

Pts. far away have higher contribution to error.

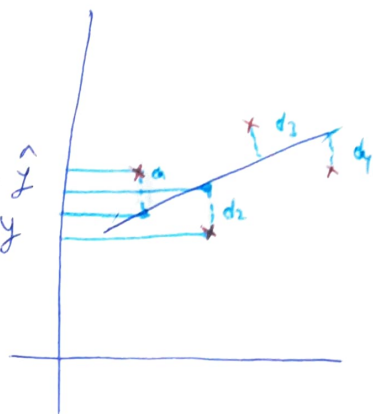
Derivative of modulus doesn't exist. $\rightarrow \therefore L_1$ norm is not used.
 L_2 is used

$$d_i^2 = (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2$$

x remains same for all pts., but y change.

$$\therefore d_i^2 = (y_i - \hat{y}_i)^2$$

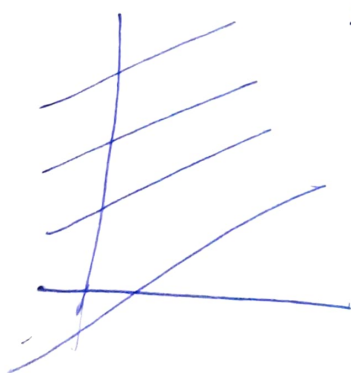
Pred: \hat{y}
 GT: y



$$\therefore J = \sum_{i=1}^n (y_i - \underbrace{\hat{y}_i}_{\substack{\text{from data} \\ wx_i + b \text{ (pred)}}})^2$$

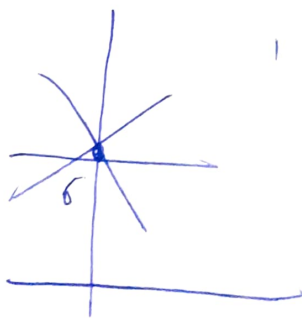
$$J(w, b) = \sum_{i=1}^n (y_i - wx_i - b)^2$$

① If w is constant,

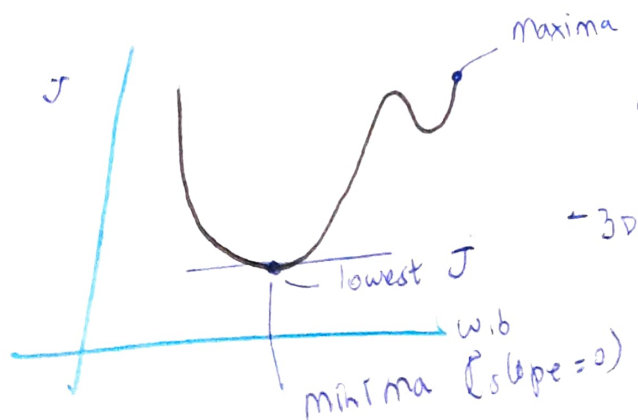


slope is constant,
 but diff
 intercepts

② If b is constant,



1 intercept,
 diff. slopes



Goal - min. J

$\rightarrow 3D$

If slope = 0, minima is found.

$$\frac{\partial E}{\partial w} = 0$$

$$\frac{\partial E}{\partial b} = 0$$

$$w = \frac{\sum_{i=1}^n (x_i - \bar{x})(y_i - \bar{y})}{\sum_{i=1}^n (x_i - \bar{x})^2}$$

$$b = \bar{y} - w\bar{x}$$

\bar{x}, \bar{y} → mean.