

# CS & IT ENGINEERING

## OPERATING SYSTEMS

### CPU Scheduling

**Lecture No. 5**



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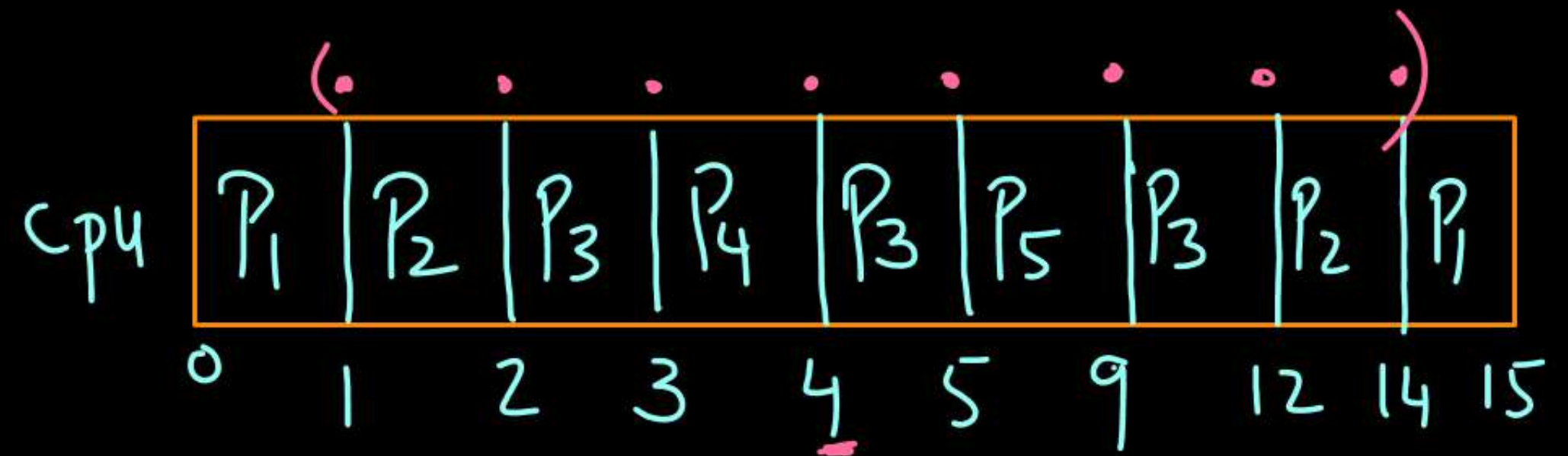


# Priority based Scheduling



Pre-Priority:

Priority	P.No	A.T	B.T
4	1	0	2
5	2	1	3
6	3	2	5
8	4 <sup>x</sup>	3	1
7	5	5	4



$$Av. \overline{AT} = \frac{15 + 13 + 10 + 1 + 4}{5} = \frac{43}{5} = \underline{\underline{8.6}}$$

$$Av. WT =$$

## Performance:

Causes Starvation to Low priority Processes;

Static  
Priority

Dynamic Priorities

P <sub>1</sub>	—	5	+	7	+	9
P <sub>2</sub>	—	8	+	10		
P <sub>3</sub>	—	12	×			

Inc. the priority of Processes  
@ regular intervals of Time

< AGING - ALGO. >



Q.



Consider a System with Preemptive Priority based Scheduling with 3 Processes P1, P2, P3 having infinite instances of them. The instances of these Processes arrive at regular intervals of 3, 7 & 20 ms respectively. The priority of the Process instances is the inverse of their periods. Each of the Process instance P1, P2, P3 consumes 1, 2 & 4 ms of CPU time respectively. The 1st instance of each Process is available at 1 ms. What is the Completion time of the 1st instance of Process P3?

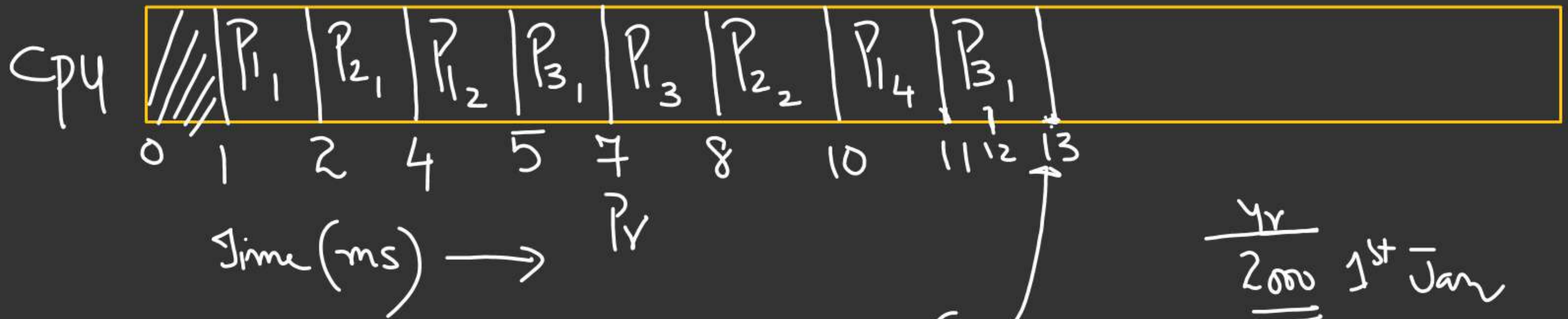


$\begin{matrix} \text{Prio} & \text{Period} & \text{P.No} & \text{A.T} & \text{B.T} & \text{Instances} \\ \text{(H)} & 1/3 & -3- & 1- & 1- & \langle 4; 7; 10; 13; 17 \dots \rangle \\ & 1/7 & -7- & 1- & 2- & \langle 8; 15; 22; \dots \rangle \\ \text{(L)} & 1/20 & -20- & 1- & 4- & \langle 21; 41; 61; \dots \rangle \end{matrix}$

Pre-Prio

$\underline{G}$ : The first Instance of  $P_3$  completes at the end of  $\frac{12}{13}$  ms; (NAT)

R.Q  $P_1; P_2; P_3; P_1; P_3; P_3; P_2; P_4$



$\frac{4r}{2000}$  1<sup>st</sup> Jan  
 Feb  
 31<sup>st</sup> Dec  
 2000



Q.

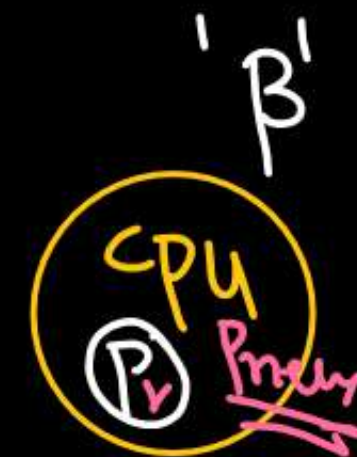
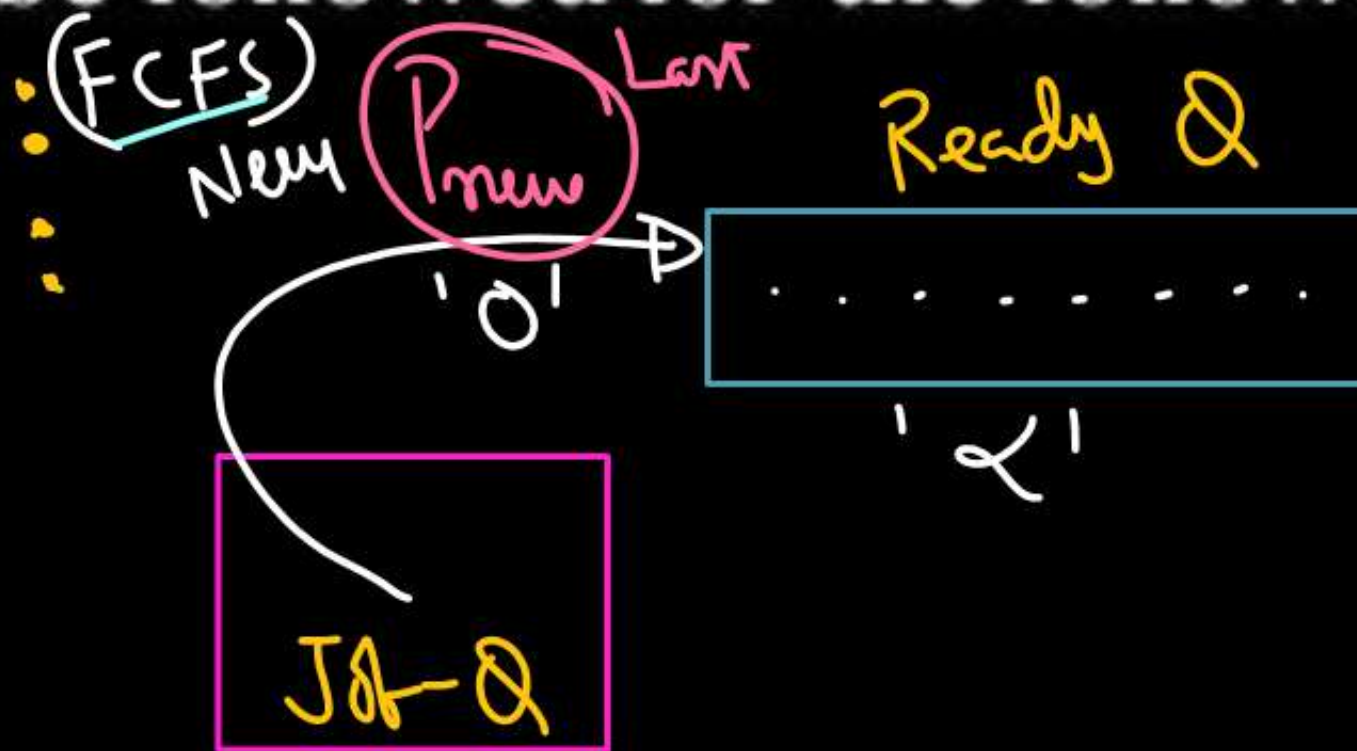


Consider a System using Preemptive Priority based scheduling with dynamically changing priorities. On its arrival a Process is assigned a priority of zero and Running Process Priority increases at the rate of ' $\beta$ ' and Priority of the Processes in the ready Q increases at the rate of ' $\alpha$ '. By dynamically changing the values of  $\alpha$  and  $\beta$  one can achieve different Scheduling disciplines among the Processes. What discipline will be followed for the following conditions.

$$1. \beta > \alpha > 0$$

$$2. \alpha < \beta < 0$$

(LCFS)  
LIFO



$$a) \beta > \alpha > 0$$

$$b) \alpha < \beta < 0$$



\* ⑦ Round Robin : Used in PreEmp - M.Pr - TimeShared o.s

Criteria: A.T + Time Quantum < Goal: Improve Interactiveness/Responsiveness

TQ / Time Slice:

Mode of op'n : Pre Emptive

TQ = 2

R.Q ~~P1; P2; P3; P1; P2; P3; P2~~

<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
1 -	0 -	4
2 -	0 -	5
3 -	0 -	3

CPU 

P1	P2	P3	P1	P2	P3	P2	
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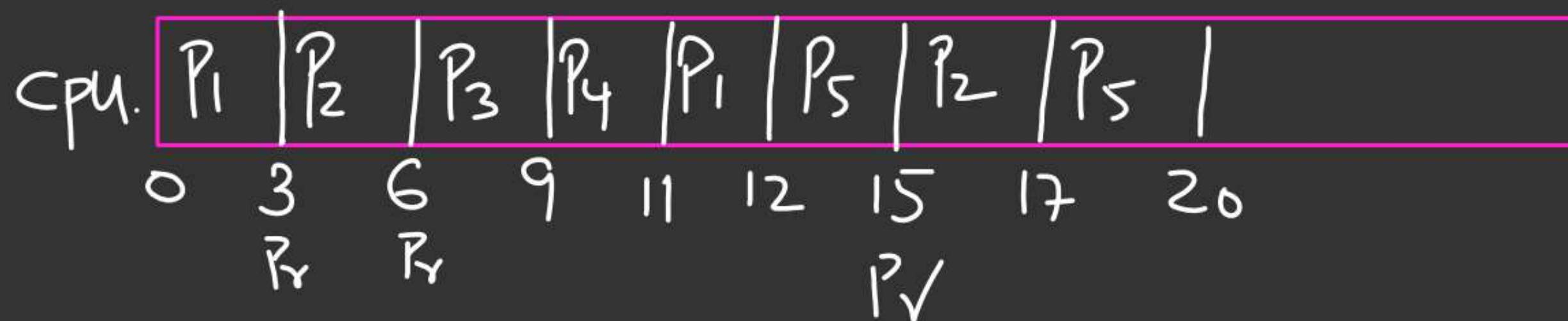
  
0 2 4 6 8 10 11 12



<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
1 —	0 —	4
2 —	1 —	5
3 —	2 —	3
4 —	3 —	2
5 —	5 —	6

$$\underline{\underline{TQ=3}}$$

RQ ~~P1; P2; P3; P4; P1; P5; P2; P5~~





<u>P.No</u>	<u>A.T</u>	<u>B.T</u>
1	4	4
2	15	5
3	8	6
4	3	3
5	5	4

$$\underline{\underline{TQ = 2}}$$

RQ ~~P<sub>4</sub>~~; ~~P<sub>1</sub>~~; ~~P<sub>5</sub>~~; ~~P<sub>4</sub>~~; ~~P<sub>1</sub>~~; ~~P<sub>3</sub>~~; ~~P<sub>5</sub>~~; ~~P<sub>3</sub>~~; ~~P<sub>2</sub>~~; ~~P<sub>3</sub>~~; P<sub>2</sub>

CP4 

P<sub>4</sub> | P<sub>1</sub> | P<sub>5</sub> | P<sub>4</sub> | P<sub>1</sub> | P<sub>3</sub> | P<sub>5</sub> | P<sub>3</sub> | P<sub>2</sub>

0      3      5      7      9      10      12      14      16      18      20  
                 P<sub>r</sub>      P<sub>r</sub>      P<sub>r</sub>                              P<sub>r</sub>                      P<sub>r</sub>      P<sub>r</sub>

P<sub>3</sub> | P<sub>2</sub> | P<sub>2</sub>

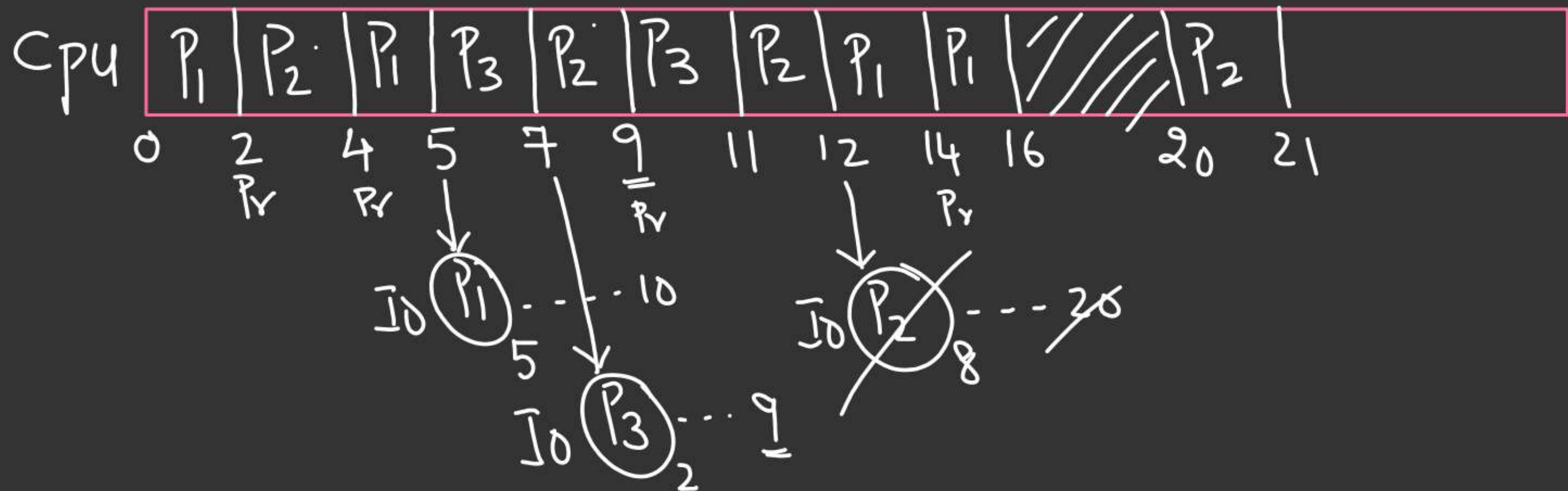
20    22    24    25  
                P<sub>r</sub>



P.NO   A.T   <BT; IOBT; BT>  
 1 — 0 — <3; 5; 4>  
 2 — 2 — <5; 8; 1>  
 3 — 3 — <2; 2; 2>

TQ=2 ; Multiple-IO

RQ ~~P<sub>1</sub>~~; ~~P<sub>2</sub>~~; ~~P<sub>1</sub>~~; ~~P<sub>3</sub>~~; ~~P<sub>2</sub>~~; ~~P<sub>3</sub>~~; ~~P<sub>2</sub>~~; ~~P<sub>1</sub>~~; P<sub>1</sub>; P<sub>2</sub>





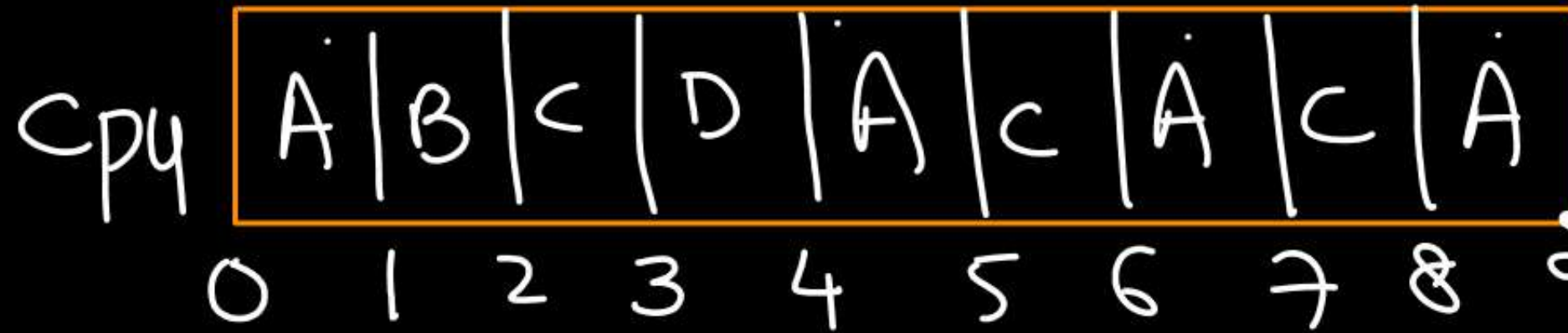
Q.

5/1

Consider a set of 4 Processes (A, B, C, D) arriving in the order at time  $0^+$ . Their Burst Time requirements are 4, 1, 8, 1 respectively using Round Robin scheduling with time quantum of 1 unit, The Completion time of Process A is \_\_\_\_.



R.R: A; ~~B~~; C; ~~D~~; A; C





Q.

H/w 1

Consider a System with 'n' Processes arriving at time  $0^+$  with substantially large Burst Times. The CPU scheduling overhead is 's' seconds, Time Quantum is 'q' seconds. Using Round Robin scheduling, what must be the value of Time Quantum 'q' such that each Process is guaranteed to get its turn at the CPU exactly after 't' seconds in its subsequent run-on CPU.





Q.



Consider a System using Round Robin Scheduling with 10 Processes all arriving at the time 0. Each Process is associated with 20 identical Request. Each Process request consumes 20 ms of CPU time after which it spends 10 ms of time on I/O, thereafter, initiates subsequent Request. Assuming Scheduling Overhead of 2 ms and Time Quantum of 20 ms, Calculate

- i. Response time of the 1st request of the 1st Process ; 22 ms ✓
- ii. Response time of the 1st request of the last Process ; 220 ms ✓
- iii. Response time of the subsequent request of any Process.

(210 ms) ✓



RQ  $\boxed{P_1 \dots P_{10}}$

20ms

1<sup>st</sup> Req

CPU

$$TQ = 20ms$$

$$\delta = 2ms$$

$P_r: 1 \ 2 \ 3 \dots 20$

$\downarrow$   
20ms → CPU Time

R.Q

$\boxed{P_1, P_2, \dots, P_{10}, P_{12}}$

0

R.T

R.T

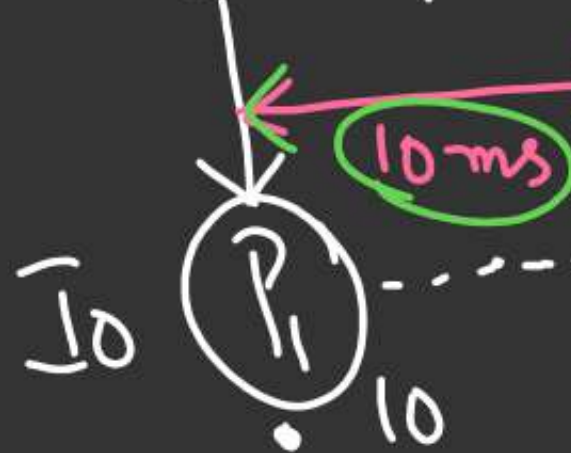


0 2 22 24

44

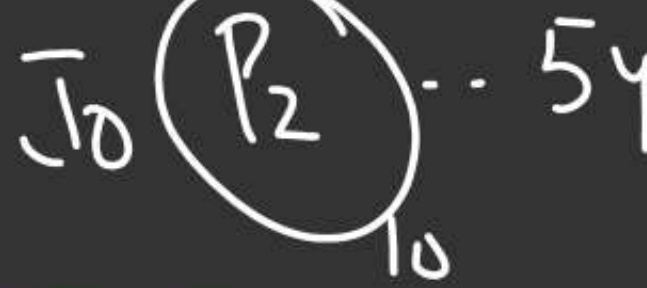
2 20

22ms



$\bar{I}_0$   $P_1$  10

(210)ms  
R.T ( $P_{12}$ )



$\bar{I}_0$   $P_2$  54

$$(2+20) \cdot 10$$

$$(22) \cdot 10 = 220ms$$

$$(2+20) \cdot 10 = 220$$

R.T

(Time of admitting the Req. to the time it generates its result)

