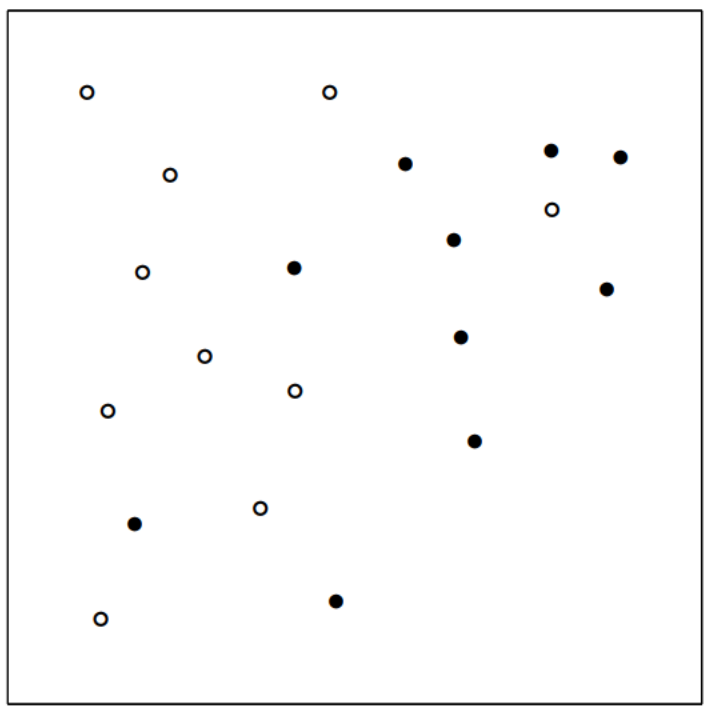
Gaussian Process Classification

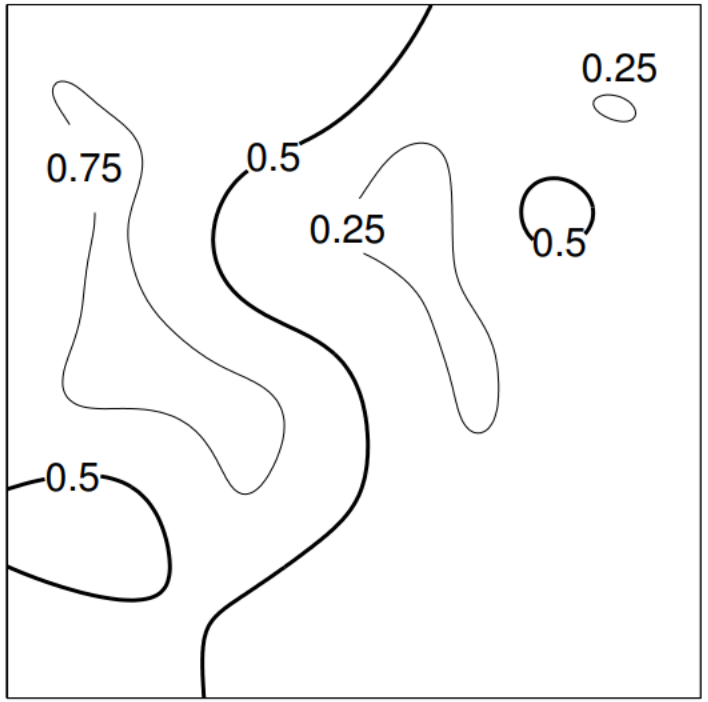




Gaussian Processes for Machine Learning, chapter 2

Gaussian Process Classification vs SVM





Gaussian Processes for Machine Learning, chapter 2

GP handles uncertainty in f by averaging
while SVM considers only best f for classification.

Model Uncertainty in Neural Networks

Want $p(y|x, D) = \int p(y|x, f)\ p(f|D)df$

But easier to control network weights $p(y|x, D) = \int p(y|x, w)\ p(w|D)dw$

Model Uncertainty in Neural Networks

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How do we represent posterior over network weights?
How do we quickly sample from it?

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How do we represent posterior over network weights?
How do we quickly sample from it?

Main ideas:

1. Use an ensemble of networks trained on different copies of D (bootstrap method)

2. Use an approximate distribution over weights (Dropout, Bayes by Backprop, …)

3. Use MCMC to sample weights

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$\text{argmin}_\theta \; KL(q_\theta(w)||p(w|D))$

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$q(y|x) = \int p(y|x, w)\ q_{\theta^*}(w)dw$

Variational inference

$\theta^* = \text{argmin}_\theta\ KL(q_\theta(w)||p(w|D))$

Model Uncertainty in Neural Networks

Want $p(y|x, D) = \int p(y|x, f)\ p(f|D)df$

But easier to control network weights $p(y|x, D) = \int p(y|x, w)\ p(w|D)dw$

approximates

$q(y|x) = \int p(y|x, w)\ q_{\theta^*}(w)dw$

Variational inference

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