

# CS & IT ENGINEERING

## OPERATING SYSTEMS

### CPU Scheduling



Lecture No. 4



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**CPU Scheduling Techniques**

**Predicting Burst Times**

**HRRN ; LRTF ; Priority  
Scheduling**

S.J.F : Tie breaking Rule :  
SRTF : Galvin → use FCFS



'Lower Pfd'

<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
1	8	10
✓ 2	2	6
✓ 3	2	6
4	4	4





# Prediction Techniques

Static

→ Total B.T of Process

$P_{old} = \frac{101KB}{20s}$  ✓  
 (Process Size)  
 Bytes

$P_{new} = 100KB$   
 20s

Type

- OS — 5s
- Interactive — 10s
- FGND — 15s
- BGND — 30s

Dynamic \*

→ Partial (Next cpu Burst)

Initial guess

B.T

$\tilde{T}_1$	$t_1$	$\tilde{T}_2$	$t_2$	$n+1=3$	
$W.T_1$	$B.T_1$	$I.O.B.T$	$W.T_2$	$B.T_2$	$\tilde{T}_3$ ... ?
$R.Q$	cpu	I.O.D	R.Q	cpu	$R.Q$ ... cpu

A.T

$P_v$   $t'$

$\tilde{T}_{n+1}$

Next cpu Burst



# Exponential Averaging Technique/Aging Algo: (To Predict Next CPU B.T)

- Let  $P_i$  : Process
- Let  $t_i$  : Completed B.T
- Let  $\tilde{T}_i$  : Predicted B.T

→ Let  $\tilde{T}_{n+1}$  denote Next Predicted B.T

$$\tilde{T}_{n+1} = \alpha \tilde{t_n} + (1-\alpha) \tilde{T_n} \quad \text{--- (1)}$$

$0 < \alpha < 1$  : Constant

## Recurrence Relation

$$\tilde{T}_{n+1} = \alpha t_n + (1-\alpha) \tilde{T_n} \quad \text{--- (1)}$$

$$\tilde{T_n} = (\alpha t_{n-1} + (1-\alpha) \tilde{T_{n-1}}) \quad \text{--- (2)}$$

Back Substitution

$$\tilde{T}_{n+1} = \alpha t_n + (1-\alpha) [\alpha t_{n-1} + (1-\alpha) \tilde{T_{n-1}}]$$

$$= \alpha t_n + \alpha(1-\alpha) t_{n-1} + (1-\alpha)^2 \tilde{T_{n-1}} \quad \text{--- (3)}$$

$$= \alpha t_n + \alpha(1-\alpha) t_{n-1} + \alpha(1-\alpha)^2 t_{n-2} + (1-\alpha)^3 \tilde{T_{n-2}} \quad \text{--- (4)}$$

( $\tilde{T}_1$  = Initial Guess)

$$\boxed{F(n) = F(n-1) * n}$$

$$F(0) = 1$$



Given the value of ' $\alpha$ ' &  $\tilde{T}_1$ ; one can Predict any Next-cpu B.T

Q) Consider a System using Info. Avg. Tech. To predict Next cpu B.T; Given  $\alpha = 0.5$ ; &  $\tilde{T}_1 = 10$   
The process B.T's in previous Runs are:  $\frac{4, 8, 12, 10}{t_1 \quad t_2 \quad t_3 \quad t_4}$   
Predict the next cpu B.T of Process;

$$\tilde{T}_{n+1} = \alpha t_n + (1-\alpha)\tilde{T}_n \quad \text{--- (1)}$$

$$\begin{aligned}\tilde{T}_5 &= 0.5 * t_4 + 0.5 * \tilde{T}_4 \\ &= \frac{1}{2}(t_4 + \tilde{T}_4) = \frac{1}{2}(10 + \tilde{T}_4)\end{aligned}$$

$$\begin{aligned}\tilde{T}_4 &= \frac{1}{2}(t_3 + \tilde{T}_3) = \frac{1}{2}(12 + \tilde{T}_3) \\ &= \frac{19.5}{2} = \underline{9.75}\end{aligned}$$

Pr*i*:

$$\tilde{T}_3 = \frac{1}{2}(t_2 + \tilde{T}_2) = \frac{1}{2}(8 + \tilde{T}_2) = 7.5 \quad \therefore \tilde{T}_3 = 7.5$$

$$\tilde{T}_2 = \frac{1}{2}(t_1 + \tilde{T}_1) = \frac{1}{2}(4 + 10)$$
$$\boxed{\tilde{T}_2 = 7}$$

$$\begin{aligned}\tilde{T}_5 &= \frac{1}{2}(10 + 9.75) \\ &= \frac{19.75}{2} = \underline{\underline{9.875}}\end{aligned}$$



#### ④ Highest Response Ratio Next (HRRN)

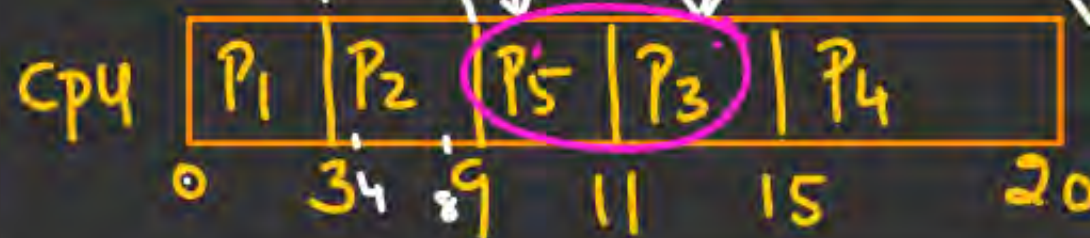
Sel. Criteria: Response Ratio =  $\left( \frac{w+s}{s} \right)$   
 Mode of Opn: Non-Pre

w = waiting Time  
 s = Service Time

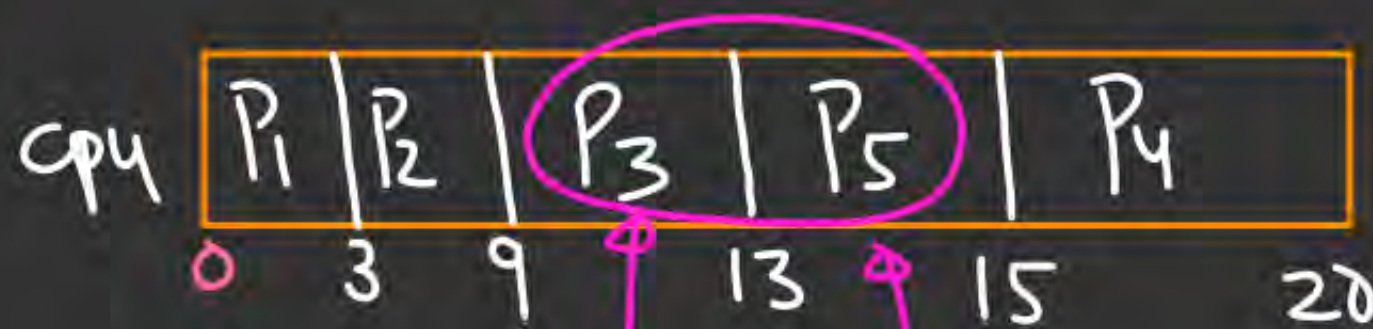
"Not only Favors Shorter Process but also limit the waiting Time of longer Process"

P.No	A.T	B.T
1	0	3
2	2	6
3	4	4
4	6	5
5	8	2

SJF



HRRN:



Longer Process

Shorter process

t<sub>9</sub>:

$$RR_3 = \frac{5+4}{4} = \frac{9}{4} \quad | \quad RR_5 = \frac{1+2}{2} = \frac{3}{2}$$

$$RR_4 = \frac{3+5}{5} = \frac{8}{5}$$

t<sub>13</sub>:

$$RR_4 = \frac{7+5}{5} = \frac{12}{5}$$

$$RR_5 = \frac{5+2}{2} = \frac{7}{2} \checkmark$$



# 5) Longest Remaining Time First (LRTF) (opposite of SRTF)

Sel. Criteria: B.T  
Mode of: PreEmptive  
ofn

$$Avg. TAT = \frac{12+13+14}{3} = \frac{39}{3} = 13$$

In Case of a tie b/w Processes then favor the Process having Lower Process id ; "

P.No A.T B.T

1 - 0 - 2

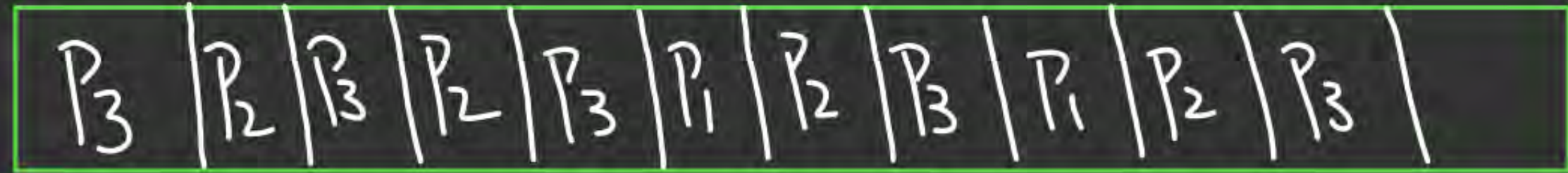
2 - 0 - 4 ✓

3 - 0 - 8 ✓

Req

P<sub>1</sub> ; P<sub>2</sub> ; P<sub>3</sub>

CPU



0 4 5 6 7 8 9 10 11 12 13 14

P<sub>v</sub> P<sub>v</sub> P<sub>v</sub> P<sub>v</sub> P<sub>v</sub> P<sub>v</sub> P<sub>v</sub> P<sub>v</sub>

using LRTF, the

$$Avg. TAT = \frac{\quad}{(NAT)}$$

(2m)

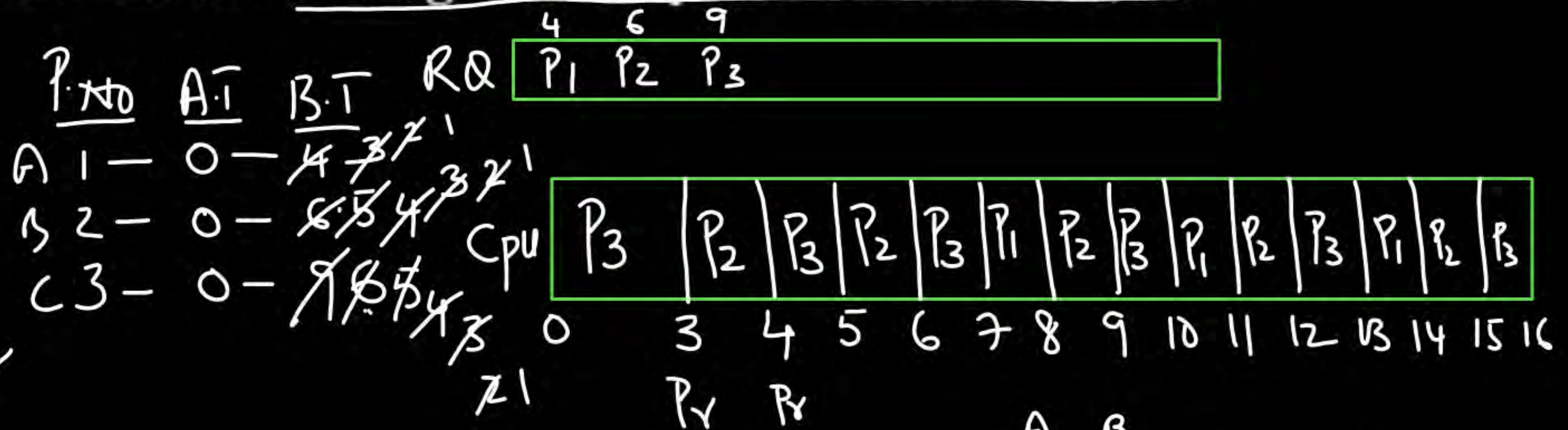


Q.

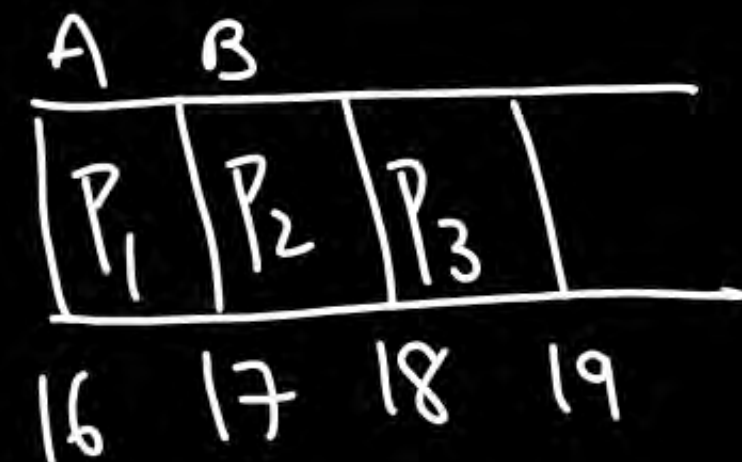


Consider 3 processes A, B, C with compute burst times are 4, 6, 9 units. All processes arrive at time zero. Consider the longest remaining time first (LRTF) scheduling algorithm. In LRTF ties are broken by giving priority to the process with lowest process id. Find the average of completion times of A, B?

- A 14.5  
 B 15.5  
 C 17.5 ✓  
 D 18.0



$$\frac{17 + 18}{2} = 17.5$$





Q.

Problem

Six jobs are waiting to be run. The expected running times are 9, 7, 5, 2, 1 and  $x$  respectively. Where  $5 < x < 7$  and the average completion time is 13. Find the value of  $x$  using SJF algorithm? (Assume all jobs arrive at same time = 0)

H/W

A 3.33

B 4.33

C 5.33

D 6.33



Q.



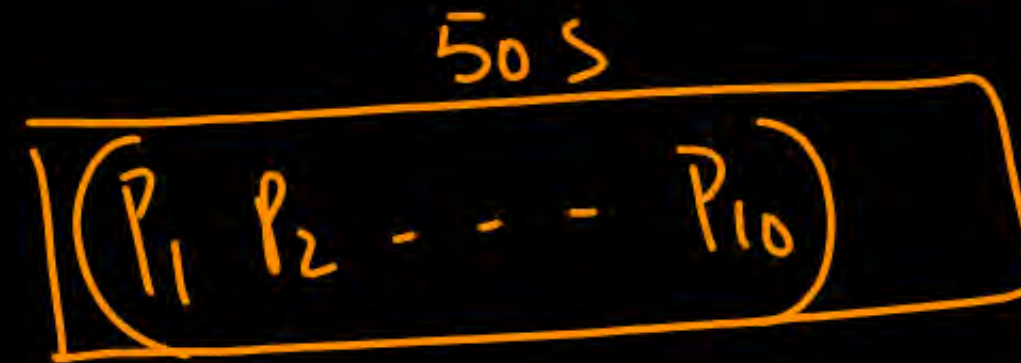
In a system using single processor, a new process arrives at the rate of 10 processes per minute and each such process requires 5 seconds of service time. What is the %CPU utilization?

B.T

(General)

Idleness.

60 S  $\longrightarrow$  10 Processes  $\longrightarrow$  (5 s)



$$\% \text{ CPU utiliz} = \left( \frac{50 \text{ s}}{60} \right) \times 100$$

A

81.33

B

82.33

C

84.33

D

83.33 ✓



## 6) Priority Based Scheduling

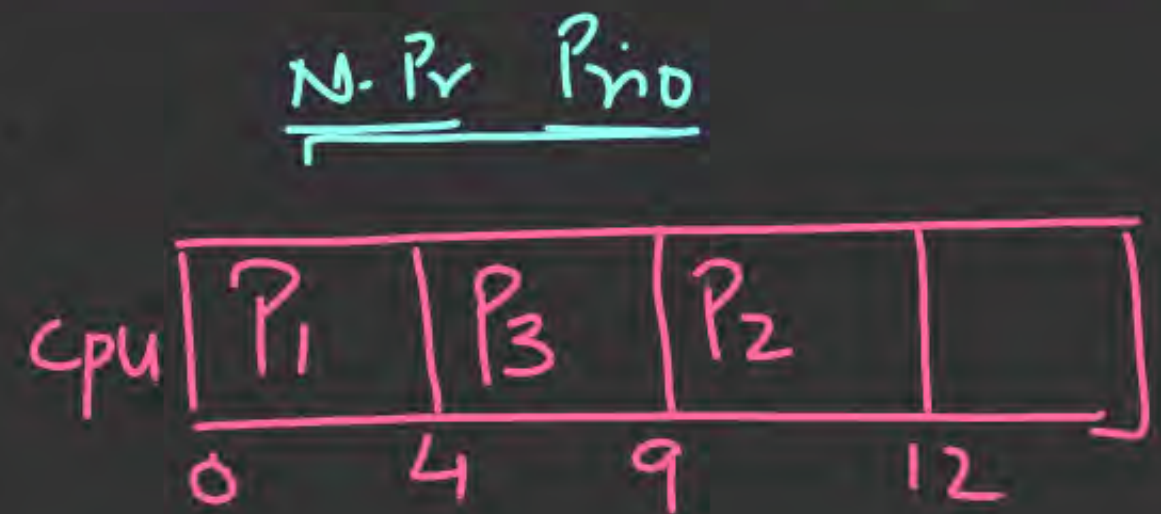
Sel. Criteria: Priority :  $f(\text{Type, Size, Resources...}) = \underline{\text{integer-value}}$

Mode of : N.Pr / Pr  
of'n

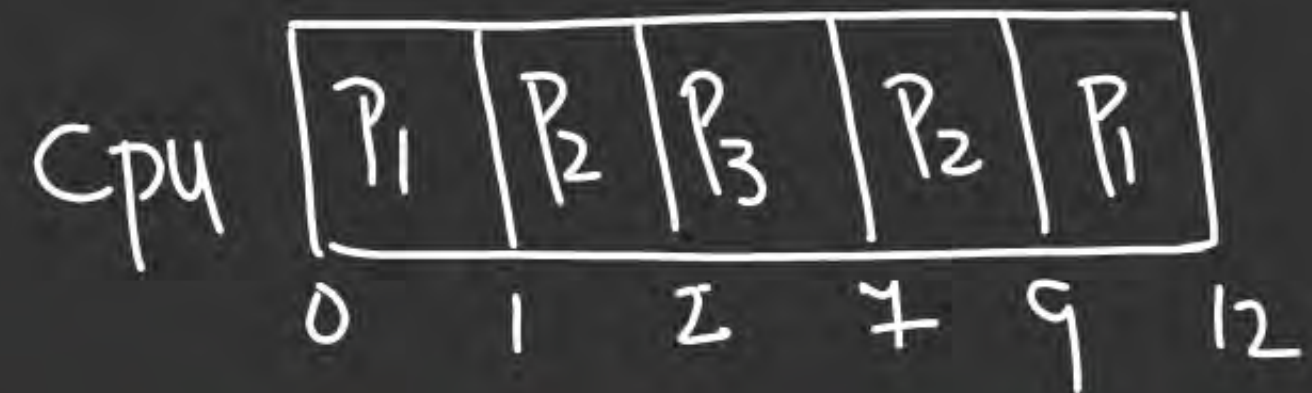
Job : (whenever  
given)

(Lower - Prio)

<u>Prio</u>	<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
4	1	0	4
5	2	1	3
8	3	2	5



Pr - Prio



Note: Priority based scheduling works exactly like SJF/SRTF; Except that it looks @ Priority, instead of B.T



	<u>Prio</u>		<u>P.No</u>		<u>A.T</u>		<u>B.T</u>
x	4	—	1	—	4	—	1
x	6	—	2	—	3	—	3
x	8	—	3	—	8	—	6
	3	—	4	—	2	—	4
x	7	—	5	—	5	—	2 x
x	5	—	6	—	3	—	5

Pre-Prio:

$$\underline{L = 23 - 2 = 21}$$

