

## Experiment no. 4

**Title :-** Linear Algebra Tensors Tensor arithmetic Implementing matrix multiplication.

**Aim:-** To Linear Algebra Tensors Tensor arithmetic Implementing matrix multiplication.

Linear algebra plays a fundamental role in machine learning, and tensors are essential data structures used for representing multi-dimensional arrays. In this section, I'll cover basic tensor operations, tensor arithmetic, and how to implement matrix multiplication using NumPy.

A tensor is a generalization of vectors and matrices and is easily understood as a multidimensional array.

A vector is a one-dimensional or first order tensor and a matrix is a two-dimensional or second order tensor.

### Step 1) Tensors and Tensor Arithmetic:

Tensors are multi-dimensional arrays. In the context of linear algebra, vectors are 1-dimensional tensors,

matrices are 2-dimensional tensors, and so on.

```
In [7]: import numpy as np

# Creating tensors (arrays) using NumPy
# 1-D tensor (vector)
vector = np.array([1, 2, 3])

# 2-D tensor (matrix)
matrix = np.array([[1, 2], [3, 4]])

# 3-D tensor
tensor_3d = np.array([[[1, 2], [3, 4]], [[5, 6], [7, 8]]])

# Tensor arithmetic (element-wise operations)
a = np.array([1, 2, 3])
b = np.array([4, 5, 6])

addition = a + b
print("addition ", addition)
subtraction = a - b
print("subtraction ", subtraction)
elementwise_multiplication = a * b
print("multiplication ", elementwise_multiplication)
elementwise_division = a / b
print("division ", elementwise_division)

addition [5 7 9]
subtraction [-3 -3 -3]
multiplication [ 4 10 18]
division [0.25 0.4 0.5 ]
```

## Step 2) Implementing Matrix Multiplication:

Matrix multiplication is a fundamental operation in linear algebra. In NumPy, you can use the `dot()` function or `@` operator to perform matrix multiplication.

```
In [9]: import numpy as np

# Matrix multiplication using dot() function
matrix_a = np.array([[1, 2], [3, 4]])
matrix_b = np.array([[5, 6], [7, 8]])

# Option 1: Use dot() function
matrix_product = np.dot(matrix_a, matrix_b)
print("Dot \n", matrix_product)

# Option 2: Use @ operator (Python 3.5+)
matrix_product = matrix_a @ matrix_b
print("@ operator\n ", matrix_product)
```

```
Dot
[[19 22]
 [43 50]]
@ operator
[[19 22]
 [43 50]]
```

## Conclusion

Implemented Matrix Multiplication and Linear Algebra Tensors using Tensorflow.