



**GURU GOBIND SINGH INDRAPRASTHA UNIVERSITY,  
EAST DELHI CAMPUS,  
SURAJMAL VIHAR-110092**

<b>Paper code : ABS 212</b>	<b>L</b>	<b>T/P</b>	<b>C</b>
<b>Subject : Convex Optimization</b>	<b>3</b>	<b>0</b>	<b>3</b>

**Marking Scheme**

1. Teachers Continuous Evaluation: 25 Marks
2. End Term Theory Examination: 75 Marks

**INSTRUCTIONS TO PAPER SETTERS:**

**Maximum Marks : 75**

1. There should be 9 questions in the end term examination question paper
2. Question No. 1 should be compulsory and cover the entire syllabus. This question should have objective or short answer type questions. It should be of 15 marks.
3. Apart from Question No. 1, rest of the paper shall consist of four units as per the syllabus. Every unit should have two questions. However, student may be asked to attempt only 1 question from each unit. Each question should be 15 marks.
4. The questions are to be framed keeping in view the learning outcomes of course/paper. The standard/level of the questions to be asked should be at the level of the prescribed textbooks.
5. The requirement of (scientific) calculators/ log-tables/ data-tables may be specified if required

**Course Outcomes:**

<b>CO1:</b>	Ability of students to translate the problem given in descriptive form into a mathematical model.
<b>CO2:</b>	Ability of students to examine and evaluate various optimization problems according to their characteristics.
<b>CO3:</b>	Ability of students to adopt scientific approach for analyzing problems and making decisions.
<b>CO4:</b>	Ability of students to practically implement knowledge gained from various optimization methods for solving linear and nonlinear mathematical models.

**Course Outcomes (CO) to Programme Outcomes (PO) Mapping (Scale 1: Low, 2: Medium, 3: High)**

CO/PO	PO01	PO02	PO03	PO04	PO05	PO06	PO07	PO08	PO09	PO10	PO11	PO12
CO1	3	3	3	3	2	-	-	-	-	-	-	3
CO2	3	3	3	3	2	-	-	-	-	-	-	3
CO3	3	3	3	3	2	-	-	-	-	-	-	3
CO4	3	3	3	3	2	-	-	-	-	-	-	3

**Unit I**

[10]

**Unit 1: Linear programming:**

Fundamental theorem of linear programming, Simplex methods, Method of artificial variables, Degeneracy and Cycling, Simplex tableau in the condensed form, Duality, Complementary slackness conditions, Dual simplex method.

**Unit II**

[10]

**Transportation and assignment problems:**

Transportation problem, Balanced transportation problem, Unbalanced transportation problem, Assignment problem, Hungarian method for assignment problem, Dual interpretation of Hungarian method.

  
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Applicable from Batch Admitted in Academic Session 2021-22 Onwards

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**Unit III**

[10]

**Optimality conditions and duality in non-linear programming :**

Convex functions and their properties, convex optimization problems, feasible directions and linearizing cone, Basic constraint qualification, Lagrangian and Lagrange multipliers, Karush-Kuhn-Tucker necessary/sufficient conditions, Duality in nonlinear programming.

**Unit IV**

[10]

**Un-constraints optimization problems:**

Basic scheme and certain desirable properties, line search method for unimodal functions, the Steepest decent method, Newton's method, modified Newton's method, Conjugate gradient method.

**Reference Books**

1. Chandra, S., & Jayadeva, M. A. (2009). *Numerical Optimization with Applications*, Alpha Science International.
2. Bertsekas, D. P. (1997). *Nonlinear programming*. Journal of the Operational Research Society, 48(3), 334-334.
3. Chvátal, V. (1983). *Linear Programming WH Freeman and Company*. New York, 13-26.
4. Chong, E. K., & Zak, S. H. (2004). *An introduction to optimization*. John Wiley & Sons.
5. Fletcher, R. (2013). *Practical methods of optimization*. John Wiley & Sons.
6. Luenberger, D. G., & Ye, Y. (1984). *Linear and nonlinear programming* (Vol. 2). Reading, MA: Addison-wesley.
7. Mangasarian, O. L. (1994). *Nonlinear programming*. Society for Industrial and Applied Mathematics.
8. Nocedal, J., & Wright, S. J. (Eds.). (1999). *Numerical optimization*. New York, NY: Springer New York.
9. A. Ruszczyński, *Nonlinear optimization*, 2006, Princeton University Press, Princeton
10. Sundaram, R. K. (1996). *A first course in optimization theory*. Cambridge university press.

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