

BITSILICON BEGINNER ASSIGNMENT 1
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NOTE-:

I am submitting the attached digital logic and Verilog assignments as requested. Although I am not currently part of BITSilicon, I was informed that completing and submitting this assignment would lead to direct induction into the program. Kindly consider this submission for my direct induction as per our previous discussion.

Regards

PART A

1) BINARY \rightarrow 11111111.011
OCTAL \rightarrow 377.3
HEXADECIMAL \rightarrow FF.6

2) 53.625

3) $100111 = 2^5 + 2^2 + 2^1 + 2^0$

Now I found individual remainders of each of the above terms with 3
The remainders are -1, 1, -1, 1 respectively.
As the sum of the remainders is 0 hence the number is divisible by 3.

4) 23 in binary (8-Bits) = 00010111

To get the 1's complement flip all the bits

11101000

Now we add 1 to the 1's complement to get the 2's complement

ANS \rightarrow 11101001

5) $F = (A+B)(A'+C)(B+C')$

First I expanded the first brackets

$F = (AA' + AC + A'B + BC)(B+C')$

We know that $AA' = 0$ so now $F = (AC + A'B + BC)(B+C')$

This $(AC + A'B + BC)$ can be simplified to $(AC + A'B)$ by using the redundancy theorem

Now $F = ABC + A'BC' + ACC' + A'BB$ which can be further simplified to $F = ABC + A'BC' + A'B$ by using $BB = B$ and $CC' = 0$.

$F = ABC + A'B(C+1) = ABC + A'B = B(AC + A') = B(A'+C)$

The final simplified expression for $F = A'B + BC$.

6) $F = C$

Minterm	A	B	C	Output (F)
m0	0	0	0	0
m1	0	0	1	1
m2	0	1	0	0
m3	0	1	1	1
m4	1	0	0	0
m5	1	0	1	1
m6	1	1	0	0
m7	1	1	1	1

A/BC	00	01	11	10	
A=0	0	1	1	0	
A=1	0	1	1	0	