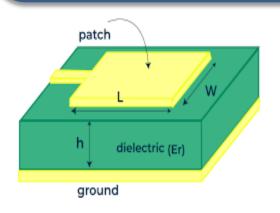
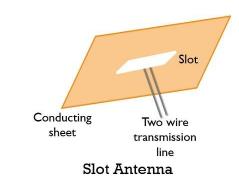
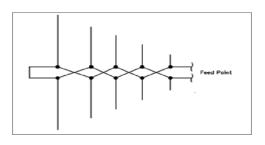
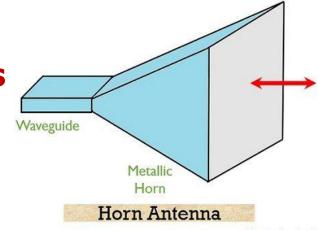
7REC02 Antennas and Propagation



Unit - 4
Practical Antennas











Practical Antennas

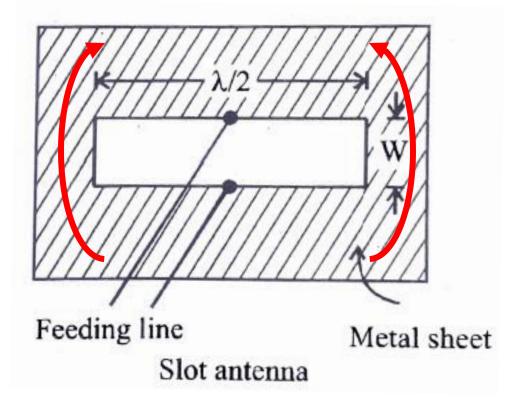
- Slot Antenna
- Complementary Antennas
- Horn Antenna
- Patch or Microstrip Antenna
- Log Periodic Antenna
- Reflector type Antenna
- Antennas for Special Applications
 - Terrestrial Mobile Communication
 - Ground Penetrating Radar
 - Embedded Antennas
 - Ultra wide Antenna for digital applications
 - Plasma Antennas
- Introduction to smart antennas

Slot Antenna

- A slot antenna consists of a metal surface, usually a flat plate,
 with one or more holes or slots cut out.
- Slot antennas are useful where low profile (small dimension) or flush mountings (inside) are required. Ex. High speed aircrafts
- Consider a system which contains two resonant $\lambda/4$ stubs connected to a 2-wire transmission line
 - $\lambda/4$ stubs $\lambda/4$ $\lambda/4$
- It is an inefficient radiator because
 - long wires are closely placed (W $<<\lambda$) and carry currents of opposite phase
 - hence their fields tend to cancel
 - End wires carry currents in the same phase, but they are too short to radiate efficiently
 - Large current is required radiate appreciable power

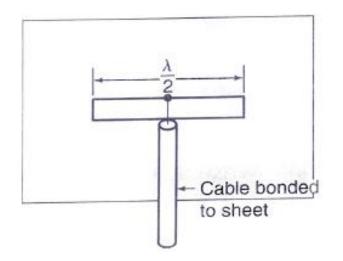
Feeding line

• Instead $\lambda/4$ stubs if $\lambda/2$ slot is cut in a flat metal sheet, the antenna will be very efficient



 although long wires are closely spaced (W<<L) the currents are not confined to the edges of the slot but spread out over the sheet

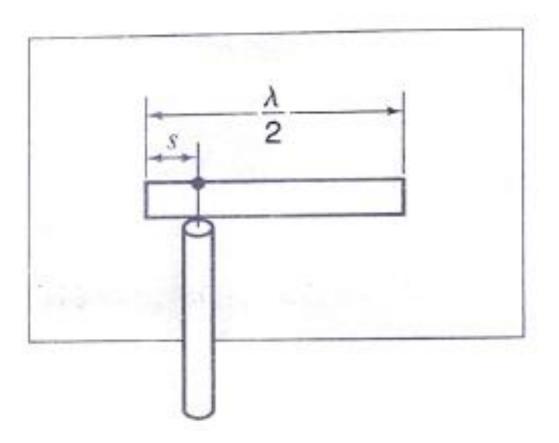
A slot antenna can be conveniently energized by a coaxial transmission line



- radiation occurs equally from both sides of the sheet
- Outer conductor is bonded to the metal sheet

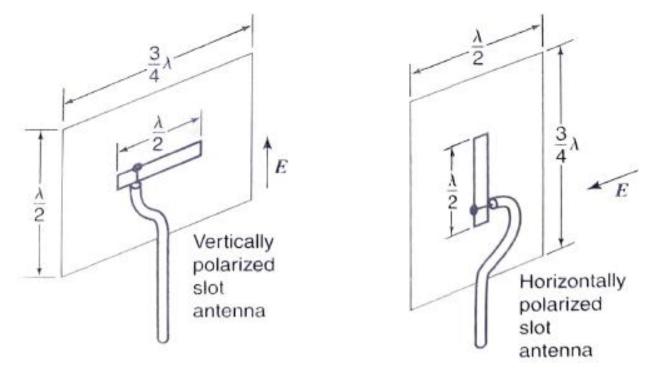
- The terminal resistance at the centre of a resonant $\lambda/2$ slot in a large sheet is about 500Ω
- Characteristics impedance of coaxial transmission line is usually much less
- hence impedance mismatch takes place

 An off-centre feed may be used to provide better impedance match



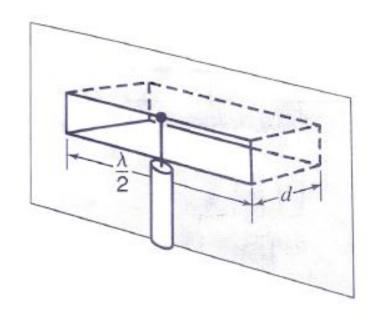
• For a 50 Ω coaxial cable the distance 's' should be about $\lambda/20$

Slot antenna fed by a coaxial cable in off-centre manner are



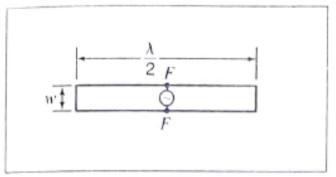
- The radiation normal to the sheet with the horizontal slot is vertically polarized
- Radiation normal to the sheet with the vertical slot is horizontally polarized

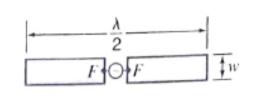
- A flat sheet with a $\lambda/2$ slot radiates equally on both sides of the sheet
- If the sheet is very large (ideally infinite) and boxed, radiation occurs only from one side

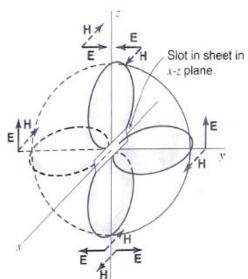


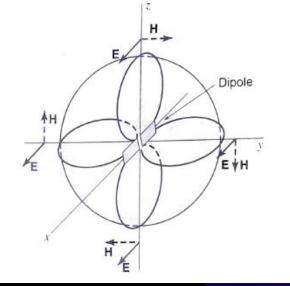
Patterns of slot antenna in flat sheet

• Consider a $\lambda/2$ slot antenna and complementary $\lambda/2$ dipole antenna









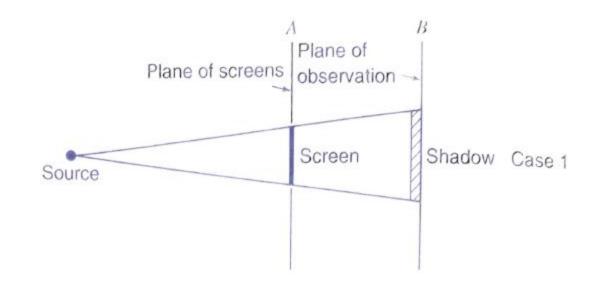
Radiation patterns are same, except

- Electric and magnetic fields are interchanged
- Component of the electric field of the slot normal to sheet is discontinuous

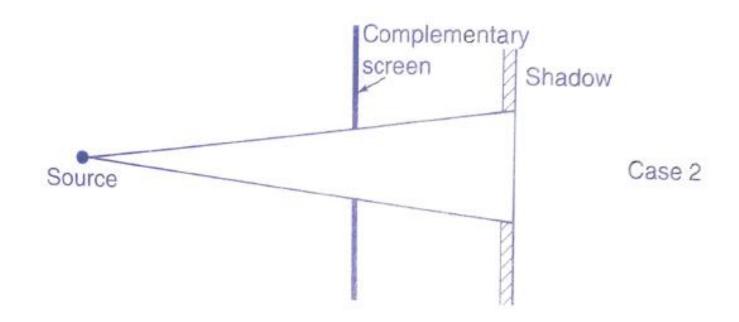
Babinet's Principle and Complementary Antennas

- Babinet's principles can be used to reduce the problems of slot antennas
- Babinet's principle states that "The field at any point behind a plane having a screen, if added to the field at the same point when the complementary screen is substituted, is equal to the field when no screen is present (in optics).
- Principle is illustrated by considering an example with three cases. Let a source and two imaginary planes, plane of screen A and plane of observation B be arranged as shown

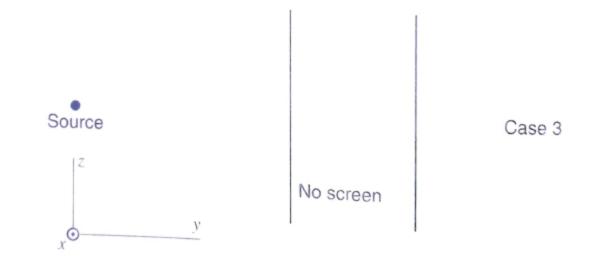
• Case 1: Let a perfectly absorbing screen be placed in Plane A. Then in plane B there is a region of shadow. Let field behind this screen be some function f1 of x, y and z. Thus Fs = f1(x,y,z)

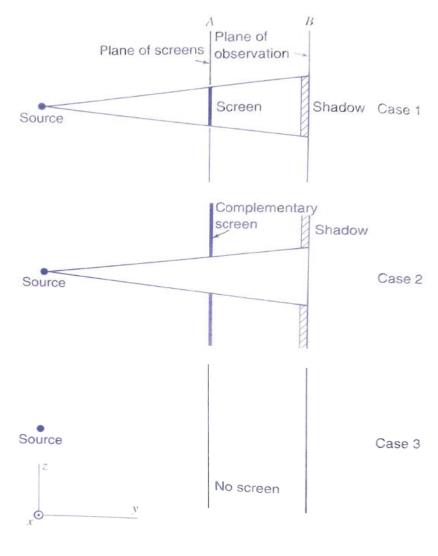


• Case 2: Let the first screen is replaced by its complementary screen and field behind it be given by Fcs = f2(x,y,z)



Case 3: With no field present the screen is Fo= f3(x,y,z)





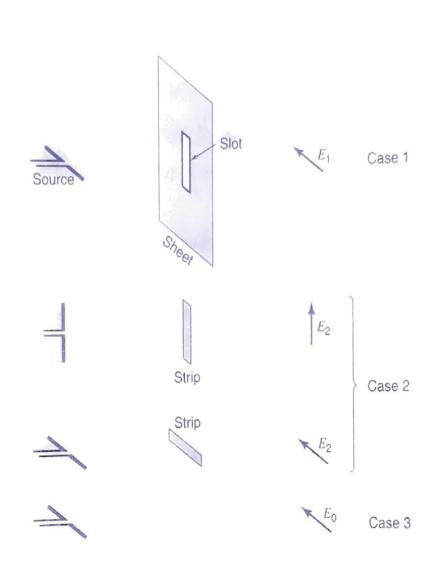
$$Fs + Fcs = Fo$$

Babinet's principle states that

"The field at any point behind a plane having a screen, if added to the field at the same point when the complementary screen is substituted, is equal to the field when no screen is present (in optics).

The sources may be a point source or distribution of sources. The principle not only applies to plane B but also any point behind screen A

- Babinet's principle is extended to electromagnetic field
- In this screen should be perfectly conducting and infinitesimally thin
- i.e. if one screen is perfectly conducting the complementary screen is must have infinite permeability
- Thus if one screen is a perfect conductor of electricity the complementary screen is a perfect conductor of magnetism

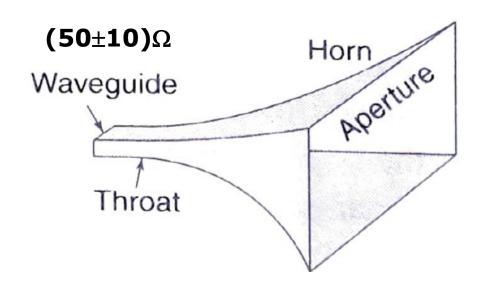


- Case 1: Dipole is horizontal and screen is perfectly conducting thin sheet with a vertical slot cut.
 At point P behind the screen the field is E1
- Case 2: Complementary screen perfectly conducting thin strip of the same dimensions of the slot.
 At point P the field is E2
- Case 3: No screen is present and the field at point P is Eo
- By Babinet's principle

$$E1 + E2 = E0 \qquad \qquad \frac{E1}{Eo} + \frac{E2}{Eo} = 1$$

Horn Antenna

- A Horn antenna is a flared out (opened out) waveguide
 - It improves directivity and impedance matching
- Horn antenna produces
 - Uniform phase front with a larger aperture than that of waveguide, hence greater directivity
- J C Bose constructed a pyramid horn in 1897



Free space 377Ω

Horn Antenna - Types

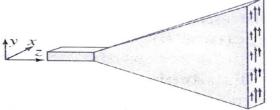
RECTANGULAR HORNS

Horn Waveguide Throat

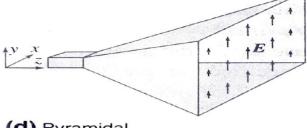
(a) Exponentially tapered pyramidal



(b) Sectoral H-plane

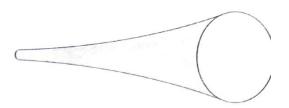


(c) Sectoral E-plane

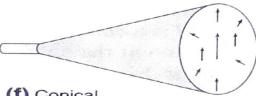


(d) Pyramidal

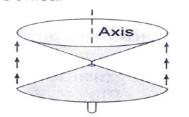
CIRCULAR HORNS



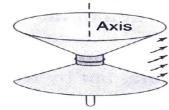
(e) Exponentially tapered



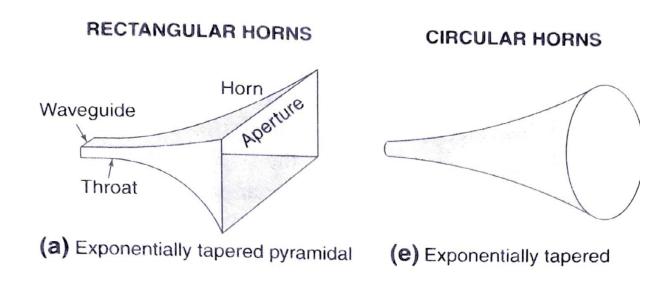
(f) Conical



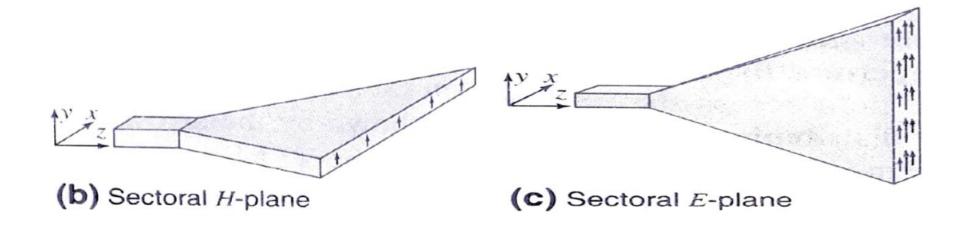
(g) TEM biconical



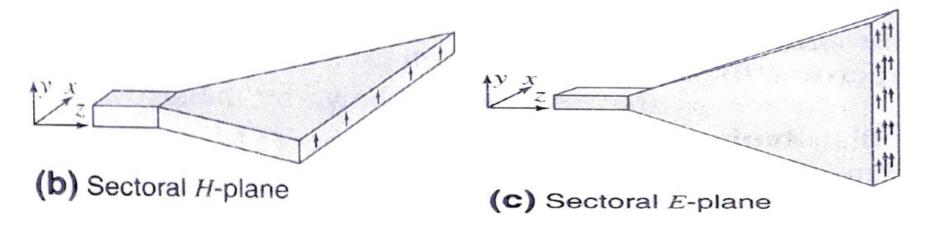
(h) TE₀₁ biconical



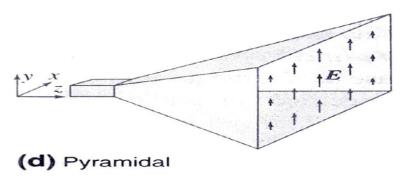
- To minimize reflections of the waveguide, the horn between the waveguide at the throat and the free space at the aperture could be given a gradual exponential taper (transition region)
- The general practice is to make horns with straight flares



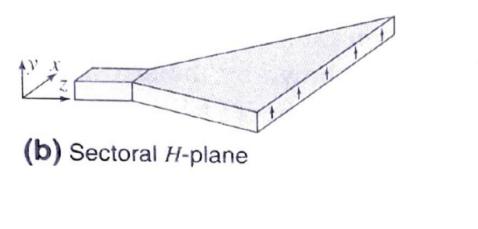
- These are sectoral antenna rectangular type with flare in only one dimension
- Assuming rectangular waveguide is energized with TE_{10} mode wave electric field (E in the Y direction) [Fig. (b)]
 - horn is flared out in a plane perpendicular to E
 - this is the plane of the magnetic field H
 - Sectoral horn flared in H plane (H-plane sectoral horn)

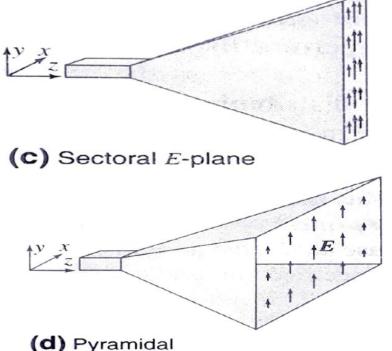


- If horn is flared out in a plane of the electric field E [Fig. (c)]
- Sectoral horn flared in E plane (E-plane sectoral horn)
- Rectangular antenna with flare on both sides is called pyramidal horn

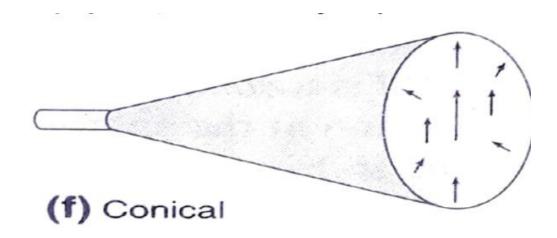


• with TE_{10} wave (electric field perpendicular to direction of propagation) in the waveguide the magnitude of electric field is uniform in the y-direction and zero in the x-direction

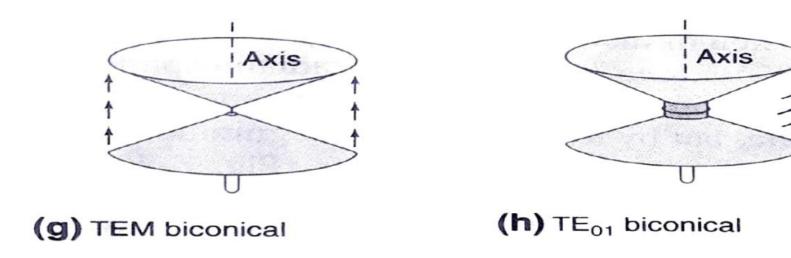




 arrow indicates the direction of E and length gives approximate magnitude of E



- The horn is conical type
- excited with circular guide in TE₁₁ mode
 - $TE_{11} \rightarrow$ electric field and magnetic field are perpendicular to direction of propagation

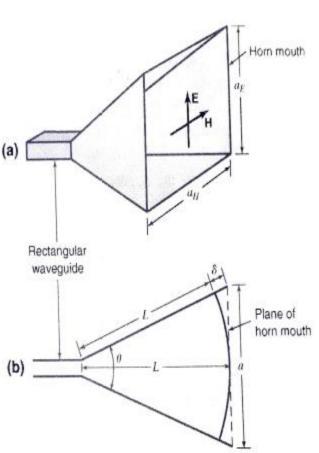


- horns are biconical type
- excited in the TEM (transverse electromagnetic) mode by the vertical radiator [Fig. (g)]
 - electric and magnetic fields are restricted to perpendicular to the direction of propagation
- excited with TE₀₁mode by a small horizontal loop antenna
- these horns are non directional in the horizontal plane

 Neglecting the edge effects, the radiation pattern of the horn antenna can be determined

• if the aperture dimensions and field distribution (aperture distribution) are known

- if the flare angle is too great, the phase distribution over the mouth will be non uniform, resulting in
 - decreased directivity and increased beam width
 - minor lobes are likely to appear
- if the flare angle is too small, results in
 small aperture area and directivity is reduce



$$\cos\frac{\theta}{2} = \frac{L}{L+\delta}$$

$$Sin\frac{\theta}{2} = \frac{a}{2(L+\delta)}$$

$$\tan\frac{\theta}{2}=\frac{a}{2L}$$

 $\theta \rightarrow f$ lare angle in degrees

$$\theta_E \rightarrow for E-plane$$

$$\theta_H \rightarrow for H - plane$$

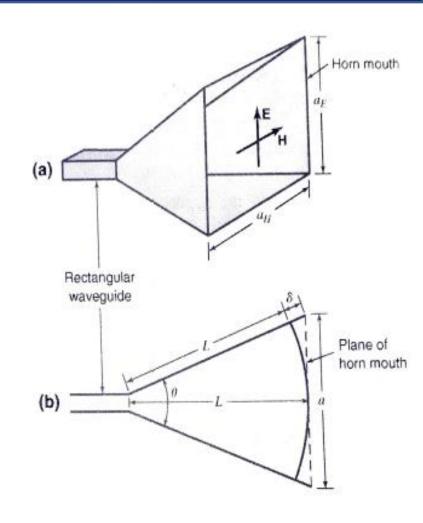
 $a \rightarrow aperture in meters$

$$a_E \rightarrow for E - plane$$

$$a_H \rightarrow for H - plane$$

 $L \rightarrow Horn \ length \ in \ meters$

 $\delta o path\ length\ difference\ in\ meters$



From the geometry we have that

$$(L + \delta)^{2} = L^{2} + \left(\frac{a}{2}\right)^{2}$$

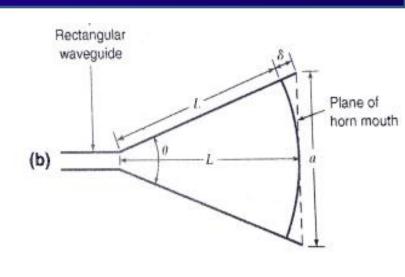
$$L^{2} + 2LS + S^{2} - L^{2} + a$$

$$L^2+2L\delta+\delta^2=L^2+\frac{a^2}{4}$$

$$2L\delta = \frac{a^2}{4}$$
 since $\delta \ll L$

$$L=\frac{a^2}{8\delta}$$

$$\theta = 2 \tan^{-1} \frac{a}{2L} = 2 \cos^{-1} \frac{L}{L+\delta}$$



In the E-plane of horn, δ is usually held to 0.25λ or less

In the H-plane, δ is 0.4 λ or greater

$$D = \frac{7.5 A_p}{\lambda^2}$$
 $D = 10 Log_{10} \frac{7.5 A_p}{\lambda^2} dB$

$$A_p = a_E a_H$$
 for rectangular horn

$$A_p = \pi r^2$$
 for conical horn

- To obtain minimum aperture a long horn with small flare angle is required
- for practical convenience a horn should be as short as possible
- optimum horn should be between these extremes and has the minimum beam width without excessive side lobe levels for given length

$$\delta_0 = \frac{L}{\cos \frac{\theta}{2}} - L \rightarrow optimum \delta$$

$$L = rac{\delta_0 \ Cos \ rac{ heta}{2}}{1 - Cos \ rac{ heta}{2}}
ightarrow optimum \ Length$$

Optimum
$$E-plane\ rectangular\ horn, HPBW = \frac{56}{a_{E\lambda}}$$

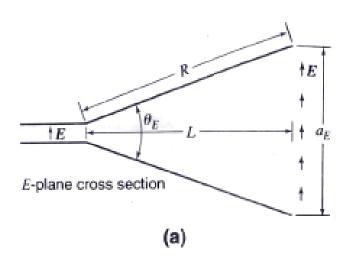
Optimum H – plane rectangular horn, HPBW =
$$\frac{67}{a_{H\lambda}}$$

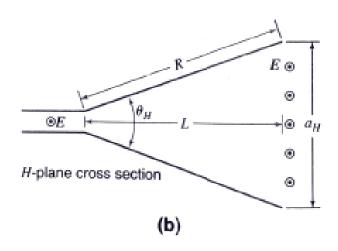
$$BWFN = \frac{115}{a_{E\lambda}}$$

$$BWFN = \frac{175}{a_{H\lambda}}$$

Rectangular Horn Antenna

• If aperture in both planes of a rectangular horn exceeds 1λ , the pattern in one plane will be independent of aperture in the other plane





• The measured E and H plane field patterns of rectangular horn as a function of flare angle and horn length for $a_E > 1\lambda$ and $a_H > 1\lambda$ is

Rectangular Horn Antenna contd.

Has minor lobes

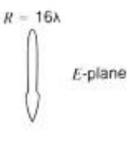
No minor lobes

$$\theta_E = 20^{\circ}$$







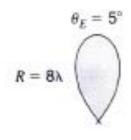


$$\theta_H = 20^\circ$$



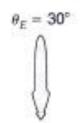




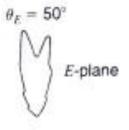












splits

$$\theta_H = 5^{\circ}$$
 $R = 8\lambda$

$$\theta_H = 10^{\circ}$$

$$\theta_H = 30^{\circ}$$

$$\theta_H = 40^{\circ}$$

$$\theta_{H} = 50^{\circ}$$
 H -plane

No split

Problems

P1. Determine the length L, H-plane aperture and flare angle θ E and θ H of a pyramidal horn for which E-plane aperture aE = 10 λ . The horn is fed by a rectangular waveguide with TE10 mode. Let δ is 0.2λ in the E-plane and 0.375λ in the H-plane. Also, find the half power beam widths and directivity. $L=\frac{a^2}{\Omega S}$

$$L = \frac{a^2}{8\delta} = \frac{(10\lambda)^2}{8\times0.2\lambda} = 62.5\lambda$$

Flare angle in E – plane

$$\theta_E = 2 \tan^{-1} \frac{a}{2L} = 2 \tan^{-1} \frac{10\lambda}{2 \times 62.5\lambda} = 9.1^{\circ}$$

Flare angle in H-plane,

$$heta_H = 2 \ Cos^{-1} rac{L}{L+\delta} = 2 Cos^{-1} rac{62.5\lambda}{62.5+0.375\lambda} = 12.52^{\circ}$$

$$D = 10 \ Log_{10} rac{7.5 \ A_p}{\lambda^2} \ dB$$

$$egin{aligned} eta_E &= 2 an^{-1} rac{a}{2L} \ eta_H &= 2 an^{-1} rac{L}{L+\delta} \end{aligned}$$

$$HPBW(E-plane) = \frac{56}{a_{E\lambda}}$$

$$HPBW(H-plane) = \frac{67}{a_{H\lambda}}$$

$$D = 10 \, Log_{10} \, \frac{7.5 \, A_p}{a^2} \, dB$$

Problems

$$\theta_H = 2 \tan^{-1} \frac{a_H}{2L}$$

$$\frac{\theta_H}{2} = tan^{-1}\frac{a_H}{2L}$$

$$\tan\frac{\theta_H}{2} = \frac{a_H}{2L}$$

$$a_{H}=2Ltan\frac{\theta_{H}}{2}=2\times62.5\lambda\tan\left(\frac{12.52}{2}\right)=13.7\lambda$$

$$HPBW (E-plane) = \frac{56}{a_{E\lambda}} = \frac{56}{10} = 5.6^{\circ}$$

$$HPBW (H-plane) = \frac{67}{a_{H\lambda}} = \frac{67}{13.7} = 4.9^{\circ}$$

$$D = 10 \, Log_{10} \, \frac{7.5 \times 10 \lambda \times 13.7 \lambda}{\lambda^2} = 30.1 \, dB$$

$$L=\frac{a^2}{8\delta}$$

$$\theta_E = 2 \tan^{-1} \frac{a}{2L}$$

$$\theta_H = 2 \ Cos^{-1} \frac{L}{L + \delta}$$

$$HPBW(E-plane) = \frac{56}{a_{E\lambda}}$$

$$HPBW(H-plane) = \frac{67}{a_{HA}}$$

$$D=10 Log_{10} \frac{7.5 A_p}{\lambda^2} dB$$

Problems

P2. Calculate the power gain of an optimum horn antenna whose one side of square aperture is 10λ .

Soln.

$$A = a^2$$

$$A=a^2=(10\lambda)^2=100\lambda^2$$

$$Gain = 4.5 \frac{A}{a^2} = 450$$

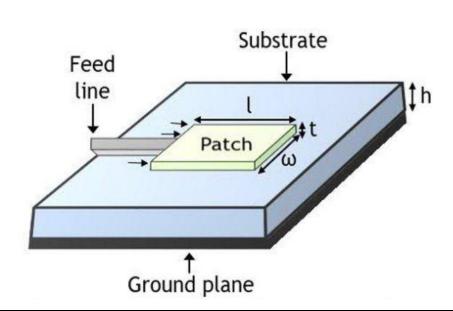
$$Gain = 4.5 \frac{A}{\lambda^2}$$

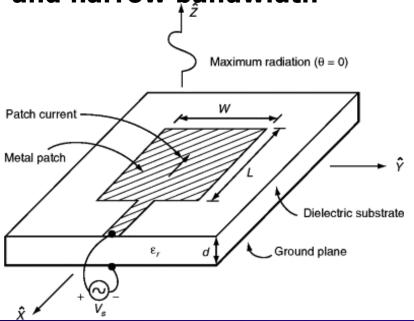
$$Gain\ in\ dB = 10\ Log_{10}450 = 26.53\ dB$$

Patch or Microstrip Antenna

- Popular for low profile and frequencies above 100 MHz (λ_0 < 3m)
- Rectangular or square metal patch on a thin layer of dielectric substrate on a ground plane
- Patches may be photoetched for low cost mass production
- It can be fabricated on printed circuit board (PCB)
- Installation is very easy low size, weight and cost

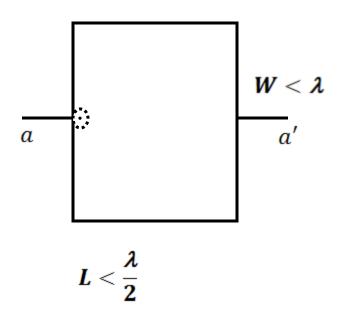
Drawbacks: less radiation efficiency and narrow bandwidth

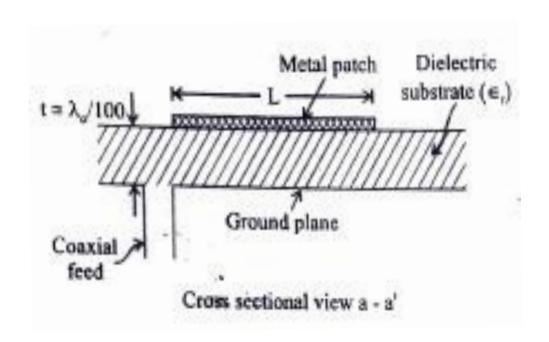




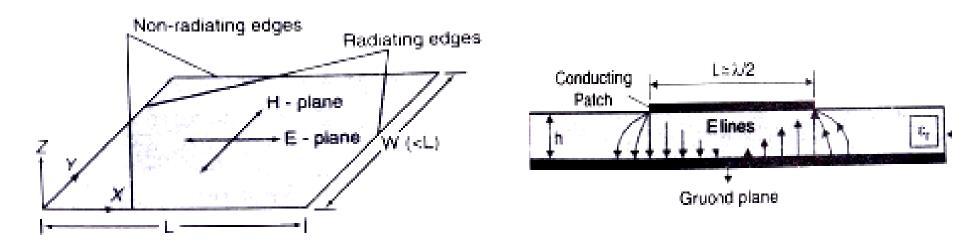
Patch or Microstrip Antenna contd.

Typical dimensions of patch





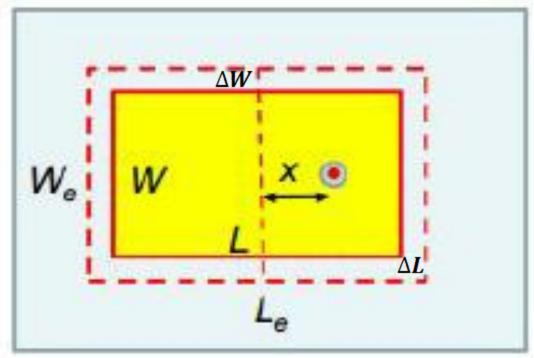
Patch or Microstrip Antenna contd.



- Radiation only on left and right sides of L, not in other sides
- Horizontal components of the electric field at the left and right edges are in the same direction
 - giving in phase linearly polarized radiation with maximum broadside to the path
- if L= $\lambda/2$, patch acts like resonant $\lambda/2$ parallel plate transmission line

Patch or Microstrip Antenna contd.

Design



$$\epsilon_e = \frac{\epsilon_r + 1}{2} + \frac{\epsilon_r - 1}{2} \left[1 + \frac{10h}{W} \right]^{-1/2}$$

$$L_e = L + 2 \Delta L = \frac{\lambda_0}{2\sqrt{\epsilon_e}} = \frac{C}{2f_0\sqrt{\epsilon_e}}$$

$$L_e = L + 2 \Delta L$$

$$W_e = W + 2 \Delta W$$

$$\Delta L = \frac{h}{\sqrt{\epsilon_e}}$$

$$f_0 = \frac{C}{2\sqrt{\epsilon_e}} \left[\left(\frac{m}{L} \right)^2 + \left(\frac{n}{W} \right)^2 \right]^{1/2}$$

m and n are orthogonal modes of excitation

$$m = 1$$
 and $n = 0$ for TM_{10} mode

$$W = \frac{C}{2f_0\sqrt{\frac{\epsilon_r+1}{2}}}$$

Since BW and $G \alpha W$

W can be suitable selected

P1. Design a rectangular microstrip antenna (RMSA) for WiFi application (2.4 to 2.483GHz). Choose substrate with ε_r =2.32, h=0.16cm.

Soln.

W =
$$\frac{c}{2f_0\sqrt{\frac{\epsilon_r+1}{2}}}$$
(2.4 + 2.483) × 10⁹

$$f_0 = \frac{(2.4 + 2.483) \times 10^9}{2} = 2.4415 \times 10^9 Hz$$

$$W = \frac{3 \times 10^{10}}{2 \times 2.4415 \times 10^9 \times \sqrt{\frac{2.32 + 1}{2}}} = 4.77 cm$$

$$\epsilon_e = \frac{\epsilon_r + 1}{2} + \frac{\epsilon_r - 1}{2} \left[1 + \frac{10h}{W} \right]^{-1/2}$$

$$L_e = \frac{C}{2f_0\sqrt{\epsilon_e}}$$

$$\epsilon_e = \frac{2.32 + 1}{2} + \frac{2.32 - 1}{2} \left[1 + \frac{10 \times 0.16}{4.77} \right]^{-1/2} = 2.23$$

$$\Delta L = \frac{h}{\sqrt{\epsilon_e}}$$

$$L_e = \frac{3 \times 10^{10}}{2 \times 2.4415 \times 10^9 \times \sqrt{2.23}} = 4.11 \ cm$$

$$\Delta L = \frac{0.16}{\sqrt{2.23}} = 0.107 \ cm$$

$$L = L_e - 2 \Delta L = 4.11 - 2 \times 0.107 = 3.896 cm$$

$$W = \frac{C}{2f_0\sqrt{\frac{\epsilon_r + 1}{2}}}$$

$$\epsilon_e = \frac{\epsilon_r + 1}{2} + \frac{\epsilon_r - 1}{2} \left[1 + \frac{10h}{W} \right]^{-1/2}$$

$$L_e = \frac{C}{2f_0\sqrt{\epsilon_e}}$$

$$\Delta L = \frac{h}{\sqrt{\epsilon_e}}$$

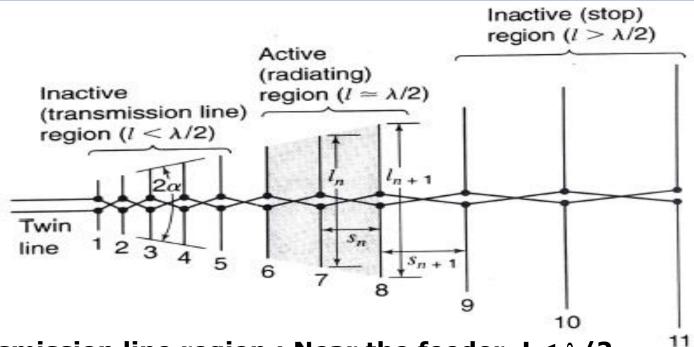
Frequency Independent Antenna

- Antenna for which impedance and radiation characteristics are independent of frequency (wide band antenna)
- How to achieve?
 - Antenna should expand or contract in proportion to the frequency
 - If antenna structure is not mechanically adjustable, the size of the radiating region should be proportional to the frequency
- Frequency independent antenna
 - will have fixed shape and size, operates for wide frequency
 - relatively constant impedance, gain, pattern and polarization
- Example : Log Periodic Dipole Antenna (LPDA)
- Rumsey's Principle: The impedance and pattern properties of an antenna are frequency independent if the antenna shape is specified by the angle.

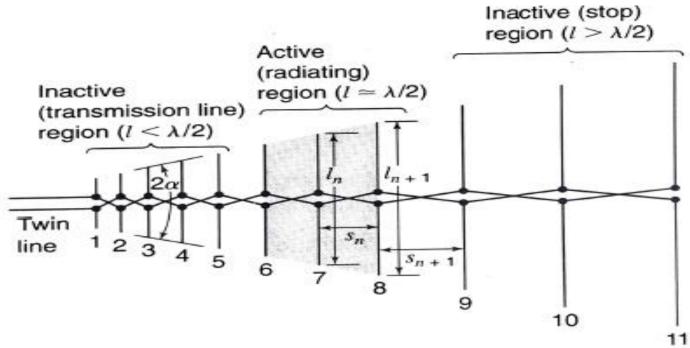
- LPDA (LPA): broad band antennas with bandwidth of 10:1 (100:1 is also achievable)
- broad band characteristics : (both impedance and pattern)
- Radiation: Unidirectional or bidirectional with moderate gain
- Log Periodic: Geometry of the antenna structure is chosen that the electrical properties repeat periodically with logarithm of the frequency.
- Frequency independence is achieved when the variation of the properties over one period is small

Construction

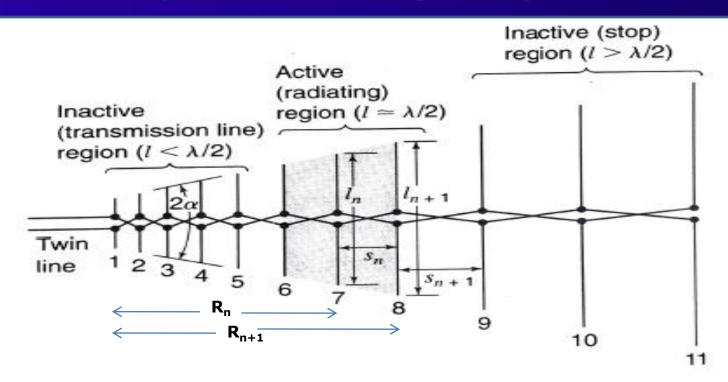
- Basic geometry structure which is repeated with the changing size of the structure
- size of the structure changes with equal repetition by a constant scale factor, such that it expands or contract



- (1) Transmission line region : Near the feeder, L< $\lambda/2$
 - element impedance is large capacitive
 - element current is small, radiation is small
- (2) Active region : L= $\lambda/2$, E-plane radiation is maximum
 - element impedance has appreciable resistance component
 - element current is large, in phase with voltage, strong radiation



- (3) Reflective region (Inactive region) : L> $\lambda/2$
 - element impedance becomes large inductive
 - element current is very small and lags the voltage
- When wavelength increases: Radiation zone moves to the right
- When wavelength decreases: Radiation zone moves to the left
- At any given frequency: fraction of the antenna is used

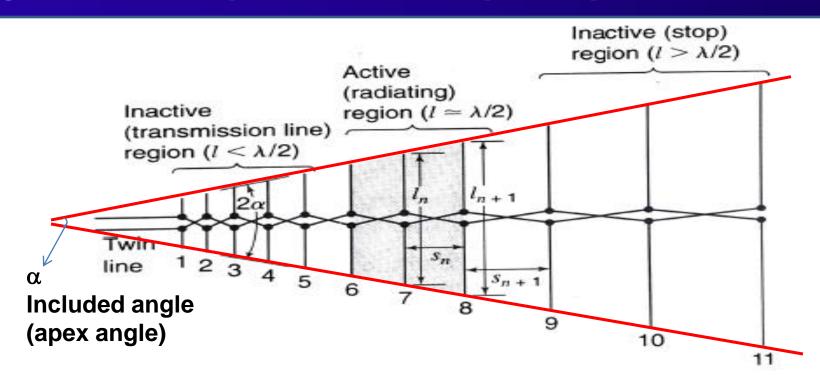


Relation between Length (L), distance from origin (R) is

$$\frac{R_1}{R_2} = \frac{R_2}{R_3} = \dots = \frac{R_n}{R_{n+1}} = \tau = \frac{L_1}{L_2} = \frac{L_2}{L_3} = \dots = \frac{L_n}{L_{n+1}}$$

au o design ratio or scale factor or periodicity factor

$$\tau = \frac{R_n}{R_{n+1}} = \frac{L_n}{L_{n+1}}$$
 $(\tau < 1)$ or $\frac{S_{n+1}}{S_n} = \frac{L_{n+1}}{L_n} = \frac{1}{\tau} = K$ $(K > 1)$



- S → spacing between two adjacent elements
- The condition defined by τ and K yield the dipole to the along two straight lines of an angle α
- Typically $\alpha = 30^{\circ}$ and $\tau = 0.7$
- resonant frequency, $f_r = \frac{C}{\lambda} = \frac{C}{2L}$ when L= $\lambda/2$ (depends on size)

Characteristics of LPDA

- Array is excited from
 - shorter length side or high frequency side for one active region LPDA to achieve maximum directivity
 - centre for two active region LPDA to achieve maximum directivity
- Though large number of different structures of LPDA is possible all are not frequency independent
- broad band characteristics can be achieved in LPDAs with small variation in the periodicity property
- Radiation pattern can be of unidirectional or bi directional depending up on log periodic structure
 - unidirectional radiation in backward (shorter elements)
 direction is considerable (forward direction-negligible)

- bidirectional maximum radiation in the broadside direction (normal to the surface of antenna)
- transmission line (inactive) region → proper characteristic impedance with negligible radiation
- Active region → magnitude and phasing of the current should be proper
 - for strong radiation in backward direction
 - negligible radiation in forward direction
- Inactive (stop) region → rapid decay of current is required for antenna to be frequency independent (structure should be truncated)

Applications

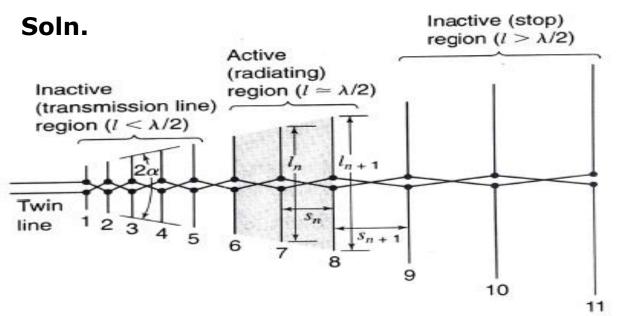
- for High frequency communications, where multiband steerable and fixed antenna are required
- TV reception where single antenna can receive all channels
- for all round monitoring (covers all frequency bands)

Drawbacks

- less gain (compared to Yagi antenna of same size)
- quite expensive
- mounting platform must be strong to hold large elements
- large number of elements for low frequency

P1. Design a 54 MHz to 216 MHz log periodic dipole antenna for the following data

Desired Gain = 6.5 dB, Design factor (τ) = 0.822 and σ = 0.149.



$$\alpha = 2 \tan^{-1} \frac{1-\imath}{4\sigma}$$

$$\sigma = \frac{S_n}{2L_n}$$

$$L_n = \frac{\lambda_L}{2}$$
 $\lambda_L = \frac{C}{f_L}$

$$f_L \rightarrow lowest frequency of operation$$

$$L_1 = \frac{\lambda_H}{2} \qquad \lambda_H = \frac{C}{f_H}$$

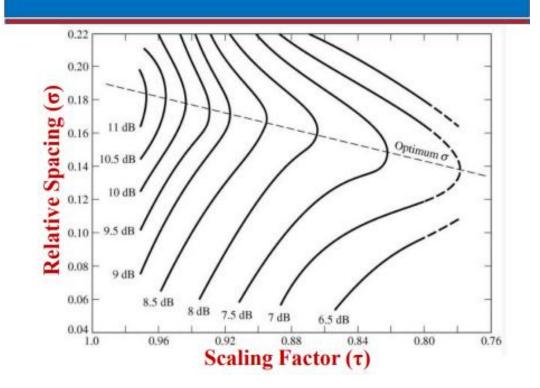
 $f_H \rightarrow Highet frequency of operation$

P1. Design a 54 MHz to 216 MHz log periodic dipole antenna for the following data

Desired Gain = 6.5 dB, Design factor (τ) = 0.822 and σ = 0.149.

Soln.

Design Curve for LPDA for given Directivity



For Gain

 $6.5 \, dB + 1 dB \, loss = 7.5 dB$

 $\tau = 0.822$ $\sigma = 0.149$

P1. Design a 54 MHz to 216 MHz log periodic dipole antenna for the following data

Desired Gain = 6.5 dB, Design factor (τ) = 0.822 and σ = 0.149.

Soln.

$$\alpha = 2 \tan^{-1} \frac{1 - 0.822}{4 \times 0.149} = 33.3^{\circ}$$

$$\lambda_L = \frac{3 \times 10^8}{54 \times 10^6} = 5.55 \, m$$

$$L_n = \frac{5.55}{2} = 2.775 \ m$$

$$\lambda_H = \frac{3 \times 10^8}{216 \times 10^6} = 1.388 \ m$$

$$L_1 = \frac{1.388}{2} = 0.694 \ m$$

$$\alpha = 2 tan^{-1} \frac{1 - i}{4\sigma}$$

$$L_n = \frac{\lambda_L}{2}$$

$$\lambda_L = \frac{C}{f_L}$$

$$L_1=\frac{\lambda_H}{2}$$

$$\lambda_H = \frac{C}{f_H}$$

$$au = \frac{R_n}{R_{n+1}} = \frac{L_n}{L_{n+1}} = \frac{S_n}{S_{n+1}}$$

Design factor (τ) = 0.822 and σ = 0.149.

Soln.

$$au = rac{R_n}{R_{n+1}} = rac{L_n}{L_{n+1}} = rac{S_n}{S_{n+1}}$$

$$L_n = \frac{5.55}{2} = 2.775 \ m$$

$$L_1 = \frac{1.388}{2} = 0.694 \ m$$

Length of other elements to be calculated by scaling the smallest dipole length (0.694 m) until the largest dipole length (2.775 m) is achieved

$$\tau = \frac{L_n}{L_{n+1}} = \frac{L_1}{L_2}$$

$$L_2 = \frac{L_1}{\tau} = \frac{0.694}{0.822} = 0.844 \ m$$

$$L_3 = \frac{L_2}{\tau} = \frac{0.844}{0.822} = 1.026 \ m$$

Similarly

$$L_4 = 1.248 \ m$$

$$L_4 = 1.248 m$$
 $L_7 = 2.245 m$

$$L_5 = 1.518 \ m$$

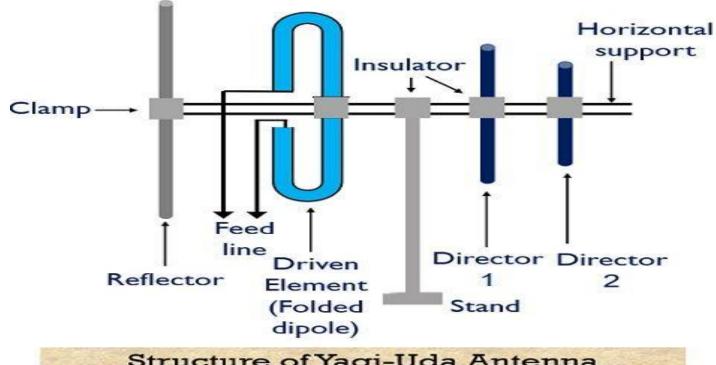
$$L_8 = 2.731 m$$

$$L_6 = 1.846 \ m$$

$$L_9 = 3.322 \ m$$

Reflector type Antennas

- Reflector antenna : eliminate backward radiation, increase signal radiation in desired direction
- Reflectors are widely used to modify the radiation pattern of a radiating element
- Reflector: element that reflects electromagnetic waves

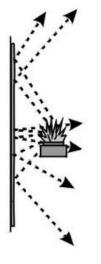


Structure of Yagi-Uda Antenna

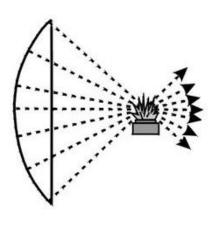
Electronics Desk

Types of reflectors

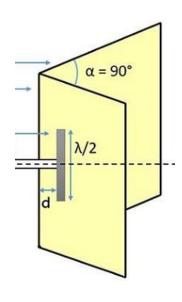
Flat sheet



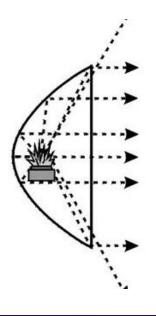
Spherical



Corner

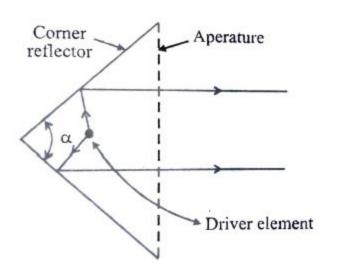


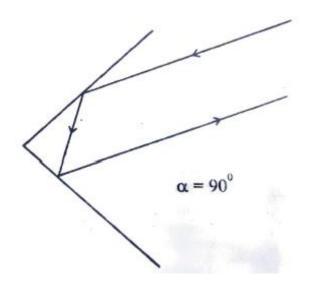
Parabolic



Corner Reflector

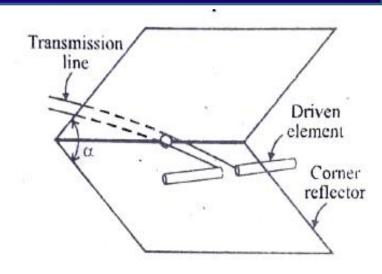
- Corner reflector is obtained when a flat metal sheet is folded in the middle to form a 90° square corner
- Corner reflector without the source or driven element is called a passive reflector
- 90° passive reflector can be used to reflect the wave in the same direction



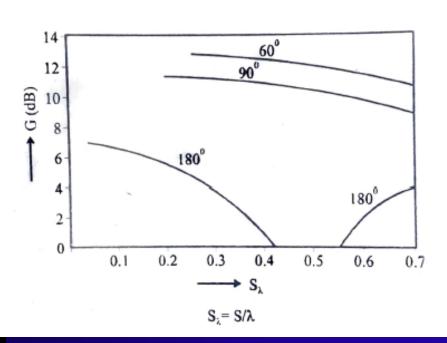


Corner Reflector Antenna

- Corner reflector with a driven element
- corner angles of 90°, 60°, 45°
 and 30° are most commonly used,
 above 90° is occasional



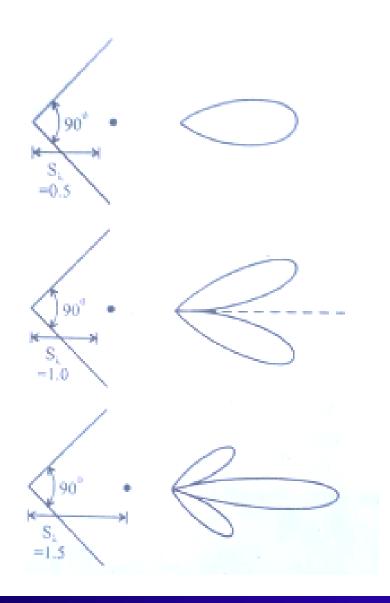
- gain depends on corner angle α and distance between corner and driven element 'S'
- gain is maximum for $\alpha = 60^{\circ}$ least for $\alpha = 180^{\circ}$



Field Pattern

• pattern is function of the spacing 'S' for a fixed value of α

- $S\lambda = 1.0 \rightarrow two lobed pattern$
- $S\lambda = 1.5 \rightarrow gain is large,$ (12.7 dB for $\lambda/2$ dipole)
- no side lobes for $S\lambda$ ranging from 0.25 to 0.7, for α = 90°
- no side lobes for $S\lambda$ ranging from 0.1 to 0.3, for α = 180°

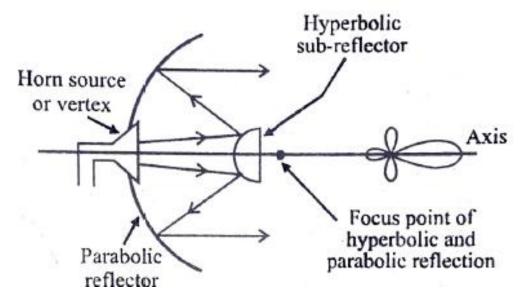


Antenna with Parabolic Reflector

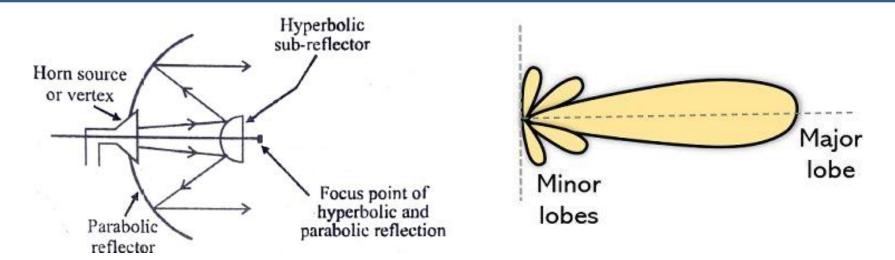
Parabolic reflectors are based on:

- Geometric optical principle, feeder arrangement is also by optical method
- not by transmission line, co-axial cable etc.
- These antennas are most commonly used in microwave frequencies
- Transmitting and receiving antennas in microwave spectrum are more directive (high gain and narrow bandwidth in both E and H plane)

Parabolic Reflector – geometrical relation



- converts the spherical waves originated by the radiator at the focus of the parabola in to plane wave across the moth (aperture)
- ratio of focal length (f) to aperture size (D) i.e. (f/D) is an important characteristics of a parabola
 - normally f/D ranges from 0.25 to 0.5



- antenna placed at the focal point of a parabola feed radiator (simply feed or primary radiator)
 - its radiation pattern primary pattern
- parabolic reflector secondary radiator
 - radiation pattern of entire antenna (reflector+source) –
 secondary pattern
- antenna pattern → secondary pattern
- feed pattern → primary pattern

For the primary antenna, isotropic paraboloid

circular aperture

$$BWFN = \frac{140}{D_{\lambda}}$$

$$HPBW = \frac{58}{D_{\lambda}}$$

$$Directivity, D_0 = 9.87D_{\lambda}^2$$

Power gain, $G = 6D_{\lambda}^{2}$ for a $\lambda/2$ dipole

rectangular aperture

$$BWFN = \frac{115}{L_{\lambda}}$$

$$HPBW = \frac{51}{L_1}$$

Directivity,
$$D_0 = \frac{4\pi}{\lambda^2} (L \times W)$$

W → width of aperture

Power gain, $G = 7.7L_{\lambda}^2$

Square aperture

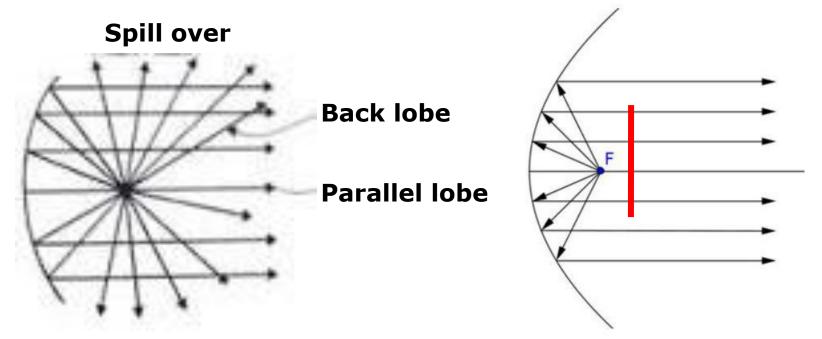
$$Directivity, D_0 = 12.6L_{\lambda}^2$$

$$D_{\lambda} = \frac{D}{\lambda}$$
 $D \rightarrow diameter \ of \ aperture \ in \ meters$

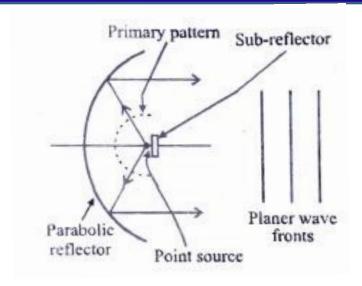
$$L_{\lambda} = \frac{L}{\lambda}$$
 $L \rightarrow Length \ of \ aperture$

Feeding techniques for parabolic antenna

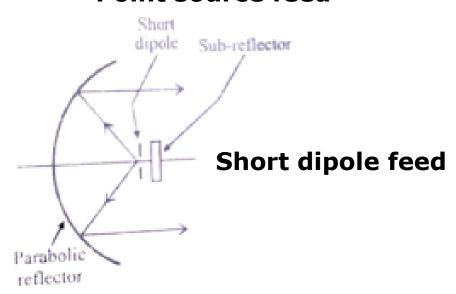
 feed system should direct all of its energy substantially against the reflecting surface



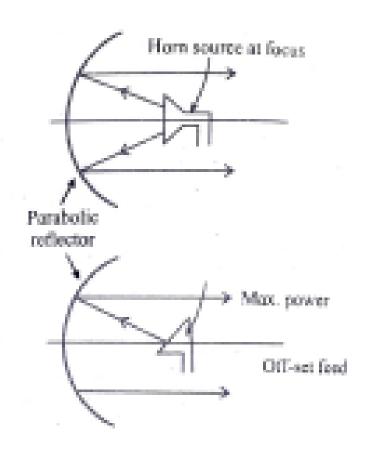
 Loss of power (gain) can be prevented by properly shaping the aperture and using sub reflector



Point source feed

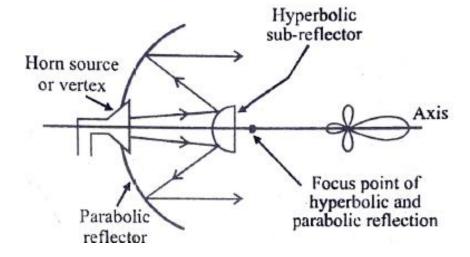


Horn feed

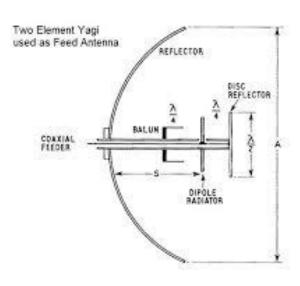


Horn feed (offset reflector)

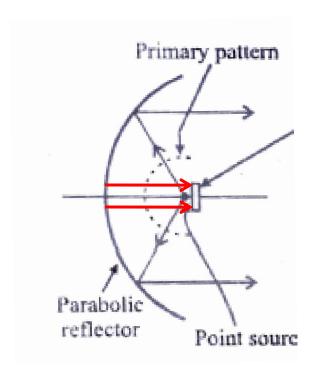
Cassegrain feed



Yagi antenna feed



- The primary feed radiator is is positioned around an opening near the vertex instead of the focus
- employs secondary reflector whose foci coincides with focus of paraboloid



Advantages

- reduction in spill over and minor lobe radiation
- ability to place the feed in convenient location
- capability for scanning or broadening of the beam by moving one of the reflectors

Disadvantages

- some of the reflected waves are obstructed (more with small dimensions)
 - this can be avoided using an offset reflector
- dimension of secondary reflector depends on distance between horn feed and sub reflector, mouth of horn

P1. A 64m diameter dish antenna operating at a frequency of 1.43 GHz is fed by a non directional antenna. Calculate (i) HPBW (ii) BWFN (iii) Directivity and (iv) Gain with respect to $\lambda/2$ dipole.

Soln.

$$\lambda = \frac{C}{f} = \frac{3 \times 10^8}{1.43 \times 10^9} = 0.21m$$

$$D_{\lambda} = \frac{D}{\lambda} = \frac{64}{0.21} = 304.76$$

$$BWFN = \frac{140}{D_4} = \frac{140}{304.76} = 0.46^{\circ}$$

$$HPBW = \frac{58}{D_4} = \frac{58}{304.76} = 0.19^{\circ}$$

$$Directivity = 9.87D_{\lambda}^{2} = 9.87 \times 304.76^{2} = 916712$$

Power gain,
$$G = 6D_A^2 = 6 \times 304.76^2 = 557271$$

$$\lambda = \frac{C}{f}$$

$$D_{\lambda} = \frac{D}{\lambda}$$

$$BWFN = \frac{140}{D_A}$$

$$HPBW = \frac{58}{D_{\lambda}}$$

$$Directivity = 9.87 D_{\lambda}^{2}$$

Power gain,
$$G = 6D_{\lambda}^{2}$$

P2. Estimate the power gain of a paraboloid reflector of open mouth aperture of 10λ .

Soln.

$$D_{\lambda} = \frac{D}{\lambda} = \frac{10\lambda}{\lambda} = 10$$

Power gain,
$$G = 6D_{\lambda}^{2} = 6 \times 10^{2} = 600$$

$$G in dB = 10 Log_{10}600 = 27.78 dB$$

$$D_{\lambda} = \frac{D}{\lambda}$$

Power gain, $G = 6D_{\lambda}^{2}$

P3. An isotropic antenna with rectangular reflector of length 4m and width 3m is operating at a frequency of 3 GHz. Calculate (i) HPBW (ii) BWFN (iii) Directivity and (iv) Gain with respect to $\lambda/2$ dipole.

Soln.

$$\lambda = \frac{C}{f} = \frac{3 \times 10^8}{3 \times 10^9} = 0.1m$$
 $L_{\lambda} = \frac{L}{\lambda} = \frac{4}{0.1} = 40$

$$BWFN = \frac{115}{L_1} = \frac{115}{40} = 2.875^{\circ}$$

$$HPBW = \frac{51}{L_1} = \frac{51}{40} = 1.275^{\circ}$$

Directivity =
$$\frac{4\pi}{\lambda^2} (L \times W) = \frac{4\pi}{0.1^2} (4 \times 3) = 15079$$

Power gain,
$$G = 7.7L_{\lambda}^2 = 7.7 \times 40^2 = 12320$$

$$\lambda = \frac{C}{f}$$

$$L_{\lambda} = \frac{L}{\lambda}$$

$$HPBW = \frac{51}{L_{\lambda}}$$

$$BWFN = \frac{115}{L_{\lambda}}$$

$$Directivity, D_0 = \frac{4\pi}{\lambda^2} (L \times W)$$

Power gain, $G = 7.7L_{\lambda}^{2}$

P3. Calculate (i) HPBW (ii) BWFN (iii) Directivity and (iv) Gain with respect to $\lambda/2$ dipole for an isotropic antenna with square reflector of area 9m² operating at a frequency of 2 GHz. .

Soln.

$$\lambda = \frac{C}{f} = \frac{3 \times 10^8}{2 \times 10^9} = 0.15 m$$
 Since area = 9m², $L = W = 3m$

Since
$$area = 9m^2$$
, $L = W = 3m^2$

$$\lambda = \frac{C}{f}$$

$$L_{\lambda} = \frac{L}{\lambda} = \frac{3}{0.15} = 20$$

$$L_{\lambda} = \frac{L}{\lambda}$$

$$BWFN = \frac{115}{L_1} = \frac{115}{20} = 5.75^{\circ}$$

$$HPBW = \frac{51}{L_{\lambda}}$$

$$HPBW = \frac{51}{L_1} = \frac{51}{20} = 2.55^{\circ}$$

$$BWFN = \frac{115}{L_A}$$

Directivity =
$$12.6 L_{\lambda}^2 = 12.6 \times 20^2 = 5040$$

Directivity,
$$D_0 = \frac{4\pi}{\lambda^2} (L \times W)$$

Power gain,
$$G = 7.7L_{\lambda}^{2} = 7.7 \times 20^{2} = 3080$$

Power gain,
$$G = 7.7L_{\lambda}^{2}$$

Antennas for special applications

- Antennas for terrestrial mobile communication
- Antenna for ground penetrating radar (GPR)
- Embedded antennas
- Ultra wideband antennas for digital application
- Plasma antenna

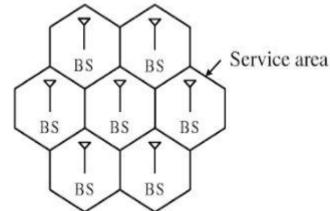
(Qualitative analysis)

Antennas for terrestrial mobile communication

- the rapid development of mobile communication systems has led to the use of novel antenna for base station and mobile station
- frequencies of terrestrial mobile radio systems range from 200MHz to 60 GHz
- most significant of these are the analog and digital cellular radio systems whose main frequency ranges are 800 to 1000 MHz and 1700 to 2200 MHz
- wireless local are network (WLAN) use the frequencies 2.4 to 2.5,
 5.1 to 5.8 and 17 GHz
- bandwidth of cellular systems vary from 8 to 17%

Base station antennas

- base station antennas are used to direct the power to the area to be covered
- each cell has radius of about 1 to 15 kms
- each cell has a base station antenna

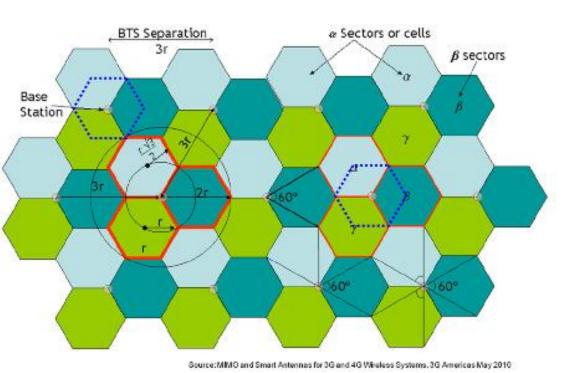


- In cellular system the power distribution is restricted to minimize the frequency reuse distance
- base station antenna should cover a large area irrespective directivity in horizontal plane
- vertical plane beam width is reduced to increase the directivity (to achieve 5 to 17dB)

- horizontal plane beam width is between 50° 360°
- directive antenna are used for sector base station systems

a 3-sector system power pattern in horizontal and vertical planes

is as shown (3-antenna placed 120° apart)



Horizontal plane pattern



Vertical plane pattern

- beam width of each directive antenna in horizontal plane is 65°
- vertical beam width is nearly 10 to 70°
- antenna is tilted slightly downwards to reduce the interference of neighbor cells
- parameters to be considered
 - weight, wind load, size and appearance
 - common types are dipoles, corner reflector, patch arrays and horns
 - in corner reflectors, using corner angle of 60° to 270° horizontal HPBW of 60° to 180° is obtained
- for cables having a diameter of 20 mm, attenuation will be of about 5dB at 900 MHz
- cable can be terminated with matched load or antenna
- base station power is around 300W outdoor and 30W indoor

Antenna Diversity

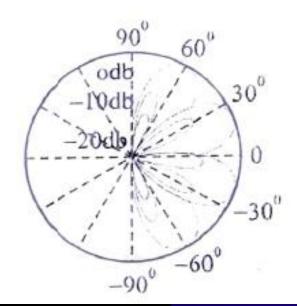
- To reduce multipath fading in base station diversity technique is used
 - several receiving antennas are used to obtain independent samples of incoming field
- for cellular base station, the diversity techniques are space and polarization diversity
 - space diversity receivers are placed at quite far off depending upon the angular distribution of the multipath signals (20 λ to 40 λ)
 - polarization diversity between horizontal and vertical polarization is preferred for tilted mobiles under use

Adaptive base station antennas

- array of antennas and associated signal processing that together are able to change its radiation pattern dynamically to adjust to noise, interference and multipath.
- adaptive system is used to improve SNR, maximize the coupling between base station and user and minimizing the coupling between base station and other users
- benefits of adaptive base station antennas are
 - increased capacity due to increased signal to interference and noise ratio
 - increased coverage due to higher apparent gain of the baseband antenna
 - reduced output power especially at the mobile station where battery lifetime is crucial

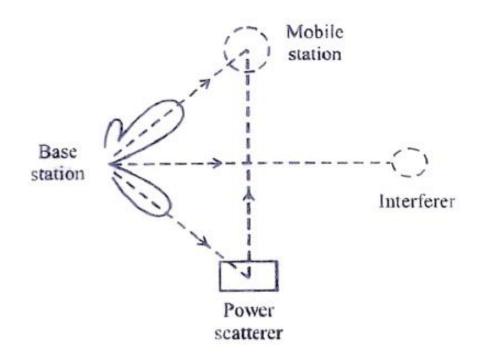
Adaptive options

- (i) Switched beam antennas
- base station antenna has several selectable beams of which each covers a part of the cell area
- constructed based on butler matrix, which provides one beam per antenna element
- operation is very simple but limited adaptability



(ii) Beam forming

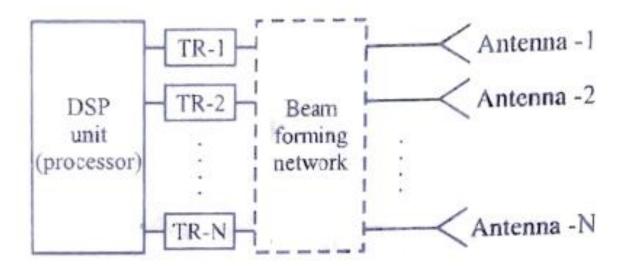
• is a technique of providing main pattern or lobe towards wanted direction and nulls in unwanted direction



 since number of antenna elements are limited, only few maxima and nulls can be realized simultaneously

(iii) Adaptive arrays

- system consists of several antennas
- each antenna is connected to separate transreceiver and digital signal processor (DSP)
- DSP controls the signal level to each element depending upon requirement

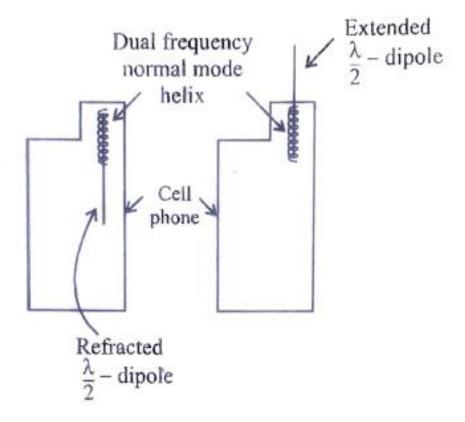


Mobile station antennas

- antenna should be able to enable for the required signal at random places and random direction
- very difficult to design antenna for a particular polarization
- most of the time polarization is vertical
- vertical dipole is preferred
- critical performances in antenna design are bandwidth and efficiency
- (i) Dipole and monopole
- retractable whip antenna of length
- $\lambda/2$ can be used ($\lambda/2$ dipole or $\lambda/4$ monopole)

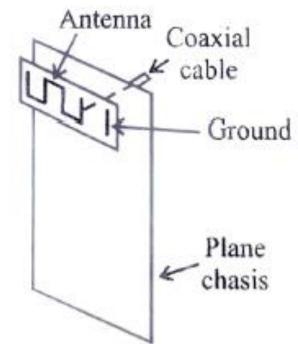


- (ii) Normal mode helical antenna
- for circular polarization normal mode helical antenna can be used



(iii) Internal antenna

- antenna may be enclosed inside the handset
- two types of internal antennas
 - planar antenna and chip antenna
- planar antenna is usually $\lambda/4$ microstrip mounted on the conducting chasis of handset
- chip antenna is very small and can be mounted on the circuit board



performance of internal antenna is less than care men antenna

(iv)Antenna diversity

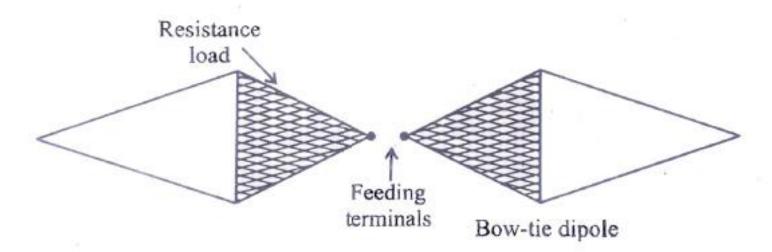
in mobile station is difficult due to limited space

Antennas for Ground Penetrating Radar (GPR)

- Radars: used for detecting moving objects such as aircrafts and ships in wars
- GPRs can be used to detect underground anomalies (natural and manmade)
- anomalies : buried metallic or non-metallic objects, earth abnormalities
- pulse and its echo pulse are used for processing
- basic difference between GPR and above earth radar are
 - total distance travelled is not large, hence radar equation for far-fields cannot be used without modification
 - ground is lossy medium (10dB/m at 3 to 300MHz), hence power required is large
 - large mismatch at air-ground interface

Antennas for Ground Penetrating Radar (GPR) cont.

- as the distance or total time is very small pulse width should be very small (few nano seconds)
- antenna is very critical in GPR
- Usually two dipole antennas are placed very close to earth surface (one for transmission and one for reception)
- to reduce bouncing and ringing the dipole elements are constructed with resistance loaded in the form of bow tie



Embedded antennas

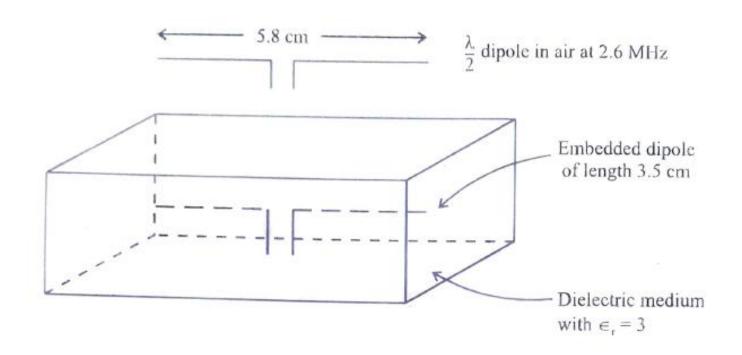
- modern trend in manufacturing electronic systems is to integrate everything on a common substrate
- embedded antenna is one such (embedded in dielectric medium)
 - suitable for mobile handsets
- embedded antenna is constructed embedding a $\lambda/2$ dipole on a dielectric substrate
- dimensions should be very small (few mm or cm)
- length can be calculated from the relation

$$l = \frac{\lambda}{2\sqrt{\epsilon_r}}$$

• with ϵ_r greater than one dimensions will be small

Embedded antennas contd.

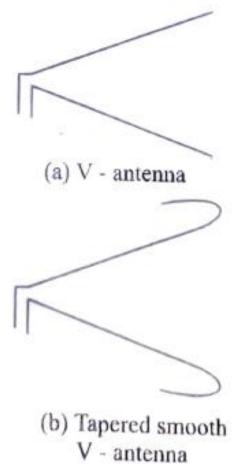
 antennas used in this system are microstrip antennas made by depositing copper on dielectric substrate



Ultra wideband antennas for digital application

 Ultra wide band antennas should cater the needs for pulse systems (digital)

- rhombic vee antenna is suitable for pulse applications and hence can be regarded as ultra wideband antenna
- rhombic and vee shapes help in achieving impedance matching over the wide frequency range



Plasma antenna

- Plasma tube antenna consists of glass tube filled with a gas (argon) at low pressure
- when this gas is subjected to electric discharge a plasma is formed in the long column glass tube, which generates plasma surface wave
- since plasma is a conductiveSurface, it acts as an antenna
- radiation efficiency of 25 to 50% can be achieved
- can be used where the antenna cross section should be small when not used

