

CS & IT ENGINEERING

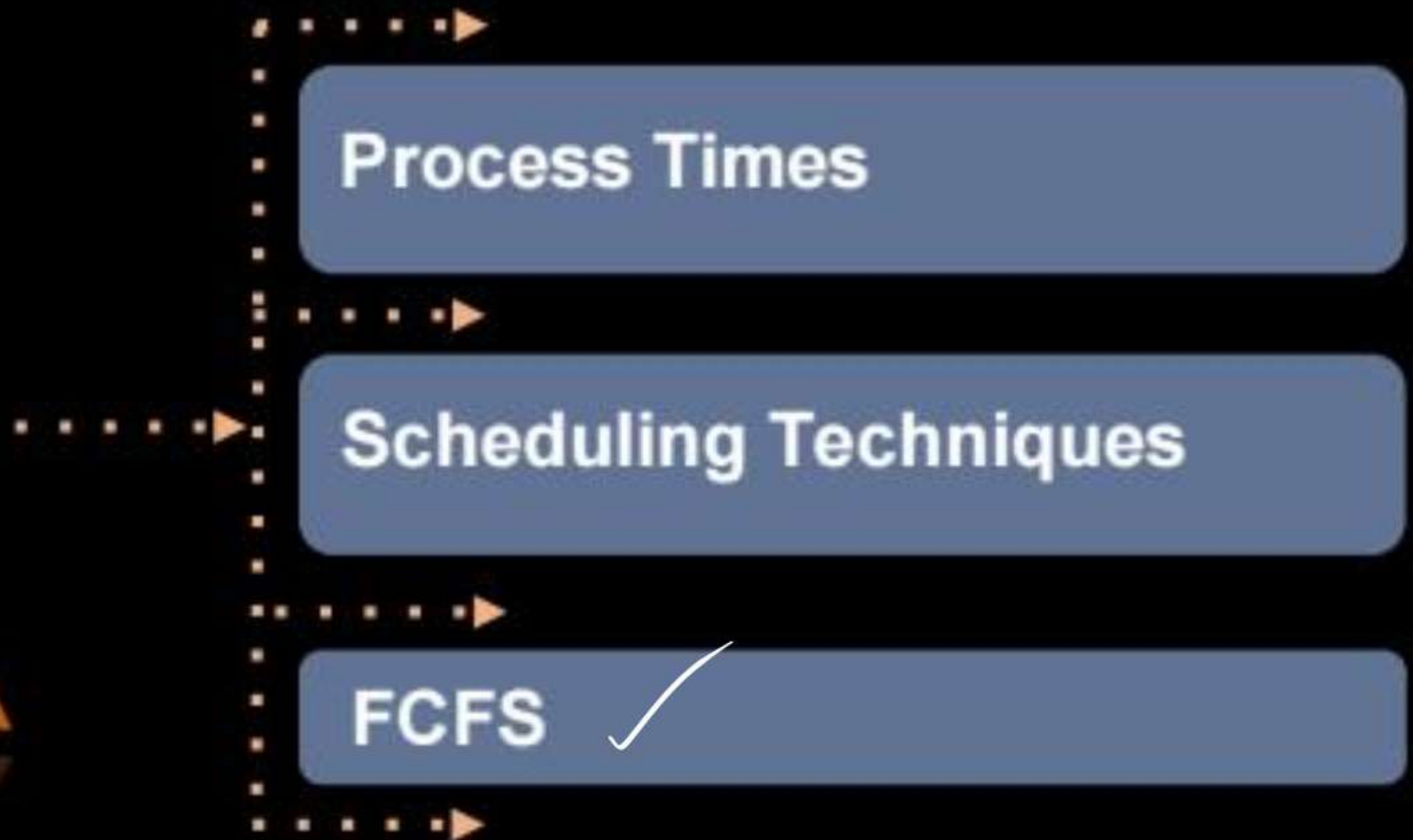
OPERATING SYSTEMS

CPU Scheduling

Lecture No. 1



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Process Times:

1) Arrival Time (A.T)

2) Waiting Time (W.T) = TAT - (BT + IOBT) \Rightarrow if IOBT = 0

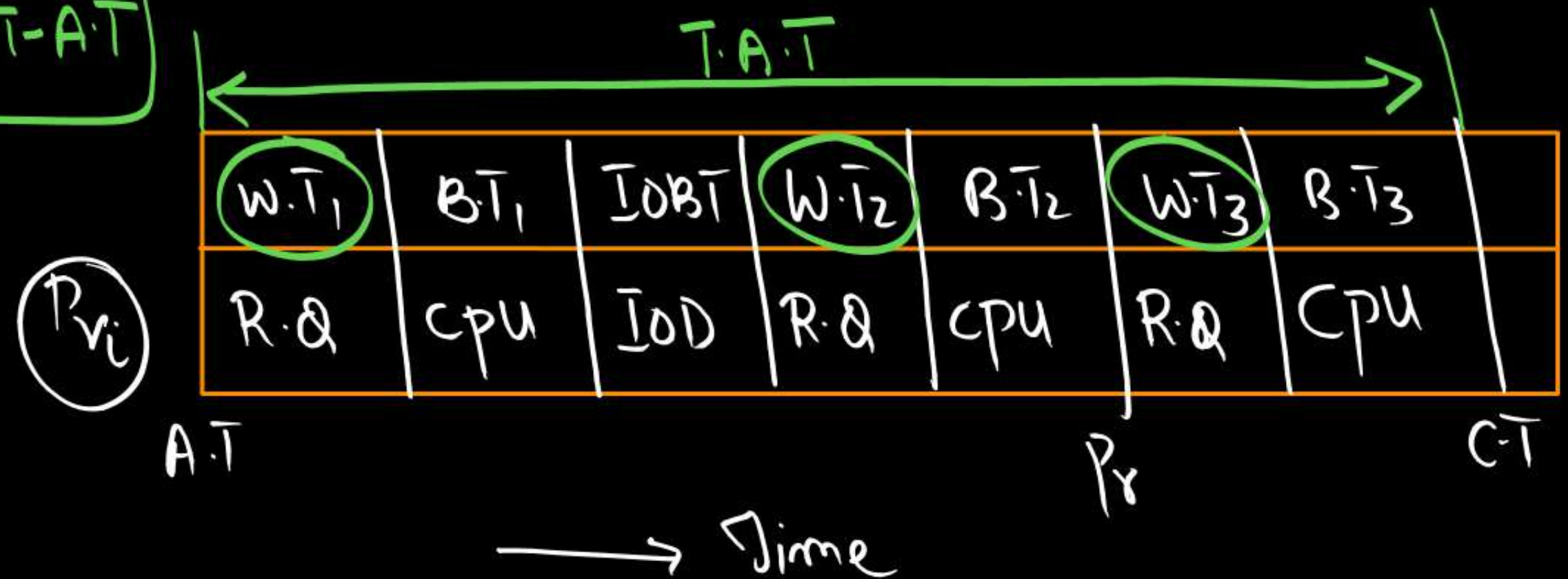
3) Burst Time (B.T)

4) IO Burst Time (IOBT)

5) Completion Time (CT)

6) Turn Around Time (TAT) = CT - A.T

$$WT = TAT - BT$$



1) n -processes ($P_1 \dots P_n$)

2) $A.T(P_i) = A_i$ ✓

3) $B.T(P_i) = x_i$ ✓

4) $IOBT(P_i) = y_i$ ✓

5) $C.T(P_i) = C_i$ ✓

$W.T = TAT - (BT + IOBT)$

b) $W.T(P_i) = (C_i - A_i) - (x_i + y_i)$

Av. W.T = $\frac{\sum_{i=1}^n (C_i - A_i) - (x_i + y_i)}{n}$

No. of Schedules with n -processes = $n!$ (Non-Preemptive)
 No. of Schedules with n -processes = ∞ (Preemptive)

a) $TAT(P_i) = (C_i - A_i)$
Average TAT = $\frac{\sum_{i=1}^n (C_i - A_i)}{n}$

* Schedule length (L): Total time taken to complete all ' n '-processes as per Schedule.

$n=3; \langle P_1, P_2, P_3 \rangle$

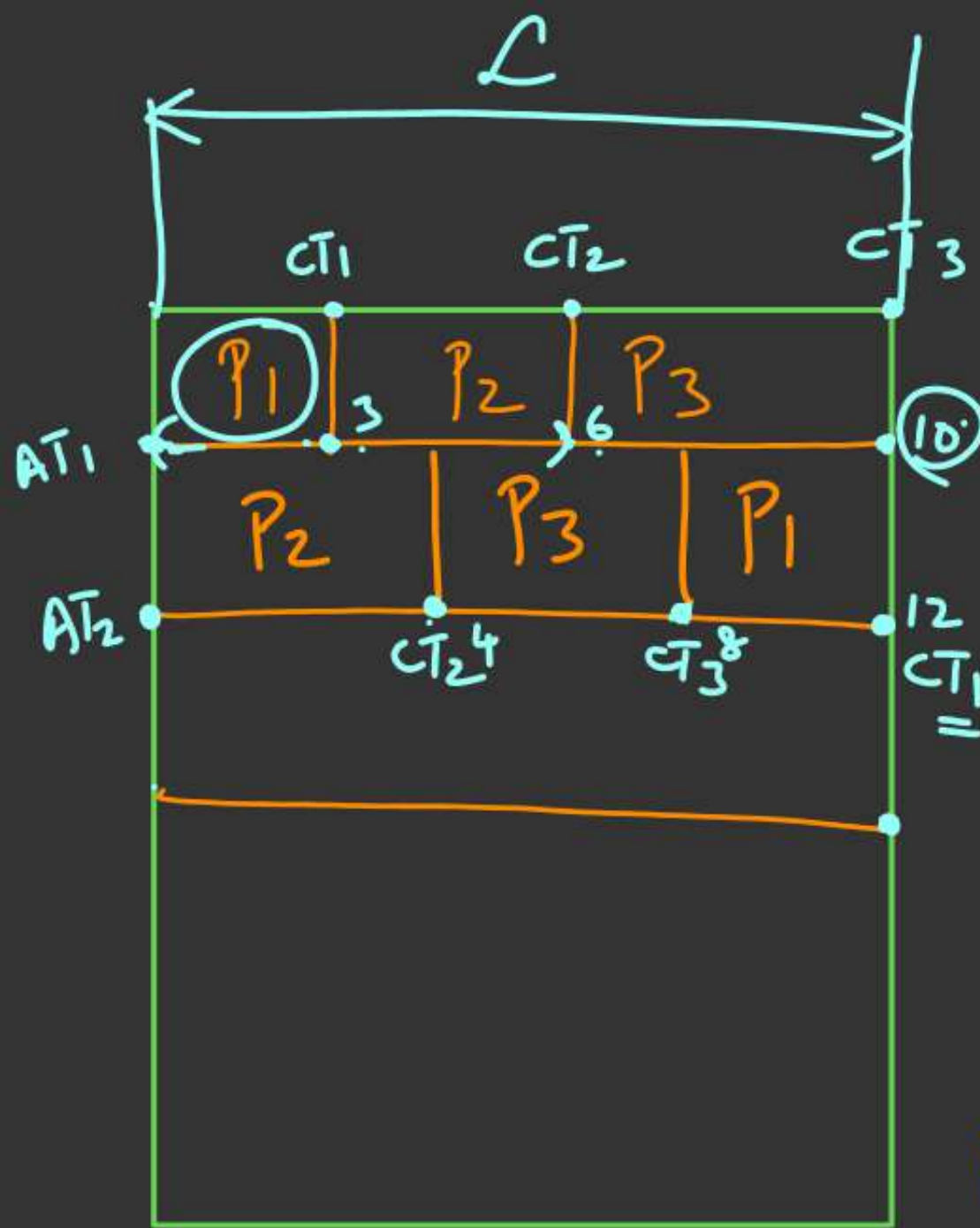
$n \rightarrow L$ units
 ? \leftarrow 1 unit

P_1	P_2	P_3	$\langle 1, 2, 3 \rangle$
P_2	P_3	P_1	$\langle 2, 3, 1 \rangle$
P_3	P_1	P_2	$\langle 3, 1, 2 \rangle$
⋮			

$L = \text{Max}(C_i) - \text{Min}(A_i)$

Throughput = No. of Processes Completed Per unit Time
 (η)

$\eta = \frac{n}{L}$



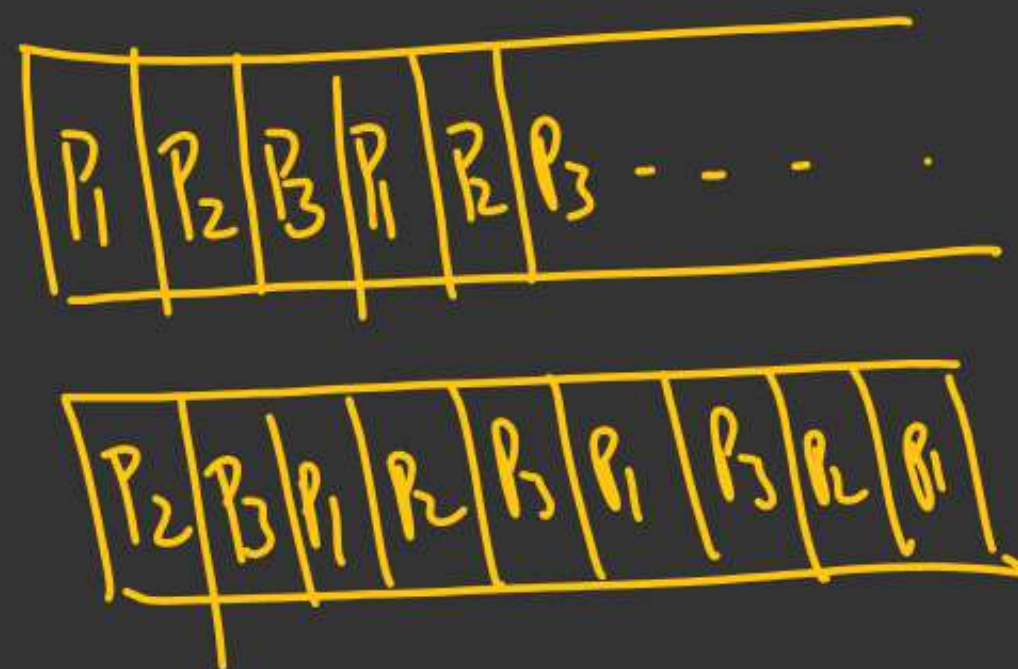
$$\sum_{x} TAT \quad \sum x_i x$$

$$TAT = CT - AT$$

$$L = (\text{Completion time of Last Process}) - (\text{Arrival time of First Process})$$

$$L = \text{Max}(C_i) - \text{Min}(A_i)$$

$P_1 P_2 P_3$



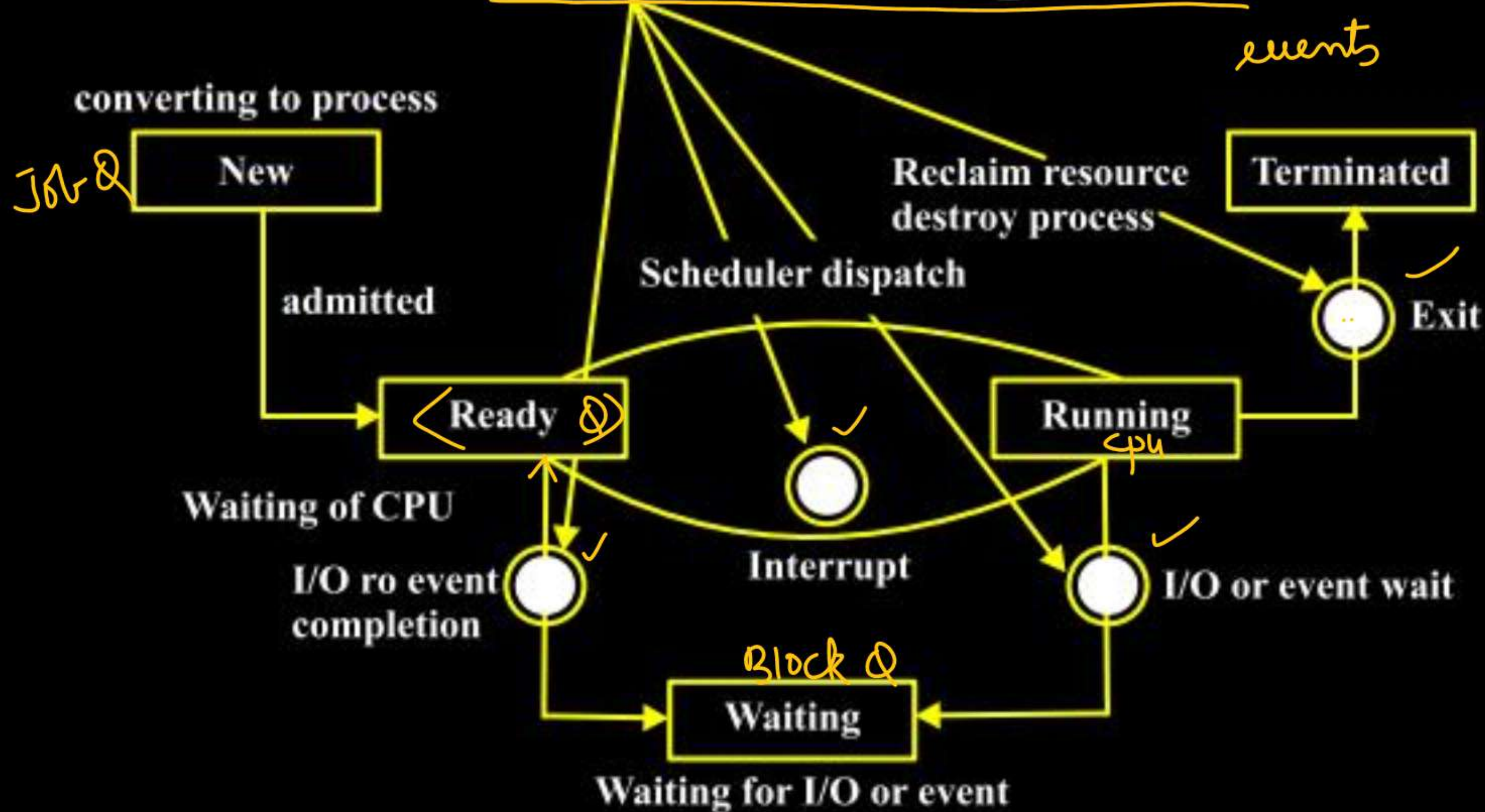
Content-Switch Time
CPU Scheduling overhead

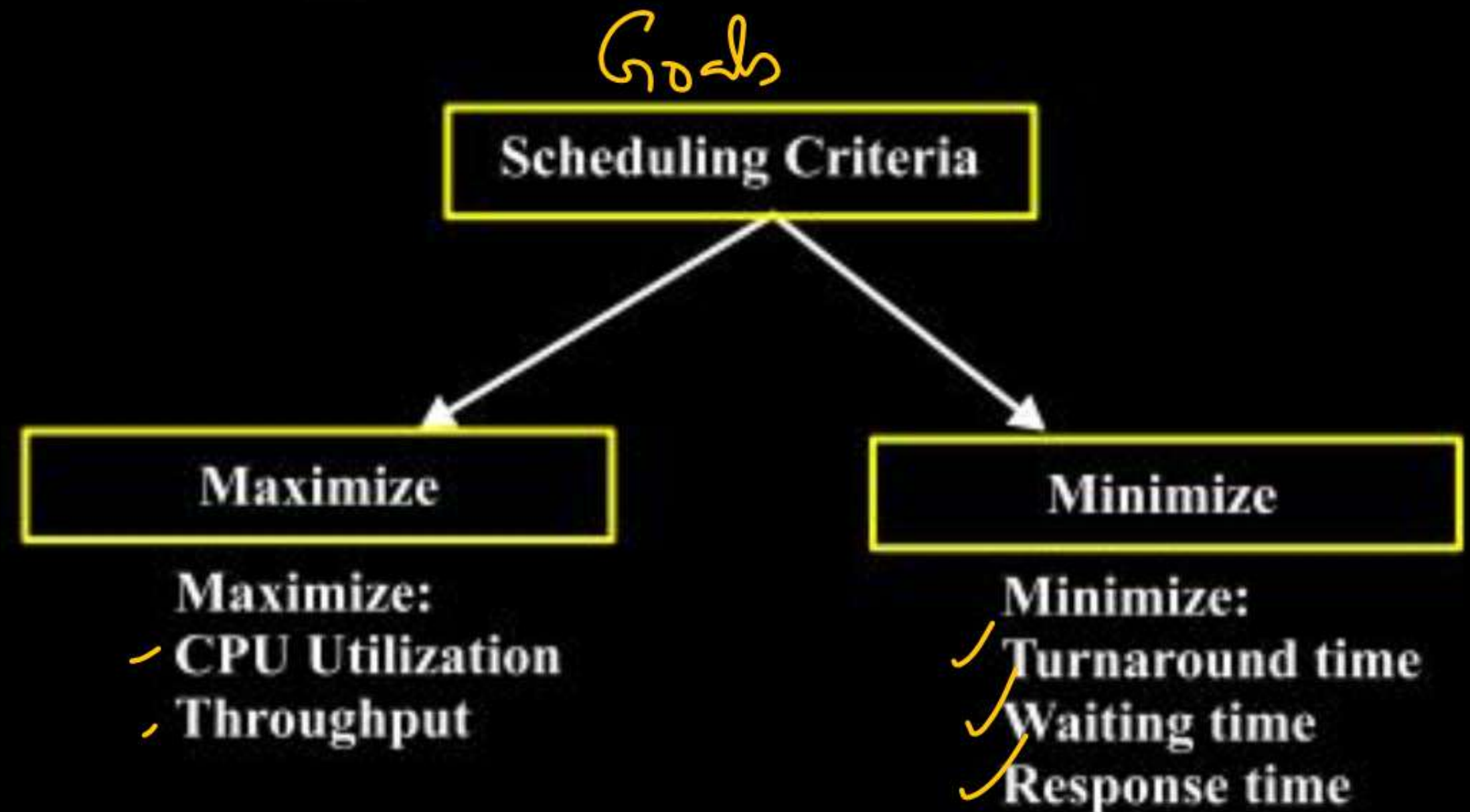
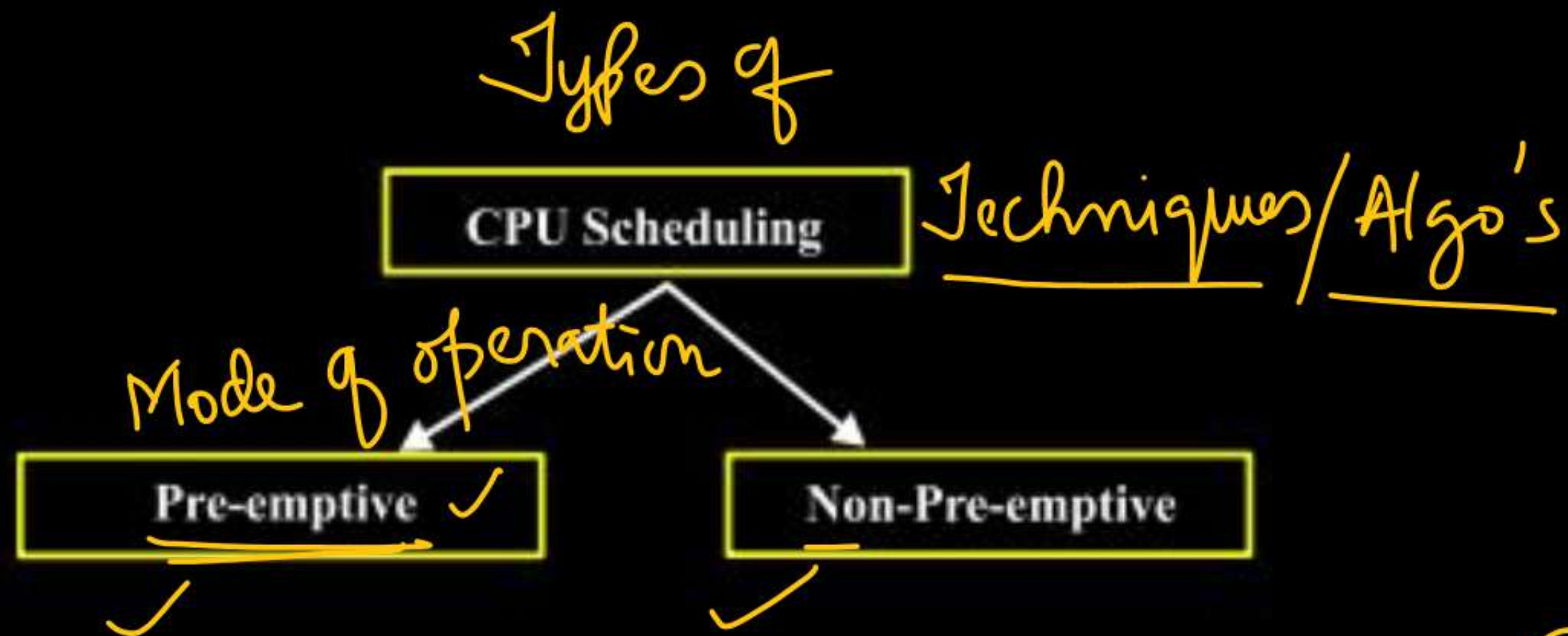
Let CPU-scheduling overhead
 $= \delta (\Delta)$



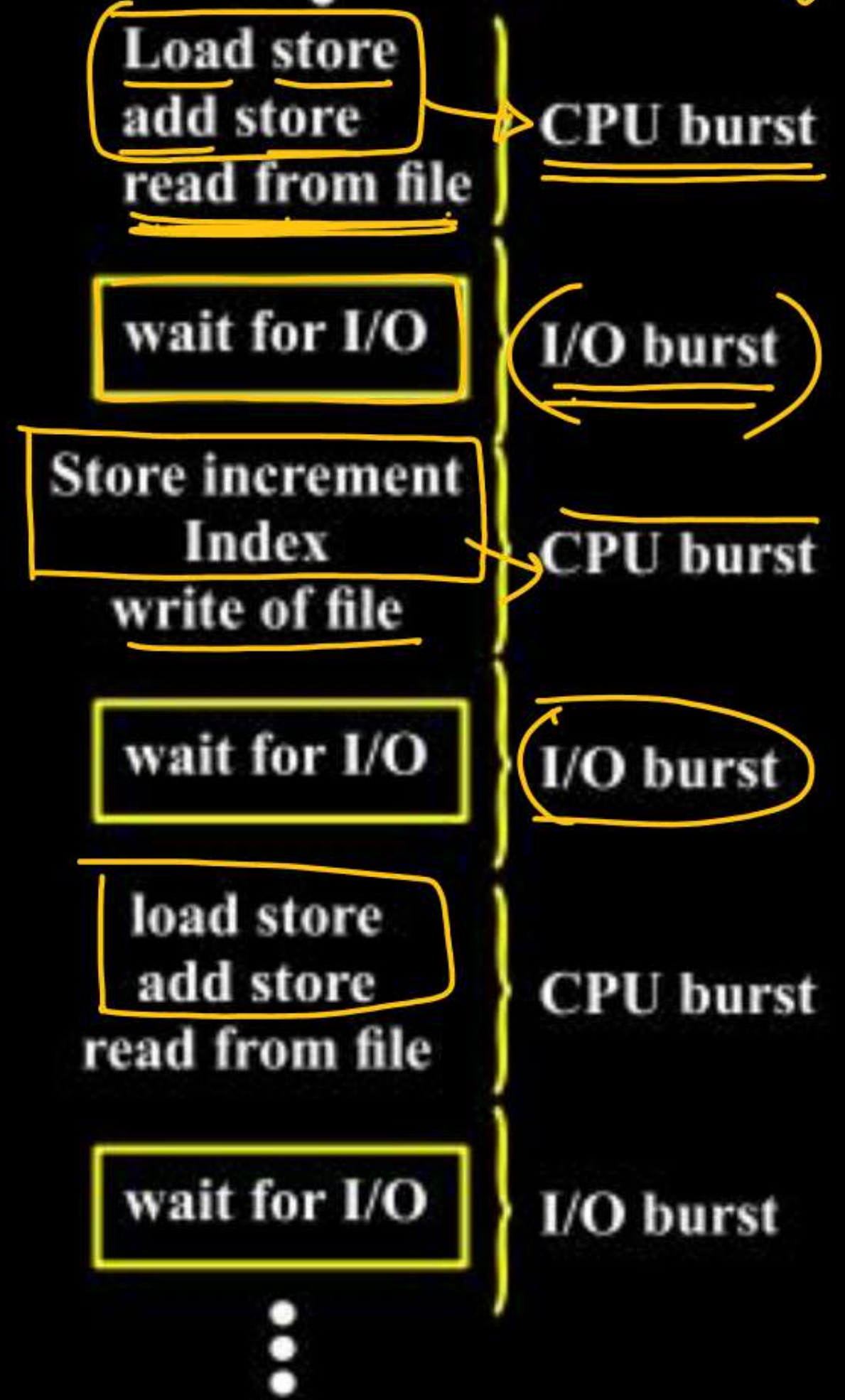
(Time Taken to load PCB
of Process from R.Q onto CPU)

CPU Scheduling Occurs





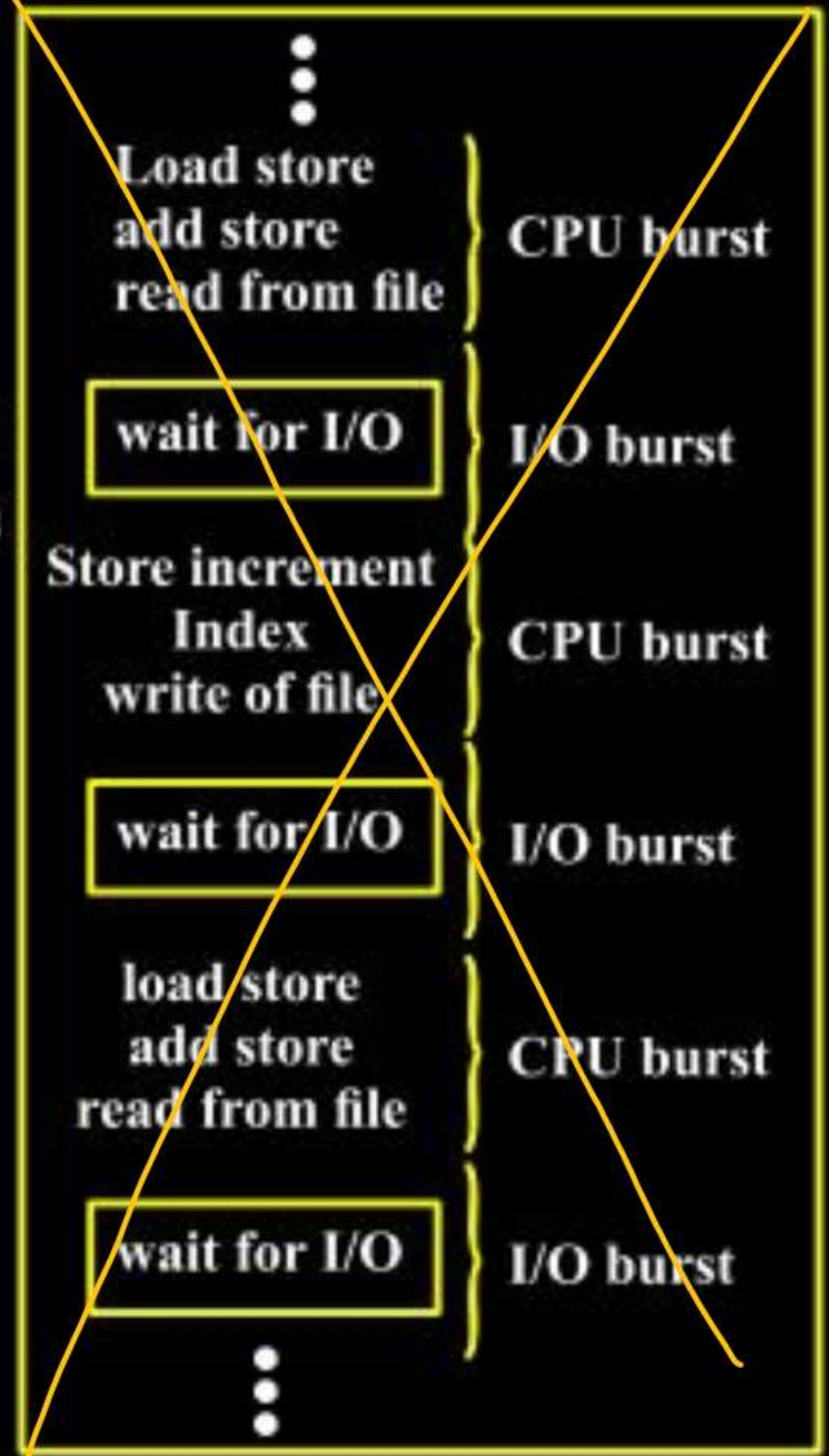
Lifecycle of Process



CPU-I/O bursts

Process execution consists of a cycle of CPU execution and I/O wait

- different processes may have different distributions of bursts
- CPU-bound process:** performs lots of computations in long bursts, very little I/O
- I/O-bound process:** performs lots of I/O followed by short burst of computation
- ideally, the system admits a mix of CPU bound and I/O-bound processes to maximize CPU and I/O



1. FCFS < First Come First Served >

Selection Criteria: A.T

Mode of operation: Non-Preemptive

Conflict resolution: Lower Pid

Assumptions:

- (i) Time is in clock ticks
- (ii) NO I/OBT's
- (iii) Scheduling overhead (δ) = 0

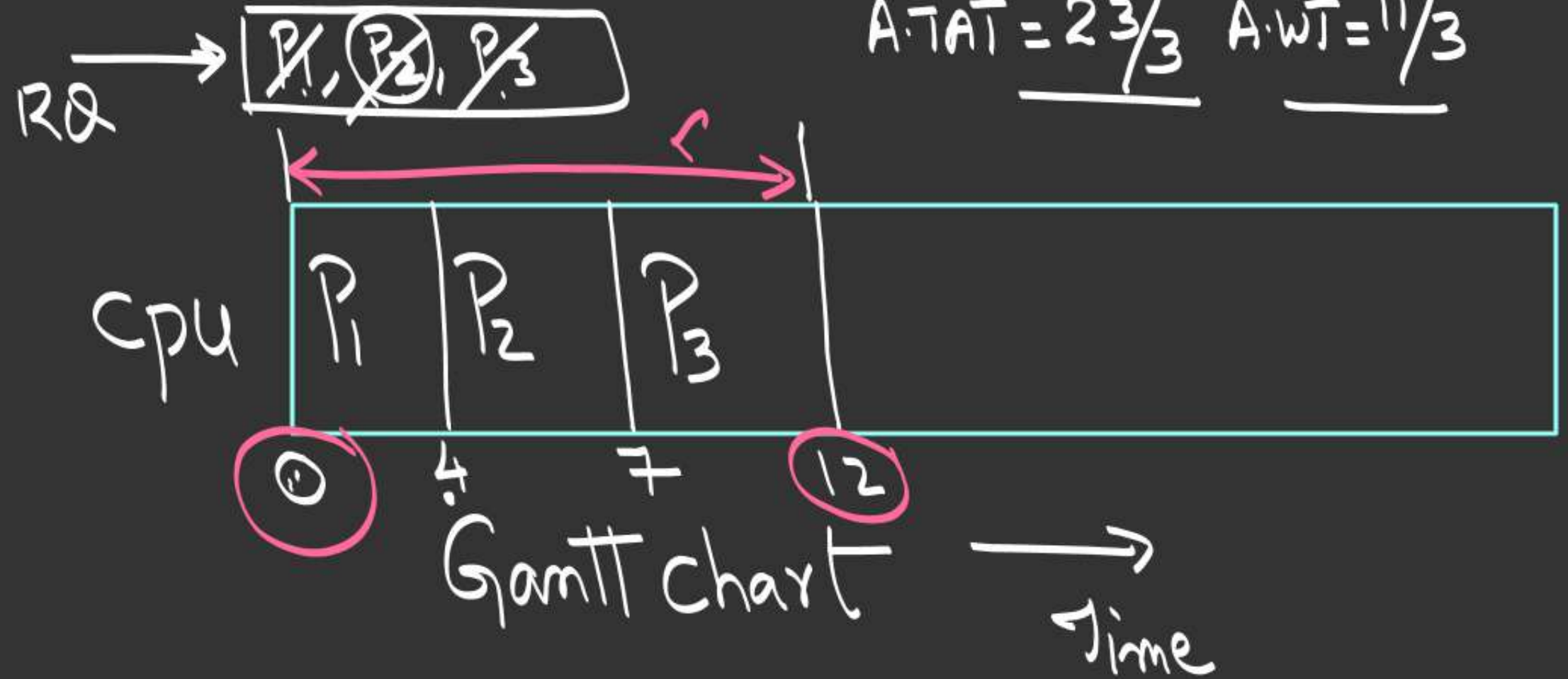
$$\underline{TAT = CT - AT}$$

$$\underline{WT = TAT - BT}$$

$$L = 12 - 0 = \underline{12}$$

①

<u>P.NO</u>	<u>A.T</u>	<u>B.T</u>	<u>C.T</u>	<u>TAT</u>	<u>WT</u>
1	0	4	4	4	0
2	0	3	7	7	4
3	0	5	12	12	7
<u>A.TAT = 23/3</u>					<u>A.WT = 11/3</u>



$$L = 12$$

$$TAT = CT - AT$$

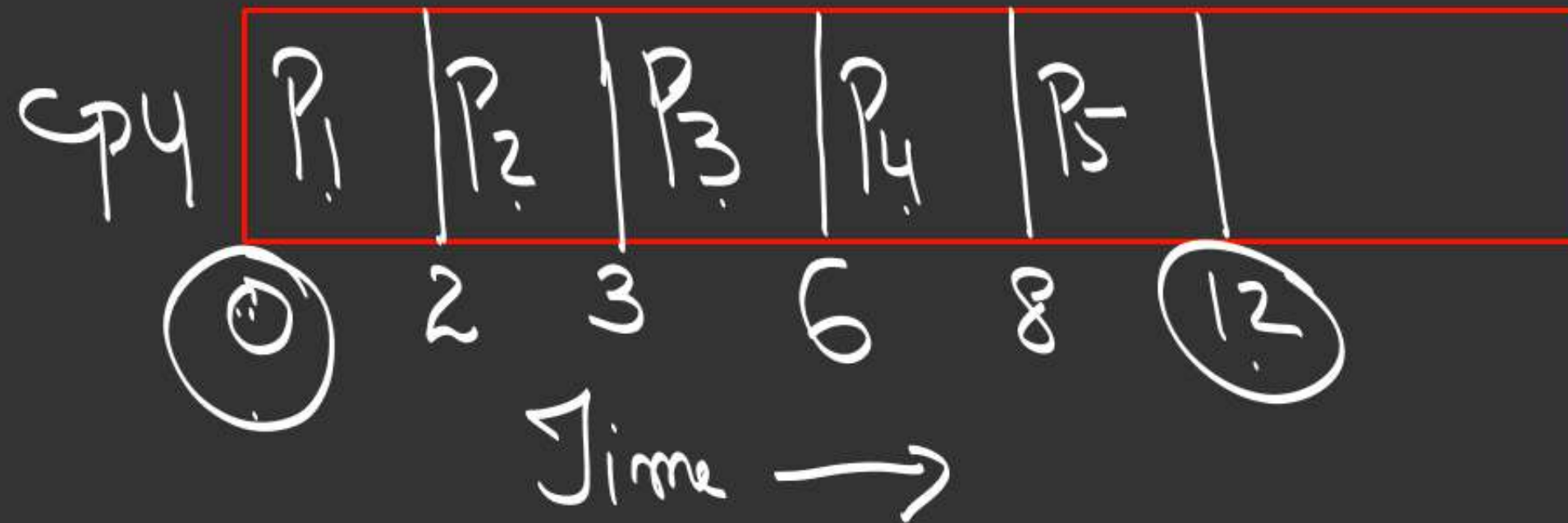
$$WT = TAT - BT$$

$$L = \text{Max}(CT) - \text{Min}(AT)$$

P.No	AT	BT	CT	TAT	WT
x1	0	2	2	2	0
x2	0	1	3	3	2
x3	2	3	6	4	1
✓4	3	2	8	5	3
✓5	5	4	12	7	3
				<u>21/5</u>	<u>9/5</u>

pid

FCFS:



$$2 = \frac{2}{2}$$

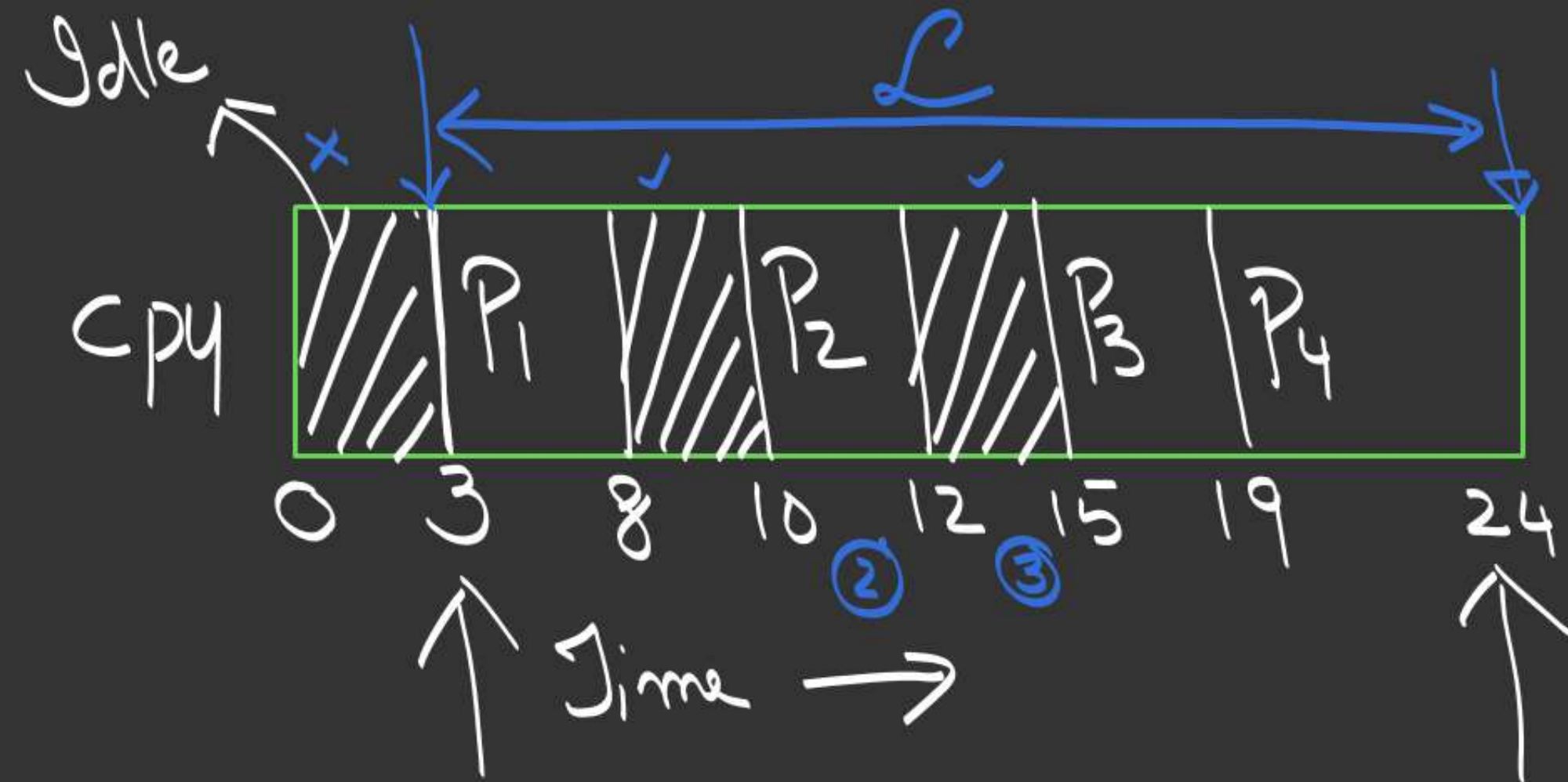
$$= \frac{5}{12}$$

3)

P.No	<u>A.T</u>	<u>B.T</u>	<u>CT</u>	<u>TAT</u>	<u>W.T</u>
1	3	5	8	5	0
2	10	2	12	2	0
3	15	4	19	4	0
4	18	5	24	6	1

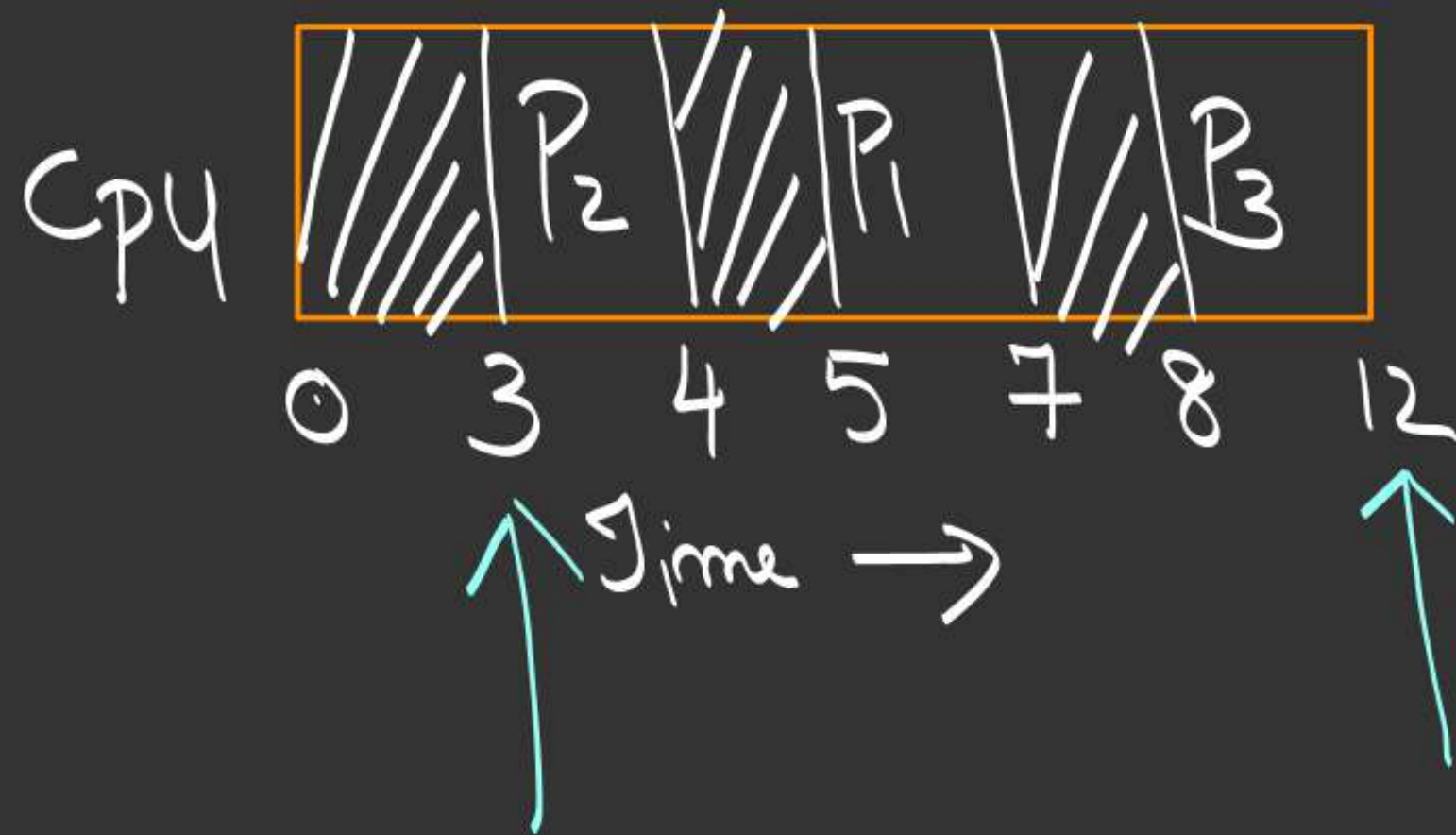
$$L = 24 - 3 = \underline{\underline{21}}$$

$$\%(\text{cpu idleness}) = \left(\frac{5}{21} \right)$$



	<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
X	1 —	5 —	2
X	2 —	3 —	1
✓	3 —	8 —	4

$$L = 12 - 3 = 9$$



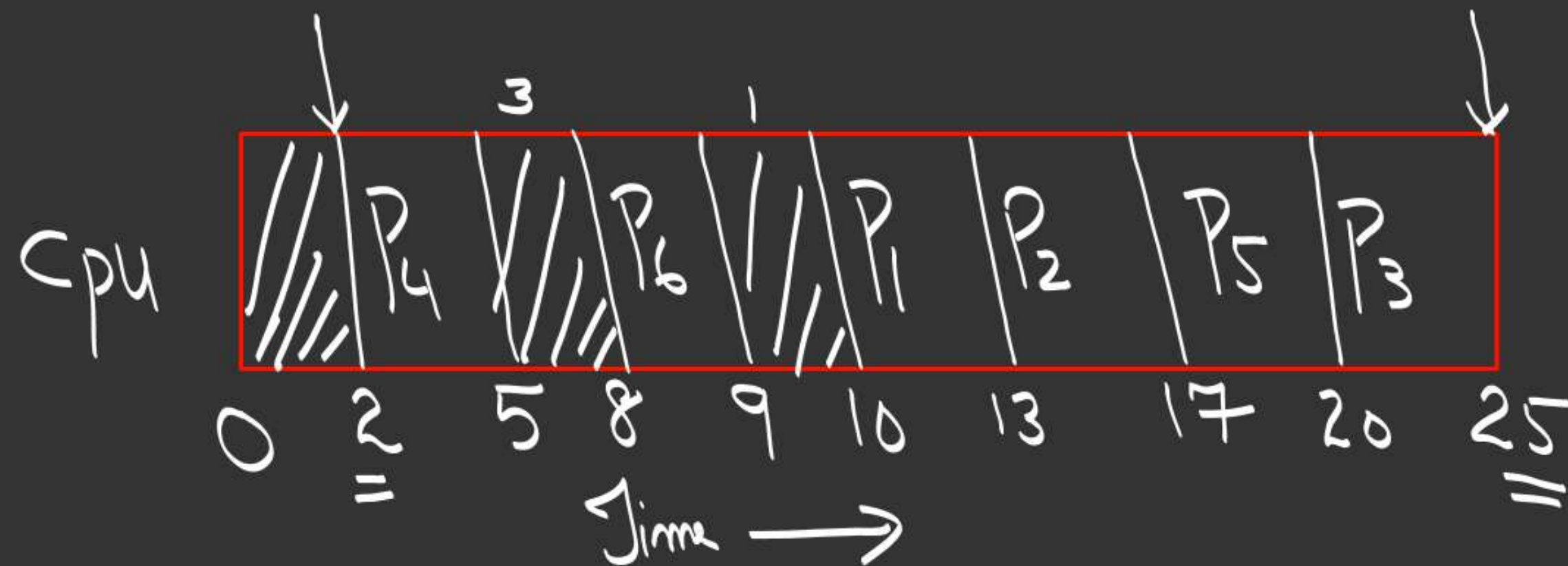
<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
✓ 1	10	3
✓ 2	11	4
✓ 3	20	5
✓ 4	2	3
✓ 5	12	3
✓ 6	8	1

$$L = 25 - 2 = 23$$

$$Av. TAT = 4.3 = ?$$

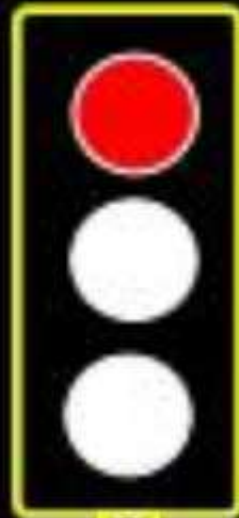
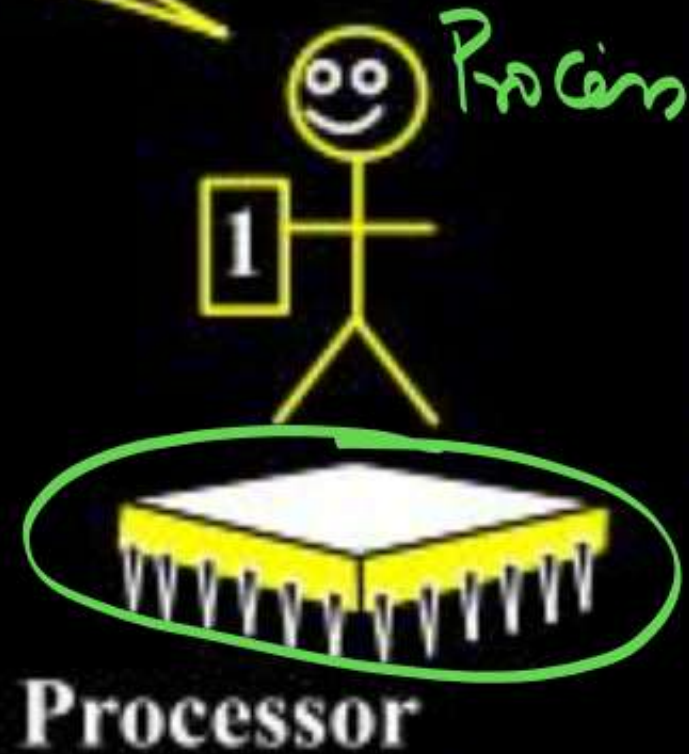
$$Av. WT = 7/6 = ?$$

$$\% \text{ cpu utilization} = \frac{4}{23}$$



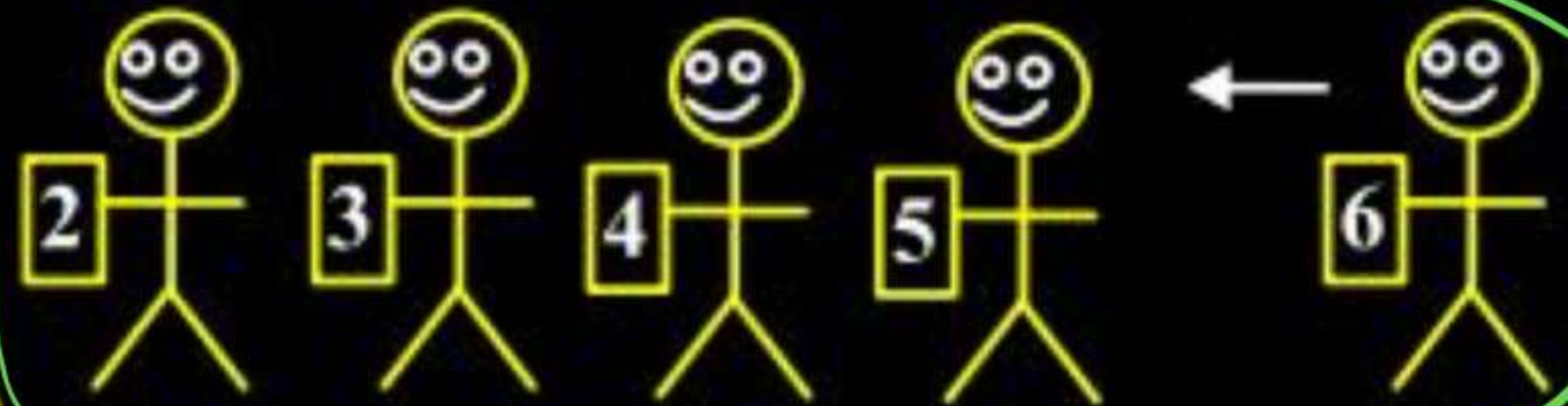
Fist come, first served

weew I could stay here forever Anyway, I'm not going back to the end of the queue



Hurry up. I'm waiting You've possessor for ages

Look at the size of that queue!



Process queue

Sorry, First come first served.



