

## BACS2003 Artificial Intelligence

Chap 5: Knowledge Representation (Semantic Nets and Ontology)

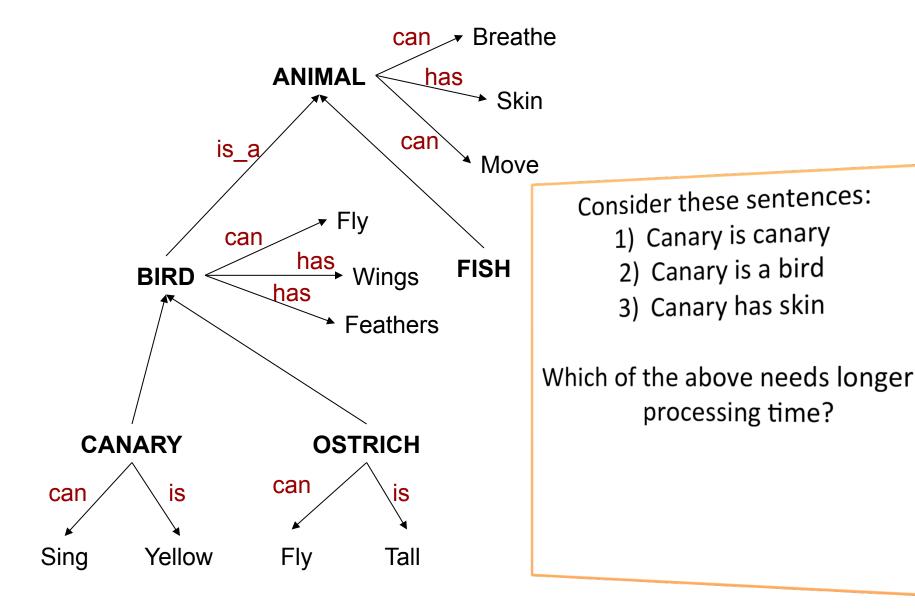
## Aims

(R)

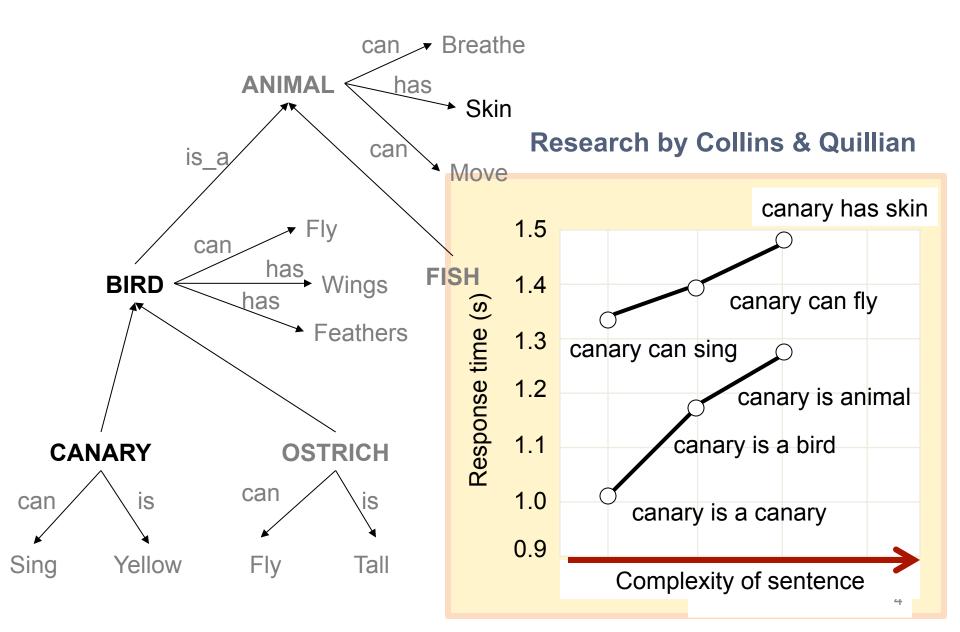
- Semantic Network
- Conceptual Graph
- And/Or Graph
- Ontology



### **Example of semantic network**



### human information storage and response times





## **Semantic Nets**

Relationship to other concepts

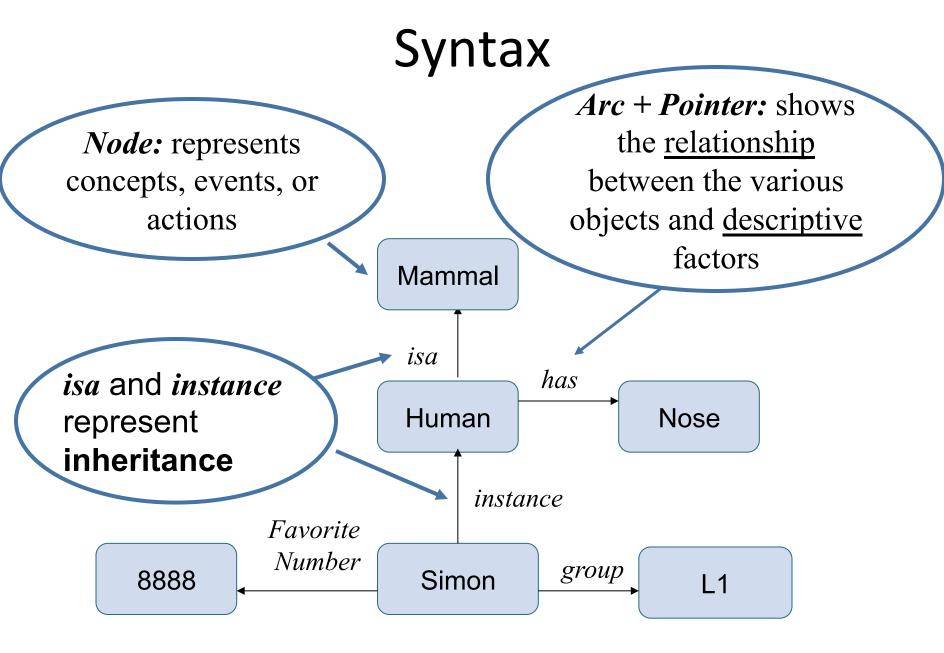
**Semantic Nets** 

concepts: interconnecting nodes

**Associationist Theory** 

relationships: Labelled arcs

- The meaning of a concept comes from its relationship to other concepts
- Associationist theories: define the meaning of an object in terms of a network of associations with other object
- The information is stored by interconnecting nodes with labelled arcs



## Example

1. "Ziggy is 10 years old"

age(Ziggy, 10)

age

Ziggy

10

2. "Tweety the bird, can sing"

 $bird(Tweety) \cap can(Tweety, sing)$ 







1. Represent the following statement into ONE semantic network.

"Ice is cold and clear"

## Question



Represent the terms below into **ONE** semantic network.

construction(human, biological).

construction(robot, mechanical).

 $isa(X, human) \rightarrow isa(X, autonomous-system).$ 

 $isa(X,robot) \rightarrow isa(X,autonomous-system).$ 

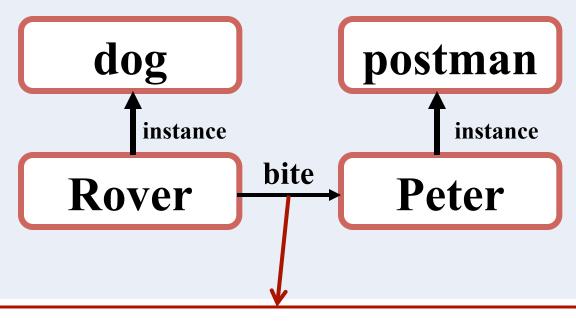
isa(John, human).

isa(Roomba, robot).



Rover, the dog bit Peter, the postman

dog(Rover) \(^\) bite(Rover, Peter) \(^\) postman(Peter)

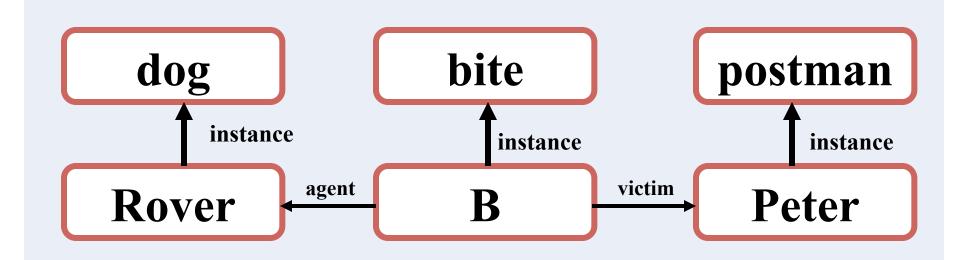


if we also would like to extend the event bite...



Rover, the dog bit Peter, the postman

dog(Rover) ^ bite(Rover, Peter) ^ postman(Peter)



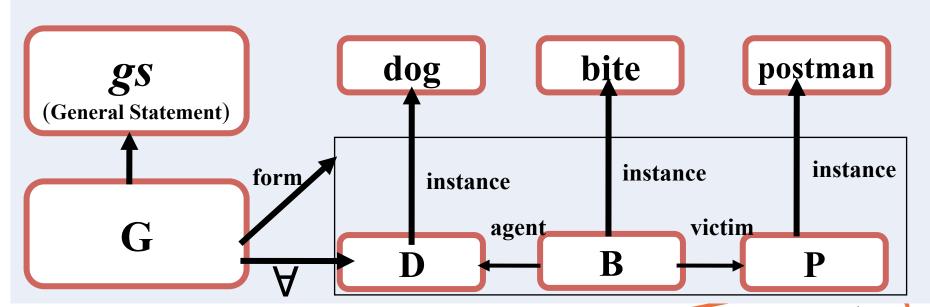




Partitioned Semantic Networks allow expressions to be quantified.

Every dog has bitten a postman

 $\forall D: dog(D) \rightarrow bite(D, P) \land postman(P)$ 

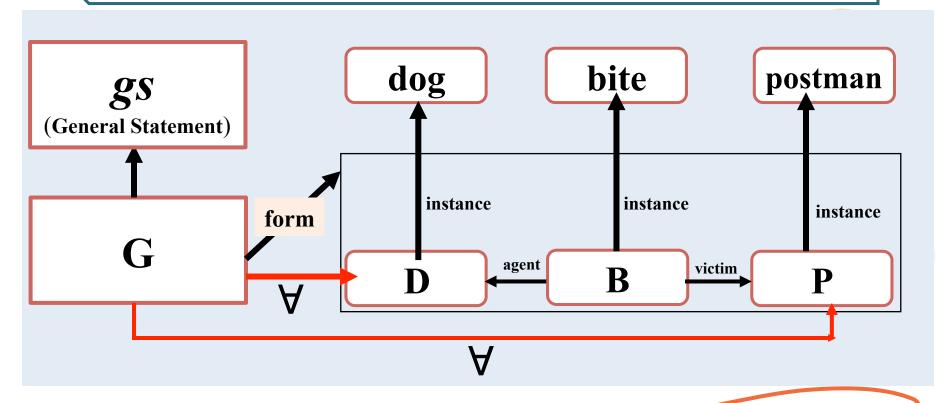


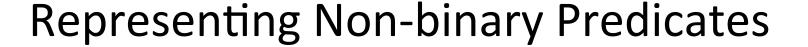
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### Extending Sem. Nets (quantified - 2)

### Every dog has bitten every postman

 $\forall D \ \forall P: dog(D) \rightarrow bite(D, P) \land postman(P)$ 







Binary predicate involves only 2 arguments/objects, e.g.

• team(Ronaldo, RealMadrid).

Non-binary predicate involves more than 2 arguments, e.g.

score(RealMadrid, MU, 1-3).

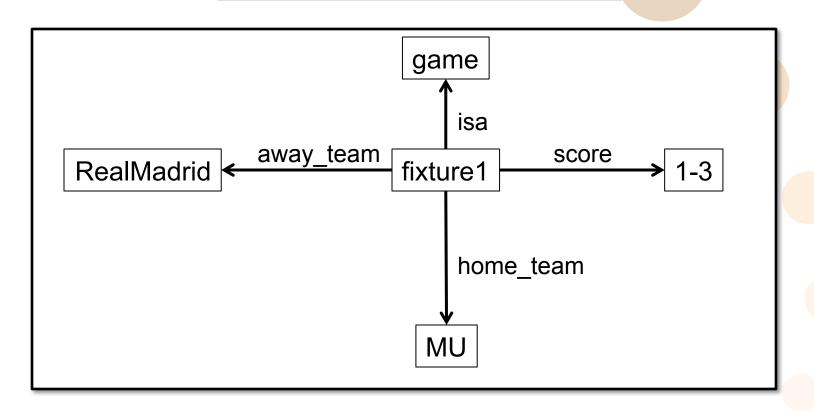
To create a semantic network that represents non-binary predicate:

- 1. Create new nodes (add more information)
- 2. Relate (new) information to nodes

# Example



#### score(RealMadrid, MU, 1-3)

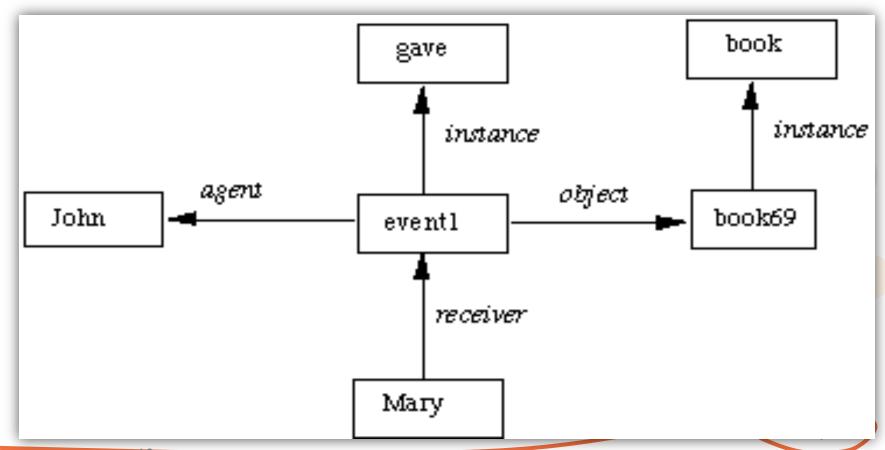


### Example



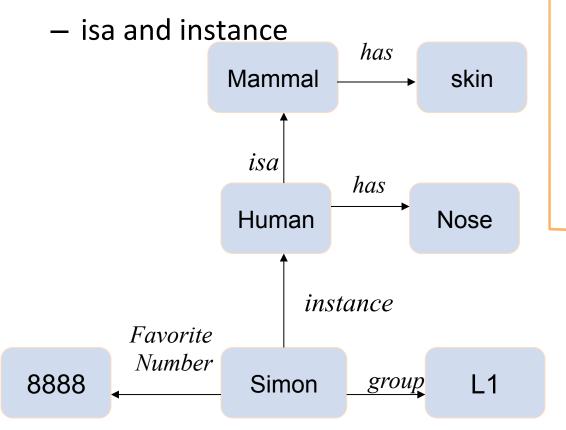
### "John gave the book to Mary."

gave(John, Mary, book)



## Inference in Semantic Nets

- Follow between nodes
- Intersection search
- Inheritance



Consider these queries:

- 1) What is a mammal?
  - 2) Who is Simon?
  - 3) Simon has What?

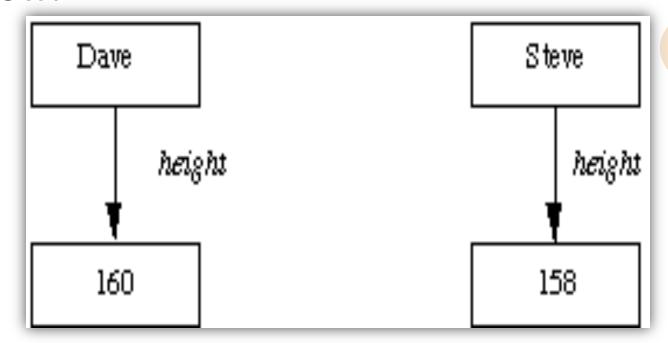
What are the outputs?

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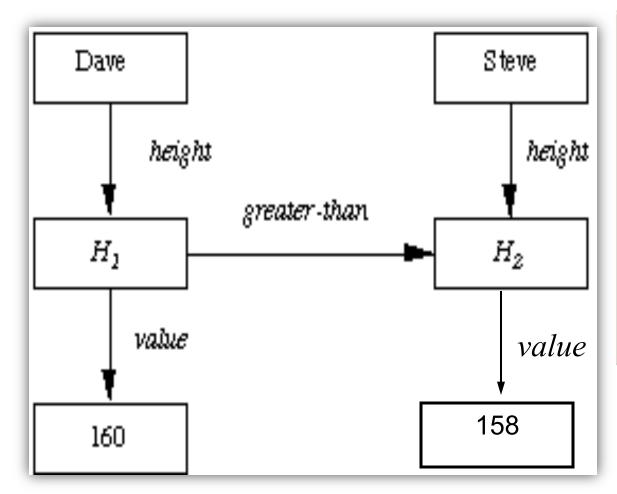
**E** 

 The height of two people is depicted as below:





# Comparing 2 Objects (cont)



Special procedures are needed to process these nodes, but without this distinction the analysis would be very limited.

## Implementing semantic net in Prolog

cover travel feathers bird fly %bird hierarchy isa isa(canary,bird). sound color isa(tweety,canary). yellow sing canary hasprop(bird,cover,feathers). hasprop(bird,travel,fly). isa hasprop(canary,sound,sing). sound talk tweety hasprop(canary,color,yellow). hasprop(tweety, sound, talk). hasproperty(Object, Property, Value):hasprop(Object, Property, Value). hasproperty(Object, Property, Value):-

isa(Object, Parent), % Inheritance

hasprop(Parent, Property, Value).



**Knowledge Representation** 

### **CONCEPTUAL GRAPH**

## Conceptual Graph

- The nodes of the graph are either concepts or conceptual relations.
- Do not use labeled arcs
- Conceptual relations nodes represent relations between concepts.



## Example



the following information is given:

Sidnee is a small dog.

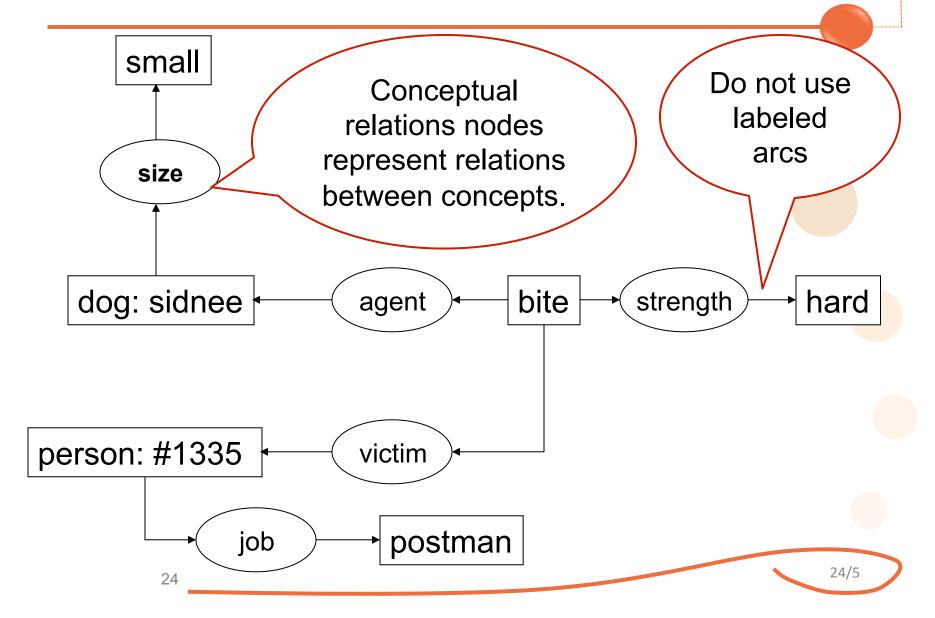
Sidnee bites a postman very hard.

instance(sidnee, dog), size(sidnee, small)

bites(sidnee, postman), strength(bite, hard)

#### Example (cont) - Conceptual Graph







**Knowledge Representation** 

## **AND/OR GRAPH**

# And/Or Graphs

(c)

- It's known as hypergraph.
- Some call it as *inference network*

# And/Or Graphs



- Involves logical operators and and or
- expression q ^ r → p
  - (both q and r must be true for p to be true)
- Expression  $q V r \rightarrow p$ 
  - (q or r is sufficient to prove p is true)
  - Also can be written as  $\mathbf{q} \rightarrow \mathbf{p}$ ,  $\mathbf{r} \rightarrow \mathbf{p}$



# Example

- IF john smiles, THEN he looks handsome
- IF john is tall and strong, THEN he looks handsome
- IF john does exercise, THEN he is strong

### The graph will look like this:

handsome(john)

tall(john) strong(john) smile(john)

exercise(john)

# Try This

<u>Rule 1:</u>	
IF The condition of car is poor	<b>E1</b>
ORThe price of the car is high	<b>E2</b>
THEN Don't buy the car	H1
<u>Rule 2:</u>	
IF Mileage on the car >100,000	<b>E3</b>
AND The car is city driven	<b>E4</b>
AND The body of the car is bad	<b>E5</b>
THEN The condition of the car is poor	<b>E1</b>
<u>Rule 3:</u>	
IF The car has dents	<b>E6</b>
THEN The body of the car is bad	<b>E5</b>
<u>Rule 4:</u>	
IF The car has rust	<b>E7</b>
THEN The body of the car is bad	<b>E5</b>





Next

### NATURAL LANGUAGE PROCESSING