CS & IT

ENGINERING

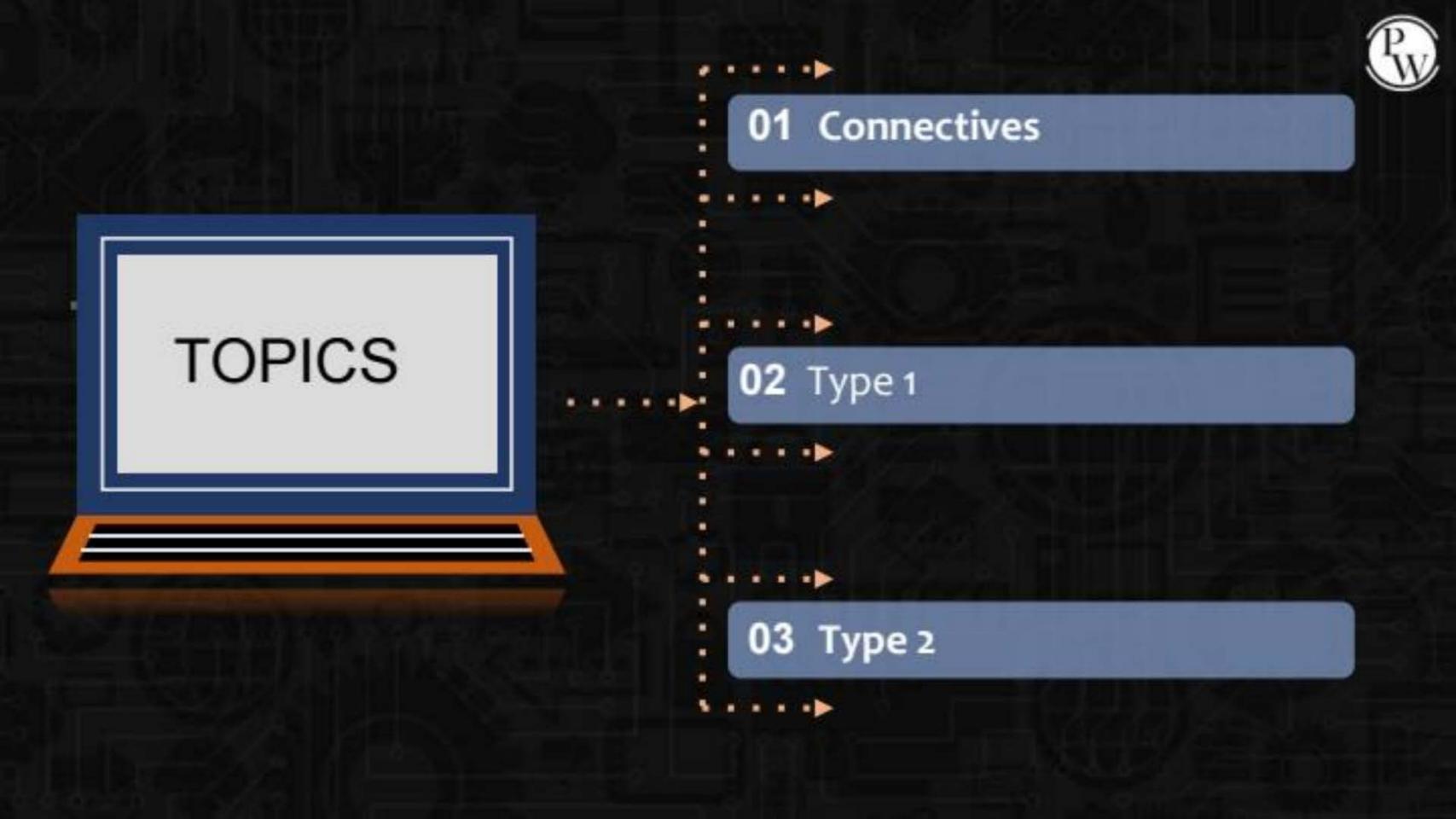
DISCRETE

Mathematical Logic

Lecture No. 09



By- SATISH YADAV SIR



$$[p \to (q \to r)] \to [(p \to q) \to (p \to r)]$$

a)
$$[(p \rightarrow q) \land (q \rightarrow r)] \rightarrow (p \rightarrow r)$$

b)
$$[(p \rightarrow q) \land \neg q] \rightarrow \neg p$$

c)
$$[(p \lor q) \land \neg p] \rightarrow q$$

d)
$$[(p \rightarrow r) \land (q \rightarrow r)] \rightarrow [(p \lor q) \rightarrow r]$$



a)
$$\neg (p \lor \neg q) \to \neg p$$

b)
$$p \rightarrow (q \rightarrow r)$$

c)
$$(p \rightarrow q) \rightarrow r$$

d)
$$(p \rightarrow q) \rightarrow (q \rightarrow p)$$

e)
$$[p \land (p \rightarrow q)] \rightarrow q$$

f)
$$(p \land q) \rightarrow p$$

g)
$$q \leftrightarrow (\neg p \lor \neg q)$$

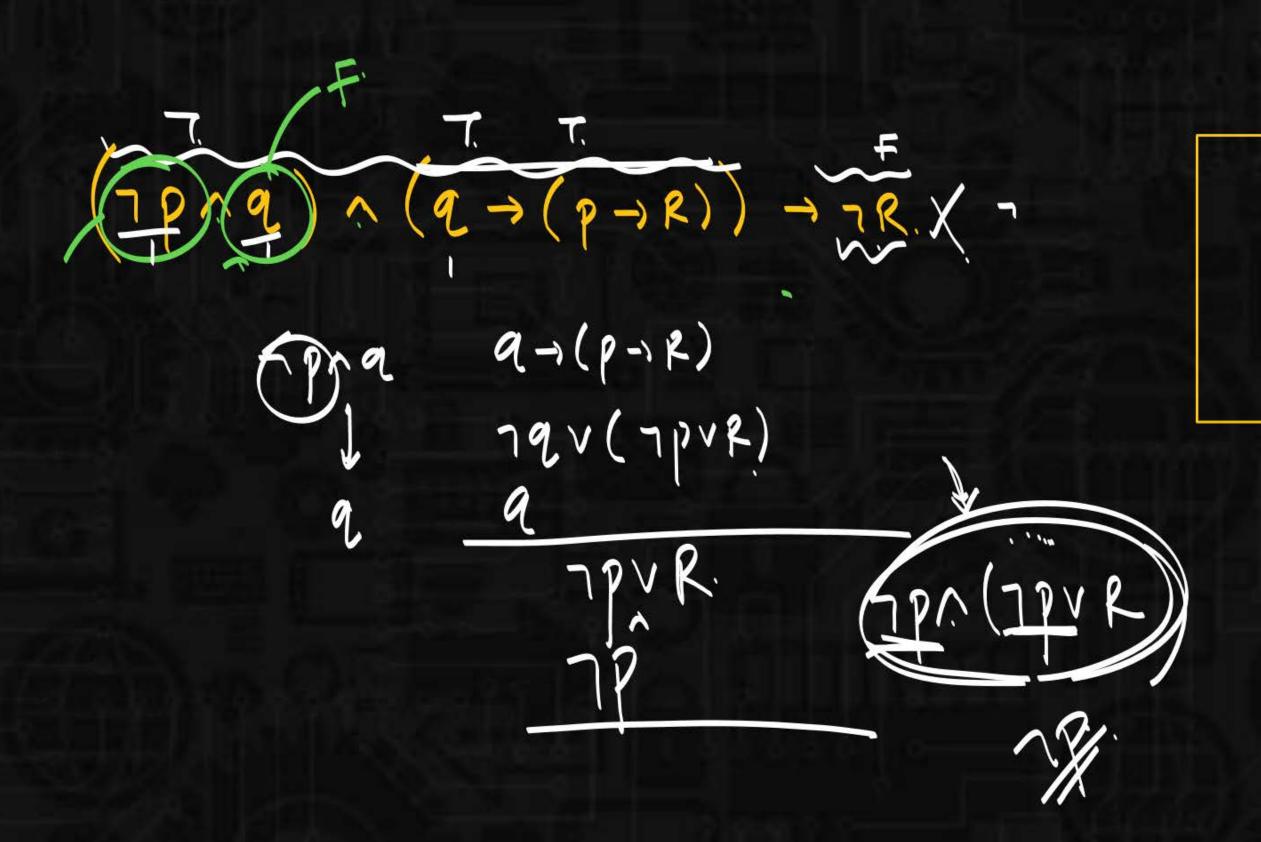
h)
$$[(p \rightarrow q) \land (q \rightarrow r)] \rightarrow (p \rightarrow r)$$

a)
$$[p \land (p \rightarrow q) \land r] \rightarrow [(p \lor q) \rightarrow r]$$

b)
$$[[(p \land q) \rightarrow r] \land \neg q \land (p \rightarrow \neg r)] \rightarrow (\neg p \lor \neg q)$$

c)
$$[[p \lor (q \lor r)] \land \neg q] \rightarrow (p \lor r)$$







Type-2:

$$Q \Leftrightarrow (F)$$

$$T \Leftrightarrow f = F$$

7. For the universe of all integers, let p(x), q(x), r(x), s(x), and t(x) be the following open statements.

$$p(x)$$
: $x > 0$

$$q(x)$$
: x is even $\forall n \left(a(n) \land R(n) \rightarrow S(n) \right)$

- r(x): x is a perfect square
- s(x): x is (exactly) divisible by 4
- t(x): x is (exactly) divisible by 5
- a) Write the following statements in symbolic form.
 - i) At least one integer is even. $\neg \chi Q(\chi)$
 - ii) There exists a positive integer that is even:
 - iii) If x is even, then x is not divisible by 5.
 - iv) No even integer is divisible by 5.
 - v) There exists an even integer divisible by 5.
 - vi) If x is even and x is a perfect square, then x is divisible by 4.







English = conversion.

Graph is connected >> Yn [ain) -> c(m)



Gold and Silver ormare are precis.

Yn (Gininsin) -> Pini

YN(G(N)VS(N) -) P(N)

TV

17



