CENG 223—Discrete Computational Structures

MIDTERM
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30 minutes

Q-3){24 points} Construct a natural deduction style proof for the following sequent:

$$\forall x (\neg P(x) \to Q(x) \land R(x)), \exists y (\neg R(y) \lor \neg Q(y)) \vdash \exists z P(z)$$

In your proof,

- every line should be numbered,
- every step should be justified completely (with previous line numbers and the rule being applied, as applicable),
- boxes to delineate scoping should be drawn, and
- only the introduction and elimination rules and reflexivity are allowed (i.e. do not use any derived rules).