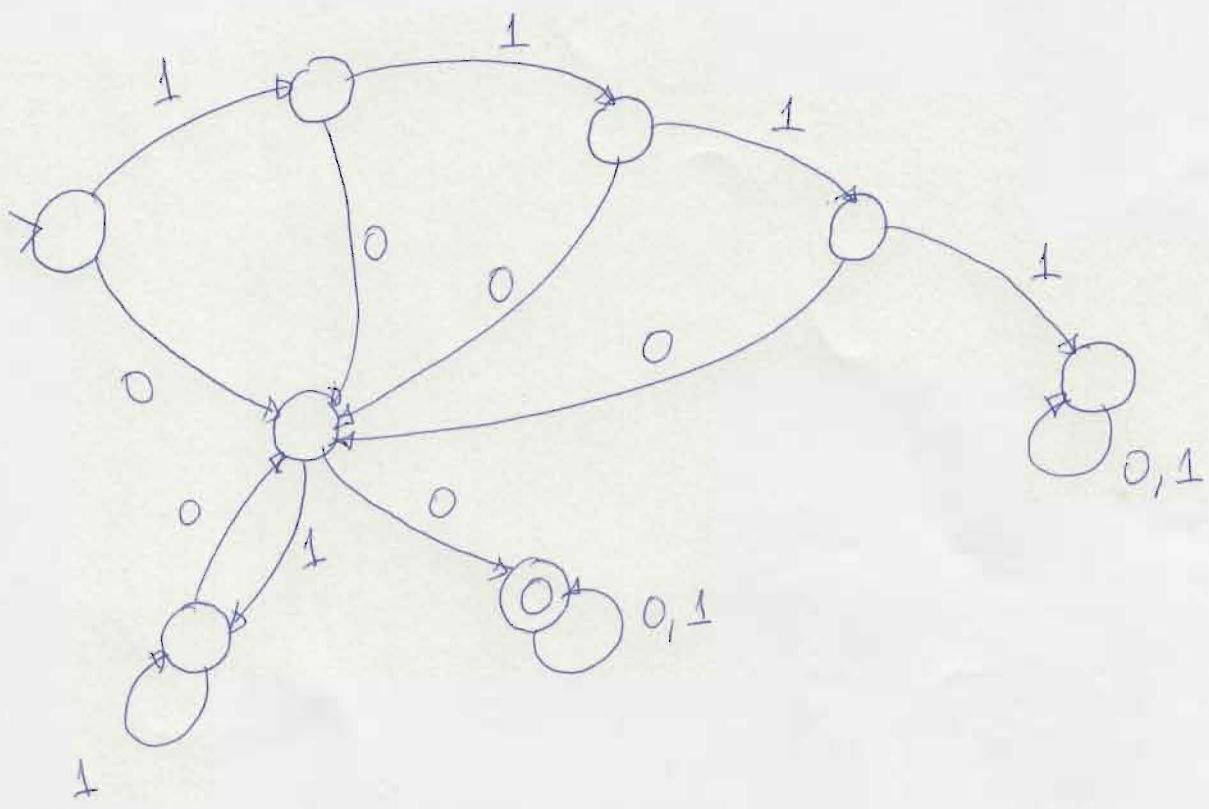


Q1.



Q2.

a) [0]: member strings

[01]: concatenate with

001
10
11
00

[00]: concatenate with

0
1

[111]: concatenate with

0000
001
010
011
100
101
110
111

It's not a regular language ($L = (001)^{2n+1} 0 (001)^{2n+1}$)

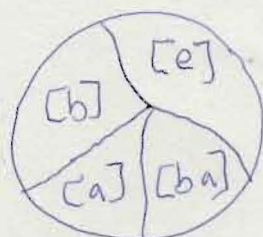
There are infinitely many equivalence classes.

b) [e]: concatenate with b.

[b]: member strings

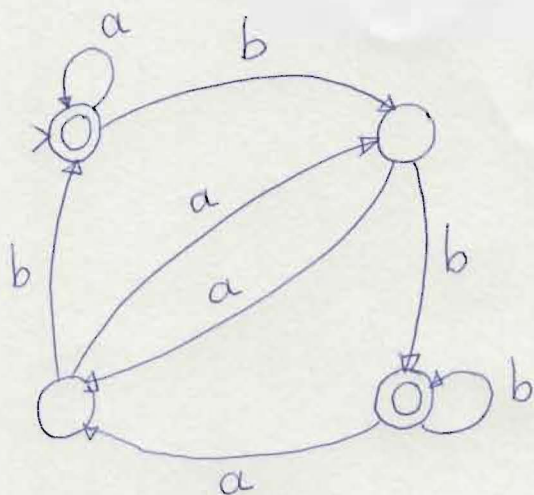
[ab]: no possibility to become a member.

[ba]: concatenate with an a.

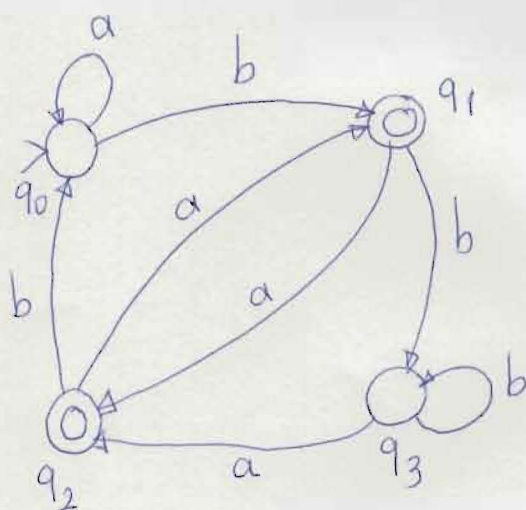


Q3.

a)

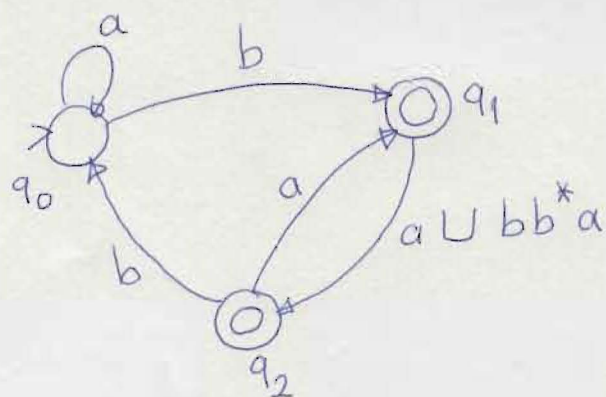


$L(M)$



$$\bar{L} = \Sigma^* - L$$

Remove q_3

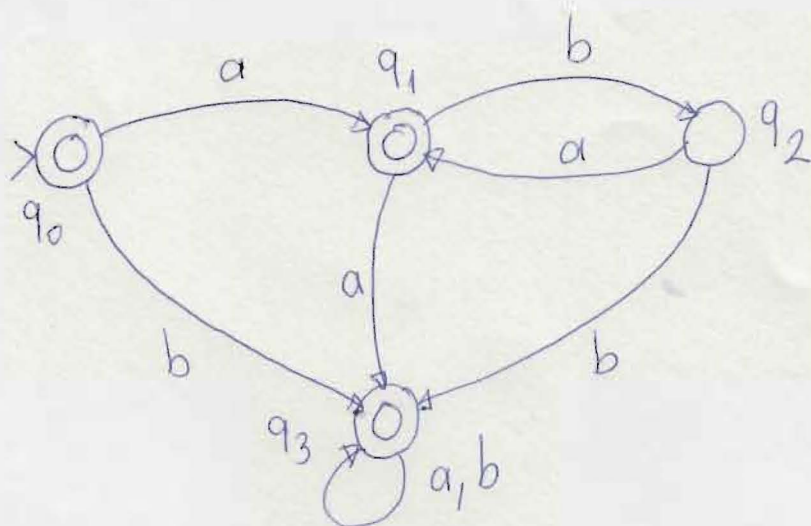


$$\cup \left(\begin{array}{l} q_1: a^*b [(a \cup bb^*a)(a \cup ba^*b)]^* \\ q_2: a^*b (a \cup bb^*a) [(ba^*b \cup a)(a \cup bb^*a)]^* \end{array} \right)^*$$

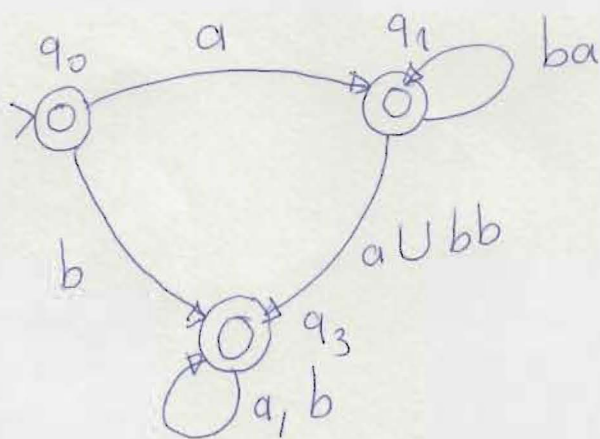
Q3.

b)

$\bar{L}(M)$



Remove q_2

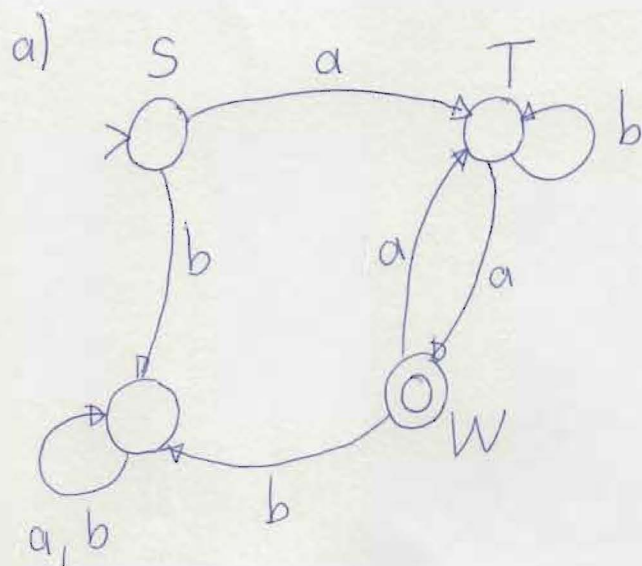


$$q_0 = e$$

$$q_0 \cup q_1 \cup q_3$$

$$e \cup a(ba)^* \cup b(a \cup b)^* \cup a(ba)^*(a \cup bb)(a \cup b)^*$$

Q4. $S \rightarrow aT$, $T \rightarrow bT$, $T \rightarrow a$,
 $T \rightarrow aW$, $W \rightarrow e$, $W \rightarrow aT$



b) $ab^*a (ab^*a)^* = (ab^*a)^+$