

TURBO

Created by students, for students

Structure of Atom

Class 11 Chemistry • Complete Formula Sheet

| Sr. | Concept | Formulas | How to Use / Other Information |
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| Subatomic Particles | | | |
| 1 | Electron | Absolute mass = 9.11×10^{-28} g Relative mass = $\frac{1}{1836}$ amu Charge = -1.6×10^{-19} C Discovered by: J.J. Thomson (1897) | Key points: <ul style="list-style-type: none">- Negatively charged particle- Found in cathode rays- e/m ratio measured by Millikan |
| 2 | Proton | Absolute mass = 1.66×10^{-24} g Relative mass = 1 amu Charge = $+1.6 \times 10^{-19}$ C Discovered by: Goldstein (1886) | Key points: <ul style="list-style-type: none">- Positively charged particle- Found in nucleus- H^+ ion is a proton |
| 3 | Neutron | Relative mass = 1.0083 amu Charge = 0 (neutral) Discovered by: Chadwick (1932) | Key points: <ul style="list-style-type: none">- No charge- Found in nucleus- Mass slightly \downarrow proton |
| Bohr's Atomic Theory | | | |
| 4 | Energy of Electron in nth orbit | $E_n = -\frac{2\pi^2 Z^2 e^4 m}{n^2 h^2} \text{ erg/electron}$ $= -\frac{2.178 \times 10^{-18} Z^2}{n^2} \text{ J}$ | How to use: <ul style="list-style-type: none">- Z = atomic number- n = principal quantum number- Energy is negative (electron bound to nucleus) Example: For H (Z=1), n=1: $E_1 = -2.178 \times 10^{-18} \text{ J}$ |
| 5 | Radius of nth Bohr Orbit | $r_n = \frac{n^2 h^2}{4\pi^2 m e^2 Z} = 0.53n^2 \text{ \AA}$ | How to use: <ul style="list-style-type: none">- For hydrogen (Z=1): $r_n = 0.53n^2 \text{ \AA}$- Radius $\propto n^2$ Example: n=1: r = 0.53 \AA n=2: r = 2.12 \AA |
| 6 | Energy Change in Transition | $\Delta E = E_{n_2} - E_{n_1}$ $= 2.178 \times 10^{-18} \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right] \text{ J}$ | How to use: <ul style="list-style-type: none">- When electron jumps from n_2 to n_1 (where $n_2 > n_1$)- Energy is released (emitted)- If n_1 to n_2: energy absorbed Example: H atom: n=3 to n=2 $\Delta E = 2.178 \times 10^{-18} \left[\frac{1}{4} - \frac{1}{9} \right] \text{ J}$ |
| 7 | Frequency of Radiation | $\nu = \frac{\Delta E}{h}$ Wave number: $\bar{\nu} = \frac{1}{\lambda} = R_H \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right]$ | Constants: <ul style="list-style-type: none">- h = $6.626 \times 10^{-34} \text{ J.s}$- $R_H = 109,677 \text{ cm}^{-1}$ (Rydberg constant) Use: To find wavelength of emitted light |
| Quantum Numbers | | | |

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| 8 | Principal Quantum Number (n) | $n = 1, 2, 3, 4, \dots$ Shell capacity = $2n^2$ Energy: $E \propto \frac{1}{n^2}$ Angular momentum: $mvr = \frac{nh}{2\pi}$ | Meaning: - Determines shell/energy level - Decides distance from nucleus Max electrons: K (n=1): 2, L (n=2): 8, M (n=3): 18, N (n=4): 32 |
| 9 | Azimuthal Quantum Number (l) | $l = 0, 1, 2, 3, \dots (n-1)$ For $l = 0, 1, 2, 3$: subshells are s, p, d, f Max electrons = $2(2l + 1)$ Angular momentum = $\frac{h}{2\pi} \sqrt{l(l+1)}$ | Meaning: - Determines subshell - Decides shape of orbital Max electrons: s ($l=0$): 2, p ($l=1$): 6, d ($l=2$): 10, f ($l=3$): 14 |
| 10 | Magnetic Quantum Number (m) | $m = -l \text{ to } +l$ (through 0) Total values = $2l + 1$ Total orbitals in shell = n^2 | Meaning: - Determines orientation of orbital - Number of orbitals in subshell Examples: s ($l=0$): $m=0$ (1 orbital) p ($l=1$): $m=-1, 0, +1$ (3 orbitals) d ($l=2$): 5 orbitals, f ($l=3$): 7 orbitals |
| 11 | Spin Quantum Number (s) | $s = +\frac{1}{2} \text{ or } -\frac{1}{2}$ Spin angular momentum = $\frac{h}{2\pi} \sqrt{s(s+1)}$ | Meaning: - Clockwise: $+\frac{1}{2}$ (\uparrow) - Anticlockwise: $-\frac{1}{2}$ (\downarrow) - Max 2 electrons per orbital (opposite spins) |
| Electronic Configuration Rules | | | |
| 12 | Aufbau Principle | Electrons fill orbitals in order of increasing energy: $1s < 2s < 2p < 3s < 3p < 4s < 3d < 4p < 5s < 4d < 5p < 6s < 4f < 5d\dots$ | Memory aid: Use $(n+l)$ rule - Lower $(n+l)$: fills first - If same $(n+l)$: lower n fills first Example: 3d ($n+l=5$) fills after 4s ($n+l=4$) |
| 13 | Pauli Exclusion Principle | No two electrons can have all four quantum numbers identical | Consequence: - Max 2 electrons per orbital - Must have opposite spins Example: In 3s orbital: Electron 1: $n=3, l=0, m=0, s=+\frac{1}{2}$ Electron 2: $n=3, l=0, m=0, s=-\frac{1}{2}$ |
| 14 | Hund's Rule | Pairing starts only after all orbitals are singly occupied | How to apply: - In p, d, f: fill all orbitals with one electron first - Then start pairing Example: C (6e): $1s^2 2s^2 2p^2$ $2p: \uparrow \uparrow$ (not $\uparrow \downarrow$) |
| de Broglie & Heisenberg | | | |
| 15 | de Broglie Wavelength | $\lambda = \frac{h}{mv} = \frac{h}{p}$ For circular orbit: $n\lambda = 2\pi r$ | How to use: - Shows wave nature of electron - $h = 6.626 \times 10^{-34} \text{ J}\cdot\text{s}$ Example: Electron ($m = 9.1 \times 10^{-31} \text{ kg}, v = 10^6 \text{ m/s}$) $\lambda = \frac{6.626 \times 10^{-34}}{9.1 \times 10^{-31} \times 10^6} \text{ m}$ |
| 16 | Heisenberg Uncertainty Principle | $\Delta x \cdot \Delta p \geq \frac{h}{4\pi}$ or $\Delta x \cdot \Delta v \geq \frac{h}{4\pi m}$ | Meaning: - Cannot know exact position AND momentum simultaneously - Δx = uncertainty in position - Δp = uncertainty in momentum |
| Nodes in Orbitals | | | |

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| 17 | Radial Nodes | Number of radial nodes = $n - l - 1$ | Examples: 2s ($n=2, l=0$): $2-0-1 = 1$ radial node 3p ($n=3, l=1$): $3-1-1 = 1$ radial node 3d ($n=3, l=2$): $3-2-1 = 0$ radial nodes |
| 18 | Angular Nodes | Number of angular nodes = l | Examples: s ($l=0$): 0 angular nodes p ($l=1$): 1 angular node d ($l=2$): 2 angular nodes f ($l=3$): 3 angular nodes |
| 19 | Total Nodes | Total nodes = $n - 1$ $= (n - l - 1) + 1$ | Quick check: 2s: $2-1 = 1$ node 3p: $3-1 = 2$ nodes 4d: $4-1 = 3$ nodes |

Hydrogen Spectrum

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| 20 | Spectral Series | Lyman: $n_2 \rightarrow n_1 = 1$ (UV) Balmer: $n_2 \rightarrow n_1 = 2$ (Visible) Paschen: $n_2 \rightarrow n_1 = 3$ (IR) Brackett: $n_2 \rightarrow n_1 = 4$ (Far IR) Pfund: $n_2 \rightarrow n_1 = 5$ (Far IR) | Formula: $\bar{\nu} = R_H \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right]$ Where $R_H = 109,677 \text{ cm}^{-1}$ Example: Balmer: $n=3$ to $n=2$ $\bar{\nu} = 109,677 \left[\frac{1}{4} - \frac{1}{9} \right] \text{ cm}^{-1}$ |
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Isotopes, Isobars, Isotones

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| 21 | Isotopes | Same atomic number (Z), different mass number (A) Same protons, different neutrons | Examples: ^{35}Cl and ^{37}Cl $^{1}_1\text{H}$, $^{2}_1\text{D}$, $^{3}_1\text{T}$ $^{16}_8\text{O}$, $^{17}_8\text{O}$, $^{18}_8\text{O}$ Property: Same chemical properties |
| 22 | Isobars | Same mass number (A), different atomic number (Z) | Examples: $^{40}_{18}\text{Ar}$ and $^{40}_{20}\text{Ca}$ $^{14}_6\text{C}$ and $^{14}_7\text{N}$ |
| 23 | Isotones | Same number of neutrons (A-Z), different Z and A | Examples: $^{30}_{14}\text{Si}$ and $^{31}_{15}\text{P}$ (both have 16 neutrons) |
| 24 | Isoelectronic Species | Same number of electrons, different nuclear charges | Examples: O^{2-} , F^- , Ne , Na^+ , Mg^{2+} , Al^{3+} (all have 10e) N_2 , CO , CN^- (all have 14e) Property: Same electron configuration |
| 25 | Average Atomic Mass | For isotopes with abundances: Avg. mass = $\frac{\sum(\text{mass} \times \text{abundance})}{\sum \text{abundance}}$ | Example: Cl has ^{35}Cl and ^{37}Cl in 3:1 ratio $\text{Avg} = \frac{35 \times 3 + 37 \times 1}{4} = 35.5 \text{ amu}$ |