

EE281 EXPERIMENT 5

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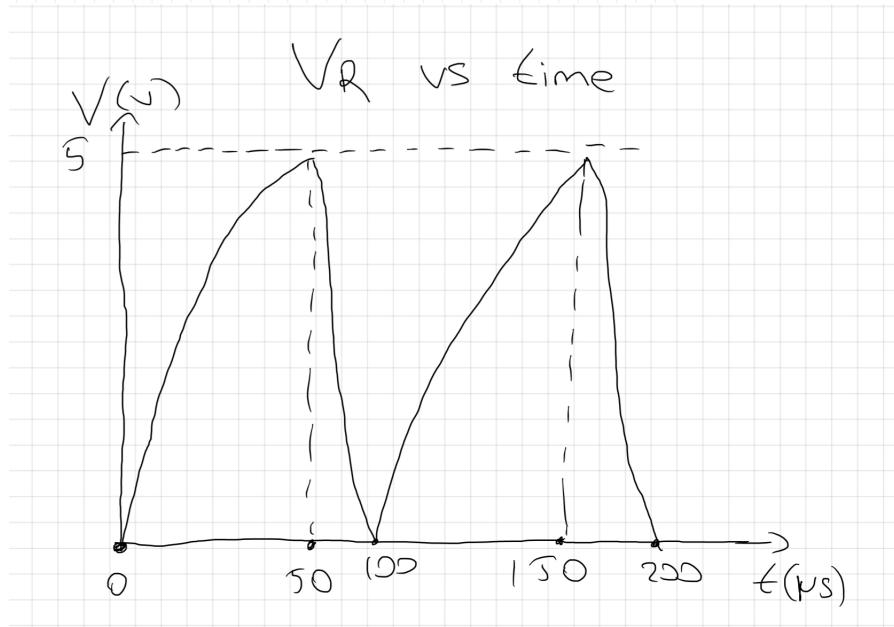
1 Preliminary Work

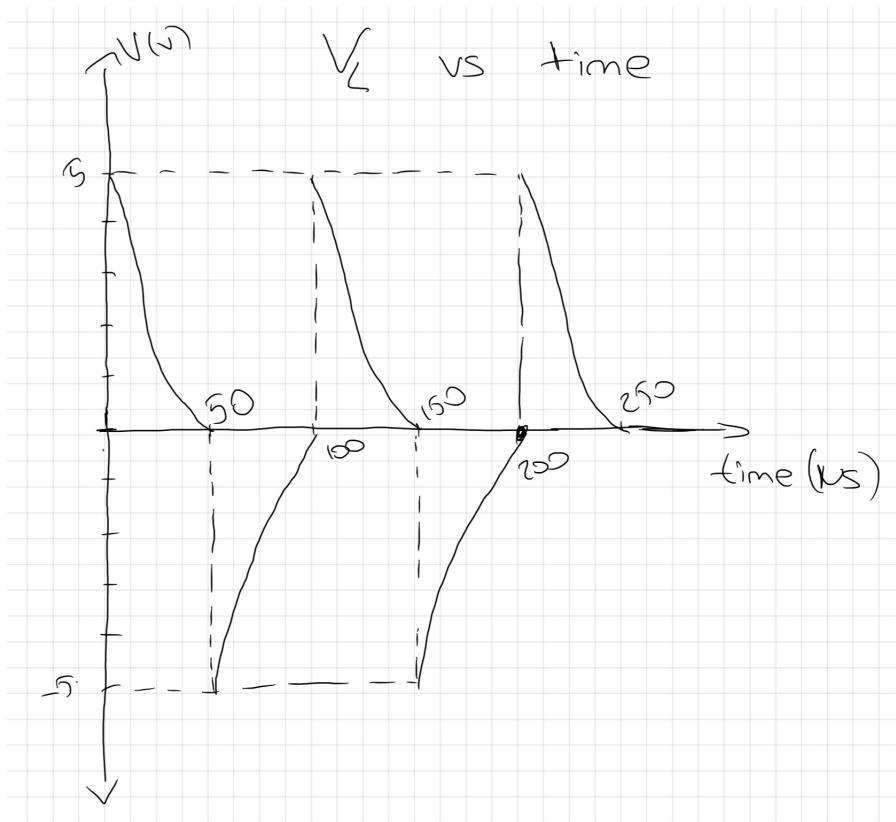
1

i)

$$\begin{aligned} 1) \quad V_{in} &= V_L + V_R & 4) \quad 0 = \frac{di}{dt} + \frac{iR}{L} \\ 2) \quad V_L &= L \cdot \frac{di}{dt} & 5) \quad V_L + \frac{V_R}{R} = 0 \\ 3) \quad V_{in} &= L \cdot \frac{di}{dt} + V_R & 6) \quad d = -\frac{R}{L} \\ \underline{\underline{Y_n = C_1 \cdot e^{-\frac{R}{L} \cdot t}}} & & V_{son} - (V_{son} - V_{ilk}) e^{\frac{-t}{d}} = i(t) \\ i(t) &= 0.01 - (0.01 - 0) e^{\frac{-t}{d}} \end{aligned}$$

$$V_R = i(t) \cdot R = 500 \Omega \cdot i(100 \mu s)$$





ii)

Time constant is equal to $\frac{L}{R} = \frac{3.9}{500} = 7.8ms$

2

i)

$$V_{in} = V_R + V_C \Rightarrow V_{in} = iR + V_C$$

$$i = \frac{dV}{dt} \cdot C \Rightarrow V_{in} = \frac{dV}{dt} \cdot CR + V_C$$

After some differential solutions

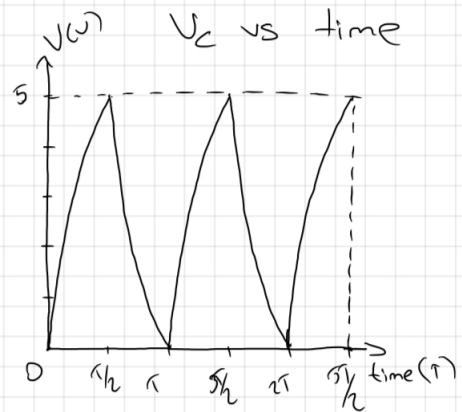
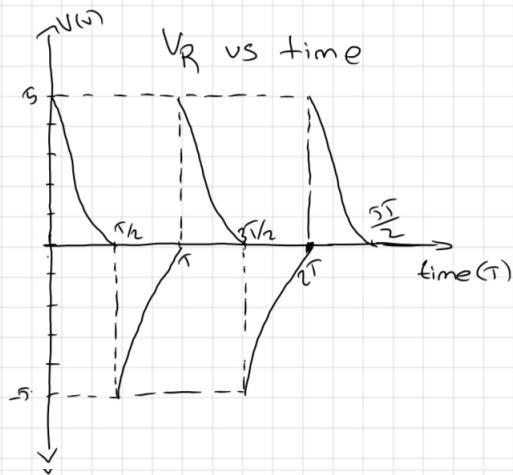
$$V_C(t) = e^{-\frac{t}{RC}} \quad V_{in} - (V_{in} - V_{C(0)})e^{-\frac{t}{RC}}$$

$$5 - (5-0)e^{-\frac{t}{RC}} = V_C(t)$$

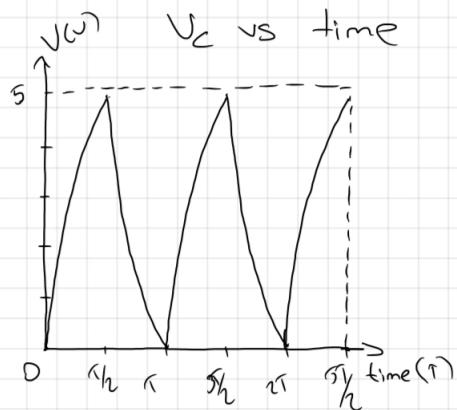
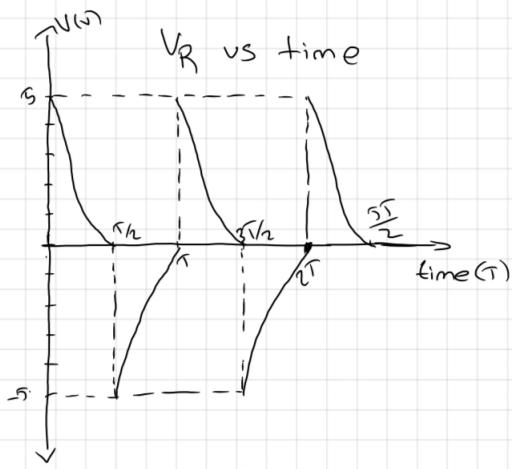
ii)

✓

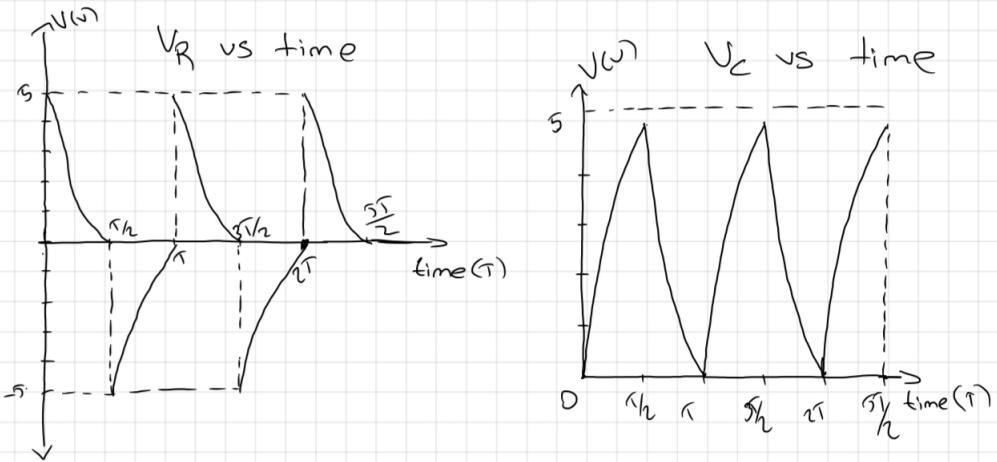
Case 1



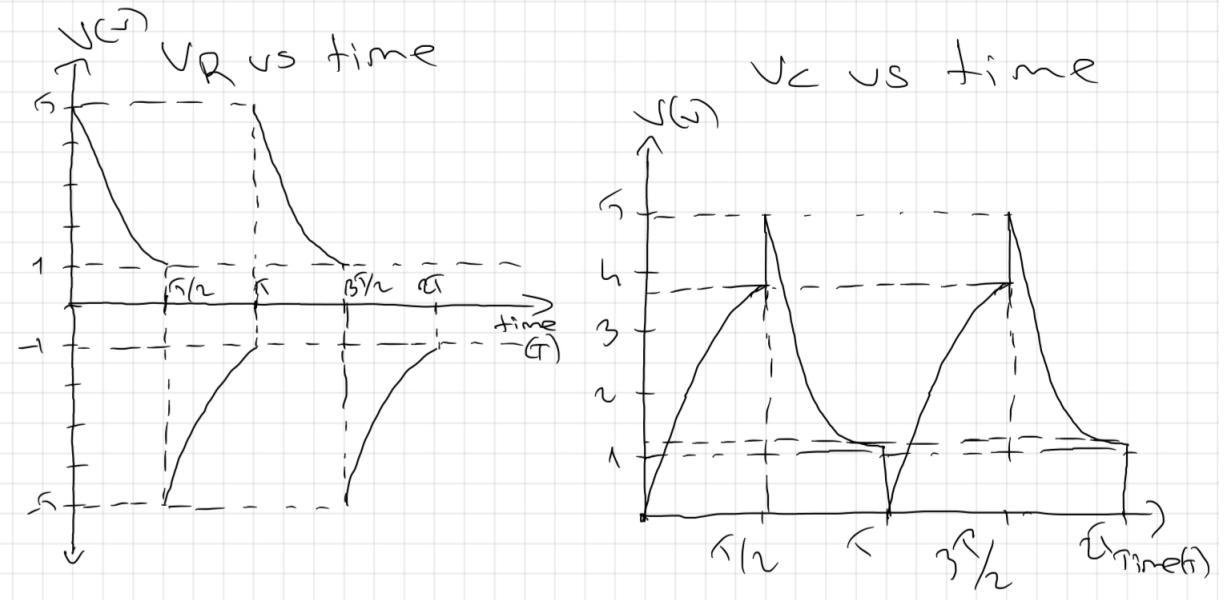
Case 2



Case 3



Case 4



	f (Hz)	R ($k\Omega$)	C (nF)	τ
Case 1	100	3.3	4.7	15.5ns
Case 2	100	33	10	330ns
Case 3	100	33	47	1551ns
Case 4	100	100	47	4700ns

iii)

We know that if we have $i(t)$ and t , we can find the V from the formula $V = i(t) \times R$. This method can be used for $V_R(t)$

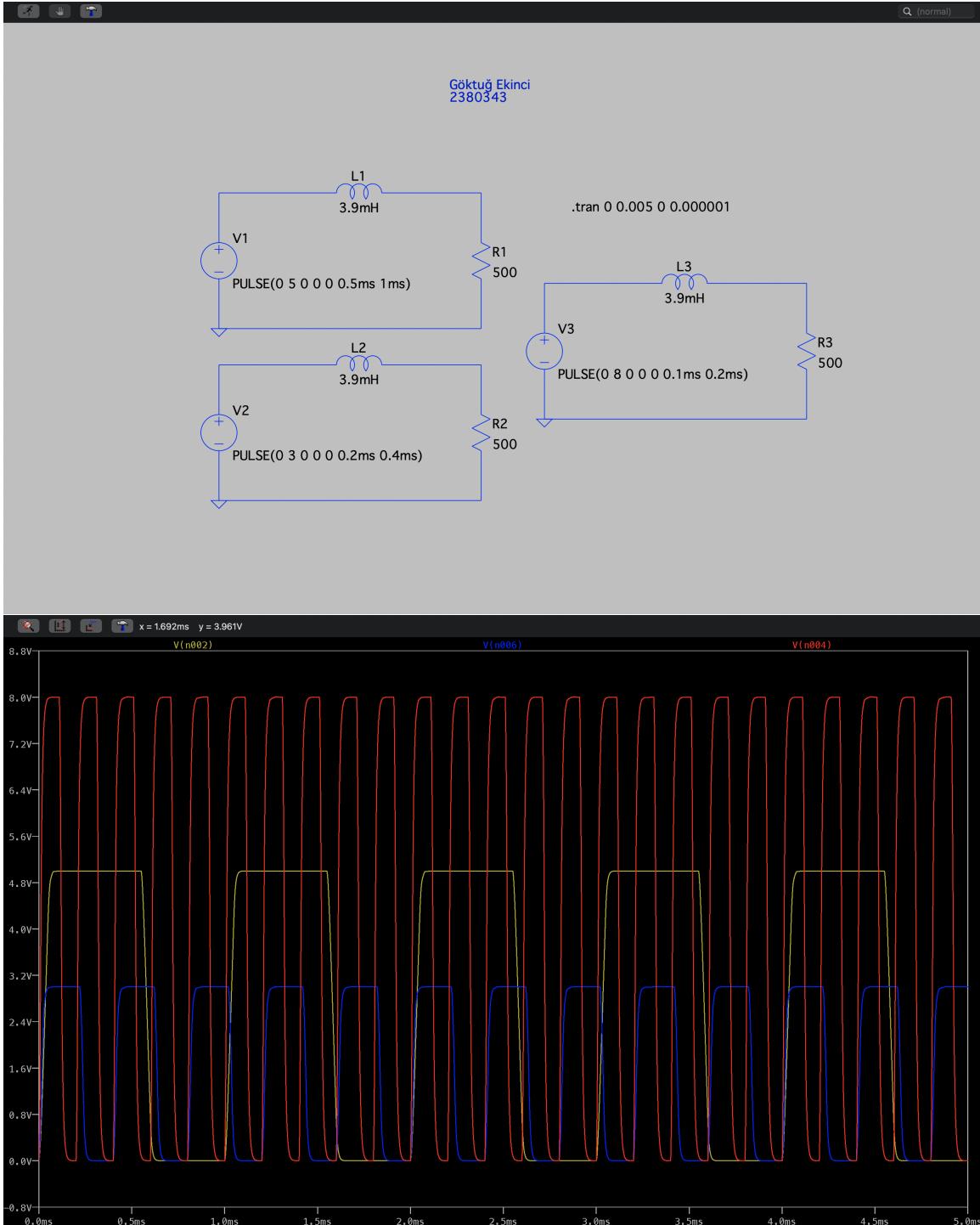
$$i(t) = i_f - (i_f - i_i) \times e^{-\frac{t}{\tau}}$$

Same but voltage style can be valid for the $V_c(t)$

$$v(t) = v_f - (v_f - v_i) \times e^{-\frac{t}{\tau}}, \text{ we know } V_f, V_i \text{ and time.}$$

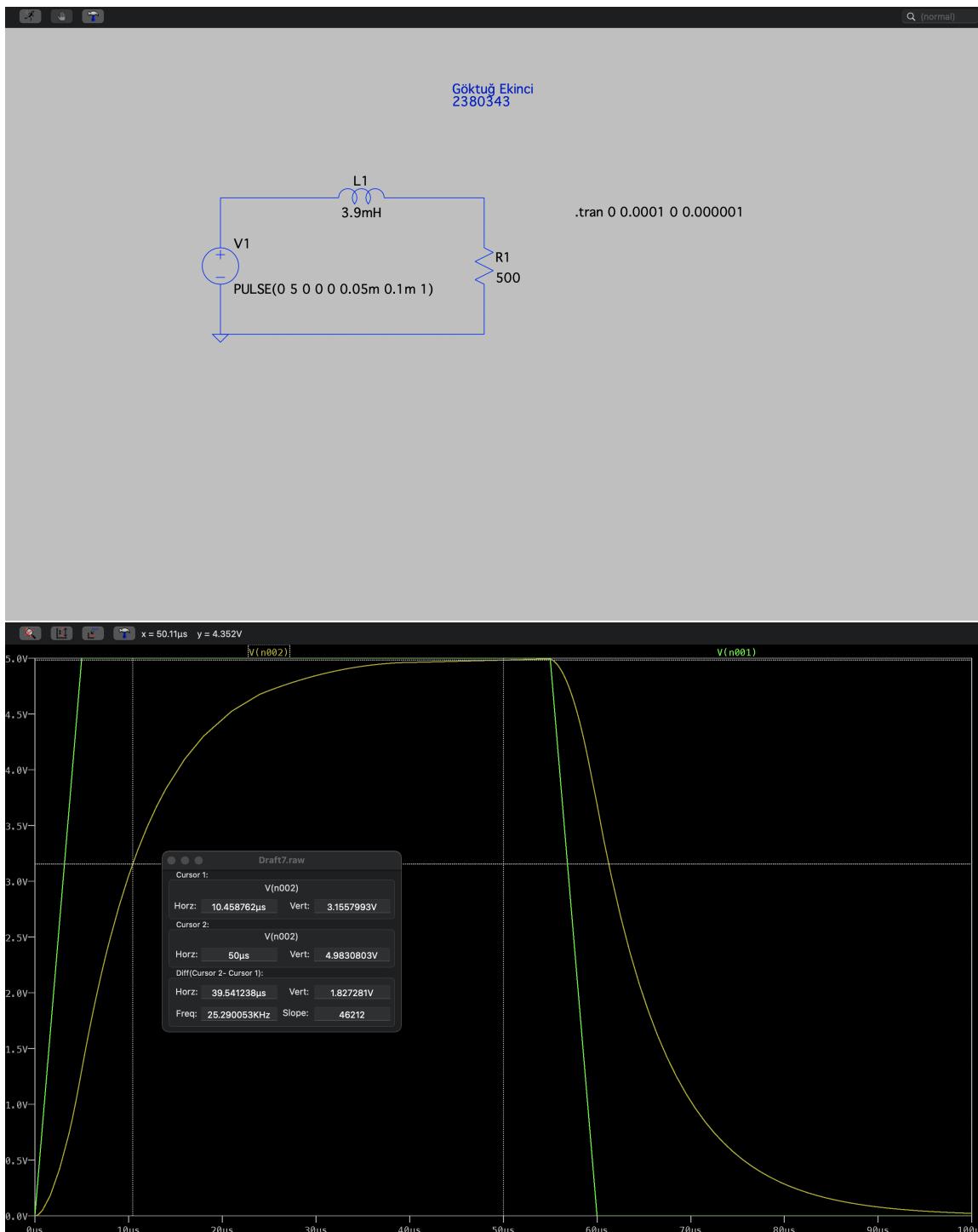
2 Experimental Work

1. Provide the image of the schematic and plot all the signals in a single scope output. Comment on differences.



Comment: there is a positive correlation between frequency and wave number.

2. Provide the image of the schematic and plot the signals in a single scope output. Determine the time constant τ and briefly explain how you find it.



Time Constant: We should check the t where $VR = V_{in} \cdot 0.63$ since in this case time constant is equal to t , which is $10.45\mu\text{s}$

3. Provide the image of the schematic and plot $V_{in}(t)$ and $VR(t)$ in a single scope output. Also, plot $VC(t)$ in a different scope output. Determine the time constant τ and briefly explain how you find it. Perform these steps for each case. Comment on your findings.

Case 1

Figure 6, blue = V_{in} , green = V_R

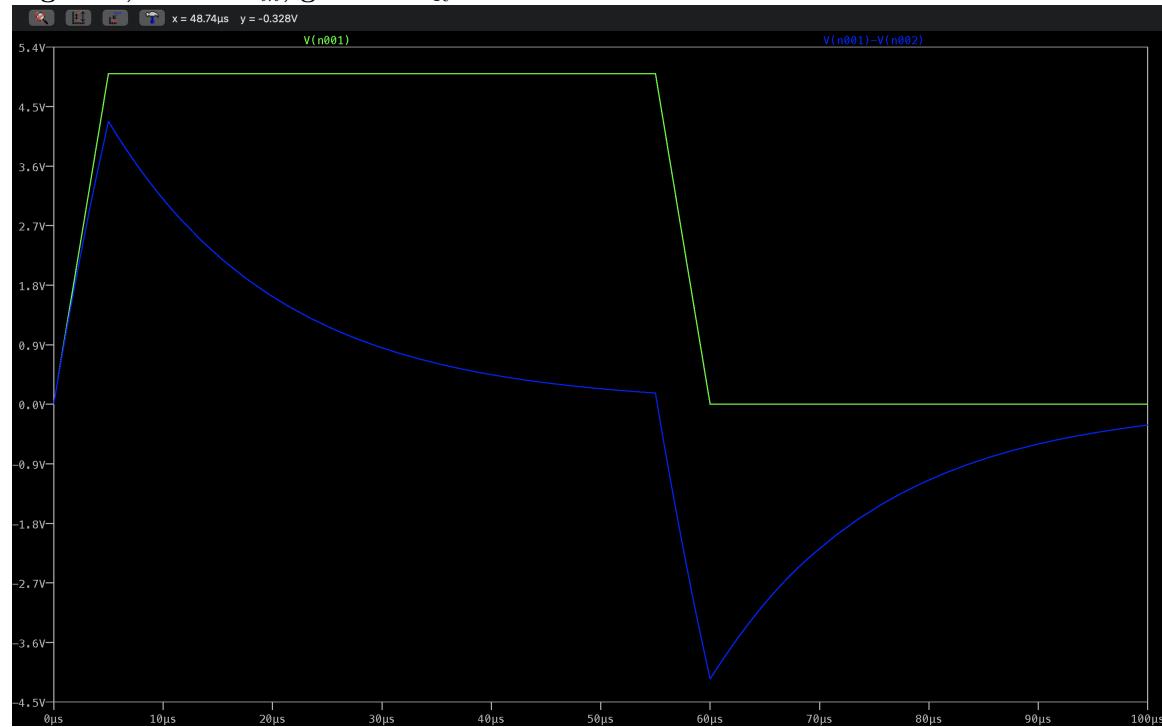
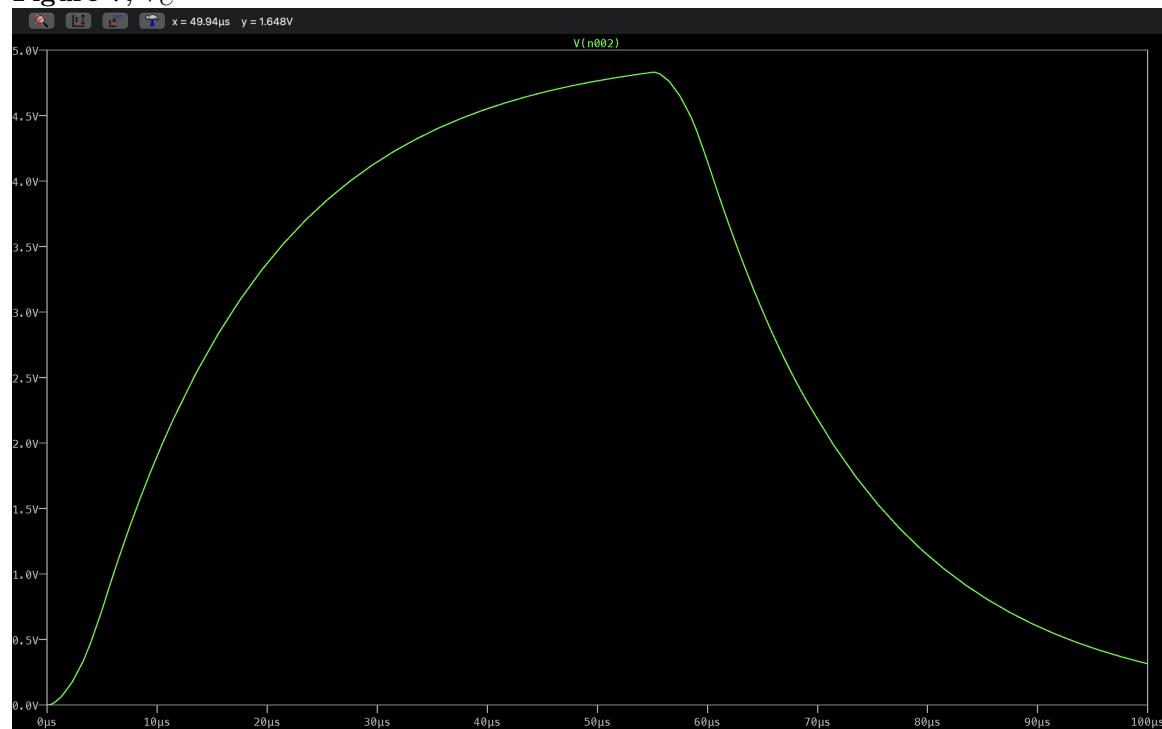


Figure 7, V_C



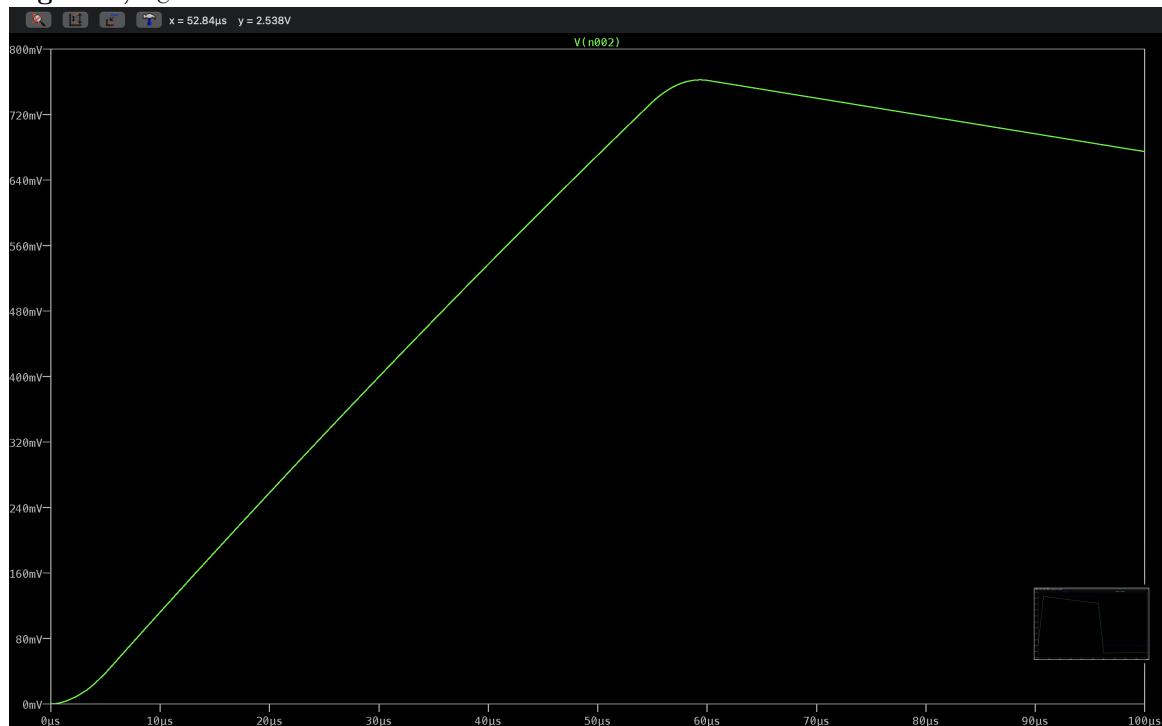
Time Constant: $333.09\mu\text{s}$

Case 2

Figure 8, green = V_{in} , blue = V_R



Figure 9, V_C



Time Constant: $611.14\mu\text{s}$

Case 3

Figure 10, blue = V_{in} , green = V_R

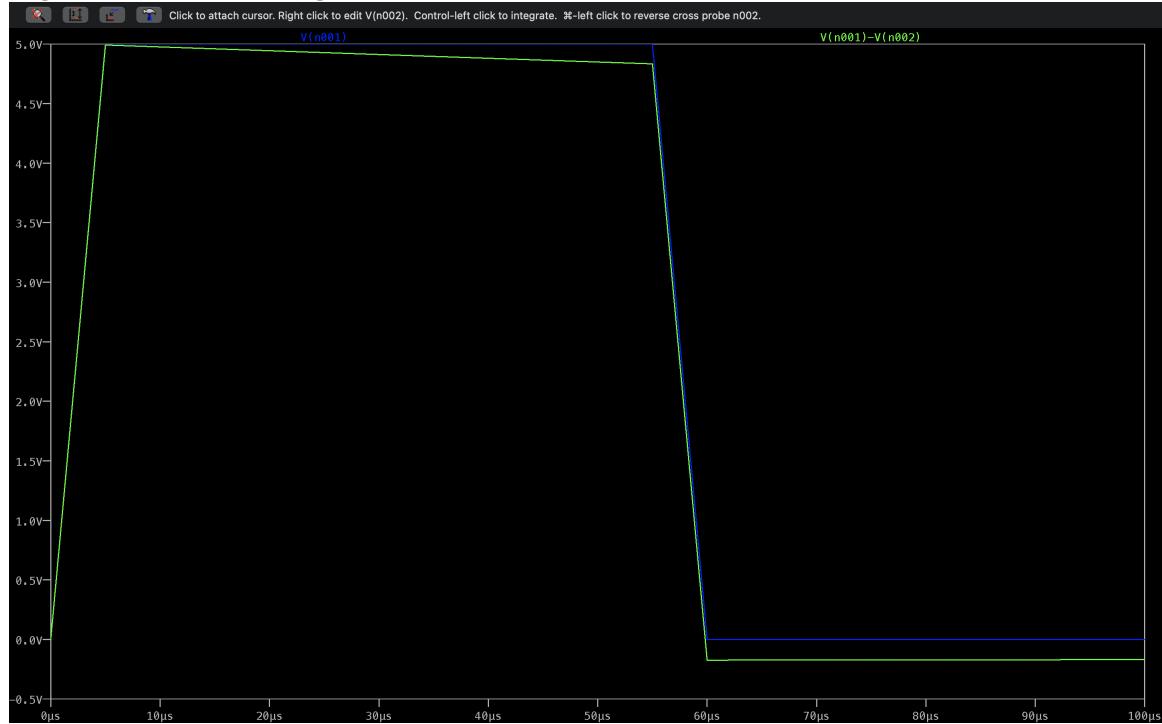
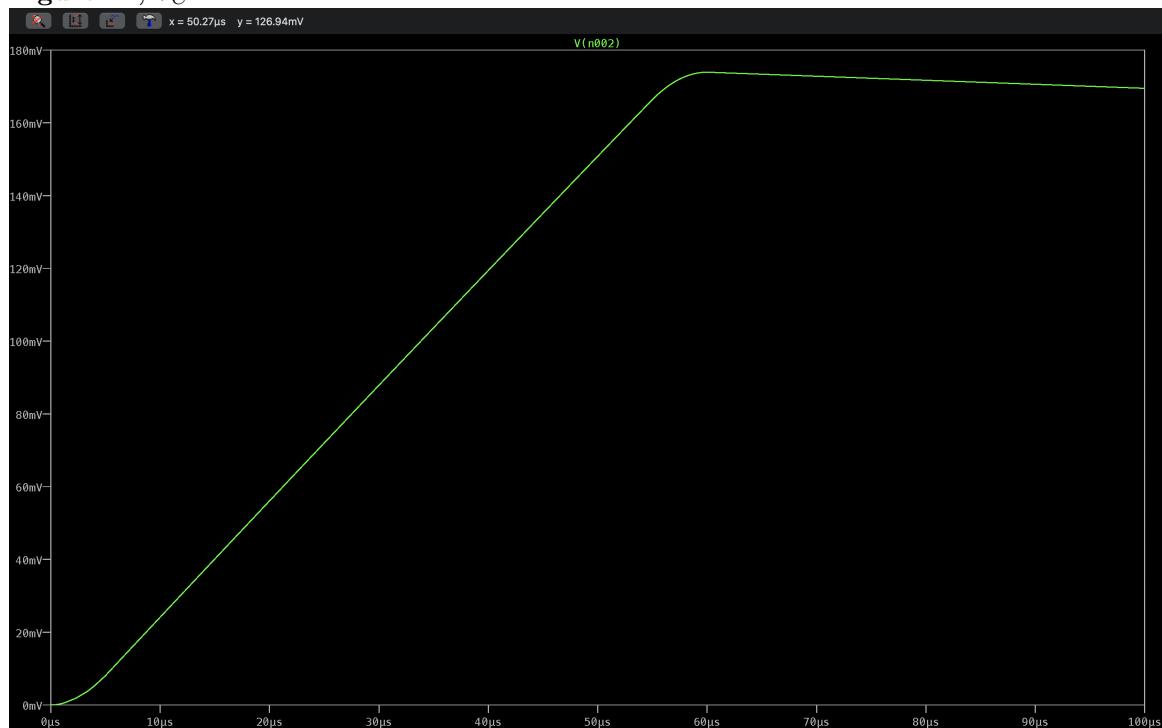


Figure 11, V_C



Time Constant: 1.8ms

Case 4

Figure 12, blue = V_{in} , green = V_R

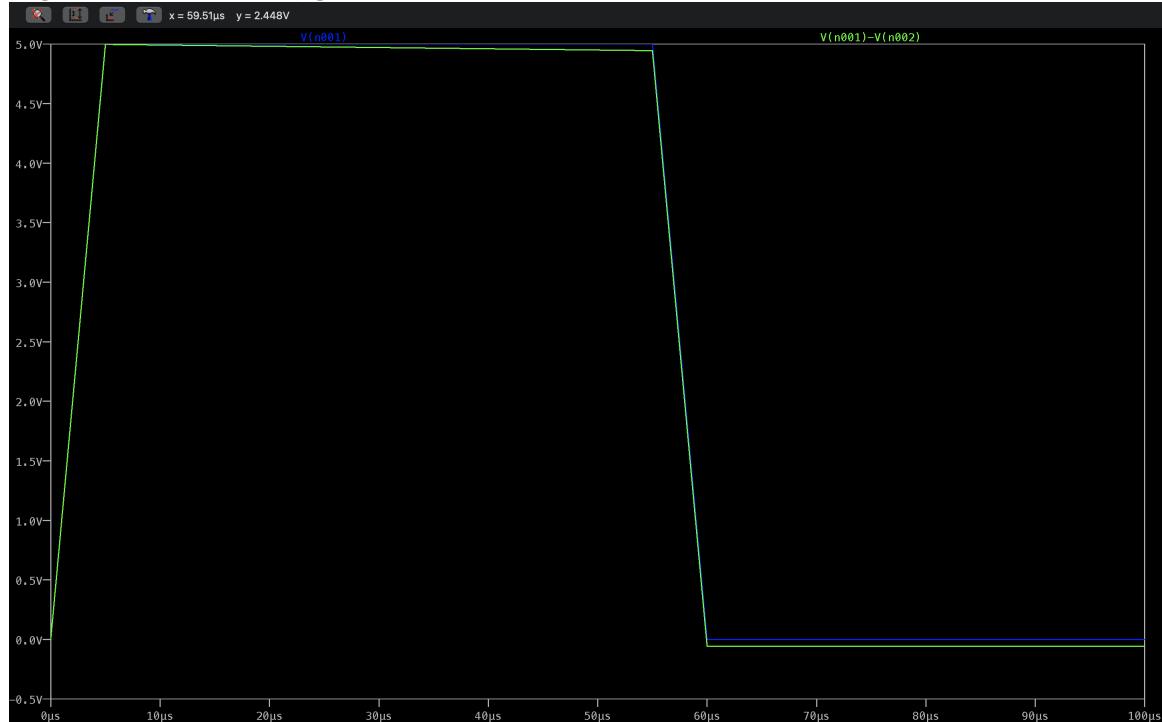
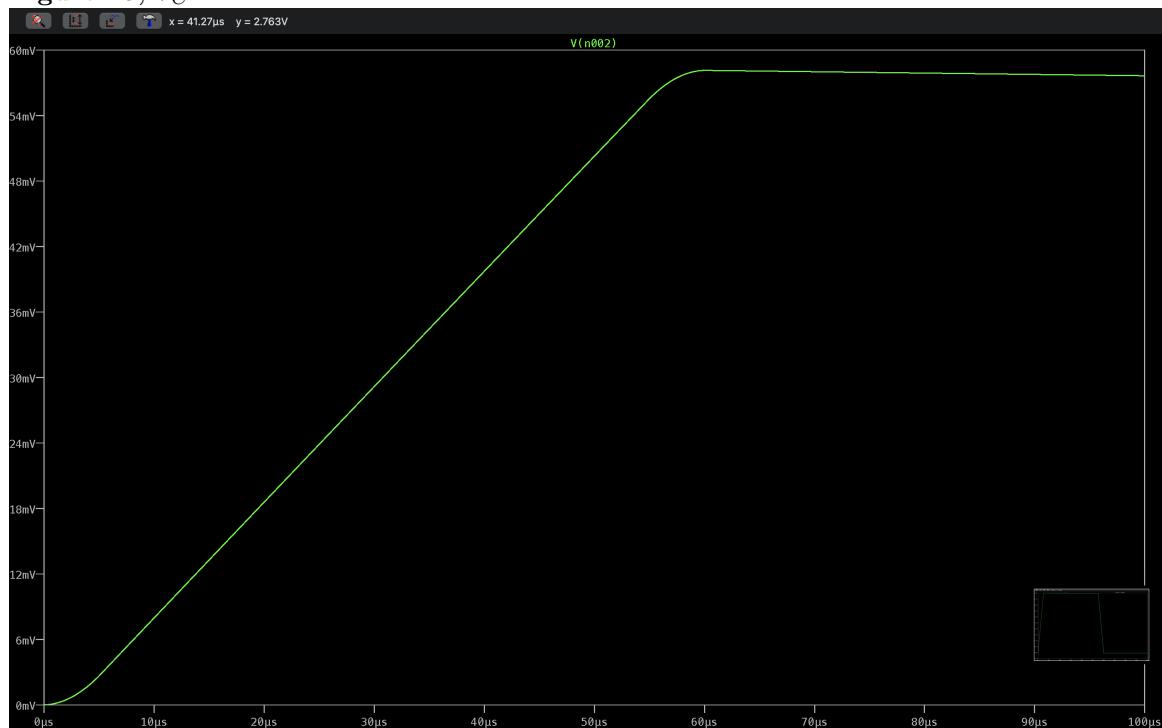


Figure 13, V_C



Time Constant: 4.96ms

Time Constant Explanation: I found the all time constants with the method I mentioned before where t is equal to time constant. In order to find this we should consider the equality; $VR = V_{in}0.63$. I used the cursor.

2.0.1 Comments:

First there are dissimilarities due to cursor stopping point. Results are similar but there are differences due to the real life condition mimicking of LTSpice.