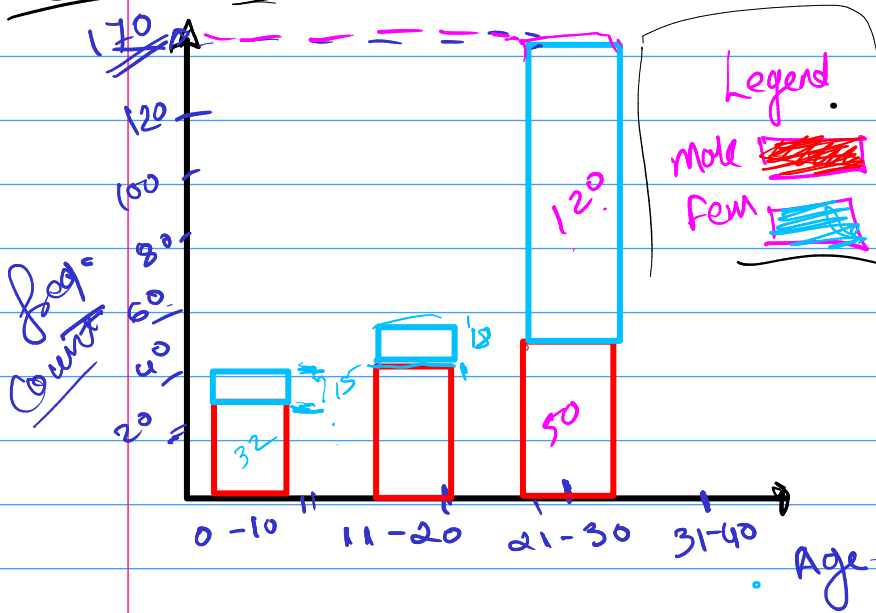


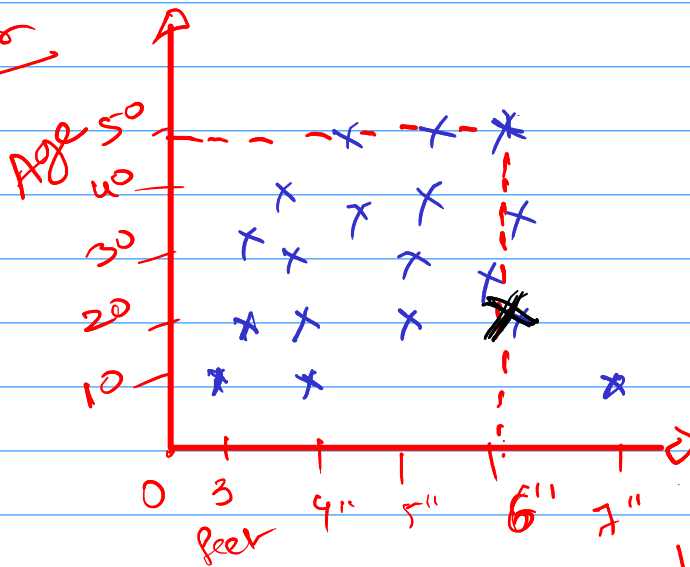
Stack Bar chart



Bins

	0-10	11-20	21-30
Male	32	41	50
Female	15	18	70

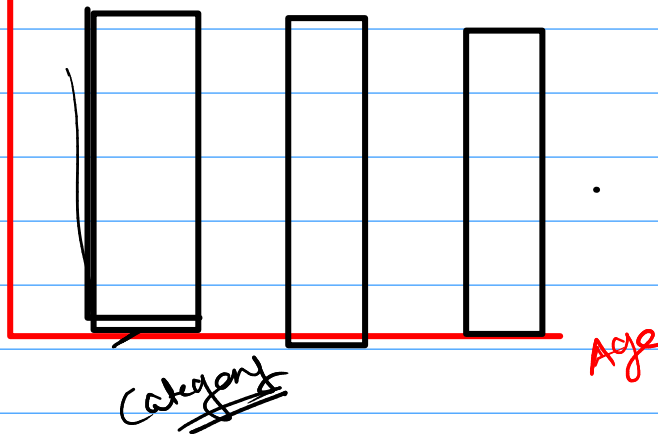
Scatter



Student Age Height

10	3
10	4
10	7
20	-

Height



Bar χ^2 Arts Varis-
Category freq. count

Pie - Relative (%)

Histo - Continuous freq.

Scatt - num cont. num cont.

Outlier Detection

5-Number Summary

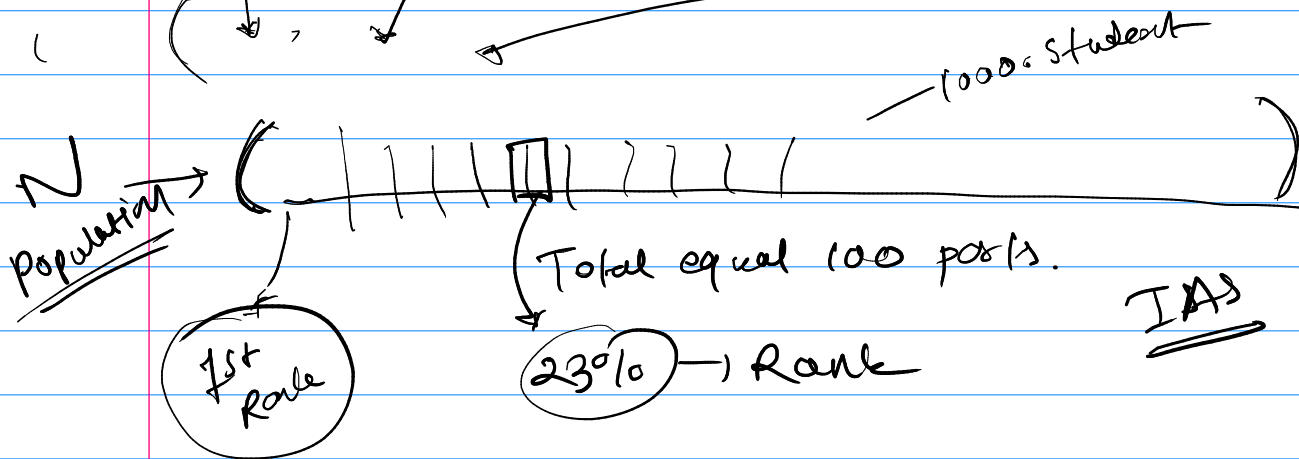
$$\text{Percentage} = \left(\frac{\text{Mark obtain}}{\text{Total Mark}} \right) \times 100$$

BD . DM

VCE

91% 92%

98%

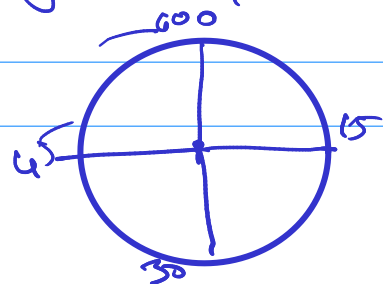


Quantile

Quantile are statistical measure use to divide a set of numerical data into equal-size group, each group contain equal no. of observation.

Quantile \rightarrow Divide the Data into four equal parts.

25% / 25% / 25% / 25%



Quintile - Divide the data into five equal parts

Decile - Divide the data into Ten equal parts

Percentile - Divide data into 100 equal parts.

Note - (1) Data should be sorted Low to high

(2) you are basically finding the location or index position of observation.

(3) They are not actual value in data.

—————x—————

Percentile - Divide the data into 100 equal parts.

For ex - the 75th percentile is the value below which 75% of the observation in the dataset fall.

$$PL = \frac{P}{100} (N+1)$$

PL -> Location

N -> no. of observation.

P -> Percentile rank

Data = 78, 82, 84, 88, 91, 93, 94, 96, 98, 99

Q4 = find the 75th percentile Score.

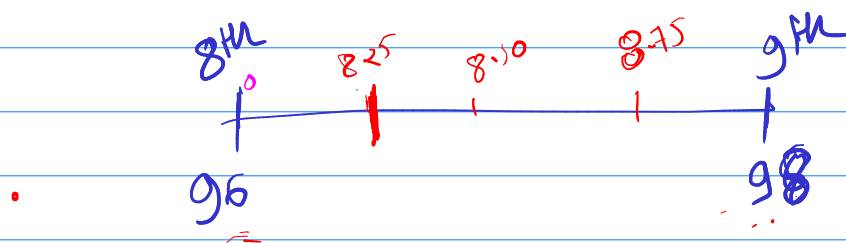
$$N = 10$$

$$P = 75$$

$$PL = \frac{P}{100} (N+1)$$

$$PL = \frac{75}{100} (10+1) = \frac{75}{100} (11) = \frac{3}{4} \times 11 = \frac{33}{4}$$

$$PL = 8.25 \quad \text{Location}$$



$$\text{Rank} = 8.25 = 8^{\text{th}} + 0.25 (9^{\text{th}} - 8^{\text{th}})$$

$$= 96 + 0.25 (98 - 96)$$

$$= 96 + 0.25 (2) = 96.50$$

75th percentile

$$\text{Rank} = 96.50$$

$$8.50 = 8 + 0.5 (9^{\text{th}} - 8^{\text{th}})$$

$$8.75 = 8 + 0.75 (9^{\text{th}} - 8^{\text{th}})$$

$$7.15 = 7^{\text{th}} + 0.15 (8^{\text{th}} - 7^{\text{th}})$$

$$3.987 = 3^{\text{th}} + 0.987 (4^{\text{th}} - 3^{\text{th}})$$

