



**SRI KRISHNA COLLEGE OF ENGINEERING AND TECHNOLOGY  
COIMBATORE – 641008  
(An AUTONOMOUS INSTITUTION,  
AFFILIATED TO ANNA UNIVERSITY, CHENNAI)**

**DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING**

**21CS605 - ARTIFICIAL INTELLIGENCE LABORATORY**

**CONTINUOUS ASSESSMENT RECORD**

Submitted by

Name: .....

Register No. : .....

Degree & Branch: B.E. Computer Science and Engineering

Class: III B.E. CSE 'C'



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**BONAFIDE CERTIFICATE**

**This is to certify that this record is the bonafide record of work done by Mr./Ms. \_\_\_\_\_  
during the academic year 2023 – 2024.**

**Faculty-In Charge**

**HOD**

**Submitted for End Semester practical Examination, held on.....**

**INTERNAL EXAMINER**

**EXTERNAL EXAMINER**

Components	EXP 1	EXP 2	EXP 3	EXP 4	EXP 5	EXP 6	EXP 7	EXP 8	EXP 9	EXP 10	EXP 11	EXP 12
Observation (80)												
Record-Timing and Presentation (10)												
Viva (10)												
<b>TOTAL</b>												
<b>AVERAGE</b>												

## INDEX

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2		Implementation of Uninformed Formed Search		
3		8-Puzzle Problem Using Best First Search		
4		Implementation Of Informed Formed Search - A* Search		
5		Travelling Salesman Problem		
6		Genetic Algorithm of Travelling Salesman Problem		
7		Simulated Annealing Algorithm of Travelling Salesman Problem		
8		Map Coloring Using Constraint Satisfaction Problem (CSP)		
9		Adversarial Search For Tic-Tac-Toe Problem		
10		Kinship Domain Using Prolog		
11		K-Means Clustering Algorithm		
12		Decision Making Tree Using Machine Learning		
Average				
Signature of the Faculty				

<b>EXP :</b>	<b>IMPLEMENTATION OF N-QUEEN ALGORITHM</b>
<b>DATE :</b>	

## AIM

To implement the n-queen problem using Python.

## ALGORITHM

1. Initialize an empty NxN chessboard.
2. Start placing queens, beginning with the first row (row 0).
3. Call the recursive function `placeQueens(board, 0, N)` to place queens recursively starting from row 0.
4. Inside the `placeQueens` function:
  - a. Base case: If `row` is equal to `N`, return true, indicating all queens are successfully placed.
  - b. Loop through each column (`col`) in the current row (`row`).
  - c. Check if placing a queen at position (`row`, `col`) is safe by calling the `isSafe` function.
  - d. If safe, place the queen at (`row`, `col`) and recursively call `placeQueens` for the next row (`row + 1`).
  - e. If placing the queen leads to a successful solution (recursive call returns true), return true.
  - f. If no successful solution is found in the current configuration, backtrack by removing the queen from (`row`, `col`) and try the next column.
5. If `placeQueens` returns true, indicating a solution is found, return the solved board. Otherwise, return "No solution exists".
6. In the `isSafe` function, check if there is no queen in the same column (`col`).
7. Check the upper-left diagonal to ensure no queen is attacking from that direction.
8. Check the upper-right diagonal to ensure no queen is attacking from that direction.
9. If no conflicts are found, return true, indicating it's safe to place a queen at position (`row`, `col`).

## PROGRAM

```
def is_safe(board, row, col, n):
    for i in range(col):
        if board[row][i] == 1:
```

```
    return False
```

```
for i, j in zip(range(row, -1, -1), range(col, -1, -1)):
```

```
    if board[i][j] == 1:
```

```
        return False
```

```
for i, j in zip(range(row, n, 1), range(col, -1, -1)):
```

```
    if board[i][j] == 1:
```

```
        return False
```

```
return True
```

```
def solve_n_queens_util(board, col, n):
```

```
    if col >= n:
```

```
        return True
```

```
    for i in range(n):
```

```
        if is_safe(board, i, col, n):
```

```
            board[i][col] = 1
```

```
            if solve_n_queens_util(board, col + 1, n):
```

```
                return True
```

```
            board[i][col] = 0
```

```
return False
```

```
def solve_n_queens(n):
```

```
    board = [[0 for _ in range(n)] for _ in range(n)]
```

```
    if not solve_n_queens_util(board, 0, n):
```

```
        print("Solution does not exist")
```

```

        return False

    print("Solution for", n, "queens:")
    for i in range(n):
        for j in range(n):
            print(board[i][j], end=" ")

        print()
    return True

if __name__ == "__main__":
    while True:
        try:
            size = int(input("Enter the size of the chessboard (N): "))
            if size <= 0:
                print("Please enter a positive integer greater than 0.")
            else:
                break
        except ValueError:
            print("Invalid input! Please enter an integer.")

    solve_n_queens(size)

```

## OUTPUT

```

Enter the size of the chessboard (N): 8
Solution for 8 queens:
1 0 0 0 0 0 0 0
0 0 0 0 0 0 1 0
0 0 0 0 1 0 0 0
0 0 0 0 0 0 0 1
0 1 0 0 0 0 0 0
0 0 0 1 0 0 0 0
0 0 0 0 0 1 0 0
0 0 1 0 0 0 0 0
>

```

## RESULTS

Thus the Python program to implement n-queen problem has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF UNINFORMED FORMED SEARCH BREADTH FIRST SEARCH</b>
<b>DATE :</b>	

## AIM

To implement breadth first search using Python.

## ALGORITHM

1. Create a graph data structure to store the vertices and edges.
2. Prompt the user to input the number of edges (connections between vertices).
3. Iterate through the input number of edges: a. Prompt the user to input an edge as a pair of vertices (u, v). b. Add the edge (u, v) to the graph.
4. Prompt the user to input the starting vertex for BFS traversal.
5. Initialize a queue and a visited array.
6. Enqueue the starting vertex into the queue and mark it as visited.
7. While the queue is not empty: a. Dequeue a vertex from the queue. b. Print the dequeued vertex. c. Iterate through all adjacent vertices of the dequeued vertex: i. If an adjacent vertex is not visited, enqueue it into the queue and mark it as visited.
8. Repeat step 7 until the queue becomes empty.
9. End of Algorithm.

## PROGRAM

```
from collections import defaultdict

class Graph:
    def __init__(self):
        self.graph = defaultdict(list)

    def add_edge(self, u, v):
        self.graph[u].append(v)

    def bfs(self, start):
        visited = [False] * len(self.graph)
        queue = []
```



```

queue.append(start)
visited[start] = True

while queue:
    start = queue.pop(0)
    print(start, end=" ")

    for i in self.graph[start]:
        if not visited[i]:
            queue.append(i)
            visited[i] = True

if __name__ == "__main__":
    g = Graph()
    while True:
        try:
            n = int(input("Enter the number of edges: "))
            break
        except ValueError:
            print("Invalid input! Please enter an integer.")

    for _ in range(n):
        while True:
            try:
                u, v = map(int, input("Enter an edge (u v): ").split())
                break
            except ValueError:
                print("Invalid input! Please enter two integers separated by space.")
        g.add_edge(u, v)

    start_vertex = int(input("Enter the start vertex: "))
    print("Breadth First Traversal starting from vertex", start_vertex)

```

```
g.bfs(start_vertex)
```

## OUTPUT

```
Enter the number of edges: 10
Enter an edge (node1 node2): A B
Enter an edge (node1 node2): A S
Enter an edge (node1 node2): S G
Enter an edge (node1 node2): S C
Enter an edge (node1 node2): C F
Enter an edge (node1 node2): G F
Enter an edge (node1 node2): C D
Enter an edge (node1 node2): C E
Enter an edge (node1 node2): E H
Enter an edge (node1 node2): G H
Enter the start node: A
Enter the goal node: H
Expand Node | Fringe
-----
-           | A
A           | B, S
S           | B, G, C
C           | B, G, D, F, E
E           | B, G, D, F, H
H           |
Path: A => S => C => E => H
> |
```

## RESULTS

Thus the Python program to implement breath-first search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF UNINFORMED FORMED SEARCH - DEPTH FIRST SEARCH</b>
<b>DATE :</b>	

## AIM

To implement depth first search using Python.

## ALGORITHM

1. Create a graph data structure to store the vertices and edges.
2. Prompt the user to input the number of edges (connections between vertices).
3. Iterate through the input number of edges: a. Prompt the user to input an edge as a pair of vertices (u, v). b. Add the edge (u, v) to the graph.
4. Prompt the user to input the starting vertex for DFS traversal.
5. Initialize a stack and a visited array.
6. Push the starting vertex onto the stack and mark it as visited.
7. While the stack is not empty:
  - a. Pop a vertex from the stack.
  - b. Print the popped vertex.
  - c. Iterate through all adjacent vertices of the popped vertex: i. If an adjacent vertex is not visited, push it onto the stack and mark it as visited.
8. Repeat step 7 until the stack becomes empty.
9. End of Algorithm.

## PROGRAM

```
from collections import deque

class Graph:

    def __init__(self, directed=True):
        self.edges = {}
        self.directed = directed

    def add_edge(self, node1, node2, __reversed=False):
        try:
            neighbors = self.edges[node1]
        except KeyError:
```

```

        neighbors = set()
    neighbors.add(node2)
    self.edges[node1] = neighbors
    if not self.directed and not __reversed__:
        self.add_edge(node2, node1, True)

def neighbors(self, node):
    try:
        return self.edges[node]
    except KeyError:
        return []

def breadth_first_search(self, start, goal):
    found, fringe, visited, came_from = False, deque([start]), set([start]), {start: None}
    print('{:11s} | {}'.format('Expand Node', 'Fringe'))
    print('-----')
    print('{:11s} | {}'.format('-', start))
    while not found and len(fringe):
        current = fringe.pop()
        print('{:11s}'.format(current), end=' | ')
        if current == goal:
            found = True
            break
        for node in self.neighbors(current):
            if node not in visited:
                visited.add(node)
                fringe.append(node)
                came_from[node] = current
        print(', '.join(fringe))
    if found:
        print()
        return came_from

```

```

else:
    print('No path from {} to {}'.format(start, goal))

@staticmethod
def print_path(came_from, goal):
    parent = came_from[goal]
    if parent:
        Graph.print_path(came_from, parent)
    else:
        print(goal, end="")
        return
    print('=>', goal, end="")

def __str__(self):
    return str(self.edges)

graph = Graph(directed=False)

while True:
    try:
        num_edges = int(input("Enter the number of edges: "))
        break
    except ValueError:
        print("Invalid input! Please enter an integer.")

for _ in range(num_edges):
    while True:
        try:
            node1, node2 = input("Enter an edge (node1 node2): ").split()
            break
        except ValueError:
            print("Invalid input! Please enter two nodes separated by space.")
    graph.add_edge(node1, node2)

start = input("Enter the start node: ")

```

```

goal = input("Enter the goal node: ")
traced_path = graph.breadth_first_search(start, goal)
if traced_path:
    print('Path:', end=' ')
    Graph.print_path(traced_path, goal)
    print()

```

## OUTPUT

```

Enter the number of edges: 4
Enter an edge (node1 node2): A B
Enter an edge (node1 node2): A C
Enter an edge (node1 node2): B D
Enter an edge (node1 node2): C D
Enter the start node: A
Enter the goal node: D
Expand Node | Fringe
-----
-           | A
A           | B, C
C           | B, D
D           |
Path: A => C => D
> |

```

## RESULTS

Thus the Python program to implement depth-first search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF UNINFORMED FORMED SEARCH - UNIFORM COST SEARCH</b>
<b>DATE :</b>	

## AIM

To implement uniform cost search using Python.

## ALGORITHM

1. Initialize: Create a graph data structure to store the vertices and edges.
2. Input Edges and Costs: Prompt the user to input the number of edges. Then, for each edge, prompt the user to input the source node, destination node, and the cost of the edge.
3. Input Start and Goal Nodes: Prompt the user to input the start node and the goal node for the search.
4. Uniform Cost Search: Perform Uniform Cost Search algorithm to find the shortest path from the start node to the goal node.
5. Print Expansion Table: Print the expansion table showing the expanded nodes and the fringe at each step.
6. Print Path and Cost: If a path is found, print the path from the start node to the goal node along with the total cost. If no path is found, print that there is no path.
7. End.

## PROGRAM

```
from queue import heappop, heappush
```

```
from math import inf
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = {}
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, cost = 1, __reversed=False):
```

```
        try: neighbors = self.edges[node1]
```

```
        except KeyError: neighbors = {}
```

```
        neighbors[node2] = cost
```

```
        self.edges[node1] = neighbors
```

```
if not self.directed and not __reversed: self.add_edge(node2, node1, cost, True)
```

```
def neighbors(self, node):
```

```
    try: return self.edges[node]
```

```
    except KeyError: return []
```

```
def cost(self, node1, node2):
```

```
    try: return self.edges[node1][node2]
```

```
    except: return inf
```

```
def uniform_cost_search(self, start, goal):
```

```
    found, fringe, visited, came_from, cost_so_far = False, [(0, start)], set([start]), {start: None}, {start: 0}
```

```
    print('{:11s} | {}'.format('Expand Node', 'Fringe'))
```

```
    print('-----')
```

```
    print('{:11s} | {}'.format('-', str((0, start))))
```

```
    while not found and len(fringe):
```

```
        _, current = heappop(fringe)
```

```
        print('{:11s}'.format(current), end=' | ')
```

```
        if current == goal: found = True; break
```

```
        for node in self.neighbors(current):
```

```
            new_cost = cost_so_far[current] + self.cost(current, node)
```

```
            if node not in visited or cost_so_far[node] > new_cost:
```

```
                visited.add(node); came_from[node] = current; cost_so_far[node] = new_cost
```

```
                heappush(fringe, (new_cost, node))
```

```
        print(', '.join([str(n) for n in fringe]))
```

```
    if found: print(); return came_from, cost_so_far[goal]
```

```
    else: print('No path from {} to {}'.format(start, goal)); return None, inf
```

```
@staticmethod
```

```
def print_path(came_from, goal):
```

```
    parent = came_from[goal]
```

```
    if parent:
```



```
        Graph.print_path(came_from, parent)
    else: print(goal, end="");return
    print('=>', goal, end="")
```

```
def __str__(self):
    return str(self.edges)
```

```
graph = Graph(directed=True)
```

```
num_edges = int(input("Enter the number of edges: "))
```

```
for _ in range(num_edges):
```

```
    while True:
```

```
        try:
```

```
            node1, node2, cost = input("Enter an edge and its cost (node1 node2 cost): ").split()
```

```
            cost = int(cost)
```

```
            break
```

```
        except ValueError:
```

```
            print("Invalid input! Please enter three values separated by space (node1 node2 cost).")
```

```
    graph.add_edge(node1, node2, cost)
```

```
start = input("Enter the start node: ")
```

```
goal = input("Enter the goal node: ")
```

```
traced_path, cost = graph.uniform_cost_search(start, goal)
```

```
if traced_path:
```

```
    print('Path:', end=' ')
```

```
    Graph.print_path(traced_path, goal)
```

```
    print('\nCost:', cost)
```

## OUTPUT

```
Enter the number of edges: 6
Enter an edge and its cost (node1 node2 cost): A B 4
Enter an edge and its cost (node1 node2 cost): A C 1
Enter an edge and its cost (node1 node2 cost): B D 1
Enter an edge and its cost (node1 node2 cost): B E 8
Enter an edge and its cost (node1 node2 cost): C C 0
Enter an edge and its cost (node1 node2 cost): C D 7
Enter the start node: A
Enter the goal node: E
Expand Node | Fringe
-----
-           | (0, 'A')
A           | (1, 'C'), (4, 'B')
C           | (4, 'B'), (8, 'D')
B           | (5, 'D'), (8, 'D'), (12, 'E')
D           | (8, 'D'), (12, 'E')
D           | (12, 'E')
E           |
Path: A => B => E
Cost: 12
>
```

## RESULTS

Thus the Python program to implement uniform cost search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF UNIFORMED SEARCH - DEPTH LIMITED SEARCH</b>
<b>DATE :</b>	

## AIM

To implement depth limited search using Python.

## ALGORITHM

1. Initialize: Create a graph data structure to store the vertices and edges.
2. Input Edges: Prompt the user to input the number of edges. Then, for each edge, prompt the user to input the source node and the destination node.
3. Input Start and Goal Nodes: Prompt the user to input the start node and the goal node for the search.
4. Input Depth Limit: Prompt the user to input the depth limit for the search. If -1 is entered, it signifies an unlimited depth.
5. Depth-Limited Search: Perform Depth-Limited Search algorithm to find a path from the start node to the goal node within the specified depth limit.
6. Print Expansion Table: Print the expansion table showing the expanded nodes and the fringe at each step.
7. Print Path: If a path is found, print the path from the start node to the goal node. If no path is found, print that there is no path.
8. End.

## PROGRAM

```
from collections import deque
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = { }
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, __reversed=False):
```

```
        try:
```

```
            neighbors = self.edges[node1]
```

```
        except KeyError:
```

```

        neighbors = set()
    neighbors.add(node2)
    self.edges[node1] = neighbors
    if not self.directed and not __reversed__:
        self.add_edge(node2, node1, True)

def neighbors(self, node):
    try:
        return self.edges[node]
    except KeyError:
        return []

def depth_limited_search(self, start, goal, limit=-1):
    print('Depth limit =', limit)
    found, fringe, visited, came_from = False, deque([(0, start)]), set([start]), {start: None}
    print('{:11s} | {}'.format('Expand Node', 'Fringe'))
    print('-----')
    print('{:11s} | {}'.format('-', start))
    while not found and len(fringe):
        depth, current = fringe.pop()
        print('{:11s}'.format(current), end=' | ')
        if current == goal:
            found = True
            break
        if limit == -1 or depth < limit:
            for node in self.neighbors(current):
                if node not in visited:
                    visited.add(node)
                    fringe.append((depth + 1, node))
                    came_from[node] = current
            print(', '.join([n for _, n in fringe]))
    if found:

```

```
        print()
        return came_from
    else:
        print('No path from { } to { }'.format(start, goal))
```

```
@staticmethod
def print_path(came_from, goal):
    parent = came_from[goal]
    if parent:
        Graph.print_path(came_from, parent)
    else:
        print(goal, end="")
        return
    print(' =>', goal, end="")
```

```
def __str__(self):
    return str(self.edges)
```

```
graph = Graph(directed=False)
```

```
while True:
    try:
        num_edges = int(input("Enter the number of edges: "))
        break
    except ValueError:
        print("Invalid input! Please enter an integer.")
```

```
for _ in range(num_edges):
    while True:
        try:
```

```

        node1, node2 = input("Enter an edge (node1 node2): ").split()
        break
    except ValueError:
        print("Invalid input! Please enter two nodes separated by space.")
    graph.add_edge(node1, node2)

start = input("Enter the start node: ")
goal = input("Enter the goal node: ")
depth_limit = int(input("Enter the depth limit (or -1 for unlimited): "))

traced_path = graph.depth_limited_search(start, goal, depth_limit)
if traced_path:
    print('Path:', end=' ')
    Graph.print_path(traced_path, goal)
    print()

```

## OUTPUT

```

Enter the number of edges: 5
Enter an edge (node1 node2): A B
Enter an edge (node1 node2): A S
Enter an edge (node1 node2): S G
Enter an edge (node1 node2): S C
Enter an edge (node1 node2): C F
Enter the start node: A
Enter the goal node: F
Enter the depth limit (or -1 for unlimited): 3
Depth limit = 3
Expand Node | Fringe
-----
-          | A
A          |
No path from A to F

```

## RESULTS

Thus the Python program to implement depth- limited search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF UNINFORMED FORMED SEARCH - ITERATIVE DEEPENING DEPTH FIRST SEARCH</b>
<b>DATE :</b>	

## AIM

To implement iterative deepening depth first search using Python.

## ALGORITHM

1. Initialize: Create a graph data structure to store the vertices and edges.
2. Input Edges: Prompt the user to input the number of edges. Then, for each edge, prompt the user to input the source node and the destination node.
3. Input Start and Goal Nodes: Prompt the user to input the start node and the goal node for the search.
4. Iterative Deepening Depth-First Search: Perform iterative deepening depth-first search to find a path from the start node to the goal node.
5. Depth-Limited Search: Perform depth-limited search with increasing depth limits until the goal node is found or until the depth limit exceeds the maximum depth of the graph.
6. Print Expansion Table: Print the expansion table showing the expanded nodes and the fringe at each step.
7. Print Path: If a path is found, print the path from the start node to the goal node. If no path is found, print that there is no path.
8. End.

## PROGRAM

```
from collections import deque
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = { }
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, __reversed=False):
```

```
        try:
```

```
            neighbors = self.edges[node1]
```

```
        except KeyError:
```

```
            neighbors = set()
```

```

neighbors.add(node2)

self.edges[node1] = neighbors

if not self.directed and not __reversed:
    self.add_edge(node2, node1, True)

def neighbors(self, node):
    try:
        return self.edges[node]
    except KeyError:
        return []

def iterative_deepening_dfs(self, start, goal):
    prev_iter_visited, depth = [], 0
    while True:
        traced_path, visited = self.depth_limited_search(start, goal, depth)
        if traced_path or len(visited) == len(prev_iter_visited):
            return traced_path
        else:
            prev_iter_visited = visited
            depth += 1

def depth_limited_search(self, start, goal, limit=-1):
    print('Depth limit =', limit)
    found, fringe, visited, came_from = False, deque([(0, start)]), set([start]), {start: None}
    print('{:11s} | {}'.format('Expand Node', 'Fringe'))
    print('-----')
    print('{:11s} | {}'.format('-', start))
    while not found and len(fringe):
        depth, current = fringe.pop()
        print('{:11s}'.format(current), end=' | ')
        if current == goal:
            found = True

```



```

        break
    if limit == -1 or depth < limit:
        for node in self.neighbors(current):
            if node not in visited:
                visited.add(node)
                fringe.append((depth + 1, node))
                came_from[node] = current
        print(', '.join([n for _, n in fringe]))
    if found:
        print()
        return came_from, visited
    else:
        print('No path from { } to { }'.format(start, goal))
        return None, visited

```

```

@staticmethod

```

```

def print_path(came_from, goal):
    parent = came_from[goal]
    if parent:
        Graph.print_path(came_from, parent)
    else:
        print(goal, end="")
        return
    print('=>', goal, end="")

```

```

def __str__(self):
    return str(self.edges)

```

```

graph = Graph(directed=False)

```

```

while True:

```

```

    try:
        num_edges = int(input("Enter the number of edges: "))
        break

```

```
except ValueError:
    print("Invalid input! Please enter an integer.")

for _ in range(num_edges):
    while True:
        try:
            node1, node2 = input("Enter an edge (node1 node2): ").split()
            break
        except ValueError:
            print("Invalid input! Please enter two nodes separated by space.")
    graph.add_edge(node1, node2)

start = input("Enter the start node: ")
goal = input("Enter the goal node: ")

traced_path = graph.iterative_deepening_dfs(start, goal)
if traced_path:
    print('Path:', end=' ')
    Graph.print_path(traced_path, goal)
    print()
```

## OUTPUT

```
Enter the number of edges: 5
Enter an edge (node1 node2): A B
Enter an edge (node1 node2): A S
Enter an edge (node1 node2): S G
Enter an edge (node1 node2): S C
Enter an edge (node1 node2): C F
Enter the start node: A
Enter the goal node: F
Depth limit = 0
Expand Node | Fringe
-----
-          | A
A          |
No path from A to F
Depth limit = 1
Expand Node | Fringe
-----
-          | A
A          |
No path from A to F
```

## RESULT

Thus the Python program to implement iterative deepening depth first search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF INFORMED FORMED SEARCH - BEST FIRST SEARCH</b>
<b>DATE :</b>	

## AIM

To implement best first search using Python.

## ALGORITHM

1. Initialize an empty priority queue Q.
2. Add the initial state of the problem to Q.
3. While Q is not empty:
  - 3.1 Remove the node with the lowest heuristic value from Q.
  - 3.2 If the node is a goal state, return the solution.
  - 3.3 Expand the node and add its children to Q.

## PROGRAM

```
from collections import deque
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = { }
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, __reversed=False):
```

```
        try: neighbors = self.edges[node1]
```

```
        except KeyError: neighbors = set()
```

```
        neighbors.add(node2)
```

```
        self.edges[node1] = neighbors
```

```
        if not self.directed and not __reversed: self.add_edge(node2, node1, True)
```

```
    def neighbors(self, node):
```

```
        try: return self.edges[node]
```

```
        except KeyError: return []
```

```
    def breadth_first_search(self, start, goal):
```

```

found, fringe, visited, came_from = False, deque([start]), set([start]), {start: None}

print('{:11s} | {}'.format('Expand Node', 'Fringe'))

print('-----')

print('{:11s} | {}'.format('-', start))

while not found and len(fringe):

    current = fringe.pop()

    print('{:11s}'.format(current), end=' | ')

    if current == goal: found = True; break

    for node in self.neighbors(current):

        if node not in visited: visited.add(node); fringe.appendleft(node); came_from[node] =
current

    print(' '.join(fringe))

if found: print(); return came_from

else: print('No path from {} to {}'.format(start, goal))

```

```

@staticmethod

```

```

def print_path(came_from, goal):

    parent = came_from[goal]

    if parent:

        Graph.print_path(came_from, parent)

    else: print(goal, end="");return

    print('=>', goal, end="")

```

```

def __str__(self):

    return str(self.edges)

```

```

graph = Graph(directed=False)

graph.add_edge('A', 'B')

graph.add_edge('A', 'S')

graph.add_edge('S', 'G')

graph.add_edge('S', 'C')

graph.add_edge('C', 'F')

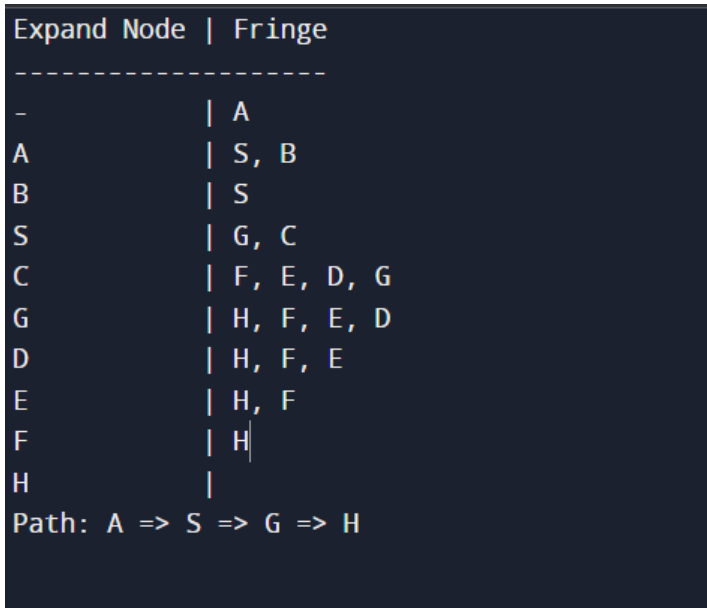
graph.add_edge('G', 'F')

graph.add_edge('C', 'D')

```

```
graph.add_edge('C', 'E')
graph.add_edge('E', 'H')
graph.add_edge('G', 'H')
start, goal = 'A', 'H'
traced_path = graph.breadth_first_search(start, goal)
if (traced_path): print('Path:', end=' '); Graph.print_path(traced_path, goal);print()
```

## OUTPUT



Expand Node	Fringe
-	A
A	S, B
B	S
S	G, C
C	F, E, D, G
G	H, F, E, D
D	H, F, E
E	H, F
F	H
H	
Path: A => S => G => H	

## RESULT

Thus the Python program to implement best first search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF INFORMED FORMED SEARCH - ITERATIVE DEEPENING A* SEARCH</b>
<b>DATE :</b>	

## AIM

To implement iterative deepening a\* search using Python.

## ALGORITHM

1. Initialize a threshold to the heuristic value of the initial state.
2. Repeat until a solution is found:
  1. Perform a depth-first search with depth-bound limited by the threshold.
  2. If a solution is found, return it.
  3. Update the threshold to the minimum f value exceeding the current threshold.
3. If no solution is found, return failure.

## PROGRAM

```
from queue import heappop, heappush
from math import inf
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = { }
```

```
        self.huristics = { }
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, cost = 1, __reversed=False):
```

```
        try: neighbors = self.edges[node1]
```

```
        except KeyError: neighbors = { }
```

```
        neighbors[node2] = cost
```

```
        self.edges[node1] = neighbors
```

```
        if not self.directed and not __reversed: self.add_edge(node2, node1, cost, True)
```

```
    def set_huristics(self, huristics={ }):
```

```
        self.huristics = huristics
```

```
def neighbors(self, node):
```

```
    try: return self.edges[node]
```

```
    except KeyError: return []
```

```
def cost(self, node1, node2):
```

```
    try: return self.edges[node1][node2]
```

```
    except: return inf
```

```
def iterative_deepening_astar_search(self, start, goal):
```

```
    prev_visited, depth = 0, 0
```

```
    while True:
```

```
        trace, cost, visited = self.dept_limited_astar_search(start, goal, depth)
```

```
        if trace or visited == prev_visited: return trace, cost
```

```
        prev_visited = visited
```

```
        depth += 1
```

```
def dept_limited_astar_search(self, start, goal, limit=-1):
```

```
    print('Depth Limit =', limit)
```

```
    found, fringe, visited = False, [(self.huristics[start], start, 0)], set([start])
```

```
    came_from, cost_so_far = {start: None}, {start: 0}
```

```
    print('{:11s} | {}'.format('Expand Node', 'Fringe'))
```

```
    print('-----')
```

```
    print('{:11s} | {}'.format('-', str(fringe[0][:-1])))
```

```
    while not found and len(fringe):
```

```
        _, current, depth = heappop(fringe)
```

```
        print('{:11s}'.format(current), end=' | ')
```

```
        if current == goal: found = True; break
```

```
        if limit == -1 or depth < limit:
```

```
            for node in self.neighbors(current):
```

```
                new_cost = cost_so_far[current] + self.cost(current, node)
```

```
                if node not in visited or cost_so_far[node] > new_cost:
```



```

        visited.add(node); came_from[node] = current; cost_so_far[node] = new_cost

        heappush(fringe, (new_cost + self.huristics[node], node, depth + 1))

    print(', '.join([str(n[:-1]) for n in fringe]))

    if found: print(); return came_from, cost_so_far[goal], len(visited)

    else: print('No path from { } to { }'.format(start, goal)); return None, inf, len(visited)

    @staticmethod

    def print_path(came_from, goal):

        parent = came_from[goal]

        if parent:

            Graph.print_path(came_from, parent)

        else: print(goal, end="");return

        print(' =>', goal, end="")

    def __str__(self):

        return str(self.edges)

graph = Graph(directed=True)

graph.add_edge('A', 'B', 4)
graph.add_edge('A', 'C', 1)
graph.add_edge('B', 'D', 3)
graph.add_edge('B', 'E', 8)
graph.add_edge('C', 'C', 0)
graph.add_edge('C', 'D', 7)
graph.add_edge('C', 'F', 6)
graph.add_edge('D', 'C', 2)
graph.add_edge('D', 'E', 4)
graph.add_edge('E', 'G', 2)
graph.add_edge('F', 'G', 8)

graph.set_huristics({'A': 8, 'B': 8, 'C': 6, 'D': 5, 'E': 1, 'F': 4, 'G': 0})

start, goal, limit = 'A', 'G', 3

traced_path, cost = graph.iterative_deepening_astar_search(start, goal)

```

```
if (traced_path): print('Path:', end=' '); Graph.print_path(traced_path, goal); print('\nCost:', cost)
```

## OUTPUT

```
Depth Limit = 0
Expand Node | Fringe
-----
-           | (8, 'A')
A           |
No path from A to G
Depth Limit = 1
Expand Node | Fringe
-----
-           | (8, 'A')
A           | (7, 'C'), (12, 'B')
C           | (12, 'B')
B           |
No path from A to G
```

## RESULT

Thus the Python program to implement iterative deepening a\* search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF INFORMED FORMED SEARCH - BIDIRECTIONAL SEARCH</b>
<b>DATE :</b>	

## AIM

To implement bidirectional search using Python.

## ALGORITHM

1. Initialize two empty queues: Q\_start and Q\_goal.
2. Add the initial state to Q\_start and the goal state to Q\_goal.
3. While both Q\_start and Q\_goal are not empty:
  1. Expand one node from Q\_start and one node from Q\_goal.
  2. If a node in Q\_start is also in Q\_goal, return the solution.
  3. If a node in Q\_start can reach a node in Q\_goal or vice versa, return the solution.
  4. Add the children of expanded nodes to their respective queues.
4. If no solution is found, return failure.

## PROGRAM

```
from collections import deque
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = { }
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, __reversed=False):
```

```
        try: neighbors = self.edges[node1]
```

```
        except KeyError: neighbors = set()
```

```
        neighbors.add(node2)
```

```
        self.edges[node1] = neighbors
```

```
        if not self.directed and not __reversed: self.add_edge(node2, node1, True)
```

```
    def neighbors(self, node):
```

```
        try: return self.edges[node]
```

```
except KeyError: return []
```

```
def bi_directional_search(self, start, goal):
```

```
    found, fringe1, visited1, came_from1 = False, deque([start]), set([start]), {start: None}
```

```
    meet, fringe2, visited2, came_from2 = None, deque([goal]), set([goal]), {goal: None}
```

```
    while not found and (len(fringe1) or len(fringe2)):
```

```
        print('FringeStart: {:30s} | FringeGoal: {}'.format(str(fringe1), str(fringe2)))
```

```
        if len(fringe1):
```

```
            current1 = fringe1.pop()
```

```
            if current1 in visited2: meet = current1; found = True; break
```

```
            for node in self.neighbors(current1):
```

```
                if node not in visited1: visited1.add(node); fringe1.appendleft(node); came_from1[node]  
= current1
```

```
            if len(fringe2):
```

```
                current2 = fringe2.pop()
```

```
                if current2 in visited1: meet = current2; found = True; break
```

```
                for node in self.neighbors(current2):
```

```
                    if node not in visited2: visited2.add(node); fringe2.appendleft(node); came_from2[node]  
= current2
```

```
            if found: print(); return came_from1, came_from2, meet
```

```
            else: print('No path between {} and {}'.format(start, goal)); return None, None, None
```

```
@staticmethod
```

```
def print_path(came_from, goal):
```

```
    parent = came_from[goal]
```

```
    if parent:
```

```
        Graph.print_path(came_from, parent)
```

```
    else: print(goal, end="");return
```

```
    print('=>', goal, end="")
```

```
def __str__(self):
```

```
    return str(self.edges)
```

```
graph = Graph(directed=False)
```

```

graph.add_edge('A', 'B'); graph.add_edge('A', 'S'); graph.add_edge('S', 'G')
graph.add_edge('S', 'C'); graph.add_edge('C', 'F'); graph.add_edge('G', 'F')
graph.add_edge('C', 'D'); graph.add_edge('C', 'E'); graph.add_edge('E', 'H')
graph.add_edge('G', 'H')

start, goal = 'A', 'H'

traced_path1, traced_path2, meet = graph.bi_directional_search(start, goal)

if meet:
    print('Meeting Node:', meet)

    print('Path From Start:', end=' '); Graph.print_path(traced_path1, meet); print()

    print('Path From Goal:', end=' '); Graph.print_path(traced_path2, meet); print()

```

## OUTPUT

```

FringeStart: deque(['A'])           | FringeGoal: deque(['H'])
FringeStart: deque(['B', 'S'])      | FringeGoal: deque(['G', 'E'])
FringeStart: deque(['G', 'C', 'B']) | FringeGoal: deque(['C', 'G'])

Meeting Node: G
Path From Start: A => S => G
Path From Goal: H => G

```

## RESULT

Thus the Python program to implement bidirectional search has been successfully executed.

<b>EXP :</b>	<b>8-PUZZLE PROBLEM USING BEST FIRST SEARCH</b>
<b>DATE :</b>	

## AIM

To implement 8-puzzle problem using best first search using Python.

## ALGORITHM

1. Initialize an empty priority queue Q.
2. Add the initial state of the problem to Q.
3. While Q is not empty:
  - 3.1 Remove the node with the lowest heuristic value from Q.
  - 3.2 If the node is a goal state, return the solution.
  - 3.3 Expand the node and add its children to Q.

## PROGRAM

```
import heapq

class PuzzleState:

    def __init__(self, puzzle, parent=None):
        self.puzzle = puzzle
        self.parent = parent
        self.cost = 0
        self.heuristic = 0
        self.depth = 0

    def __lt__(self, other):
        return (self.cost + self.heuristic) < (other.cost + other.heuristic)

    def __eq__(self, other):
        return self.puzzle == other.puzzle

    def __hash__(self):
        return hash(str(self.puzzle))

    def goal_test(self):
```

```

return self.puzzle == [0, 1, 2, 3, 4, 5, 6, 7, 8]

def generate_children(self):
    children = []
    zero_index = self.puzzle.index(0)
    moves = [(1, 0), (-1, 0), (0, 1), (0, -1)] # Right, Left, Down, Up

    for dx, dy in moves:
        new_x, new_y = zero_index // 3 + dx, zero_index % 3 + dy
        if 0 <= new_x < 3 and 0 <= new_y < 3:
            new_puzzle = self.puzzle[:]
            new_zero_index = new_x * 3 + new_y
            new_puzzle[zero_index], new_puzzle[new_zero_index] = new_puzzle[new_zero_index],
new_puzzle[zero_index]
            new_state = PuzzleState(new_puzzle, self)
            children.append(new_state)

    return children

def manhattan_distance(state):
    distance = 0
    for i in range(1, 9):
        current_x, current_y = state.puzzle.index(i) // 3, state.puzzle.index(i) % 3
        goal_x, goal_y = (i - 1) // 3, (i - 1) % 3
        distance += abs(current_x - goal_x) + abs(current_y - goal_y)
    return distance

def best_first_search(initial_state):
    frontier = []
    heapq.heappush(frontier, initial_state)

    explored = set()
    while frontier:

```

```

current_state = heapq.heappop(frontier)

if current_state.goal_test():
    return current_state

explored.add(current_state)

for child in current_state.generate_children():
    if child not in explored:
        child.cost = current_state.cost + 1
        child.heuristic = manhattan_distance(child)
        heapq.heappush(frontier, child)

return None

def print_solution(solution):
    path = []
    current_state = solution
    while current_state:
        path.append(current_state.puzzle)
        current_state = current_state.parent
    path.reverse()
    for i, state in enumerate(path):
        print(f"Move {i}:")
        print_puzzle(state)
        print()

def print_puzzle(puzzle):
    for i in range(0, 9, 3):
        print(puzzle[i:i+3])

if __name__ == "__main__":

```



```
initial_puzzle = [1, 2, 3, 0, 4, 5, 6, 7, 8] # Initial state of the puzzle
```

```
initial_state = PuzzleState(initial_puzzle)
```

```
solution = best_first_search(initial_state)
```

```
if solution:
```

```
    print("Solution found:")
```

```
    print_solution(solution)
```

```
else:
```

```
    print("No solution found.")
```

## OUTPUT

```
Solution found:
```

```
[0, 1, 2]
```

```
[3, 4, 5]
```

```
[6, 7, 8]
```

## RESULT

Thus the Python program to implement 8-puzzle problem using best first search has been successfully executed.

<b>EXP :</b>	<b>IMPLEMENTATION OF INFORMED FORMED SEARCH - A* SEARCH</b>
<b>DATE :</b>	

## AIM

To implement A\* search using Python.

## ALGORITHM

1. Initialize an empty priority queue Q.
2. Add the initial state of the problem to Q with priority  
 $f(\text{initial\_state}) = g(\text{initial\_state}) + h(\text{initial\_state})$ .
3. While Q is not empty:
  - a. Remove the node with the lowest f value from Q.
  - b. If the node is a goal state, return the solution.
  - c. Expand the node and compute the f values for its children.
  - d. Add the children to Q with their respective f values.
4. If no solution is found, return failure.

## PROGRAM

```
from queue import heappop, heappush
```

```
from math import inf
```

```
class Graph:
```

```
    def __init__(self, directed=True):
```

```
        self.edges = {}
```

```
        self.huristics = {}
```

```
        self.directed = directed
```

```
    def add_edge(self, node1, node2, cost = 1, __reversed=False):
```

```
        try: neighbors = self.edges[node1]
```

```
        except KeyError: neighbors = {}
```

```
        neighbors[node2] = cost
```

```
        self.edges[node1] = neighbors
```

```
        if not self.directed and not __reversed: self.add_edge(node2, node1, cost, True)
```

```

def set_huristics(self, huristics={}):
    self.huristics = huristics

def neighbors(self, node):
    try: return self.edges[node]
    except KeyError: return []

def cost(self, node1, node2):
    try: return self.edges[node1][node2]
    except: return inf

def a_star_search(self, start, goal):
    found, fringe, visited, came_from, cost_so_far = False, [(self.huristics[start], start)], set([start]),
    {start: None}, {start: 0}

    print('{:11s} | {}'.format('Expand Node', 'Fringe'))
    print('-----')
    print('{:11s} | {}'.format('-', str(fringe[0])))
    while not found and len(fringe):
        _, current = heappop(fringe)
        print('{:11s}'.format(current), end=' | ')
        if current == goal: found = True; break
        for node in self.neighbors(current):
            new_cost = cost_so_far[current] + self.cost(current, node)
            if node not in visited or cost_so_far[node] > new_cost:
                visited.add(node); came_from[node] = current; cost_so_far[node] = new_cost
                heappush(fringe, (new_cost + self.huristics[node], node))
        print(', '.join([str(n) for n in fringe]))
    if found: print(); return came_from, cost_so_far[goal]
    else: print('No path from {} to {}'.format(start, goal)); return None, inf

    @staticmethod
    def print_path(came_from, goal):
        parent = came_from[goal]

```

```

    if parent:
        Graph.print_path(came_from, parent)
    else: print(goal, end="");return

    print('=>', goal, end="")

def __str__(self):
    return str(self.edges)

graph = Graph(directed=True)
graph.add_edge('A', 'B', 4)
graph.add_edge('A', 'C', 1)
graph.add_edge('B', 'D', 3)
graph.add_edge('B', 'E', 8)
graph.add_edge('C', 'C', 0)
graph.add_edge('C', 'D', 7)
graph.add_edge('C', 'F', 6)
graph.add_edge('D', 'C', 2)
graph.add_edge('D', 'E', 4)
graph.add_edge('E', 'G', 2)
graph.add_edge('F', 'G', 8)
graph.set_huristics({'A': 8, 'B': 8, 'C': 6, 'D': 5, 'E': 1, 'F': 4, 'G': 0})
start, goal = 'A', 'G'
traced_path, cost = graph.a_star_search(start, goal)
if (traced_path): print('Path:', end=' '); Graph.print_path(traced_path, goal); print('\nCost:', cost)

```

## OUTPUT

```
Expand Node | Fringe
-----
-           | (8, 'A')
A           | (7, 'C'), (12, 'B')
C           | (11, 'F'), (13, 'D'), (12, 'B')
F           | (12, 'B'), (13, 'D'), (15, 'G')
B           | (12, 'D'), (13, 'E'), (13, 'D'), (15, 'G')
D           | (12, 'E'), (13, 'D'), (15, 'G'), (13, 'E')
E           | (13, 'D'), (13, 'E'), (15, 'G'), (13, 'G')
D           | (13, 'E'), (13, 'G'), (15, 'G')
E           | (13, 'G'), (15, 'G')
G           |
Path: A => B => D => E => G
Cost: 13
```

## RESULT

Thus the Python program to implement A\* search has been successfully executed.

<b>EXP :</b>	<b>TRAVELLING SALESMAN PROBLEM</b>
<b>DATE :</b>	

## AIM

To implement travelling salesman problem using Python.

## ALGORITHM

1. Generate all possible permutations of cities.
2. For each permutation, calculate the total distance of the route by summing up the distances between consecutive cities.
3. Identify the permutation with the shortest total distance.
4. Output the shortest route found along with its total distance.
5. Implement optimization techniques to improve the efficiency of the algorithm heuristic methods for larger instances of the problem

## PROGRAM

```
import itertools

# Function to calculate the distance between two cities (Euclidean distance)
def distance(city1, city2):
    return ((city1[0] - city2[0]) ** 2 + (city1[1] - city2[1]) ** 2) ** 0.5

def total_distance(route, cities):
    total = 0
    for i in range(len(route) - 1):
        total += distance(cities[route[i]], cities[route[i+1]])
    # Add distance from last city back to the starting city
    total += distance(cities[route[-1]], cities[route[0]])
    return total

def tsp_brute_force(cities):
    shortest_distance = float('inf')
    shortest_route = None

    # Generate all possible permutations of cities
    for route in itertools.permutations(range(len(cities))):
```

```
    route_distance = total_distance(route, cities)

    if route_distance < shortest_distance:
        shortest_distance = route_distance
        shortest_route = route

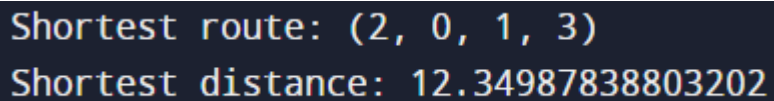
    return shortest_route, shortest_distance

# Example usage
if __name__ == "__main__":
    # Example cities (format: [x, y])
    cities = [(0, 0), (1, 2), (3, 1), (5, 3)]

    # Find the shortest route and its distance
    shortest_route, shortest_distance = tsp_brute_force(cities)

    print("Shortest route:", shortest_route)
    print("Shortest distance:", shortest_distance)
```

## OUTPUT



```
Shortest route: (2, 0, 1, 3)
Shortest distance: 12.34987838803202
```

## RESULT

Thus the Python program to implement travelling salesman problem has been successfully executed.

<b>EXP :</b>	<b>GENETIC ALGORITHM OF TRAVELLING SALESMAN PROBLEM</b>
<b>DATE :</b>	

## AIM

To implement the travelling salesman problem using genetic algorithm using Python.

## ALGORITHM

1. Generate an initial population of routes, each consisting of a random permutation of cities.
2. Calculate the fitness of each route in the population based on the total distance traveled. Higher fitness corresponds to shorter distances.
3. Evolve Population:
  - Select individuals from the population to serve as parents for the next generation.
  - Generate offspring through crossover and mutation operations.
  - Replace the current population with the new generation of individuals.
4. Repeat the evolution process for a specified number of generations.
5. After the specified number of generations, select the route with the highest fitness as the best route found.

## PROGRAM

```
import random

import numpy as np

class GeneticAlgorithmTSP:

    def __init__(self, cities, population_size=50, mutation_rate=0.01, generations=100):

        self.cities = cities

        self.population_size = population_size

        self.mutation_rate = mutation_rate

        self.generations = generations

    def initial_population(self):

        return [random.sample(self.cities, len(self.cities)) for _ in range(self.population_size)]

    def fitness(self, route):

        total_distance = 0

        for i in range(len(route)):
```



```

    total_distance += np.linalg.norm(np.array(route[i-1]) - np.array(route[i]))
return 1 / total_distance

```

```

def mutate(self, route):
    for swap in range(len(route)):
        if random.random() < self.mutation_rate:
            swap_with = int(random.random() * len(route))
            route[swap], route[swap_with] = route[swap_with], route[swap]
    return route

```

```

def crossover(self, parent1, parent2):
    start = int(random.random() * len(parent1))
    end = int(random.random() * len(parent1))
    if start > end:
        start, end = end, start

    child = [None] * len(parent1)
    for i in range(start, end):
        child[i] = parent1[i]

```

```

    for i in range(len(parent2)):
        if parent2[i] not in child:
            for j in range(len(child)):
                if child[j] is None:
                    child[j] = parent2[i]
                    break

```

```

    return child

```

```

def evolve(self, population):
    graded = [(self.fitness(route), route) for route in population]
    graded = [route[1] for route in sorted(graded, key=lambda x: x[0], reverse=True)]

```

```
retain_length = int(len(graded) * 0.2)
```

```
parents = graded[:retain_length]
```

```
for individual in graded[retain_length:]:
```

```
    if random.random() < 0.5:
```

```
        parents.append(individual)
```

```
parents_length = len(parents)
```

```
desired_length = len(population) - parents_length
```

```
children = []
```

```
while len(children) < desired_length:
```

```
    parent1 = random.choice(parents)
```

```
    parent2 = random.choice(parents)
```

```
    child = self.crossover(parent1, parent2)
```

```
    child = self.mutate(child)
```

```
    children.append(child)
```

```
parents.extend(children)
```

```
return parents
```

```
def optimize(self):
```

```
    population = self.initial_population()
```

```
    for i in range(self.generations):
```

```
        population = self.evolve(population)
```

```
    best_route = max([(self.fitness(route), route) for route in population], key=lambda x: x[0])[1]
```

```
    return best_route
```

```
# Example usage:
```

```
if __name__ == "__main__":
```

```
    # Example cities (format: [x, y])
```

```
    cities = [(0, 0), (1, 2), (3, 1), (5, 3)]
```

```
# Initialize and run Genetic Algorithm
ga_tsp = GeneticAlgorithmTSP(cities)
best_route = ga_tsp.optimize()

print("Best Route:", best_route)
```

## OUTPUT

```
Best Route: [(3, 1), (5, 3), (1, 2), (0, 0)]
```

## RESULT

Thus the Python program to implement travelling salesman problem using genetic algorithm has been successfully executed.

<b>EXP :</b>	<b>SIMULATED ANNEALING ALGORITHM OF TRAVELLING SALESMAN PROBLEM</b>
<b>DATE :</b>	

## AIM

To implement simulated annealing algorithm of travelling salesman problem using Python.

## ALGORITHM

1. Generate an initial solution (route) randomly. This could be a random permutation of the cities.
2. Define a fitness function to evaluate the quality of a solution (route). In TSP, this could be the inverse of the total distance travelled.
3. Repeat for a specified number of iterations:
  - a. Perturb the current solution to obtain a neighbouring solution. This could involve swapping two cities in the route.
  - b. Evaluate the fitness of the new solution.
  - c. If the new solution is better (has higher fitness), accept it as the current solution.
  - d. If the new solution is worse, accept it probabilistically based on the change in fitness and the current temperature according to the acceptance probability formula.
  - e. Update the temperature according to the cooling schedule.
4. Repeat the annealing process for a predetermined number of iterations or until a stopping criterion is met.
5. Output the best solution found during the annealing process, i.e., the solution with the highest fitness.

## PROGRAM

```
import random
import math
import numpy as np
class SimulatedAnnealingTSP:
    def __init__(self, cities, temperature=10000, cooling_rate=0.003, num_iterations=1000):
        self.cities = cities
        self.temperature = temperature
        self.cooling_rate = cooling_rate
```

```
self.num_iterations = num_iterations
```

```
def initial_solution(self):
```

```
    return random.sample(self.cities, len(self.cities))
```

```
def fitness(self, route):
```

```
    total_distance = 0
```

```
    for i in range(len(route)):
```

```
        total_distance += np.linalg.norm(np.array(route[i-1]) - np.array(route[i]))
```

```
    return 1 / total_distance
```

```
def acceptance_probability(self, cost_diff, temperature):
```

```
    if cost_diff < 0:
```

```
        return 1.0
```

```
    return math.exp(-cost_diff / temperature)
```

```
def anneal(self):
```

```
    current_solution = self.initial_solution()
```

```
    current_cost = self.fitness(current_solution)
```

```
    best_solution = current_solution
```

```
    best_cost = current_cost
```

```
    for i in range(self.num_iterations):
```

```
        new_solution = current_solution[:]
```

```
        city1, city2 = random.sample(range(len(new_solution)), 2)
```

```
        new_solution[city1], new_solution[city2] = new_solution[city2], new_solution[city1]
```

```
        new_cost = self.fitness(new_solution)
```

```
        cost_diff = new_cost - current_cost
```

```
        if self.acceptance_probability(cost_diff, self.temperature) > random.random():
```

```
            current_solution = new_solution
```

```

        current_cost = new_cost

    if current_cost > best_cost:
        best_solution = current_solution
        best_cost = current_cost

    self.temperature *= 1 - self.cooling_rate
    return best_solution

if __name__ == "__main__":
    # Example cities (format: [x, y])
    cities = [(0, 0), (2, 3), (3, 8), (3, 9)]
    # Initialize and run Simulated Annealing Algorithm
    sa_tsp = SimulatedAnnealingTSP(cities)
    best_route = sa_tsp.anneal()
    print("Best Route:", best_route)

```

## OUTPUT

```
Best Route: [(2, 3), (3, 8), (3, 9), (0, 0)]
```

## RESULT

Thus the Python program to implement annealing algorithm of travelling salesman problem has been successfully executed.

<b>EXP :</b>	<b>MAP COLOURING USING CONSTRAINT SATISFACTION PROBLEM (CSP)</b>
<b>DATE :</b>	

## AIM

To implement map colouring using constraint satisfaction problem (CSP) using Python.

## ALGORITHM

1. Define a set of colours that can be used to colour the map.
2. Define the states (regions) of the map and their neighbouring states.
3. For each state in the map: Determine the available colours that haven't been used by neighbouring states.
4. Assign a colour to the current state from the set of available colours.
5. Repeat this process for each state, ensuring that neighbouring states have different colours.
6. If a valid colouring is found (i.e., all states are assigned colours without violating the constraint of neighbouring states having the same colour), output the colouring.
7. If no valid colouring is possible (i.e., conflicting constraints arise), report that no solution exists.

## PROGRAM

```
def map_coloring(states, neighbors):
    colors = {}
    for state in states:
        available_colors = set(["red", "green", "blue"])
        for neighbor in neighbors[state]:
            if neighbor in colors:
                available_colors.discard(colors[neighbor])
        if available_colors:
            colors[state] = available_colors.pop()
        else:
            return None
    return colors

# Define states and their neighbors
states = ["WA", "NT", "SA", "Q", "NSW", "V", "T"]
```

```

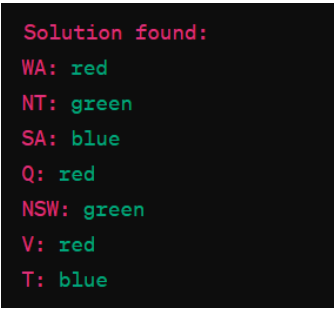
neighbors = {
    "WA": ["NT", "SA"],
    "NT": ["WA", "SA", "Q"],
    "SA": ["WA", "NT", "Q", "NSW", "V"],
    "Q": ["NT", "SA", "NSW", "V"],
    "NSW": ["SA", "Q", "V"],
    "V": ["SA", "Q", "NSW", "T"],
    "T": ["V"]}

# Solve the problem
solution = map_coloring(states, neighbors)

# Print the solution
if solution:
    print("Solution found:")
    for state, color in solution.items():
        print(f"{state}: {color}")
else:
    print("No solution found.")

```

## OUTPUT



```

Solution found:
WA: red
NT: green
SA: blue
Q: red
NSW: green
V: red
T: blue

```

## RESULT

Thus the Python program to implement map colouring using constraint satisfaction problem has been successfully executed.



<b>EXP :</b>	<b>ADVERSARIAL SEARCH FOR TIC-TAC-TOE PROBLEM</b>
<b>DATE :</b>	

## AIM

To implement adversarial search for tic-tac-toe using Python.

## ALGORITHM

1. Set up the Tic-tac-toe board and print it.
2. Ask the player to input their move (row and column).
3. Validate the move and update the board.
4. Check if the player wins or if it's a tie. If so, end the game.
5. Implement the minimax algorithm to find the best move for the AI.
6. Update the board with the AI's move.
7. Check if the AI wins or if it's a tie. If so, end the game.
8. Alternate between steps 2 and 3 until the game ends.
9. Print the final state of the board.
10. Print the result (whether the player wins, the AI wins, or it's a tie).
11. End the game.

## PROGRAM

```
# Constants for players
PLAYER_X = 'X'
PLAYER_O = 'O'
EMPTY = ''
```

```
def print_board(board):
```

```
    for row in board:
```

```
        print("|".join(row))
```

```
        print("-----")
```

```
    print()
```

```
def evaluate(board):
```

```

# Check rows, columns, and diagonals for a win
for row in board:
    if row.count(PAYER_X) == 3:
        return 10
    elif row.count(PAYER_O) == 3:
        return -10

for col in range(3):
    if board[0][col] == board[1][col] == board[2][col] and board[0][col] != EMPTY:
        if board[0][col] == PAYER_X:
            return 10
        else:
            return -10

if board[0][0] == board[1][1] == board[2][2] and board[0][0] != EMPTY:
    if board[0][0] == PAYER_X:
        return 10
    else:
        return -10

if board[0][2] == board[1][1] == board[2][0] and board[0][2] != EMPTY:
    if board[0][2] == PAYER_X:
        return 10
    else:
        return -10

# If no winner, it's a tie
return 0

```

```

def is_moves_left(board):
    for row in board:
        if EMPTY in row:

```

```
        return True
    return False
```

```
def minimax(board, depth, is_maximizing):
    score = evaluate(board)

    if score == 10:
        return score - depth
    if score == -10:
        return score + depth
    if not is_moves_left(board):
        return 0

    if is_maximizing:
        best = -float('inf')
        for i in range(3):
            for j in range(3):
                if board[i][j] == EMPTY:
                    board[i][j] = PLAYER_X
                    best = max(best, minimax(board, depth+1, not is_maximizing))
                    board[i][j] = EMPTY
            return best
    else:
        best = float('inf')
        for i in range(3):
            for j in range(3):
                if board[i][j] == EMPTY:
                    board[i][j] = PLAYER_O
                    best = min(best, minimax(board, depth+1, not is_maximizing))
                    board[i][j] = EMPTY
            return best
```

```

def find_best_move(board):

    best_val = -float('inf')

    best_move = (-1, -1)

    for i in range(3):
        for j in range(3):
            if board[i][j] == EMPTY:
                board[i][j] = PLAYER_X

                move_val = minimax(board, 0, False)

                board[i][j] = EMPTY

                if move_val > best_val:
                    best_move = (i, j)
                    best_val = move_val

    return best_move

def play_game():

    board = [[EMPTY]*3 for _ in range(3)]

    print("Welcome to Tic Tac Toe!")

    print_board(board)

    while True:

        # Player's move

        while True:

            row = int(input("Enter row (0, 1, or 2): "))

            col = int(input("Enter column (0, 1, or 2): "))

            if board[row][col] == EMPTY:

                board[row][col] = PLAYER_O

                break

        else:

            print("That spot is already taken. Try again.")

```

```
print_board(board)
```

```
# Check if player wins
```

```
if evaluate(board) == -10:
```

```
    print("You win!")
```

```
    break
```

```
# Check for tie
```

```
if not is_moves_left(board):
```

```
    print("It's a tie!")
```

```
    break
```

```
# AI's move
```

```
print("AI's move:")
```

```
ai_move = find_best_move(board)
```

```
board[ai_move[0]][ai_move[1]] = PLAYER_X
```

```
print_board(board)
```

```
# Check if AI wins
```

```
if evaluate(board) == 10:
```

```
    print("AI wins!")
```

```
    break
```

```
# Check for tie
```

```
if not is_moves_left(board):
```

```
    print("It's a tie!")
```

```
    break
```

```
play_game()
```

## OUTPUT

```
Welcome to Tic Tac Toe!
| |
-----
| |
-----
| |
-----

Enter row (0, 1, or 2): 0
Enter column (0, 1, or 2): 1
|O|
-----
| |
-----
| |
-----

AI's move:
X|O|
-----
| |
-----
| |
-----
```

## RESULT

Thus the Python program to implement adversarial search for tic-tac-toe problem has been successfully executed.

<b>EXP :</b>	<b>KINSHIP DOMAIN USING PROLOG</b>
<b>DATE :</b>	

## AIM

To establish the various relationships of Kinship Domain using SWISH Prolog and generate queries for such relationships respectively.

## ALGORITHM

1. Create a New Program in SWISH Prolog.
2. Define the various Facts/Premises of the related Problem.
3. Define the Rules of the problem.
4. Execute the Query
5. Note down the respective output for the Query.

## PROGRAM

### FACTS:

female(tamil).	father(ramesh,anu).
female(sita).	mom(tamil,preeti).
female(anu).	mom(tamil,udhay).
female(pavi).	mom(agalya,ram).
female(agalya).	mom(agalya,ravi).
female(preeti).	mom(sita,tamil).
male(ram).	mom(sita,anu).
male(damodar).	spouse(ram,tamil).
male(ramesh).	spouse(tamil,ram).
male(ravi).	spouse(damodar,agalya).
male(udhay).	spouse(agalya,damodar).
male(kishore).	spouse(ramesh,sita).
father(ram,udhay).	spouse(sita,ramesh).
father(ram,preeti).	spouse(ravi,pavi).
father(damodar,ram).	spouse(pavi,ravi).
father(damodar,ravi).	spouse(kishore,anu).
father(ramesh,tamil).	spouse(anu,kishore).

### RULES:

**child(X,Y):-**(male(X);female(X)),(father(Y,X);mom(Y,X)).

**daughter(X,Y):-**female(X),(father(Y,X);mom(Y,X)).

**mother(X,Y):-**female(X),child(Y,X).

**sibling(X,Y):-**mom(A,X),mom(A,Y).

**brother(X,Y):-**male(X),father(A,X),father(A,Y).

**sister(X,Y):-**female(X),mom(A,X),mom(A,Y).

**grandparent(X,Y):-**child(A,X),child(Y,A).

**grandmother(X,Y):-**female(X),child(A,X),child(Y,A).

**uncle(X,Y):-** male(X),child(X,Z),child(A,Z),child(Y,A).

**sister\_in\_law(X,Y):-**

female(X),child(Y,A),child(Z,A),spouse(X,Z);female(X),child(X,A),child(Z,A),spouse(Y,Z).

**mother\_in\_law(X,Y):-**female(X),spouse(Y,Z),child(Z,X).

**wife(X,Y):-**female(X),spouse(X,Y).

**ancestor(X,Y):-**child(Y,X);child(A,X),child(Y,A).

**descendant(X,Y):-**child(X,Y);child(X,A),child(A,Y).

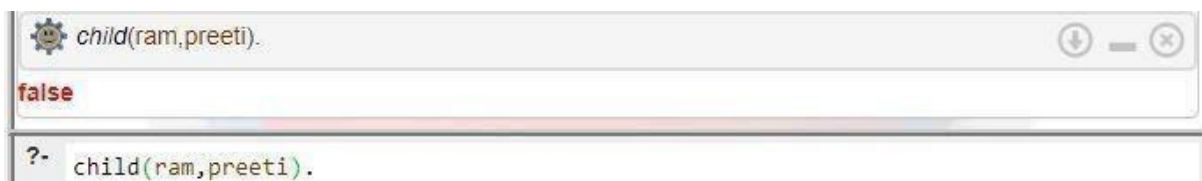
**relative\_by\_blood(X,Y):-**

child(Y,X);child(X,Y);child(A,X),child(Y,A);child(A,Y),child(X,A);child(X,A),child(Y,A).

## OUTPUT

### QUERIES:

1. child(X,Y) :- % true if X is a child of Y





0. `daughter(X,Y) :- % true if X is a daughter of Y`



```
daughter(tamil,sita).  
true  
?- daughter(tamil,sita).  
daughter(tamil,agalya).  
false  
?- daughter(tamil,agalya).
```

0. `mother(X,Y) :- % true if X is the mother of Y.`



```
mother(agalya,ram).  
true  
Next 10 100 1,000 Stop  
?- mother(agalya,ram).
```



```
mother(preeti,agalya).  
false  
?- mother(preeti,agalya).
```

0. `sibling(X,Y) :- % true if X and Y are siblings (i.e. have the same biological % parents). Be sure your definition does not lead to one being ones sibling`



```
sibling(tamil,anu).  
true  
?- sibling(tamil,anu).  
sibling(anu,ravi).  
false  
?- sibling(anu,ravi).
```

0. `brother(X,Y) :- % true if X is a brother of Y, e.g., X is a male sibling of y`



A Prolog window with a title bar containing a gear icon, a download icon, a close icon, and a maximize icon. The window displays the query `brother(ravi,ram).` and the result `true`. Below the window, the prompt `?- brother(ravi,ram).` is shown in a text input field.

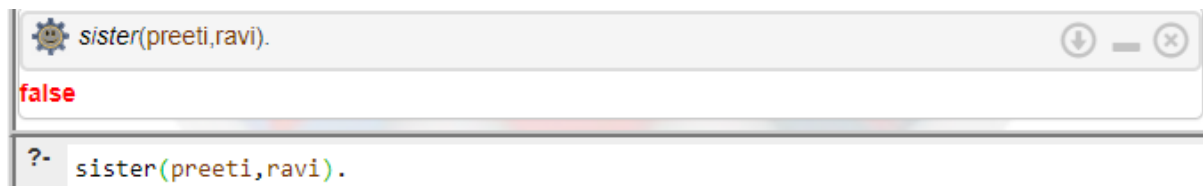


A Prolog window with a title bar containing a gear icon, a download icon, a close icon, and a maximize icon. The window displays the query `brother(ravi,anu).` and the result `false`. Below the window, the prompt `?- brother(ravi,anu).` is shown in a text input field.

0. `sister(X,Y) :- % true if X is a sister of Y, e.g., X is a female sibling of y`

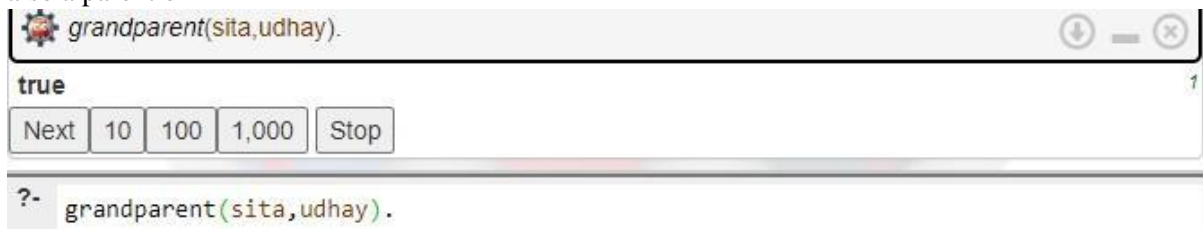


A Prolog window with a title bar containing a gear icon, a download icon, a close icon, and a maximize icon. The window displays the query `sister(tamil,anu).` and the result `true`. Below the window, the prompt `?- sister(tamil,anu).` is shown in a text input field.



A Prolog window with a title bar containing a gear icon, a download icon, a close icon, and a maximize icon. The window displays the query `sister(preeti,ravi).` and the result `false`. Below the window, the prompt `?- sister(preeti,ravi).` is shown in a text input field.

0. `grandparent(X,Y) :- % true if X is a grandparent of Y, e.g., X is a parent of some Z who % is also a parent of Y`



A Prolog window with a title bar containing a gear icon, a download icon, a close icon, and a maximize icon. The window displays the query `grandparent(sita,udhay).` and the result `true`. Below the window, the prompt `?- grandparent(sita,udhay).` is shown in a text input field. The window also features a control bar with buttons for 'Next', '10', '100', '1,000', and 'Stop'.



A Prolog window with a title bar containing a gear icon, a download icon, a close icon, and a maximize icon. The window displays the query `grandparent(ravi,udhay).` and the result `false`. Below the window, the prompt `?- grandparent(ravi,udhay).` is shown in a text input field.

0. grandmother(X,Y) :- % true of X is a grandmother of Y, e.g., X is a female grandparent of Y

The screenshot shows a Prolog GUI with three panels. The top panel contains the query `grandmother(sita,udhay).` with a gear icon, a 'true' result, and a progress bar. Below it are buttons for 'Next', '10', '100', '1,000', and 'Stop'. The middle panel contains the query `?- grandmother(sita,udhay).`. The bottom panel contains the query `grandmother(anu,udhay).` with a gear icon, a 'false' result, and a progress bar. Below it is the query `?- grandmother(anu,udhay).`

0. uncle(X,Y) :- % true if X is an uncle of Y, i.e. the brother of a parent.

The screenshot shows a Prolog GUI with three panels. The top panel contains the query `uncle(ravi,udhay).` with a gear icon, a 'true' result, and a progress bar. Below it are buttons for 'Next', '10', '100', '1,000', and 'Stop'. The middle panel contains the query `?- uncle(ravi,udhay).`. The bottom panel contains the query `uncle(ramesh,udhay).` with a gear icon, a 'false' result, and a progress bar. Below it is the query `?- uncle(ramesh,udhay).`

0. uncle(X,Y) :- % true if X is an uncle of Y, i.e. the male spouse of a sibling of a % parent

The screenshot shows a Prolog GUI with three panels. The top panel contains the query `uncle(ravi,udhay).` with a gear icon, a 'true' result, and a progress bar. Below it are buttons for 'Next', '10', '100', '1,000', and 'Stop'. The middle panel contains the query `?- uncle(ravi,udhay).`. The bottom panel contains the query `uncle(ramesh,udhay).` with a gear icon, a 'false' result, and a progress bar. Below it is the query `?- uncle(ramesh,udhay).`

0. `sister_in_law(X,Y) :- % X is the sister-in-law of Y if X is the female spouse of Y's sibling`

The screenshot shows a Prolog interpreter window with the following content:

- Definition: `sister_in_law(anu,ram).`
- Result: `true`
- Buttons: `Next`, `10`, `100`, `1,000`, `Stop`
- Query: `?- sister_in_law(anu,ram).`
- Result: `true`
- Query: `?- sister_in_law(preeti,ram).`
- Result: `false`

0. `sister_in_law(X,Y) :- % X is the sister-in-law of Y if X is the sister of Y's spouse`

The screenshot shows a Prolog interpreter window with the following content:

- Definition: `sister_in_law(anu,ram).`
- Result: `true`
- Buttons: `Next`, `10`, `100`, `1,000`, `Stop`
- Query: `?- sister_in_law(anu,ram).`
- Result: `true`
- Query: `?- sister_in_law(anu,ravi).`
- Result: `false`

0. `sister_in_law(X,Y) :- % X is the sister-in-law of Y if X is the spouse of Y's brother`

The screenshot shows a Prolog interpreter window with the following content:

- Definition: `sister_in_law(tamil,ravi).`
- Result: `true`
- Buttons: `Next`, `10`, `100`, `1,000`, `Stop`
- Query: `?- sister_in_law(tamil,ravi).`
- Result: `true`
- Query: `?- sister_in_law(sita,kishore).`
- Result: `false`

0. `mother_in_law(X,Y) :- % X is the mother_in_law of Y if X is the mother of Y's spouse`

```
mother_in_law(sita,ram).
true

?- mother_in_law(sita,ram).
mother_in_law(anu,ram).
false

?- mother_in_law(anu,ram).
```

0. wife(X,Y) :- % X is the wife of Y if X is Y's female spouse

```
wife(tamil,ram).
true

?- wife(tamil,ram).
wife(anu,ravi).
false

?- wife(anu,ravi).
```

0. ancestor(X,Y) :- % X is an ancestor of Y if X is a parent of Y

```
ancestor(damodar,ram).
true
Next 10 100 1,000 Stop

?- ancestor(damodar,ram).
ancestor(ravi,ram).
false

?- ancestor(ravi,ram).
```

0. ancestor(X,Y) :- % X is an ancestor of Y if P is a parent of Y and X is an ancestor of P

```
ancestor(ramesh,preeti).
true
Next 10 100 1,000 Stop

?- ancestor(ramesh,preeti).
ancestor(agalya,kishore).
false

?- ancestor(agalya,kishore).
```

0. descendant(X,Y) :- % X is a descendant of Y if Y is an ancestor of X



The screenshot shows a Prolog interpreter window with the following content:

```
descendant(preeti,sita).  
true  
?- descendant(preeti,sita).  
descendant(tamil,anu).  
false  
?- descendant(tamil,anu).
```

0. relative\_by\_blood(X,Y) :- % X is an relative\_by\_blood of Y if X and Y share an ancestor



The screenshot shows a Prolog interpreter window with the following content:

```
relative_by_blood(anu,tamil).  
true  
Next 10 100 1,000 Stop  
?- relative_by_blood(anu,tamil).  
relative_by_blood(kishore,tamil).  
false  
?- relative_by_blood(kishore,tamil).
```

## RESULT

Thus, the required queries for Kinship Domain is executed and the outputs are verified and documented accordingly.

<b>EXP :</b>	<b>K-MEANS CLUSTERING ALGORITHM</b>
<b>DATE :</b>	

## AIM

To implement K-means clustering algorithm using Python.

## ALGORITHM

1. Initialize Centroids:
  - Choose the number of clusters  $k$ .
  - Initialize  $k$  centroids randomly from the dataset.
2. Assign Data Points to Nearest Centroid:
  - Compute the distance between each data point and each centroid.
  - Assign each data point to the nearest centroid based on the distance.
3. Update Centroids:
  - Calculate the mean of all data points assigned to each centroid.
  - Update the centroid coordinates to the mean values.
4. Repeat Steps 2 and 3:
  - Repeat the assignment of data points to centroids and centroid updates until convergence or until a maximum number of iterations is reached.
5. Convergence Check:
  - Check for convergence by comparing the updated centroids with the previous centroids.
  - If the centroids do not change significantly (below a predefined threshold), stop the algorithm. Otherwise, repeat Steps 2 and 3.

## PROGRAM

```
import numpy as np

class KMeans:

    def __init__(self, n_clusters, max_iterations=100):

        self.n_clusters = n_clusters

        self.max_iterations = max_iterations

    def fit(self, X):

        # Initialize centroids randomly
```

```

self.centroids = X[np.random.choice(X.shape[0], self.n_clusters, replace=False)]

for _ in range(self.max_iterations):
    # Assign each data point to the nearest centroid
    labels = self._assign_clusters(X)

    # Update centroids based on the mean of the points assigned to each cluster
    new_centroids = self._update_centroids(X, labels)

    # Check for convergence
    if np.allclose(self.centroids, new_centroids):
        break

    self.centroids = new_centroids

def _assign_clusters(self, X):
    distances = np.sqrt(((X - self.centroids[:, np.newaxis])**2).sum(axis=2))
    return np.argmin(distances, axis=0)

def _update_centroids(self, X, labels):
    new_centroids = np.zeros_like(self.centroids)
    for i in range(self.n_clusters):
        points = X[labels == i]
        if len(points) > 0:
            new_centroids[i] = np.mean(points, axis=0)
        else:
            new_centroids[i] = self.centroids[i]
    return new_centroids

# Example usage:
if __name__ == "__main__":
    # Generate random data points

```



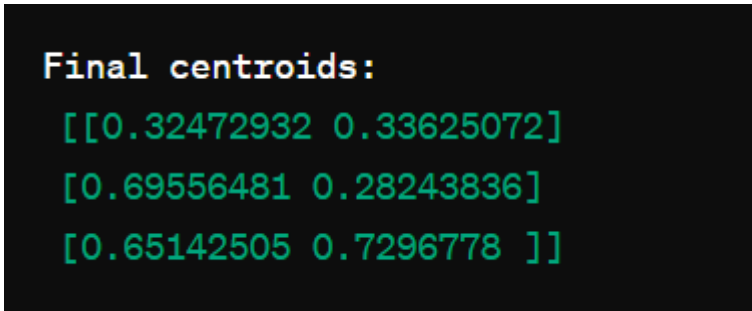
```
np.random.seed(0)
X = np.random.rand(100, 2)

# Specify number of clusters
kmeans = KMeans(n_clusters=3)

# Fit the KMeans model to the data
kmeans.fit(X)

# Print the centroids
print("Final centroids:\n", kmeans.centroids)
```

## OUTPUT

A terminal window with a black background and green text. It displays the output of a KMeans clustering algorithm, showing the final centroids for three clusters.

```
Final centroids:
[[0.32472932 0.33625072]
 [0.69556481 0.28243836]
 [0.65142505 0.7296778 ]]
```

## RESULT

Thus the Python program to implement K-means clustering algorithm has been successfully executed.

<b>EXP :</b>	<b>DECISION MAKING TREE USING MACHINE LEARNING</b>
<b>DATE :</b>	

## AIM

To implement a simple decision-making tree using machine learning using Prolog.

## THEORY

Basic Primitives:

- name/1 - defines the name for an individual
- names/1- lists all the individuals
- attribute/1 - defines the name for an attribute
- attributes/1- lists all the attributes
- class/1 defines the classes. classes/1 defines the list of all the classes.

To each constant atr that satisfies attribute(atr), a predicate atr/1 exists that defines which individuals have said attribute.

The examples are defined by the predicate class o/2.

The predicate examples(?Ns) makes Ns the list of all the names N that have a class C that verifies classof (N,C).

And so we have the following predicates in Prolog.

1. sameclass(+Ns, ?C): all the names in N are of class C.
2. partition(+Ns, +A, ?NT, ?NF): partitions the list Ns into two lists: NT and NF. NT has the names that have attribute A, and NF contains the names that don't.
3. proportion(+Ns, +C, +A, ?P): P is the proportion of elements of class C in the Ns list, for which an element A is true.
4. entropy(+Ns, +As, +A, ?E): E is the entropy of list Ns for an attribute A if it belongs to the list of attributes As, or 1.0 if it doesn't. The entropy for an attribute is calculated as:  $(-1) * \sum_{c \in \text{classes}} p(c) * \log p(c)$ . Where p(c) is the proportion mentioned previously. If p(c) is 0, then p(c) \* log p(c) is replaced by 0.
5. minatr(+Ns, +As, ?M): M is the attribute of the list As which has minimum entropy in Ns. If there are many possible values it returns the first in the list.
6. maxcla(+Ns, ?C): C is the most representative class of Ns.
7. id3(+Ns, +As, +C, ?T), T is the decision tree for a list of names Ns, a list of attributes As and class C. Each leaf of T is a leaf-node, leaf(C), where C is a class. Each non terminal node for an attribute A represents the class label of the final subset of this branch. It has the shape node(A, T1, T2) where A is an attribute and T1 and T2 are trees.
8. tree(?T): T is the tree we get from using id3 for the set of examples. The initial attribute list is the list of all the attributes. The initial class is the most representative of the training set examples.
9. classify(+T, +N, ?C): C is the class of the name according to a classifying tree T.

10.clasification(Ns, ?Xs): Xs is the list of clasifications obtained for the list Ns. Each element of Xs is a tuple (N,C) so that N is an element of Ns and C is a class.

## PROGRAM

male(kasthuriraja).

male(dhanush).

male(selva).

male(yatra).

male(linga).

female(vijaya).

female(aishwarya).

female(geethanjali).

female(anjali).

parent(kasthuriraja,dhanush).

parent(vijaya,dhanush).

parent(kasthuriraja,selva).

parent(vijaya,selva).

parent(dhanush,linga).

parent(aishwarya,linga).

parent(dhanush,yatra).

parent(aishwarya,yatra).

parent(selva,anjali).

parent(geethanjali,anjali).

father(F,X):-male(F),parent(F,X).

mother(M,X):-female(M),parent(M,X).

sibling(X,Y):-father(Z,X),father(Z,Y),X\=Y.

child(C,P):-parent(P,C).

brother(B,X):-male(B),sibling(B,X).

sister(S,X):-female(S),sibling(S,X).

daughter(D,X):-female(D),parent(X,D).

son(S,X):-male(S),parent(X,S).

spouse(X,Y):-child(Z,X),child(Z,Y).

wife(W,X):-female(W),male(X),spouse(W,X).

husband(H,X):-

male(H),female(X),spouse(H,X).

grandfather(GP,GC):-

male(GP),parent(GP,X),parent(X,GC).

grandmother(GP,GC):-

female(GP),parent(GP,X),parent(X,GC).

grandchild(GC,GP):-grandmother(GP,GC).

grandchild(GC,GP):-grandfather(GP,GC).

aunt(A,X):-

female(A),father(Z,X),brother(Z,A).

aunt(A,X):-

female(A),mother(Z,X),sister(Z,A).

uncle(U,X):-

male(U),father(Z,X),brother(Z,U).

uncle(U,X):-male(U),mother(Z,X),sister(Z,U).

uncle(U,X):-

male(U),father(Z,X),sister(S,Z),husband(U,S).

cousin(X,Y):-

parent(Z,X),parent(P,Y),sibling(Z,P).

## OUTPUT

1 ?- male(Y).

Y = kasthuriraja ;

Y = dhanush ;

Y = selva ;

Y = yatra ;

Y = linga.

2 ?- female(Y).

Y = vijaya ;

Y = aishwarya ;

Y = geethanjali ;

Y = anjali.

3 ?- parent(dhanush,X).

X = linga ;

X = yatra.

4 ?- parent(selva,anjali).

true.

5 ?- father(selva,anjali).

true.

6 ?- father(kasthuriraja,X).

X = dhanush ;

X = selva.

7 ?- mother(vijaya,X).

X = dhanush ;

X = selva.

8 ?- mother(vijaya,yatra).

false.

9 ?- sibling(yatra,linga).

true .

10 ?- sibling(dhanush,X).

Correct to: "sibling(dhanush,X)"?

Please answer 'y' or 'n'? yes

X = dhanush .

11 ?- child(selva,kasthuriraja).

true.

12 ?- daughter(geethanjali,X).

false.

## RESULT

Thus, the program for Decision – Making tree using Machine Learning was implemented using Prolog.