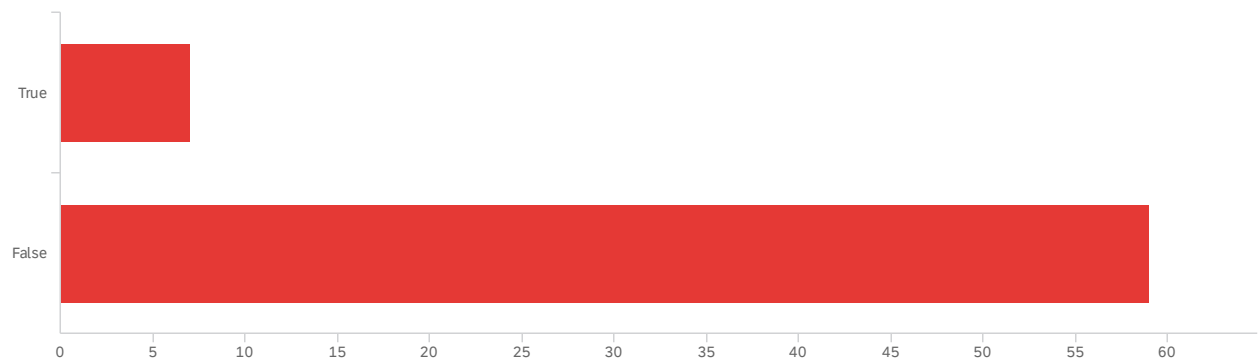


Survey Report 2

Ordinals

June 20, 2022 6:01 PM CEST

Q20 - True or false: $\omega + 1 = \omega + 2$

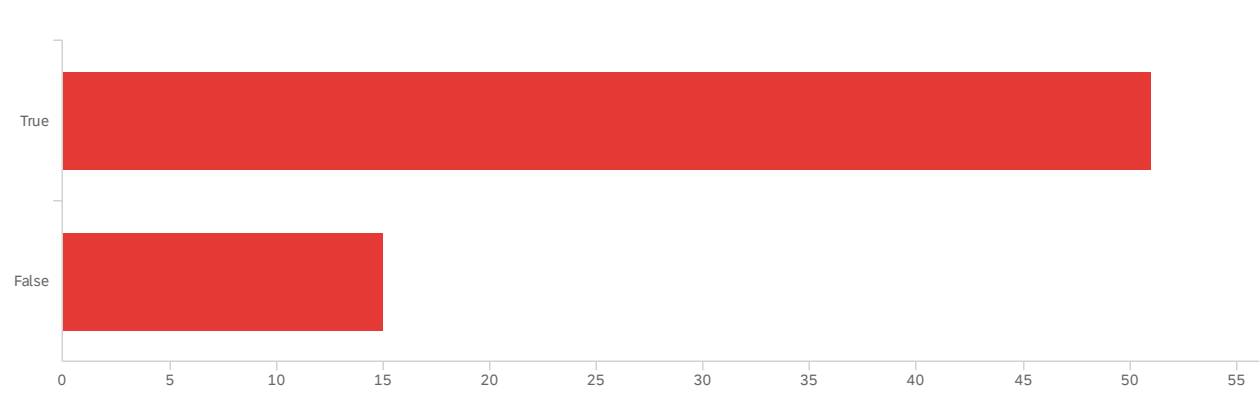


#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	True or false: $\omega + 1 = \omega + 2$	1.00	2.00	1.89	0.31	0.09	66

#	Field	Choice Count
1	True	10.61% 7
2	False	89.39% 59
		66

Showing rows 1 - 3 of 3

Q24 - True or false: $412 + \omega = \omega$



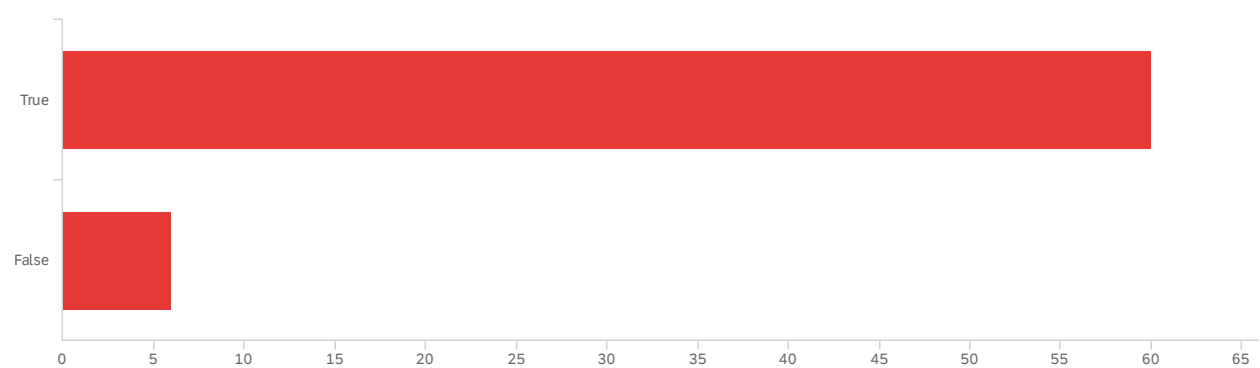
#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	True or false: $412 + \omega = \omega$	1.00	2.00	1.23	0.42	0.18	66

#	Field	Choice Count
1	True	77.27% 51
2	False	22.73% 15

66

Showing rows 1 - 3 of 3

Q25 - True or false: For an ordinal number $\alpha < \omega$ (i.e., a finite ordinal), $5 * \alpha = \alpha * 5$



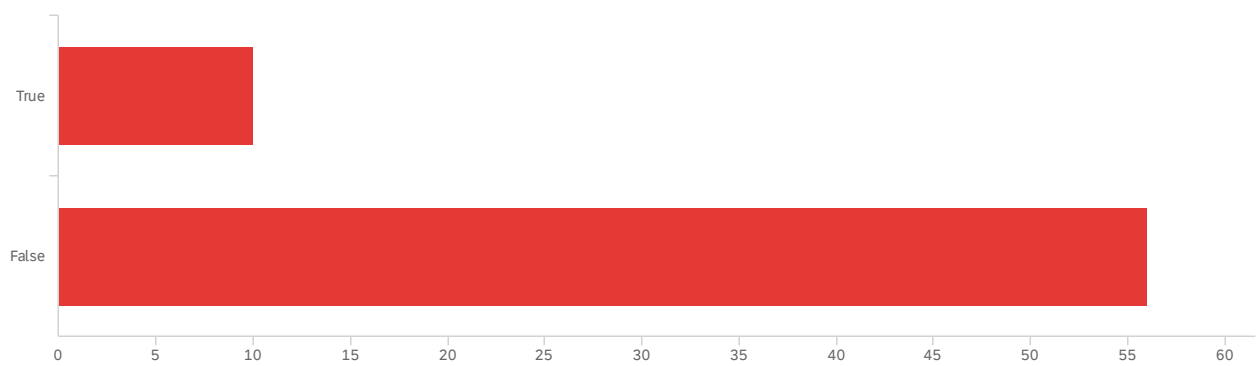
#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	True or false: For an ordinal number $\alpha < \omega$ (i.e., a finite ordinal), $5 * \alpha = \alpha * 5$	1.00	2.00	1.09	0.29	0.08	66

#	Field	Choice Count
1	True	90.91% 60
2	False	9.09% 6

66

Showing rows 1 - 3 of 3

Q27 - True or false: $5 * \omega = \omega * 5$



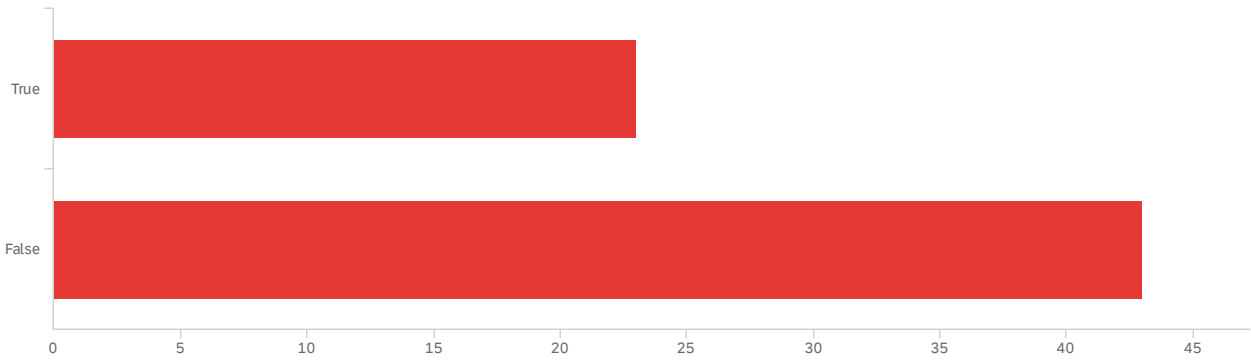
#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	True or false: 5 * ω = ω * 5	1.00	2.00	1.85	0.36	0.13	66

#	Field	Choice	Count
1	True	15.15%	10
2	False	84.85%	56

66

Showing rows 1 - 3 of 3

Q31 - True or false: $4 * \omega = (1 + 1 + 1 + 1) * \omega = 1 * \omega + 1 * \omega + 1 * \omega + 1 * \omega = \omega + \omega + \omega + \omega$



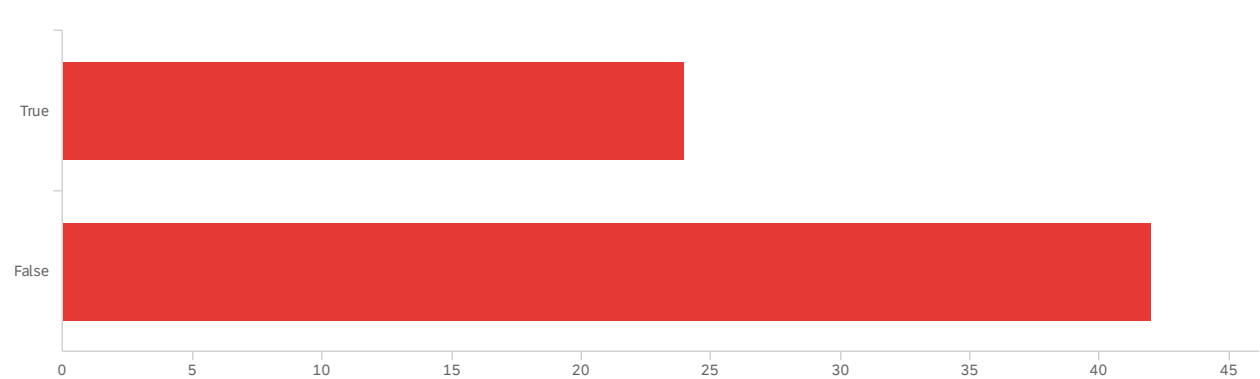
#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	True or false: 4 * ω = (1 + 1 + 1 + 1) * ω = 1 * ω + 1 * ω + 1 * ω + 1 * ω = ω + ω + ω + ω	1.00	2.00	1.65	0.48	0.23	66

#	Field	Choice Count
1	True	34.85% 23
2	False	65.15% 43

66

Showing rows 1 - 3 of 3

Q49 - True or false: Every ordinal number has a predecessor



#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	True or false: Every ordinal number has a predecessor	17.00	18.00	17.64	0.48	0.23	66

#	Field	Choice Count
17	True	36.36% 24
18	False	63.64% 42

66

Showing rows 1 - 3 of 3

Q51 - If you answered 'No' in the previous question, please provide an example of such ordinal

If you answered 'No' in the previous question, please provide an example of...

If $\forall \{0,1,2,\dots\}$ Then 0 have no predecessor

I'm a bit unsure of this one as you defined ordinals to be natural numbers. Hence 0 would not be an ordinal as it is not a natural number. Meaning that the ordinal 1 would not have a predecessor. However, all sets were defined to have a 0th place just like in computer science. If 0 is in fact an ordinal, which to my understanding it shouldn't, it's just a place name within a set, then it can be said that it is an ordinal without a predecessor as -1 is definitely not possible.

?

0

0

0 if without negatives

-

0

1

0

0

1

0

0

0

0

0

ω

0

0

If you answered 'No' in the previous question, please provide an example of...

Omega

the first one - 0 (matching to the empty set. or in some definitions, 1)

W

0

0

ω

0

0

Omega. There exists no ordinal number k such that $k+1 = \omega$

ω

0

0

0, assuming zero is an ordinal and negative integers are not

0

0 hasnt have a predecessor

1

omega

0

w

Omega

Omega

0

Q32 - Please type your answer in the box below: Express the number 5 in terms of successors of 0 [Hint: $8 = S(S(6))$]

Please type your answer in the box below: Express the number 5 in terms of...

6

$S(S(S(S(0))))$

$5 = S(S(S(S(0)))$

$S(S(S(S(0))))$

$S(s(s(s(0))))$

7

$8 = s$

$S(S(S(S(0))))$

?

$S(S(S(S(0))))$

$S(S(S(S(0))))$

$S(S(S(S(0))))$

$S(S(S(S(0))))$

$S(S(S(S(0))))$

$S(S(-2))$

$S(S(S(S(0))))$

$S(S(S(S(0))))$

$S(s(s(s(0))))$

$S(s(s(s(0))))$

$5 = S(S(S(S(0))))$

$S(S(S(S(0))))$

Please type your answer in the box below: Express the number 5 in terms of...

$S(S(S(S(0))))$

$s(s(s(s(0))))$

$5=S(S(S(S(0))))$

$5=S(S(S(S(0))))$

$5 = S(S(S(S(S(0)))))$

$s(s(s(s(0))))$

$5 = S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$5 = S(S(S(S(S(0)))))$

$s(s(s(s(0))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$5= S(S(S(S(S(0)))))$

0

$5 = S(S(S(S(S(0)))))$

$S(S(S(S(S(0)))))$

$5 = S(S(S(S(S(0)))))$

Please type your answer in the box below: Express the number 5 in terms of...

S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

5=S(S(S(S(S(0)))))

0 1 2 3 4

S(S(S(S(S(0)))))

S(S(S(S(1))))

S(S(S(S(S(S(0))))))

5=S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

5=S(S(S(S(S(0)))))

5 = S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

S(s(s(s(s(0)))))

S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

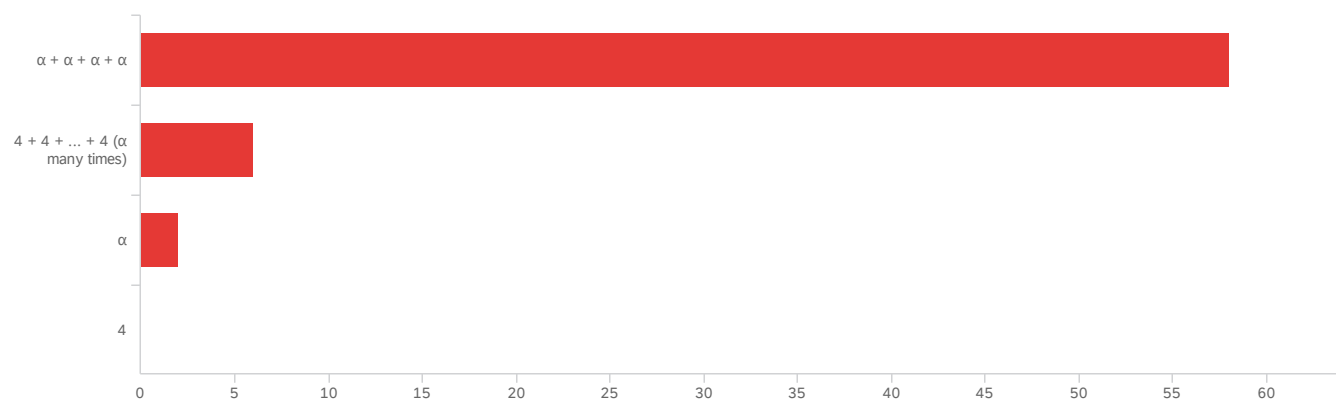
S(s(s(s(s(0)))))

S(S(S(S(S(0)))))

S(S(S(S(S(0)))))

s(s(3))

Q29 - Multiple choice: For an arbitrary ordinal number α , which of the following is a representation of $\alpha * 4$?



#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	Multiple choice: For an arbitrary ordinal number α , which of the following is a representation of $\alpha * 4$?	1.00	3.00	1.15	0.43	0.19	66

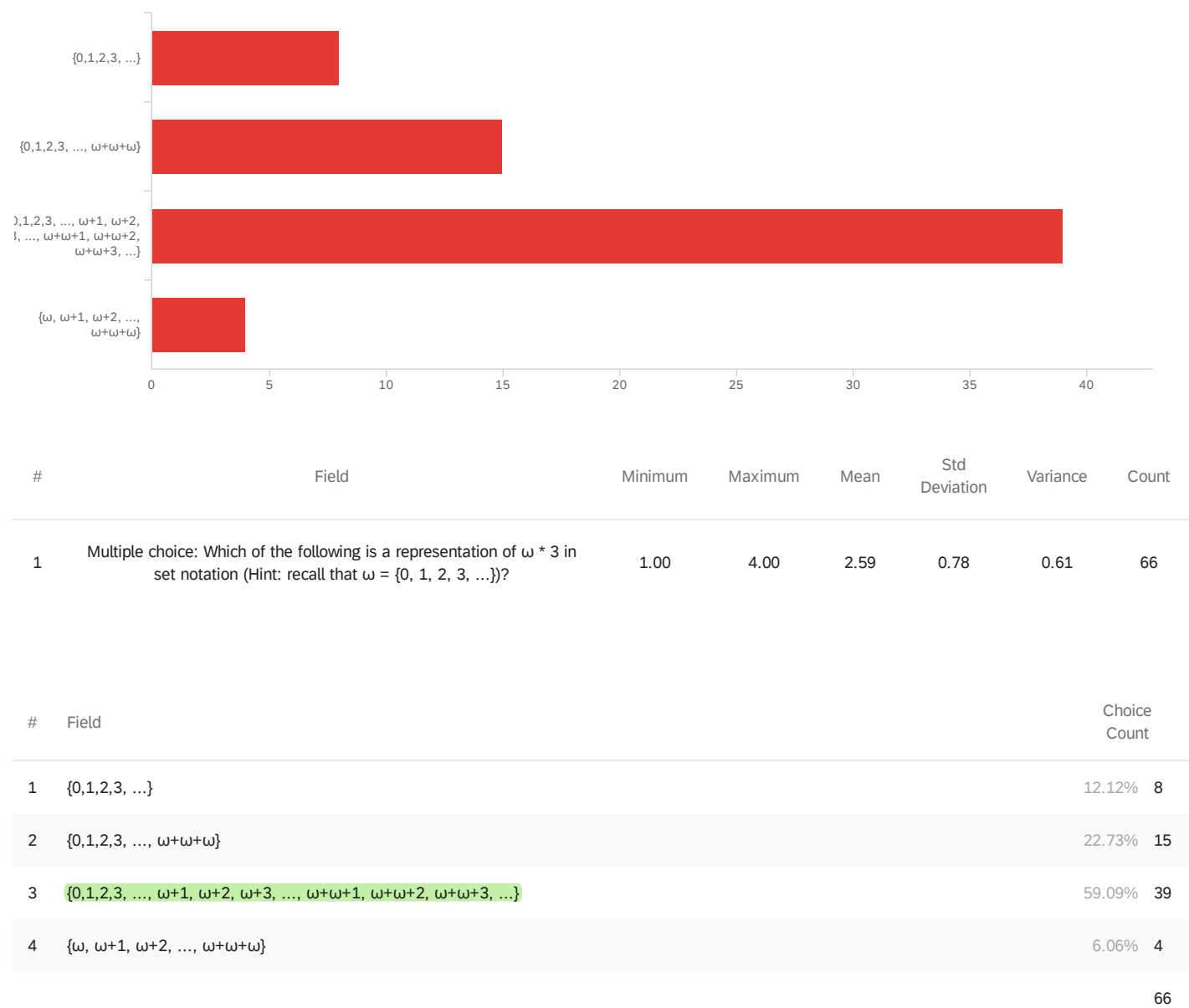
#	Field	Choice Count
1	$\alpha + \alpha + \alpha + \alpha$	87.88% 58
2	$4 + 4 + \dots + 4$ (α many times)	9.09% 6
3	α	3.03% 2
4	4	0.00% 0

66

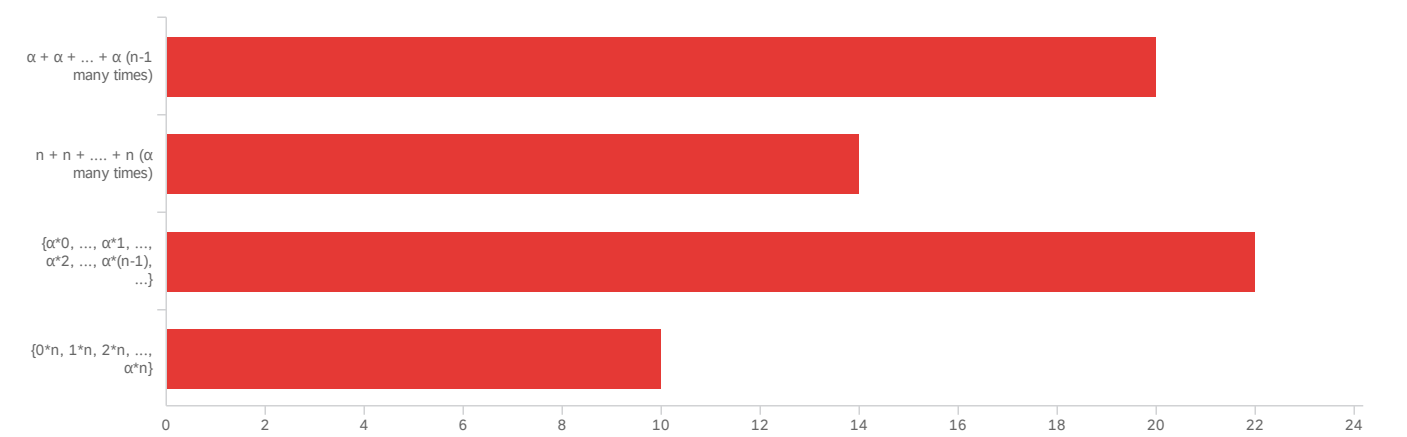
Showing rows 1 - 5 of 5

Q28 - Multiple choice: Which of the following is a representation of $\omega * 3$ in set notation

(Hint: recall that $\omega = \{0, 1, 2, 3, \dots\}$)?



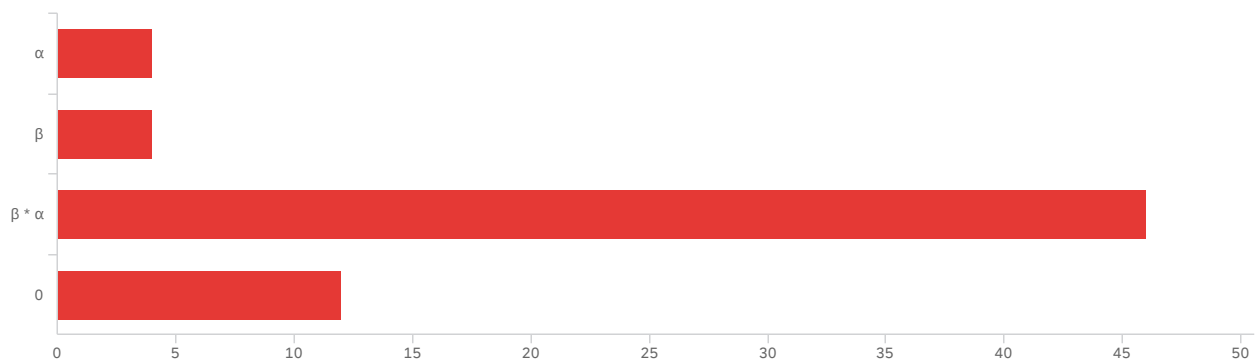
Q30 - Multiple choice: For an arbitrary ordinal number α and a natural number $n \in \mathbb{N}$, which of the following best represents the ordinal number $\alpha * n$?



#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	Multiple choice: For an arbitrary ordinal number α and a natural number $n \in \mathbb{N}$, which of the following best represents the ordinal number $\alpha * n$?	1.00	4.00	2.33	1.06	1.13	66

#	Field	Choice Count
1	$\alpha + \alpha + \dots + \alpha$ ($n-1$ many times)	30.30% 20
2	$n + n + \dots + n$ (α many times)	21.21% 14
3	$\{\alpha*0, \dots, \alpha*1, \dots, \alpha*2, \dots, \alpha*(n-1), \dots\}$	33.33% 22
4	$\{0*n, 1*n, 2*n, \dots, \alpha*n\}$	15.15% 10

Q52 - Multiple choice: For any pair of ordinal numbers α , β , which of the following could never be an element in the set representation of the ordinal number $\beta * \alpha$?



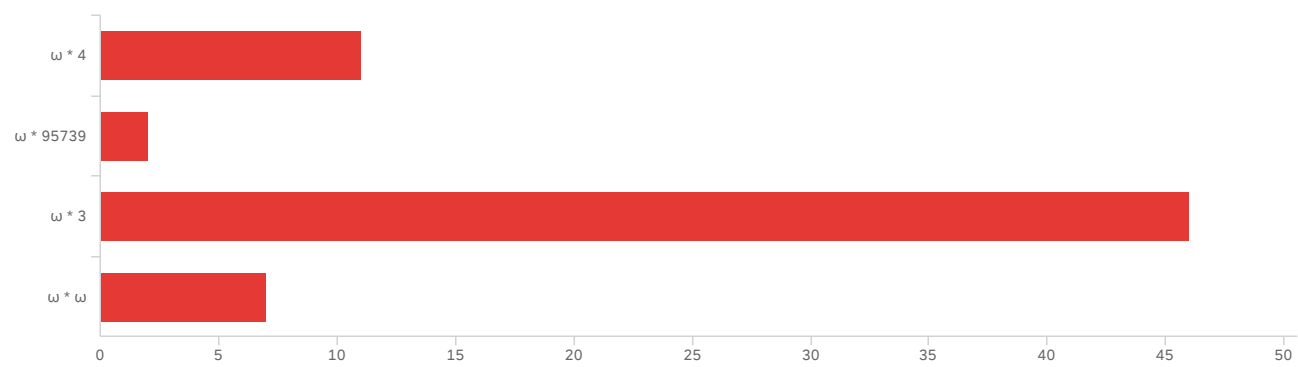
#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	Multiple choice: For any pair of ordinal numbers α , β , which of the following could never be an element in the set representation of the ordinal number $\beta * \alpha$?	1.00	4.00	3.00	0.70	0.48	66

#	Field	Choice Count
1	α	6.06% 4
2	β	6.06% 4
3	$\beta * \alpha$	69.70% 46
4	0	18.18% 12

66

Showing rows 1 - 5 of 5

Q53 - Multiple choice: Which of the following is an element in the set representation of the ordinal number $\omega * 4$?



#	Field	Minimum	Maximum	Mean	Std Deviation	Variance	Count
1	Multiple choice: Which of the following is an element in the set representation of the ordinal number $\omega * 4$?	1.00	4.00	2.74	0.86	0.74	66

#	Field	Choice Count
1	$\omega * 4$	16.67% 11
2	$\omega * 95739$	3.03% 2
3	$\omega * 3$	69.70% 46
4	$\omega * \omega$	10.61% 7

66

Showing rows 1 - 5 of 5

End of Report